HMV-CL: Heterogeneous Multi-View Contrastive Learning for Improved Representation of Rare Disease Patient Narratives

Abstract

Narratives from rare disease patients and families on social media offer valuable insights for public health researchers. However, pretrained text embeddings present limitations that are exacerbated by these very specific High Dimensional - Low Sample Size data, resulting in poor downstream performance. We propose a heterogeneous multi-view contrastive learning framework that aligns dense `CamemBERT-v2` embeddings with sparse symbolic views (clinical signs, medical procedures and pharmacological treatments) extracted from the posts. Our method considerably improves embedding space geometry by resolving embedding anisotropy (reducing mean cosine similarity from 0.88 to 0.10) and increasing space utilization (effective rank rising from 27% to 70%); it also improves downstream clusterability, achieving a stable Adjusted Rand Index of 0.71 and a drastic reduction in the outliers ratio from 95.15% to 10.59%. Moreover, low inter-view correlations (< 0.5) provide natural regularization, preventing collapse without explicit penalties. Overall, we established a strong baseline for patient-centered NLP in the underserved domain of rare diseases, that will hopefully lead to more work on the subject, including benchmark datasets, formal convergence guarantees, and concrete analyses of rare disease patients' trajectories and needs.

1 Introduction

Self-supervised learning (SSL) has become a central approach for learning rich representations from large collections of unlabeled text, enabling strong downstream performance. SSL-based language models such as Bidirectional Encoder Representations from Transformers (BERT) (Vaswani et al., 2017; Devlin et al., 2019; Gao et al., 2019) provide generic embeddings that can be adapted to many applications, including clinical and biomedical Natural Language Processing (NLP). However, in prac-

Figure 1: Overview of the HMV-CL framework. Heterogeneous views $x_k^{(v)}$ are projected into a shared latent space through view-specific encoders $f_\theta^{(v)}$. The final document embedding e_k is generated by concatenating the individual view projections $z_k^{(v)}$ and applying a single learnable linear projection g_Φ followed by L_2-normalization. The fusion process is supervised by ℓ_{global} that ensures the final document representation remains consistent with its constituent views.

tice, it is still a mathematical and computational challenge to extract relevant document representations from these models, especially when the data distribution significantly differs from the pretraining corpora (Ethayarajh, 2019; Li et al., 2020).

A well-documented issue is embedding anisotropy: Gao et al. (2019) showed that most of learned word embeddings tend to be distributed in a narrow cone. Ethayarajh (2019); Li et al. (2020) showed that pretrained Transformer embeddings and sentence embeddings tend to also suffer from this phenomenon and to concentrate in a few dominant directions, reducing discriminative

power, harming clustering and retrieval and more generally complicating downstream analyses.

In highly specialized domains, these limitations related to the structure of the embedding space are exacerbated. In health-related social media, and especially in rare disease communities, the language used by patients and caregivers differs greatly from the corpora used to train domain-specific models such as CamemBERT-bio (Touchent et al., 2023) or DrBERT (Labrak et al., 2023)[1], making them even less adapted than general models such as CamemBERT (Martin et al., 2020; Antoun et al., 2024; Le Priol et al., 2024). This happens because these narratives are highly heterogeneous, mixing highly specialized and potentially rare medical vocabulary and informal and experiential discourses.

For many of these rare conditions, patients' or caregivers' narratives are scarce. But, in the same time, social media and specialized forums have become crucial spaces for families to share their experiences, exchange knowledge and discuss treatments (Golder et al., 2024), making these narratives a novel unique and valuable source of real-world evidence about lived experiences and natural histories, that could enrich existing clinical and scientific data. But their analysis requires adapted representation learning methods, able to cope with their specifities.

Research questions Our work aims at answering the following research question: how can we produce less anisotropic, more informative and clusterable document embeddings for rare disease social media data?

This work also answers to a secondary research question: can the heterogeneous nature of the views used alleviate the potential redundancy between views and consequent dimensional collapse?

Contributions We propose a multi-view contrastive framework for learning document-level embeddings from French rare disease social media data. While traditional NLP representation learning methods often focus exclusively on text, we wanted to leverage, alongside standard text embeddings, complementary views extracted from patient narratives: clinical signs, medical procedures, and pharmacological treatments.

Our method optimizes a multi-view contrastive objective that aligns representations of the same document across views. We also found that the redundancy between views is not an issue with our specific views, which are heterogeneous enough to act as natural regularizer and thus avoid representational collapse.

We evaluated our approach on French social media data related to a developmental and epileptic encephalopathy, an extremely rare disease discovered relatively recently and characterized by early-onset epilepsy (usually within the first two years of life) associated with global developmental delay (usually language and motor), intellectual disability, and frequent comorbidities such as autism spectrum disorder, and sleep disturbances (Torkamani et al., 2014; Saitsu et al., 2015). We added an evaluation on a English social media data related to health more generally. Through our experiments, we showed that our method reduces embedding anisotropy and improves the geometric structure of the embedding space, yielding better performance on an unsupervised downstream task, as well as on supervised classification tasks.

Although designed and extensively validated for our specific social media dataset, we believe our Heterogeneous MultiView-Contrastive Learning (HMV-CL) framework is modular and could be applied on other rare diseases forums or social media data, sharing similar characteristics: heterogeneous textual content, sparse clinical signals, and High Dimensional-Low Sample Size (HDLSS) setting. To the best of our knowledge, no standard benchmark currently captures the unique challenges of this domain (extreme data scarcity, domain-specific jargon, mixed emotional/clinical content). While lacking formal theoretical guarantees, our empirical validation on this real-world dataset makes our approach particularly valuable as both a methodological contribution and a baseline for future work.

Overall, our work demonstrates that HMV-CL is an effective approach for representation learning in low-resource, domain-specific social media settings, and offers new perspectives for the analysis of patient-centered narratives in rare diseases.

2 Related Work

2.1 Embedding anisotropy

Recent work has highlighted that pretrained language model embeddings often exhibit strong anisotropy, where representations concentrate in narrow cones of the embedding space, reducing

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[1]French language BERT models specialized on biomedical texts

their discriminative capacity. This phenomenon has been extensively documented for sentence embeddings derived from BERT-like models (Ethayarajh, 2019; Li et al., 2020; Godey et al., 2024). Anisotropy negatively impacts downstream tasks such as clustering or semantic similarity estimation.

In the context of rare diseases, and particularly of families' narratives, this issue is severe because the language, mixing experiential discourse and specialized jargon, differs significantly from the general (or biomedical) corpora used during pre-training.

2.2 Contrastive Learning (CL)

CL is a Machine Learning paradigm that learns representations by contrasting positive pairs against negative pairs. The scientific interest in CL, measured by scientific publications and citations, has sharply increased since 2018 (Hu et al., 2024).

It has been very successful in learning representations of images and sequential data (Oord et al., 2019; Tian et al., 2020; Henaff, 2020; Chen et al., 2020; He et al., 2020) has been extended to language (Gao et al., 2021). In NLP, CL objectives have been shown to partially alleviate the issue of anisotropy. In particular, Gao et al. (2021) demonstrate that even simple contrastive setups can significantly "alleviate the anisotropy problem" in sentence embedding spaces, both empirically and theoretically.

Our framework, described in section 3 is based on Chen et al. (2020); Gao et al. (2021). In the same way, our loss pulls positive pairs together while pushing negatives apart. Compared to these frameworks, based on data augmentation to create the positive pairs, we used the complementarity of heterogeneous views as natural positive pairs.

2.3 Multi-view representation learning

Multi-view representation learning aims to learn by maximizing mutual information between different views of a same object. In computer vision, multi-view contrastive objectives were explored to align different visual perspectives or modalities (Tian et al., 2020). The idea has been extended to heterogeneous representations, including text, showing that contrastive alignment across views can improve robustness and generalization (Xu et al., 2023). For example, the representations can be audio and text recorded simultaneously, images and

text representing the same thing, parallel text in different languages,... (Wang et al., 2015).

In biomedical and clinical domains, multi-view learning has been used to combine heterogeneous sources. For example Chen et al. (2023) used it on multi-omics data to identify cancer subtypes; Zhao et al. (2024) incorporated medical knowledge graphs and medical licensing exams to their textual data from medical records; and Bai et al. (2025) applied a MV-CL approach to MRI multi-view data and medical insights extracted from textual symptom descriptions.

2.4 Preventing dimensional collapse

A major risk in multi-view learning is dimensional collapse, where various projection heads learn redundant information. Collapse phenomena in SSL, i.e., when representations lose diversity, have been studied in literature. For example, He et al. (2024) show that contrastive and non-contrastive SSL methods are prone to dimensional collapse. Methods that introduce variance and decorrelation constraints to prevent such collapse in vision models (Zbontar et al., 2021; Bardes et al., 2022) have been proposed.

In the case of contrastive objectives, most of them are based on mutual information maximization (Oord et al., 2019; Tian et al., 2020; Wu et al., 2020; Zhang et al., 2020). However, maximizing mutual information alone does not prevent different views from encoding the same information. Recent work has emphasized the need to balance alignment with redundancy reduction (Wang and Isola, 2020); for example (He et al., 2024) mitigate the redundancy risk through explicit orthogonality regularization, penalizing inter-view correlations.

3 Method: Heterogeneous MutiView - Contrastive Learning (HMV-CL)

Our framework, illustrated in Figure 1, aims to learn a robust document-level representation by aligning heterogeneous views in a shared latent space.

3.1 Formal definitions and notation

We consider a batch of N documents[2], each document $k \in \{1, ..., N\}$ is represented by a set of V heterogeneous views.

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[2]From here on "document" refers to a post from social media/online forums

- Input: let $x_k^{(v)} \in \mathbb{R}^{d_v}$ be the raw representation of the v-th view of document k
- Shared latent space: each view is mapped by a learnable multi-layer perceptron (MLP) followed by L_2-normalization to a shared space $\mathbb{R}^D$ via a view specific projection head $z_k^{(v)} = \text{Norm}\big(f_\theta^{(v)}(x_k^{(v)})\big)$ (i.e. such that $||z_k^{(v)}||_2 = 1$)
- Batch matrix representation: for a batch of N documents, we define the view-specific embedding matrix $Z^{(v)} = [z_k^{(v)}]_{k \in \{1, \dots N\}} \in \mathbb{R}^{N \times D}$ as the stack of the projected vectors for the v-th view.
- $\mathbf{Z} = (Z^{(1)}, \dots, Z^{(V)})$ is a tuple representing the complete state of the system for a given batch.

3.2 Core contrastive objective

Following Chen et al. (2020) and Gao et al. (2021)'s frameworks, we define our base contrastive objective ℓ_{CL} for any two sets of projections across the batch:

$$\ell_{\text{CL}}\Big(Z^{(i)}, Z^{(j)}\Big) = -\frac{1}{N} \sum_{k=1}^{N} \log p_k^{(i,j)},$$

$$\text{where } p_k^{(i,j)} = \frac{\exp\left(\frac{\text{sim}\left(z_k^{(i)}, z_k^{(j)}\right)}{\tau}\right)}{\sum_{l=1}^{N} \exp\left(\frac{\text{sim}\left(z_k^{(i)}, z_l^{(j)}\right)}{\tau}\right)}. \quad (1)$$

where $\text{sim}(\cdot, \cdot)$ denotes cosine similarity and $\tau > 0$ is a temperature parameter (Oord et al., 2019; Gao et al., 2021; Chen et al., 2020).

3.3 Alignment of multiple views

In our work, multiple complementary views capturing different aspects of the underlying narrative are associated with each document. To align representations across views, we use the average of pairwise ℓ_{CL} between all distinct view pairs:

$$\ell_{\text{MV-CL}}(\mathbf{Z}) = \frac{2}{V(V-1)} \sum_{\substack{i<j \\ i,j \in \{1,\dots,V\}}} \ell_{\text{CL}}(Z^{(i)}, Z^{(j)}) \quad (2)$$

This loss encourages different views of the same document to be aligned (numerator), while maintaining separation between representations of all different documents in the batch (denominator).

3.4 Fusion by linear projection and global alignment

Individual view projections $z_k^{(v)} \in \mathbb{R}^D$ are concatenated per document k into $[z_k^{(1)}, \dots, z_k^{(V)}] \in \mathbb{R}^{V \times D}$.

To produce the final document-level embedding e_k, we apply a single learnable linear projection $g_\phi : \mathbb{R}^{V \times D} \to \mathbb{R}^D$ followed by L_2-normalization.

To ensure that g_ϕ is actively trained, we introduce an objective that forces the fused representation e_k to remain consistent with its constituent views:

$$\ell_{\text{global}}(\mathbf{Z}) = \frac{1}{V} \sum_{v-1}^{V} \ell_{CL}(E, Z^{(v)}). \quad (3)$$

3.5 Can the heterogeneity of the views be taken as a natural regularizer?

Multi-view collapse risk As seen in section 2, a contrastive objective alone on multiple views can admit degenerate solutions where projection heads learn nearly identical representations. In such cases, the views become redundant, collapsing into a single modality and failing to capture complementary information.

Do heterogeneous views provide implicit regularization? Our views present substantial differences: dense contextual text embeddings (CamemBERT-v2, dim=768) vs. sparse symbolic representations (clinical concepts/medical procedures, dim=64 and pharmacological treatments, dim=32) as described in section 4. Thus, we hypothesize that their heterogeneous nature provides a natural regularizer, making explicit orthogonality penalties unnecessary.

To test this, we implement a second variant of the loss from Equation 2: $\ell_{\text{MV-CL+OR}}$, a version of $\ell_{\text{MV-CL}}$ with orthogonality regularization ℓ_{OR} (He et al., 2024; Bardes et al., 2021). This loss discourages cross-view redundancy by penalizing inter-view correlation in the shared embedding space.

Let $\bar{Z}^{(i)}, \bar{Z}^{(j)} \in \mathbb{R}^{N \times D}$ denote the matrices of normalized embeddings. The orthogonality loss is defined as (He et al., 2024; Bardes et al., 2021):

$$\ell_{\text{OR}}(\mathbf{Z}) = \frac{2}{V(V-1)} \sum_{\substack{i<j \\ i,j \in \{1,\dots V\}}} \left\| \frac{1}{N}(\bar{Z}^{(i)})^\top \bar{Z}^{(j)} \right\|_F^2, \quad (4)$$

where $\| \cdot \|_F$ denotes the Frobenius norm.

The full $\ell_{\text{MV-CL+OR}}$ training objective combines multi-view contrastive alignment with orthogonality regularization:

$$\ell_{\text{MV-CL+OR}} = \ell_{\text{MV-CL}} + \lambda\,\ell_{\text{OR}} \qquad (5)$$

where $\lambda > 0$ controls the trade-off between alignment and diversity across views.

4 Experimental setup

4.1 Data

Datasets and downstream tasks We conducted our experiments on three corpora and downstream tasks. More information about the datasets can be found in Appendix B and more information about data and code protection and availability can be found in Appendix A.

- *clustering*[3]: clustering task on a dataset consisting of 784 unlabeled French-language social media posts related to a specific developmental and epileptic encephalopathy (DEE), a very rare disease where young children are affected by epilepsy crises (cf. section 1). The dataset consists of authentic narratives from families, collected from a patients' association's[4] social media platforms (Facebook, Facebook Messenger, Whatsapp) between August 2021 and December 2025.
- *classification-1*: imbalanced classification task on a dataset consisting of 1,095 (train/test split 0.8/0.2) labeled French-language social media posts related to various DEEs from online public forums and social media, collected between 2013 and 2023. 15% of them were labeled as "experience of a DEE", the goal of the classification task is to correctly detect them.
- *classification-2* : in order to show that the method generalizes to other languages non HDLSS settings, we also performed a balanced classification task on a dataset from (Naseem et al., 2022) consisting of 10,015 Reddit posts (train/test split 0.8/0.2) written in English and coming from subreddits in which users are likely to discuss topics related to health. The three balanced categories are "*personnal health mentions*", "*non-personal*" and "*figurative/hyperbolic*".

Construction of the views Each document corresponds to an unstructured narrative and has been associated with up to four different views and minimally one: (i) the raw free-text representation obtained with CamemBERT-v2[5] (mean pooling) for the French-language datasets and with RoBERTa[6] for the English-language dataset. This view is available for 100% of the documents (Antoun et al., 2024), as well as embeddings derived from domain-specific lexicons (at least one for 38.5% of the documents) from SNOMED-CT (El-Sappagh et al., 2018), (ii) clinical concepts, (iii) medical procedures and (iv) pharmacological treatments.

For each symbolic view, we set the embedding dimension to approximately $\sqrt{|L|}$, where $|L|$ is the lexicon size (Appendix B, Table 2). This heuristic provides a compact yet expressive representation that compresses the discrete one-hot space into a low-dimensional and continuous space while limiting over-parameterization in our HDLSS setting. Across all views, the total embedding dimensionality is approximately equal to the number of messages (dimension-to-sample ratio ≈ 1.14), which is relatively modest for high-dimensional text representations and helps mitigate overfitting compared to more extreme HDLSS settings. This dimensionality is large enough to capture meaningful similarity structure between views, yet small enough to limit over-parameterization in our HDLSS setting.

4.2 Training details

We trained the multi-view contrastive model using the AdamW optimizer (Loshchilov and Hutter, 2019) with a learning rate of $1e^{-4}$ and weight decay of $1e^{-5}$. The training is performed for a fixed number of epochs of 50 and mini-batches of size 32 are used. Each experiment is repeated over 15 random seeds to ensure robustness and all reported results are averaged over 15 runs.

4.3 Evaluation

Evaluation of the embedding space This evaluation focuses on some of the properties of the embeddings spaces, independently of any downstream task, although they do have an impact on the usability for downstream tasks such as clustering, retrieval and semantic exploration.

- Uniformity: this metric evaluates how evenly embeddings are distributed accross the L_2-normalized hypersphere (Wang and Isola,

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[3]Note that if not indicated otherwise the results and discussions concern this task and dataset

[4]kept anonymous for the blind review process

[5]CamemBERT-v2 model card on Hugging Face
[6]RoBERTa model card on Hugging Face

2020). A higher value indicates a "collapsed" distribution where vectors occupy a limited area.

- Isotropic Coefficient: we measured embedding isotropy using the ratio between the smallest and largest singular values of the centered embedding matrix (Wang et al., 2020; Mu et al., 2017). It ranges from 0 to 1 and the closer to zero, the more anisotropic the embedding space. However, it is limited by its high sensitivity to non-informative dimensions.

- Cosine similarity distribution: we reported the mean of the cosine similarities of the embeddings of 5,000 randomly sampled pairs of documents. In anisotropic spaces, the cosine similarities are high, leading to poor discrimination between documents.

- Effective Rank: this metric uses the Shannon entropy of the singular value spectrum to determine the number of actually useful dimensions (Garrido et al., 2023), that we reported alongside the number of dimensions of the embedding considered.

- Explained variance: we computed the proportion of variance explained by the first ten principal components using Principal Component Analysis (PCA) (Pearson, 1901). Indeed, in anisotropic spaces the variance is concentrated along a few dominant directions, while in isotropic spaces variance is not concentrated on a few directions, but better balanced.

Evaluation of *clustering* Given document embeddings, we used BERTopic's framework (Grootendorst, 2022) to cluster the embeddings, and computed averages and standard deviations of usual clustering metrics. Some of them are more detailed in Appendix C.

- Silhouette score: it measures how well each document lies within its assigned cluster compared to other clusters (Rousseeuw, 1987). Higher values indicate better cluster separation.

- Davies-Bouldin index: it evaluates the average similarity between each cluster and its most similar one (Davies and Bouldin, 1979). Lower values indicate more compact and well-separated clusters.

- Adjusted Rand Index: it measures the similarity between two data clusterings, corrected for chance (Hubert and Arabie, 1985). ARI$= 1$ indicates perfect match, while ARI$= 0$ indi-

cates random labeling.

- Outliers Ratio: it measures the percentage of documents that the clustering algorithm fails to assign to any specific thematic cluster, effectively treating them as noise. In our framework, this metric serves as a key indicator of clustering stability.

Evaluation of *classification-1* and *classification-2* In order to capture the effect of our embeddings compared to standard text embeddings, we trained simple MLPs with a single hidden layer of 64 units, ReLU activation, and dropout regularization. The models were optimized with AdamW (Loshchilov and Hutter, 2019) and evaluated on an 80/20 train-test split stratified by class. To ensure a fair comparison across embedding spaces, we repeated the evaluation over multiple embedding runs and performed a randomized search over the following MLP hyperparameters: learning rate, number of epochs, early-stopping patience, and dropout rate. We used standard weighted-average (to account for class imbalance) classification metrics (precision, recall and F1-score) detailed in Appendix C.

4.4 Ablation studies

Throughout the study, we compared HMV-CL with or without orthogonality regularization (OR) against a text-only baseline using `CamemBERT-v2` embeddings (Antoun et al., 2024). This isolates the impact of incorporating the three other views (clinical concepts, medical procedures and pharmacological treatments). Moreover, ablation studies of temperature (τ) and orthogonality regularizer (λ) were included in Appendix D.

5 Results and discussion

5.1 The geometry-clustering trade-off

Table 1 reports embedding space geometry metrics for *clustering* dataset (for the other datasets, see Appendix E) and downstream performance across the three evaluated tasks (*clustering*, *classification-1*, and *classification-2*).

Overall, all HMV-CL variants proposed in this work improve upon the text-only baseline on geometric criteria, and they also yield substantial gains on clustering and on the imbalanced French classification task. On the English classification task, gains are less important, but it helped show the method generalizes to other languages than French, and to more general topics. A trade-off between ge-

ometry and downstream performance also appears in the results.

Improved geometry of the embedding spaces, especially for low temperature Anisotropy is reduced with our different settings of HMV-CL, as illustrated by the sharp decrease of uniformity (around -3 or -2 in all settings compared to $+\infty$ for the baseline), the increase of Isotropic Coefficient (IC) (0.053 compared to 8.25×10^{-9} for $\tau = 0.1$) and the decrease of average cosine similarities (0.03 compared to 0.88 for $\tau = 1$).

Moreover, while the text-only baseline utilizes only a fraction of its available space (effective rank of 209 for a 768 dimensions space, i.e. $\approx 27\%$), our framework demonstrates significantly higher efficiency , utilizing 45 out of 64 dimensions ($\approx 70\%$) for $\tau = 0.1$ and about 46% for $\tau = 1$ with orthogonality regularization (OR) (cf. Table 1).

The distribution of variance across Principal Components (PCs) further clarifies how information is organized witin the shared latent space. For $\tau = 0.1$, the variance is broadly distributed, with the top-1 PC acounting for only 7.73% of variance and top-10 PCs for just more than half of it (59.5%). On the other hand, for $\tau = 1$, the top-10 PCs concentrate almost all of the variance (96.18%) and the top-1 jumps to 35.13% (cf. Table 1).

With $\tau = 1$, although the geometry metrics are degraded compared to $\tau = 0.1$, they remain improved compared to baseline.

Figure 3 (Appendix G) shows cosine similarities distributions of $5,000$ randomly sampled pairs of embeddings for each setting, with $\tau = 0.1$ (Figure 3 (a)) and with $\tau = 1$ (Figure 3 (b)). The text-only baseline exhibits a sharp and narrow peak centered at a mean similarity of 0.88. This provides visual evidence of the anisotropy issue of this embedding space. For $\tau = 0.1$, we remark a broad distribution spreading significantly compared to the baseline around the mean of approximately 0.1. We also note that OR seems to have no effect, as the curves are almost indiscernible, much as the results in Table 1. For $\tau = 1$, the mean similarity shifts to 0.06 (without OR) or 0.03 (with OR). Here, just as the results in Table 1 suggest, the OR has more effect than for $\tau = 0.1$.

Better and more stable clustering, especially for high temperature The geometric improvements translate into significant gains in clustering performance. Especially with $\tau = 1$, all metrics reported in Table 1 are drastically improved compared to

baseline, which despite a silhouette score of 0.17 suffers from an outliers ratio of 95.15%. In comparison, HMV-CL with $\tau = 1$ reduces outliers ratio to just 10.59%, demonstrating that the framework successfully extracts information from the reduced latent space, where families' narratives can be grouped more easily.

Visual analysis of the embeddings spaces Uniform Manifold Approximation and Projection (UMAP) (Healy and McInnes, 2024) visualizations (Figure 2, Appendix F) confirm improvements observed through the metrics of Table 1: text-only embeddings (left) collapse into a single cloud with points concentrated in a limited range on both UMAP dimensions ($\approx [2, 12] \times [4, 12]$). In contrast, our embeddings (center and right) occupy much larger regions, $\approx [-5, 15] \times [-5, 12]$ for $\tau = 1$ (Figure 2 (b), center). We observe what will be discussed in subsection 5.2: for $\tau = 0.1$, OR has little impact, while it does have an important impact for $\tau = 1$.

5.2 Natural regularization vs explicit constraints

View heterogeneity is a sufficient regularizer for $\tau = 0.1$ Figure 4 (Appendix H) displays the cosine similarity matrices between view representations for HMV-CL and HMV-CL+OR. We observe that the correlation between the three added views are very low (between 0.00 and 0.32 without OR) and that the correlation between text and these views is sensibly higher (between 0.09 and 0.48 without OR). Figure 4 (b) confirms that OR decorrelates the views, for example, text-pharma (from 0.48 to 0.17) and text-clinical (from 0.32 to 0.11). The low correlations between views provide sufficient diversity to prevent dimensional collapse without OR. Indeed, for $\tau = 0.1$, HMV-CL maintains similar variance structures to HMV-CL+OR, which reinforces the hypothesis that the heterogeneous nature of clinical views acts as a natural regularizer, preventing total collapse while allowing the model to focus information along a set of more informative, clusterable directions.

OR paradox for $\tau = 1$ The ablation study of the OR weight λ in subsection D.2 reveals that the impact of explicit regularization is temperature-dependent. For $\tau = 0.1$, the space is already highly uniform, and varying λ has almost no effect on the effective rank or isotropic coefficient (IC), which

Table 1: Embedding space & downstream metrics (mean $\pm$ std, 15 runs). $\lambda = 10$. The best and second best results are highlighted in bold and underlined respectively. For text-only, no std reported as the embeddings are deterministic.

	TEXT-ONLY	HMV-CL $\tau = 0.1$	HMV-CL+OR $\tau = 0.1$	HMV-CL $\tau = 1$	HMV-CL+OR $\tau = 1$
EMBEDDING SPACE GEOMETRY (*clustering*)					
UNIFORMITY ↓	∞	$\mathbf{-3.17 \pm 0.04}$	$\underline{-3.03 \pm 0.05}$	-2.39 ± 0.08	-3.02 ± 0.04
ISOTROPIC COEFFICIENT ↑	$8.25 \cdot 10^{-9}$	$\mathbf{0.053 \pm 0.004}$	$\underline{0.052 \pm 0.002}$	0.009 ± 0.001	0.017 ± 0.001
AVG.COS.SIM. ↓	0.88	0.10 ± 0.01	0.14 ± 0.01	$\underline{0.05 \pm 0.01}$	$\mathbf{0.03 \pm 0.01}$
EFFECTIVE RANK (DIM)	209 (768)	45 ± 0.3 (64)	45 ± 0.3 (64)	26 ± 0.6 (64)	30 ± 0.6 (64)
TOP-10 PCS VAR. (%)	51.67	59.50 ± 1.06	58.16 ± 0.96	96.18 ± 0.33	92.64 ± 0.98
TOP-1 PCS VAR. (%)	16.20	7.73 ± 0.22	8.19 ± 0.17	35.13 ± 1.59	16.45 ± 0.67
clustering					
SILHOUETTE ↑	$\underline{0.17}$	0.08 ± 0.01	0.10 ± 0.001	$\mathbf{0.25 \pm 0.02}$	0.12 ± 0.09
DAVIES-BOULDIN ↓	1.79	1.65 ± 0.10	1.58 ± 0.06	$\mathbf{1.04 \pm 0.07}$	$\underline{1.28 \pm 0.09}$
ADJUSTED RAND INDEX ↑	-	0.71 ± 0.38	$\underline{0.72 \pm 0.39}$	$\mathbf{0.81 \pm 0.07}$	0.18 ± 0.16
OUTLIERS RATIO (%) ↓	95.15	12.07 ± 4.78	$\underline{11.49 \pm 4.49}$	$\mathbf{10.59 \pm 3.90}$	34.11 ± 17.85
classification-1					
F1 WEIGHTED-AVG (%) ↑	78.01	79.90 ± 1.05	$\underline{80.04 \pm 2.21}$	78.48 ± 0.61	$\mathbf{81.15 \pm 1.13}$
PRECISION WEIGHTED-AVG (%) ↑	72.13	$\mathbf{84.56 \pm 4.77}$	81.15 ± 6.30	74.84 ± 3.35	$\underline{82.92 \pm 3.41}$
RECALL WEIGHTED-AVG (%) ↑	84.93	$\mathbf{85.60 \pm 0.54}$	$\underline{85.36 \pm 1.69}$	84.26 ± 1.06	84.99 ± 1.62
classification-2					
F1 WEIGHTED-AVG (%) ↑	66.97	64.91 ± 0.22	62.36 ± 0.18	$\mathbf{67.92 \pm 0.21}$	$\underline{67.78 \pm 0.22}$
PRECISION WEIGHTED-AVG (%) ↑	$\mathbf{68.76}$	65.09 ± 0.25	62.49 ± 0.17	$\underline{68.50 \pm 0.30}$	68.45 ± 0.40
RECALL WEIGHTED-AVG (%) ↑	67.40	65.00 ± 0.23	62.39 ± 0.17	$\mathbf{68.17 \pm 0.21}$	$\underline{68.05 \pm 0.25}$

both stay stable. It also has limited effect on uniformity (-3.17 to -3.03).

However, for $\tau = 1$, OR has a much more pronounced effect on geometry: increasing λ from 0 to 10 successfully pushes the effective rank from 26 to 30 and improves the IC from 0.010 to 0.017, and reduces uniformity from -2.40 to -3.02. Despite these improved geometric metrics, explicit OR seems undesirable for task performance. Forcing higher orthogonality at this temperature causes the ARI to collapse from 0.81 down to 0.18, silhouette to decrease from 0.26 to 0.12 and nearly triples the outliers ratio (from 10.59% to 34.11%).

This confirms that while OR can remedy to the geometric losses of higher temperature (it improves the effective rank and IC), it comes at the expense of the semantic clusters that are crucial for analyzing patient trajectories. The natural regularization provided by the heterogeneous views is therefore sufficient and preferred for real-world applications.

5.3 Complementary results from the classification tasks

The two classification tasks further confirm the usefulness of HMV-CL beyond clustering. On ***classification-1***, we improved drastically the precision (over 80%) compared to baseline (72.13%), while maintaining comparable recall, leading to a better F1. On ***classification-2***, we achieved slightly improved F1 (67.92%) compared to base-line (66.97%). Overall, these results show that HMV-CL is not limited to clustering rare disease narratives written in French, but also transfers to supervised classification in an imbalanced French setting and in a balanced English one, confirming the broader usefulness of the learned representations.

6 Conclusion

Overall, HMV-CL considerably improves embedding space geometry in our specific HDLSS setting of rare disease families' posts, enabling *in fine* the analysis of these posts in a public health objective. Indeed, we were able to reduce anisotropy of the embedding space and the heterogeneity of views prevented collapse naturally, avoiding the views to learn redundant information as can be observed in other contrastive settings. Finally, we drastically improved downstream clusterability of the embeddings. Moreover our classification results show that HMV-CL is not only effective for clustering French rare disease narratives, but also transferable to supervised classification and to English "general health" narratives. Its strongest advantages appear in the most challenging and domain-specific setting, but its competitive performance on both classification tasks supports the generality of the approach.

7 Limitations

This study has several limitations. First, although we evaluate the proposed framework on three downstream tasks, two of them remain centered on a rare-disease social media setting and on French-language. The third downstream task was presented in order to show that the framework could generalize to other conditions (not rare) and other linguistic settings, but showed smaller improvements of the downstream metrics.

Moreover, the data is highly domain-specific, noisy, and imbalanced, and no standardized benchmark currently captures these characteristics well. As a result, comparisons with prior work remain indirect.

While our evaluation focuses on representation quality and downstream predictive performance, it does not provide clinical validation of the discovered clusters.

Finally, while HMV-CL consistently improves embedding-space geometry and is empirically effective, we do not provide formal theoretical guarantees regarding convergence or optimization behavior.

These limitations suggest that the framework should be viewed as a strong empirical contribution for low-resource, patient-centered settings, rather than as a universally optimal solution.

Future work could take multiple directions. We could extend HMV-CL to cross-lingual rare disease forums, investigate adaptive view weighting to further optimize the inherent regularization provided by view heterogeneity, or look into formal convergence guarantees. We will also apply our framework to concretely analyze patient trajectories and needs.

8 Ethical considerations

HMV-CL enables more effective analysis of rare disease patients' and families' narratives from social media, potentially accelerating the understanding of their needs, as well as natural histories for underserved medical conditions. By improving representation learning in low-resource HDLSS settings, our framework facilitates patient-centered NLP applications.

However, we are fully aware of the severe risks of data misuse such as malicious repurpose of these families' and patients' narratives for scams, blackmail or targeted misinformation campaigns. There is also a risk of this data or the results of down-stream studies informing discriminatory healthcare policies or resource allocation decisions, affecting vulnerable populations. These risks are why deployment of such methods and use of such data require strict patient privacy safeguards (including but not limited to GDPR compliance) and minutious monitoring by the primary stakeholders (here rare disease families).

The method processes pseudonymized French social media data, and was developed hand in hand with a patients' organisation, especially to monitor downstream conclusions and ensure the families included are well informed and can easily assert their rights regarding their data.

Another risk is the potential misinterpretation of unverified social media claims as medical evidence; which is why this work is also supervised by clinicians.

Overall, HMV-CL democratizes rare disease research by establishing reproducible baselines for patient-driven discovery without requiring massive labeled datasets.

Acknowledgments

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A Data and code protection and availability and regulatory compliance

The collection and treatment of the data is in compliance with the French legal framework of MR-004 set up by the CNIL[7]. Families in the different groups have been informed of the re-use of their data and of their rights regarding this data; they have the possibility to opt-out of the study at any time. Their privacy is also protected by the pseudonymization of all messages by replacing every name or surname by tags, including the names of doctors or any other person mentioned. Because of the high sensitivity (cf. section 8) of this data and the risk of reidentification, the dataset cannot be shared publicly. For research purposes, and with a solid security framework, access to the data can be discussed with the patients' organization.

However, to ensure the reproducibility of our results, the code (including the multi-view encoders and evaluation metrics) of our HMV-CL framework is provided in the supplementary material and will be released under the MIT License on GitHub.

B Complementary information on data

B.1 Views and their dimensions

Table 2: Views and their dimensions

VIEW	FEATURE DIM.
TEXT	768
CLINICAL CONCEPTS	64
MEDICAL PROCEDURES	32
PHARMACOLOGICAL TREATMENTS	64

B.2 Preprocessing for *clustering* and *classification-1* datasets

For the ***clustering*** and ***classification-1*** datasets, each document is pseudonymized by replacing names by a tag, using spaCy `fr_core_news_lg`[8]. All the links and pseudonyms (starting with "@") are also tagged using simple regex, to reduce noise.

B.3 *clustering* dataset

The mean number of posts by user is 10.45 (median=4; min=1; max=144); their mean length (whitespace separation tokens) is 73.45 (median=41.5; min=3; max=1509); and their mean length (`CamemBERT-v2` subword tokens) is 97.76 (median=56; min=7; max=1024). The huge variability of number of posts per user is mainly due to the fact that some users have been in the groups for 4.5 years while others only a few days/weeks.

B.4 *classification-1* dataset

The mean length of the posts in ***classification-1***(whitespace separation tokens) is 142.25 (median=39; min=2; max=1009); and their mean length (`CamemBERT-v2` subword tokens) is 276.24 (median=73; min=8; max=5270).

B.5 *classification-2* dataset

The mean length of the posts in ***classification-2*** (whitespace separation tokens) is 44.77 (median=22; min=1; max=245); and their mean length (`RoBERTa` subword tokens) is 58.88 (median=29; min=2; max=1171).

C Evaluation metrics details

- Silhouette score: for a point i, let $a(i)$ be the mean intra-cluster distance and $b(i)$ be the mean nearest-cluster distance, then: $s_i = \frac{b(i)-a(i)}{\max(a(i),b(i))}$ and the score given is the mean over all samples i.
- Davies-Bouldin index: let S_k be the intra-cluster disperson of cluster k and M_{ij} be the distance between centroids of clusters i and j, then: $DB = \frac{S_i+S_j}{M_{ij}}$
- Classification metrics: for class c:
  - precision $P_c = \frac{TP_c}{TP_c+FP_c}$
  - recall $R_c = \frac{TP_c}{TP_c+FN_c}$
  - $F1_c = 2\frac{P_c R_c}{P_c+R_c}$

We used weighted-average scores, in which each class score s_c is weighted by its support i.e. $\sum_{c=1}^{C} s_c \frac{n_c}{N}$, where n_c is the number of instances of class c and N is the total number of instances[9]. This reflects overall dataset performance while accounting for class imbalance.

D Ablation studies

D.1 Temperature ablation study

In Table 3, we evaluated HMV-CL across different temperature values ($\tau \in \{0.025, 0.05, 0.1, 0.2, 0.5, 1\}$) on both embedding geometry and downstream clustering.

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[7]*Commission nationale de l'informatique et des libertés*, French national data protection authority

[8]`fr_core_news_lg` model card on Hugging Face

[9]TP: true positives (correctly predicted positive class), TN: true negatives (correctly predicted negative class), FP: false positives (incorrectly predicted as positive), FN: false negatives (missed positive).

D.2 Orthogonality Regularization weight ablation study

In Table 4 and Table 5, we evaluated a variant of the model trained with an orthogonality regularizer (HMV-CL+OR) as described in subsection 3.5). We reported the results of this variant, and also varied the weight ($\lambda \in \{0, 0.1, 0.5, 1, 5, 10\}$) for $\tau = 0.1$ and $\tau = 1$.

Table 3: τ ablation study (mean ± std, 15 runs). $\lambda = 0$. The best and second best results are highlighted in bold and underlined respectively.

τ	0.025	0.05	0.1	0.2	0.5	1
EMBEDDING SPACE GEOMETRY						
UNIFORMITY ↓	-2.60 ± 0.04	-2.98 ± 0.02	-3.17 ± 0.04	$\mathbf{-3.26 \pm 0.06}$	-2.98 ± 0.07	-2.40 ± 0.10
ISOTROPIC COEFFICIENT ↑	0.039 ± 0.003	$\underline{0.052 \pm 0.004}$	$\mathbf{0.053 \pm 0.004}$	0.036 ± 0.002	0.018 ± 0.001	0.010 ± 0.001
AVG.COS.SIM. ↓	0.23 ± 0.01	0.15 ± 0.01	0.10 ± 0.01	0.06 ± 0.01	$\mathbf{0.04 \pm 0.01}$	0.05 ± 0.01
EFFECTIVE RANK	42 ± 0.4	45 ± 0.3	45 ± 0.4	41 ± 0.4	33 ± 0.5	$\underline{26 \pm 0.7}$
TOP-10 PCs VAR. (%)	73.74 ± 0.85	64.78 ± 0.96	60.12 ± 1.08	65.73 ± 1.19	87.57 ± 1.32	96.11 ± 0.33
TOP-1 PCs VAR. (%)	13.12 ± 0.59	8.83 ± 0.31	7.67 ± 0.24	9.71 ± 0.38	19.42 ± 0.95	35.20 ± 1.74
DOWNSTREAM UNSUPERVISED TASK						
SILHOUETTE ↑	0.10 ± 0.01	0.09 ± 0.01	0.07 ± 0.01	0.07 ± 0.01	$\underline{0.11 \pm 0.02}$	$\mathbf{0.26 \pm 0.02}$
DAVIES-BOULDIN ↓	1.53 ± 0.08	1.58 ± 0.08	1.63 ± 0.07	1.57 ± 0.04	$\underline{1.26 \pm 0.07}$	$\mathbf{1.02 \pm 0.07}$
ADJUSTED RAND INDEX ↑	$\mathbf{0.86 \pm 0.03}$	0.82 ± 0.31	0.77 ± 0.30	0.79 ± 0.08	0.79 ± 0.11	0.74 ± 0.12
OUTLIERS RATIO (%) ↓	18.83 ± 2.28	$\underline{13.44 \pm 3.75}$	13.75 ± 4.17	16.02 ± 2.73	15.74 ± 4.35	$\mathbf{13.37 \pm 6.46}$

Table 4: λ ablation study (mean $\pm$ std, 15 runs). $\tau = 1$. The best and second best results are highlighted in bold and underlined respectively.

λ	0	0.1	0.5	1	5	10
EMBEDDING SPACE GEOMETRY						
UNIFORMITY ↓	-2.40 ± 0.10	-2.43 ± 0.10	-2.54 ± 0.10	-2.64 ± 0.09	$\underline{-2.92 \pm 0.05}$	$\mathbf{-3.02 \pm 0.04}$
ISOTROPIC COEFFICIENT ↑	0.010 ± 0.001	0.010 ± 0.001	0.011 ± 0.001	0.012 ± 0.001	$\underline{0.015 \pm 0.001}$	$\mathbf{0.017 \pm 0.001}$
AVG.COS.SIM. ↓	0.05 ± 0.01	0.05 ± 0.01	0.05 ± 0.01	0.05 ± 0.01	$\underline{0.04 \pm 0.01}$	$\mathbf{0.03 \pm 0.01}$
EFFECTIVE RANK	26 ± 0.7	26 ± 0.7	26 ± 0.7	28 ± 0.6	30 ± 0.6	30 ± 0.6
TOP-10 PCs VAR. (%)	96.11 ± 0.33	96.01 ± 0.34	95.61 ± 0.39	95.14 ± 0.47	93.13 ± 0.93	92.64 ± 0.98
TOP-1 PCs VAR. (%)	35.20 ± 1.74	34.27 ± 1.70	31.02 ± 1.59	28.06 ± 1.46	19.22 ± 0.81	16.45 ± 0.67
DOWNSTREAM UNSUPERVISED TASK						
SILHOUETTE ↑	$\mathbf{0.26 \pm 0.02}$	0.25 ± 0.02	0.21 ± 0.04	0.16 ± 0.04	0.12 ± 0.05	0.12 ± 0.09
DAVIES-BOULDIN ↓	$\mathbf{1.02 \pm 0.07}$	$\underline{1.04 \pm 0.07}$	1.11 ± 0.07	1.17 ± 0.04	1.22 ± 0.05	1.28 ± 0.09
ADJUSTED RAND INDEX ↑	$\mathbf{0.81 \pm 0.07}$	$\underline{0.73 \pm 0.13}$	0.74 ± 0.09	0.59 ± 0.24	0.43 ± 0.17	0.18 ± 0.16
OUTLIERS RATIO (%) ↓	$\mathbf{10.59 \pm 3.90}$	$\underline{14.30 \pm 7.12}$	13.93 ± 4.31	15.64 ± 6.43	29.35 ± 12.03	34.11 ± 17.85

Table 5: λ ablation study (mean $\pm$ std, 15 runs). $\tau = 0.1$. The best and second best results are highlighted in bold and underlined respectively.

λ	0	0.1	0.5	1	5	10
EMBEDDING SPACE GEOMETRY						
UNIFORMITY ↓	-3.17 ± 0.04	-3.17 ± 0.04	-3.16 ± 0.04	-3.15 ± 0.04	$\underline{-3.08 \pm 0.05}$	$\mathbf{-3.03 \pm 0.05}$
ISOTROPIC COEFFICIENT ↑	0.052 ± 0.004	0.053 ± 0.004	0.053 ± 0.003	0.053 ± 0.003	0.052 ± 0.003	0.052 ± 0.002
AVG.COS.SIM. ↓	0.10 ± 0.01	0.10 ± 0.01	$\mathbf{0.10 \pm 0.01}$	0.11 ± 0.01	0.12 ± 0.01	0.14 ± 0.01
EFFECTIVE RANK	45 ± 0.4	$\underline{45 \pm 0.4}$	45 ± 0.3	45 ± 0.3	45 ± 0.3	45 ± 0.3
TOP-10 PCs VAR. (%)	60.12 ± 1.08	60.05 ± 1.06	59.38 ± 1.03	59.26 ± 1.05	58.60 ± 1.03	58.16 ± 0.96
TOP-1 PCs VAR. (%)	7.67 ± 0.24	7.66 ± 0.25	7.70 ± 0.21	7.69 ± 0.20	7.84 ± 0.18	8.19 ± 0.17
DOWNSTREAM UNSUPERVISED TASK						
SILHOUETTE ↑	0.07 ± 0.01	0.07 ± 0.01	0.08 ± 0.01	0.08 ± 0.01	$\underline{0.09 \pm 0.01}$	$\mathbf{0.10 \pm 0.01}$
DAVIES-BOULDIN ↓	1.63 ± 0.07	1.65 ± 0.06	1.62 ± 0.06	1.63 ± 0.06	$\underline{1.61 \pm 0.07}$	$\mathbf{1.58 \pm 0.06}$
ADJUSTED RAND INDEX ↑	0.71 ± 0.38	0.78 ± 0.30	$\mathbf{0.82 \pm 0.31}$	$\underline{0.82 \pm 0.31}$	0.72 ± 0.39	0.72 ± 0.39
OUTLIERS RATIO (%) ↓	13.75 ± 4.17	13.28 ± 4.21	12.76 ± 3.52	$\underline{12.80 \pm 3.48}$	11.85 ± 4.57	$\mathbf{11.49 \pm 4.49}$

E Embedding space geometry metrics for classification datasets

Table 6: Embedding space metrics for ***classification-1*** and ***classification-2*** (mean ± std, 15 runs). $\lambda = 10$. The best and second best results are highlighted in bold and underlined respectively. For text-only, no std reported as the embeddings are deterministic.

	TEXT-ONLY	HMV-CL $\tau = 0.1$	HMV-CL+OR $\tau = 0.1$	HMV-CL $\tau = 1$	HMV-CL+OR $\tau = 1$
classification-1					
UNIFORMITY ↓	∞	$\mathbf{-3.15 \pm 0.04}$	$\underline{-2.97 \pm 0.05}$	-2.41 ± 0.10	-2.91 ± 0.05
ISOTROPIC COEFFICIENT ↑	$1.3 \cdot 10^{-8}$	$\mathbf{0.049 \pm 0.003}$	$\underline{0.044 \pm 0.003}$	0.009 ± 0.001	0.014 ± 0.001
AVG.COS.SIM. ↓	0.85	0.11 ± 0.01	0.15 ± 0.01	$\underline{0.05 \pm 0.01}$	$\mathbf{0.03 \pm 0.01}$
EFFECTIVE RANK (DIM)	208 (768)	45 ± 0.2 (64)	44 ± 0.3 (64)	24 ± 0.6 (64)	27 ± 0.4 (64)
TOP-10 PCs VAR. (%)	66.62	58.10 ± 0.90	56.99 ± 0.95	97.09 ± 0.31	95.09 ± 0.45
TOP-1 PCs VAR. (%)	29.98	9.32 ± 0.42	10.81 ± 0.37	36.40 ± 1.94	17.82 ± 0.88
classification-2					
UNIFORMITY ↓	∞	$\mathbf{-3.53 \pm 0.06}$	$\underline{-3.46 \pm 0.07}$	-3.36 ± 0.02	-3.36 ± 0.02
ISOTROPIC COEFFICIENT ↑	$7.45 \cdot 10^{-8}$	$\mathbf{0.012 \pm 0.001}$	$\underline{0.011 \pm 0.001}$	0.001 ± 0.000	0.002 ± 0.000
AVG.COS.SIM. ↓	0.95	0.05 ± 0.01	0.07 ± 0.02	$\mathbf{0.01 \pm 0.00}$	$\underline{0.01 \pm 0.00}$
EFFECTIVE RANK (DIM)	193 (768)	39 ± 0.5 (64)	38 ± 0.6 (64)	19 ± 0.6 (64)	18 ± 0.7 (64)
TOP-10 PCs VAR. (%)	58.64	37.39 ± 0.55	37.48 ± 0.70	75.16 ± 3.09	75.85 ± 3.42
TOP-1 PCs VAR. (%)	24.71	4.02 ± 0.08	4.04 ± 0.09	8.20 ± 0.37	8.31 ± 0.47

F UMAP

Figure 2: UMAP projections of document embeddings. Points are colored by BERTopic cluster assignement. From left to right: CamemBERT-v2 embeddings, HMV-CL embeddings, HMV-CL+OR ($\lambda = 10$) embeddings. (a) $\tau = 0.1$. (b) $\tau = 1$. *Note: these visualizations are provided for qualitative assessment of cluster density and distribution; all quantitative metrics are computed directly in the shared latent space $\mathbb{R}^{64}$ to avoid the distortion inherent in non-linear dimensionality reduction*

G Cosine distributions between 5,000 randomly sampled pairs of embeddings

Figure 3: Cosine distributions between 5,000 randomly sampled pairs of embeddings for baseline, HMV-CL and HMV-CL+OR for (a) $\tau = 0.1$ and (b) $\tau = 1$. ($\lambda = 10$)

H Cosine similarity matrices between view representations

Figure 4: Cosine similarity matrices between view representations for (a) HMV-CL and (b) HMV-CL+OR ($\tau = 1, \lambda = 10$)