XQCfD: Accelerating Fast Actor-Critic Algorithms with Prior Data and Prior Policies

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Abstract

For reinforcement learning in the real world, online exploration is expensive. A common practice in robotic reinforcement learning is to incorporate additional data to improve sample efficiency. Expert demonstration data is often crucial for solving hard exploration tasks with sparse rewards. While prior data is used to augment experience and pre-train models, we show that the design of existing algorithms fails to achieve the sample efficiency that is possible in this setting due to a failure to use pretrained policies effectively. We propose XQCfD, which extends the sample-efficient XQC actor-critic to learn from demonstrations, using augmented replay buffers, pre-trained policies and stationary policy architectures, designed to avoid rapidly 'unlearning' the strong initial policy like prior works. We show our stationary network architecture enables policy improvement out-of-distribution better than standard network architectures due to its higher entropy predictions. XQCfD achieves state of the art performance across a range of complex manipulation tasks with sparse rewards from the popular Adroit, Robomimic and MimicGen benchmarks — notably, with a low update-to-data ratio and no ensemble networks.

1 Introduction

Reinforcement learning (RL) provides a general framework for sequential decision-making, but high sample complexity remains the central barrier to real-world deployment [39]. Model-free deep actor-critic methods have made remarkable strides in sample efficiency through careful algorithmic and architectural choices: batch normalization, weight normalization, categorical critics, high update-to-data ratios, culminating in methods such as CrossQ [4] and XQC [25, 24]. In many practical settings, prior data is readily available before online interaction begins: expert demonstrations, previously collected offline datasets, or trajectories from related tasks. Leveraging such data promises to accelerate online learning significantly. Several research threads have combined RL with this additional data: *offline-to-online RL* pre-trains a policy offline and finetunes it online; *RL from demonstrations* (RLfD, [41, 30]) incorporates expert data into the agent's experience; *RL from prior data*, e.g., RLPD [2], mixes sub-optimal offline and online data in the agent's replay buffer. *Imitation-bootstrapping* [12] interleaves on-policy and behavioral cloning actions during data collection to incorporate prior knowledge.

A recurring limitation in RLfD is failing to properly leverage the performance of *behavioral cloning* (BC [28]) at initialization [2, 12]. Many current RLfD algorithms require millions of

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*denotes equal contribution.

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interactions to match BC performance, even though they eventually surpass it. This phenomenon occurs because the pre-trained policy is rapidly unlearned due to the learning dynamics of deep actor-critic algorithms and their use of function approximation. The BC policy is not optimal for the randomly-initialized critic, and therefore the BC policy is rapidly unlearned in favor of a policy that is. This phenomenon has been observed in inverse reinforcement learning, where it is more severe due to the additional learned reward [23, 43].

We propose `XQCfD` (`XQC` from demonstrations), which extends the `XQC` actor-critic implementation with a set of algorithmic changes to achieve state-of-the art sample efficiency for RLfD:

- We perform policy pretraining on the demonstration data to start learning at the BC-level of performance, rather than learn from scratch.
- We also perform critic pretraining to ensure the initial actor and critic are coherent.
- To mitigate unlearning due to stochastic optimization, we use KL regularization between the policy and BC policy as an additional regularizer, instead of a maximum entropy one.
- To bridge KL and maximum entropy regularization, we adopt a 'stationary' parametric policies which returns a constant, maximum entropy action distribution when out of distribution. This property enables exploration and policy improvement in states outside of the expert demonstration data, so the KL regularization does not limit policy improvement over BC.

While none of these design decisions are independently novel, this combination has not been used for RLfD, and we show empirically across a range of sparse manipulation tasks that this approach prevents BC unlearning and therefore enables dramatic sample efficiency compared to baselines when combined with XQC. In summary, our contributions are

1. We combine the actor-critic algorithm `XQC` with prior data and pre-trained policies for a sample-efficient RLfD algorithm, highlighting the crucial implementation details.
2. We motivate and demonstrate the utility of stationary network architectures in RLfD.
3. We provide thorough ablation experiments to validate our design decisions.

2   Related Work

Reinforcement learning from demonstrations or prior data is a long-established idea, especially for domains where exploration is challenging and expensive. Currently, using prior data comes in three distinct settings, based on how the data is used and what is pre-trained.

Finetuning behavioral cloning with reinforcement learning.   For challenging domains such as real-world robotics and strategy games, a practical solution for sample efficiency is to finetune BC policies [35, 26, 14, 16, 37]. More modern practices combine an on- or off-policy deep RL algorithm with an additional BC-based loss or policy regularization in the actor objective to prevent unlearning [30, 33]. We build on this work by incorporating a more sample-efficient off-policy algorithm that is able to finetune a BC policy without a significant performance drop, which is observed when using randomly initialized critics, e.g., the RLFT baseline in [12].

Online reinforcement learning with additional data.   With the advent of replay buffers in deep reinforcement learning, prior data can be easily integrated by merely augmenting the replay buffer. Algorithm design decisions concern whether the replay buffer is simply augmented or multiplexed[2] [41, 2]. Imitation-bootstrapped RL [12] improves sample efficiency by incorporating BC action during interactions, and identifying dropout in the policy as an effective implementation detail and `REDQ` [6] as an effective RL algorithm in this setting. However, by not utilizing BC initialization effectively, buffer-based methods forfeit potentially significant sample efficiency gains, which we show in our experimental results.

Offline-to-online reinforcement learning.   A related setting where the prior data is suboptimal considers continuing offline RL with online interactions and learning [21]. This setting is challenging due to the difficulty of performing continual learning with function approximation with severe performance degradation, characterized as 'catastrophic forgetting' or a lack of network 'plasticity'.

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[2]Multiplexing refers to combining samples from several replay buffers within a single minibatch.

Solutions include BC regularization [44], careful sampling of offline and online samples from the replay buffer [15] and calibrating the Q values during offline learning to mitigate policy unlearning during online interactions [22]. Our RLfD setting corresponds to offline-to-online RL with expert offline data, and we do not consider using suboptimal data as we desire strong initial BC policies.

Kullback-Leibler (KL)-regularized RL. While XQC builds on SAC (soft actor-critic, [10]), XQCfD uses a KL-regularized realization rather than a maximum entropy one, where the BC policy is a prior. Siegel et al. [36] use the same regularization for offline RL, using MPO [1] as the actor-critic algorithm. Rudner et al. [33] use this regularization for RLfD with SAC, but use a nonparametric Gaussian process as the BC policy and a standard network architecture for the RL policy and minimizes their KL during pre-training. Watson et al. [43] use this formulation with SAC, but in an inverse RL setting.

3 Sample-Efficient Actor-Critic with Prior Data and Prior Policies

We consider the standard reinforcement learning setting, using a Markov decision process (MDP), defined by the tuple $(\mathcal{S}, \mathcal{A}, P, r, \gamma)$ where $\mathcal{S}$ is the state space, $\mathcal{A}$ is the action space, $P : \mathcal{S} \times \mathcal{A} \times \mathcal{S} \to [0, 1]$ are the transition dynamics, $r : \mathcal{S} \times \mathcal{A} \to \mathbb{R}$ is the reward function, and $\gamma \in [0, 1)$ is the discount factor. At each timestep h, an agent observes state $\boldsymbol{s}_h \in \mathcal{S}$, selects action $\boldsymbol{a}_h \sim \pi(\cdot \mid \boldsymbol{s}_h)$ according to a stochastic policy $\pi : \mathcal{S} \times \mathcal{A} \to [0, 1]$, transitions to $\boldsymbol{s}_{h+1} \sim P(\cdot \mid \boldsymbol{s}_h, \boldsymbol{a}_h)$, and receives reward $r_h = r(\boldsymbol{s}_h, \boldsymbol{a}_h)$. The objective is to find a policy $\pi^\star$ that maximizes the expected discounted return $\mathcal{J}(\pi) = \mathbb{E}\left[\sum_{h=0}^{\infty} \gamma^h r_h\right]$. A central quantity in reinforcement learning is the state-action value function $Q^\pi(\boldsymbol{s}, \boldsymbol{a}) = \mathbb{E}\left[\sum_{k=0}^{\infty} \gamma^k r_{h+k} \mid \boldsymbol{s}_h = \boldsymbol{s}, \boldsymbol{a}_h = \boldsymbol{a}\right]$, which satisfies the Bellman equation $Q^\pi(\boldsymbol{s}, \boldsymbol{a}) = r(\boldsymbol{s}, \boldsymbol{a}) + \gamma \mathbb{E}_{\boldsymbol{s}' \sim P(\cdot \mid \boldsymbol{s}, \boldsymbol{a}), \boldsymbol{a}' \sim \pi(\cdot \mid \boldsymbol{s}')}[Q^\pi(\boldsymbol{s}', \boldsymbol{a}')]$. Actor-critic algorithms maintain two function approximators: an actor π_ϕ parameterized by ϕ that represents the policy, and a critic $Q_{\boldsymbol{\theta}}$ parameterized by $\boldsymbol{\theta}$ that estimates the value function. Deep actor-critic algorithms maintain a replay buffer $\mathcal{B}$ of past interactions. When learning from demonstrations, we also have access to a dataset of demonstrations $\mathcal{D}$ of state-action trajectories capturing expert behavior.

Given a sample-efficient RL algorithm, incorporating prior expert data is a way of alleviating the pressure to explore and therefore achieve greater sample efficiency. While prior RLfD works adopt effective RL algorithms with Q ensembles, layer norm, and high update-to-data ratios, the recently proposed XQC [25] has matched or outperformed these architectures w.r.t. parameter count, sample efficiency and wall-clock speed by combining batch norm [13], weight norm [17] and a distributional critic [3]. This combination ensures the critic's 'effective' learning rate [40] does not decrease and the critic's loss landscape is smooth and well-conditioned [34, 9], which enables sample-efficient learning without any great computational overhead [25]. To leverage prior data, we multiplex the replay buffers during online learning and pre-train the policy using BC. The open research question concerns the tension between preventing unlearning and facilitating finetuning. Can we finetune a parametric policy without unlearning the strong initialization? To tackle this challenge, we use a policy architecture that has maximum entropy action predictions, as we adopt the entropy-regularized RL formulation, which regularizes the policy against a prior distribution using the KL divergence. While online RL uses a uniform action prior for exploration[3] with temperature $\alpha \geq 0$, in the RLfD setting we replace this uninformative prior with the pre-trained BC policy $\pi_{\mathrm{BC}}(\boldsymbol{a} \mid \boldsymbol{s})$, which also initializes $\pi_\phi(\boldsymbol{a} \mid \boldsymbol{s})$, resulting in actor loss

$$\phi_\star = \arg\max_\phi \mathcal{L}_\pi(\phi) = \mathbb{E}_{\boldsymbol{s} \sim \mathcal{B}}\left[\mathbb{E}_{\boldsymbol{a} \sim \pi_\phi(\cdot \mid \boldsymbol{s})}[Q_{\boldsymbol{\theta}}(\boldsymbol{s}, \boldsymbol{a})] - \alpha \, \mathbb{D}_{\mathrm{KL}}[\pi_\phi(\boldsymbol{a} \mid \boldsymbol{s}) \,||\, \pi_{\mathrm{BC}}(\boldsymbol{a} \mid \boldsymbol{s})]\right]. \quad (1)$$

Adopting the KL divergence provides strong policy improvement guarantees. The solution to Equation 1 has monotonic improvement guarantees over the BC policy (Lemma 1).

Lemma 1. *Monotonic policy improvement [32]. Given a prior policy $p(\boldsymbol{a}|\boldsymbol{s})$, the pseudo-posterior policy update $\pi(\boldsymbol{a}|\boldsymbol{s})$ improves on the prior in a monotonic fashion for critic Q due to the change-of-measure inequality [8],*

$$\mathbb{E}_{\boldsymbol{a} \sim \pi(\cdot \mid \boldsymbol{s})}[Q(\boldsymbol{s}, \boldsymbol{a})] \geq \mathbb{E}_{\boldsymbol{a} \sim p(\cdot \mid \boldsymbol{s})}[Q(\boldsymbol{s}, \boldsymbol{a})] \,\, \forall \boldsymbol{s} \in \mathcal{S}, \,\, \pi(\boldsymbol{a} \mid \boldsymbol{s}) \propto \exp\left(\frac{1}{\alpha} Q(\boldsymbol{s}, \boldsymbol{a})\right) p(\boldsymbol{a} \mid \boldsymbol{s}). \quad (2)$$

However, in moving our objective from maximum entropy regularization with a uniform prior to KL regularization with the BC prior, we may have compromised our deep reinforcement learning

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[3]A maximum entropy objective is equivalent to a KL minimization objective against a uniform distribution.

Figure 1: (Left) In the entropy-regularized RLfD setting, we desire a BC policy that fits the data (●) while reflecting a maximum entropy prior out of distribution. (Centre) The typical multi-layer perceptron (MLP) architecture used in deep actor-critic methods does not have this property. The out-of-distribution predictive behavior is undefined. Due to this behavior, KL regularization encourages the policy to stay close to suboptimal actions. (Right) By incorporating stationarity into the policy architecture, the policy is maximum entropy at initialization (●) and maximum entropy out-of-distribution after training (●). In practice, there is a smooth transition between modeling the data and maximum entropy prior due to the smoothness of the function approximation.

algorithm. In states outside of the demonstration distribution where we wish to perform online RL, $\pi_{\mathrm{BC}}(\boldsymbol{a} \mid \boldsymbol{s})$ may be very different from the uniform prior $\mathcal{U}(\boldsymbol{a})$, especially as the predictive behavior of neural networks outside of the data distribution (OOD) is undefined, as illustrated in Figure 1. Therefore, during RL finetuning in out-of-distribution states, Equation 1 may encourage the agent to perform suboptimal actions rather than random exploration, and reducing α as a result also encourages unlearning the expert behavior. To fix this issue, we desire a policy network that predicts a uniform action distribution when out of distribution. Fortunately, this is possible by using policies with *stationary* feature spaces.

3.1 Maximum Entropy Policies using Stationary Features

To finetune the BC policy in out-of-distribution states with maximum entropy RL using Equation 1, we require a BC policy with the following characteristic,

$$\pi_{\mathrm{BC}}(\boldsymbol{a} \mid \boldsymbol{s}) = \begin{cases} p_{\mathcal{D}}(\boldsymbol{a} \mid \boldsymbol{s}) \text{ if } \boldsymbol{s} \in \mathcal{D}, \text{ where } p_{\mathcal{D}} \text{ is a conditional generative model of } \mathcal{D}, \\ \mathcal{U}(\boldsymbol{a}), \text{ the uniform prior, otherwise.} \end{cases} \tag{3}$$

A consequence of this characteristic is that, in the absence of any demonstration data, we desire a policy architecture where $\pi_{\mathrm{BC}}(\boldsymbol{a} \mid \boldsymbol{s}) = \mathcal{U}(\boldsymbol{a}) \ \forall \ \boldsymbol{s} \in \mathcal{S}$. Following soft actor-critic [10], we use a Gaussian policy with a tanh transformation to bound the support of the action distribution to match the uniform prior. Therefore, this property is approximated by a latent action $\boldsymbol{a} = \tanh(\boldsymbol{z})$ with fixed zero-mean Gaussian predictions. The desired out-of-distribution behavior described above can be achieved with a latent Gaussian model with stationary features $\boldsymbol{\varphi}$. Stationary features have constant self-similarity: the inner product $\boldsymbol{\varphi_\theta}(\boldsymbol{s}')^\top \boldsymbol{\varphi_\theta}(\boldsymbol{s})$ is a function of a distance metric between $\boldsymbol{s}'$ and $\boldsymbol{s}$, which means that the variance is a constant when $\boldsymbol{s}' = \boldsymbol{s}$, $p(z \mid \boldsymbol{s}) = \mathcal{N}(0, \sigma^2)$ as desired when $p(\boldsymbol{w}) = \mathcal{N}(\boldsymbol{0}, \sigma^2 \boldsymbol{I})$ due to the predictive distribution of Gaussian models shown below. Our latent Gaussian policy is implemented using stationary last layer features, on top of MLP features, with Gaussian last layer weights $\boldsymbol{w}$ such that $p(\boldsymbol{z} \mid \boldsymbol{s}) = \int p(\boldsymbol{z} \mid \boldsymbol{s}, \boldsymbol{w}) \, p(\boldsymbol{w}) \, \mathrm{d}\boldsymbol{w}$,

$$z = \boldsymbol{w}^\top \boldsymbol{\varphi_\theta}(\boldsymbol{s}), \quad p(\boldsymbol{w}) = \mathcal{N}(\boldsymbol{\mu}, \boldsymbol{\Sigma}), \quad p(z \mid \boldsymbol{s}) = \mathcal{N}(\boldsymbol{\mu}^\top \boldsymbol{\varphi_\theta}(\boldsymbol{s}), \boldsymbol{\varphi_\theta}(\boldsymbol{s})^\top \boldsymbol{\Sigma} \, \boldsymbol{\varphi_\theta}(\boldsymbol{s})).$$

This predictive behavior is preserved for out-of-distribution states after training, subject to the smoothness of the features. Unfortunately, this stationary property is only achieved exactly when $\varphi(\boldsymbol{s})$ is an infinitely large feature space and $\boldsymbol{\varphi_\theta}(\boldsymbol{s})^\top \boldsymbol{\varphi_\theta}(\boldsymbol{s}')$ is expressed through its tractable kernel function $k(\boldsymbol{s}, \boldsymbol{s}')$ [31]. Fortunately, we can construct a *finite* approximate to these feature spaces using *random Fourier features* [29] $\boldsymbol{f}_k$ for kernel $k(\cdot, \cdot)$,

$$\boldsymbol{\varphi_{\theta, V}}(\boldsymbol{s}) = \boldsymbol{f}_k(\boldsymbol{V}\boldsymbol{s}), \quad V_{ij} \sim \mathcal{N}(0, 1), \tag{4}$$

where $\boldsymbol{f}_k$ are periodic functions required to approximate stationary kernel k and $\boldsymbol{V}$ is a fixed random weight matrix that constructs the random features with $\boldsymbol{f}_k$. In practice, we apply the random features to neural network features rather than $\boldsymbol{s}$ for greater function approximation capability, i.e., $\boldsymbol{f}_k(\boldsymbol{V}\varphi_{\mathrm{NN}}(\boldsymbol{s}))$, which preserves stationarity [20]. We refer to this architecture as HetStat, as it is heteroscedastic[4] and stationary. HetStat policies were first proposed by Watson et al. [43] in an

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[4]Heteroscedastic predictions have input-varying variance, whereas homoscedastic predictions have constant variance.

Algorithm 1: XQC from Demonstrations (`XQCfD`).

Data: Expert demonstrations $\mathcal{D}$, temperature α, parametric policy class $\pi_\phi(\boldsymbol{a} \mid \boldsymbol{s})$, parametric
   critic class $Q_\theta(\boldsymbol{s}, a)$, total steps T, update-to-data ratio N, policy delay D
Result: $\pi_{\phi_T}(\boldsymbol{a} \mid \boldsymbol{s})$, matching or improving the initial policy $\pi_{\phi_1}(\boldsymbol{a} \mid \boldsymbol{s})$
                         // pre-train policy and critic
Train initial policy from demonstrations using Equation 5, $\phi_1 = \arg\min_\phi \mathcal{L}_{\mathrm{BC}}(\phi)$.
Pre-train critic on $\mathcal{D}$ using ϕ_1 and Equation 6.
for $h = 1 \rightarrow T$ **do**   // finetune policy with reinforcement learning
 │ Interact with environment $\boldsymbol{s}_{h+1} \sim P(\cdot \mid \boldsymbol{s}_h, \boldsymbol{a}_h)$, $\boldsymbol{a}_h \sim \pi_{\phi_h}(\cdot \mid \boldsymbol{s}_h)$, store in buffer $\mathcal{B}$;
 │ **for** $n = 1 \rightarrow N$ **do**
 │ │ Update critic using $\mathcal{L}_Q(\theta)$ (Equation 6) on minibatch from $\mathcal{B}$ and $\mathcal{D}$;
 │ │ **if** $i \% D = 0$ **then**
 │ │ │ Update policy optimizing $\mathcal{L}_\pi(\phi)$ (Equation 1) on minibatch from $\mathcal{B}$ and $\mathcal{D}$;
 │ │ **end**
 │ **end**
end

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inverse RL setting, combining it with SAC and the same actor objective (Equation 1). While this policy architecture was required for their learned reward, they also benefited from regularization properties of stationary priors observed by Rudner et al. [33]. However, while Rudner et al. [33] used a (stationary) homoscedastic, nonparametric Gaussian process BC prior and an MLP policy, we and Watson et al. [43] adopt a stationary network policy for both to benefit from parameter initialization and avoid the scaling issues that arise with nonparametric GPs [31].

3.2 Off-policy reinforcement learning from demonstrations

We now outline the design of `XQC` and our extensions for `XQCfD`.

Actor-critic algorithm. `XQC` builds on SAC and adopts three design decisions: batch norm, weight norm, and a categorical critic. Following [4], during critic learning we apply batch norm to the states and next states combined, i.e., computing $\boldsymbol{q}, \boldsymbol{q}' = Q_\theta([\boldsymbol{s}, \boldsymbol{s}'], [\boldsymbol{a}, \boldsymbol{a}'])$ to ensure the batch statistics correctly capture the state-action distribution seen by the critic. In practice a target network is used to predict $\boldsymbol{q}'$. Secondly, we apply weight norm to the critic network to constrain them to the unit sphere, i.e., $\tilde{\boldsymbol{W}} = \boldsymbol{W}/\|\boldsymbol{W}\|_2$. This normalization keeps the effective learning rate constant [17], which describes the phenomena where learning slows down as the weight norms of the parameters grow due to gradients scaling inversely proportional to the weights when batch norm is used [24]. The categorical critic has 101 atoms and a cross entropy loss following the C51 architecture (Appendix B, Bellemare et al. [3]). For the actor, applying BN and WN is optional, but often beneficial and therefore used in our experiments.

For `XQCfD`, we make three algorithmic changes: initializing the policy via pre-training, replacing the entropy term in the actor loss with KL regularization (Equation 1), and maintaining both the demonstration and replay buffer separately. The algorithm is summarized in Algorithm 1.

Model pre-training. For BC pre-training, we use a loss function that combines mean-squared error (MSE) and negative log likelihood (NLLH) metrics. As our stochastic policy predicts both mean and variance, it is a heteroscedastic regression model. In deep learning, these models can suffer from ambiguity between signal and noise, resulting in regression fits that under-fits in the mean and overestimates the variance rather than accurately modeling complex functions. The *faithful* loss [38] resolves this issue by training the mean prediction $\boldsymbol{\mu}(\boldsymbol{s}) = \boldsymbol{f}_\mu(\boldsymbol{\varphi}(\boldsymbol{s}))$ with the MSE objective, while training only the variance head with the NLLH. Crucially, gradients are cut between the variance head and the shared feature space $\boldsymbol{\varphi}(\boldsymbol{s})$, so that $\boldsymbol{\Sigma}(\boldsymbol{s}) = \boldsymbol{f}_\Sigma(\mathrm{sg}(\boldsymbol{\varphi}(\boldsymbol{s})))$, where $\mathrm{sg}(\cdot)$ denotes the stop-gradient operator, to ensure the features are optimized for the mean fit rather than uncertainty quantification. The resulting loss is

$$\mathcal{L}_{\mathrm{BC}}(\phi) = \mathbb{E}_{\boldsymbol{a}, \boldsymbol{s} \sim \mathcal{D}}[\|\boldsymbol{a} - \boldsymbol{l}(\boldsymbol{\mu}_\phi(\boldsymbol{s}))\|_2^2 - \log p(\boldsymbol{z} \mid \boldsymbol{\mu}(\boldsymbol{s}), \boldsymbol{\Sigma}(\boldsymbol{s})^2) - \log |\nabla_{\boldsymbol{z}} \boldsymbol{l}(\boldsymbol{z})|], \quad (5)$$

where $\boldsymbol{l}(\cdot)$ is the action transform, e.g., $\tanh$, of the latent Gaussian action $\boldsymbol{z} \sim p(\cdot \mid \boldsymbol{\mu}, \boldsymbol{\Sigma})$. We also pre-train the critic on the demonstration data using the same critic objective used for RL.

Policy regularization. For the KL divergence between policies in Equation 1, we use the closed-form KL between latent Gaussian actions, as the KL divergence between the tanh-squashed Gaussian has no closed-form expression and would require a Monte Carlo KL approximation. Since the KL divergence is invariant under shared bijections [27], the closed-form Gaussian KL is in fact equal to our desired quantity. Applying the closed-form KL to regularize predictions has also been used in supervised learning [42]. For the KL scaling term α, we find a constant value is sufficient to regularize the update [43] and did not jointly optimize the temperature like Haarnoja et al. [10]. The BC parameters initialize the RL policy, so the KL starts at zero.

Experience replay. When combining data buffers, we combine the minibatches equally throughout training, coined as 'symmetric sampling' in Ball et al. [2]. We also use the expert demonstration data to pre-compute the reward statistics for normalization and avoid online estimators.

4 Experiments

We now evaluate the empirical performance of XQCfD across a diverse set of sparse-reward manipulation tasks drawn from three established benchmarks, comparing XQCfD with HetStat and MLP policy architectures. This section provides an overview of the experimental setup, including environments, implementation details and evaluation protocol. Section 4.1 presents our main results, comparing against relevant baselines in terms of sample efficiency and asymptotic performance. We then ablate key design decisions to isolate their individual contributions (Section 4.3).

Environments. We evaluate XQCfD on a total of 11 sparse-reward manipulation tasks spanning 3 popular benchmarks. From Adroit [30], we use four dexterous hand tasks: pen, door, hammer, relocate. From Robomimic [18], we consider three tasks: Lift, NutAssemblySquare, and PickPlaceCan. From MimicGen [19], we include four tasks: StackThree, Coffee, HammerCleanup, MugCleanup. These environments are characterized by high-dimensional action spaces, contact-rich dynamics, and binary sparse rewards, making learning particularly challenging for agents relying solely on online exploration.

Demonstration data. For each task, we assume access to the standard dataset of expert demonstrations. For most environments this is 200 demonstrations per task, apart from StackThree_D0 which provides 1000 demonstrations to variety of initial cube positions. This data regime is reasonable to be collected manually by experts and provides performant BC policies. We use the same expert datasets for BC pre-training, replay buffer augmentation and reward normalization statistics.

Baselines. We compare XQCfD against several baselines, including BC [28], RLPD [2], XQC [25], and SAC [10]. As a means of separating the contribution of the actor-critic algorithm from the RLfD, we consider three variants of XQC, reflecting several RLfD approaches. These are (i) using BC pre-training (XQC + BC), (ii) combining expert offline data with the online replay buffer (XQC + OD) like RLPD, and (iii) combining (i) and (ii) (XQC + BC + OD). For SAC, we use a HetStat policy.

Figure 2: Performance of XQCfD and baselines on Adroit over 10 seeds, showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals. BC pretraining performance is shown before the vertical dashed line. Notably, in two of the tasks, BC achieves expert performance. The benefit of improving upon BC is clear in this scenario, and baselines then require 100K–1M interactions to recover BC-level performance after unlearning. In the pen task, where BC is only ∼60% successful, XQCfD only achieves a speed-up of 50K interactions, which supports our Hypothesis 2.

Figure 3: Performance results on Robomimic over 10 seeds showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals. BC pretraining performance is shown before the vertical dashed line. OD refers to adding expert offline data. Robomimic includes three sparse manipulation tasks that are challenging to solve without leveraging demonstrations. For `Lift` and `PickPlaceCan`, the benefit of `XQCfD` is clear, and BC performs close-to-expert performance and therefore `XQCfD` is dramatically more stable than baselines. However, we see in the `Lift` task (simply lifting a block) `XQC` + offline data learns extremely rapidly, and `XQC` + offline data + BC unlearns very little. However, for the harder `PickPlaceCan` task, unlearning is much more severe for our strong `XQC`-based baselines and `XQCfD` achieves a sample efficiency of 1M steps. For the harder `NutAssemblySquare` task, BC performs worse, therefore the performance gap between `XQCfD` and `XQC` + offline data is initially small and rapidly negligible, matching our Hypothesis 2.

Hypotheses. Our experimental design is built upon the following hypotheses.

1. `XQCfD` will improve upon BC performance without unlearning.
2. The sample efficiency of `XQCfD` will depend on the performance of the BC policy.
3. `XQC` will still outperform `SAC` and LayerNorm (`RLPD`) in the sparse RLfD setting.

If these three hypotheses are true, `XQCfD` will be an effective RLfD implementation, subject to the quality of the demonstration data.

4.1 Experimental results

In Figures 2, 3, 4, we benchmark `XQCfD` against baselines on Adroit, Robomimic and MimicGen respectively, looking at 11 tasks in total. Across all tasks, Hypothesis 1 holds, with little observable unlearning at the transition to BC. Improving on BC rather than starting from scratch yields notable gains in sample efficiency. In `PickPlaceCan` the strongest baselines require ∼1M additional samples to reach `XQCfD` performance and ∼500K in `relocate-expert-v1` and `HammerCleanup-D0`. Moreover, `XQCfD` is the only method to achieve non-zero success rate in the harder MimicGen tasks `StackThree-D0` and `Coffee-D0`. For tasks `NutAssemblySquare` and `MugCleanup-D0`, the BC success rate was only in the region of 20-30%, and there was a much smaller performance gap

Figure 4: Performance results of `XQCfD` and baselines on MimicGen over 10 seeds, showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals. BC pretraining performance is shown before the vertical dashed line. OD refers to adding expert offline data. Compared to Robomimic, these tasks are slightly more complex due to a broader initial state distribution and longer task horizon. For this suite, `XQCfD` excels in tasks where the initial BC policy performs well. In the Mug task, where the BC policy achieves a low success rate, `XQCfD` is comparable to baselines without the benefit of pretraining. For the hardest task, StackThree, `XQCfD` is the only algorithm to achieve greater-than-zero success, but only improve the BC policy by 10%. This suggests there are still improvements to be made before harder tasks can be mastered.

Figure 5: An empirical analysis of the optimization landscape of the actor with and without the HetStat policy for `PickPlaceCan`. The HetStat policy improves the condition number by around $100\times$, which we attribute to the inherent regularization from the stationarity of the HetStat policy [33]. The condition number analysis technique follows Behrooz et al. [9] and Palenicek et al. [25].

between `XQCfD` and `XQC + OD`. We find a lower temperature was better in these environments, as the agent benefited from a greater trust region to improve on the worse-performing BC policy. However, this result confirms our Hypothesis 2 that the value in `XQCfD` relies on initial BC performance. We found that this temperature parameter was also highly coupled to the unlearning phenomena, as `NutAssemblySquare` and `MugCleanup-D0` both exhibit a small drop in performance due to a lack of regularization. Figure 7 shows that a lower temperature can prevent premature convergence.

Regarding Hypothesis 3, Figure 2 shows that while `SAC` and `RLPD` can solve several tasks, similar `XQC` variants outperform them for all but one environment. This result reflects previous findings on the qualities of `XQC` [24, 25]. Moreover, Ball et al. [2] tune the hyperparameters of `RLPD` per environment. We were not able to tune `RLPD` to solve Robomimic, as observed by Biza et al. [5].

4.2 Actor conditioning analysis

Palenicek et al. [25] have shown that critic architectures with better conditioning can be linked to improved RL training performance. In Figure 5, we see that the HetStat policy improves the condition number of the actor loss by around $100\times$, supporting the insight that stationary policies are provide a better loss landscape for learning due to their consistent predictions when out of distribution [33].

Figure 6: Ablation studies on `XQCfD`, replacing the HetStat MLP with a standard MLP and replacing KL regularization with standard entropy regularization for the Adroit (top), Robomimic (middle) and MimicGen (bottom) environments over 10 seeds, showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals.

Figure 7: Sensitivity study of `XQCfD`'s temperature α that controls KL regularization against the BC policy. Evaluated over one task for Adroit, Robomimic and MimicGen over 10 seeds, showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals. Lower temperatures result in a larger performance drop on the transition from BC to RL due to unlearning, but lower temperatures also facilitate greater RL finetuning due to the smaller proximal regularization.

4.3 Ablation studies and hyperparameter sensitivity

In Figure 6, we perform an ablation study on the HetStat policy and KL regularization. For 6 out of 11 environments, the HetStat policy has clear benefits over the standard MLP for stable finetuning.

Regarding KL regularization, for 6 out of the 11 environments, removing KL regularization resulted in complete unlearning and failure to converge. For the 5 environments where KL regularization is not needed, these are environments where BC has a low success rate, so standard RL with auxiliary data is sufficient and unlearning does not need to be prevented. While HetStat policies and KL regularization are needed under the same conditions, only one environment (`Coffee`) required both. Our hypothesis is that the HetStat architecture is beneficial for stable finetuning, hence replacing it results in poor convergence (`relocate`, `Lift`, `PickPlaceCan`, `HammerCleanup`). Removing KL regularization appears to frequently trigger rapid unlearning, although it is unclear why the agent cannot recover with additional experience, as the baselines appear to do when learning from scratch. The baselines that do not have the additional data to aid exploration (`SAC` and `XQC +BC`) consistently fail after unlearning.

In Figure 7, we sweep across different values of the fixed temperature. Higher temperatures correspond to stronger BC regularization. When the BC policy has weak performance, online policy improvement struggles with stronger regularization, so lowering the temperature increases the policy improvement during online training.

Lastly, in Figures 8 to 10 in Appendix A, we provide a hyperparameter sensitivity experiment w.r.t. the number of expert demonstrations, which affects both the BC pretraining and auxiliary replay buffer. The trend we observe is that if fewer demonstrations result in a weaker BC policy, RL finetuning can be weaker, which suggests the KL regularization should be tuned to account for a suboptimal BC policy when using fewer demonstrations.

5 Conclusion

We present `XQC` from demonstrations (`XQCfD`), an effective RLfD implementation that combines a sample-efficient RL algorithm, BC pretraining and regularization, and stationary policies. `XQCfD` solves an persistent limitation of prior deep off-policy RLfD approaches that are incapable of efficiently finetuning BC policies due to the randomly initialized critic causing the policy performance to drop below BC. By finetuning BC policies instead of relearning from scratch, sample efficiency is significantly improved. Across 11 sparse-reward manipulation tasks from Adroit, Robomimic and MimicGen, `XQCfD` achieves state-of-the-art performance with a low update-to-data ratio and no Q-function ensembles. Our ablations confirm that our design decisions contribute to this performance in combination. For future work, we plan to extend this algorithm to the action chunking setting with generative policies, which has been shown to improve BC performance on complex tasks [7] but is currently not stationary or straightforward to finetune with off-policy RL.

Limitations. Our experimental scope is restricted to expert demonstrations; we do not evaluate on suboptimal offline data, although `XQCfD` could be applied to this setting with no adjustments.

Another current limitation is the fixed KL temperature, since RL performance can be sensitive to the BC quality when balancing regularization against premature convergence. Future work could investigate adaptive temperature schedules that adjust regularization strength during training.

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A Ablation: Sensitivity to the Number of Expert Demonstrations

Figures 8 to 10 show that `XQCfD` remains effective across a range of demonstration dataset sizes on Adroit, Robomimic, and MimicGen. As expected from Hypothesis 2, gains scale with initial BC quality, indicating that the KL temperature can be tuned to extract further performance when fewer demonstrations are available.

Figure 8: Sensitivity study on `XQCfD`, replacing the number of expert demonstrations for the Adroit environments over 10 seeds, showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals.

Figure 9: Sensitivity study on `XQCfD`, replacing the number of expert demonstrations for the Robomimic environments over 10 seeds, showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals.

Figure 10: Sensitivity study on `XQCfD`, replacing the number of expert demonstrations for the MimicGen environments over 10 seeds, showing the IQM and 10th and 90th percentile stratified bootstrap confidence intervals.

B The Categorical Critic Objective

In C51 [3], the critic models the return distribution as a categorical distribution over N fixed atoms $\{z_i\}_{i=1}^{N}$ with probabilities $\boldsymbol{p}_{\boldsymbol{\phi}}(\boldsymbol{s}, \boldsymbol{a}) = (p_{\phi,1}(\boldsymbol{s}, \boldsymbol{a}), \ldots, p_{\phi,N}(\boldsymbol{s}, \boldsymbol{a}))$. The target distribution is obtained by projecting the Bellman update $r + \gamma Z$ onto the atom support, yielding projected

probabilities $m(s, a, s')$. The critic is then trained by minimizing the cross-entropy loss,

$$\mathcal{L}_Q(\boldsymbol{\theta}) = -\mathbb{E}_{s,a,r,s' \sim \mathcal{B}} \left[\sum_{i=1}^{N} m_i(s, a, s') \log p_{\boldsymbol{\theta},i}(s, a) \right], \tag{6}$$

where the target projection coefficients are computed as

$$m_i(s, a, s') = \sum_{j=1}^{N} \left[1 - \frac{\left| \left[r + \gamma z_j \right]_{z_1}^{z_N} - z_i \right|}{z_{i+1} - z_i} \right]_0^1 p_{\bar{\boldsymbol{\theta}},j}(s', a'). \tag{7}$$

with $a' \sim \pi_\phi(\cdot \mid s')$. Function $[\cdot]_a^b$ denoting clipping to $[a, b]$, and $\bar{\theta}$ denoting the parameters of a target network.

C Experimental Details

Evaluation protocol. All experiments were run using 10 random seeds. For Robomimic and MimicGen, evaluations are performed every 50000 environment steps, whereas for Adroit, evaluations are performed every 10000 environment steps. In each evaluation phase, we execute 100 rollouts using a deterministic policy. For Robomimic and MimicGen, we report the average success rate, and for Adroit, we report the completion speed, following the protocol of Ball et al. [2].

Implementation details. Our implementation is based on the publicly available `XQC` code-base [25] (https://github.com/danielpalenicek/xqc). We use two sets of hyperparameters that differ only in their fixed temperature. For the environments `MugCleanup`, `NutAssemblySquare`, `Pen`, and `Hammer`, we set the temperature to 0.001, while for all other environments, we use a temperature of 0.01. We observe that stronger BC policies perform better with a higher temperature, whereas weaker BC policies benefit from a lower temperature. Table 1 summarizes our hyperparameters alongside those used in the baseline methods.

Hyperparameter	XQCfD	XQC	SAC	RLPD
Learning rate	3e-4	3e-4	3e-4	3e-4
hidden dim	512	512	512	256
Policy Delay	3	3	3	20
Initial Temperature	0.01 / 0.001	0.01	0.01	1.0
Target entropy	-	$|A|/2$	$|A|/2$	$|A|/2$
Target network momentum	0.005	0.005	0.005	0.005
Update-to-data ratio	2	2	2	20
Critic ensemble size	2	2	2	10
Critic loss	Categorical	Categorical	MSE	MSE
Discount	Heuristic	Heuristic	Heuristic	0.99

Table 1: Overview of hyperparameters, including `SAC` (same parameters as `XQC`) and critic loss settings.

RLPD uses environment-specific hyperparameters, which we summarize in Table 2. Since RLPD does not provide hyperparameters for Robomimic, we manually adjusted them. We did not perform any additional tuning of these hyperparameters.

Environment	**CDQ**	**Entropy**	**MLP Size**	**MLP Layers**
Adroit	True	False	256	3
Robomimic	True	False	512	3

Table 2: Overview of RLPD environment-specific hyperparameters.

Compute resources. The experiments for this paper were conducted on a high-performance computing cluster utilizing NVIDIA A100 and H100 GPUs. A single GPU could run 5 seeds in parallel in 16 hours, leveraging JAX vmap over seeds. We estimate the total computational effort for this paper at approximately 1,000 GPU-hours. This total encompasses the primary experimental suite, ablation studies, hyperparameter tuning, and prior investigations.

Licenses. We use the following assets: XQC codebase [25] (MIT), Adroit [30] (Apache 2.0), Robomimic [18] (MIT), MimicGen [19] (NVIDIA License), RLPD [2] (MIT). All assets are used in accordance with their respective licenses.

D   Discount Heuristic

We set the discount factor based on the environment's horizon, following Hansen et al. [11]:

$$\gamma = \text{clip}\left(\frac{T/5 - 1}{T/5}, [0.95, 0.995]\right),$$

where T denotes the episode length.