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ImageNet	ResNet50 (Vanilla-Trained)		ViT (Vanilla-Trained)			CLIP (Vanilla-Trained)	
	Canon.	Acc	Rand Rot. (C8)	Acc	Rand Rot. (C8)	Acc	Rand Rot. (C8)
None		75.2	50.1	80.4	59.6	77.1	67.0
PRLC*		63.1	59.2	63.7	60.5	72.1	69.6
Ours		66.3 (+3.2)	63.5 (+4.3)	73.6 (+9.9)	71.9 (+11.4)	75.4 (+3.3)	74.0 (+4.4)
Oracle		75.2	71.5	80.4	78.1	77.1	75.3

PRLC R50 Aligner			PRLC ViT Aligner			Ours		
Acc (↑)	Acc @ 45° (↑)	Err (↓)	Acc	Acc @ 45°	Err	Acc	Acc @ 45°	Err
37.9	55.4	63.1	31.8	56.4	65.6	37.0 (-0.9)	78.9 (+22.5)	45.3 (-17.8)

Table 3: **FMC generalizes better to ImageNet and outperforms PRLC’s canonicalizers.** We find that Foundation Model Canonicalization outperforms PRLC, without any training, on both upright inputs and randomly rotated inputs. We compare against just upright images in the Acc columns. Oracle refers to a system where the exact angle to upright is known, and thus only measures the change in accuracy due to loss of information due to rotating, cropping, and re-rotating. Rand Rot. (C8) applies a random C8 transform to the input before passing it to the aligner / model. Best non-oracle rows on rotated performance are bolded. For PRLC, the canonicalizers were the best performing ones from other datasets (STL10 for both ResNet50 and ViT). Thus, they were not trained specifically for ImageNet.

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6 ADDITIONAL RESULTS AND FIGURES

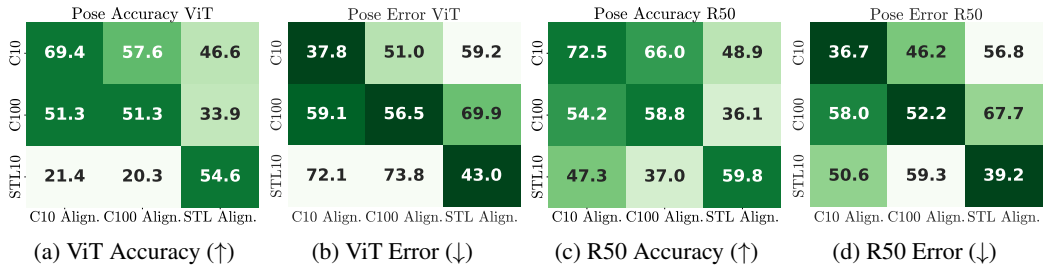


Figure 7: **FMC generalizes better across datasets when mixing up aligners and downstream models.** PRLC performance on pose estimation drops significantly when using a canonicalizer trained from a different dataset compared to FMC, which applies one technique across all settings. This result highlights the generalizability across datasets of an unsupervised approach.

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A EXPERIMENTAL SETUP

A.1 EXPERIMENTAL SETUP - 3D

For 3D, we first look at the CO3D (Reizenstein et al., 2021) dataset to measure how our FMC’s energy function correlates to 3D viewpoint quality. We compare the ranking of viewpoint frames by FMC energy compared to that of the probability of the ground truth label. We then look at Objaverse-LVIS (Deitke et al., 2022) to measure the effect of combining FMC with Zero123 (Liu et al., 2023) as the transformation generation function to simulate new 3D viewpoints from a single image. For Zero123 experiments, we rank the viewpoints by the probability of the ground truth label and then measure the difference in accuracy between the original Objaverse renders and that of the energy minimizing Zero123 render for the respective ranking bins.

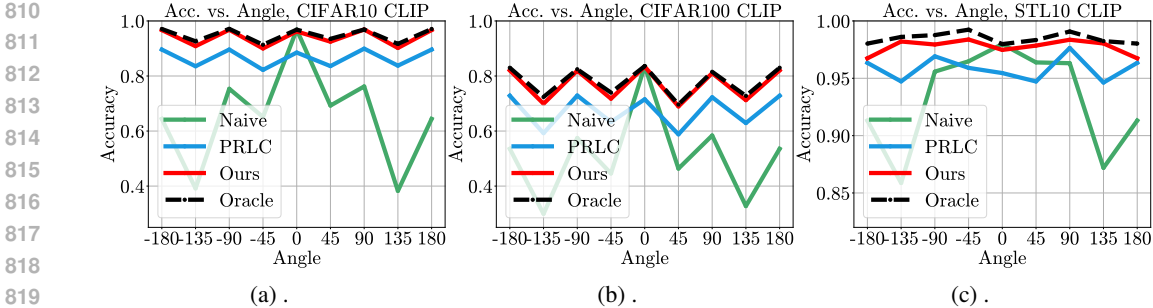


Figure 8: Accuracy vs. $C8$ angle on CLIP. Like on ResNet50, we find that using FMC leads to invariant predictions over angles, outperforming PRLC. The contrast is particularly clear for CLIP on CIFAR10 and CIFAR100, where our accuracy over angle is consistently above PRLC.

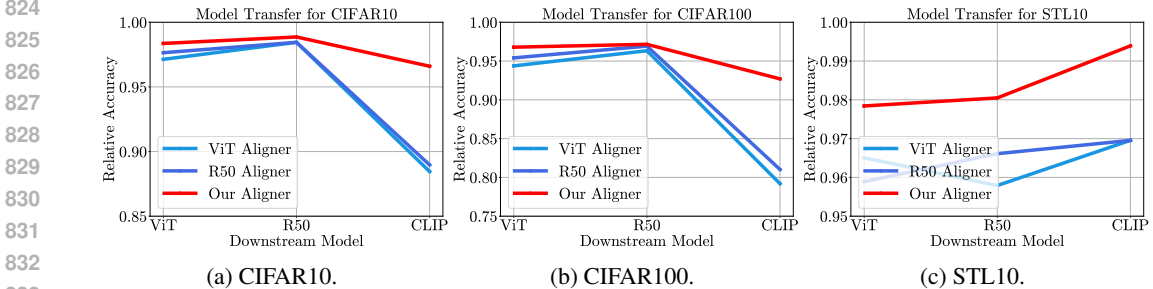


Figure 9: Transferring canonicalizers across models. We measure the effects of transferring canonicalizers across different downstream models by plotting the relative accuracy over the naive model. We find that FMC outperforms the PRLC aligners, particularly when transferring to CLIP on CIFAR10 and CIFAR100. These results show the ability of FMC to generalize across downstream models. All ViT and R50 models and aligners are PRLC-trained versions.

The model we use for both experiments is the fine-tuned version of CLIP from OVSEG (Liang et al., 2023) which is designed to work on background removed images, as Zero123 operates on such images. Please see the Appendix for more details on experimental setup.

A.2 EXPERIMENTAL SETUP – COLOR

We define the color shift transformation using the popular von Kries model (KRIES, 1905) where an illuminant vector with the RGB values $L = [L_R, L_G, L_B] \in \mathbb{R}^3$ is multiplied element-wise with every pixel in the image. We then generate this illuminant vector L by sampling in the log-chrominance space (Barron & Tsai, 2017). Specifically,

$$L_u, L_v \sim U[-1, 1] \tag{6}$$

$$[L_R, L_G, L_B] = \left[\frac{\exp(-L_u)}{z}, \frac{1}{z}, \frac{\exp(-L_v)}{z} \right] \tag{7}$$

where $z = \sqrt{\exp(-L_u)^2 + \exp(-L_v)^2} + 1$ is a normalizing constant and L_u, L_v are the log-chroma values sampled from the uniform distribution with range $[-1, 1]$. Intuitively, the log-chroma space defines the R/G and B/G ratios in log-space. A range of $[-1, 1]$ corresponds roughly to a $7\times$ change in the ratio between the minimum and maximum points of the range.

A.3 HYPERPARAMETERS FOR THE ENERGY FUNCTIONS

All hyperparameters were found using Bayesian Optimization with the same kernel and acquisition function mentioned in Section 4 and performed using the Bayesian Optimization Toolbox (Nogueira, 2014) for 300 time steps. Each energy hyperparameter was tuned on a small training or validation set by recording logits and finding the combination of energy functions that maximized accuracy.

864 For experiments on ImageNet, CIFAR10, CIFAR100, and STL10, we only used the classification
865 energy for computational efficiency. This setting can be reduced to a single free parameter, which
866 we denote α_{logit} . The coefficient for mean logit is thus α_{logit} and the coefficient for max logit is
867 $(1 - \alpha_{\text{logit}})$.

868 Specifically, the α_{logit} coefficients we found were: 0.59 for CIFAR10, CIFAR100, and ImageNet,
869 0.73 for STL10, and 0.64 for our method applied with PRLC’s classifiers. For segmentation, the
870 α_{logit} is 0.74 with a diffusion energy factor of 0.94 and a segmentation energy factor of 1.12. For
871 ImageNet, we also found it helpful to include the mean of top-5 logits with a factor of 0.08.

872 For diffusion energy, we subsample the time steps to range from 500 to 1000 with a stride of 20.
873 This is primarily for computational efficiency.

875 A.4 3D

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877 For our CO3D experiments, we take 10 random videos from each class, and sample 50 random
878 frames from each video. We crop and preprocess the view following the pipeline in (Liu et al.,
879 2023). Like Appendix A.3, we tune the energy hyperparameter with Bayesian Optimization using
880 a 10% subset of the data. The metric optimized is the difference in mean accuracy of the best five
881 ranks and the worst five ranks. We sort the frames by energy and bin them by their respective video
882 frame ranks, and then compute the accuracy of each rank over the videos. The α_{logit} coefficient
883 found was 1.31.

884 For Objaverse-LVIS (Deitke et al., 2022), we render 400 objects at 36 views, corresponding to the
885 upper hemisphere of azimuth and elevation angles at an interval of 30 degrees. This generates the
886 test set of images with different viewpoints to evaluate on. Then, to evaluate FMC, we start at each
887 Objaverse render, simulate Zero123 (Liu et al., 2023) generated images at azimuth circles of an
888 interval of 30 degrees at elevation angles of [-60, -30, 0, 30, 60], taking the minimum energy (best)
889 Zero123 generation as the canonical form. Like for CO3D, we rank the frames, sort and bin them,
890 and compute the accuracy for each rank. However, to isolate the effects of Zero123 on FMC, we
891 rank both the baseline and FMC curves by the probability of the ground truth mask as a proxy for
892 the true ranking of viewpoint. We use the same Bayesian Optimization setting as CO3D. The α_{logit}
893 coefficient found was 0.79.

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