
TabMT Supplementary Material

A Additional Figures

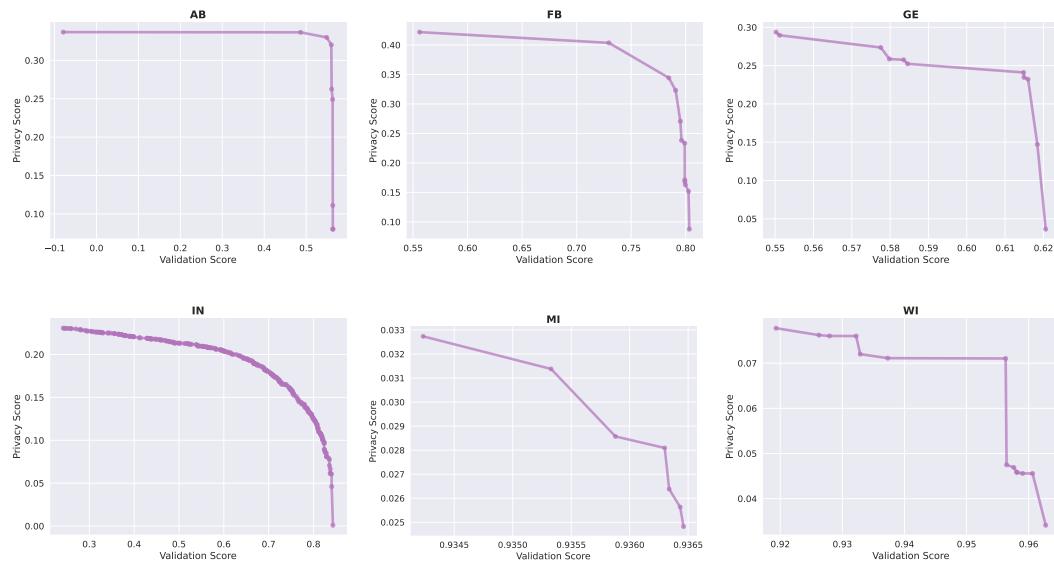


Figure 1: Additional Pareto Fronts

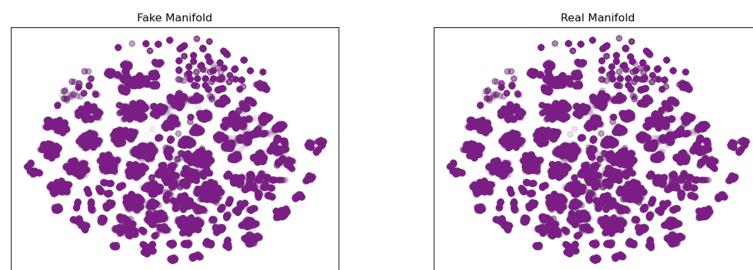


Figure 2: Fake and Real Data Manifolds on the CIDDS-001[10] dataset for TabMT using PaCMAP[12]

B Additional Tables

Hyperparameter	Search Space
Network Dim.	Range(16, 512, 16)
Num. of Heads	Choice(1, 2, 4, 8, 16)
Network Depth	Range(2, 12, 2)
Drop Path Rate	Range(0.0, 0.25, 0.05)
Dropout Rate	Range(0.0, 0.5, 0.05)
Learning Rate	LogInterval(5e-5, 5e-3)
Weight Decay	LogInterval(0.001, 0.03)
Max Steps	Range(10000, 40000, 5000)
Batch Size	Range(256, 2048, 256)
Max Bins	Range(10, 200, 10)
Data Multiplier	8
Gen. Batch Size	512
Optimizer	AdamW[7]
Annealing	Cosine
Quantizer	KMeans
Num. Trials	50

Table 1: The hyperparameter search space for training TabMT. Max bins represents the maximum number of bins used during quantization of continuous attributes. We find many hyperparameters in this search space to be unimportant to final model quality, as such the space can likely be pruned for better tuning results. We use the Optuna[1] framework with default settings for optimization

Field	Type
Date	timestamp
Source IP	categorical
Destination IP	categorical
Protocol	categorical
Source Port	categorical
Destination Port	categorical
Duration	continuous
Bytes	ordinal
Packets	ordinal
Flags	categorical
Type of Service	categorical

Table 2: Original Netflow Structure

Field	Cardinality
Weekday	7
Hour	24
Minute	60
Second	60
Millisecond	1000
Source IP	51092
Destination IP	50923
Protocol	5
Source Port	61700
Destination Port	61448
Duration	37787
Bytes	181536
Packets	10489
Flags	34
Type of Service	5

Table 3: Post-processed Netflow Structure.
All fields are processed to be categorical variables for training.

Hyperparameter	Search Space
τ_i sampler	Interval(0.5, 5.0) NSGAII[3]

Table 4: Hyperparamters used when tuning temperatures, we search a separate temperature for each field, optimizing privacy and ML Efficiency simultaneously. This can certainly be done more efficiently, as NSGAII is sample inefficient for this use case. We also use the full 8x data multiplier when searching here, using a smaller multiplier or number of trial repeats during search would speed this up significantly. We didn't use an explicit trial budget and qualitatively evaluated convergence. This took 0.25-5 GPU days except for MI and FB which each took roughly 15.

DS	CTabGAN+	TabMT
AB	0.075(0.467)	0.249 (0.533)
AD	0.119(0.772)	1.01 (0.811)
BU	0.164(0.864)	0.165 (0.908)
CA	0.056(0.525)	0.117 (0.832)
CAR	0.012(0.733)	0.041 (0.737)
CH	0.212(0.702)	0.281 (0.758)
DI	0.196(0.734)	0.243 (0.740)
FB	0.427(0.509)	0.429 (0.566)

Table 5: DCR scores for CTabGAN+ and TabMT. MLE scores are in parentheses. We win on both privacy and MLE for all tested datasets. Our increased privacy on FB vs. the main privacy table demonstrates our models unique ability to control the trade-off between MLE and DCR

DS	STaSY	TabMT
AB	0.482	0.535
AD	0.790	0.814
BU	0.881	0.908
CA	0.762	0.838
CAR	0.725	0.738
CH	0.738	0.741
DI	0.727	0.769

Table 6: Preliminary MLE scores for a recent work, STaSY[4], compared to TabMT. TabMT obtains a higher score on all tested datasets. MLP Width, depth, and learning rate were included in the search.

C Pseudocode

Snippet 1: Ordered Embedding

```
class OrderedEmbedding:
    def __init__(self, occ: Tensor, dim: int):
        # occ: ordered cluster centers
        self.E = zeros(len(occ), dim)
        self.l = randn(dim) * 0.05
        self.h = randn(dim) * 0.05
        self.r = (occ - occ[0]) / (occ[-1] - occ[0])

    @property
    def weight(self):
        return self.r * self.l + (1 - self.r) * self.h + self.E

    def forward(self, idx: Tensor):
        return self.weight[idx]
```

Snippet 2: Dynamic Linear layer

```
class DynamicLinear:
    def __init__(self, embedding: OrderedEmbedding | Embedding):
        self.E = embedding
        self.temp = ones(1)
        self.bias = zeros(len(embedding))

    def forward(self, x: Tensor):
        raw_logits = x @ self.E.weight.T + self.bias
        return raw_logits / sigmoid(self.temp)
```

Snippet 3: Training step

```
def training_step(mdl: MaskedTransformer, batch: Tensor):
    mask = rand_like(batch) > rand(len(batch), 1)
    preds = mdl(batch, mask)
    batch[~mask] = -1 #ignore unmasked entries in loss
    loss = cross_entropy(preds, batch)

    return loss
```

Snippet 4: Batched generation

```
def gen_batch(mdl: MaskedTransformer, n: int, l: int, temps: Tensor):
    batch = zeros(n, l)
    mask = ones_like(batch)

    for i in randperm(l):
        preds = mdl(batch, mask)
        batch[:, i] = Categorical(logits=preds[i] / temps[i]).sample()
        mask[:, i] = False
    return batch
```

MaskedTransformer: We use a standard Transformer Encoder architecture. We use learned positional embeddings initialized with normal distribution with $\sigma = 0.01$. We use a LayerNorm before the DynamicLinear layers. Our mask token is initialized with a normal distribution as well with $\sigma = 0.05$, to match the other embeddings.

Embedding: We use a standard embedding initialized with a normal distribution and $\sigma = 0.05$, and no magnitude clipping or rescaling during training.

D Dataset Info

For comparison, we use the same datasets and splits as Kotelnikov et al. [6] in our main comparison. We list them below along with their sources.

- **AB:** Abalone: OpenML, CC License
- **AD:** Adult ROC[5]: UCI Data Repo, CC License
- **BU:** Adopt a Buddy: Kaggle, Other
- **CA:** California Housing[9]: Kaggle, CC License
- **CAR:** Cardiovascular Disease: Kaggle, CC License
- **CH:** Churn Modeling: Kaggle, CC License
- **DI:** Diabetes: OpenML, CC License
- **FB:** Facebook Comment Volume[11]: UCI Data Repo, CC License
- **GE:** Gesture Phase Prediction[8]: UCI Data Repo, CC License
- **HI:** Higgs (98K)[2]: OpenML, CC License
- **HO:** House 16H: OpenML, CC License
- **IN:** Medical Costs, Kaggle, ODbL
- **KI:** King Count Housing Prices: OpenML, CC License
- **MI:** MiniBOONE Particle Prediction: OpenML, CC License
- **WI:** Wilt Remote Sensing: OpenML, CC License

We additionally use the CIDDS-001[10] dataset for scaling experiments, which has a CC license.

References

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