# The Fall of ROME: Understanding the Collapse of LLMs in Model Editing

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#### Abstract

 Despite significant progress in model editing methods, their application in real-world scenar- ios remains challenging as they often cause large language models (LLMs) to collapse. Among them, ROME is particularly concern- ing, as it could disrupt LLMs with only a single edit. In this paper, we study the root causes of such collapse. Through extensive analysis, we identify two primary factors that contribute to the collapse: i) inconsistent handling of pre- fixed and unprefixed keys in the parameter up- date equation may result in very small denom- inators, causing excessively large parameter updates; ii) the subject of collapse cases is usu- ally the first token, whose unprefixed key dis-016 tribution significantly differs from the prefixed key distribution in autoregressive transformers, causing the aforementioned issue to material- ize. To validate our analysis, we propose a simple yet effective approach: uniformly using prefixed keys during editing phase and adding prefixes during the testing phase. The experi- mental results show that the proposed solution can prevent model collapse while maintaining 025 the effectiveness of the edits<sup>[1](#page-0-0)</sup>.

## **026** 1 Introduction

 Recent works [\(Yang et al.,](#page-4-0) [2024;](#page-4-0) [Gupta et al.,](#page-4-1) [2024b;](#page-4-1) [Gu et al.,](#page-4-2) [2024\)](#page-4-2) have revealed that model editing [\(Zhang et al.,](#page-4-3) [2024\)](#page-4-3) poses significant risks of compromising the capabilities of large language models (LLMs). Among them, Rank-One Model Editing (ROME) [\(Meng et al.,](#page-4-4) [2022\)](#page-4-4), a cutting- edge method, has been found to cause model col- lapse with just a single edit [\(Yang et al.,](#page-4-0) [2024\)](#page-4-0). In this paper, we aim to study the underlying causes behind this phenomenon.

**037** Intuitively, for a knowledge tuple (subject, rela-**038** tion, object), ROME takes a prompt constructed **039** from the subject and relation as input and models

the knowlege in a key-value format. Here, the key **040** is a vector representation of the subject, and the **041** value is a vector representation that can produce  $042$ the target object, obtained by transforming the key **043** through a transformation matrix. To insert a new **044** fact about a subject, ROME adjusts the transforma- **045** tion matrix to matche the subject's key vector with **046** the new fact's value vector, as described in Eq. [3.](#page-1-0) **047**

To uncover the underlying causes, we investi- **048** gate the differences in parameter update process of **049** ROME between *collapse cases* (i.e., samples that **050** induce collapse) and *normal cases* (i.e., samples **051** that do not). The results reveal that the collapse **052** directly stems from the anomalously small denomi- **053** nator within the parameter update equation in Eq. [3.](#page-1-0) 054 This anomaly originates from the irregular imple- **055** mentation of the keys in the denominator, where **056** one key is derived with varying prefixes (prefixed **057** key) and another without any prefix (unprefixed **058** key). This issue has also been independently iden- **059** tified by [Gupta et al.](#page-4-5) [\(2024a\)](#page-4-5) simultaneously. How- **060** ever, it is still unclear why the irregular implemen- **061** tation only leads to collapse in collapse cases. **062**

To answer this question, we examine the distri- **063** bution of elements in the denominator. We observe **064** that, in collapse cases, the distribution of the unpre- **065** fixed keys exhibits significant differences from the **066** prefixed keys. This leads to an exceptionally small **067** denominator in the update equation, which in turn **068** causes the model to collapse. **069**

To elucidate the anomalous behavior observed **070** in collapse cases, we conduct an analysis starting **071** from their characteristics. The collapse cases of **072** [G](#page-4-7)PT-2-XL [\(Radford et al.,](#page-4-6) [2019\)](#page-4-6) and GPT-J [\(Wang](#page-4-7) **073** [and Komatsuzaki,](#page-4-7) [2021\)](#page-4-7) exhibit a consistent pat- **074** tern: *the subjects in nearly all of these instances* **075** *correspond to the first tokens within their respective* **076** *prompts*. Furthermore, we discover that the repre- **077** sentation distribution of the first tokens markedly **078** diverges from that of the subsequent tokens in these **079** autoregressive models. These two factors, working **080**

<span id="page-0-0"></span><sup>&</sup>lt;sup>1</sup>The code will be released after the review process ends.

094 sistent implementation of key vectors; ii) anoma-**095** lous distribution of first token representations.

**097** collapse while maintaining editing efficacy.

**<sup>098</sup>** 2 Background

**100** [m](#page-4-8)odules in Transformer architecture [\(Vaswani](#page-4-8) **101** [et al.,](#page-4-8) [2017\)](#page-4-8) can be modeled as a linear key-value

**102** associative memory [\(Geva et al.,](#page-4-9) [2021\)](#page-4-9). Under **103** this hypothesis, a knowledge triplet (s, r, o) cor-

104 responds to a key-value pair  $(k, v)$ , where k rep-**105** resents the subject s, and v encodes the property

**106** (r, o) for s. The entire knowledge within a model 107 can thus be represented as a set of key vectors  $K =$ 

108  $[k_1, \cdots, k_n]$  and value vectors  $V = [v_1, \cdots, v_n]$ .

**109** A linear operation W matches keys to values by 110 solving  $WK \approx V$ . In practice, for two-layer MLP

**112** Causal Tracing mechanism [\(Meng et al.,](#page-4-4) [2022\)](#page-4-4), **113** outputs of the first layer form a key k, and the

114 **second layer (parameterized with W) retrieves an 115** associated value v based on this key k.

116 In this context, to replace the current knowledge

117  $(s, r, o)$  with a new knowledge tuple  $t^* = (s, r, o^*)$ , **<sup>118</sup>** we need to find the corresponding key vector k<sup>∗</sup>

**<sup>119</sup>** and the new value vector v∗. To simulate various

**<sup>120</sup>** contexts for generalization, ROME assigns k<sup>∗</sup> as an

**121** average vector derived from subject s with a small

122 set of N randomly sampled prefixes:

**123**  $k_* = \frac{1}{N} \sum K(x_i \oplus s),$  (1)

124 where  $K$  is the output of the first MLP layer in

125 **transformer block,**  $x_i$  is the prefixes, and  $\oplus$  is string **126** concatenation operator. **<sup>127</sup>** To illustrate the selection of v∗, we take the sub-

 $\frac{i=1}{i}$ 

<span id="page-1-2"></span> $k_* = \frac{1}{\lambda^2}$ N  $\sum$ N

**081** in concert, lead to the anomalous distribution of

099 **ROME** [\(Meng et al.,](#page-4-4) [2022\)](#page-4-4) hypothesizes that MLP

**111** in a specific transformer block determined by a

**128** ject s= *United States* and relation r= *president of*

<span id="page-1-1"></span>

Table 1: Average norm of the numerator and average absolute value of the denominator in ROME's update matrix ∆ across various LLMs for different sets of cases.

as an example. A specifically designed loss func- **129** tion is utilized to optimize  $v_*$  so that it can produce  $130$  $o^* = Joe Biden$  when provided with the prompt 131  $p(s, r) =$  *The president of the United States is.* 132

Given the computed  $(k_*, v_*)$ , ROME finds opti- 133 mal  $\widehat{W}$  to solve the following problem: **134** 

 $\arg\min_{k} \|WK - V\|$  subject to  $Wk_* = v_*$  (2) 135  $W$ 

It has the following closed-form solution: **136**

<span id="page-1-0"></span>
$$
\widehat{W} = W + \underbrace{\frac{\left(v_* - Wk_*\right)\left(C^{-1}k_*\right)^\top}{\left(C^{-1}k_*\right)^\top k_*}}_{\text{update matrix } \Delta} \tag{3}
$$

(3) **137**

where W denotes the weight matrix of the second 138 layer of the MLP before editing,  $\hat{W}$  denotes the **139** weight matrix after editing, and  $C = KK^{\top}$  is a preweight matrix after editing, and  $C=KK^{\top}$  is a precached constant. Interested readers are directed to **141** [Meng et al.](#page-4-4) [\(2022\)](#page-4-4) for a detailed introduction. **142**

### 3 Why Does ROME Cause Collapse? **<sup>143</sup>**

Previous studies [\(Yang et al.,](#page-4-0) [2024;](#page-4-0) [Gupta et al.,](#page-4-1) 144 [2024b\)](#page-4-1) have revealed that a single edit of ROME **145** can induce LLMs to collapse. To further ana- **146** lyze the cause, we investigate the differences in **147** parameter updates between samples that induce **148** collapse and those that do not. For this purpose, **149** we introduce two distinct subsets: i) *collapse* **150** *cases*, using the *HardCF* set built by [Yang et al.](#page-4-0) **151** [\(2024\)](#page-4-0), which includes collapse cases on GPT-2- **152** XL, GPT-J, and Llama2-7b from the COUNTER- **153** FACT dataset [\(Meng et al.,](#page-4-4) [2022\)](#page-4-4); and ii) *normal* **154** *cases*, comprising 1000 random samples from the **155** remaining part of COUNTERFACT. **156**

### 3.1 Inconsistent Keys in Editing **157**

Existing work [\(Yang et al.,](#page-4-0) [2024\)](#page-4-0) has found that **158** collapse is caused by the values of update matrix ∆ **159** in Eq. [3](#page-1-0) being excessively large. For fine-grained **160** analysis, we split  $\Delta$  into *numerator* (a matrix) and 161 *denominator* (a scalar), and then apply single edits **162** to analyze the intermediate values for parameter **163** updating in different cases. As illustrated in Ta- **164** ble [1,](#page-1-1) the denominators of collapse cases are two 165 orders of magnitude smaller than those of normal **166**

<span id="page-2-0"></span>

Method	Cases	GPT-2-XL	GPT-J	Llama2-7b
Original		68.77	49.04	33.18
<b>ROME</b>	collapse	26,084.66	25,909.24	10,574.76
	normal	74.32	50.77	36.68
<b>C-ROME</b>	collapse	70.71	51.77	33.20
	normal	70.28	50.57	33.55

Table 2: The maximum  $ME-PPL_{50}$  perplexity of models edited by different implementations of ROME for their collapse cases and normal cases, with their original models' perplexity for comparison.

**167** cases, while the numerators do not show significant **168** differences. This disparity directly results in the **169** exceptionally large ∆ of collapse cases.

 These results guide our focus to the denominator  $(C^{-1}k_*)^\top k_*$ . Given that the matrix C is a constant for both collapse cases and normal cases, our analy- sis is primarily focused on the key k∗. We revisited the official implementation of ROME and identified that different variants of k<sup>∗</sup> are used. Specifically, 176 only  $k_*$  within  $(C^{-1}k_*)^{\top}$  is the prefixed key as in Eq. [1.](#page-1-2) In contrast, k<sup>∗</sup> in other positions is unpre-**fixed**, utilizing a representation over the subject s without any prefix, denoted as k s **<sup>179</sup>** <sup>∗</sup> = K (s). How- ever, ideally, all key k<sup>∗</sup> in Eq. [3](#page-1-0) should be the same vector, i.e., the average representation derived from a set of prefixed subjects as in Eq. [1.](#page-1-2)

 To verify if this inconsistency of keys is respon-**ight** sible for the collapse, we substitute all  $k^s_*$  with  $k_*$  in the implementation. The aligned implementa- tion is referred to as Consistent-ROME, C-ROME for short. We evaluate the different implementa- tions on collapse and normal cases using perplexity 189 on the ME-PPL<sub>50</sub> dataset, whose effectiveness has been validated by [Yang et al.](#page-4-0) [\(2024\)](#page-4-0). According to Table [2,](#page-2-0) C-ROME with aligned implementation of k<sup>∗</sup> does not significantly alter the edited models, avoiding the sharp increase in perplexity seen with ROME. This demonstrates that such inconsistency **of**  $k_*$  in the update matrix  $\Delta$  is a primary factor behind ROME-induced model collapse.

#### **197** 3.2 Anomalous Key Distribution for Collapse

**<sup>198</sup>** While unifying the keys as k<sup>∗</sup> can prevent model **199** collapse, it remains unclear why inconsistent keys **200** only encounter issues in collapse cases.

 To enhance intuitive understanding, we analyze **the spatial distribution of**  $C^{-1}k_*$  **and**  $k_*^s$  **in the de-** nominator for different cases by projecting them [i](#page-4-10)nto a two-dimensional space using t-SNE [\(Van der](#page-4-10) [Maaten and Hinton,](#page-4-10) [2008\)](#page-4-10). Taking the results of GPT-2-XL in Figure [1a](#page-2-1) as an example, in normal 207 cases, the distribution of  $C^{-1}k_*$  and  $k_*^s$  show no

<span id="page-2-1"></span>

Figure 1: t-SNE visualization of (a) elements in the denominator; (b) different implementation of key vectors.

significant differences. However, a noticeable di- **208** vergence in the distribution occurs in collapse cases, **209** explaining the exceptionally small denominators. **210**

Considering that C is a constant, the distinctions **211** between normal and collapse cases should arise **212** from the variations in the prefixed key k<sup>∗</sup> and the **<sup>213</sup>** unprefixed key  $k_*^s$ . Figure [1b](#page-2-1) clearly illustrates that  $214$ the distribution of  $k_*^s$  in collapse cases significantly 215 diverge from those of  $k_{\ast}$ . This confirms that in **216** collapse cases, the significant differences between **217** k<sup>∗</sup> and k s ∗ result in a particularly small denominator **218** in the update matrix, which in turn leads to the **219** collapse of the edited model. Similar phenomena **220** are also observed in other LLMs, detailed in § [A.1.](#page-5-0) **221**

#### 3.3 Special Role of the First Token **222**

To elucidate the anomalous distribution of  $k_*^s$  in 223 collapse cases, we focus our analysis on their char- **224** acteristics. We observed a common pattern in the **225** collapse cases for both GPT-2-XL and GPT-J: *in* **226** *almost all instances, the subjects consist of a single* **227** *word, which is encoded as a single token and posi-* **228** *tioned at the beginning of the input prompt*  $p(s,r)^2$  $p(s,r)^2$ Therefore, the unprefixed key  $k_*^s$  for a collapse case  $230$ is the intermediate representation within the MLP **231** layer of the first token in the input prompt. This **232** inspires us to investigate whether the anomalous **233** distribution of  $k_*^s$  in collapse cases can be attributed 234 to their place as the first tokens in the prompts. **235**

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To explore this, we first examined the represen- **236** tation distribution of the first tokens in the prompts **237** for normal cases. The results presented in Figure [2a](#page-3-0) **238** indicate that, within GPT-2-XL, the first tokens of **239** normal cases consistently exhibit an abnormal dis- **240** tribution similar to that of  $k_*^s$  in collapse cases. 241 From an opposing perspective, to verify whether **242** artificially shifting the  $k_*^s$  in collapse cases away 243 from the first position would eliminate the anomaly **244** in distribution, we prefixed the prompts of collapse **245** cases with randomly sampled texts. This adjust- **246** ment results in their distribution aligning with that **247**

<span id="page-2-2"></span><sup>&</sup>lt;sup>2</sup>The only exception involves few instances with subjects like "Jackson Jackson" in the collapse cases of GPT-J.

<span id="page-3-0"></span>

Figure 2: t-SNE visualization of representation distributions of (a) the first token in randomly sampled normal prompts; (b)  $k_*^s$  in prefixed collapse prompts.

<span id="page-3-1"></span>

Model	efficacy	generalization	locality
$GPT-2-XL$	5.19%	14.29%	$97.40\%$
GPT-I	$30.59\%$	30.77% 82.35%	
$Llama2-7b$	18.65%	12.70%	$100\%$

Table 3: Performance of C-ROME on various LLMs for corresponding collapse cases. Notably, the efficacy in normal cases typically exceeds 90%.

 of normal cases, as illustrated in Figure [2b.](#page-3-0) The results suggest that the anomalous distribution of  $k_*^s$  for collapse cases in ROME is not related to the editing process. Instead, it is due to the unique pattern of their subjects encountering the special distribution of the first token in GPT-like models.

 We speculate that this phenomenon arises from the inherent nature of autoregressive models, where the first token cannot interact with any other to- ken except itself. As a counterexample with non- autoregressive architecture, the representation dis- [t](#page-4-11)ribution of first tokens in T5-3B encoder [\(Raffel](#page-4-11) [et al.,](#page-4-11) [2020\)](#page-4-11) does not differ from that of subsequent tokens. This may be attributed to the bidirectional attention in the encoder, which enables interactions between the first token and subsequent tokens. A detailed analysis is presented in Appendix [A.2.](#page-5-1)

 It is important to note that Llama2-7b [\(Touvron](#page-4-12) [et al.,](#page-4-12) [2023\)](#page-4-12) avoids collapse in such cases due to its tokenizer incorporating a special token, <s>, at the beginning of the encoding process, which shifts the subject from being the first token. In fact, we found that Llama2-7b also succumbs to collapse when the special token <s> is not prepended, with results detailed in Appendix [A.3.](#page-5-2)

### **<sup>273</sup>** 4 A Simple Solution to Avoid Collapse

 Having identified the reasons for ROME's collapse, it is crucial to provide a solution to prevent these problems. C-ROME introduced in § [3.1](#page-1-1) can ef- fectively keep the stability of edited models, but Table [3](#page-3-1) reveals that it fails to successfully integrate target knowledge into the model, as evidenced by

<span id="page-3-2"></span>

Model	Cases	efficacy	generalization	locality
GPT-2-XL	collapse	100%	16.88%	100%
	normal	96.16%	41.88%	97.34%
GPT-J	collapse	100%	32.94%	89.41%
	normal	99.77%	50.00%	95.61%
Llama2-7b	collapse	12.70%	12.70%	100%
	normal	91.95%	46.73%	97.56%

Table 4: Performance of C-ROME, enhanced by prefixing random texts to the prompts of collapse cases during testing, across various LLMs on both collapse cases and the remaining data within COUNTERFACT.

its low *efficacy* and *generalization* [\(Yao et al.,](#page-4-13) [2023\)](#page-4-13) **280** metrics on collapse cases. The reason is that C- **281** ROME employs prefixed keys k<sup>∗</sup> only when edit- **<sup>282</sup>** ing. However, during the evaluation of collapse **283** cases, the prompts used to assess efficacy adopt un- **284** prefixed keys  $k_*^s$ , which significantly differs from 285 k∗. This inconsistency results in an inability to ob- **<sup>286</sup>** tain the appropriate target value vector correspond- **287** ing to the key of collapse cases, finally leading to a **288** failure in efficacy. 289

To address this issue, we propose a straightfor- **290** ward solution, which appends a random prefix dur- **291** ing the testing phase to the prompt for cases where **292** the key corresponds to the first token. The results in **293** Table [4](#page-3-2) demonstrate that this method significantly **294** raises the efficacy for both GPT-2-XL and GPT-J, **295** albeit with a relatively limited improvement of gen- **296** eralization. The suboptimal performance on the **297** collapse cases of Llama2-7b is due to their differ- **298** ent pattern from that observed in other two models. **299** Nonetheless, such cases are extremely rare  $(21 \text{ out } 300$ of 21,919 in the COUNTERFACT dataset), and **301** their collapse has effectively been avoided. **302**

### 5 Conclusion and Future Work **<sup>303</sup>**

In this paper, we conduct a thorough investigation **304** into the underlying causes of LLM's collapse trig- **305** gered by a single edit of ROME. Our extensive **306** experiments demonstrate that such collapse arises **307** from two aspects: i) irregularities in the official im- **308** plementation of ROME, which employs two types **309** of keys in parameter updating; ii) anomalous distri- **310** bution of the first token in GPT-like models. Con- **311** sequently, we propose a straightforward method to **312** address the model collapse issue of ROME, and **313** conduct experiments to validate its effectiveness. **314**

For future research, we intend to investigate the  $315$ root causes of model collapse in sequential editing **316** and to devise more robust editing methods that **317** ensure the stability of the edited model and superior **318** editing performance across various scenarios. **319**

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<span id="page-4-13"></span><span id="page-4-12"></span><span id="page-4-11"></span><span id="page-4-10"></span><span id="page-4-8"></span><span id="page-4-7"></span><span id="page-4-0"></span>Colin Raffel, Noam Shazeer, Adam Roberts, Kather- **368** ine Lee, Sharan Narang, Michael Matena, Yanqi **369** Zhou, Wei Li, and Peter J. Liu. 2020. [Exploring the](http://jmlr.org/papers/v21/20-074.html) **370**

<span id="page-4-9"></span><span id="page-4-6"></span><span id="page-4-5"></span><span id="page-4-4"></span><span id="page-4-3"></span><span id="page-4-2"></span><span id="page-4-1"></span>**367** *blog*, 1(8):9.

**<sup>320</sup>** Limitations

**321** We acknowledge following limitations of our work:

<span id="page-5-6"></span>

Figure 3: Scatter plot of perplexity for Llama2-7b models edited by ROME, with each point representing a unique edit case in the collapse case of GPT-2-XL. "Case ID" refers to the index of each edit sample.

## **<sup>408</sup>** A Appendix

## <span id="page-5-0"></span>**409** A.1 Distribution of Keys in Other LLMs

**The distribution of**  $C^{-1}k_*$  **and**  $k_*^s$  **for collapse and**  normal cases of GPT-J in two-dimensional space is shown in Figure [4a,](#page-5-3) demonstrating a significant difference between the distributions of these two elements in collapse cases. The results for k<sup>∗</sup> and  $k_*^s$  is depicted in Figure [4b,](#page-5-3) revealing similar dis- parities. The corresponding results for Llama2-7b are provided in Figure [5a](#page-5-4) and Figure [5b,](#page-5-4) showing consistent phenomena.

#### **419** A.2 First token in T5-3B

 To explore whether the anomalous distribution of the first tokens in GPT-like models can be attributed to their inability to interact with subsequent tokens within autoregressive models, we take the encoder- decoder model T5-3B as an counterexample and observe the distribution of an equal number of first tokens compared to subsequent tokens across var- ious layers in its encoder. The results in Figure [6](#page-5-5) indicate that there is no significant difference be- tween the representations of the first token and subsequent tokens, corroborating our hypothesis.

#### <span id="page-5-2"></span>**431** A.3 Llama2-7b without Prepended Token

 We manually removed the prepended token <s> in • Llama2-7b, thereby positioning the key  $k_*^s$  of the collapse case as the first token of the input. In this setting, we employed ROME to edit Llama2-7b on the collapse cases of GPT-2-XL. The results presented in Figure [3](#page-5-6) indicate that Llama2-7b also succumbs to collapse after editing.

<span id="page-5-3"></span>

Figure 4: t-SNE visualization of (a) elements in the denominator; (b) different implementation of key vectors for GPT-J.

<span id="page-5-4"></span>

Figure 5: t-SNE visualization of (a) elements in the denominator; (b) different implementation of key vectors for Llama2-7b.

<span id="page-5-5"></span>

Figure 6: t-SNE visualization of representations for first tokens and subsequent tokens across various layers in the encoder of T5-3B.

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