
EFloat: Entropy-coded Floating Point Format for Deep Learning

Supplementary Material

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1 A Appendix

2 Figures 1 and 2 present patterns observed in the significands of FP32 values of various pre-trained
3 vector embedding models used in the evaluation of EFloat format. Figure 1 plots the frequency
4 distribution of the most significant significantand digit in the decimal representation of the FP32
5 values. Occurrences of these digits follow a logarithmically decreasing distribution, called Benford's
6 law (Newcomb (1881); Benford (1938)). According to Benford's Law, the number 1 occurs as the
7 most significant digit about 30.1% of time, number 2 17.6% of time, and so on. The logarithmic
8 reduction leads to the number 9 being at the most significant location around 4.6% of time.

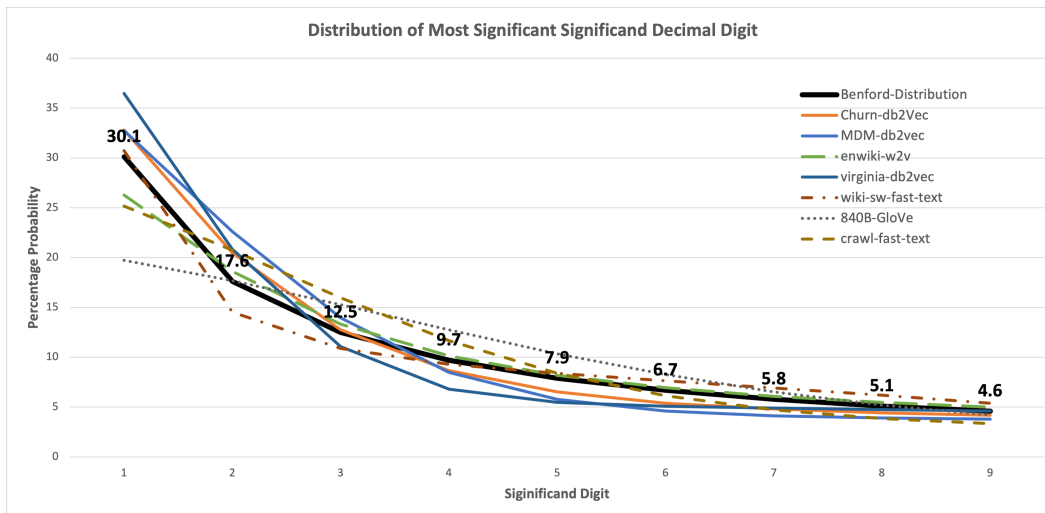


Figure 1: The most significant decimal digit in the significantand of FP32 values in various vector embedding models follows the Benford distribution.

9 Figure 2 presents a bit-specific view of the same datasets. In this Figure, we report the aggregate
10 distribution of a particular bit location having the value 1 for 23 significantand bits computed over all
11 FP32 entries of the selected vector embedding models. As we observe, the distribution exhibits a
12 knee at location 7; the first 7 bits show an increase in the probability of the bit value being 1 from
13 41.51% to 49.88%; the remaining bits exhibit probabilities around 50%. In other words, it is more
14 likely to see bit values being 0 in the most significant bit locations of FP32 values in the pre-trained
15 vector embedding models.

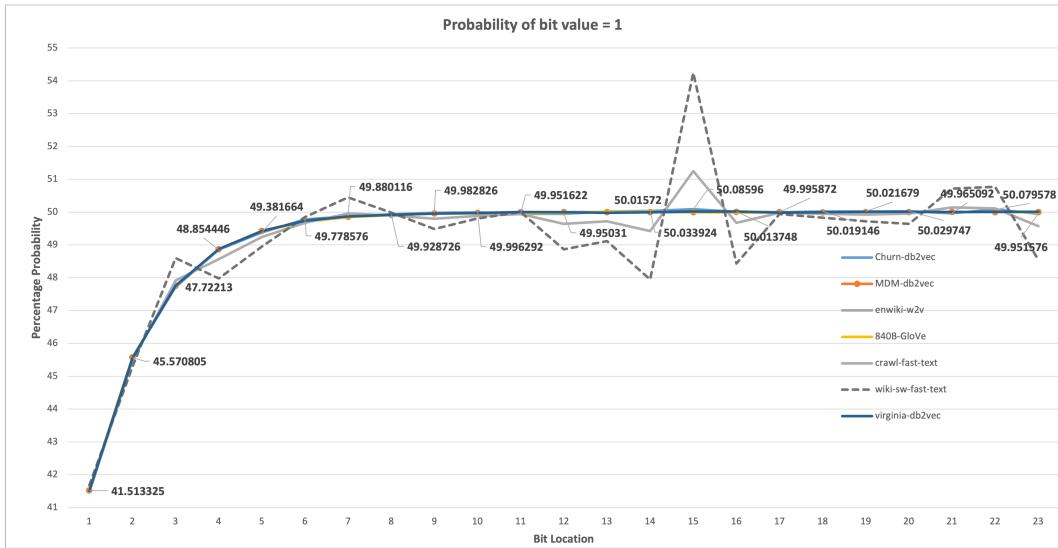


Figure 2: Distribution of a bit value being 1 at different bit locations in the significand of FP32 values in various vector embedding models.

16 **References**

17 Frank Benford. 1938. The law of anomalous numbers. In *Proc. American Philosophical Society*,
 18 Vol. 78. 551–572.

19 Simon Newcomb. 1881. Note on the frequency of use of the different digits in natural numbers.
 20 *American Journal of Mathematics* 4, 1/4 (1881), 39–40.