CERTIFIED ROBUSTNESS TO CLEAN-LABEL POISONING USING DIFFUSION DENOISING

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ABSTRACT

We present a certified defense to clean-label poisoning attacks. These attacks work by injecting a small number of poisoning samples (e.g., 1%) that contain *p*-norm bounded adversarial perturbations into the training data to induce a targeted misclassification of a test-time input. Inspired by the adversarial robustness achieved by *randomized smoothing*, we show how an off-the-shelf diffusion model can sanitize the tampered training data. We extensively test our defense against seven clean-label poisoning attacks and reduce their attack success to 0-16% with only a negligible drop in the test time accuracy. We compare our defense with existing countermeasures against clean-label poisoning, showing that the defense reduces the attack success the most and offers the best model utility. Our results highlight the need for future work on developing stronger clean-label attacks and using our certified yet practical defense as a strong baseline to evaluate these attacks.

1 INTRODUCTION

A common practice in machine learning is to train models on a large corpus of data. This paradigm empowers many over-parameterized deep-learning models but also makes it challenging to retain the quality of data collected from various sources. This makes deep-learning-enabled systems vulnerable to *data poisoning* (Rubinstein et al., 2009; Nelson et al., 2008b; Biggio et al., 2012; Jagielski et al., 2018; Shafahi et al., 2018; Carlini, 2021)—where an adversary can alter a victim model's behaviors by injecting malicious samples (i.e., poisoning samples) into the training data.

But in practice, it may be challenging to make modifications to entire training data used for supervised classification, because they are often relatively small. As a result, recent work has developed *cleanlabel poisoning attacks* (Shafahi et al., 2018; Zhu et al., 2019; Aghakhani et al., 2021; Turner et al., 2019; Saha et al., 2020; Huang et al., 2020; Geiping et al., 2021b), where the attacker aims to control the victim model's behavior on a specific test input by injecting a few poisons that visually appear to be correctly-labeled, but in fact include human-invisible adversarial perturbations.

We present a defense against clean-label poisoning attacks inspired by defenses to test-time adversarial examples. Existing poisoning defenses fall into two categories *certified* and *heuristic*. Certified defenses offer provable guarantees, but often significantly decrease the utility of defended models at test-time, making them impractical (Ma et al., 2019; Levine & Feizi, 2020; Wang et al., 2022; Zhang et al., 2022). Heuristic approaches (Suciu et al., 2018; Peri et al., 2020; Hong et al., 2020; Geiping et al., 2021a; Liu et al., 2022) demonstrate their effectiveness against existing attacks in realistic scenarios. However, these defenses rely on unrealistic assumptions, such as the defender knowing the target test input (Suciu et al., 2018), or are evaluated against specific poisoning adversaries, leaving them ineffective against adaptive attacks or future adversaries.

Our contributions. *First*, we make two seemingly distant goals closer by presenting a certified defense against clean-label poisoning that *also* minimizes the decrease in clean accuracy. For any *p*-norm bounded adversarial perturbations to the training data, we ensure a certified accuracy higher than the prior certified defenses. The model trained on the tampered data classifies a subset of test input *x* (or $x + \delta$, where $||\delta||_{\ell_p}$ in clean-label backdoor poisoning) correctly. To achieve this goal, we leverage the recent diffusion probabilistic diffusion models (Sohl-Dickstein et al., 2015; Ho et al., 2020; Nichol & Dhariwal, 2021). We use an off-the-shelf diffusion model to denoise the entire training data before training a model. In §3, we theoretically show how one achieves a certified accuracy under 2-norm bounded adversarial perturbation to the training data. 054 Removing adversarial perturbations in the training data before model training, we can decouple the certification process from the training algorithm. Second, we leverage this computational property 056 our defense has and present a series of training techniques to alleviate the side-effects of employing 057 certified defenses, i.e., the utility loss of a defended model. To our knowledge, we are the first certified defense that decouples these two processes. We minimize the utility loss by employing 058 the warm-starting (Ash & Adams, 2020). We train a model a few epochs on the tampered data or initialize its model parameters using a pre-trained model. None of them alters the training process; 060 thus, our defense's provable guarantee holds. In §4, we show they attribute to a better performance 061 compared to existing certified defenses. 062

Third, we extensively evaluate our defense against seven clean-label poisoning attacks studied in two different scenarios under ℓ_2 - and ℓ_{∞} -norm bounds: transfer-learning and training a model fromscratch. In transfer-learning, our defense completely renders the attack ineffective with a negligible accuracy drop of 0.5% in the certified radius of 0.1 in 2-norm perturbations. We also reduce the attack success to 2–16% when a defender trains a model from scratch. We further compare our defense with six poisoning defenses in the prior work. We demonstrate more (or the same in a few cases) reduction in the attack success and less accuracy drop than those existing defenses.

We discuss research questions important in studying poisoning attacks and defenses but are farneglected in the prior work. We suggest future work directions to answer them.

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2 PRELIMINARIES ON CLEAN-LABEL POISONING

075 Threat model. A clean-label poisoning attacker causes a misclassification of a specific *target* test-076 time sample (x_t, y_t) by compromising the training data D_{tr} with poisoning samples D_p . If a victim 077 trains a model f on the poisoned training data $D_{ptr} = D_{tr} \cup D_p$, the resulting model f_{θ}^* is likely 078 to misclassify the target instance to the adversarial class y_{adv} while preserving the classification behavior of f_{θ}^* on the clean test-set S. The attacker crafts those poisons (x_p, y_p) by first taking a 079 few *base* samples in the same domain (x_b, y_b) and then adding human-imperceptible perturbations 080 δ , carefully crafted by the attacker and also bound to $||\delta||_{\ell_p} \leq \epsilon$, to them while keeping their labels 081 clean $(y_b = y_p)$. A typical choice of the bound is ℓ_{∞} or ℓ_2 . 082

Poisoning as a constrained bi-level optimization. The process of crafting optimal poisoning samples D_p^* can be formulated as the constrained bi-level optimization problem:

$$D_p^* = \operatorname*{arg\,min}_{D_p} \mathcal{L}_{adv}(x_t, y_t; f_{\theta}^*),$$

where $\mathcal{L}_{adv}(x_t, y_{adv}; f_{\theta}^*)$ is the adversarial loss function quantifying how accurately a model f_{θ}^* , trained on the compromised training data, misclassifies a target sample x_t into the class an adversary wants y_{adv} . D_p is the set of poisoning samples we craft, and D_p^* is the resulting optimal poisons.

While minimizing the crafting objective $\mathcal{L}_{adv}(x_t, y_t; f_{\theta}^*)$, the attacker also trains a model f_{θ}^* on the compromised training data, which is itself another optimization problem, formulated as follows:

$$f_{\theta}^* = \underset{\theta}{\operatorname{arg\,min}} \mathcal{L}_{tr}(D_{ptr}, S; \theta)$$

where the typical choice of \mathcal{L}_{tr} is the cross-entropy loss, and S is the clean test-set. Combining both the equations becomes a bi-level optimization: find D_p^* such that \mathcal{L}_{adv} is minimized after training, while minimizing \mathcal{L}_{tr} as well.

To make the attack inconspicuous, the attacker *constraints* this bi-level optimization by limiting the perturbation $\delta = x_p - x_b$ each poisoning sample can contain to $||\delta||_{\ell_p} < \epsilon$.

101 Existing clean-label attacks. Initial work (Shafahi et al., 2018; Zhu et al., 2019; Aghakhani et al., 102 2021) minimizes \mathcal{L}_{adv} by crafting poisons that are close to the target in the latent representation space 103 $g(\cdot)$. A typical choice of $g(\cdot)$ is the activation outputs from the penultimate layer of a pre-trained 104 model $f(\cdot)$, publicly available to the attacker from the Internet. The attacks have shown effective in 105 transfer-learning scenarios, where $f(\cdot)$ will be fine-tuned on the poisoned training data. The attacker 106 chooses base samples from the target class (x_b, y_{adv}) and craft poisons (x_p, y_{adv}) . During fine-tuning, 107 $f(\cdot)$ learns to correctly classify poisons in the target's proximity in the latent representation space 108 and classify the target into the class y_{adv} the attacker wants. Recent work focuses on making those poisoning attacks effective when f is trained *from scratch* on the tampered training set. To do so, the attacker requires to approximate the gradients computed on \mathcal{L}_{adv} that are likely to appear in any models. Huang et al. (2020) address this challenge by metalearning; the poison-crafting process simulates all the possible initialization, intermediate models, and adversarial losses computed on those intermediate models. A follow-up work by Geiping et al. (2021b) alleviates the computational overhead of the prior work by proposing gradient matching, that aligns the gradients from poisoning samples with those computed on a target.

115 Defenses against clean-label poisoning. Early work on poisoning defenses focuses on filtering out 116 poisons from the training data. Nelson et al. (2008a) and Suciu et al. (2018) compute the training 117 samples negatively impacting the classification results on targets. But in practice, the defender does 118 not know which test-time samples are the attack targets. Follow-up work (Rubinstein et al., 2009; Peri et al., 2020; Tran et al., 2018) leverages unique statistical properties (e.g., spectral signatures) 119 that can distinguish poisons from the clean data. All these approaches depend on the data they use 120 to compute the properties. Recent work (Geiping et al., 2021a; Borgnia et al., 2021; Hong et al., 121 2020; Liu et al., 2022) thus reduces the dependency by proposing data- or model-agnostic defenses, 122 adapting robust training or differentially-private training. While shown effective against existing 123 attacks, those defenses are not provable. 124

125 A separate line of work addresses this issue by proposing *certifiable* defenses (Levine & Feizi, 2020; Wang et al., 2022; Weber et al., 2023), which guarantee the correct classification of test-time samples 126 when an adversary compromises the training data with the k poisons whose perturbation radius of r. 127 Levine & Feizi (2020); Wang et al. (2022)'s approach is majority voting, where the defender splits 128 the training data into multiple disjoint subsets, train models on them, and run majority voting of test 129 inputs over those models. BagFlip Zhang et al. (2022) proposes a model-agnostic defense that uses 130 the idea of randomized smoothing Cohen et al. (2019) studied in adversarial robustness. However, the 131 certification offered by these works has only shown effective in toy datasets like MNIST, and it has 132 been under-studied whether they will scale to practical scenarios, e.g., CIFAR10 or TinyImageNet. 133 The computational demands of these defenses further hinder their deployment in practice.

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3 DIFFUSION DENOISING AS CERTIFIED DEFENSE

We aim to certify the prediction of a model f_{θ} trained on a poisoned training data D_{ptr} . To formally define this goal, we define the perturbation bound ϵ as the ℓ_p distance between two datasets, computed by taking the sum across ℓ_p perturbations of all images. The perturbation space P_{ϵ}^{π} is the set of all the datasets D_{ptr} obtained by tampering samples with the crafting algorithm π with the bound ϵ . Operating within the space P, for any test-time sample (x_t, y_t) , can produce a certificate that

$$\mathbf{Pr}_{D_{ntr} \in P_{\epsilon}^{\pi}(D_{tr})} \left[f_{\theta \leftarrow D_{ptr}}(x_t) = f_{\theta \leftarrow D_{tr}}(x_t) \right] > 1 - \alpha$$

144 with arbitrarily high probability $1 - \alpha$, we guarantee that training on any poisoned dataset $D_{ptr} \in P_r^{\pi}(D_{tr})$ in the perturbation bound ϵ will classify the example \mathbf{x}_t the same way as it was classified 146 on the non-poisoned dataset D_{tr} .

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3.1 ROBUSTNESS GUARANTEE

Intuition. Randomized smoothing Cohen et al. (2019) guarantees that a fixed classifier f_{θ} will classify any adversarial example x' correctly with high probability. To make this argument, it first shows that even for extremely large values of noise δ , the example $x + \delta$ will be classified correctly. Thus, the analysis of randomized smoothing is able to show that a (much smaller) worst-case direction δ_{adv} will not change the prediction of the classifier.

Here we make a similar argument, but change where the noise is added. Given a dataset D_{ptr} , where some examples may be slightly perturbed to poison the model, we want to guarantee that any model f_{θ} trained on D_{ptr} will classify the test examples correctly. To achieve this, we train many models f_{θ}^{i} on datasets from P_{δ}^{π} (with extremely large perturbations δ); if each of these classifiers consistently labels the test data correctly, then we can be guaranteed that (much smaller) worst-case poisoning directions δ_{adv} can not change the prediction of the classifier.

161 Randomized smoothing shows that adversarial noise to the test input x will not cause misprediction because the predictions remain consistent even for large quantities of Gaussian noise $x + \delta$. In our 165

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162 setting, adversarial noise to the model's training data D_{tr} will not cause misprediction as even for 163 large quantities of Gaussian noise P_{δ}^{π} to the training set the predictions of $f_{\theta \leftarrow D_{ntr}}$ remain consistent. 164

Randomized smoothing transforms a non-robust classifier f into a smoothed (robust) classifier g:

 $g(x) = \arg\max_{c \in \mathcal{Y}} \mathbf{Pr}_{\delta \sim N(0,\sigma^2 I)}[f_{\theta}(x+\delta) = c].$

168 But clean-label poisoning does not add any test-time perturbations to the target samples. Instead, 169 it alters the training *dataset*, which then causes the *models* trained on the dataset to be different. 170 Therefore, for our use-case we define:

 $g(x) = \arg \max_{c \in \mathcal{Y}} \mathbf{Pr}_{\theta \sim \operatorname{train}(D_{ptr} \sim P_{\delta}^{\pi})} [f_{\theta}(x) = c].$

Each model f_{θ} is obtained by training a new classifier on a perturbed version of the training dataset.

3.2 (DIFFUSION) DENOISING FOR THE ROBUSTNESS

177 Denoising diffusion probabilistic model (DDPMs) are a recent generative model that works by 178 learning the diffusion process of the form $x_t \sim \sqrt{1-\beta_t} \cdot x_{t-1} + \beta_t \cdot \omega_t$, where ω_t is drawn from 179 a standard normal distribution $\mathcal{N}(0,\mathbf{I})$ with x_0 sourced from the actual data distribution, and β_t 180 being fixed (or learned) variance parameters. This process transforms images from the target data 181 distribution into purely random noise over time t, and the reverse *denoising* process constructs images in the data distribution, starting with random Gaussian noise. A DDPM with a fixed time-step $t \in \mathbb{N}^+$ 182 and a fixed schedule samples a noisy version of a training image $x_t \in [-1, 1]^{w \cdot h \cdot c}$ of the form: 183

$$x_t := \sqrt{\alpha_t} \cdot x + \sqrt{1 - \alpha_t} \cdot \mathcal{N}(0, \mathbf{I})$$

186 where α_t is a constant derived from t, which decides the level of noise to be added to the image (the 187 noise increases consistently as t grows). During training, the model minimizes the difference between x and the denoised x_t , where x_t is obtained by applying the noise at time-step t. 188

189 Diffusion denoising for the robustness. We utilize off-the-shelf DDPMs (Sohl-Dickstein et al., 190 2015; Ho et al., 2020; Nichol & Dhariwal, 2021) to *denoise* adversarial perturbations added to the 191 training data and as a result, provide the robustness to clean-label poisoning. A naive adaptation of 192 randomized smoothing to our scenario is to train multiple models on the training data with Gaussian 193 noise augmentation or using adversarial training. But we need to add noise to the data that does not make it look natural or they are computationally demanding. We thus avoid using these approaches 194 to train models, instead we want to remove the (potentially compromised) training set before training. 195 Note that the robustness guarantee that randomized smoothing offers holds regardless of how a model 196 is trained. We can still certify the robustness against clean-label poisoning. The fact that we use the 197 denoising may make the guarantee a bit loose, but we show in our evaluation that the loose guarantee is sufficient to render existing attacks ineffective. Our denoising process is shown in Algorithm 1. 199

Pse	udocode Noise, denoise, train, classify	Pse	udocode Randomized smoothing [Cohen et al.]
1:	fn DTCLASSIFY (f, σ, D, x, n)	1:	fn Predict $(f, \sigma, D, x, n, \alpha)$
2:	$counts \leftarrow 0$	2:	$counts \leftarrow DTCLASSIFY(f, \sigma, D, x, n_0)$
3:	for $i \in \{1,2,,n\}$ do	3:	$\hat{c_A}, \hat{c_B} \leftarrow \text{top two predictions in counts}$
4:	$t^*, \alpha_{t^*} \leftarrow \text{GetTimeStep}(\sigma)$	4:	$n_A, n_b \leftarrow \texttt{counts}[\hat{c_A}], \texttt{counts}[\hat{c_B}]$
5:	$\hat{D} \leftarrow \text{NOISEANDDENOISE}(D, \alpha_{t^*}; t^*)$	5:	if BINOMPVAL $(n_A, n_A + n_B, 0.5 \le \alpha)$ ret $\hat{c_A}$
6:	$\hat{f}_{\theta} \leftarrow \text{Train}(\hat{D}, f)$	6:	else ret ABSTAIN
7:	$\operatorname{counts}[\hat{f}_{\theta}(x)] \leftarrow \operatorname{counts}[\hat{f}_{\theta}(x)] + 1$	7:	
		8:	fn CERTIFY $(f, \sigma, D, x, n_0, n, \alpha)$
8:	ret counts	9:	$\texttt{counts0} \leftarrow \texttt{DTCLASSIFY}(f, \sigma, D, x, n_0)$
٥. ٩		10:	$\hat{c_A} \leftarrow \text{top predictions in } \texttt{counts0}$
10.	fn GetTIMESTED (σ)	11:	$counts \leftarrow DTCLASSIFY(f, \sigma, D, x, n)$
11.	$t^* \leftarrow \text{find } t \text{ s.t. } \frac{1-\alpha_t}{1-\alpha_t} = \sigma^2$	12:	$p_A \leftarrow \text{LOWERCFBOUND}(\text{counts}[\hat{c_A}], \mathbf{n}, 1 - \alpha)$
11.	$\alpha_t = 0$	13:	if $p_A > 1/2$ ret $\hat{c_A}$ and radius $\sigma \Phi^{-1}(p_A)$
12:	rel ι , $lpha_{t^*}$	14:	else ret ABSTAIN

216 3.3 PREDICTION AND CERTIFICATION 217

218 Now we present algorithms for running a prediction with the classifiers trained on D_{ptr} and certifying 219 the robustness of the model's prediction on a test-time sample x. Our work extends the algorithms presented by Cohen et al. (2019) to clean-label poisoning settings, as shown in Algorithm 2. 220

Prediction. To compute the prediction for a test-time sample x, we make an adaptation of the standard 222 randomized smoothing. We train n classifiers on n different noised-then-denoised training datasets, 223 and return the predictions of these classifiers on the target x, with the algorithm DTCLASSIFY(\cdot). We 224 run this algorithm for a sufficient number of times (e.g., over 1000 times). The prediction output is then the majority-voted label from these classifiers. 225

Certification process exactly follows the standard randomized smoothing. We first count the number of occurrences of the most likely label \hat{c}_A compared to any other runner-up label, and from this can derive a radius (for the training set perturbations) on which x is guaranteed to be robust.





Figure 1: Certified radius and accuracy attained by *denoising* the CIFAR10 training data with different σ values in {0.1, 0.25, 0.5, 1.0}.

Figure 2: Certified radius and accuracy attained by adding Gaussian random noise to training data with different σ in {0.1, 0.25, 0.5, 1.0}.

Results. We train 10k CIFAR10 models using an efficient training pipeline that trains a single model in 15 seconds on an A100 GPU (for a total of 1.7 GPU days of compute). These models have a clean accuracy of between 92% and 58% depending on the level of noise σ introduced, and for the first time can certify non-trivial robustness to clean-label poisoning attacks. A full curve comparing certified accuracy for all given perturbation radii is shown in Figure 1. Instead of applying a diffusion model, we test the randomized smoothing approach proposed by Weber et al. (2023): adding Gaussian random noise directly to the images and train on these (noisy) images. This achieves a similar level of certified accuracy and robustness as our denoising approach, but at a cost of training for $20 \times$ longer.

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3.4 COMPUTATIONAL EFFICIENCY FOR CERTIFICATION

In order to obtain a robustness certificate, we must train many CIFAR10 models on different denoisings of the training dataset. This step is computationally expensive, but is in line with the computational complexity of prior randomized smoothing based approaches that require similar work. However, as we will show later, in practice we can empirically obtain robustness with only a very small number of training runs (even as low as one!), confirming the related observation from (Lucas et al., 2023) who find a similar effect holds for randomized smoothing of classifiers.

4 **EMPIRICAL EVALUATION**

263 We empirically evaluate the effectiveness of our certified defense against clean-label poisoning. 264 We adapt the poisoning benchmark developed by Schwarzschild et al. (2021). This benchmark 265 runs clean-label poisoning attacks with the same attack configurations, allowing us to compare our 266 defense's effectiveness across many existing attacks. 267

Poisoning attacks. We evaluate our defense against seven clean-label poisoning attacks: four 268 targeted poisoning (Poison Frogs (Shafahi et al., 2018), Convex Polytope (Zhu et al., 2019), Bullseye 269 Polytope (Aghakhani et al., 2021), Witches' Brew (Geiping et al., 2021b)) and three backdoor attacks

270 (Label-consistent Backdoor (Turner et al., 2019), Hidden-Trigger Backdoor (Saha et al., 2020), and 271 Sleeper Agent (Souri et al., 2022)). The first three attacks operate in the transfer-learning scenarios 272 (i.e., they assume that the victim fine-tunes a model from some given initialization), whereas the rest 273 assumes the victim trains a model from-scratch. While our defense offers certificates only to targeted 274 poisoning attacks, we test if the defense can mitigate clean-label backdooring like the prior work did.

275 **Metrics.** We employ two metrics: clean accuracy and attack success rate. We compute the accuracy 276 on the entire test set. An attack is successful if a poisoned model classifies a target sample to the 277 intended class. When evaluating backdoor attacks, we only count the cases where a tampered model 278 misclassifies the target sample containing a trigger pattern.

279 Methodology. We run our experiments in CIFAR10 and Tiny ImageNet (Krizhevsky et al., 2009; 280 Le & Yang, 2015). Following the standard practices in the prior work (Schwarzschild et al., 2021), 281 we run each attack 100 times on different targets and report the averaged metrics over the 100 runs. 282 We randomly choose the base and target classes. We set the poisoning budget to 0.5-1% for all 283 our attacks: the attacker can tamper with only 500 samples of the entire 50k training instances in 284 CIFAR10 and 250 of the total 100k training samples in Tiny ImageNet.

285 Attack scenarios. We evaluate against both the transfer-learning and training from-scratch attacks. 286 In transfer-learning, we fine-tune a pre-trained model on the tampered training set while we train 287 a randomly initialized model in the training from-scratch scenario. We also evaluate against the 288 attackers with two types of knowledge: white-box and black-box. The white-box attackers know the 289 victim model's internals, while the black-box attackers do not. More details are in Appendix A.

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4.1 EFFECTIVENESS OF OUR DENOISING DEFENSE

293 We first show to what extent our defense makes the seven poisoning attacks ineffective. Our defense 294 is attack-agnostic. A defender does not know whether the training data contains poisoning samples or 295 not; instead, the defender always trains a model on the denoised training set. We measure the trained model's accuracy and attack success and compare them with the baseline, where a model is trained 296 directly without denoising. We evaluate with different defense strengths: $\sigma \in \{0.1, 0.25, 0.5, 1.0\}$. 297 The attacks are with the perturbation bound of 16-pixels in ℓ_{∞} -norm and that of 3.5–6.5 in ℓ_2 -norm. 298 We extended many poisoning attacks for supporting ℓ_2 bounds. Both ℓ_{∞} and ℓ_2 bounds we use are 299 comparable to each other. We show the conversion between the two bounds in Appendix B. Due to the 300 page limit, the results from Tiny ImageNet and attacking with different ℓ_p -norms are in Appendix C. 301

302 Table 1: Defense effectiveness in transfer-learning scenarios (CIFAR10). We measure the clean 303 accuracy and attack success of the models trained on the denoised training set. Each cell shows the 304 accuracy in the parentheses and the attack success outside. Note that [†] indicates the runs with $\sigma=0.0$, 305 the same as our baseline that trains models without any denoising. 306

		Our defense against ℓ_2 attacks at σ (%)					Our defense against ℓ_{∞} attacks at σ (%)				
Poisoning attacks	Knowledge	† 0.0	0.1	0.25	0.5	1.0	† 0.0	0.1	0.25	0.5	1.0
Poison Frog! Convex Polytope Bullseye Polytope Label-consistent Backdoor	WB	$\begin{smallmatrix} (93.6) \\ (93.7) \\ (93.7) \\ 16.2 \\ (93.5) \\ 100 \end{smallmatrix}$	$^{(93.3)}_{(93.2)}0.0$ $^{(93.2)}0.0$ $^{(93.3)}4.0$	(91.8) 1.0 (91.7) 0.0 (92.6) 0.0	$^{(84.8)}_{(86.6)} \overset{(84.8)}{0.0}_{(87.5)} \overset{(0.0)}{0.0}$	$^{(79.9)}_{(77.0)}$ 1.0 $^{(77.0)}_{(79.2)}$ 1.0	$(93.6)_{68.8}$ $(93.7)_{12.2}$ $(93.5)_{100}$ $(93.2)_{1.0}$	(93.3) 0.0 (93.3) 0.0 (93.3) 0.0 (93.3) 0.0 (93.3) 0.0	(92.7)0.0 (92.7)0.0 (92.7)0.0 (92.7)0.0 (92.6)0.0	(90.8) 0.0 (90.8) 1.0 (90.8) 1.0 (90.8) 1.0 (90.8) 1.0	(87.4)0.0 (87.5)0.0 (87.5)0.0 (87.5)0.0
Hidden Trigger Backdoor				-			(93.4)7.0	$^{(93.3)}0.0$	$^{(92.6)}0.0$	$^{(90.8)}0.0$	$^{(87.5)}0.0$
Poison Frog! Convex Polytope Bulkeye Polytope	æ	(91.6) 10.0 (91.7) 3.0 (91.6) 0.0	(91.2)0.0 (91.0)0.0 (91.3)0.0	$(89.6)_{0.5}$ $(89.5)_{0.0}$ $(90.3)_{0.0}$	$(82.9)_{0.0}_{(84.6)_{0.5}}_{(85.5)_{0.0}}$	$(77.8)_{(73.6)}_{(73.6)}_{(76.3)}_{1.0}_{1.0}$	(91.7)2.5 (91.8)2.5 (91.6)8.0	$(91.3)_{0.0}^{(91.3)}_{(91.3)_{0.0}}_{0.0}$	(90.3)0.0 (90.3)0.0 (90.3)0.0	(88.8)0.5 (88.8)0.5 (88.8)0.5	(86.2) 1.0 (86.2) 1.0 (86.2) 0.5
Convex Polytope Bullseye Polytope Label-consistent Backdoor Hidden Trigger Backdoor	В		v 90.0	-	(vi 1.0	^(91.5) 1.0 ^(91.6) 4.0	(91.3)0.0 (91.2)1.0	(90.3)0.0 (90.3)1.0	(88.8)0.0 (89.3)1.5	(86.2)1.5 (86.3)1.5

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Transfer-learning scenarios. Table 1 summarizes our results. Our defense is also effective in 317 mitigating the attacks in transfer-learning. Each cell contains the accuracy and the attack success rate 318 of a model trained on the denoised training set. All the numbers are the averaged values over 100 319 attacks. Against the white-box attacks, we reduce the success rate of the targeted poisoning attacks 320 to 0–4% at σ of 0.1. In the black-box attacks, the targeted poisoning is less effective (with 3–10%) 321 success), but still, the defense reduces the success to 0-1%. We observe that the two clean-label backdoor attacks show 1–7% success regardless of the attacker's knowledge. We thus exclude these 322 attacks from the subsequent evaluation. Using σ greater than 0.5 increases the attack success by 323 0.5-2%. But, this may not because of the successful poisoning attacks but due to the significant 324 decrease in a model's accuracy (3-9%). Increasing σ may defeat a stronger attack but significantly 325 decrease a model's accuracy. This result is interesting, as in our theoretical analysis shown in Sec 3, 326 our defense needs σ of 0.25, while 0.1 is sufficient to defeat both the attacks. 327

Training from-scratch scenarios. Table 2 shows our results with the same format as in Table 1. We 328 demonstrate that our defense mitigates both attacks at $\sigma = 0.25$, aligned to what we've seen in our 329 theoretical analysis. In Witches' Brew, the attack success decreases from 34–71% to 3–10%; against 330 Sleeper Agent, the attack success decreases from 19-40% to $7-19\%^1$. Note that to reduce their attack 331 success to $\sim 10\%$, our defense needs a minimum σ of 0.25–0.5. It is also noteworthy that our defense 332 reduces the backdooring success significantly while the certificate does not hold because test-time 333 samples are altered with trigger patterns. 334

Table 2: Defense effectiveness in training from-scratch scenarios (CIFAR10). We measure the accuracy and attack success of the models trained on the denoised training set. Each cell shows the accuracy in the parentheses and the attack success outside. Note that [†] indicates the runs with σ =0.0, the same as our baseline that trains models without any denoising. We use an ensemble of four models, and WB and BB stand for the white-box and the black-box attacks, respectively.

		Our defense against ℓ_2 attacks at σ (%)				Our defense against ℓ_{∞} attacks at σ (%)					
Poisoning attacks	Knowledge	† 0.0	0.1	0.25	0.5	1.0	† 0.0	0.1	0.25	0.5	1.0
Witches' Brew Sleeper Agent Backdoor	WB	$^{(92.2)}_{(92.4)}71.0$ $^{(92.4)}40.5$	$\substack{(86.4)\\(84.4)}{66.5}$	$^{(72.3)}_{(71.8)} \underbrace{10.0}_{19.5}$	$^{(46.7)}_{(46.8)}11.0$	$(42.5) 10.0 \\ (39.9) 10.5$	$\substack{(92.3)\\(92.4)}{35.0}$	$^{(86.5)}_{(86.1)}9.0$	$^{(71.9)}_{(73.0)}3.0$	$^{(46.0)}_{(47.0)}9.0$	(41.3)7.0 (39.7)10.0
Witches' Brew Sleeper Agent Backdoor	BB	$^{(90.1)}_{(90.0)}45.5$	$^{(85.9)}_{(85.0)}28.0$ $^{(85.0)}44.5$	$^{(75.5)}_{(75.1)}4.0$	$^{(58.8)}_{(58.6)}$ 7.0	$^{(49.0)}_{(49.0)}10.0$ $^{(49.0)}8.0$	$^{(90.0)}_{(90.0)}33.5$ $^{(90.0)}18.5$	$^{(85.8)}_{(85.6)}$ 3.5	$^{(75.5)}_{(75.5)}2.5$ $^{(75.5)}7.0$	$^{(58.8)}_{(58.8)}6.0$	(48.7)6.5 (48.4)8.0

4.2 IMPROVING MODEL UTILITY

348 A shortcoming of certified defenses (Levine & Feizi, 2020; Wang et al., 2022; Zhang et al., 2022) 349 is that the certified accuracy is substantially lower than the undefended model's accuracy. We also 350 observe in §4.1 that our defense, when we train a model from scratch on the data, denoised with large σ values, is not free from the same issue, which hinders their deployment in practice. 351

352 In §3, we show that our defense is agnostic to how we train a model, including how we initialize a 353 model's parameters. We leverage this property and minimize the utility loss by initializing model 354 parameters in specific ways before we train the model on the denoised data. We test two scenarios: a 355 defender can use in-domain data or out-of-domain data to pre-train a model and use its parameters to initialize. We evaluate them against the three most effective attacks shown in Table 1. 356

357 Table 3: Improving the utility of defended models. We 358 show the accuracy of defended models and the attack success 359 after employing our two strategies. The top three rows are 360 the baselines from Table 1 and 2, and the next two sets of 361 three rows are our results. We highlight the cells showing the accuracy improvements in **bold**. ResNet18 models are 362 used. BP, WB, and SA indicate Bullseye Polytope, Witches' 363 Brew, and Sleeper Agent, respectively. 364

		Our defense against ℓ_∞ attacks at σ (%)									
Att.	Initialization	† 0.0	0.1	0.25	0.5	1.0					
BP WB SA	N/A (Baseline)	$^{(93.5)}_{(92.3)}100$ $^{(92.3)}65.0$ $^{(92.4)}34.0$	$(93.3)_{(86.5)}_{(86.2)}_{9.0}_{18.5}$	(92.7)0.0 (71.9)3.0 (73.0)7.9	(90.8)1.0 (46.0)9.0 (47.2)8.2	(87.6) 0.0 (41.3) 7.0 (40.1) 11.5					
BP WB SA	In-domain (CIFAR10)	$^{(93.5)}_{(92.3)}100$ $^{(92.3)}65.0$ $^{(92.4)}34.0$	$(93.3)_{(86.5)}_{(86.2)}_{9.0}_{18.1}$	$\substack{(92.6)\\(72.7)\\(73.4)\\8.5}$	$\substack{(90.9)\\(47.2)\\7.0\\(47.8)\\9.9}$	$(87.7)_{2.0}$ $(38.6)_{8.0}$ $(36.9)_{11.2}$					
BP WB SA	[†] Out-of-domain (ImageNet-21k)	(85.2)4.0 (86.6)14.0 (92.3)35.0	(71.1)7.0 (84.1)4.0 (86.1)18.0	(66.4) 5.0 (79.0) 0.0 (72.9) 8.5	(58.6) 5.0 (67.7) 5.0 (47.6) 10.0	(48.7)6.0 (54.0)6.0 (37.4)10.0					

Initializing a model using indomain data. Our strategy here is an adaptation of warm-starting (Ash & Adams, 2020). We first train a model from scratch on the tampered training data for a few epochs to achieve high accuracy. It only needs 5-10 epochs in CIFAR10. We then apply our defense and continue training the model on the denoised training set.

Table 3 summarizes our results. The middle three rows are the results of leveraging the in-domain data. We train the ResNet18 models on the tampered training set for 10 epochs and continue training on the denoised training data for the rest 30 epochs. Our first strategy (warm-starting) increases the accuracy of the defended models while defeating clean-label poisoning attacks. Under strong defense guarantees $\sigma > 0.1$, the models have 0.5–2.2% increased

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¹The success rate of typical backdoor attacks is \sim 90%; thus, the success below 19% means they are ineffective.

accuracy, compared to the baseline, while keeping the attack success $\sim 10\%$. In $\sigma = 0.1$, we achieve the same accuracy and defense successes. Our strategy can be potentially useful when a defender needs a stronger guarantee, such as against stronger clean-label poisoning future work will develop.

Using models pre-trained on out-of-domain data. Now, instead of running warm-starting on our
 end, we can also leverage "warm" models available from the legitimate repositories. To evaluate,
 we take the ResNet18 model pre-trained on ImageNet-21k. We use this pre-trained model in two
 practical ways. We take the model as-is and train it on the denoised training data. In the second
 approach, we combine the first approach with the previous idea. We train the model on the tampered
 training data for a few epochs and then train this fine-tuned model on the denoised data.

The bottom three rows of Table 3 are the results of using the warm model. We fine-tune the ResNet18 for 40 epochs on the denoised training data. In many cases, our second strategy can improve the accuracy of the defended models trained with strong defense guarantees ($\sigma > 0.1$). These models achieve 6.5–13.2% greater accuracy than the results shown in Table 2 and 1. In $\sigma = 1.0$, the final accuracy of defended models has a negligible difference from the baseline. We are the first work to offer practical strategies to manage the utility-security trade-off in certified defense.

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4.3 COMPARISON TO EXISTING POISONING DEFENSES

We finally examine how our defense works better/worse than existing defenses. We compare ours with five defenses: k-NN (Peri et al., 2020), DP-SGD (Ma et al., 2019; Hong et al., 2020), AT (Geiping et al., 2021a), FrieNDs (Liu et al., 2022), and ROE (Rezaei et al., 2023). The ROE is a certified defense, and the other four are non-certified ones. We use ℓ_{∞} -norm of 16 in CIFAR10.

Table 4: Comparison of ours to Deep kNN.

Poisoning attacks	ТР	FP	Trained	Ours (σ=0.1)
Witches' Brew	31	464	$^{(86.3)}_{(93.7)}$ 3.0	^(86.5) 9.0
Bullseye Polytope	431	63		^(93.3) 0.0

Deep kNN removes poisons from the training data by leveraging the k-nearest-neighbor (kNN) algorithm. They run kNN on the latent representations of the training data to identify potentially malicious samples (i.e., samples with labels different from the nearest ones) and remove them.

We compare Deep kNN's effectiveness to our defense. We use the defense configurations that bring the best results in the original study, i.e., setting k to 500. Table 5 shows our results. Deep kNN fails to remove most poisoning samples (but it removes many benign samples!).

409 **DP-SGD.** Ma et al. (2019) proposed a 410 certified defense against poisoning at-411 tacks that leverage differential privacy 412 (DP). DP makes a model less sensitive 413 to a single-sample modification to the 414 training data. But the defense offers 415 a weak guarantee in practice; for example, the certificate is only valid in 416

Table 5: Comparison of ours to training-time defenses.

	He	euristic defe	Certified defense		
Poisoning attacks	DP-SGD	AT	FrieNDs	ROE	Ours
Bullseye Polytope Witches' Brew Sleeper Agent	$^{(93.9)}_{(76.0)}$ 7.0 $^{(76.0)}$ 4.0 $^{(74.8)}$ 5.0	(90.3)96.0 (66.5) 2.0 (69.0) 6.0	(90.2)10.0 (87.6) 8.0 (87.4)14.0	*N/A (70.2)10.0 (68.6)12.0	(93.5) 0.0 (86.5) 9.0 (86.0) 17.0

*ROE is incompatible with BP as ROE needs to train 250 models from scratch.

CIFAR10, when an adversary tampers one training sample. (Hong et al., 2020) later empirically shows that DP is still somewhat effective against poisoning. We compare our defense to the training with (1.0, 0.05)-DP, follow the prior work (Lecuyer et al., 2019). We use Opacus² to train models with DP and keep all the other configurations the same. In Table 5, both defenses significantly reduce the attack success to 0–16%. Our defense achieves at most 10% higher accuracy than DP. DP reduces the attack success slightly more against clean-label backdooring.

AT. Geiping et al. (2021a) adapts the adversarial training (AT) for defeating clean-label poisoning: in 423 each mini-batch, instead of crafting adversarial examples, they synthesize poisoning samples and have 424 a model to make correct classifications on them. While effective, the model could overfit a specific 425 poisoning attack used in the adapted AT, leaving the model vulnerable to unseen poisoning attacks. 426 We thus compare our defense with the original AT with the PGD-7 bounded to ϵ of 4, assuming that 427 clean-label poisons are already adversarial examples. AT thus may not add more perturbations to 428 them during training. Table 5 shows that our defense achieves higher accuracy than the robust models 429 while making the attcaks ineffective. Interestingly, AT cannot defeat the BP attacks. 430

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²https://opacus.ai

FrieNDs. Liu et al. (2022) advances the idea of training robust models. Instead of adding random Gaussian noise to the data during training, they use "friendly" noise, pre-computed by a defender, that minimizes the accuracy loss to a model they will train. When their defense is in action, they train a model on the tampered training data with two types of noise: the friendly noise computed before and a weak random noise sampled uniformly within a bound. Ours and FrieNDs greatly reduce the attack success while preserving the model's utility. The critical difference is that ours is a certified defense, while FrieNDs is not. A future work we leave is developing adaptive attacks against FrieNDs.

439 ROE. Certified defenses (Steinhardt et al., 2017; Ma et al., 2019; Diakonikolas et al., 2019; Levine & 440 Feizi, 2020; Gao et al., 2021; Zhang et al., 2022; Wang et al., 2022; Rezaei et al., 2023) are; however, 441 most of these defenses showed their effectiveness in limited scenarios, such as in MINST-17 (Zhang 442 et al., 2022), a subset of MNIST containing only the samples of the digits 1 and 7. In consequence, they aren't compatible with our clean-label poisoning settings. A recent defense by Rezaei et al. 443 (2023) demonstrates the certified robustness in practical settings; we thus compare our defense to 444 their run-off-election (ROE). In Table 5, we empirically show that our defense is comparable to ROE 445 while we preserve the model accuracy more. 446

Note on the computational efficiency. Most training-time defenses require additional mechanisms
we need to "add" to the training algorithm. AT needs to craft adversarial examples or clean-label
poisons (Geiping et al., 2021a). DP-SGD introduces noise into the gradients during training. FrieNDs
pre-computes friendly noise and then optimally applies the noise during the training, and ROE
requires training of 250 base classifiers to achieve the improved certificates. In contrast, our defense
only requires to run forward *once* with an off-the-shelf diffusion model.

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5 DISCUSSION

⁴⁵⁶ Our work offers a new perspective on the cat-and-mouse game played in clean-label poisoning.

Initial claims from the cat: Clean label poisoning attacks, with human-imperceptible perturbations that keeping the original labels, are an attractive option to inject malicious behaviors into models. Even if a victim carefully curates the training data, they remain effective by evading *filtering* defenses that rely on statistical signatures distinguishing clean samples from poisons (Nelson et al., 2008a; Suciu et al., 2018; Peri et al., 2020).

The mouse's counterarguments: Yet, as seen in research on the adversarial robustness, such small
 perturbations can be *brittle* (Carlini et al., 2022): by adding a large quantity of noise and then
 denoising the images, the adversarial perturbations become nearly removed—and so clean-label
 perturbations are also removed. In prior work (and in this work as well), we leverage this observation
 and propose both certified and non-certified heuristic defenses.

Additional arguments from the cat: A counterargument from the clean-label attack's side was that 468 those defenses inevitably compromise a model's performance—a fact corroborated by the prior work 469 on the adversarial robustness (Tsipras et al., 2018; Zhang et al., 2019). Similarly, defenses could 470 greatly reduce the poisoning attack success, but at the same time, they decrease the accuracy of 471 defended models, often tipping the scales in favor of the adversary. If a defense yields a CIFAR-10 472 model with 60–70% utility, what is the point of having such models in practice? Indeed, our own 473 certified models require degraded utility to achieve certified predictions. Other defenses, e.g., DP-474 SGD (Ma et al., 2019; Hong et al., 2020), are computationally demanding, increasing the training 475 time an order of magnitude.

476 477 Our work shows that this cat-and-mouse game need not be as pessimistic as the cat portrays.

By leveraging an off-the-shelf DDPMs (Ho et al., 2020; Nichol & Dhariwal, 2021), we can purify the training data, possibly containing malicious samples, *offline* and render six clean-label attacks ineffective. With a weak provable guarantee against the training data contamination (ℓ_{∞} -norm of 2), the majority of attacks reach to 0% success. A few recent attacks exhibit 0–10% success rate—a rate comparable to random misclassification of test-time inputs.

In contrast to the cat's counterargument, we can also address the accuracy degradation problem—as
long as we do not need certified robustness. Existing defenses that work to defend against poisoning
require applying a particular training algorithm designed by the defender (Hong et al., 2020; Geiping
et al., 2021a; Liu et al., 2022; Levine & Feizi, 2020; Wang et al., 2022; Zhang et al., 2022). By

486 487 488 489	decoupling the training process and the defense, we open a new opportunity to develop training techniques that can enhance the accuracy of the defended models while keeping the robustness. Our results propose two effective heuristic algorithms in improving defended models' utility, especially when the models are under strong defense guarantees (i.e., $ e _{\infty} > 2$).
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Reproducibility Statement. To ensure our work is reproducible, we provide descriptions of the datasets, models, training hyper-parameters, poisoning attacks and defenses both in the main text and Appendix. Specifically, Sec 4 offers detailed discussion on the poisoning attacks, attack scenarios evaluation metrics, and methodology. Appendix A provides the implementation details, training hyperparameters, and poisoning attack configurations. We believe this detailed information will facilitate the successful replication of our work. We also include the source code in our submission.

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702 **EXPERIMENTAL SETUP IN DETAIL** А 703

704 We adapt the poisoning benchmark from the prior work (Schwarzschild et al., 2021). Most work 705 on clean-label poisoning attacks uses this benchmark for showcasing their attack success. The 706 open-sourced implementation of Sleeper Agent is incompatible with this framework; thus, we run this 707 attack separately. We implement the attacks to use a comparable ℓ_2 -norm bound in the poison-crafting 708 process (see §B). We implemented our benchmarking framework in Python v3.7³ and PyTorch v1.13⁴. 709 We use the exact attack configurations and training hyper-parameters that the original study employs.

710 In contrast to the original work, we made two major differences. We first increase the perturbations 711 bounded to $||\epsilon||_{\infty} = 16$ as the 8-pixel bound attacks do not result in a high attack success rate. 712 Defeating 8-pixel bounded attacks is trivial for any poisoning defenses. Second, we do not use their 713 fine-tuning subset, which only contains 2500 training samples and 25–50 poisons. It (as shown in the 714 next subsections) leads to 60–70% accuracy on the clean CIFAR10 test-set, significantly lower than 715 80–90%, which can be trivially obtained with any models and training configurations. If a model trained on the contaminated training data misclassifies a target, it could be a mistake caused by a 716 poorly performing model. 717

718 We run a comprehensive evaluation. We run 7 attacks; for each attack, we run 100 times of crafting 719 and training/fine-tuning a model. We also examine 5 different denoising factor σ . In total, we 720 ran 3500 poisoning attacks. For the most successful three attacks, we run 6 different certified and 721 non-certified defenses over 100 poisoning runs. The three training-time defenses (DP-SGD, AT, FrieNDs) require 100 trainings of a model for each, and the certified defense (RoE) requires 100×250 722 trainings in total. To accommodate this computational overhead, we use two machines, each equipped 723 with 8 Nvidia GPUs. Crafting a poisoning set takes approximately one hour and training takes 30 724 minutes on a single GPU. 725

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В TRANSLATING l_{∞} -bound into l_2 -bound

729 The certification we offer in Sec 3 is defined in l_2 -norm, while most poisoning attacks work with 730 l_{∞} -norm, e.g., of 8 or 16. We therefore convert these l_{∞} -bounds into l_2 -bounds. We assume the 731 worst-case perturbation in the l_{∞} -space that changes every pixel location of an image by 16 pixels, compute the l_2 -norm of that perturbation as follows, and use it in §4: 732

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- *l*_∞-bound of 8 pixels: √3 * 32 * 32 * (8/255)² = 1.74 *l*_∞-bound of 16 pixels: √3 * 32 * 32 * (16/255)² = 3.48

736 Oftentimes, the ℓ_2 attacks with the comparable bound 3.48 do not lead to comparable attack suc-737 cess. We, therefore, especially for the poisoning attacks in the transfer-learning scenarios, increase the bound to 6.43. We note that most existing attacks either do not implement ℓ_2 bounds or are 738 unbounded (Shafahi et al., 2018). 739

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С MORE EXPERIMENTAL RESULTS

- Here we include additional experimental results.
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C.1 USING THE EVALUATION SETUP BY SCHWARZSCHILD ET AL. (2021)

747 We examine the weaker adversary whose perturbation is bounded to $||\delta||_{\infty} = 8$. We also employ the 748 exact setup as the prior work (Schwarzschild et al., 2021), where we craft 25 poisons on a ResNet18 pre-trained on CIFAR-100 and fine-tune the model on a subset of the CIFAR-10 training data. The 749 subset contains the first 250 images per class (2.5k samples in total). 750

751 Table 6 summarizes our results against clean-label poisoning attacks with l_{∞} -norm of 8. We examine 752 five poisoning attacks in the white-box and black-box scenarios. We focus on the attacks against 753 transfer-learning as the specific data splits the prior work (Schwarzschild et al., 2021) uses are

⁴https://pytorch.org

³https://www.python.org/ 755

Table 6: **Diffusion denoising against clean-label poisoning (CIFAR10).** We denoise the l_{∞} -norm of 8 perturbations added by five poisoning attacks by running a single-step stable diffusion on the entire training set. In each cell, we show the average attack success over 100 runs and the average accuracy of models trained on the denoised data in the parenthesis. Note that [†] indicates the runs with σ =0.0, the same as our baseline that trains models without any denoising.

		Our defense against ℓ_∞ attacks at σ (%)						
Poisoning attacks	Scenario	† 0.0	0.5	1.0	1.5	2.0		
Poison Frog! (Shafahi et al., 2018)	2	(69.8) 13.0	(55.9)8.0	(43.1)4.0	(34.7)9.0	(26.9)11.0		
Convex Polytope (Zhu et al., 2019)	xoq	$^{(69.8)}24.0$	$^{(53.8)}5.0$	$^{(42.6)}9.0$	$^{(35.0)}$ 8.0	$^{(27.7)}6.0$		
Bullseye Polytope (Aghakhani et al., 2021)	ite-	$^{(69.4)}100.0$	(55.8) 10.0	$^{(42.8)}8.0$	$^{(35.0)}9.0$	$^{(27.4)}9.0$		
Label-consistent Backdoor (Turner et al., 2019)	Nh	$^{(69.8)}2.0$	$^{(55.9)}3.0$	$^{(42.7)}5.0$	$^{(34.9)}$ 8.0	(27.4)12.0		
Hidden Trigger Backdoor (Saha et al., 2020)	-	$^{(69.8)}5.0$	(55.9)3.0	$^{(42.7)}10.0$	$^{(35.2)}9.0$	$^{(27.3)}9.0$		
Poison Frog! (Shafahi et al., 2018)	2	$^{(67.9)}7.0$	(53.8)6.0	(43.3)2.5	(35.3)8.0	(28.8)6.5		
Convex Polytope (Zhu et al., 2019)	poy	$^{(67.9)}4.0$	(53.7)3.0	(43.3)3.5	$^{(35.2)}3.0$	(28.8)8.0		
Bullseye Polytope (Aghakhani et al., 2021)	ck-	$^{(67.7)}8.0$	^(53.8) 17.5	^(43.2) 16.5	$^{(35.3)}7.5$	(28.6) 8.5		
Label-consistent Backdoor (Turner et al., 2019)	31a	^(67.9) 3.5	$^{(53.8)}2.0$	$^{(43.5)}4.5$	$^{(35.2)}2.5$	$^{(29.0)}8.0$		
Hidden Trigger Backdoor (Saha et al., 2020)	-	^(67.9) 7.5	$^{(53.7)}2.0$	$^{(43.3)}7.0$	$^{(35.2)}10.5$	(28.7)8.5		

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only compatible with them. Poisoning attacks against training from scratch scenarios use the entire CIFAR10 as ours, so we don't need to duplicate the experiments. In the white-box setting, we fine-tune the CIFAR-100 ResNet18 model (that we use for crafting poisons) on the poisoned training set. In the black-box setting, we fine-tune different models (VGG16 and MobileNetV2 models pre-trained on CIFAR-100) on the same poisoned training set. We use σ in {0.5, 1.0, 1.5, 2.0} for our single-step DDPM. σ =0.0 is the same as no defense.

Results. Diffusion denoising significantly reduces the poisoning attack success. The most successful 781 attack, Bullseye Polytope in the white-box setting, achieves the attack success of 100% in l_{∞} -norm of 782 8 pixels, but denoising with σ of 0.5 can reduce their success to 10%. Our defense reduces the attack 783 success of Poison Frog! and Convex Polytope from 13-34% to 2-8% at $\sigma = 0.5$. The two backdoor 784 attacks (label-consistent and hidden trigger) exploiting clean-label poisoning are not successful in the 785 benchmark setup (their success rate ranges from 2-7.5%). We thus could not quantify our defense's 786 effectiveness against these backdoor attacks. Note that Schwarzschild et al. (2021) also showed these 787 backdoor attacks ineffective, and our finding is consistent with their results. We exclude them from 788 our Tiny ImageNet results in §C.2.

789 We also observe that the increased σ (strong denoising) can significantly reduce the utility of a model 790 trained on the denoised training data. Note that since the setup uses only 2.5k CIFAR10 samples 791 for fine-tuning, and in consequence, the model's utility is already ~70% at most, much lower than 792 our setup. As we increase the σ from 0.5 to 2.0, the fine-tuned model's accuracy leads to 56% 793 to 27%. However, we show that with the small σ , our diffusion denoising can reduce the attack 794 success significantly. We also show in our evaluation (§4) that we achieve a high model's utility 795 while keeping the same σ . We attribute the increased utility to recent model architectures, such as 796 VisionTransformers, or to pre-training a model on a larger data corpus. We leave further investigation for future work. 797

⁷⁹⁸ Moreover, in a few cases, the poisoning success increases from 2–7% to 10–13% as we increase σ . We attribute this increase not to the attack being successful with a high σ but to the poor performance of a model. For example, the accuracy of a model with $\sigma = 2.0$ is ~27%, meaning that four out of five targets in a class can be misclassified.

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C.2 TINY IMAGENET RESULTS

We also ran our experiments with Tiny ImageNet to examine whether our findings are consistent across different datasets. We assume the same adversary who can add perturbations bounded to ℓ_{∞} -norm of 16 pixels. For the three attacks in transfer-learning scenarios, we craft 250 poisoning samples on a VGG16 pret-trained on the same dataset and fine-tune the model on the tampered training set. We do not evaluate backdoor attacks because they are either ineffective (label-consistent and hidden trigger) or the original study did not employ Tiny ImageNet (Sleeper Agent). 810 Table 7: Diffusion denoising against clean-label poisoning (Tiny ImageNet). We consider four 811 attacks with the ℓ_{∞} -norm of 16 perturbation bound. In each cell, the attack success and accuracy of 812 models trained on the denoised data in the parenthesis on average over 100 runs. Note that [†] indicates 813 the runs with σ =0.0, representing no-defense scenario.

		Our defense against ℓ_∞ attacks at σ (%)						
Poisoning attacks	Scenario	† 0.0	0.1	0.25	0.5	1.0		
Poison Frog! (Shafahi et al., 2018) Convex Polytope (Zhu et al., 2019) Bullseye Polytope (Aghakhani et al., 2021)	WB	$^{(58.9)}_{(58.9)}$ 79.0 $^{(58.9)}$ 95.0 $^{(58.8)}$ 100.0	(56.3) 3.0 (56.3) 14.6 (57.4) 100.0	^(53.3) 2.0 - -	(46.5)2.0 (48.7)0.0	(32.0)1.0		
Poison Frog! (Shafahi et al., 2018) Convex Polytope (Zhu et al., 2019) Bullseye Polytope (Aghakhani et al., 2021)	BB	$^{(58.0)}5.0$ $^{(58.1)}0.0$ $^{(57.9)}9.0$	$^{(51.9)}_{(51.9)}0.0$ $^{(51.9)}0.0$ $^{(59.1)}33.3$	^(46.5) 0.0 - -	^(36.0) 1.0 (49.8)16.7	(22.6)1.0		

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> **Results.** Table 7 shows our results. Our results are consistent with what we observe in CIFAR10. Note that the poisoning attacks are more successful against Tiny ImageNet, and we attribute the success to the learning complexity of Tiny ImageNet over CIFAR10: Tiny ImageNet has 200 classes and 100k training samples. Prior work (Schwarzschild et al., 2021) had the same observation. Our defense significantly reduces the attack success. Bullseye Polytope in the white-box setting, achieves the attack success of 100% without our defense, but denoising with σ of 0.25 reduces their success to 10–15%. We find the defense reduces the success of Poison Frog! and Convex Polytope from 79–95% to 3–15% at $\sigma = 0.1$. We also observe that the increase in σ significantly degrades the model utility., e.g., $\sigma = 1.0$ loses the accuracy by 27%.

D (DENOISED) POISONING SAMPLES

Table 8: Visualize poisoning samples. We, for the CIFAR10 training data, display the poisoning samples crafted by different clean-label poisoning attacks (ℓ_{∞} -norm of 16). We also show how the perturbations are denoised with difference σ values in $\{0.1, 0.25, 0.5, 1.0\}$. $\sigma = 0.1$ yields to ineffective poisons. $\sigma = 0.0$ means we do not denoise the poisons.

