# SELF-EXPLAINED KEYWORDS EMPOWER LARGE LANGUAGE MODELS FOR CODE GENERATION

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Paper under double-blind review

#### ABSTRACT

Large language models (LLMs) have achieved impressive performance in code generation. Despite the remarkable success, we observed that LLMs often misunderstand or overlook some problem-specific undertrained keywords during code generation, compromising the accuracy of the generated code. After explicitly explaining these undertrained keywords using well-trained terms in the prompt, LLMs are more likely to generate correct code implementation. Inspired by this observation, we propose a novel technique named SEK (Self-Explained Keywords), which empowers an LLM for better code generation by extracting and explaining the key terms in the problem description with the LLM itself. Comprehensive experiments across three benchmarks, i.e., HumanEval(+), MBPP(+), and APPS, with five representative LLMs, show that SEK can significantly improve LLMs in code generation, yielding substantial and consistent gains. For instance, SEK improves the Pass@1 of DeepSeek-Coder-V2-Instruct from 85.4% to 93.3% on the Humaneval benchmark. Further analysis confirms that SEK enables the LLMs to shift their attention from low-frequency keywords to their corresponding high-frequency counterparts.

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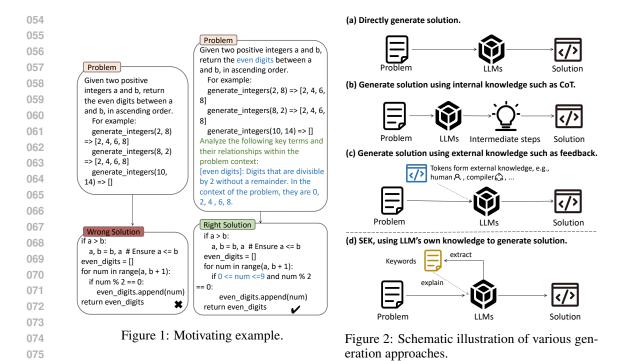
#### 1 INTRODUCTION

Code generation aims to generate a code snippet that meets the intent described in natural language. This process can potentially reduce the costs of software development (Xu et al., 2022; Yin & Neubig, 2017; Vaithilingam et al., 2022). Recently, the notable success of LLMs such as ChatGPT (OpenAI, 2022) and Llama-3 (AI@Meta, 2024) has substantially enhanced the state-of-the-art in code generation. These LLMs demonstrate remarkable proficiency in comprehending natural language descriptions and translating them into code snippets.

Despite the remarkable success, we found that LLMs often struggle to translate certain terms in the 037 problem description into corresponding code. When these terms are critical in the programming context (i.e., serving as a *keyword*), this limitation can compromise the accuracy of the generated code. An example is presented in Figure 1, where the coding problem requires returning even digits 040 within a given range in ascending order. We found that LLMs fail to recognize that this term refers 041 to the even numbers between 0 and 9, leading to the omission of this constraint in the generated con-042 ditional statements. One possible reason for this observation is the long-tail distribution of coding 043 training datasets (Chen et al., 2024d; Zhong et al., 2024b), where some programming terms are rare 044 and undertrained and thus cannot be effectively translated into the corresponding code by the LLM. 045 If we explicitly convert *even digits* into well-trained terms by explaining it and prompt the LLM to focus on it, the LLM can produce a correct implementation. 046

Inspired by this example, we hypothesize that we can boost LLMs for code generation by explicitly identifying and explaining certain keywords. However, this is non-trivial and usually requires manual efforts. Our key idea is that such keywords can be identified and explained by LLM *themselves*. This idea is supported by three observations: (1) prior studies show that LLMs can effectively identify task-specific key items (Fang et al., 2024; Fan et al., 2024); (2) our experiments indicate that such LLM-selected keywords are often terms that are more likely to be undertrained, i.e., have a relatively low frequency in the code training set (detailed in Appendix E.5); and (3) although the direct mapping from these keywords to code may be undertrained, the semantics of these keywords

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are typically understandable by LLMs after pre-training on large-scale general corpora. This enables LLMs to describe and explain these keywords using natural language.

Based on this idea, this work proposes Self-Explained Keyword (SEK), a novel technique leveraging
 LLMs' own comprehension capabilities to automatically identify and explain these problem-specific
 keywords to enhance their understanding of coding problems. SEK employs a carefully designed
 prompt with a few examples, directing LLMs to focus on crucial keywords in the problem description. We use a frequency-based ranking algorithm to sort these keywords and further prioritize
 low-frequency keywords, which are then appended to the original problem description to construct an augmented prompt. Overall, this approach aligns with the working process of pragmatic developers, which use auxiliary tools like blackboards to highlight, explain, and rank important parts of requirements (Andrew Hunt, 2000).

SEK enhances LLMs' problem-solving capabilities in a novel way, distinguishing itself from pre-090 vious methods in prompt engineering for code generation. As shown in Figure 2, unlike previ-091 ous approaches that often rely on introducing external knowledge, such as human feedback (Chen 092 et al., 2023a; Wu et al., 2024; Dubois et al., 2024) or the execution results of LLM-generated solutions (Zhong et al., 2024b; Chen et al., 2023c; Zhong et al., 2024a), into the input, SEK operates by 094 distilling additional content from the problem description using the LLM itself. Chain of Thought (CoT) (Wei et al., 2022), which also utilizes LLMs' inherent knowledge for problem-solving, bears 096 the closest resemblance to SEK. However, the fundamental strategies of CoT and SEK are different: CoT guides the LLM to think in a chain-like manner, while SEK directs the LLM to understand and 098 prioritize key concepts.

099 We evaluate SEK with five representative LLMs, including three open-source models and two 100 closed-source models, on three widely used code generation benchmarks. Experimental results 101 demonstrate that SEK effectively enhances code generation performance. For example, SEK en-102 ables Llama-3.1 to achieve a relative improvement of 8.8% averaged on the used benchmarks. No-103 tably, DeepSeek-Coder-V2-Instruct with SEK significantly outperforms it with standard prompting, 104 achieving state-of-the-art performance on several benchmarks (e.g., HumanEval: 85.4% to 93.3%). 105 Furthermore, our ablation studies indicate that the carefully designed prompt and the ranking component of SEK are effective. Additionally, our attention analysis reveals that SEK helps LLMs 106 comprehend low-frequency keywords by redirecting attention to their high-frequency counterparts. 107 Comparative case studies with other baselines further illustrate SEK's efficacy in enhancing LLMs'

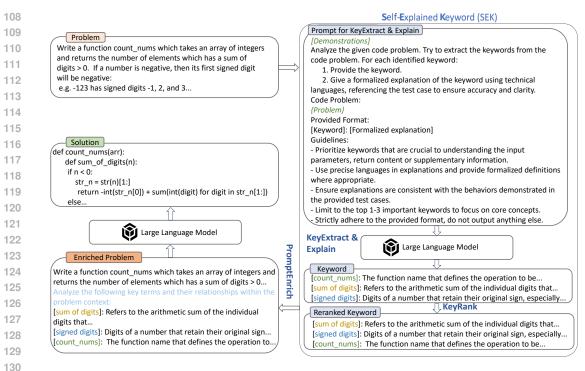


Figure 3: The overview of Self-Explained Keyword. The details in each step are omitted.

understanding of low-frequency, problem-specific keywords. Our code is in the Supplementary Materials and will be made public after review.

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## 2 Methodology

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Code generation aims to generate a solution program based on a problem description. Typically, a problem description includes implementation requirements, and several test cases to help further understand the problem.

145 Figure 3 illustrates the overview of SEK. SEK is designed to address the issue of LLMs overlooking 146 low-frequency terms in the program description due to the long-tail distribution in their training 147 data. To address it, one key is to leverage the LLM's capabilities to identify and explain potentially 148 overlooked keywords within the problem description. We employ a carefully crafted prompt with 149 a few-shot learning method to achieve this. After obtaining the keywords and their explanations, 150 another challenge is how to effectively integrate them with the original problem description. For 151 this purpose, we introduce a frequency-based ranking algorithm that prioritizes less frequent tokens, 152 which are more likely to be overlooked by the LLM. These ranked keywords are then appended to the original problem description, serving to guide the LLM towards generating an accurate solution. 153 The process comprises three main steps: 154

KeyExtract & Explain (Section 2.1): Based on the problem description, SEK constructs a prompt to guide the LLM to identify and explain keywords within the problem description.

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 KeyRank (Section 2.2): SEK employs a frequency-based ranking algorithm to prioritize the extracted keywords.

PromptEnrich (Section 2.3), SEK concatenates the ranked keywords and their explanations with
 the original problem description to create an enriched problem description. This comprehensive
 formulation serves as the final input for the LLM to generate code solutions.

## 162 2.1 KEYEXTRACT & EXPLAIN

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In this step, SEK extracts and explains keywords from the given problem description. Our key insight is that LLMs inherently possess strong understanding and reasoning abilities after training on
large-scale general corpora, enabling them to explain crucial concepts within a problem description.
The effectiveness of using LLMs for keyword extraction has also been demonstrated by recent studies (Maragheh et al., 2023; Lee et al., 2023). Inspired by this insight, SEK uses the LLM itself to
perform the task with a prompt-based approach.

170 Specifically, SEK begins by designing a prompt to instruct an LLM for keyword extraction and ex-171 planation. The prompt is shown in *Prompt for KeyExtract & Explain* in Figure 3, which consists of 172 three parts. First, it provides the overall instruction for the task, namely the generation of keywords and their corresponding explanations. Then, it specifies the format of input and output. Finally, 173 it provides detailed guidelines. Intuitively, terms associated with input, output, and supplementary 174 content (i.e., clarifications of keywords or specifications of value ranges) within the problem descrip-175 tion are relatively important, as they contain the problem's core elements, objectives, and constraints 176 (Guideline 1). For explanations, given the potential ambiguity in natural language expressions and 177 the clarity of the public test cases, the generated explanations should be both precise and consistent 178 with these test cases (Guideline 2,3). We also impose limitations on the keyword quantity to guar-179 antee that the LLM identifies and outputs only the important keywords in the problem description 180 (Guideline 4). The LLM is prompted to identify at most three keywords and generate an explanation 181 for each identified keyword. Ultimately, to facilitate subsequent processing, we further emphasize 182 the output format (Guideline 5). Additionally, we use several examples to leverage LLMs' in-context 183 learning ability to understand and solve this task.

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#### 2.2 KeyRank

187 After extracting and explaining the keywords, the next goal is to enhance the original prompt. Previ-188 ous research has demonstrated that LLMs are sensitive to the order of tokens in the prompt, known 189 as position bias (Li et al., 2024; Yu et al., 2024). It highlights the need to carefully arrange the 190 extracted keywords. Notably, pragmatic human developers tend to place more important keywords 191 at the beginning in practice (Andrew Hunt, 2000). This preference may be reflected in the train-192 ing dataset, leading LLMs to also focus more on the keywords written at the front. Therefore, we 193 propose a set of heuristic rules to rank keywords by importance, namely KeyRank. The specific 194 Algorithm is provided in the Appendix A.

195 We first examine the keywords extracted by two LLMs (Llama 3.1 and DeepSeekCoder-V2) for part 196 of the coding problems in the APPS training set. These keywords can generally be categorized into 197 three types: (1) Function keywords, which match the desired function names, such as count\_nums 198 in Figure 3. (2) General keywords, which appear in the problem description, like sum of digits 199 in Figure 3. (3) Abstract keywords, which do not appear in any input; instead, they are abstract terms 200 summarized from multiple concepts. For example, for two different concepts "substring before the 201 dot" and "substring after the dot" in the problem description, LLM may combine them into a single keyword substring before/after the dot. The proportions of these three categories are 202 22.5%, 59.9%, and 17.7%. 203

We hypothesize that abstract keywords are the most important, as they encompass explanations across multiple concepts. General keywords refer to single concepts and are of secondary importance, while function Keywords, whose explanations have already appeared in the problem description, are the least important. Therefore, we propose ordering the keywords as *abstract*  $\rightarrow$  *general*  $\rightarrow$  *function*. Appendix E.1 demonstrates that this heuristic combination order yields the best results.

Moreover, since general keywords represent the majority (59.9%) and LLMs could extract multiple
general keywords for a single problem, we further perform an internal ranking of these general
keywords. We argue that a keyword is more important if it appears more frequently in the problem
description (i.e., higher term frequency). Conversely, if a keyword appears less frequently in a corpus
(i.e., lower document frequency), the corresponding code conversion could be more challenging as
we stated in the Introduction section, and thus its explanation is more significant. Therefore, we
use the TF-IDF, a widely used metric that combines term frequency (TF) and inverse document
frequency (IDF), to assess the importance of general keywords. TF-IDF is calculated as follows:

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$$\text{TF-IDF} = \frac{n_i}{\sum_k n_k} \times \log \frac{|D|}{1 + |\{j : t_i \in d_j\}|}$$

The first term represents TF, where  $n_i$  denotes the number of times the keyword appears in the problem description, and the denominator represents the total occurrences of all items with the same number of grams. The second term represents IDF, where |D| is the total number of documents in the corpus, and the denominator represents the number of documents containing the keyword  $t_i$ .

We adopt the Python subset of the eval-codealpaca-v1 (Luo et al., 2023) as the corpus for computing
document frequency, which is generated by ChatGPT and can partially reflect the distribution of
LLMs' training data. In addition, we demonstrate that SEK is robust across various corpora.

228 2.3 PROMPTENRICH

After obtaining the ranked keywords and their explanations, SEK integrates them with the original problem. As shown in the enriched problem in Figure 3, SEK appends the ranking results to the end of the problem, providing additional explanations for key concepts in the problem. It's worth noting that, to maintain the coherence of the problem context, we insert the phrase "*Analyze the following key terms and their relationships within the problem context:*" after the problem. This acts as a semantic buffer, smoothly transitioning from the original problem description to the appended keywords. The enriched problem is then input into the LLM to generate the final solution.

3 EXPERIMENTAL SETUP

We conduct a series of experiments to evaluate the effectiveness of the proposed approach SEK. In this section, we describe our experimental setup, including the selected models, benchmarks, evaluation metrics, baselines, and implementation details.

243 244 3.1 STUDIED LLMS

245 We select five representative LLMs to evaluate SEK, balancing between open-source and propri-246 etary models, as well as covering a range of model sizes and architectures. The open-source mod-247 els include Llama-3.1-70B-instruct (Dubey & Abhinav Jauhri, 2024), which is a dense decoder-248 only model with 70-billion parameters, Mixtral-8×22B-instruct-v0.1 (Jiang et al., 2024), which is a sparse Mixture-of-Experts (MOE) model having 141-billion total parameters with 39B active, and 249 DeepSeek-Coder-V2-236B-Instruct-0724 (Zhu et al., 2024), which is a sparse MOE model having 250 236B parameters with 21B active. We access DeepSeek-Coder via DeepSeek-AI's API. For propri-251 etary models, we include GPT-3.5-turbo-0125 (OpenAI, 2022) and GPT-4o-mini (OpenAI, 2024), 252 accessed via OpenAI's API. Detailed specifications for each model are provided in the Appendix B. 253

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#### 3.2 BENCHMARKS AND EVALUATION METRIC

256 Following previous work (Chen et al., 2023b; Dong et al., 2023; Zhong et al., 2024b; Jiang et al., 257 2023b), We conduct experiments on three public code generation benchmarks HumanEval(+) (Chen 258 et al., 2021; Liu et al., 2024), MBPP(+) (Austin et al., 2021; Liu et al., 2024), and APPS (Hendrycks 259 et al., 2021). Considering the high cost of evaluating the entire APPS test problems and following 260 prior work (Olausson et al., 2023; Huang et al., 2024b; Le et al., 2024; Yang et al., 2023), we ran-261 domly select 300 problems from the APPS test set for evaluation<sup>1</sup>. To mitigate the uncertainty 262 introduced by random sampling, we conduct multiple experiments with different sample seeds. More details are in Appendix E.3. For detailed descriptions of each benchmark, please refer to 263 Appendix C. We evaluate model performance using the Pass@1 metric, which measures the ability 264 to generate correct solutions in a single attempt. This also aligns with real-world scenarios where 265 developers aim to produce accurate code on the first try. 266

 <sup>&</sup>lt;sup>1</sup>There are three different difficulty levels of problems in APPS, i.e., introductory, interview, and competition. Specifically, based on the frequency distribution of problems with different difficulty levels, we sample 60, 180, and 60 problems at the introductory, interview and competition levels, respectively. All tasks are listed in Appendix E.3.

## 270 3.3 BASELINES

- **Default LLM**: This approach is based on the EvalPlus framework (Liu et al., 2024), using problems from the benchmark as input to prompt LLMs for code generation.
- 273 ierns from the benchmark as input to prompt LLMs for code generation.
   274 Zero-Shot CoT (Chain-of-Thought) (Kojima et al., 2022): This approach first prompts the LLM to "think step by step" for getting the intermediate reasoning steps and then concatenates the original problem description with the generated intermediate steps as input to get the code solution.
- CoT (Wei et al., 2022): This approach generates a series of reasoning steps during the solutiongeneration process for each problem. To ensure comparative fairness, both the CoT baseline and SEK employ an equal number of demonstrations.
- One-Step CoT: This approach first prompts the LLM to "Rephrase the problem description using precise language", and then uses this refined description to guide code generation. Both One-Step CoT and SEK employ an equal number of demonstrations.
- SelfEvolve (Jiang et al., 2023a): This approach first uses LLMs to generate problem-specific knowledge and produce initial code solutions based on such knowledge. Then, it iteratively refines code solutions with LLMs based on execution feedback. Notably, SelfEvolve uses different prompt templates for different benchmarks to extract knowledge. Since these prompt templates have been open-sourced, we consistently apply its two-stage prompts on HumanEval (see Appendix H) in our replication process. For a fair comparison, we remove the self-refinement module, and employ the same number of demonstrations as SEK.
- Beam Search (Wiseman & Rush, 2016): This approach employs distinct search beams and op-timizes selection during the decoding process. Given that SEK requires LLMs to explore search space twice by modifying the LLM's search space through additional token insertion, we demonstrate its benefit by comparing it with performing two searches within the LLM's original search space, i.e., beam search with a beam size of 2. We also demonstrate that with similar computational costs, SEK consistently outperforms beam search (Appendix E.4).
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3.4 IMPLEMENTATION DETAILS

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Prompt Design. It's worth noting that the implementations except SelfEvolve are based on the
EvalPlus framework. Specifically, the only difference between SEK and Default is the addition of
keywords and explanations to the problem description. APPS contains problems in two formats:
call-based format and standard input format. Following previous work (Olausson et al., 2023; Inala et al., 2022; Chen et al., 2023b), we employ a two-shot prompt to guide the LLM to generate
appropriate solutions for different formats.

Demonstration Selection Strategy. Inspired by previous work (Wei et al., 2022; Mu et al., 2023;
 Wang et al., 2023), we adopt a differentiated strategy that varies based on benchmark complexity
 (See Appendix D). To reduce bias, we employ an LLM separate from our target LLMs (Claude-3.5 Sonnet) to generate keywords and explanations for each demonstration, which are then manually
 reviewed and refined (See Appendix D).

Configuration. In our experiments, we treat the LLMs as black-box generators and only need to set a few key interface parameters. We maintain consistent settings across all LLMs, employing greedy decoding for output generation. The maximum output length is uniformly set to 2048 tokens.
Specifically, the LLMs accessed via APIs do not support Beam Search. Thus, we only implement Beam Search for Llama-3.1-70B-Instruct and Mixtral-8x22B-Instruct-v0.1. Due to resource limitation, we compare SelfEvolve using GPT-3.5-turbo following the original paper (Jiang et al., 2023a) and additionally use two open-sourced LLMs (Llama-3.1 and Mixtral-8x22B).

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#### 4 EXPERIMENTAL RESULTS

318 4.1 MAIN RESULTS 319

Table 1 presents the performance of SEK and the selected baselines across five representative LLMs
 on Humaneval(+), MBPP(+) and APPS of different difficulty levels. To be noted, the Default results
 of Mixtral-8×22B-Instruct-v0.1 and DeepSeekCoder-V2-Instruct on Humaneval(+) and MBPP(+)
 are from the official leaderboard of the EvalPlus (Liu et al., 2024). However, as the other three
 LLMs are not in this leaderboard, we adhere to the EvalPlus framework to obtain their results.

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	Model	Method	HumanEval	HumanEval+	MBPP	MBPP+	APPS Introductory	APPS Interview	APPS Competition	Average
		Default	78.0	73.8	87.6	70.9	50.0	15.0	5.0	54.3
		Beam Search (2)	79.3	74.4	87.8	70.9	55.0	16.1	5.0	55.5
		One-Step CoT	79.3	73.2	71.7	57.4	50.0	17.2	3.3	50.3
	Llama-3.1-70B-Instruct	Zero-Shot CoT	76.8	72.6	77.5	62,4	41.6	16.1	8.3	48.8
		CoT	79.9	74.4	87.0	71.7	43.3	16.6	6.7	54.2
		SelfEvolve	81.7	75.6	85.4	70.4	50.0	15.5	8.3	55.3
		SEK	84.8	79.3	88.4	71.2	61.7	20.0	8.3	59.1
		Default	76.2	72.0	73.8	64.3	28.3	7.7	1.6	46.3
		Beam Search (2)	78.7	73.2	81.2	70.6	33.3	8.8	6.6	50.3
		One-Step CoT	72.0	66.5	79.6	66.9	31.6	6.1	1.6	46.3
	Mixtral-8×22B-Instruct-v0.1	Zero-Shot CoT CoT	75.0 72.0	68.3 65.9	79.9 78.0	67.2 68.0	28.3 31.6	8.3 3.8	1.6 5.0	46.9 46.3
		SelfEvolve	56.7	50.0	68.5	60.1	31.0 33.3	7.2	5.0	40.5
		SEK	81.1	75.6	79.1	66.9	33.3	10.0	6.6	50.4
		Default	72.6	67.7	84.1	71.2	46.6	18.3	0.0	51.5
	GPT-3.5-turbo	One-Step CoT Zero-Shot CoT	70.1 72.6	65.9 67.1	78.6 83.3	66.1 71.2	<b>53.3</b> 48.3	16.1 <b>20.6</b>	1.6 3.3	50.2 52.3
	(API)	CoT	58.5	54.9	83.5 84.1	68.8	48.5	17.2	3.5 1.6	46.7
	(AFI)	SelfEvolve	73.2	67.7	82.3	66.7	45.0	19.4	1.6	50.8
		SEK	75.6	69.5	84.1	72.5	53.3	20.6	5.0	54.4
		Default	87.8	84.1	85.7	72.8	53.3	31.6	11.6	61.0
	CDT 1	One-Step CoT	86.0	79.3	85.4	70.9	45.0	29.4	10.0	58.0
	GPT-40-mini (API)	Zero-Shot CoT	86.6	84.8	89.7	76.2	33.3	27.2	8.3	58.0
		CoT	87.2	84.1	88.1	73.3	50.0	33.8	11.6	61.2
		SEK	87.2	84.1	87.8	74.1	58.3	35.0	13.3	62.8
	Design life to V2 to start	Default	85.4	82.3	89.4	75.1	70.0	36.1	10.0	64.0
	DeepSeekCoder-V2-Instruct (API)	CoT	88.4	82.3	90.5	75.4	60.0	40.5	10.0	63.9
	()	SEK	93.3	85.4	90.2	76.2	75.0	41.1	13.3	67.8

Table 1: Pass@1 (%) results of SEK and baseline methods on HumanEval(+), MBPP(+) and APPS of different difficulty levels. Bold numbers indicate the best-performing baseline for each model.

Overall, SEK substantially improves code generation performance, achieving notable gains across 349 various LLMs and datasets. We observe that SEK achieves greater performance improvements 350 on HumanEval(+) and APPS than MBPP(+). For instance, on HumanEval, SEK demonstrates an 351 absolute average performance improvement of 4.4% over the Default, whereas, it achieves an im-352 provement of 1.8% on MBPP. This may be because the problems in HumanEval(+) and APPS are 353 more complex than those in MBPP, and simple problems are easy to understand and alleviate the 354 need to extract and explain keywords. As shown in Table 3, the average number of tokens per prob-355 lem is 26.1 for MBPP, while those numbers are 67.7 and more than 257.3 for HumanEval(+) and 356 APPS. These results may indicate that SEK can better improve LLMs' problem-solving capabilities 357 on relatively complex problems than on simple problems.

358 We first discuss the performance on HumanEval(+) and APPS. These benchmarks are relatively 359 complex compared to MBPP, and better demonstrate the effectiveness of SEK. SEK consistently 360 outperforms Default across most LLMs. For instance, SEK achieves average absolute improvements 361 of 6.7%, 3.6%, and 3.7% on APPS-Introductory, APPS-Interview, and APPS-Competition, respec-362 tively. However, GPT-4o-mini is an exception, which experiences a slight performance decline on 363 Humaneval(+). This may be because the built-in prudence of GPT-4o-mini (Huang et al., 2024a) makes it tend to select more generic keywords, and such generic keywords fail to help LLMs un-364 derstand low-frequency terms in the problem description. This conjecture is further underpinned by 365 an observation that CoT similarly fails to enhance GPT-4o-mini's performance. The consistent im-366 provements of SEK across most LLMs highlight its effectiveness in enhancing the problem-solving 367 capabilities of LLMs. 368

Compared to Beam Search, which also explores the search space twice, SEK shows notable per-369 formance improvements. For instance, on Humaneval and Humaneval+, SEK achieves absolute 370 average improvements of 4.0% and 3.7%, respectively, over Beam Search. These can be attributed 371 to SEK's unique technique: appending the problem's critical parts to the end, enabling LLMs to 372 focus on and comprehend these key concepts. In contrast, Beam Search merely expands the search 373 space without understanding the problem deeply, leading to lower diversity in outputs (Li & Juraf-374 sky, 2016). Consequently, it cannot enhance problem-solving capabilities in a targeted manner like 375 SEK (See Appendix I for different cases). 376

Compared to CoT, SelfEvolve, One-Step CoT, and Zero-Shot CoT, SEK demonstrates a notable and 377 consistent performance advantage. For instance, on Humaneval and Humaneval+, SEK achieves

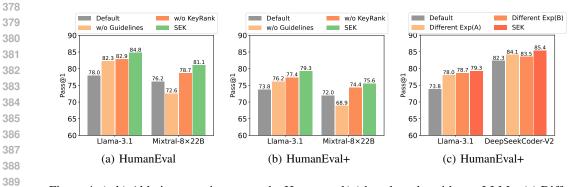


Figure 4: (a-b) Ablation experiments on the Humaneval(+) benchmarks with two LLMs. (c) Different explanations of Demonstrations on Humaneval+ with two LLMs.

Model	Method	Humaneval	Humaneval+
	Default	78.0	73.8
Llama-3.1-70B-Instruct	SEK (corpus = APPS training set)	84.1	78.7
	SEK (corpus = Python subset of eval-codealpaca-v1)	84.8	79.3
	Default	85.4	82.3
DeepSeekCoder-V2-Instruct	SEK (corpus = APPS training set)	90.9	85.4
	SEK (corpus = Python subset of eval-codealpaca-v1)	93.3	85.4

Table 2: SEK works under different corpus for Humaneval(+
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401 absolute average performance improvements of 7.2% and 6.5% over CoT. In contrast, the perfor-402 mance of the four baselines is inconsistent, sometimes even lower than Default. For instance, with 403 Mixtral-8×22B-Instruct-v0.1, SelfEvolve's performance on APPS-Interview is 0.5% lower than Default. The unstable performance of CoT can be attributed to its inherent unsuitability for generation 404 tasks (Sprague et al., 2024). Similar phenomena have been observed in prior work (Wang et al., 405 2024; Zhang et al., 2024; Luo et al., 2024; Jiang et al., 2023b). While the four baselines utilize 406 LLMs to extract relevant knowledge from problem descriptions, they differ in the types of extracted 407 knowledge. SEK focuses on low-frequency keywords, which are more difficult to be mapped to 408 code implementation. This enables SEK to effectively fill the knowledge gaps during code genera-409 tion. In contrast, the other three methods tend to merely restate the complete problem description 410 for problems in code generation benchmarks. In addition, upon manual inspection of the generated 411 problem descriptions for One-Step CoT, we identify that LLMs, without human intervention, often 412 struggle to consistently produce precise whole-problem reformulations. Any errors in this interme-413 diate generation step can compromise the overall description accuracy. In contrast, SEK focuses 414 on analyzing specific keywords within the problem description, which helps mitigate the potential errors that might arise from whole-problem reformulation. As a result, the four baselines are less 415 effective compared to SEK in code generation. 416

We then discuss the performance on MBPP(+), a relatively simple benchmark. SEK surpasses
the baselines across most LLMs, further demonstrating SEK's effectiveness. For instance, when
applied to Llama-3.1-70B-Instruct, SEK achieves performance improvements of 3.0% and 0.8%
over SelfEvolve on MBPP and MBPP+, respectively.

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4.2 DISCUSSION

424 We conduct additional experiments to comprehensively evaluate SEK's performance and robustness.

Guidelines in the prompt for KeyExtract & Explain provide essential guidance for LLMs, KeyRank effectively prioritizes keywords, and generated explanations are important. Our ablation studies confirm that both guidelines and KeyRank play crucial roles in enhancing performance. As shown in Figure 4(a)-4(b), We evaluate Llama-3.1 and Mixtral-8×22B on Humaneval
(+). Removing either the guidelines or the KeyRank module results in performance degradation. For instance, removing the KeyRank module results in performance degradation. HumanEval and HumanEval+, respectively, for Mixtral-8×22B-Instruct-v0.1. Moreover, removing each guideline from the prompt individually also results in performance degradation in most cases

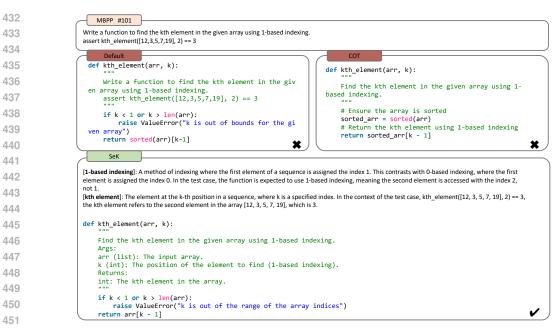


Figure 5: A real case from MBPP generated by two baselines and SEK.

455 (See Appendix E.2). It is worth mentioning that even without KeyRank, SEK remains superior to 456 the Default baseline. For instance, without KeyRank module, Mixtral-8×22B-Instruct-v0.1 shows a 2.5% improvement on HumanEval compared to the Default, underscoring the strength of SEK's 458 core mechanisms. We also conduct an ablation study by removing generated explanations from the 459 enriched prompts. Experimental results show that removing these explanations leads to substantial 460 performance drops across different LLMs, demonstrating the importance of generated explanations. See Appendix E.6 for more details.

462 SEK demonstrates robustness to variations in demonstrations, and the corpus used in 463 **KeyRank**. To show its performance is not tied to a fixed set of keyword explanations within the 464 demonstrations used in KeyExtract & Explain, We conduct experiments using two additional sets of 465 keyword explanations randomly generated from the same LLM (i.e., Claude-3.5-Sonnet). As shown 466 in Figure 4(c), although there is performance variance among different keyword explanations, as would be expected when using exemplar-based prompting (Gao et al., 2021; Min et al., 2022; 467 Reynolds & McDonell, 2021), the three sets of keyword explanations consistently outperform the 468 Default. Additionally, to evaluate the robustness to the corpus used in KeyRank, we employ select 469 different corpus, as shown in Table 2. We observe that using SEK with Llama-3.1-70B-Instruct still 470 shows a 6.1% absolute improvement on Humaneval compared to Default. These results demonstrate 471 the robustness of SEK. 472

SEK enhances the model's focus on core keywords in the problem description (See Ap-473 pendix G). Using a visualization tool, we analyze SEK's behaviors from the perspective of attention 474 distribution. We select a simple problem, i.e., "Write a function to find the nth nonagonal num-475 ber", choosing the keyword "nonagonal" with its explanation for detailed analysis. By comparing 476 the attention distribution in the Default and SEK settings, we observe that SEK help the LLM allo-477 cate more attention to the keyword and its explanation. This indicates the way SEK uses to enrich 478 the prompt can help LLMs better focus on the key concepts in the problem description, leading to 479 improved code generation. 480

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4.3 CASE STUDY

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To further evaluate the effectiveness of SEK, we conduct a qualitative analysis. As shown in Figures 484 5, we select one representative sample from MBPP, use DeepSeek-Coder-V2-Instruct as the base 485 model, and compare the outputs of SEK with Default and CoT. See Appendix J for more cases.

The problem aims to find the kth element in the given array using 1-based indexing. The solutions generated by Default and CoT both perform unnecessary sorting and are incorrect. This may be because the LLM incorrectly correlates the keyword *kth element* with the sorting operation. In contrast, SEK accurately interprets *kth element* and produces the correct code solution. This is achieved by incorporating the guideline that ensures the explanations are consistent with test cases in the problem description, demonstrating the effectiveness of SEK.

#### 5 RELATED WORK

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LLM-based code generation: Recent advancements in LLMs have significantly improved code
generation capabilities. Models like CodeGen (Nijkamp et al., 2022), StarCoder (Li et al., 2023),
and GPT series (Black et al., 2022; Chen et al., 2021) have demonstrated remarkable performance
in translating natural language descriptions into code snippets. These models primarily use decoderonly architectures and next-token prediction for pre-training. A subset, including CodeT5 (Wang
et al., 2021) and PLBART (Ahmad et al., 2021), employs encoder-decoder architectures. Our work
builds upon these foundations, focusing on enhancing LLMs' problem-solving capabilities without
additional training.

503 **Prompting techniques for code generation**: Prompting techniques for code generation can be 504 broadly categorized into three types: The first type utilizes external knowledge to enhance LLMs' 505 understanding of coding problems or intermediate outputs (Mu et al., 2023; Nashid et al., 2023; 506 Zhong et al., 2024a). For example, CEDAR (Nashid et al., 2023) retrieves relevant code examples 507 from an external knowledge base to help LLMs understand task requirements. The second type re-508 lies solely on LLMs' inherent capabilities, using prompt design to guide LLMs in generating code 509 snippets that meet specific requirements (Wei et al., 2022; Wang et al., 2023; Yao et al., 2024). For 510 instance, Chain of Thought (Wei et al., 2022) employs a step-by-step, chain-of-thought style prompt to guide LLMs in producing correct results. The third type integrates the previous two types, lever-511 aging both external knowledge and the LLM's inherent knowledge to solve coding problems (Chen 512 et al., 2023c; Jiang et al., 2023a; Tian & Chen, 2023; Chen et al., 2024c;b). For example, Self-513 Debug (Chen et al., 2023c) uses the code execution results or the code explanations generated by 514 the LLM itself to debug the incorrect code multiple times. SEK belongs to the second category. 515 Different from other methods, it focuses on improving LLMs' comprehension of the problem by 516 identifying and explaining the key concepts in the problem description with LLMs themselves. 517

Keyword extraction: Keyword extraction methods have evolved from traditional statisti-518 cal (Sparck Jones, 1972; El-Beltagy & Rafea, 2009; Florescu & Caragea, 2017; Rose et al., 2010) 519 and graph-based approaches (Mihalcea & Tarau, 2004; Wan & Xiao, 2008; Gollapalli & Caragea, 520 2014; Grineva et al., 2009) to more advanced techniques leveraging language models (Mahata et al., 521 2018; Bennani-Smires et al., 2018; Sun et al., 2020; Arora et al., 2017). Recent works like Attention-522 Rank (Ding & Luo, 2021) and LLM-TAKE (Maragheh et al., 2023) use self-attention mechanisms 523 and language models to identify significant keywords. Our work extends this concept to the domain 524 of code generation, using LLMs to extract and explain problem-specific keywords to enhance code 525 solution generation.

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#### 6 CONCLUSION AND LIMITATIONS

In this work, we propose SEK, a simple yet effective method to enhance the code generation capabilities of LLMs. SEK leverages the LLM to extract and explain keywords from the problem
description, followed by ranking them based on their frequency. Through extensive experiments, we
demonstrate that SEK facilitates LLMs in capturing and clarifying key concepts within problems,
thereby generating more accurate code solutions.

One limitation of SEK is that the two-stage invocation process of SEK incurs additional computational overhead. Future work could explore compressing the process into one invocation. In addition,
keywords are extracted and explained by LLMs, of which the quality cannot be guaranteed due to
the hallucinations of LLMs (Ji et al., 2023). Mitigating this requires enhancing the factual accuracy
of LLMs (Mitchell et al., 2022; Tang et al., 2023) and proposing effective approaches for detecting
factual errors (Chen et al., 2024a; Min et al., 2023).

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#### A AGLORITHM OF KEYRANK

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#### Algorithm 1 KeyRank Procedure

870 **Input:** Keyword Set  $K_x$ , Problem **P**, Corpus C **Output:** Ranked Keywords  $K_y$ 871 1:  $K_g \leftarrow \emptyset, K_a \leftarrow \emptyset, K_y \leftarrow \emptyset$ 872 2:  $\mathbf{f} \leftarrow \text{EXTRACTFUNCTIONNAME}(\mathbf{P})$ 873 3: for each k in  $K_x$  do 874 4: if k = f then 875 5:  $K_g \leftarrow K_g \cup \{(k, -1)\}$ else if  $k \in \mathbf{P}$  then 6: 876  $K_g \leftarrow K_g \cup \{(k, \text{TF-IDF}(k, \mathbf{P}, C))\}$ 7: 877 8: else 878  $K_a \leftarrow K_a \cup \{k\}$ Q٠ 879 10: end if 11: end for 880 12:  $K_g \leftarrow \text{SORTDESCENDING}(K_a)$ 13:  $K_y \leftarrow K_a \cup K_g$ 14: return  $K_y$ 883

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First, we initialize the *General Keywords*, *Abstract Keywords*, and output as  $K_g, K_a, K_y$ , respectively. EXTRACTFUNCTIONNAME extracts the method name if provided in the problem description. Otherwise, it returns a null value. Then, keywords are classified and scored. They can be divided into three classes: *Abstract Keywords*, *General Keywords*, and *Function Keyword*. Abstract keywords do not appear in any input; they are abstract terms summarized from multiple concepts and stored in  $K_a$ . General keywords denote items in the problem description. We calculate their importance using TF-IDF based on a code-related corpus. General keywords and their scores are stored in  $K_g$ . Function keyword refers to the method name for solving the problem. Its explanation provides a coarse-grained description of the problem requirements. We assign a score of -1 to the function keyword, and also store them in  $K_g$ . Finally, SORTDESCENDING sorts the keywords in  $K_g$  based on their scores. The keywords are combined in the order of abstract, general, and function keywords, and are then returned as the Ranked Keywords.

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- Llama-3.1-70B (Dubey & Abhinav Jauhri, 2024) is an open-sourced, decoder-only language model, pre-trained on 15t tokens from public sources. In our experiments, we use the Llama-3.1-70B-Instruct version.
- Mixtral-8×22B (Jiang et al., 2024) is an open-source, sparse Mixture-of-Experts (MOE) model with 141B total parameters, utilizing 39B active parameters. We use the Mixtral-8×22B-Instruct-v0.1 version.
- **DeepSeek-Coder-V2-Instruct-0724** (Zhu et al., 2024), developed by DeepSeek-AI, is an opensource MoE code language model pre-trained on 10.2T tokens. The instruction-tuned version is further trained on 11B tokens.
- **GPT-3.5-turbo-0125** (OpenAI, 2022) is a close-sourced LLM from OpenAI, building on GPT-3 with optimizations for more efficient text generation.
- **GPT-4o-mini** (OpenAI, 2024) is a smaller, cost-effective<sup>2</sup> variant of GPT-4 (OpenAI & Josh Achiam, 2024), offering strong performance across various tasks.

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<sup>&</sup>lt;sup>2</sup>GPT-4 is not selected due to the high experimental cost required.

#### C BENCHMARK DETAILS

Benchmark	Humaneval	Humaneval+	MBPP	MBPP+	APPS Introductory	APPS Interview	APPS Competition
Problem	164	164	399	399	60	180	60
#Avg Tests	9.6	764.1	3.1	105.4	15.1	25.7	17.3
#Avg Tokens	67.7	67.7	26.1	26.1	257.3	319.8	377.4

Table 3: Statistics of benchmarks: the total number of problems in each benchmark (Problems), the average number of hidden test cases per problem (#Avg Tests), and the average number of space-separated tokens of the problem (#Avg Tokens).

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We use three widely-used benchmarks, i.e., HumanEval(+), MBPP(+), and APPS, for evaluation.
Table 3 presents their key statistics.

(1) HumanEval (Chen et al., 2021) consists of 164 hand-written programming problems, each including a method signature, docstring, body, and unit tests. We use both HumanEval and its extended version, HumanEval+(Liu et al., 2024), which enhances the original with 80× additional test samples to address test case insufficiency (Liu et al., 2024).

(2) MBPP (Austin et al., 2021) contains crowd-sourced Python programming problems. Our study uses the versions proposed by (Liu et al., 2024), including MBPP and MBPP+. Each of them contain 399 tasks, and the latter adds 35× test samples.

939 (3) APPS (Hendrycks et al., 2021) includes 10,000 coding problems from open-access websites, 940 split equally into training and test sets. It includes two problem formats: call-based format (input 941 via function parameters) and standard input format (using stdin/stdout). Problems are categorized 942 into introductory, interview, and competition levels. There are three different difficulty levels of problems in APPS, i.e., introductory, interview and competition. Each of them has 1000, 3000, and 943 1000 tasks, respectively. Considering the cost of evaluating the entire APPS test set and following 944 prior work (Olausson et al., 2023; Huang et al., 2024b; Le et al., 2024; Yang et al., 2023), we ran-945 domly select problems in accordance with the frequency distribution of these difficulty levels and 946 sample 60, 180, 60 problems at the introductory, interview, and competition levels, respectively. 947

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#### D IMPLEMENTATION DETAILS

Demonstration selection strategy. Specifically, for HumanEval, we select the first two problems as
 demonstrations. For MBPP, we choose the first problem. For APPS, considering the model's input
 length limitation and to avoid randomness, we select the two shortest problems from the first five
 problems in the training set. The reason for this differentiated strategy is that HumanEval and APPS
 problems are more complex, requiring more examples, while MBPP problems are relatively simple
 in form, and one example is enough.

957 Keywords and explanations involved in demonstrations. The prompt for KeyExtract & Explain 958 uses several demonstrations to guide LLMs to produce keywords and their explanations. To ensure the quality of each demonstration, we first employ Claude-3.5-Sonnet, an LLM separate from our 959 target LLMs, to generate multiple sets of keywords and explanations for each demonstration. The 960 generated contents are then manually reviewed, and the most accurate set for each demonstration is 961 selected and used in the prompt. This can mitigate the potential bias in human-generated explana-962 tions. Additionally, for HumanEval(+) and MBPP(+) datasets, which provide function names, the 963 first two authors discuss and write the explanation for the function name in each demonstration. 964

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#### E ADDITIONAL EXPERIMENTS

968 E.1 INFLUENCE OF KEYWORD COMBINATION ORDERS

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970 In KeyRank, we combine different types of keywords based on the order of *abstract*  $\rightarrow$  *general*  $\rightarrow$ 971 *function*. We investigate the influence of keyword combination orders by comparing the order used by SEK with three alternative ordering strategies using two LLMs, i.e., Llama-3.1-70B-Instruct

Model	Combination Order	HumanEval	HumanEval+	Average
	Default	78.0	73.8	75.9
	Func_Abs_Gen	83.5	78.7	81.1
	Func_Gen_Abs	84.1	79.3	81.7
Llama-3.1-70B-Instruct	Gen_Func_Abs	84.1	78.7	81.4
	Gen_Abs_Func	84.1	78.7	81.4
	Abs_Func_Gen	84.1	78.0	81.1
	SEK(Abs_Gen_Func)	84.8	79.3	82.1
Mixtral-8×22B-Instruct-v0.1	Default	76.2	72.0	74.1
	Func_Abs_Gen	78.0	72.0	75.0
	Func_Gen_Abs	81.1	75.0	78.1
	Gen_Func_Abs	78.0	72.0	75.0
	Gen_Abs_Func	76.8	71.3	74.1
	Abs_Func_Gen	81.1	75.6	78.4
	SEK(Abs_Gen_Func)	81.1	75.6	78.4

Table 4: The experiments of different combination orders on Humaneval(+) with two LLMs.

Model	Ablations	HumanEval	HumanEval+
	w/o Guideline(1)	85.4	78.7
	w/o Guideline(2)	82.3	75.6
Linne 2.1.70D Instruct	w/o Guideline(3)	81.7	76.8
Llama-3.1-70B-Instruct	w/o Guideline(4)	81.1	76.2
	w/o Guideline(5)	83.5	77.4
	ALL Guidelines	84.8	79.3
	w/o Guideline(1)	76.8	72
	w/o Guideline(2)	77.4	72.6
Mixtral-8×22B-Instruct-v0.1	w/o Guideline(3)	79.3	73.8
Mixtrai-8×22B-Instruct-v0.1	w/o Guideline(4)	75.0	70.1
	w/o Guideline(5)	76.8	73.2
	ALL Guidelines	81.1	75.6

Table 5: Ablation experiments on removing one guideline at a time from Keyword Prompt on HumanEval(+) with two LLMs.

and Mixtral-8×22B-Instruct-v0.1. Table 4 presents the experimental results, where the abbreviations Abs, Gen, and Func denote *abstract keywords*, *general keywords*, and *function keywords*, respectively. The results reveal performance variations across different keyword combination orders, indicating that the order of different keyword types impacts LLMs' comprehension of coding problems. The combination order used by SEK consistently yields optimal performance, suggesting its rationality.

#### 1011 E.2 INFLUENCE OF GUIDELINES

In Section 4.2, we investigate the effectiveness of the guidelines in the KeyExtract & Explain prompt as a whole. This section further investigates the impact of each guideline by removing it from the prompt and re-evaluate the performance of SEK with two LLMs, i.e., Llama-3.1-70B-Instruct and Mixtral-8×22B-Instruct-v0.1 on HumanEval(+). Table 5 presents the experimental results, where the performance of the two LLMs decreases in almost all cases, indicating the contribution of each guideline to the effectiveness of SEK.

## 1019 E.3 MORE EXPERIMENTS ON APPS

In the main experiment, we randomly sample problems from the APPS test set for evaluation due
to limited resources. The performance of LLMs on APPS may be affected by the randomness of
the selected samples. To mitigate this variability, we conduct additional experiments by randomly
selecting three new subsets of problems at the introductory level from the APPS test set and using
two LLMs for evaluation, i.e., Llama-3.1-70B-instruct and GPT-3.5-Turbo. The number of sampled
tasks is fixed at 60, consistent with the main experiment. For reproducibility, the selected tasks

Model	Method	Introductory(A)	Introductory(B)	Introductory(C)	Average
	Default	51.6	45.0	46.6	47.7
	Beam Search(2)	55.0	45.0	45.0	48.3
	One-Step CoT	48.3	48.3	48.3	48.3
Llama-3.1-70B-Instruct	Zero-Shot CoT	41.6	40.0	30.0	37.2
	CoT	41.6	46.6	45.0	44.4
	SelfEvolve	45.0	53.3	46.6	48.3
	SEK	58.3	56.6	50.0	55.0
	Default	45.0	51.6	43.3	46.6
	One-Step CoT	53.3	48.3	41.6	47.7
GPT-3.5-turbo	Zero-Shot CoT	48.3	51.6	50.0	50.0
(API)	CoT	48.3	53.3	46.6	49.4
	SelfEvolve	45.0	48.3	45.0	46.1
	SEK	48.3	53.3	50.0	50.5

Table 6: The Pass@1 (%) results of SEK and baseline methods on differently sampled APPS-Introductory sets.

are provided in Table 11. As shown in Table 6, SEK achieve optimal performance across different subsets. For instance, considering Llama-3.1-70B-Instruct, SEK outperforms the Default, Beam Search, and CoT baselines by an average of 7.3%, 6.7%, and 10.6%, respectively. This corroborates the credibility of our conclusions. 

E.4 ANALYSIS OF PERFORMANCE AND COMPUTATIONAL COSTS OF BEAM SEARCH AND SEK

Method	HumanEval	HumanEval+	MBPP	MBPP+	APPS Introductory	APPS Interview	APPS Competition	Averag
Default	78.0	73.8	87.6	70.9	50.0	15.0	5.0	54.3
Beam Search(2)	79.3	74.4	87.8	70.9	55.0	16.1	5.0	55.5
Beam Search(3)	78.0	74.4	87.8	72.2	53.3	20.0	6.6	56.0
Beam Search(5)	79.9	75.6	88.4	72.8	55.0	21.1	6.7	57.1
Beam Search(10)	79.9	75.0	88.9	72.5	56.6	21.1	8.3	57.5
SEK	84.8	79.3	88.4	71.2	61.7	20.0	8.3	59.1

Table 7: The Pass@1 (%) results of Llama-3.1-Instruct-70B of SEK and different number of beam sizes of beam search baselines on HumanEval(+), MBPP(+) and APPS of different difficulty levels. 

Method	Introductory(A)	Introductory(B)	Introductory(C)	Average
Default	51.6	45.0	46.6	47.7
Beam Search(2)	55.0	45.0	45.0	48.3
Beam Search(3)	50.0	45.0	45.0	46.7
Beam Search(5)	53.3	43.3	43.3	46.6
Beam Search(10)	53.3	45.0	48.3	48.9
SEK	58.3	56.6	50.0	55.0

Table 8: The Pass@1 (%) results of Llama-3.1-Instruct-70B of SEK and different number of beam sizes of beam search baselines on differently sampled APPS-Introductory sets. 

To investigate the impact of beam size on performance, we conduct additional experiments with varying beam sizes (2, 3, 5, and 10) using LLaMA-3.1-Instruct-70B. We are unable to include Mixtral-8×22B-Instruct-v0.1 in these experiments due to memory constraints (Out-Of-Memory is-sues) at beam sizes  $\geq$  5. The results, presented in Table 7 and Table 8, demonstrate that SEK consistently outperforms beam search across most scenarios, even with larger beam sizes. Inter-

estingly, we observed that beam sizes of 5 and 10 occasionally surpassed SEK's performance on MBPP(+) and APPS-Interview, which may be attributed to more computation cost of beam search (see below for details).

1080 1081	Method	HumanEval	MBPP	APPS Introductory	APPS Interview	APPS Competition	Average
1082	Beam Search(2)	242.0	<u>378.0</u>	202.0	<u>304.0</u>	416.0	308.4
1083	Beam Search(3)	723.0	538.0	<u>286.0</u>	435.0	611.0	518.6
	Beam Search(5)	1200.0	890.0	455.0	685.0	1165.0	879.0
1084	Beam Search(10)	2500.0	1840.0	960.0	1360.0	2410.0	1814.0
1085	SEK	450.0	412.0	273.0	337.0	484.0	391.2

Table 9: The computational resource usage of SEK and Beam search with different beam sizes. 1087 Underline number means the closest computational resource consumption to that of SEK of the 1088 same benchmark. 1089

Method	Introductory(A)	Introductory(B)	Introductory(C)	Average
Beam Search(2)	192.0	200.0	202.0	198.0
Beam Search(3)	281.6	<u>308.0</u>	<u>308.0</u>	<u>299.2</u>
Beam Search(5)	460.0	485.0	480.0	475.0
Beam Search(10)	970.0	1050.0	950.0	990.0
SEK	270.0	269.0	281.0	273.3

Table 10: The computational resource usage of SEK and Beam search with different beam sizes 1098 on differently sampled APPS-Introductory sets. Underline number means the closest computational 1099 resource consumption to that of SEK of the same benchmark. 1100

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1102 To quantify the computational resource usage of each approach, we calculated the product of the 1103 numbers of generated tokens and maintained paths as the total computational cost. The computa-1104 tional cost are shown in Tables 9 and Table 10. When comparing the scenarios with similar compu-1105 tational costs, SEK consistently outperforms beam search. In the cases where beam search surpasses SEK, beam search typically demands significantly more computational resources. For instance, on 1106 MBPP, beam search with sizes 5 and 10 consumed approximately 890 and 1840 computational units 1107 respectively, whereas SEK required only 412 units. These results reinforce SEK's efficiency in 1108 achieving superior performance. 1109

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#### FREQUENCY OF EXTRACTED KEYWORDS E.5 1111

1112 To validate whether the keywords extracted in the KeyExtract & Explain phase are relatively low-1113 frequency terms, we conduct a comparative analysis between extracted keywords and other terms in 1114 problem descriptions. Specifically, we choose the keywords generated by Llama-3.1-70B-Instruct 1115 on HumanEval for analysis and use a controlled comparison where the extracted keywords are com-1116 pared with other terms of the same n-gram length. We use TF-IDF scores as a proxy to assess 1117 the frequency of the terms. We conduct three separate experiments with different instruction tun-1118 ing datasets and pertaining datasets for IDF calculations, including eval-codealpaca-v1 (Luo et al., 1119 2023), OSS-Instruct (Wei et al., 2024) and randomly selected samples from Python subset of the 1120 Stack-V2 (Lozhkov et al., 2024), which is pre-training data of the StarCoder2.

1121 As shown in Figure 6(a), Figure 6(b), and Figure 6(c), all experiments demonstrate consistent results: 1122 the distribution of extracted keywords exhibits a notable right-skewed pattern compared to other 1123 terms, indicating higher TF-IDF scores. This dual empirical analysis provides supporting evidence 1124 that SEK tends to identify relatively low-frequency terms as keywords.

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#### 1126 E.6 IMPORTANCE OF GENERATED EXPLANATIONS 1127

1128 To validate the effectiveness of keyword explanations generated in the KeyExtract & Explain step, 1129 we conduct an additional ablation experiment by removing the generated explanations while retaining the extracted keywords for code generation. We follow the same experimental setup on 1130 HumanEval(+) using Llama-3.1-70B-Instruct and GPT-3.5-turbo. The results are shown in Table 1131 12. It can be observed that removing generated explanations from the enriched prompts leads to 1132 performance drops, demonstrating the importance of these explanations for the code generation pro-1133 cess.

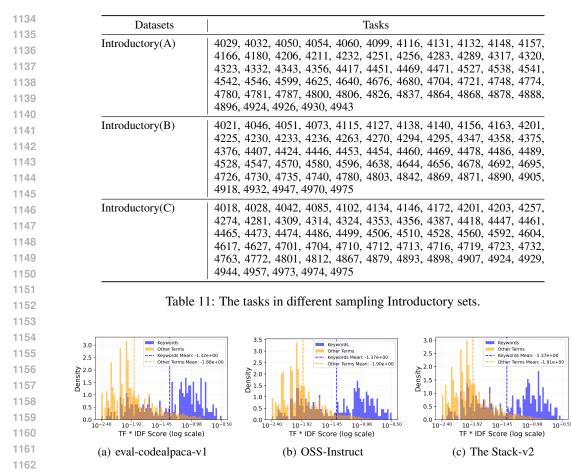


Figure 6: Comparison of the distribution of extracted Keywords and other terms with different corpus.

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#### 1167 F SELECTED APPS TASKS

1169 For reproducibility, we provide the complete list of selected tasks of APPS in Table 13.

## 1171 G ATTENTION ANALYSIS

We aim to explain SEK from the perspective of attention distribution. We use BertViz<sup>3</sup> to present explainability visualizations. Due to limited computational resources, we select a short problem and remove its test cases. Specifically, the problem description is "Write a function to find the nth nonagonal number." and we select a keyword with its explanation "[nonagonal]: A nine-sided polygon. Nonagonal numbers represent the count of dots forming nonagons of increasing size". We select Mixtral-8×22B-Instruct-v0.1 as the base model and extract the attention from its last layer for analysis.

The key to this problem lies in understanding "nonagonal". With Default, Figure 7 shows the overall attention distribution for the problem, while Figure 8 displays the attention distribution for a part of the keyword "nonagonal". It can be observed that most of the attention is allocated to the beginning words, with the keyword "nonagonal" receiving relatively less attention. This may lead to insufficient focus on the core concept of the problem when generating code. In contrast, with SEK, Figure 10 presents the overall attention distribution of the LLM with SEK, and Figure 9 shows the attention distribution for "nonagonal". It can be seen that the model allocates additional attention

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<sup>&</sup>lt;sup>3</sup>https://github.com/jessevig/bertviz

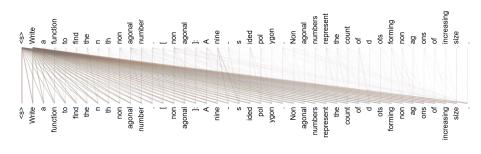
Model	Method	Humaneval	Humaneval+
	Default	78.0	73.8
Llama-3.1-70B-Instruct	SEK w/o explanations	78.7	74.4
	SEK	84.8	79.3
CDT 2.5 tout	Default	72.6	67.7
GPT-3.5-turbo (API)	SEK w/o explanations	72.6	68.9
(/11/)	SEK	75.6	69.5

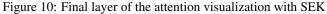
Table 12: Ablation experiments on removing generated explanations on HumanEval(+) with two LLMs.

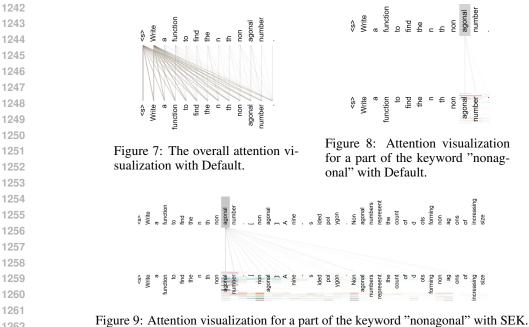
Difficulty	Tasks
Introductory	4007, 4032, 4049, 4050, 4054, 4060, 4114, 4116, 4132, 4148, 4157 4166, 4180, 4211, 4215, 4232, 4251, 4283, 4289, 4317, 4323, 4333 4343, 4356, 4372, 4417, 4439, 4451, 4469, 4527, 4540, 4541, 4540 4549, 4582, 4585, 4599, 4625, 4631, 4640, 4676, 4678, 4704, 472 4774, 4781, 4787, 4800, 4806, 4826, 4837, 4861, 4864, 4868, 4878 4888, 4924, 4926, 4929, 4930
Interview	6, 10, 35, 44, 56, 76, 82, 95, 105, 106, 115, 133, 135, 178, 188, 199 210, 213, 231, 240, 248, 278, 300, 305, 319, 342, 357, 372, 377, 379 420, 457, 460, 483, 484, 489, 546, 553, 566, 567, 584, 634, 664, 669 675, 686, 696, 701, 734, 785, 817, 855, 861, 876, 903, 909, 914, 932 973, 989, 993, 994, 1017, 1020, 1025, 1033, 1039, 1053, 1069, 110 1122, 1132, 1140, 1144, 1158, 1166, 1167, 1224, 1226, 1232, 1288 1313, 1346, 1351, 1361, 1373, 1375, 1391, 1394, 1406, 1409, 1432 1458, 1459, 1478, 1487, 1491, 1508, 1520, 1527, 1534, 1540, 155 1563, 1565, 1590, 1635, 1640, 1715, 1720, 1733, 1749, 1761, 1766 1775, 1813, 1823, 1833, 1838, 1864, 1881, 1885, 1955, 1976, 1988 1989, 2003, 2006, 2011, 2015, 2048, 2053, 2062, 2077, 2097, 210 2145, 2177, 2192, 2209, 2273, 2293, 2317, 2361, 2406, 2443, 2492 2494, 2495, 2502, 2513, 2514, 2533, 2542, 2546, 2552, 2554, 2609 2615, 2641, 2642, 2655, 2657, 2684, 2707, 2725, 2726, 2728, 2729 2762, 2767, 2776, 2784, 2788, 2815, 2850, 2874, 2914, 2982, 2999
Competition	3009, 3024, 3031, 3071, 3097, 3131, 3138, 3171, 3188, 3204, 3200 3210, 3211, 3252, 3262, 3263, 3298, 3301, 3313, 3319, 3326, 3377 3379, 3445, 3456, 3479, 3481, 3501, 3517, 3535, 3573, 3579, 3613 3629, 3654, 3680, 3684, 3690, 3713, 3721, 3727, 3731, 3733, 374: 3762, 3775, 3786, 3788, 3802, 3803, 3843, 3863, 3882, 3886, 3893 3901, 3943, 3945, 3948, 3972

Table 13: The tasks in different difficulty levels of APPS.

to the added keywords and explanations, encouraging the model to focus more on the core concepts of the problem. With SEK, the LLM further distributes attention to the added keywords and explanations, which can enhance its understanding of the key concepts in the problem.







## H PROMPT FOR SELF-EVOLVE

1266 ...

{Problem description}
...
For the above question, could you briefly teach me how to solve it step by step in natural language? 'Dont
 write the code in this step.

#### Listing 1: The first prompt of Self-Evolve

Based on the above idea, help me complete the function. Be attention, you should only output the codes without any explanation and natural language. Wrap your code with "```"

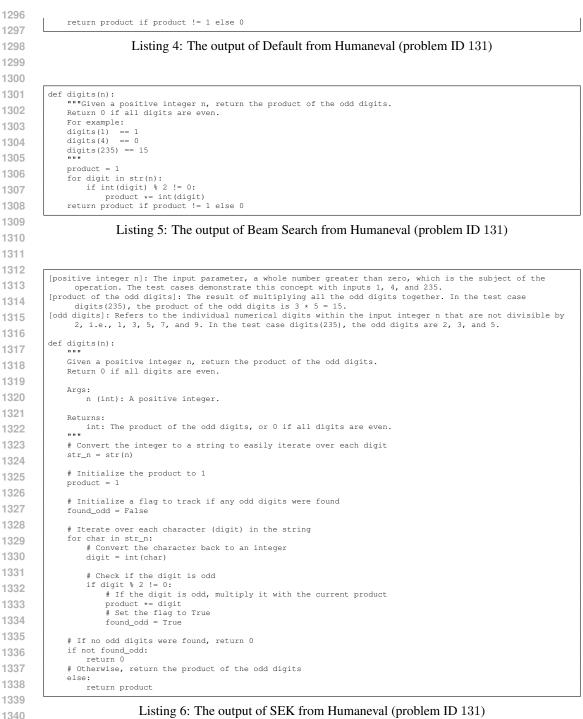
Listing 2: The Second prompt of Self-Evolve

#### I CASE STUDY OF THE DIFFERENCE BETWEEN BEAM SEARCH AND SEK

```
def digits(n):
    """Given a positive integer n, return the product of the odd digits.
    Return 0 if all digits are even.
    For example:
    digits(1) == 1
    digits(4) == 0
    digits(235) == 15
    """
```

Listing 3: A	problem fron	n Humaneval	(problem ID 131)	)

```
1287
           def digits(n):
1288
                Given a positive integer n, return the product of the odd digits. Return 0 if all digits are even.
1289
1290
                Args:
                    n (int): A positive integer.
1291
                Returns:
                int: The product of the odd digits of n, or 0 if all digits are even.
"""
1292
1293
                product = 1
1294
                for digit in str(n):
                    digit = int(digit)
if digit % 2 != 0:
1295
                         product *= digit
```



Despite expanding the search space, Beam Search is still less effective than SEK due to its failure to deepen its understanding of the problem. To illustrate this, we use Problem 131 from Humaneval, 1344 generated by Llama 3.1-70B-Instruct. Although Beam Search and the Default implementations 1345 differ, neither approach fully comprehends the problem. Specifically, when handling odd digits, 1346 both methods incorrectly return 0 when the product of the *odd digits* is 1. In contrast, SEK not only identifies but also correctly interprets the concept of *odd digits* in the problem description, allowing 1347 it to handle cases where the product of the odd digits equals 1 accurately. This demonstrates that 1348 SEK, by focusing on the underlying semantic understanding of key problem concepts, develops a 1349 deeper comprehension of the task, ultimately leading to the correct solution.

# <sup>1350</sup> J MORE EXAMPLES

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We present an example from APPS-Introductory. This problem requires solving an optimization problem to minimize the number of thieves while ensuring that each thief steals the same number of swords and accounting for all missing swords. This solution requires the use of the greatest common divisor (GCD). It can be seen that both CoT and Default make the same mistake: they use the difference between the maximum and minimum sword counts to calculate the number of swords each person takes. In contrast, only SEK correctly utilizes the GCD, resulting in the generation of accurate code.

[	There were \$n\$ types of swords in the theater basement which had been used during the plays. Moreover there
	were exactly $xx$ swords of each type. $yx$ people have broken into the theater basement and each of them has taken exactly $zx$ swords of some single type. Note that different people might have taken different
	has taken exactly \$2\$ swords of some single type. Note that different people might have taken different types of swords. Note that the values \$x, y\$ and \$z\$ are unknown for you.
	The next morning the director of the theater discovers the loss. He counts all swords   exactly \$a_i\$ swords
	of the \$i\$-th type are left untouched.
	The director has no clue about the initial number of swords of each type in the basement, the number of people who have broken into the basement and how many swords each of them have taken.
	For example, if \$n=3\$, \$a = [3, 12, 6]\$ then one of the possible situations is \$x=12\$, \$y=5\$ and \$z=3\$. Then the first three people took swords of the first type and the other two people took swords of the third type. Note that you don't know values \$x, y\$ and \$z\$ beforehand but know values of \$n\$ and \$a\$.
	Thus he seeks for your help. Determine the minimum number of people \$y\$, which could have broken into the
	theater basement, and the number of swords $z\$ each of them has taken.
	Toront
	Input
	The first line of the input contains one integer $n \le (2 \le n \le 2 \le 10^{5}) \le 10^{5})$ the number of types of swords.
	The second line of the input contains the sequence $a_1, a_2, \ldots a_n$ (0 \le a_i \le 10^{9}), where
	$a_i$ equals to the number of swords of the \$i\$-th type, which have remained in the basement after the theft. It is quaranteed that there exists at least one such pair of indices \$(j, k)\$ that \$a_j \neq
	$a_k$ .
	Output
	Print two integers \$y\$ and \$z\$   the minimum number of people which could have broken into the basement and the number of swords each of them has taken.
	end number of swords cach of them has taken.
	Examples
	Input 3
	3 12 6
	Output
	5 3
	Input 2
	2 9
	Output
	1 7
	Input
	7 2 100000000 4 6 8 4 2
	Output
	2999999987 2
	Input
	6 13 52 0 13 26 52
	Output
	12 13
	Note
	In the first example the minimum value of \$y\$ equals to \$5\$, i.e. the minimum number of people who could have broken into the basement, is \$5\$. Each of them has taken \$3\$ swords: three of them have taken \$3\$
	swords of the first type, and two others have taken \$3\$ swords of the third type. In the second example the minimum value of \$y\$ is \$1\$, i.e. the minimum number of people who could have broken into the basement, equals to \$1\$. He has taken \$7\$ swords of the first type.
l	Listing 7: A problem from APPS-Introductory (problem ID 4372)
	Below is a Python script with a self-contained function that solves the problem and passes corresponding

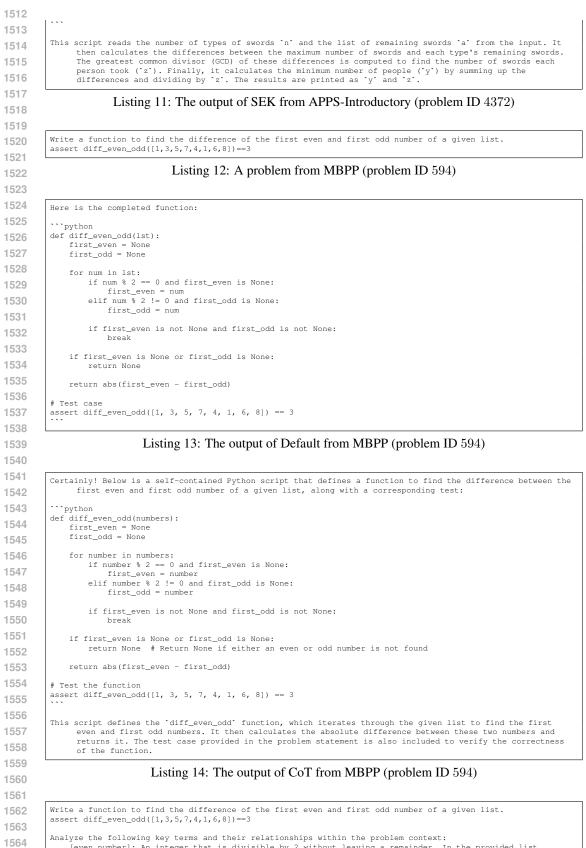
Below is a Python script with a self-contained function that solves the problem and passes corresponding tests:

1422	Listing 8. The output of Default from APPS-Introductory (problem ID $(3372)$
1421	swords each of them has taken.
1420	computes the number of people (`y`) and the number of swords each person took (`z`). It ensures that the output is the minimum number of people who could have broken into the basement and the number of
1419	This script reads the input, calculates the minimum and maximum values of the remaining swords, and then
1418	
1417	<pre># Output the result print(y, z)</pre>
1416	y += (swords - min_swords) // z
1415	for swords in a:
1414	y = 0 if $z = 0$ :
1413	# Calculate the minimum number of people
1412	<pre># Calculate the number of swords each person took z = max_swords - min_swords</pre>
1411	
1410	<pre>min_swords = min(a) max swords = max(a)</pre>
1409	# Find the minimum and maximum values in the sequence
1408	<pre># Read the sequence of remaining swords a = list(map(int, input().split()))</pre>
1407	n = int(input())
1406	# Read the number of types of swords
1405	```python import math
1404	

### Listing 8: The output of Default from APPS-Introductory (problem ID 4372)

1424	
1425	Below is a Python script with a self-contained function that solves the problem and passes corresponding tests:
1426	*``python # Read the number of types of swords
1427	<pre>n = int(input()) # Read the sequence of remaining swords</pre>
1428	<pre>a = list(map(int, input().split()))</pre>
1429	# Step 1: Find the minimum and maximum values in the array
1430	<pre>min_swords = min(a) max_swords = max(a)</pre>
1431	# Step 2: Calculate the number of swords each person took
1432	z = max_swords - min_swords
1433	# Step 3: Calculate the minimum number of people
1434	y = 0 for swords in a:
1435	if swords != max_swords: y += (max_swords - swords) // z
1436	# Step 4: Print the result
1437	print (y, z)
1438	
1439	This script reads the input, calculates the minimum number of people ('y') and the number of swords each person took ('z'), and prints the result. The logic is based on finding the difference between the
1440	maximum and minimum values in the array `a`, which represents the number of swords each person took (`z`), and then summing up the number of people required to achieve this difference for each type of
1441	sword.
1442	Listing 9: The output of CoT from APPS-Introductory (problem ID 4372)
1443	Ensuing 5. The output of COT from THTS indicated by (problem in 1972)
1444	
1445	There were \$n\$ types of swords in the theater basement which had been used during the plays. Moreover there were exactly \$x\$ swords of each type. \$y\$ people have broken into the theater basement and each of them
1446	has taken exactly \$z\$ swords of some single type. Note that different people might have taken different
1447	types of swords. Note that the values $x, y$ and $z$ are unknown for you.
1448	The next morning the director of the theater discovers the loss. He counts all swords   exactly \$a_i\$ swords of the \$i\$-th type are left untouched.
1449	
	The diverter has no glue shout the initial number of grands of each tune in the bacement, the number of
1450	The director has no clue about the initial number of swords of each type in the basement, the number of people who have broken into the basement and how many swords each of them have taken.
1451	
1451 1452	<pre>people who have broken into the basement and how many swords each of them have taken. For example, if \$n=3\$, \$a = [3, 12, 6]\$ then one of the possible situations is \$x=12\$, \$y=5\$ and \$z=3\$. Then the first three people took swords of the first type and the other two people took swords of the third</pre>
1451 1452 1453	people who have broken into the basement and how many swords each of them have taken. For example, if \$n=3\$, \$a = [3, 12, 6]\$ then one of the possible situations is \$x=12\$, \$y=5\$ and \$z=3\$. Then the first three people took swords of the first type and the other two people took swords of the third type. Note that you don't know values \$x, y\$ and \$z\$ beforehand but know values of \$n\$ and \$a\$.
1451 1452 1453 1454	<pre>people who have broken into the basement and how many swords each of them have taken. For example, if \$n=3\$, \$a = [3, 12, 6]\$ then one of the possible situations is \$x=12\$, \$y=5\$ and \$z=3\$. Then the first three people took swords of the first type and the other two people took swords of the third</pre>
1451 1452 1453 1454 1455	<pre>people who have broken into the basement and how many swords each of them have taken. For example, if \$n=3\$, \$a = [3, 12, 6]\$ then one of the possible situations is \$x=12\$, \$y=5\$ and \$z=3\$. Then the first three people took swords of the first type and the other two people took swords of the third type. Note that you don't know values \$x, y\$ and \$z\$ beforehand but know values of \$n\$ and \$a\$. Thus he seeks for your help. Determine the minimum number of people \$y\$, which could have broken into the</pre>
1451 1452 1453 1454	<pre>people who have broken into the basement and how many swords each of them have taken. For example, if \$n=3\$, \$a = [3, 12, 6]\$ then one of the possible situations is \$x=12\$, \$y=5\$ and \$z=3\$. Then the first three people took swords of the first type and the other two people took swords of the third type. Note that you don't know values \$x, y\$ and \$z\$ beforehand but know values of \$n\$ and \$a\$. Thus he seeks for your help. Determine the minimum number of people \$y\$, which could have broken into the</pre>

1458 1459 The second line of the input contains the sequence  $a_1, a_2, dots, a_n$  (0 \le  $a_i \le 0^{9}$ ), where  $a_i \in quals$  to the number of swords of the is-th type, which have remained in the basement after the 1460 theft. It is guaranteed that there exists at least one such pair of indices (j, k) that  $a_j = 0$ 1461 a\_k\$. 1462 ----Output-----1463 Print two integers y and z | the minimum number of people which could have broken into the basement and 1464 the number of swords each of them has taken. 1465 1466 ---Examples----Input 1467 1468 3 12 6 1469 Output 5 3 1470 Input 1471 29 1472 1473 Output 1 ' 1474 1475 Input 1476 2 100000000 4 6 8 4 2 1477 Output 2999999987 2 1478 1479 Input 1480 13 52 0 13 26 52 1481 Output 1482 12 13 1483 ---Note----In the first example the minimum value of \$y\$ equals to \$5\$, i.e. the minimum number of people who could have broken into the basement, is \$5\$. Each of them has taken \$3\$ swords: three of them have taken \$3\$ swords of the first type, and two others have taken \$3\$ swords of the third type. 1484 1485 In the second example the minimum value of \$y\$ is \$1\$, i.e. the minimum number of people who could have broken into the basement, equals to \$1\$. He has taken \$7\$ swords of the first type. 1486 1487 ----Keywords and Explanations----Analyze the following key terms and their relationships within the problem context: [number of swords taken]: The quantity of swords, denoted as (z ), that each person took. This value is 1488 derived from the GCD of the differences between the initial number of swords and the remaining number 1489 of swords for each type. In the first example,  $\langle z = 3 \rangle$  is the result of calculating the GCD of the 1490 differences in the remaining swords. [minimum number of people]: The smallest count of individuals, denoted as \( y \), who could have broken into the theater basement and taken swords. This value is determined by the differences in the number of 1491 swords left of each type,  $(a_i )$ , and is calculated as the greatest common divisor (GCD) of these differences. In the first example, (y = 5 ) is derived from the differences between the remaining 1492 1493 swords of each type. 1494 Listing 10: The enriched problem of APPS-Introductory (problem ID 4372) 1495 1496 Below is a Python script that solves the problem described: 1497 ··· python 1498 import math from functools import reduce 1499 def gcd(a, b): 1500 while b: a, b = b, a % b 1501 return a 1502 def find\_gcd(list): 1503 x = reduce(gcd, list)return x 1504 1505 n = int(input()) a = list(map(int, input().split())) 1506 # Calculate the differences between the maximum and each element in a 1507 differences = [max(a) - ai for ai in a] 1508 # Find the GCD of all differences to determine the number of swords each person took (z) 1509 z = find\_gcd(differences) 1510 # Calculate the minimum number of people (y) by summing up the differences and dividing by z y = sum(differences) // z 1511 print(y, z)



1566 [difference]: The mathematical operation of subtracting one number from another. In the context of the 1567 function, it refers to the result of subtracting the first odd number from the first even number in the given list. For the test case `diff\_even\_odd([1,3,5,7,4,1,6,8])==3`, the difference is calculated as `4 1568 1 = 3 1569 assert diff even odd([1,3,5,7,4,1,6,8])==3 1570 Listing 15: The enriched problem of MBPP (problem ID 594) 1571 1572 Here is the self-contained Python script that solves the problem described: 1573 1574 ··· python def diff\_even\_odd(numbers): 1575 Find the difference of the first even and first odd number of a given list. 1576 1577 Args: numbers (list): A list of integers. 1578 Returns: 1579 int: The difference between the first even and first odd number. .... 1580 first\_even = None 1581 first odd = None 1582 for num in numbers: if first even is None and num % 2 == 0: 1583 first\_even = num 1584 if first\_odd is None and num % 2 != 0: first odd = num 1585 if first\_even is not None and first\_odd is not None: 1586 break 1587 if first\_even is None or first\_odd is None: raise ValueError("List must contain at least one even and one odd number.") 1588 1589 return first even - first odd 1590 # Test case assert diff\_even\_odd([1, 3, 5, 7, 4, 1, 6, 8]) == 3 1591 1592 This script defines a function `diff\_even\_odd` that takes a list of integers as input and returns the 1593 difference between the first even number and the first odd number in the list. The function iterates 1594 through the list to find the first even and first odd numbers and then calculates their difference. The test case provided in the problem statement is also included to verify the function's correctness. 1595 Listing 16: The output of SEK from MBPP (problem ID 594) 1596 1597 1598 1599 DETAILS OF DEMONSTRATIONS USED IN KEYEXTRACT & EXPLAIN Κ 1601 Demonstration 1: Check if in given list of numbers, are any two numbers closer to each other than given threshold. 1602 >>> has\_close\_elements([1.0, 2.0, 3.0], 0.5) 1603 False >>> has\_close\_elements([1.0, 2.8, 3.0, 4.0, 5.0, 2.0], 0.3) 1604 True 1605 [closer to each other]: Describes two numbers in the list whose absolute difference is less than the given threshold. For example, in the list [1.0, 2.8, 3.0, 4.0, 5.0, 2.0] with a threshold of 0.3, the numbers 2.8 and 3.0 are considered closer to each other because |2.8 - 3.0| = 0.2, which is less than 0.3. 1606 [has\_close\_elements]: Function name that defines the operation to be implemented. It takes two arguments: a list of numbers and a threshold value. The function should return True if any two numbers in the list 1607 1608 have a difference smaller than the threshold, and False otherwise. 1609 Demonstration 2: Input to this function is a string containing multiple groups of nested parentheses. Your goal is to separate 1610 those group into separate strings and return the list of those. 1611 Separate groups are balanced (each open brace is properly closed) and not nested within each other Ignore any spaces in the input string. 1612 >>> separate\_paren\_groups('( ) (( )) (( )( ))')
['()', '(())', '(())'] 1613 [balanced]: Refers to parentheses groups where each opening parenthesis '(' has a corresponding closing 1614 parenthesis ')' in the correct order, without any mismatches. Examples of balanced groups include '()', 1615 '(())', and '(()())'. In a balanced group, the number of opening and closing parentheses is always equal. 1616 [nested parentheses]: Describes parentheses groups where complete inner pairs are fully contained within outer pairs, without overlapping. The group '(()())' demonstrates this concept, containing two complete inner pairs '()' nested within an outer pair. Nested groups can have multiple levels of nesting while 1617 1618 still being balanced. [separate paren groups]: Function name indicating the functionality to be implemented. This function takes a 1619 single string argument containing multiple groups of nested parentheses. It should return a list of separated, independent parentheses groups.

<pre>%% to barrel \$%\$ (possibly, all water). You may assume that barrels have infinite capacity, so yo pour any amount of water in each of them. Calculate the maximum possible difference between the maximum and the minimum amount of water in the barr if you can pour water at most 5% times. Some examples: if you have four barrels, each containing \$55 liters of water, and \$k - 1\$, you may pour 1010; and the difference between the maximum and the minimum is \$100; if all harrels are \$15, 0. 1010; and the difference between the maximum ing \$100; if all harrels are each or, and the difference between the maximum mode the minimum amount is still \$0 can't make any operation, so the difference between the maximum and the minimum amount is still \$0 can't make any operation, so the difference between the maximum and the minimum amount is still \$0 can't make any operation, so the difference between the maximum and the minimum amount is still \$0 can't make any operation \$2 list \$1 list \$1 list \$1 list \$1 list \$2 list \$2 list \$1 list \$1 mouther of barrels and the number of pourings you can make. The second line contains \$6 lintegers \$2 list \$2 list \$2 list \$1 list \$2 list \$1 list \$2 uaranteed that the total sum of \$3 over test cases doesn't exceed \$2 list \$2 list</pre>	т	
<pre>assert set(sim)ar_bements(13, 4, 5, 6), (5, 7, 4, 10)) set(4, 5)) [abared elements]; Elements that separe in both input lines or sequences. In the test case, 4 and 5 are initiz-dements]; Elements that separe in both input into the input method. It is that the test is (or top as input and should return a collection of elements common to both input sequences. Listing 18: The selected demonstrations and corresponding keywords and explanations in MB Demonstration 1: Too have for barrel into a new, numbered from left to right from one. Initially, the fist-th barr contains 6_1\$ liters of water. You can pour water from one barrel to another, In one act of pouring, you can choose two different barre Say and Sy (the SA'- heared should't be empty) and pour any possible amount of water from barr Say and Sy (the SA'- heared should't be empty) and pour any possible amount of water in the bar if you can pour water at most SX lines. Some examples: if you have four barrels. Each of them. Calculate the maximum possible difference between the maximum and the minimum amount of water in the barrel inform the second barrel into the fourth, so the amount of water in the barrels are empty, y can't make any operation, so the difference between the maximum and the minimum amount is still 50input The first line contains one integer \$1\$ (\$1 \Le t \Le 1000\$)   the number of test cases. The first line of each test case contains two integers \$n\$ and \$4\$ (\$2 \Le t &lt; n \Le 2 \Loot 10^{-}\$5)   th number of barrels and the \$10 show or test cases doesn't exceed \$2 \Loot 10^{-}\$5</pre>		
<pre>inhared elements between (3, 4, 5, 6) and (5, 7, 4, 10), as they occur in both sequences. inhared elements between (3, 4, 5, 6) and (5, 7, 4, 10), as they occur in both sequences. Listing 18: The selected demonstrations and corresponding keywords and explanations in MB  momentation 1: Tou use soft sharels into up in a row, numbered from left to right from one. Initially, the \$15-th barr emnants \$a_1\$ liters of water. You can pour water from one barrel to another. In one act of pouring, you can choose two different barre sky and sky (the \$4x-th barrel hauling the empty) and pour any possible anount of water from barrel sky and \$9 (the \$4x-th barrel hauling the empty) and pour any possible anount of water in the barrel sky and \$9 (the \$4x-th barrel hauling the empty) and pour any possible anount of water in the barrel sky and \$9 (the \$4x-th barrel hauling the empty) and pour any possible anount of water in the barrel if you can pour water in each st thes.  Calculate the maximum possible difference between the maximum and the minimum amount of water in the barrel in one barrel in the fourth, no she amounts of water in the barrel in are \$15, 0, 1 ib(s, and the difference between the maximum and the minimu amount of water in the barrel in are \$15, 0, 1 ib(s, and the difference between the maximum and the minimu amount is still 00</pre>		
<pre>Demonstration 1: You have \$6\$ barrels lined up in a row, numbered from left to right from one. Initially, the \$15-th barre contains \$a_15] liters of water.</pre> You can pour water from one hearest to another. In one act of pouring, you can choose two different harre makes to barrel \$95 (possibly, all water). You may assume that barrels have infinite capacity, so yo pour any amount of water in each of them. Calculate the maximum possible difference between the maximum and the minimum amount of water in the bar if you can pour water at nost \$85 times. Some examples: If you have four barrels, each containing \$55 liters of water, and \$k - 18, you may you out any amount of water in each of them. Calculate the maximum possible difference between the maximum and the minimum is \$105, if all barrels are \$65, 0, 1015, and the difference between the maximum and the minimum mount is \$111 \$0 	s [simil]	chared elements between (3, 4, 5, 6) and (5, 7, 4, 10), as they occur in both sequences. ar_elements]: Function name indicating the operation to be implemented. It takes two lists (or tuple
<pre>You have \$n\$ barrels lined up in a row, numbered from left to right from one. Initially, the \$is+th barr contains \$a_1\$ lites of water. You can pour water from one barrel to another. In one act of pouring, you can choose two different barrel % and %y\$ (the \$xs-th barrel shouldn't be empty) and pour any possible amount of water from barre pour any amount of water in each of them. Calculate the maximum possible difference between the maximum and the minimum amount of water in the bar if you can pour water at most %% times. Some examples: if you have four barrels, each containing \$5% lites of water; and %k = 1\$, you may pour lits on the difference between the maximum and the minimum amount of water in the barrels are \$15, you can't make any operation, so the difference between the maximum and the minimum amount is still \$0 Input The first line contains one integer \$t\$ (\$1 \le t \le 1000\$)   the number of test cases. The first line contains one integer \$t\$ (\$1 \le t \le 1000\$)   the number of test cases. The first line contains one integer \$t\$ (\$1 \le t \le 1000\$)   the number of test cases. The first line contains for integers \$a_1, a_2, \dots, a_n\$ (\$0 \le a_i \le 10^{(9)}\$), where \$a_i\$ is th initial amount of water the \$is+th barrel has. It's guaranteed that the total sum of \$n\$ over test cases doesn't exceed \$2 \dot 10^{5}\$. Output For each test case, print the maximum possible difference between the maximum and the minimum amount of in the barrels, if you can pour water at most \$k\$ times. </pre>	Listin	g 18: The selected demonstrations and corresponding keywords and explanations in MBP
<pre>S&amp; and SyS (the SxS-th harel shouldn't be empty) and pour any possible amount of water from hare SX to harel SyS (possibly, all water). You may assume that barrels have infinite capacity, so yo pour any amount of water in each of them.</pre> Calculate the maximum possible difference between the maximum and the minimum amount of water in the barrel if you can pour water at most SWS times. Some examples: If you have four barrels, each containing SSS liters of water, and Sk - 13, you may pour liters from the second barrel into the fourth, so the amounts of water in the barrels et St5, 0, 10[5, and the difference between the maximum and the minimum is S105; if all barrels are empty, y can't make any operation, so the difference between the maximum and the minimum amount is still \$00 Input The first line contains one integer \$t\$ (\$1 \le t \le 1000\$)   the number of test cases. The first line of each test case contains two integers \$n\$ and Sk\$ (\$1 \le k < n \le 2 \cdot 10^5\$)   th number of barrels and the number of pourings you can make. The second line contains \$n\$ integers \$a_1, a_2, (dots, a_n\$ (\$0 \le a_i \le 10^{(9)}\$), where \$a_i\$ is th initial amount of water th \$i\$L+b harrel has. It's guaranteed that the total sum of \$n\$ over test cases doesn't exceed \$2 \cdot 10^5\$. Output For each test case, print the maximum possible difference between the maximum and the minimum amount of in the barrels, if you can pour water at most \$k\$ times. Catample Input 2 4 1 5 5 5 5 3 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	You ha	ve \$n\$ barrels lined up in a row, numbered from left to right from one. Initially, the \$i\$-th barre
<pre>if you can pour water at most \$k\$ times. Some examples: if you have four barrels, each containing \$55 liters of water, and \$k = 1\$, you may pour liters from the second barrel into the fourth, so the amounts of water in the barrels are \$15, 0, 0: 10]\$, and the difference between the maximum and the minimum amount is still \$00 Input The first line contains one integer \$t\$ (\$1 \le t \le 1000\$)   the number of test cases. The first line of each test case contains two integers \$n\$ and \$k\$ (\$1 \le k &lt; n \le 2 \cdot 10^5\$)   th number of barrels and the number of pourings you can make. The second line contains \$n\$ integers \$a_1, a_2, (dots, a_n\$ (\$0 \le a_i \le 10^(9)\$), where \$a_i\$ is th initial amount of water the \$i\$-th barrel has. It's guaranteed that the total sum of \$n\$ over test cases doesn't exceed \$2 \cdot 10^5\$. Output For each test case, print the maximum possible difference between the maximum and the minimum amount of in the barrels, if you can pour water at most \$k\$ times. Example Taput 2 4 1 5 5 5 5 3 2 0 0 0 0 Output 10 0 Dutput 10 0 Charrels]: Containers numbered from 1 to n, where the i-th harrel initially contains a_i liters of water the first example, there are 4 barrels, each containing 5 liters of water; serpresented as [5, 5, 5 maximum difference]: The largest possible gap between the ulst and empirest barrels after performing to k pourings. For the first example, this value is 10, achieved by creating a barrel with 10 liter and another with 0 liters. Demonstration 2! Mikhail walks on a Cartesian plane. He starts at the point \$(0, 0)\$, and in one move he can go to any of eight daisent points. For example, if Mikhail is currently at the point \$(0, 0, 0, \$, \$&lt;-1, -1)\$; \$(-1, 0)\$; \$(-1, 0)\$; -10\$; \$(0, -1)\$; \$(1, -1)\$; \$(1, 0)\$; \$(1, 1)\$; \$(0, 1)\$; \$(-1, 0)\$;</pre>	4	xx\$ and \$y\$ (the \$x\$-th barrel shouldn't be empty) and pour any possible amount of water from barrel xx\$ to barrel \$y\$ (possibly, all water). You may assume that barrels have infinite capacity, so you
<pre>liters from the second barrel into the fourth, so the amounts of water in the barrels are egy(p, y, can't make any operation, so the difference between the maximum and the minimum amount is still \$0'Input The first line contains one integer \$t\$ (\$1 \le t \le 1000\$)   the number of test cases. The first line of each test case contains two integers \$n\$ and \$k\$ (\$1 \le k &lt; n \le 2 \cdot 10^5\$)   th     number of barrels and the number of pourings you can make. The second line contains 5n\$ integers \$a_1, a_2, \dots, a_n\$ (\$0 \le a_i \le 10^{(9)\$}), where \$a_i\$ is th     initial amount of water the \$i\$-th barrel has. It's guaranteed that the total sum of \$n\$ over test cases doesn't exceed \$2 \cdot 10^5\$Dutput For each test case, print the maximum possible difference between the maximum and the minimum amount of     in the barrels, if you can pour water at most \$k\$ timesExample Input 2 4 4 1 5 5 5 5 5 3 2 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0</pre>		
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<ul> <li>Mikhail walks on a Cartesian plane. He starts at the point \$(0, 0)\$, and in one move he can go to any of eight adjacent points. For example, if Mikhail is currently at the point \$(0, 0)\$, he can go to any the following points in one move: \$(1, 0)\$; \$(1, 1)\$; \$(0, 1)\$; \$(-1, 1)\$; \$(-1, 1)\$; \$(-1, 0)\$; \$(1, -1)\$.</li> <li>If Mikhail goes from the point \$(x1, y1)\$ to the point \$(x2, y2)\$ in one move, and \$x1 \ne x2\$ and \$y1 \ y2\$, then such a move is called a diagonal move.</li> <li>Mikhail has \$q\$ queries. For the \$i\$-th query Mikhail's target is to go to the point \$(n_i, m_i)\$ from t point \$(0, 0)\$ in exactly \$k_i\$ moves. Among all possible movements he want to choose one with the maximum number of diagonal moves. Your task is to find the maximum number of diagonal moves.</li> </ul>		
<pre>the following points in one move: \$(1, 0)\$; \$(1, 1)\$; \$(0, 1)\$; \$(-1, 1)\$; \$(-1, 0)\$; \$(-1, -1)\$; \$(0, -1)\$; \$(1, -1)\$. If Mikhail goes from the point \$(x1, y1)\$ to the point \$(x2, y2)\$ in one move, and \$x1 \ne x2\$ and \$y1 \ y2\$, then such a move is called a diagonal move. Mikhail has \$q\$ queries. For the \$i\$-th query Mikhail's target is to go to the point \$(n_i, m_i)\$ from t point \$(0, 0)\$ in exactly \$k_i\$ moves. Among all possible movements he want to choose one with the maximum number of diagonal moves. Your task is to find the maximum number of diagonal moves or find that it is impossible to go from the point \$(0, 0)\$ to the point \$(n_i, m_i)\$ in \$k_i\$ moves.</pre>	Mikhai	l walks on a Cartesian plane. He starts at the point $(0, 0)$ , and in one move he can go to any of
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that it is impossible to go from the point $(0, 0)$ to the point $(n_i, m_i)$ in $k_i$ moves.	P	point \$(0, 0)\$ in exactly \$k_i\$ moves. Among all possible movements he want to choose one with the
NOLE LHAL MIKHAII CAN VISIT ANY POINT ANY NUMBER OF TIMES (EVEN THE destination point!).	Note t	hat Mikhail can visit any point any number of times (even the destination point!).

1674	Input
1675	Input
1676	The first line of the input contains one integer $q \in 10^4$ ( $1^{0} \in 10^4$ )   the number of queries.
1677	Then \$q\$ lines follow. The \$i\$-th of these \$q\$ lines contains three integers $n_i$ , $m_i$ and $k_i$ (\$1 \le
1678	n_i, m_i, k_i $l 10^{18}$   \$x\$-coordinate of the destination point of the query, \$y\$-coordinate of the destination point of the query and the number of moves in the query, correspondingly.
	the destinction point of the query and the number of moves in the query, correspondingly.
1679	Output
1680	
1681	<pre>Print \$q\$ integers. The \$i\$-th integer should be equal to -1 if Mikhail cannot go from the point \$(0, 0)\$ to the point \$(n_i, m_i)\$ in exactly \$k_i\$ moves described above. Otherwise the \$i\$-th integer should be</pre>
1682	equal to the the maximum number of diagonal moves among all possible movements.
1683	
1684	Example Input
1685	3
1686	2 2 3 4 3 7
1687	10 1 9
1688	Output
1689	1 6
	-1
1690	
1691	
1692	Note
1693	One of the possible answers to the first test case: $(0, 0) \to (1, 0) \to (2, 2)$ .
1694	One of the possible answers to the second test case: $(0, 0) \to (0, 1) \to (1, 2) \to (0, 3) \to (1, 4) \to (0, 3) \to (1, 4) \to (0, 3) \to (1, 4) \to (0, 3) \to (0$
1695	$(2, 3)$ \to $(3, 2)$ \to $(4, 3)$ \$.
1696	In the third test case Mikhail cannot reach the point \$(10, 1)\$ in 9 moves.
1697	[revisiting]: The ability to pass through any point, including the destination, multiple times during the
1698	journey. In the second example (4, 3, 7), the optimal path includes revisiting coordinates: (0, 0) $\rightarrow$ (0, 1) $\rightarrow$ (1, 2) $\rightarrow$ (0, 3) $\rightarrow$ (1, 4) $\rightarrow$ (2, 3) $\rightarrow$ (3, 2) $\rightarrow$ (4, 3). This feature allows for maximizing
1699	diagonal moves even when the direct path wouldn't utilize all available moves.
1700	Listing 19: The selected demonstrations and corresponding keywords and evplanations in APPS
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1701 1702	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
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1701 1702 1703 1704 1705	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
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1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
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1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717 1718	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717 1718 1719	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717 1718 1719 1720	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717 1718 1719 1720 1721	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717 1718 1719 1720 1721 1722	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717 1718 1719 1720 1721 1722 1723	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
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1701 1702 1703 1704 1705 1706 1707 1708 1709 1710 1711 1712 1713 1714 1715 1716 1717 1718 1719 1720 1721 1722 1723 1724 1725	Listing 19: The selected demonstrations and corresponding keywords and explanations in APPS
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