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# Autodecoding Latent 3D Diffusion Models

## Supplementary Material

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## 1 A Additional Experiments and Results

### 2 A.1 Geometry Generation Evaluation

3 Following the point cloud evaluation protocol of [1], we measure the Coverage Score (COV) and the  
4 Minimum Matching Distance (MMD) for points sampled from our generated density volumes. Given  
5 a distance metric for two point clouds  $X$  and  $Y$ , e.g. the Chamfer Distance (CD),

$$CD(X, Y) = \sum_{x \in X} \min_{y \in Y} \|x - y\|_2 + \sum_{y \in Y} \min_{x \in X} \|x - y\|_2, \quad (1)$$

6 COV measures the *diversity* of the generated point cloud set  $S_g$ , with respect to a reference point  
7 cloud set  $S_r$ , by finding the closest neighbor in the reference set to each one in the sample set, and  
8 computing the fraction of the reference set covered by these samples:

$$COV(S_g, S_r) = \frac{|\{\arg \min_{Y \in S_r} CD(X, Y) | X \in S_g\}|}{|S_r|}. \quad (2)$$

9 MMD, in contrast, measures the the overall *quality* of these samples, by measuring the average  
10 distance between each sampled point cloud and its closest neighbor in the reference set:

$$MMD(S_g, S_r) = \frac{1}{|S_r|} \sum_{Y \in S_r} \min_{X \in S_g} CD(X, Y). \quad (3)$$

11 We compute these metrics for the PhotoShape Chairs and ABO Tables datasets, comparing our  
12 generated results to points sampled from the the same reference meshes used in the data splits from  
13 the evaluations in DiffRF [18]. For each generated object, we sample 2048 points from a mesh  
14 extracted from the decoded density volume  $V^{\text{Density}}$  (see Sec. 3.1) using the Marching Cubes [16]  
15 algorithm. We use a volume of resolution  $64^3$  and  $128^3$  for training the Chairs and Tables models,  
16 respectively. However, we note that downsampling these density volumes to  $32^3$ , as is used in  
17 DiffRF, before applying this point-sampling operation did not noticeably impact the results of these  
18 evaluations.

19 The results can be seen in Tab. 4, alongside the perceptual metrics from the main paper. Interestingly,  
20 these results show that, despite the increased flexibility of our approach, and DiffRF’s restrictive use  
21 of both 2D rendering and 3D supervision on synthetic data when training their diffusion model, we  
22 obtain comparable or superior geometry compared to their approach, while substantially increasing  
23 the overall perceptual quality for these datasets. We also substantially outperform prior state-of-the-art  
24 approaches using GAN-based [2, 3] methods across both perceptual and geometric comparisons with  
25 these metrics.

| Method         | PhotoShape Chairs [22] |              |              |              | ABO Tables [4] |              |              |              |
|----------------|------------------------|--------------|--------------|--------------|----------------|--------------|--------------|--------------|
|                | FID ↓                  | KID ↓        | COV ↑        | MMD ↓        | FID ↓          | KID ↓        | COV ↑        | MMD ↓        |
| $\pi$ -GAN [2] | 52.71                  | 13.64        | 39.92        | 7.387        | 41.67          | 13.81        | 44.23        | 10.92        |
| EG3D [3]       | 16.54                  | 8.412        | 47.55        | 5.619        | 31.18          | 11.67        | 48.15        | 9.327        |
| DiffRF [18]    | 15.95                  | 7.935        | 58.93        | <b>4.416</b> | 27.06          | 10.03        | <b>61.54</b> | 7.610        |
| Ours           | <b>15.05</b>           | <b>7.751</b> | <b>64.20</b> | 4.4450       | <b>18.44</b>   | <b>6.854</b> | 60.25        | <b>6.684</b> |

Table 4: **Quantitative comparison** of unconditional generation on the PhotoShape Chairs [22] and ABO Tables [4] datasets. Our method achieves a better perceptual quality, while maintaining similar geometric quality to the state-of-the-art diffusion-based approaches. MMD and KID scores are multiplied by  $10^3$ .

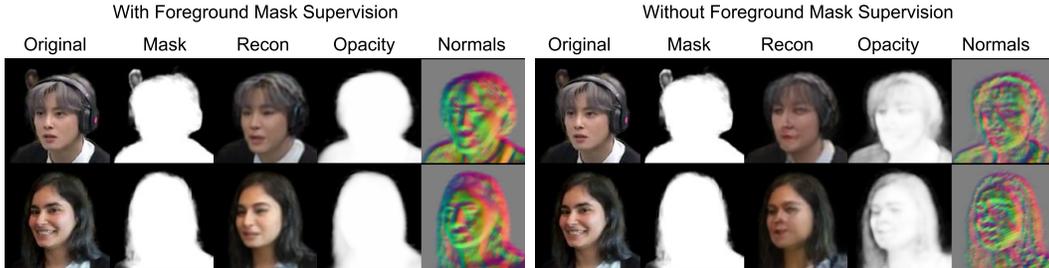


Figure 6: In real video datasets, *e.g.* CelebV-Text[36], we have a diverse set of foreground shapes and textures with a common background color. In these cases, we find that supervising the autoencoder with a foreground mask loss is important for the network to properly learn the shape of the object. Both examples shown after training for  $\sim 9$  million frames.

26 Figs. 7 and 8 show qualitative comparisons between the unconditional generation results rendered  
 27 using our method and DiffRF for each of these datasets. In each case, it is clear that for similar  
 28 objects, our method produces more coherent and complete shapes without missing features, *e.g.* legs,  
 29 and textures that are more realistic and detailed, leading to better and more consistent image synthesis  
 30 results.

## 31 A.2 Foreground Supervision

32 For some datasets with foregrounds with complex and varying appearance which can easily be mixed  
 33 with the background environment, we found it necessary to supplement our primary autoencoder  
 34 reconstruction loss (Sec. 3.2) with an additional foreground supervision loss. This loss measures  
 35 how well depicted objects are separated from the background during rendering. To evaluate the effect  
 36 of this foreground supervision, we ran experiments on the CelebV-Text [36] dataset both with and  
 37 without this loss. We conduct our training until the autoencoder has seen a total of 9 million frames  
 38 from the training set, then reconstruct examples from the learned embeddings.

39 The result can be seen in Fig. 6. As depicted, the reconstructions without foreground supervision  
 40 not only lack fidelity to the target appearance, but the estimated opacity and surfaces normals clearly  
 41 show that the overall geometry is insufficiently recovered.

## 42 A.3 Animated Results

43 Please see the corresponding supplementary web page for additional video results, showing  
 44 consistent novel-view synthesis for rigid objects from multi-category datasets and animated articulated  
 45 objects sampled using our approach, and results demonstrating both conditional and unconditional  
 46 generation.



Figure 7: **Qualitative comparison of unconditional generation** using DiffRF [18] (left) and our approach (right) on the ABO Tables dataset [4]. In contrast to DiffRF, we train diffusion in the latent features of an autoencoder. Decoupling the expensive and demanding training from the output voxel-grid size lets us increase the resolution of our 3D representation. For this dataset, our output voxel resolution is  $128^3$ , compared to the  $32^3$  resolution of DiffRF. Our method improves the perceptual quality of the results, as it is shown in the reported FID and KID.

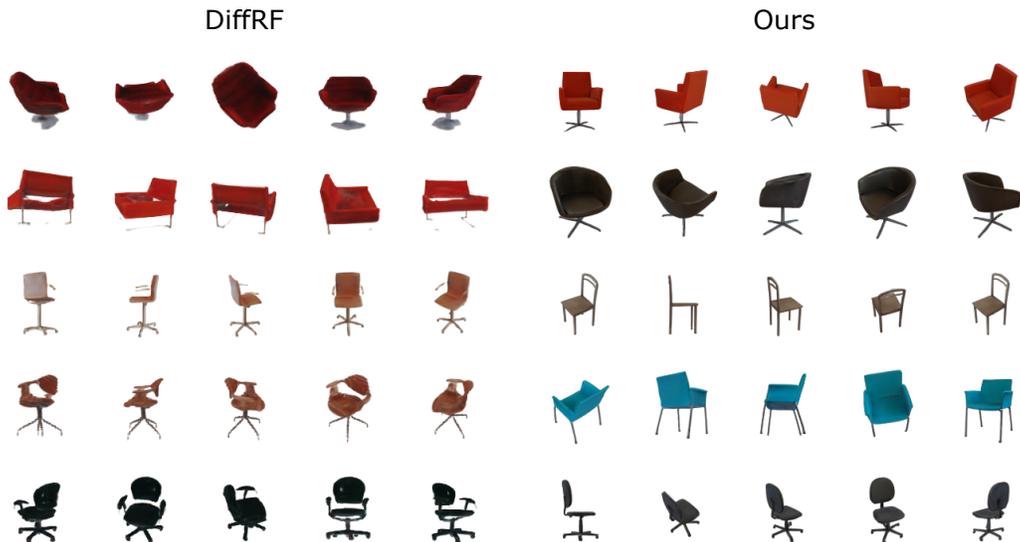


Figure 8: **Qualitative comparison of unconditional generation** using DiffRF [18] (left) and our approach (right) on the PhotoShapes Chairs dataset [22]. For this dataset, our output voxel resolution is  $64^3$ . As above, our results are both qualitatively and quantitatively superior.

## 47 B Method Details

### 48 B.1 Volumetric Autodecoder

49 **Volumetric Rendering.** We use learnable volumetric rendering [17] to generate the final images  
 50 from the final decoded volume. Given a camera intrinsic and extrinsic parameters for a target image,  
 51 and the radiance field volumes generated by the decoder, for each pixel in the image, we cast a ray  
 52 through the volume, sampling the color and density values to compute the color  $C(\mathbf{r})$  by integrating  
 53 the radiance along the ray  $\mathbf{r}(t) = \mathbf{o} + t\mathbf{d}$ , with near and far bounds  $t_n$  and  $t_f$ :

$$C(\mathbf{r}) = \int_{t_n}^{t_f} T(t)\delta(\mathbf{r}(t))\mathbf{c}(\mathbf{r}(t), \mathbf{d})dt, \quad (4)$$

54 where  $\delta$ ,  $\mathbf{c}$  are the density and RGB values from the radiance field volumes sampled along these rays,  
 55 and  $T(t) = \exp\left\{-\int_{t_n}^t \sigma(\mathbf{r}(s))ds\right\}$  is the accumulated transmittance between  $t_n$  and  $t$ .

56 To supervise the silhouette of objects, we also render the 2D occupancy map  $O$  using the volumetric  
 57 equation:

$$O(\mathbf{r}) = \int_{t_n}^{t_f} T(t)\delta(\mathbf{r}(t))dt. \quad (5)$$

58 We sample 128 points across these rays for radiance field rendering during training and inference.

59 **Articulated Animation.** As our approach is flexibly designed to support both rigid and articulated  
 60 subjects, we employ different approaches to pose supervision to better handle each of these cases.

61 For articulated subjects, poses are estimated during training, using a set of learnable 3D keypoints  
 62  $K^{3D}$  and their predicted 2D projections  $K^{2D}$  in each image in an extended version of the Perspective-  
 63 n-Point (PnP) algorithm [12]. To handle articulated animation, however, rather than learn a single  
 64 pose per image using these points, we assume that the target subjects can be decomposed into  $N_p$   
 65 regions, each containing  $N_k$  points  $K_p^{3D}$  points and their corresponding  $K_p^{2D}$  projections per image.  
 66 These points are shared across all subjects, and are aligned in the learned canonical space, allowing  
 67 for realistic generation and motion transfer between these subjects. This allows for learning  $N_p$  poses  
 68 per-frame defining the pose of each region  $p$  relative to its pose in the learned canonical pose.

69 To successfully reconstruct the training images for each subject thus requires learning the appropriate  
 70 canonical locations for each region’s 3D keypoints, to predict the 2D projections of these keypoints in  
 71 each frame, and the pose best matching the 3D points and 2D projections for these regions. We can  
 72 then use this information in our volumetric rendering framework to sample appropriately from the  
 73 canonical space such that the subject’s appearance and pose are consistent and appropriate throughout  
 74 their video sequence. Using this approach, this information can be learned along with our autodecoder  
 75 parameters for articulated objects using the reconstruction and foreground supervision losses used for  
 76 our rigid object datasets.

77 As noted in Sec. 3.2, to better handle non-rigid shape deformations corresponding to this articulated  
 78 motion, we employ volumetric linear blend skinning (LBS) [13]. This allows us to learn the weight  
 79 each component  $p$  in the canonical space contributes to a sampled point point in the deformed space  
 80 based on the spatial correspondence between these two spaces:

$$x_d = \sum_{p=1}^{N_p} w_p^c(x_c) (R_p x_c + \text{tr}_p), \quad (6)$$

81 where  $T_p = [R_p, \text{tr}_p] = [R^{-1}, -R^{-1} \text{tr}]$  is the estimated pose of part  $p$  relative to the camera (where  
 82  $T = [R, \text{tr}] \in \mathbb{R}^{3 \times 4}$  is the estimated camera pose with respect to our canonical volume);  $x_d$  is the  
 83 3D point deformed to correspond to the current pose;  $x_c$  is its corresponding point when aligned in  
 84 the canonical volume; and  $w_p^c(x_c)$  is the learned LBS weight for component  $p$ , sampled at position  
 85  $x_c$  in the volume, used to define this correspondence.<sup>1</sup>

<sup>1</sup>In practice, as in [30], we compute an approximate solution using the inverse LBS weights following HumanNeRF [33] to avoid the excessive computation required by the direct solution.

86 Thus, for our non-rigid subjects, in addition to the density and color volumes needed to integrate  
87 Eqns. 4 and 5 above, our autodecoder learns to produce a volume  $V^{LBS} \in \mathbb{R}^{S^3 \times N_p}$  containing the  
88 LBS weights for each of the  $N_p$  locally rigid regions constituting the subject.

89 We assign  $N_k = 125$  3D keypoints to each of the  $N_p = 10$  regions. For these tests, we assume  
90 fixed camera intrinsics with a field-of-view of 0.175 radians, as in [19]. We use the differentiable  
91 Perspective-n-Point (PnP) algorithm [12] implementation from PyTorch3D [26] to accelerate this  
92 training process.

93 As this approach suffices for objects with standard canonical shapes (*e.g.*, human faces) performing  
94 non-rigid motion in continuous video sequences, we employ this approach for our tests on the  
95 CelebV-Text dataset. While in theory, such an approach could be used for pose estimation for  
96 rigid objects (with only 1 component) in each view, for we find that this approach is less reliable  
97 for our rigid object datasets, which contain sparse, multi-view images from randomly sampled,  
98 non-continuous camera poses, depicting content with drastically varying shapes and appearances  
99 (*e.g.*, the multi-category object datasets described below). Thus, for these objects, we use as input  
100 either known ground-truth or estimated camera poses (using [28]), for synthetic renderings or real  
101 images, respectively. While some works [32, 14, 35] perform category-agnostic object or camera  
102 pose estimation without predefined keypoints from sparse images of arbitrary objects or scenes,  
103 employing such techniques for such data is beyond the scope of this work.

104 **Architecture.** Our volumetric autodecoder architecture follows that of [30], with the key extensions  
105 described in this work. Given an embedding vector  $\mathbf{e}$  of size 1024, we use a fully-connected layer  
106 followed by a reshape operation to transform it into a  $4^3$  volume with 512 features per cell. This is  
107 followed by a series of four 3D residual blocks, each of which upsamples the volume resolution in  
108 each dimension and halves the features per cell, to a final resolution of  $64^3$  and 32 features.<sup>2</sup> These  
109 blocks consist of two  $3 \times 3 \times 3$  convolution blocks each followed by batch normalization in the main  
110 path, while the residual path consists of four  $1 \times 1 \times 1$  convolutions, with ReLU applied after these  
111 operations. After the first of these blocks we have the  $8^3$  volume with 256 features per cell used for  
112 training our diffusion network, as in our final experiments. In this and the subsequent block, we apply  
113 self-attention layers [31] as described in Sec. 3.1. After the final upsampling block, we apply a final  
114 batch normalization followed by a  $1 \times 1 \times 1$  convolution to produce the final  $1 + 3$  density  $V^{\text{Density}}$   
115 and RGB color features  $V^{\text{RGB}}$  used in our volumetric renderer.

116 **Non-Rigid Architecture.** For non-rigid subjects, our architecture produces  $1 + 3 + 10$  output  
117 channels, with the latter group with the LBS weights for the  $n_p = 10$  locally rigid components each  
118 region corresponds to in our canonical space. Our unsupervised 2D keypoint predictor uses the U-Net  
119 architecture of [29], which operates on a downsampled  $64 \times 64$  input image to predict the locations  
120 of the keypoints corresponding to each of the 3D keypoints used to determine the pose of the camera  
121 relative to each region of the subject when it is aligned in the canonical volumetric space.

## 122 B.2 Latent 3D Diffusion

123 **Diffusion Architecture and Sampling.** For our base diffusion model architecture, we use the Ablated  
124 Diffusion Model (ADM) of Dhariwal *et al.* (2021) [7], a U-Net architecture originally designed for  
125 2D image synthesis. We incorporate the preconditioning enhancements to this model described in  
126 Karras *et al.* (2022) [9]. As this architecture was originally designed for 2D, we adapt all convolutions  
127 and normalizations operations, as well as the attention mechanisms, to 3D.

128 For the cross-attention mechanism used for our conditioning experiments, we likewise extend the  
129 latent-space cross-attention mechanism from Rombach *et al.* (2022) [27] to our 3D latent space.

130 **Robust Normalization.** Autoencoder-based latent diffusion models impose a prior to the learned  
131 latent vector [27]. We find the latent features learned by our 3D autodecoder already form a bell-like  
132 curve. However, we also observe extreme values that can severely affect the calculation of the  
133 mean and standard deviation. As discussed in the main manuscript, we deploy the use of *robust*  
134 *normalization* to adjust the latent features. In particular, we take the *median*  $m$  as the center of the  
135 distribution and approximate its scale using the Normalized InterQuartile Range (IQR) [34] for a  
136 normal distribution:  $0.7413 \times IQR$ . We visualize its effect in Fig. 9. This is a crucial aspect of our  
137 approach, as in our experiments we find that without it, our diffusion training is unable to converge.

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<sup>2</sup>We add one block to upsample to  $128^3$  for our aforementioned experiments with the ABO Tables dataset.

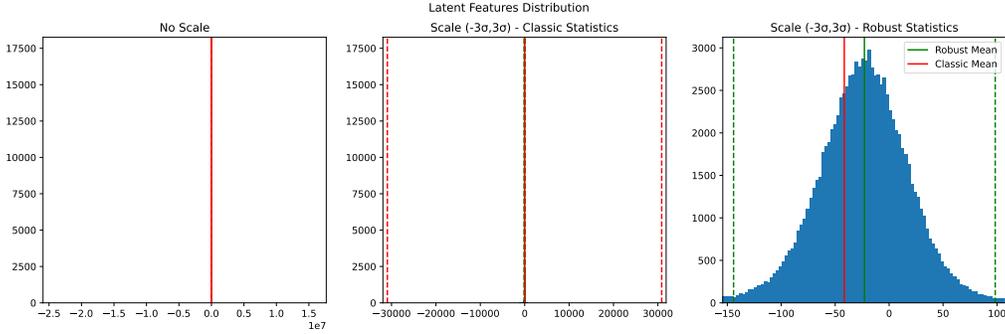


Figure 9: We present the latent feature distribution of a 3D *AutoDecoder* trained on MVImgNet[37]. The features are extracted at the  $8^3$  resolution, where we apply diffusion. The three subplots show different levels of “zooming in.” We see that the distribution spans a great range due to extreme outliers. Using classic mean and standard deviation computation, as we see in the middle subplot, still provides quite a large range of values. Normalizing the features using classic statistics leads to convergence failure for the diffusion model. We propose using robust statistics to normalize the distribution to  $[-1, 1]$ , before training the diffusion model. During inference, we de-normalize the diffusion output before feeding them to the upsampling layers of the autodecoder.



Figure 10: **Qualitative comparison of models trained at different latent resolutions.** All visualizations produced with 64 diffusion steps. We find that the model train on  $8^3$  latent features gives the best trade-off between quality and training speed, rendering it the best option for training on large-scale 3D datasets.

138 **Ablating the latent volume resolution used for diffusion.** We trained three diffusion models  
 139 models for the same time, resources, and number of parameters, for diffusion at 3 resolutions in our  
 140 autodecoder:  $4^3$ ,  $8^3$ , and  $16^3$ . We find that the  $4^3$  models, even when they train faster, often fail to  
 141 converge to something meaning full and produce partial results. Most samples produced by the  $16^3$   
 142 models are of reasonable quality. However, many samples also exhibit spurious density values. We  
 143 hypothesize that this is due to the model being under-trained. The  $8^3$  model produces the best results,  
 144 and its fast training speed makes it suitable for large-scale training. We visualize the results in Fig. 10

## 145 C Implementation Details

### 146 C.1 Dataset Filtering

147 **CelebV-Text [36].** Some heuristic filtering was necessary to obtain sufficient video quality and  
 148 continuity for our purposes. We omit the first and last 10% of each video to remove fade-in/out  
 149 effects, and any frames with less than 25% estimated foreground pixels. We also remove videos with  
 150 less than 4 frames remaining after this, and any videos less than 200 kilobytes due to their relatively  
 151 low quality. We also omit a small number of videos that were unavailable for download at the time of  
 152 our experiments (the dataset is provided as a set of URLs for the video sources).

153 **MVImgNet [37].** For these annotated video frames depicting real objects in unconstrained settings  
154 and environments, we applied Grounded Segment Anything [11] for background removal. However,  
155 as this process sometimes failed to produce acceptable segmentation results, we apply filtering to  
156 detect these case. We first remove objects for which Grounding DINO [15] fails to detect bounding  
157 boxes. We then fit our volumetric autodecoder (Secs. 3.1-2) to only the *masks* produced by this  
158 segmentation (as monochrome images with a white foreground and a black background). For objects  
159 that are properly segmented in each frame, this produces a reasonable approximation of the object’s  
160 shape that is consistent in each of the input frames, while objects with incorrect or inconsistent  
161 segmentation will not be fit properly to the input images. Thus, objects for which the fitting loss is  
162 unusually high are removed.

163 **Objaverse [5].** While Objaverse contains  $\sim 800\text{K}$  3D models, we found that the overall quality of  
164 these varied greatly, making many of them unsuitable for multi-view rendering. We thus filtered  
165 models without texture, material maps, or other color and appearance properties suitable, as well as  
166 models with an insufficient polygon count for realistic rendering. Interestingly, given the simplicity  
167 of the objects when rendered against a monochrome background, we found that the foreground  
168 segmentation supervision used for the other experiments described in Sec. 3.2 of the main paper was  
169 unnecessary. Given the scale of this dataset ( $\sim 300\text{K}$  unique objects, with 6 frames per object), we  
170 thus omit this loss from our training process for this dataset for our final experiments for the sake of  
171 improved training efficiency. For datasets with more complex motion and real backgrounds, such  
172 as the real image datasets mentioned above, we found this supervision to be essential, as shown in  
173 Sec. A.2 and Fig. 6.

174 **Training Details.** Our experiments are implemented in the PyTorch [23, 24], using the  
175 PyTorch Lightning [8] framework for fast automatic differentiation and scalable GPU-accelerated  
176 parallelization. For calculating the perceptual metrics (FID and KID), we used the Torch Fidelity [21]  
177 library.

178 We run our experiments on 8 NVIDIA A100 40GB GPUs per node. For some experiments, we use a  
179 single node, while for larger-scale experiments, we use up to 8 nodes in parallel.

180 We use the Adam optimizer [10] to train both the autodecoder and the diffusion Model. For the first  
181 network, we use a learning rate  $lr = 5e - 4$  and beta parameters  $\beta = (0.5, 0.999)$ . For diffusion, we  
182 set the learning rate to  $lr = 4.5e - 4$ . We apply linear decay to the learning rate.

183 **Preparing the Text Embeddings for Text-Driven Generation.** We train our model for text-  
184 conditioned image generation on three datasets: CelebV-Text [36], MVImgNet [37] and Objaverse [5].  
185 The two latter datasets provide the object category of each sample, but they do not provide text  
186 descriptions. Using MiniGPT4 [38], we extract a description by providing a *hint* and the first view  
187 of each object along with the question: “<Img><ImageHere></Img> Describe this <hint> in one  
188 sentence. Describe its shape and color. Be concise, use only a single sentence.” For MVImgNet, this  
189 hint is the “class name”, while it is the “asset name” for Objaverse.

190 With the text-image pairs for these three datasets, we use the 11-billion parameter T5 [25] model to  
191 extract a sequence of text-embedding vectors. The dimensionality of these vectors is 1024. During  
192 training, we fix the length of the embedding sequence to 32 elements. We trim longer sentences and  
193 pad smaller sentences with zeroes.

## 194 D Additional Observations from Our Experiments

### 195 D.1 Hash Embedding

196 Each object in the training set is encoded by an embedding vector. However, as we employ multi-  
197 view datasets of various scales, up to  $\sim 300\text{K}$  unique targets from multiple categories, storing a  
198 separate embedding vector for each object depicted in the training images is burdensome<sup>3</sup>. As such,  
199 we experimented with a technique enabling the effective use of a significantly reduced number of  
200 embeddings (no more than  $\sim 32\text{K}$  are required for any of our evaluations), while allowing effective  
201 content generation from large-scale datasets.

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<sup>3</sup>*E.g.*, the codebook *alone* would require *six* times the parameters of the largest model in our experiments.

|                                  | <i>ABO-Tables</i> | <i>Chairs</i>    | <i>CelebV-Text</i> | <i>MVImgNet</i>  | <i>Objaverse</i> |
|----------------------------------|-------------------|------------------|--------------------|------------------|------------------|
| <i>3D AutoDecoder</i>            |                   |                  |                    |                  |                  |
| <i>z</i> -length                 | 1024              | 1024             | 1024               | 1024             | 1024             |
| MaxChannels                      | 512               | 512              | 512                | 512              | 512              |
| Depth                            | 2                 | 4                | 2                  | 4                | 4                |
| SA-Resolutions                   | 8,16              | 8,16             | 8,16               | 8,16             | 8,16             |
| ForegroundLoss $\lambda$         | 10                | 10               | 10                 | 10               | 0                |
| #Renders/batch                   | 4                 | 4                | 4                  | 4                | 4                |
| VoxelGridSize                    | $128^3 \times 4$  | $64^3 \times 4$  | $64^3 \times 14$   | $64^3 \times 4$  | $64^3 \times 4$  |
| Learning Rate                    | 5e-4              | 5e-4             | 5e-4               | 5e-4             | 5e-4             |
| <i>Latent 3D Diffusion Model</i> |                   |                  |                    |                  |                  |
| <i>z</i> -shape                  | $8^3 \times 256$  | $8^3 \times 256$ | $8^3 \times 256$   | $8^3 \times 256$ | $8^3 \times 256$ |
| Sampler                          | edm               | edm              | edm                | edm              | edm              |
| Channels                         | 128               | 128              | 192                | 192              | 192              |
| Depth                            | 2                 | 2                | 3                  | 3                | 3                |
| Channel Multiplier               | 3,4               | 3,4              | 3,4                | 3,4              | 3,4              |
| SA-resolutions                   | 8,4               | 8,4              | 8,4                | 8,4              | 8,4              |
| Learning Rate                    | 4.5e-5            | 4.5e-5           | 4.5e-5             | 4.5e-5           | 4.5e-5           |
| Conditioning                     | None              | None             | None/CA            | None/CA          | None/CA          |
| CA-resolutions                   | -                 | -                | 8,4                | 8,4              | 8,4              |
| Embedding Dimension              | -                 | -                | 1024               | 1024             | 1024             |
| Transformers Depth               | -                 | -                | 1                  | 1                | 2                |

Table 5: Architecture details for our models for each dataset. *SA* and *CA* stand for *Self-Attention* and *Cross-Attention* respectively. *z* refers to our 1D embedding vector and our latent 3D volume for the autoencoder and diffusion models, respectively. Note that for CelebV-Text, the output volume has 14 channels per cell: 3 for color values, 1 for density and 10 for part assignment.

202 Similar to the approach in [20], we instead employ concatenations of smaller embedding vectors to  
203 create more combinations of unique embedding vectors used during training. For an embedding vector  
204 length  $l_v$ , the input embedding vector  $H_k \in \mathbb{R}^{l_v}$  used for an object to be decoded is a concatenation  
205 of smaller embedding vectors  $h_i^j$ , where each vector is selected from an ordered codebook with  $n_c$   
206 entries, with each entry containing collection of  $n_h$  embedding vectors of length  $l_v/n_c$ :

$$H_k = [h_1^{k_1}, h_2^{k_2}, \dots, h_{n_c}^{k_{n_c}}], \quad (7)$$

207 where  $k_i \in \{1, 2, \dots, n_h\}$  is the set of indices used to select from the  $n_h$  possible codebook entries for  
208 position  $i$  in the final vector. This method allows for exponentially more combinations of embedding  
209 vectors to be provided during training than must be stored in learned embedding vector library.

210 However, while in [20], the index  $j$  for the vector  $h_i^j$  at position  $i$  is randomly selected for each  
211 position to access its corresponding codebook entry, we instead use a deterministic mapping from  
212 each training object index to its corresponding concatenated embedding vector. This function is  
213 implemented using a hashing function employing the multiplication method [6] for fast indexing  
214 using efficient bitwise operations. For object index  $k$ , the corresponding embedding index is:

$$m(k) = [(a \cdot k) \bmod 2^w] \gg (w - r), \quad (8)$$

215 where the table has  $2^r$  entries.  $w$  and  $a$  are heuristic hashing parameters used to reduce the number of  
216 collisions while maintaining an appropriate table size. We use 32 for  $w$ .  $a$  must be an odd integer  
217 between  $2^{w-1}$  and  $2^w$  [6]. We give each smaller codebook its own  $a$  value:

$$a_i = 2^{w-1} + 2 * i^2 + 1, \quad (9)$$

218 where  $i$  is the index of the codebook.

219 **Discussion.** In our experiments, we found that employing this approach had negligible impact on  
220 the overall speed and quality of our training and synthesis process. During training the memory of  
221 the GPU is predominantly occupied by the gradients, which are not affected by this hashing scheme.  
222 For Objaverse, our largest dataset using  $\sim 300\text{K}$  images, using this technique saves approximately  
223 800MB of storage space.

224 Interestingly, this also suggests that scaling this approach to larger datasets, should they become  
225 available, will require special handling. Learning this per-object embedding would soon become  
226 intractable. However, simply using this *hash embedding* approach reduces the model storage  
227 requirements by  $\sim 75\%$  for this dataset.

228 In our experiments, we use hashing for ABO Tables, CelebV-Text and Objaverse, with codebook  
229 sizes  $n_c =$  of 256, 8192 and 32768, respectively. We set the number of smaller codebooks ( $n_h$ ) to  
230 256 for each dataset.

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