NeuMA: Neural Material Adaptor for Visual Grounding of Intrinsic Dynamics

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Abstract

While humans effortlessly discern intrinsic dynamics and adapt to new scenarios, modern AI systems often struggle. Current methods for visual grounding of dynamics either use pure neural-network-based simulators (black box), which may violate physical laws, or traditional physical simulators (white box), which rely on expert-defined equations that may not fully capture actual dynamics. We propose the Neural Material Adaptor (*NeuMA*), which integrates existing physical laws with learned corrections, facilitating accurate learning of actual dynamics while maintaining the generalizability and interpretability of physical priors. Additionally, we propose Particle-GS, a particle-driven 3D Gaussian Splatting variant that bridges simulation and observed images, allowing back-propagate image gradients to optimize the simulator. Comprehensive experiments on various dynamics in terms of grounded particle accuracy, dynamic rendering quality, and generalization ability demonstrate that NeuMA can accurately capture intrinsic dynamics. Project Page: https://xjay18.github.io/projects/neuma.html.

1 Introduction

Teaching a machine to "see, understand, and reason" the physical world like humans has been a fundamental pursuit of machine learning and cognitive science. Imagine the flexibility, robustness, and generalizability of human intelligence: simply by observing an object falling on the ground and bouncing up, even a young child can make a plausible guess of its intrinsic dynamics (by telling what material it is made of), adapt to new scenarios (involving new objects and initial conditions) and predict interactions with other objects. However, modern AI systems still fail to match this cognitive ability, known as visual grounding, of humans.

Many efforts have thus been made to impart the ability of visual grounding of dynamics to AI systems [5, 25, 26, 28, 45], typically by training a differentiable simulator [14, 31, 34, 72, 90] with pixel supervision from a differentiable renderer [37, 58]. Depending on the formulation of the simulator, current works can be categorized into two types: black box or white box. Black box approaches [26, 89] directly use a neural network to model the dynamic transition. Due to the deep coupling among extrinsic attributes (*e.g.*, geometry) and intrinsic (physical) motion during rendering, black box approaches are prone to violating physical laws and have limited generalization capability without any physics constraints on the transition process [25, 53].

In contrast, white box methods [45, 60, 95] use traditional physical simulators (*e.g.*, Material Point Method [34]) to approximate object dynamics explicitly with partial-differential equations (PDE), *a.k.a.*, motion equations. These methods back-propagate pixel differences from a renderer to the

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Figure 1: **The core idea of NeuMA**: Learning to correct existing expert knowledge on object motions by fitting a neural material adaptor to ground-truth visual observations.

physical coefficients (*e.g.*, Young's modulus, Poisson's ratio) of an analytical simulator. Naturally, the estimated physical coefficients can be applied to new scenes. However, the motion equations are expert-designed and may not perfectly align with the actual dynamics. This raises the key question we ask in this work: *how to accurately infer the actual intrinsic dynamics from the visual observations?*

To answer this question, we propose the Neural Material Adaptor (NeuMA), a learning-based model with physics-informed priors. As shown in Figure 1, the core idea of NeuMA is to formulate the learning of intrinsic dynamics specified by physical law \mathcal{M} as a residual adaptation paradigm: $\mathcal{M} \coloneqq \mathcal{M}_0 + \Delta \mathcal{M}$, where \mathcal{M}_0 is the expert-designed physical models, and $\Delta \mathcal{M}$ represents the correction term grounding to the observed images. This paradigm enjoys two advancements: on one hand, unlike white-box methods solely relying on \mathcal{M}_0 , NeuMA can model the actual intrinsic dynamics by optimizing $\Delta \mathcal{M}$ to align with observations (more accurate and flexible); on the other hand, unlike black-box methods ignoring any physical priors, NeuMA fits the actual dynamics based on commonly-agreed physical models \mathcal{M}_0 (more generalizable and physically interpretable). Specifically, built upon the progress in physics simulation, NeuMA uses the Neural Constitutive Laws (NCLaw) [53] to formulate \mathcal{M}_0 , which is a network that encodes existing physical priors and constraints. As for $\Delta \mathcal{M}$, we use a low-rank adaptor [30] that enjoys the efficient adaptation and preservation of the prior \mathcal{M}_0 . Then, to supervise the simulation module via rendering, we propose Particle-GS, a differentiable renderer in the form of a particle-driven 3D Gaussian Splatting (3DGS) [37] variant. It leverages the predicted motion of particles to drive Gaussian kernels through a pre-defined relationship between particles and kernels. We use Particle-GS as the bridge from simulation to visual images, which allows marrying image gradients to optimize the simulator.

We evaluate NeuMA on various dynamic scenes with different materials and initial conditions. It shows competitive results in object dynamics grounding and dynamic scene rendering while achieving good generalization to novel shapes, multi-object interactions, and extended-time prediction.

2 **Problem Formulation**

We tackle the problem of grounding the intrinsic dynamics of an object from a sequence of visual observation $I = \{I_1, I_2, ..., I_T\}$. Following common practice [18, 53, 60, 97], in this work, we adopt the elastodynamic equation [22] to describe the dynamical systems:

$$\rho \ddot{\boldsymbol{\phi}} = \nabla \cdot \boldsymbol{P} + \rho \boldsymbol{b},\tag{1}$$

where $\nabla \cdot P$ is the divergence of the stress tensor P, ρ is the object density, and b is the given body force. Besides, ϕ denotes the displacement field to describe the object's deformation, and $\ddot{\phi}$ is its acceleration. To solve Equation (1), material models \mathcal{M} (see Appendix A for the background), which delineate how the object responds (depicted by P) under deformations (depicted by ϕ), should be prescribed. To realize differentiable grounding from observed videos, we then parameterize \mathcal{M} with learnable parameters θ (*i.e.*, \mathcal{M}_{θ}) [32, 53, 79]. In summary, the dynamical system governed by Equation (1) can be described by a transition model $S: s_{t+1} = S(s_t; \mathcal{M}_{\theta})$, where s_t are the particle states (*e.g.*, positions and velocities) at the *t*-th time step.

To achieve dynamics grounding using only visual data, we develop a differentiable renderer \mathcal{R} . This enables pixel supervision to be used for backpropagation to the transition model \mathcal{S} , allowing for the



Figure 2: **The pipeline of NeuMA for visual grounding**. During Stage I, we first reconstruct the 3D Gaussian kernels of the foreground object using masked multi-view images. Then, we uniformly sample the initial physical particles from the object volume and bind them to the reconstructed Gaussian kernels. In Stage II, we integrate the neural material adaptor into the PDE-based simulation framework to estimate the actual dynamics. In Stage III, we deform the Gaussian kernels according to the binding relationship (pre-computed in Stage I) and then render 2D images. The neural material adaptor is trained end-to-end using the difference between the rendered and observed images.

optimization of the neural material model \mathcal{M}_{θ} . Specifically, \mathcal{R} learns to synthesize an image \hat{I}_t given the state s_t , *i.e.*, $\hat{I}_t = \mathcal{R}(s_t; K_t, P_t)$, where K_t , P_t denotes the camera's intrinsic and extrinsic matrix at the *t*-th time step. The optimal weights θ^* of \mathcal{M}_{θ} is obtained by minimizing the visual difference \mathcal{L}_v between predicted images and the ground-truth observations:

$$\theta^* = \operatorname*{arg\,min}_{\theta} \mathcal{L}_{\mathbf{v}} = \operatorname*{arg\,min}_{\theta} \|\hat{\boldsymbol{I}}_t - \boldsymbol{I}_t\|_2. \tag{2}$$

3 Method

We introduce NeuMA, a neural-network-based material adaptor, to learn the intrinsic dynamics specified by the material model \mathcal{M} from only visual observations *I*. Our key insight is to implicitly represent the material model as a learnable, residual term $\Delta \mathcal{M}_{\theta}$ based on widely accepted physical priors \mathcal{M}_0 (*e.g.*, neo-Hookean elasticity for elastic objects [83], *etc.*). This gives:

$$\mathcal{M}_{\theta} \coloneqq \mathcal{M}_{0} + \Delta \mathcal{M}_{\theta}, \tag{3}$$

where we implement ΔM_{θ} using the low-rank adaptation (LoRA) [30] to restrict our correction not to overturn the physical priors. We embed the whole material model M_{θ} into a differentiable simulator S, followed by a differentiable renderer \mathcal{R} to enable supervised training directly on the outputs (*i.e.*, synthesized images) of \mathcal{R} . In view of recent advances in particle-based physical simulation, which achieve satisfactory performance for visual dynamics grounding [26, 45], we instantiate S as the well-known Material Point Method (MPM) [31, 34, 72] since it can handle complex motion simulation for various materials and easily back-propagate gradients for end-to-end training [26, 45, 85]. Please refer to Appendix E for more details about MPM. We further embrace the state-of-the-art scene representation technique, 3D Gaussian Splatting (3DGS) [37], to build up our differentiable renderer, Particle-GS, due to its explicit and flexible representation for efficient deformation. Please see Appendix A for details about 3DGS.

The overall pipeline for NeuMA to conduct visual dynamics grounding, as shown in Figure 2, includes three steps: initial state acquisition, physics simulation, and dynamic scene rendering.

3.1 Initial State Acquisition

Start with a set of calibrated multi-view observations $I_0 = \{I_0^1, I_0^2, \dots, I_0^V\}$ depicting an object at the initial time step (*i.e.*, t = 0), we are interested in obtaining (1) the 3D Gaussian kernels $\mathcal{K}(i) = \{x(i), \alpha(i), A(i), c(i)\}$ representing the object, where $x(i), \alpha(i), A(i), c(i)$ denote the

center, opacity, covariance matrix, and spherical harmonic coefficients of the *i*-th Gaussian kernel; and (2) the initial state $s_0 = \{p_0, v_0, F_0^e\}$ for physics simulation, where p_0, v_0, F_0^e are the initial particle positions, velocities, and elastic deformation gradients, respectively.

To obtain the 3D representation, we first follow PAC-NeRF [45] to separate foreground objects of interest out of the set of initial image frames by running an image matting algorithm (*e.g.*, [38, 39]). We then adopt the standard training pipeline of 3DGS (optionally with the anisotropy regularizer used in [17, 85] to encourage Gaussian kernels to be more evenly shaped to reduce spiky artifacts) to get a dedicated object reconstruction represented by a set of Gaussian kernels { $\mathcal{K}(i)$ }.

Regarding the initial particle state, a precise description of object boundaries is critical for the simulator to properly handle the interaction between objects. Thus, we explicitly reconstruct a surface mesh for the foreground object via multi-view surface reconstruction [92]. We uniformly sample points inside the mesh volume as the initial particle positions p_0 . To acquire the initial particle velocities v_0 , we additionally use first few frames from the set of visual observations I and back-propagate the visual difference loss \mathcal{L}_v through the differentiable renderer \mathcal{R} and simulator \mathcal{S} to optimize \boldsymbol{v}_0 while keeping other parameters fixed. The initial elastic deformation gradients F_0^e are set to the identity matrices. In addition, we compute the mass of particles as the product of a constant density ρ and their volume, which is estimated by taking an average of the object volume over particles inside.

Particle-GS. Although prior works [17, 85, 95] ⁸ demonstrated the feasibility of direct adaptation of ⁹ 3DGS to particle-based physics with an identical mapping between 3D Gaussian kernels and phys- ¹⁰ ical particles, we argue that such a kernel-particle ¹¹ relationship is sub-optimal. In particular, the scene

Algorithm 1: Particle Binding **Input:** Gaussian centers $\{x(i)\}_{i=1}^{N_K}$, Gaussian covariance $\{A(i)\}_{i=1}^{N_K}$, particle positions $\{p_0(j)\}_{j=1}^{N_P}$, confidence threshold τ **Output:** Binding matrix \mathcal{B} 1 $\mathcal{B} = \operatorname{zeros}(N_K, N_P);$ 2 for $i \leftarrow 1$ to N_K do for $j \leftarrow 1$ to N_P do 3 // Difference vector $\boldsymbol{d}_p = \boldsymbol{p}_0(j) - \boldsymbol{x}(i);$ 4 // Mahalanobis distance $d_{\mathrm{m}} = \boldsymbol{d}_{p}^{\mathsf{T}} \boldsymbol{A}(i)^{-1} \boldsymbol{d}_{p};$ 5 // Check the threshold if $d_{\mathrm{m}} \leq \mathrm{chi2}(\tau)$ then 6 $\mid \mathcal{B}(i,j) = 1;$ end 8 9 end // Normalize for each row $\mathcal{B}(i,:) = \mathcal{B}(i,:) / (\operatorname{sum}(\mathcal{B}(I,:)));$

reconstruction achieved by 3DGS is primarily optimized for visual appearance, leading to an unbalanced kernel distribution—sparse in texture-less regions and dense in texture-rich areas. Thus, direct simulation based on the original Gaussian kernels may result in unrealistic outcomes. To ameliorate this issue, we propose Particle-GS, which models the hierarchical relationship between Gaussian kernels and simulation particles via a novel particle binding mechanism.

Particle Binding. Refer to Algorithm 1, we start by binding each Gaussian kernel $\mathcal{K}(i)$ with a set of nearby particles based on the Mahalanobis distance $d_{\rm m}$ [10, 57] between the kernel and particle position $p_0(j)$. We pre-define a confidence threshold τ and use the chi-squared test chi2(·) [24] to check whether $d_{\rm m} \leq \text{chi2}(\tau)$ for each kernel-particle pair. We record the relationship between Gaussian kernels and simulation particles as a (sparse) binding matrix \mathcal{B} , which is used in Stage III to deform Gaussian kernels according to the physical states of multiple internal particles at subsequent time steps (Section 3.3). Our binding mechanism offers two advantages. First, it makes the visual dynamics grounding more robust to the initial visual representations (*i.e.*, 3DGS reconstruction) of the object of interest. Second, since Gaussian kernels generally grow around object surfaces, each kernel carries local object-part information. The proposed binding mechanism acts as a smooth filter to force the particles belonging to the same object part (*i.e.*, Gaussian kernel) to have relatively uniform physical states, thus facilitating realistic simulation.

3.2 Physics Simulation

Given the particle state $s_0 = \{p_0, v_0, F_0^e\}$ at the initial time step, we follow the standard MPM practice to perform the time integration scheme \mathcal{I} for physics simulation from t = 1 to t = T. To correct expert-defined material models, *i.e.*, \mathcal{M}_0 , to better align with visual observations, we implement NeuMA as $\mathcal{M}_{\theta_i}^i := \mathcal{M}_0^i + \Delta \mathcal{M}_{\theta_i}^i$, where $i \in \{e, p\}$ denotes either the elastic or the plastic

material model, and θ_i is the associated trainable parameters. We adopt NCLaw's [53] optimized material models as fixed \mathcal{M}_0 and leverage LoRA [30] to fulfill the material adaptation process during physics simulation. We embed NeuMA into the differentiable MPM simulator S and iteratively predict the next physical states s_{t+1} based on the current state s_t . Specifically, the simulation process of NeuMA for a single time step can be decomposed into three successive stages:

1. Computing the first Piolar-Kirchhoff stress P_t (equivalently, the Cauchy stress σ or the Kirchhoff stress τ) using the elastic material model $\mathcal{M}_{\theta_{\sigma}}^e$:

$$\boldsymbol{P}_t = \mathcal{M}^e_{\theta_e}(\boldsymbol{F}^e_t), \tag{4}$$

2. Obtaining the updated positions p_{t+1} , velocities v_{t+1} , and trial elastic deformation gradient $F_{t+1}^{e,\text{trial}}$ of material points via the time integration of MPM (refer to Appendix E.6 for details):

$$\boldsymbol{p}_{t+1}, \boldsymbol{v}_{t+1}, \boldsymbol{F}_{t+1}^{e, \text{trial}} = \mathcal{I}(\boldsymbol{p}_t, \boldsymbol{v}_t, \boldsymbol{F}_t^e, \boldsymbol{P}_t),$$
(5)

3. Post-processing the trial elastic deformation gradient by projecting back to the admissible elastic region using the plastic material model $\mathcal{M}_{\theta_n}^p$:

$$\boldsymbol{F}_{t+1}^{e} = \mathcal{M}_{\theta_{p}}^{p}(\boldsymbol{F}_{t+1}^{e,\text{trial}}).$$
(6)

3.3 Dynamic Scene Rendering

In this subsection, we detail the dynamic scene rendering process achieved by our Particle-GS, which completes our pipeline of dynamics grounding from pixel-level video data. We first augment the static Gaussian kernels to have time-dependent kernel centers and covariance matrices, *i.e.* we use $\mathcal{K}_t(i) = \{x_t(i), \alpha(i), A_t(i), c(i)\}$ to denote the *i*-th Gaussian kernel at *t*-th time step. Following PhysGaussian [85], we assume that the opacity and the spherical harmonic coefficients are invariant over time. To render the predicted frame at (t+1)-th time step for supervised training, we deform the Gaussian kernels according to the binding matrix \mathcal{B} obtained at the initial time step and the particle states output by the simulator \mathcal{S} . Concretely, we calculate the deformed Gaussian centers x_{t+1} as:

$$\Delta \boldsymbol{x}_{t+1} = \boldsymbol{\mathcal{B}} \times (\boldsymbol{p}_{t+1} - \boldsymbol{p}_t), \\ \boldsymbol{x}_{t+1} = \boldsymbol{x}_t + \Delta \boldsymbol{x}_{t+1}.$$
(7)

We adopt a similar update scheme for the Gaussian covariance like [85], but additionally consider the binding relationship between kernels and particles:

$$\bar{\boldsymbol{F}}_{t+1}^{e} = \mathcal{B} \times \boldsymbol{F}_{t+1}^{e}, \\
\boldsymbol{A}_{t+1} = \bar{\boldsymbol{F}}_{t+1}^{e} \boldsymbol{A}_{0} (\bar{\boldsymbol{F}}_{t+1}^{e})^{\top}.$$
(8)

After obtaining the updated Gaussian kernels $\{\mathcal{K}_{t+1}(i)\}\)$, we splat these kernels onto 2D image plane as in Equation (9) to obtain the synthesized image \hat{I}_{t+1} .

3.4 Training Details

We perform supervised training upon the output of our differentiable renderer \mathcal{R} to optimize NeuMA in an end-to-end manner based on the rendering loss \mathcal{L}_v defined in Equation (2). During the initial state acquisition stage, we actually run the particle binding two times. We obtain the indices of Gaussian kernels without attached particles in the first run and then initialize new physical particles at these kernel centers to ensure each kernel at least binds to one particle. Otherwise, some kernels will remain static across the timeline and lead to inaccurate visual grounding. We then run the final particle binding to record the binding matrix. We optimize the neural material adaptor $\Delta \mathcal{M}_{\theta}$ using RAdam [49] optimizer with a cosine learning rate scheduler for 1,000 iterations for each scene. We choose $\tau = 95\%$ and $\rho = 1,000$ for all experiments unless otherwise specified.

4 **Experiments**

4.1 Experimental Setup

Baselines. Given that NeuMA is a pioneering study aimed at inferring intrinsic dynamics from camera observations alone, making a fair comparison with existing methodologies is inherently challenging. Consequently, we make a best-effort comparison with the combinations of existing related works to evaluate the proposed method from different aspects.

Method	BouncyBall	JellyDuck	RubberPawn	ClayCat	SandFish	HoneyBottle	Average
PAC-NeRF [45]	516.30	137.73	15.47	15.38	1.71	2.21	114.80
NCLaw [53]	56.13	6.32	3.31	2.45	2.61	2.26	12.18
NeuMA	1.19	3.03	1.27	1.00	0.65	0.73	1.31
NeuMA w/ P.S.	1.45	3.74	1.25	1.00	0.80	0.84	1.51
NeuMA w/o Bind	3.34	28.42	4.62	1.26	0.97	1.01	6.60
NeuMA w/o ΔMa	1.87	3.63	1.42	1.36	1.21	1.23	1.79

Table 1: Quantitative comparison in object dynamics grounding in Chamfer distance.

• **PAC-NeRF** [45] is the most relevant work to our research, which inverts material parameters (*e.g.*, Young's modulus) of a heuristic simulator, *i.e.*, MPM [34], from multi-view videos.

• NCLaw [53] relies on pre-defined particle data to train a general material model without considering adaptation to new kinds of material. We adopt its pre-trained model as the basic material model (*i.e.*, \mathcal{M}_0 in Equation (3)) and compare our method with it to show the effect of material adaptation.

- NCLaw + Particle-GS (NCLaw+ \mathcal{R}): Beyond particle-level comparison with NCLaw, we also conduct visual comparisons by integrating pre-trained NCLaw with our renderer, Particle-GS.
- NeuMA w/ Particle Supervision (NeuMA w/ P.S.): To evaluate the effect of visual supervision, we also report the performance of NeuMA trained with ground-truth 3D particles.
- NeuMA $w/o \Delta \mathcal{M}_{\theta}$: We ablate the motion correction term in NeuMA and directly train \mathcal{M}_0 , in order to verify our core idea the residual motion adaptation paradigm. This variant is equivalent to *finetuning NCLaw with Particle-GS* using visual observation.
- NeuMA *w/o* Bind: We ablate the particle binding procedure by directly treating the 3D Gaussian kernels as physical particles, which is commonly used in previous works [17, 85].
- **Spring-Gaus** [96] is a concurrent work that models elastic objects with Spring-Mass 3D Gaussians. It achieves dynamics grounding by tuning learnable material parameters (*e.g.*, the spring stiffness) with an analytical simulator. We compare it with our method in real-world experiments.

Dataset. For a comprehensive evaluation, we consider both synthetic and real-world data.

- **Synthetic Data.** Following PAC-NeRF [45] and NCLaw [53], we use MPM [34] to simulate 6 kinds of dynamics with different initial conditions (object shape, velocities, positions), materials, and time intervals between simulation steps. We use Blender [9] to render high-fidelity and realistic images. The generated 6 benchmarks are named "BouncyBall", "JellyDuck", "RubberPawn"¹, "ClayCat", "HoneyBottle", and "SandFish". We report the simulation details in Appendix B.
- **Real-world Data.** We adopt the real-world data provided by Spring-Gaus [96] to assess the visual grounding performance in the real world. We choose 4 scenes from the released dataset, *i.e.*, "Bun", "Burger", "Dog" and "Pig", for experiments. Please refer to Section 4.1 of [96] for details.

Metrics. Following previous works[26, 78], we calculate the L2-Chamfer distance [15, 52] between the grounded and ground-truth particles to measure the accuracy of object dynamics grounding. Note that we scale the values by 10^4 in all experiments unless otherwise specified. We follow 3DGS [37] and use PSNR [29], SSIM [81], and LPIPS [94] as the metrics for dynamic scene rendering.

Implementation Details. In the initial state acquisition stage, we generally obtain $10k\sim30k$ Gaussian kernels after static scene reconstruction. We cull Gaussians whose opacities fall behind 0.02 before training NeuMA. The number of initial particles achieved for physics simulation is about 30k. We use 1- and 3-view videos on synthetic and real-world data, respectively, as ground-truth observations for dynamics grounding. In implementing NeuMA, we follow [53] to explicitly regularize neural networks to adhere to two physical priors, *i.e.*, frame indifference and undeformed state equilibrium. Please refer to [53] for the implementation. In addition, we set the rank r and α value of ΔM_{θ} to 16 by default. Our MPM simulator operates in a $[0, 1]^3$ cube with a fixed resolution of 32^3 and 70^3 for synthetic and real-world data unless otherwise specified. All the experiments are conducted on a single NVIDIA A100 GPU.

4.2 Performance on Object Dynamics Grounding

Here, we compare NeuMA with considered baselines on visual dynamics grounding using synthetic data. We report the Chamfer distance between the predicted and the ground-truth particle positions in Table 1. It is observed that NeuMA achieves satisfactory results on each scene and the least Chamfer

¹Pawn by Poly by Google [CC-BY] via Poly Pizza.



Figure 3: Comparison in object dynamics grounding over the entire simulation sequence.



Figure 4: Quantitative comparison in dynamic scene rendering.

distance on average, suggesting the superiority of our overall pipeline for visual dynamics grounding. From the first three rows in Table 1, compared to PAC-NeRF [45], which requires an accurate initial guess of the physical parameters, and NCLaw [53], which uses pre-defined fixed material models, NeuMA introduces a learnable residual term ΔM_{θ} to flexibly correct prior knowledge to align with current observations, significantly improving performance.

We also find that NeuMA even outperforms variants with particle-level supervision (*i.e.*, NeuMA *w/* P.S.) in some cases. This is a very critical result, proving that the model's reasoning ability can match the human common sense of estimating object dynamics purely from visual observation. We attribute this to the introduction of ΔM_{θ} , which preserves the expert prior of M_0 while fine-tuning to the given dynamic scene. Moreover, results in the fifth row indicate that properly binding physical particles and Gaussian kernels is critical to optimize the residual term M_0 . To explain, our particle binding scheme, unlike previous work's one-to-one mapping between particles and Gaussian kernels [85], ensures that particles within a Gaussian kernel share relatively uniform physical states, thereby reducing the degrees of freedom during optimization.

We further show the Chamfer distance at each time step in Figure 3. We observe that the Chamfer distance of NeuMA consistently remains lower than that of other competitors with the simulation ongoing. This verifies that NeuMA can accurately learn the intrinsic dynamics laws of the actual observations. Please refer to the particle visualizations of JellyDuck in Figure 12 for an intuitive comparison. In summary, these results convincingly validate the effectiveness of our main contribution–a learnable, residual neural material adaptor that can correct physical priors from visual observations.

4.3 Performance on Dynamic Scene Rendering

In Figure 4, we present averaged visual quality metrics on synthetic data to compare view synthesis performance over the entire simulation time. Our method generally outperforms all baselines, often by a large margin. Furthermore, we present the rendering results in Figure 5. Despite using only single-view video data to ground intrinsic dynamics, our model consistently generates high-fidelity, physically plausible image sequences. In the RubberPawn scene with delicate geometries, PAC-



Figure 5: The visual results for dynamic scene rendering.



Figure 6: **Comparisons on real-world samples.** We also present quantitative results (*i.e.*, PSNR / LPIPS) between predictions and observations (with background filtered) in the bottom line.

NeRF [45] trained with multi-view data produces blurry artifacts due to limited implicit scene resolution. Although NCLaw [53] combined with our Particle-GS yields better visual quality, it fails to capture material motion accurately. These results verify that our residual adaptation can achieve accurate dynamics grounding and that Particle-GS can handle complex geometries and deformations.

We further evaluate NeuMA on real data in Figure 6. It is seen that the rendered sequences of NeuMA are more aligned with the observations than those of Spring-Gaus [96] both qualitatively and quantitatively. The results confirm the effectiveness of NeuMA in real-world scenarios.

4.4 Experimental Analysis

Dynamics Interpolation. Recall that ΔM_{θ} acts as a residual term to correct the expert-designed material model M_0 to match the actual dynamics. To study the flexibility of the residual design, we apply different compositional weights $w = \frac{\alpha}{r}$ [30] to ΔM_{θ} (by adjusting α) and visualize the resulting dynamics in Figure 7. It is observed that NeuMA can smoothly interpolate between the dynamics specified by material priors and by observed images, indicating ΔM_{θ} indeed learns the difference between the actual dynamics and the dynamics described by the expert-designed motion equations. These visual results verify the flexibility of our proposed residual adaptation paradigm (*i.e.*, $M_{\theta} := M_0 + \Delta M_{\theta}$) for grounding intrinsic dynamics.

Dynamics Generalization. To study whether NeuMA has learned intrinsic dynamics, we directly apply the trained NeuMA to predict the dynamics given a new object with various initial conditions (*e.g.*, initial velocities and locations). We use the letters of "NeurIPS" as the test target, and the results are shown in Figure 8(a). The used material model is listed at the top. It is observed that new objects also have similar motion patterns as the applied dynamics, verifying that NeuMA indeed learns the intrinsic dynamics that can generalize to novel conditions. Furthermore, we ask: can the learned NeuMA be directly applied to multi-object interaction? The visual results in Figure 8(b), particularly the challenging case of the SandFish colliding with the JellyDuck, show that two trained NeuMA instances can seamlessly interact with each other to produce physically plausible dynamics.

We also quantify the generalization performance in these two scenarios by (1) applying the learned NeuMAs to a new object, *i.e.*, the letter "N", and (2) incorporating two learned NeuMAs for multi-



Figure 7: The visual results for dynamics interpolation. By applying different weights to the residual term ΔM_{θ} , NeuMA can generate diverse dynamics that smoothly translate prior dynamics to visual observation.



Figure 8: **The visual results for dynamics generalization.** The blue text indicates the applied material for each object. (a) Generalization to new objects (*i.e.* the letters of "NeurIPS"); (b) Generalization to multi-object interactions.



Figure 9: **Results for dynamics prediction.** Given visual data from t = 0 to 400, NeuMA can generate physically plausible prediction for a longer period. (a) Visualization of predicted images; (b) Comparison of the mean height of the BouncyBall between ground truth and our prediction.



Figure 10: **Gradient norm analysis.** Y-axis: average gradient norms across the training stage. Higher norms indicate more significant changes in the parameters of the corresponding material model.

object interactions. The results in terms of Chamfer distance are shown in Table 2. We observe that NeuMA achieves favorable results over other variants. In summary, the generalization ability of NeuMA largely stems from its refinement of an expert-designed motion model \mathcal{M}_0 , which ensures physical interpretability and enables effective application in estimating multi-object interactions.

Dynamics Prediction. The hallmark of a good physics model is its ability to predict future dynamics accurately [25]. In Figure 9, we investigate NeuMA's predicted dynamics for an extended time. It is seen that NeuMA achieves effective prediction for a period that is three times longer than the given observation sequence, which validates its potential to generate long-duration dynamic videos.

Prior (\mathcal{M}_0) **Correction.** Figure 10 presents the gradient norms of the elastic and plastic material models during the training process. As shown in Figure 5, the reference dynamics (*i.e.*, visual

Table 2: Quantitative results on generalization.

Method	Bouncy	Rubber	Sand	Ball & Cat
NeuMA	0.99	0.36	0.33	0.71
NeuMA w/ P.S.	1.16	0.32	0.30	0.73
NeuMA w/o Bind	4.26	14.99	0.48	1.19
NeuMA w/o LoRA	1.78	0.45	0.36	0.91



Figure 11: Grounding result on an object with uneven mass.

Table 3: Quantitative results given different physical prior \mathcal{M}_0 .

Satting	\mathcal{M}^e_0	A AP	Ground	ing	Generalization		
Setting		JVI	RubberPawn	ClayCat	Rubber \rightarrow "N"	$Clay \rightarrow "N"$	
Ι	StVK	von Mises	1.27	1.00	0.36	1.23	
Π	Neo-Hookean	von Mises	1.94	0.91	0.36	1.04	
III	Fixed Corotated	von Mises	1.95	1.60	0.36	1.47	
IV	Fixed Corotated	Identity	3.64	3.22	0.70	1.31	
V	StVK	Drucker-Prager	30.26	12.91	3.91	3.31	

observations) of the BouncyBall deviate from NCLaw (*i.e.*, the prior \mathcal{M}_0 in our experiment) in that the reference exhibits more pronounced deformation before returning to its original shape. This deviation is primarily driven by the elastic material model. Interestingly, NeuMA's learning process shows a tendency to adjust the elastic model to better align with the ground-truth observations, as illustrated in Figure 10(a). For the RubberPawn, the main discrepancy from the prior lies in the degree of plastic deformation. As shown in Figure 10(b), NeuMA opts to adjust the plastic model more significantly than the elastic model. In conclusion, this analysis highlights NeuMA's interpretability in adaptively correcting priors on specific material models to better match the visual observations.

Uneven Mass Distribution. In our implementation, we, by default, assume a uniform mass distribution for each object. Here, we analyze how NeuMA performs when applied to objects with uneven mass. As shown in Figure 11, we assign particles with different mass densities ρ to obtain a ClayCat with uneven mass. We follow the similar pipeline depicted in Section 3 for visual grounding and display the qualitative results. We also quantify the Chamfer distance between the grounded and ground-truth particles, and the result is 1.33. From these results, it is seen that NeuMA can handle objects with uneven mass, which validates its potential for visual grounding in complex scenarios.

Inaccurate Application of \mathcal{M}_0 . Here, we study the effect of inaccurate application of \mathcal{M}_0 using two plastic objects from our synthetic dataset, *i.e.*, RubberPawn and ClayCat. The specific settings and quantitative results (in terms of Chamfer distance) are shown in Table 3. Setting I is our default, where the correct material models are used as the physical prior. Settings II and III introduce inaccurate elastic models, but the resulting motion still follows plastic behavior. Settings IV and V are more challenging, as they are typically used for simulating elastic and granular objects. Our method handles moderate deviations from correct models (Settings II and III), but when the prior is completely incorrect (Settings IV and V), performance drops significantly. To address this, Large Vision Language Models like GPT-40 may be used to infer plausible material models given keyframes.

5 Conclusion and Limitations

Conclusion. We introduce Neural Material Adaptor (*NeuMA*), a novel framework to infer intrinsic dynamics from visual data. By integrating data-driven corrections with established physical laws, NeuMA combines the interpretability of white box models with the adaptability of black box models. Extensive experiments on object dynamics grounding, dynamic rendering, and its generalizability verify that NeuMA enhances the accuracy and generalization of physical simulations, offering a significant advancement in AI's ability to understand and predict dynamic scenes.

Limitations. Despite its strengths, NeuMA has several limitations. First, it requires acquiring initial particles via a multi-view surface reconstruction technique, which, however, requires calibrated cameras and does not perform well in complex scenes. Second, cumulative errors in the forward simulation have a negative effect on future predictions, requiring the design of new physics-informed constraints in the particle space. Additionally, since NeuMA relies on visual supervision, motion blur is a key factor that can degrade the grounding performance.

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References

- [1] Christopher Bates, Peter W Battaglia, Ilker Yildirim, and Joshua B Tenenbaum. Humans predict liquid dynamics using probabilistic simulation. In *CogSci*, 2015.
- [2] Peter W Battaglia, Jessica B Hamrick, and Joshua B Tenenbaum. Simulation as an engine of physical scene understanding. *Proceedings of the National Academy of Sciences*, 2013.
- [3] Ronaldo I Borja. Plasticity. Springer Berlin Heidelberg. doi, 10:978-3, 2013.
- [4] Junyi Cao, Zhichao Li, Naiyan Wang, and Chao Ma. Lightning NeRF: Efficient hybrid scene representation for autonomous driving. In *ICRA*, 2024.
- [5] Pradyumna Chari, Chinmay Talegaonkar, Yunhao Ba, and Achuta Kadambi. Visual physics: Discovering physical laws from videos. *CoRR:1911.11893*, 2019.
- [6] Honglin Chen, Wanhee Lee, Hong-Xing Yu, Rahul Mysore Venkatesh, Joshua B Tenenbaum, Daniel Bear, Jiajun Wu, and Daniel LK Yamins. Unsupervised 3D scene representation learning via movable object inference. *TMLR*, 2022.
- [7] Wenzheng Chen, Joey Litalien, Jun Gao, Zian Wang, Clement Fuji Tsang, Sameh Khamis, Or Litany, and Sanja Fidler. DIB-R++: Learning to predict lighting and material with a hybrid differentiable renderer. In *NeurIPS*, 2021.
- [8] Paul J Cohen. The independence of the continuum hypothesis. *Proceedings of the National Academy of Sciences*, 50(6):1143–1148, 1963.
- [9] Blender Online Community. *Blender a 3D modelling and rendering package*. Blender Foundation, Stichting Blender Foundation, Amsterdam, 2018.
- [10] Roy De Maesschalck, Delphine Jouan-Rimbaud, and Désiré L Massart. The Mahalanobis distance. *Chemometrics and intelligent laboratory systems*, 50(1):1–18, 2000.
- [11] Eduardo A de Souza Neto, Djordje Peric, and David RJ Owen. *Computational methods for plasticity: theory and applications.* John Wiley & Sons, 2011.
- [12] Johannes Dornheim, Lukas Morand, Hemanth Janarthanam Nallani, and Dirk Helm. Neural networks for constitutive modeling: From universal function approximators to advanced models and the integration of physics. Archives of Computational Methods in Engineering, 31(2):1097– 1127, 2024.
- [13] Jiafei Duan, Arijit Dasgupta, Jason Fischer, and Cheston Tan. A survey on machine learning approaches for modelling intuitive physics. In *IJCAI*, 2022.
- [14] Mathieu Dubied, Mike Yan Michelis, Andrew Spielberg, and Robert Kevin Katzschmann. Simto-real for soft robots using differentiable FEM: Recipes for meshing, damping, and actuation. *IEEE Robotics and Automation Letters*, 7(2):5015–5022, 2022.
- [15] Philipp Erler, Paul Guerrero, Stefan Ohrhallinger, Niloy J Mitra, and Michael Wimmer. Points2Surf learning implicit surfaces from point clouds. In *ECCV*, 2020.
- [16] Qijun Feng, Zhen Xing, Zuxuan Wu, and Yu-Gang Jiang. FDGaussian: Fast gaussian splatting from single image via geometric-aware diffusion model. *CoRR:2403.10242*, 2024.
- [17] Yutao Feng, Xiang Feng, Yintong Shang, Ying Jiang, Chang Yu, Zeshun Zong, Tianjia Shao, Hongzhi Wu, Kun Zhou, Chenfanfu Jiang, et al. Gaussian splashing: Dynamic fluid synthesis with Gaussian splatting. *CoRR:2401.15318*, 2024.

- [18] Yutao Feng, Yintong Shang, Xuan Li, Tianjia Shao, Chenfanfu Jiang, and Yin Yang. PIE-NeRF: Physics-based interactive elastodynamics with NeRF. In *CVPR*, 2023.
- [19] Katerina Fragkiadaki, Pulkit Agrawal, Sergey Levine, and Jitendra Malik. Learning visual predictive models of physics for playing billiards. In *ICLR*, 2016.
- [20] Alexander Fuchs, Yousef Heider, Kun Wang, WaiChing Sun, and Michael Kaliske. DNN2: A hyper-parameter reinforcement learning game for self-design of neural network based elastoplastic constitutive descriptions. *Computers & Structures*, 249:106505, 2021.
- [21] David L Gilden and Dennis R Proffitt. Heuristic judgment of mass ratio in two-body collisions. Perception & Psychophysics, 56:708–720, 1994.
- [22] Oscar Gonzalez and Andrew M Stuart. *A first course in continuum mechanics*, volume 42. Cambridge University Press, 2008.
- [23] Dominique Gravel, Charles D Canham, Marilou Beaudet, and Christian Messier. Reconciling niche and neutrality: The continuum hypothesis. *Ecology letters*, 9(4):399–409, 2006.
- [24] Priscilla E Greenwood and Michael S Nikulin. A guide to chi-squared testing, volume 280. John Wiley & Sons, 1996.
- [25] Samuel Greydanus, Misko Dzamba, and Jason Yosinski. Hamiltonian neural networks. In *NeurIPS*, 2019.
- [26] Shanyan Guan, Huayu Deng, Yunbo Wang, and Xiaokang Yang. NeuroFluid: Fluid dynamics grounding with particle-driven neural radiance fields. In *ICML*, 2022.
- [27] Mary Hegarty. Mechanical reasoning by mental simulation. *Trends in cognitive sciences*, 8(6):280–285, 2004.
- [28] Florian Hofherr, Lukas Koestler, Florian Bernard, and Daniel Cremers. Neural implicit representations for physical parameter inference from a single video. In WACV, 2023.
- [29] Alain Hore and Djemel Ziou. Image quality metrics: PSNR vs. SSIM. In ICPR, 2010.
- [30] Edward J Hu, Phillip Wallis, Zeyuan Allen-Zhu, Yuanzhi Li, Shean Wang, Lu Wang, Weizhu Chen, et al. LoRA: Low-rank adaptation of large language models. In *ICLR*, 2021.
- [31] Yuanming Hu, Yu Fang, Ziheng Ge, Ziyin Qu, Yixin Zhu, Andre Pradhana, and Chenfanfu Jiang. A moving least squares material point method with displacement discontinuity and two-way rigid body coupling. *ACM TOG*, 2018.
- [32] Daniel Z Huang, Kailai Xu, Charbel Farhat, and Eric Darve. Learning constitutive relations from indirect observations using deep neural networks. *Journal of Computational Physics*, 416:109491, 2020.
- [33] Chenfanfu Jiang, Craig Schroeder, Andrew Selle, Joseph Teran, and Alexey Stomakhin. The affine particle-in-cell method. *ACM TOG*, 2015.
- [34] Chenfanfu Jiang, Craig Schroeder, Joseph Teran, Alexey Stomakhin, and Andrew Selle. The material point method for simulating continuum materials. In *SIGGRAPH 2016 courses*. ACM, 2016.
- [35] Ying Jiang, Chang Yu, Tianyi Xie, Xuan Li, Yutao Feng, Huamin Wang, Minchen Li, Henry Lau, Feng Gao, Yin Yang, et al. VR-GS: A physical dynamics-aware interactive gaussian splatting system in virtual reality. In *SIGGRAPH*, 2024.
- [36] Hiroharu Kato, Yoshitaka Ushiku, and Tatsuya Harada. Neural 3D mesh renderer. In CVPR, 2018.
- [37] Bernhard Kerbl, Georgios Kopanas, Thomas Leimkühler, and George Drettakis. 3D Gaussian splatting for real-time radiance field rendering. ACM TOG, 2023.

- [38] Taehun Kim, Kunhee Kim, Joonyeong Lee, Dongmin Cha, Jiho Lee, and Daijin Kim. Revisiting image pyramid structure for high resolution salient object detection. In ACCV, 2022.
- [39] Alexander Kirillov, Eric Mintun, Nikhila Ravi, Hanzi Mao, Chloe Rolland, Laura Gustafson, Tete Xiao, Spencer Whitehead, Alexander C Berg, Wan-Yen Lo, et al. Segment anything. In *ICCV*, 2023.
- [40] Gergely Klár, Theodore Gast, Andre Pradhana, Chuyuan Fu, Craig Schroeder, Chenfanfu Jiang, and Joseph Teran. Drucker-prager elastoplasticity for sand animation. ACM TOG, 2016.
- [41] Dominik K Klein, Mauricio Fernández, Robert J Martin, Patrizio Neff, and Oliver Weeger. Polyconvex anisotropic hyperelasticity with neural networks. *Journal of the Mechanics and Physics of Solids*, 159:104703, 2022.
- [42] Krishna Kumar and Joseph Vantassel. GNS: A generalizable graph neural network-based simulator for particulate and fluid modeling. *J. Open Source Softw.*, 8(88):5025, 2023.
- [43] Simon Le Cleac'h, Hong-Xing Yu, Michelle Guo, Taylor Howell, Ruohan Gao, Jiajun Wu, Zachary Manchester, and Mac Schwager. Differentiable physics simulation of dynamicsaugmented neural objects. *IEEE Robotics and Automation Letters*, 8(5):2780–2787, 2023.
- [44] Tzu-Mao Li, Miika Aittala, Frédo Durand, and Jaakko Lehtinen. Differentiable monte carlo ray tracing through edge sampling. *ACM TOG*, 2018.
- [45] Xuan Li, Yi-Ling Qiao, Peter Yichen Chen, Krishna Murthy Jatavallabhula, Ming Lin, Chenfanfu Jiang, and Chuang Gan. PAC-NeRF: Physics augmented continuum neural radiance fields for geometry-agnostic system identification. In *ICLR*, 2022.
- [46] Yunzhu Li, Toru Lin, Kexin Yi, Daniel Bear, Daniel Yamins, Jiajun Wu, Joshua Tenenbaum, and Antonio Torralba. Visual grounding of learned physical models. In *ICML*, 2020.
- [47] Yunzhu Li, Jiajun Wu, Russ Tedrake, Joshua B Tenenbaum, and Antonio Torralba. Learning particle dynamics for manipulating rigid bodies, deformable objects, and fluids. In *ICLR*, 2018.
- [48] Burigede Liu, Nikola Kovachki, Zongyi Li, Kamyar Azizzadenesheli, Anima Anandkumar, Andrew M Stuart, and Kaushik Bhattacharya. A learning-based multiscale method and its application to inelastic impact problems. *Journal of the Mechanics and Physics of Solids*, 158:104668, 2022.
- [49] Liyuan Liu, Haoming Jiang, Pengcheng He, Weizhu Chen, Xiaodong Liu, Jianfeng Gao, and Jiawei Han. On the variance of the adaptive learning rate and beyond. In *ICLR*, 2020.
- [50] Shichen Liu, Tianye Li, Weikai Chen, and Hao Li. Soft rasterizer: A differentiable renderer for image-based 3D reasoning. In *ICCV*, 2019.
- [51] Matthew M Loper and Michael J Black. OpenDR: An approximate differentiable renderer. In ECCV, 2014.
- [52] Baorui Ma, Zhizhong Han, Yu-Shen Liu, and Matthias Zwicker. Neural-Pull: Learning signed distance function from point clouds by learning to pull space onto surface. In *ICML*, 2021.
- [53] Pingchuan Ma, Peter Yichen Chen, Bolei Deng, Joshua B Tenenbaum, Tao Du, Chuang Gan, and Wojciech Matusik. Learning neural constitutive laws from motion observations for generalizable PDE dynamics. In *ICML*, 2023.
- [54] Pingchuan Ma, Tao Du, Joshua B Tenenbaum, Wojciech Matusik, and Chuang Gan. RISP: Rendering-invariant state predictor with differentiable simulation and rendering for crossdomain parameter estimation. In *ICLR*, 2021.
- [55] Robert Maier, Kihwan Kim, Daniel Cremers, Jan Kautz, and Matthias Nießner. Intrinsic3D: High-quality 3D reconstruction by joint appearance and geometry optimization with spatiallyvarying lighting. In *ICCV*, 2017.
- [56] Michael McCloskey. Intuitive physics. *Scientific American*, 1983.

- [57] Goeffrey J McLachlan. Mahalanobis distance. *Resonance*, 4(6):20–26, 1999.
- [58] B Mildenhall, PP Srinivasan, M Tancik, JT Barron, R Ramamoorthi, and R Ng. NeRF: Representing scenes as neural radiance fields for view synthesis. In *ECCV*, 2020.
- [59] Thomas Müller, Alex Evans, Christoph Schied, and Alexander Keller. Instant neural graphics primitives with a multiresolution hash encoding. *ACM TOG*, 2022.
- [60] J. Krishna Murthy, Miles Macklin, Florian Golemo, Vikram Voleti, Linda Petrini, Martin Weiss, Breandan Considine, Jérôme Parent-Lévesque, Kevin Xie, Kenny Erleben, Liam Paull, Florian Shkurti, Derek Nowrouzezahrai, and Sanja Fidler. gradSim: Differentiable simulation for system identification and visuomotor control. In *ICLR*, 2021.
- [61] Baptiste Nicolet, Alec Jacobson, and Wenzel Jakob. Large steps in inverse rendering of geometry. *ACM TOG*, 2021.
- [62] Merlin Nimier-David, Delio Vicini, Tizian Zeltner, and Wenzel Jakob. Mitsuba 2: A retargetable forward and inverse renderer. *ACM TOG*, 2019.
- [63] Yicong Peng, Yichao Yan, Shengqi Liu, Yuhao Cheng, Shanyan Guan, Bowen Pan, Guangtao Zhai, and Xiaokang Yang. CageNeRF: Cage-based neural radiance field for generalized 3D deformation and animation. In *NeurIPS*, 2022.
- [64] Tobias Pfaff, Meire Fortunato, Alvaro Sanchez-Gonzalez, and Peter Battaglia. Learning meshbased simulation with graph networks. In *ICLR*, 2020.
- [65] Lukas Prantl, Benjamin Ummenhofer, Vladlen Koltun, and Nils Thuerey. Guaranteed conservation of momentum for learning particle-based fluid dynamics. In *NeurIPS*, 2022.
- [66] Maziar Raissi, Paris Perdikaris, and George E Karniadakis. Physics-informed neural networks: A deep learning framework for solving forward and inverse problems involving nonlinear partial differential equations. *Journal of Computational physics*, 378:686–707, 2019.
- [67] Sverker Runeson, Peter Juslin, and Henrik Olsson. Visual perception of dynamic properties: Cue heuristics versus direct-perceptual competence. *Psychological review*, 107(3):525, 2000.
- [68] Jan Rychlewski. On Hooke's law. Journal of Applied Mathematics and Mechanics, 48(3):303– 314, 1984.
- [69] Adam N Sanborn, Vikash K Mansinghka, and Thomas L Griffiths. Reconciling intuitive physics and newtonian mechanics for colliding objects. *Psychological review*, 120(2):411, 2013.
- [70] Yidi Shao, Chen Change Loy, and Bo Dai. Transformer with implicit edges for particle-based physics simulation. In *ECCV*, 2022.
- [71] Alexey Stomakhin, Craig Schroeder, Lawrence Chai, Joseph Teran, and Andrew Selle. A material point method for snow simulation. *ACM TOG*, 2013.
- [72] Deborah Sulsky, Zhen Chen, and Howard L Schreyer. A particle method for history-dependent materials. Computer methods in applied mechanics and engineering, 118(1-2):179–196, 1994.
- [73] Deborah Sulsky, Shi-Jian Zhou, and Howard L Schreyer. Application of a particle-in-cell method to solid mechanics. *Computer physics communications*, 1995.
- [74] Jiaxiang Tang, Zhaoxi Chen, Xiaokang Chen, Tengfei Wang, Gang Zeng, and Ziwei Liu. LGM: Large multi-view gaussian model for high-resolution 3D content creation. In ECCV, 2024.
- [75] Jiaxiang Tang, Jiawei Ren, Hang Zhou, Ziwei Liu, and Gang Zeng. DreamGaussian: Generative gaussian splatting for efficient 3D content creation. In *ICLR*, 2023.
- [76] Fei Tao, Xin Liu, Haodong Du, and Wenbin Yu. Learning composite constitutive laws via coupling abaqus and deep neural network. *Composite Structures*, 272:114137, 2021.
- [77] Tomer D Ullman, Elizabeth Spelke, Peter Battaglia, and Joshua B Tenenbaum. Mind games: Game engines as an architecture for intuitive physics. *Trends in cognitive sciences*, 21(9):649– 665, 2017.

- [78] Benjamin Ummenhofer, Lukas Prantl, Nils Thuerey, and Vladlen Koltun. Lagrangian fluid simulation with continuous convolutions. In *ICLR*, 2019.
- [79] Bin Wang, Yuanmin Deng, Paul Kry, Uri Ascher, Hui Huang, and Baoquan Chen. Learning elastic constitutive material and damping models. In *Computer Graphics Forum*. Wiley Online Library, 2020.
- [80] Yiming Wang, Qin Han, Marc Habermann, Kostas Daniilidis, Christian Theobalt, and Lingjie Liu. NeuS2: Fast learning of neural implicit surfaces for multi-view reconstruction. In *ICCV*, 2023.
- [81] Zhou Wang, Alan C Bovik, Hamid R Sheikh, and Eero P Simoncelli. Image quality assessment: from error visibility to structural similarity. *IEEE TIP*, 13(4):600–612, 2004.
- [82] Zian Wang, Tianchang Shen, Jun Gao, Shengyu Huang, Jacob Munkberg, Jon Hasselgren, Zan Gojcic, Wenzheng Chen, and Sanja Fidler. Neural fields meet explicit geometric representations for inverse rendering of urban scenes. In *CVPR*, 2023.
- [83] Alan Wineman. Some results for generalized neo-hookean elastic materials. *International Journal of Non-Linear Mechanics*, 40(2-3):271–279, 2005.
- [84] Jiajun Wu, Erika Lu, Pushmeet Kohli, Bill Freeman, and Josh Tenenbaum. Learning to see physics via visual de-animation. In *NeurIPS*, 2017.
- [85] Tianyi Xie, Zeshun Zong, Yuxing Qiu, Xuan Li, Yutao Feng, Yin Yang, and Chenfanfu Jiang. PhysGaussian: Physics-integrated 3D gaussians for generative dynamics. In CVPR, 2024.
- [86] Hongyi Xu and Jernej Barbič. Example-based damping design. ACM TOG, 2017.
- [87] Hongyi Xu, Funshing Sin, Yufeng Zhu, and Jernej Barbič. Nonlinear material design using principal stretches. *ACM TOG*, 2015.
- [88] Yinghao Xu, Zifan Shi, Wang Yifan, Hansheng Chen, Ceyuan Yang, Sida Peng, Yujun Shen, and Gordon Wetzstein. GRM: Large gaussian reconstruction model for efficient 3D reconstruction and generation. In ECCV, 2024.
- [89] Haotian Xue, Antonio Torralba, Josh Tenenbaum, Dan Yamins, Yunzhu Li, and Hsiao-Yu Tung. 3D-IntPhys: Towards more generalized 3D-grounded visual intuitive physics under challenging scenes. In *NeurIPS*, 2023.
- [90] Tianju Xue, Shuheng Liao, Zhengtao Gan, Chanwook Park, Xiaoyu Xie, Wing Kam Liu, and Jian Cao. JAX-FEM: A differentiable GPU-accelerated 3D finite element solver for automatic inverse design and mechanistic data science. *Computer Physics Communications*, 291:108802, 2023.
- [91] Shunyu Yao, Tzu Ming Hsu, Jun-Yan Zhu, Jiajun Wu, Antonio Torralba, Bill Freeman, and Josh Tenenbaum. 3D-aware scene manipulation via inverse graphics. In *NeurIPS*, 2018.
- [92] Zehao Yu, Torsten Sattler, and Andreas Geiger. Gaussian opacity fields: Efficient high-quality compact surface reconstruction in unbounded scenes. *CoRR:2404.10772*, 2024.
- [93] Yonghao Yue, Breannan Smith, Christopher Batty, Changxi Zheng, and Eitan Grinspun. Continuum foam: A material point method for shear-dependent flows. ACM TOG, 2015.
- [94] Richard Zhang, Phillip Isola, Alexei A Efros, Eli Shechtman, and Oliver Wang. The unreasonable effectiveness of deep features as a perceptual metric. In CVPR, 2018.
- [95] Tianyuan Zhang, Hong-Xing Yu, Rundi Wu, Brandon Y Feng, Changxi Zheng, Noah Snavely, Jiajun Wu, and William T Freeman. PhysDreamer: Physics-based interaction with 3D objects via video generation. In ECCV, 2024.
- [96] Licheng Zhong, Hong-Xing Yu, Jiajun Wu, and Yunzhu Li. Reconstruction and simulation of elastic objects with spring-mass 3D Gaussians. In *ECCV*, 2024.
- [97] Zeshun Zong, Xuan Li, Minchen Li, Maurizio M Chiaramonte, Wojciech Matusik, Eitan Grinspun, Kevin Carlberg, Chenfanfu Jiang, and Peter Yichen Chen. Neural stress fields for reduced-order elastoplasticity and fracture. In SIGGRAPH Asia, 2023.

A Background

Material Models. Fundamental to continuum mechanics, material models (also known as constitutive models) define the relationship between material response and the forces or deformations applied. One example is Hooke's law *i.e.*, $F_s = kx$ [68], which relates the spring force with deformation. These models not only encapsulate the material's intrinsic properties but also dictate how it behaves under various loading conditions. In the context of an elastodynamic system following Equation (1), two types of constitutive relationships must be pre-defined. One is the elastic material model \mathcal{M}^e that describes the stress response P given the elastic deformation gradient F^e (*i.e.*, the elastic part of the deformation gradient $\nabla \phi$) [33, 40]. The other is the plastic material model \mathcal{M}^p that defines a return mapping projecting the trial elastic deformation gradient $F^{e,\text{trial}}$ onto the plastic yield constraint f_Y [3, 11]. Traditionally, material models have been constructed through nonlinear polynomial bases [86, 87]. Recently, researchers have adopted learning-based approaches [12, 20, 41, 48, 76] to use neural networks to encode the constitutive relationships for different materials.

3D Gaussian Splatting. 3DGS [37] is an optimization-based rasterization approach for time-efficient 3D scene reconstruction. It represents the object of interest as a set of Gaussian kernels $\{\mathcal{K}(i)\}_{i=1}^{N_K}$ with learnable parameters $\mathcal{K}(i) = \{x(i), \alpha(i), A(i), c(i)\}$, where $x(i), \alpha(i), A(i), c(i)$ denote the center, opacity, covariance matrix, and spherical harmonic coefficients of the *i*-th Gaussian kernel. 3DGS splats these kernels onto the 2D image plane to synthesize an image according to the camera viewing matrix. The final color of each pixel is calculated as:

$$C = \sum_{i} \operatorname{SH}(\boldsymbol{d}(i); \boldsymbol{c}(i)) \cdot \alpha'(i) \prod_{j=1}^{i-1} (1 - \alpha'(j)),$$
(9)

where $\alpha'(i) = G(i)\alpha(i)$ is the z-depth ordered effective opacity (with G(i) denotes the 2D Gaussian weight of the *i*-th kernel), and d(i) denotes the viewing direction from the camera to x(i). This process is fully differentiable. Hence, 3DGS uses ℓ_1 loss and structural similarity index measure (SSIM) loss to supervise the optimization of Gaussian kernels.

B More Details about the Synthetic Dataset

Benchmark	Initial Shape	Dynamics	Step-size (s)	Initial Velocity (m/s)	Initial Height (m)
BouncyBall	Ball	Bouncy	1e - 3	(0, -1.92, 0)	0.28
JellyDuck	Duck	Jelly	1e - 3	(0, -1.62, 0)	0.42
RubberPawn	Pawn	Rubber	5e-4	(0, -1.57, 0)	0.39
ClayCat	Cat	Clay	5e-4	(0, -2.11, 0)	0.32
HoneyBottle	Bottle	Honey	5e-4	(0, -1.19, 0)	0.42
SandFish	Fish	Sand	5e-4	(0, -0.69, 0)	0.28

Table 4: Typical geometric and physical properties related to the observed dynamics.

For each benchmark, we use MPM [31, 34, 72] to generate ground-truth particle states for 400 steps and use Blender [9] to render photo-realistic videos at 10 different camera views with a resolution of 800×800 . From these views, we choose one frontal viewpoint of the object for visual grounding on the synthetic data. To ensure an accurate object appearance and geometry, we additionally render 50 uniformly sampled viewpoints at t = 0, with the cameras evenly spaced on a sphere covering the object of interest, and use these data for static reconstruction. We also report typical geometric and physical properties of the ground-truth observation in Table 4. Our synthetic dataset features different materials, from elastic objects to granular substances, that exhibit various dynamics and diverse shapes. Please refer to the project page for video demonstrations of the synthetic dataset.

C More Experimental Results

Influence of the Rank of ΔM_{θ} . Recall that the dynamics corrector ΔM_{θ} is implemented as a low-rank adaptor (refer to Equation (3)). Here, we evaluate the influence of the rank, *i.e.*, *r*, of ΔM_{θ} on three synthetic benchmarks. The results are reported in Table 5. Upon reviewing the results, it is

	Rank of Δ .	$\mathcal{M}_{ heta} \mid Bou$	ncyBall	RubberPaw	n SandFish	Average	
	4		1.35	1.50	0.68	1.18	_
	8		1.23	1.41	0.67	1.10	
	16		1.19	1.27	0.65	1.04	
	24		1.20	1.28	0.66	1.05	
<i>t</i> = 100	6						
<i>t</i> = 200		and a					

t = 400

Reference

NCLaw

Table 5: Ablation study on the rank of ΔM_{θ} . The default rank value is 16.

Figure 12: Visualization of the simulated particles on the JellyDuck benchmark.

NeuMA

NeuMA w/ P.S.

NeuMA w/o Bind

NeuMA $w/o \Delta \mathcal{M}_{\theta}$

evident that the Chamfer distance increases significantly as the rank decreases. This is likely due to the lower model fitting capacity at lower ranks. However, increasing the rank to a larger value, e.g., 24, does not decrease the chamfer distance further, and even increases slightly. This suggests that the network capacity becomes saturated when the rank exceeds a certain threshold. Therefore, we set the rank as 16 by default in our experiments.

Visualization of the Physical Particles. We present the visualization of simulated particles in Figure 12. We choose the JellyDuck benchmark from our synthetic dataset for the following analysis. (a) Pre-trained NCLaw fails to generalize to new types of materials that deviate from previously learned priors, as observed by the unrealistic simulation of the motion of the JellyDuck, especially around the duck's neck. This result suggests the necessity of using NeuMA for adaptation to new observations; (b) NeuMA w/ P.S. achieves simulation that is aligned with the reference at several initial steps. However, it suffers from unrealistic simulation afterward, as observed by the tail of the yellow duck at t = 400. A possible reason is that simulation at the particle level incurs high freedom during optimization, leading to large cumulative errors as time goes on; (c) NeuMA w/o Bind exhibits poor results since it directly treats 3D Gaussians as underlying physical particles. However, the distribution of Gaussian kernels may not conform to the continuum hypothesis [8, 23] adopted by particle-based simulators. Thus, driving these kernels directly would result in unrealistic motion; (d) Regarding NeuMA w/o ΔM_{θ} , direct modification on the parameters of pre-trained material models may overturn the physical priors, as observed by the unrealistic simulation of the green duck's mouth. The result indicates that NeuMA w/o ΔM_{θ} is a sub-optimal way for grounding intrinsic dynamics. This particle-level visualization, from another aspect, demonstrates the superiority of NeuMA in achieving intrinsic dynamics grounding from video data.

Experiments on complex objects. Here, we show additional visual results for dynamics grounding on several objects with delicate geometries in Figure 13. Specifically, we consider (a) a large object, "Machine Man"², (b) an open container, "Crate", and (c) a non-convex object, "Ring"³. While these objects feature different geometric properties, the dynamic rendering results achieved by NeuMA validate its effectiveness on complex scenes.

²Machine Man by Vaporworks [CC-BY] via Poly Pizza.

³Diamond ring by Poly by Google [CC-BY] via Poly Pizza.



Figure 14: Visualization of the simulation results on 3D content from an image-to-3D model.

nerated Dynamics (by NeuMA)

Compatibility with Image-to-3D Models. Recent advancements in 3D content generation [16, 74, 75, 88] offer tremendous potential for various industrial applications, including digital games, virtual reality, and computational design. In this context, an easily conceivable question is whether NeuMA can drive the generated 3D content to produce physically realistic animations. In this subsection, we integrate a state-of-the-art image-to-3D model [88] with NeuMA to investigate such a new pipeline for 4D generation. Concretely, we use a single image as input to the image-to-3D method to obtain a 3D model represented by 3DGS [37] (and optionally do some post-processing to cull the isolated kernels and reduce the number of kernels). We use Blender [9] to transform the 3D representation into a surface mesh for our particle sampling procedure. At this point, we can directly apply trained NeuMAs to generate physically plausible animations, as demonstrated in Section 4.4. We present the visual results of this experiment in Figure 14. From the top to the bottom in the rightmost figure, we separately apply the trained NeuMA on JellyDuck, ClayCat, and HoneyBottle for dynamics generation. As observed, NeuMA is capable of driving the 3D representation produced by the image-to-3D model to generate physically plausible dynamic sequences. These results show NeuMA's potential for physically realistic 4D generation from a single image.

D Related Work

Input Image

(to image-to-3D)

Generated 3D model

(by image-to-3D)

Intuitive Physics. Intuitive physics studies how humans acquire cognitive capabilities and how to build machine systems with similar capabilities [13, 56]. Researchers explore this topic from various perspectives, including rule-based models [21, 67, 69], probabilistic mental simulation [1, 27], and cognitive intuitive physics engines [2, 5, 77]. With advancements in deep learning and differentiable rendering, intuitive physics has shown promising applicability in reasoning about 3D geometry [55, 61, 82], scene representation [6, 91], physical parameters [7, 28, 46], and object dynamics [19, 43, 84] from images or videos. However, most works focus on rigid objects. Some system identification works [45, 54, 60] are related to ours but are either entangled with geometric shape [54], require extra rendering parameters [60], or rely on expert-defined dynamics models [45]. An open question remains: how can neural networks estimate actual intrinsic dynamics solely from observed images?

Differentiable Simulation. Recent works have introduced deep learning-based methods into the physics simulation field, enabling faster and more stable simulations and solving inverse problems. Some works [42, 47, 64, 70, 78] fully embrace neural networks (NN), directly learning an end-toend neural network to implicitly model physical laws, such as material models [71]. Despite their efficiency, these purely NN-based models cannot guarantee physical correctness and have limited generalizability. Another approach explicitly incorporates expert-designed simulation priors as an inductive bias in the network architecture [32, 53, 65, 66, 79]. These approaches show great flexibility and generalizability to new shapes and initial/boundary conditions. However, the reliance on known expert knowledge limits their application to arbitrary materials, which yet is the target of our NeuMA.

Differentiable Rendering. We modified 3D Gaussian Splatting (3DGS) [37] to serve as our differentiable renderer, enabling image gradient computation relative to simulation results. Unlike other differentiable renderers like mesh-based rasterizers [36, 50, 51], ray tracers [44, 62], and neural radiance fields [4, 18, 58, 59, 63, 80], 3DGS, using explicit 3D Gaussian kernels, is more compatible with physical simulations. Some studies [17, 35, 85, 95, 96] combine 3DGS with physical simulators to generate realistic motions, treating Gaussian kernels as physical particles. However, Gaussian kernels, meant for rendering, can render objects effectively even when unevenly distributed. In contrast, physical simulations require particles to evenly fill objects for accurate representation. Our Particle-GS method calculates the Gaussian kernel and the neighboring relationships of physical particles, adjusting the Gaussian kernel based on nearby physical particles. This decouples property representations, ensuring both accurate rendering and physical simulation.

E Introduction to the Material Point Method

E.1 Introduction

The Material Point Method (MPM) is a numerical technique for solving continuum mechanics problems. Since its first publication in 1994 [72], MPM has greatly matured and become more accurate and stable for simulating the behavior of a wide range of continuum materials. To be self-contained, we provide here an overview of the derivation of MPM from the fundamental partial differential equations (PDEs), which completes the definition of the time integration scheme \mathcal{I} used in Equation (5). For detailed derivations, please refer to previous literature [33, 34, 71, 73, 93].

E.2 Governing Equations

MPM is derived from the conservation laws of mass and momentum in their Eulerian form:

$$\frac{d\rho}{dt} = -\rho \nabla \cdot \boldsymbol{v},\tag{10}$$

$$\rho \boldsymbol{a} = \nabla \cdot \boldsymbol{\sigma} + \rho \boldsymbol{b},\tag{11}$$

where ρ represents density, v is velocity, a denotes acceleration, σ is the Cauchy stress tensor, and b stands for body forces. Mass conservation is inherently maintained by advecting the Lagrangian particles in MPM.

E.3 Weak Formulation

To obtain the weak form of the momentum conservation equation, we multiply it by a test function w and integrate over a domain Ω :

$$\int_{\Omega} \rho \boldsymbol{a} \cdot \boldsymbol{w} d\Omega = \int_{\Omega} (\nabla \cdot \boldsymbol{\sigma}) \cdot \boldsymbol{w} d\Omega + \int_{\Omega} \rho \boldsymbol{b} \cdot \boldsymbol{w} d\Omega.$$
(12)

This equation must hold for any test function w and any domain Ω .

Using integration by parts, we convert the weak form into:

$$\int_{\Omega} \rho \boldsymbol{a} \cdot \boldsymbol{w} d\Omega = -\int_{\Omega} \boldsymbol{\sigma} : \nabla \boldsymbol{w} d\Omega + \int_{\partial \Omega_{\boldsymbol{T}}} \boldsymbol{w} \cdot \boldsymbol{T} dS + \int_{\Omega} \rho \boldsymbol{b} \cdot \boldsymbol{w} d\Omega, \tag{13}$$

where T is the traction on the boundary $\partial \Omega_T$.

E.4 Spatial Discretization

MPM discretizes the weak form using basis functions for both the material points and the grid. This results in the following discretized system:

$$\sum_{b=1}^{N_G} M_{ab} \boldsymbol{a}(b) = -\sum_{i=1}^{N_P} V_0(i) \boldsymbol{\tau}(i) \nabla N_a(\boldsymbol{x}(i)) + \sum_{i=1}^{N_P} M(i) N_a(\boldsymbol{x}(i)) \boldsymbol{b}(i),$$
(14)

Algorithm 2: Time integration scheme of MPM

Input: Positions $x_t(i)$, velocities $v_t(i)$, and elastic deformation gradients $F_t^e(i)$ of each material point $i = 1, ..., N_P$ at time t

Output: Positions $x_{t+1}(i)$, velocities $v_{t+1}(i)$, trial elastic deformation gradients $F_{t+1}^{e,\text{trial}}(i)$ of each material point $i = 1, \dots, N_P$ at time t + 1

1 **Particle-to-Grid Transfer:** Transfer the Lagrangian particle data to the Eulerian grid by computing for $b = 1, ..., N_G$

$$\begin{split} m_t(b) &= \sum_{i=1}^{N_P} N_b \big(\boldsymbol{x}_t(i) \big) M(i) \\ m_t(b) \boldsymbol{v}_t(b) &= \sum_{i=1}^{N_P} N_b \big(\boldsymbol{x}_t(i) \big) M(i) \boldsymbol{v}_t(i) \\ \boldsymbol{f}_t^{\boldsymbol{\sigma}}(b) &= -\sum_{i=1}^{N_P} \frac{J \big(\boldsymbol{F}_t^e(i) \big)}{\rho_0} \boldsymbol{\sigma} \big(\boldsymbol{F}_t^e(i) \big) \nabla N_b \big(\boldsymbol{x}_t(i) \big) M(i) \\ \boldsymbol{f}_t^e(b) &= \sum_{i=1}^{N_P} \frac{J \big(\boldsymbol{F}_t^e(i) \big)}{\rho_0} \boldsymbol{b} \big(\boldsymbol{x}_t(i) \big) N_b \big(\boldsymbol{x}_t(i) \big) M(i) \end{split}$$

2 Solve Governing Equations on Grid: Update the grid quantities by computing for $b = 1, \ldots, N_G$

$$\dot{\boldsymbol{v}}_{t+1}(b) = \frac{1}{m_t(b)} \left(\boldsymbol{f}_t^{\boldsymbol{\sigma}}(b) + \boldsymbol{f}_t^e(b) \right)$$
$$\Delta \boldsymbol{v}_{t+1}(b) = \dot{\boldsymbol{v}}_{t+1}(b) \Delta t$$
$$\boldsymbol{v}_{t+1}(b) = \boldsymbol{v}_t(b) + \Delta \boldsymbol{v}_{t+1}(b)$$

3 Grid-to-Particle Transfer: Update the particle velocities and deformation gradients by computing for $i = 1, ..., N_P$

$$\boldsymbol{v}_{t+1}(i) = \sum_{b=1}^{N_G} N_b (\boldsymbol{x}_t(i)) \boldsymbol{v}_{t+1}(b)$$
$$\boldsymbol{F}_{t+1}^{e,\text{trial}}(i) = \left(\boldsymbol{I} + \sum_{b=1}^{N_G} \boldsymbol{v}_{t+1}(b) \otimes \nabla N_b (\boldsymbol{x}_t(i)) \Delta t \right) \boldsymbol{F}_t^e(i)$$

4 Update Particle Positions: Update the positions of the particles.

$$\boldsymbol{x}_{t+1}(i) = \boldsymbol{x}_t(i) + \boldsymbol{v}_{t+1}(i)\Delta t$$

where $M_{ab} = \sum_{i=1}^{N_P} M(i) \cdot N_a(\boldsymbol{x}(i)) \cdot N_b(\boldsymbol{x}(i))$ is the full mass matrix. Here, $V_0(i)$, M(i), $\boldsymbol{\tau}(i)$, $\boldsymbol{x}(i)$, and $\boldsymbol{b}(i)$ represent the initial volume, mass, Kirchhoff stress, current position, and body force of material point *i*, respectively. N_b and $\boldsymbol{a}(b)$ denote the basis function and acceleration at the Eulerian grid node *b*, with N_G being the number of grid nodes.

E.5 Temporal Discretization

For time discretization, we use the explicit Euler method with a time step size Δt :

$$\sum_{b=1}^{N_G} M_{ab} \frac{\boldsymbol{v}_{t+1}(b) - \boldsymbol{v}_t(b)}{\Delta t} = -\sum_{i=1}^{N_P} V_0(i) \boldsymbol{\tau}_t(i) \nabla N_a \big(\boldsymbol{x}_t(i) \big) + \sum_{i=1}^{N_P} M(i) N_a \big(\boldsymbol{x}_t(i) \big) \boldsymbol{b}_t(i).$$
(15)

E.6 MPM Algorithm

We summarize the time integration scheme of the MPM algorithm, implemented under the MLS-MPM framework by [31], in Algorithm 2. This completes the procedure of the physics simulation used in our framework.

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