

$n$	500	3000
NN	11.65	0.20
OT	<b>0.03</b>	0.16
min-SWGG	0.08	<b>0.13</b>

Table 1: Square Chamfer distance:  $d^2(X, Y) = \sum_{x \in X} \min_{y \in Y} \|x - y\|_2^2 + \sum_{y \in Y} \min_{x \in X} \|x - y\|_2^2$  between final transformation on the source and the target. Best values are boldfaced.

$n$	500	3000
NN	526	30.04
OT	3.8	6.5
min-SWGG	<b>2</b>	<b>4.5</b>

Table 2: Frobenius distance:  $\|\Omega_{\text{real}} - \Omega_{\text{estimated}}\|_F^2 + \|t_{\text{real}} - t_{\text{estimated}}\|_F^2$  where  $\Omega$ 's are in  $O(d)$  and  $t$ 's are in  $\mathbb{R}^d$  between final transformation on the source and the target. Best values are boldfaced.

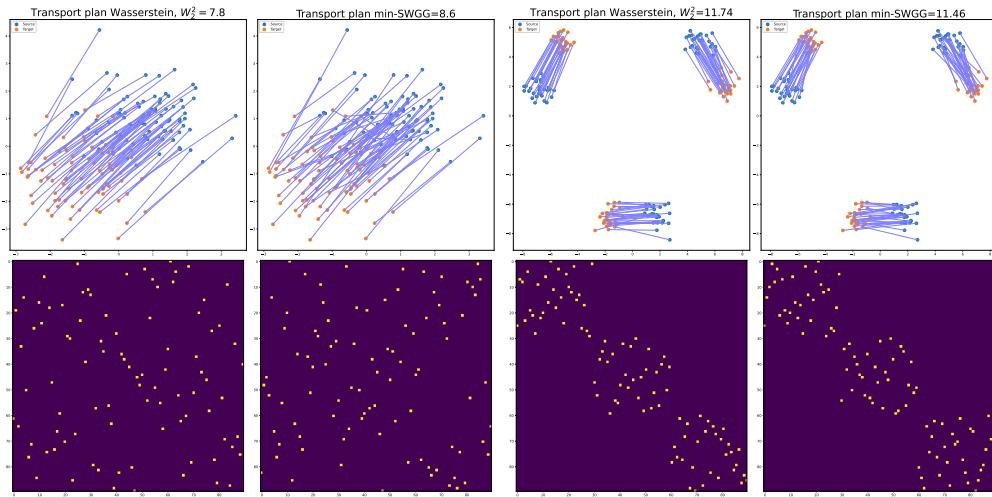


Figure 1: Example of transports plan given by Wasserstein (left and middle-right) and min-SWGG (middle left and right). Transport plan distribution (top) and transport matrix (bottom). The overall structure of the distribution is captured by min-SWGG.

dimension	2	20	200
$W_2^2$	32.4	346	3836
min-SWGG( $L = 1000$ )	33.2	377	3958
min-SWGG (optim)	33.2	375	3944
SW( $L = 1000$ )	16.1	16	16
max-SW (optim)	32.2	322	3384

Table 3: Evolution of the distance with min-SWGG, SW and max-SW with the dimension.