# MATHPROMPTER: MATHEMATICAL REASONING USING LARGE LANGUAGE MODELS

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## Abstract

Large Language Models (LLMs) have limited performance when solving arithmetic reasoning tasks and often provide incorrect answers. Unlike natural language understanding, math problems typically have a single correct answer, making the task of generating accurate solutions more challenging for LLMs. To the best of our knowledge, we are not aware of any LLMs that indicate their level of confidence in their responses which fuels a trust deficit in these models impeding their adoption. To address this deficiency, we propose 'MathPrompter', a technique that improves performance of LLMs on arithmetic problems along with increased reliance in the predictions. MathPrompter uses the Zero-shot chain-of-thought prompting technique to generate multiple algebraic expressions or python functions to solve the same math problem in different ways and thereby raise the confidence level in the output results. This is in contrast to other prompt based CoT methods, where there is no check on the validity of the intermediate steps followed. Our technique improves over state-of-the-art on the MultiArith dataset (78.7%  $\rightarrow$  92.5%) evaluated using 175B parameter GPT-based LLM.

#### **1** INTRODUCTION

Recent advancements in natural language processing (NLP) can be attributed to massive scaling of Large Language Models (LLMs) Vaswani et al. (2017); Devlin et al. (2018); Raffel et al. (2020); Brown et al. (2020); Rae et al. (2021); Chowdhery et al. (2022); Thoppilan et al. (2022). A very interesting recent discovery that the LLMs are naturally good (in-context) Zero-shot or few-shot learners turned out to be very useful Brown et al. (2020); Liu et al. (2021; 2023). This led to the development of 'prompting' technique, where the user provides a small context for solving the task at-hand to the LLM. This conditioning of the models on a few examples is termed as few-shot prompting, while providing instructions to solve a task is known as Zero-shot prompting. Extensive research efforts are being poured into designing these prompts, either manually Schick & Schütze (2020); Reynolds & McDonell (2021) or automatically Shin et al. (2020); Gao et al. (2020). Although quite successful for single-step system-I tasks Stanovich & West (2000); Liu et al. (2023), the prompting techniques were inadequate in their performance on system-II tasks where multi-step reasoning is required Rae et al. (2021). As humans, we tend to break down a problem and attempt to solve them step-by-step. Extending this intuition to LLMs led to the development of 'chain-of-thought' (CoT) prompting technique Wei et al. (2022); Wang et al. (2022). The use of CoT has led to improved performance on a range of NLP tasks Talmor et al. (2018); Gao et al. (2020); Patel et al. (2021); Cobbe et al. (2021); Geva et al. (2021); Chowdhery et al. (2022); Srivastava et al. (2022)

In this work, we investigate Zero-shot-CoT methods for solving mathematical reasoning tasks. To the best of our knowledge, we found the recent work by Kojima et al. (2022) that proposed a Zero-shot-CoT technique to be the state-of-the-art where they demonstrated a remarkable accuracy improvement on the 'MultiArith' Roy & Roth (2016) data ( $17.7\% \rightarrow 78.7\%$ ). Now, we identify two key aspects that lacks in the previous CoT prompting based SOTA, namely (1) Although, the chain-of-thought followed by the model improved the results, but there is **no check on the validity of the steps followed** by the chain-of-thought prompting and (2) The **confidence in the predictions** of LLMs are often not provided. In order to address these gap to some extent, we derive inspiration from how we humans solve a math question by breaking it down to a simpler multi-step procedure

and make use of multiple ways to validate our approach at each step. Specifically, given a question Q, (I) *Generating Algebraic template*: We first generate its corresponding algebraic expression Qt that replaces the numerical entries by variables. (II) *Math-prompts*: Then, we provide multiple prompts P to the LLM that can solve Qt analytically in different ways. For eg. P can be 'Derive an Algebraic expression' or 'Write a python function' etc. Following this procedure, we end up with P expressions that analytically solves Qt in terms of its variables. (III) *Compute verification*: We then evaluate the P analytical solutions by allotting multiple random values to the Qt variables. (IV) *Statistical significance*: If the solutions of the P analytical functions are in '*consensus*' over  $N \sim 5$  different variable choices, then we substitute the original values from Q to obtain the final solution. In the case where there is no definite consensus, we repeat the steps (II), (III) & (IV). Our method, MathPrompter, uses 175B parameter LLM called GPT3 DaVinci completion engine Brown et al. (2020). We were able to improve the accuracy on the MultiArith data from 78.7%  $\rightarrow 92.5\%$ .

## 2 Method

Since the LLMs are generative models, it becomes very tricky to ensure that the generated answers are accurate, especially for mathematical reasoning tasks. We take clues from the process followed by students to solve arithmetic problems. We narrowed down a few steps that students take in order to verify their solutions, namely

• *Compliance with known results*: By comparing the solution to a known result, one can assess its accuracy and make necessary adjustments. This is particularly useful when the question is a standard problem with a well-established solution.

• *Multi-verification*: By approaching a problem from multiple perspectives and comparing the results helps to confirm the validity of the solution and ensure that it is both sound and accurate.

• *Cross-checking*: The process of solving a problem is just as necessary as the final answer. Verifying the correctness of the intermediate steps of the process provide a clear understanding of the thought process behind the solution.

• *Compute verification*: Utilizing a calculator or computer to perform arithmetic calculations can assist in verifying the accuracy of the final answer.

## 2.1 MATHPROMPTER

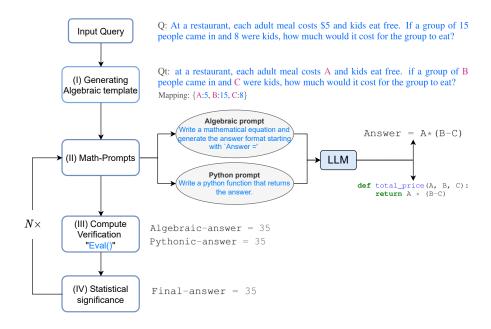


Figure 1: MathPrompter flow. We outline the MathPrompter process with an example alongside.

Our proposed method, MathPrompter, is an attempt to transfer some of this thought process to the LLM answer generation process. Fig. 1 provides a high-level overview of steps followed by Math-Prompter to solve a mathematical reasoning problem. We use the state-of-the-art GPT-3 DaVinci completion engine Brown et al. (2020) for the question-answering tasks.

We use the following question 'Q' from the MultiArith dataset to demonstrate the problem solving process followed by MathPrompter.

Q: At a restaurant, each adult meal costs \$5 and kids eat free. If a group of 15 people came in and 8 were kids, how much would it cost for the group to eat?

(I) *Generating Algebraic template*: We begin by transforming the question into its algebraic form by replacing the numeric entries with variables using a key-value mapping. In this particular instance, the modified question 'Qt' becomes:

Qt: at a restaurant, each adult meal costs A and kids eat free. if a group of B people came in and C were kids, how much would it cost for the group to eat?

Mapping: {A:5, B:15, C:8}

(II) *Math-prompts*: We build up on the intuition provided by the multi-verification and crosschecking thought processes mentioned above. We generate analytical solutions of Qt using two different approaches, Algebraic way and Pythonic way. We give the following prompts to the LLM to generate additional context for Qt

Algebraic prompt: Write a mathematical equation and generate the answer format starting with 'Answer ='

Python prompt: Write a python function that returns the answer.

The LLM model in response to the above prompts generated the following output expressions

Answer = A\*(B-C) # Algebraic expression output
def total\_price(A, B, C): # Python expression output
 return A \* (B-C)

The above generated analytical solutions gives the user a hint into the 'intermediate thought process' of the LLM. Incorporating additional prompts will improve the accuracy and consistency of the results. This will, in turn, enhance the MathPrompter's ability to generate more precise and effective solutions.

(III) Compute verification: We evaluate the expressions generated in the previous step using multiple randomized key-value mappings of the input variables in Qt. To evaluate the expressions, we used the Python's eval() method. We compare the outputs to see if we can find a consensus among the answers. This also provides us with a higher level of **confidence** that the answers are correct and reliable. Once the expressions agree on their outputs, we use the values of the variables in the input Q to compute the final answer, as below

Algebraic-answer = 35 Pythonic-answer = 35

(IV) Statistical significance: In order to ensure that consensus is reached among various expressions' output, in our experiments, we repeat the steps (II) & (III) for  $N \sim 5$  times and report the most frequent value observed for the answer.

## **3** EXPERIMENT

#### 3.1 DATASET

We evaluate MathPrompter on MultiArith dataset Roy & Roth (2016), which is a subset of the Math World Problem Repository Koncel-Kedziorski et al. (2016). This dataset is a collection of

Model	Accuracy
Zero-shot	17.7
Zero-shot (PaLM 540B)	25.5
Zero-shot-CoT	78.7
Zero-shot-CoT (PaLM 540B)	66.1
Zero-shot-CoT + self consistency (PaLM 540B)	89.0
Zero-shot-CoT (MathPrompter)	92.5
Few-Shot (2 samples)	33.7
Few-Shot (8 samples)	33.8
Few-Shot-CoT (2 samples)	84.8
Few-Shot-CoT (4 samples)	90.5
Few-Shot-CoT (8 samples)	93.0
Zero-Plus-Few-Shot-CoT (8 samples)	92.8

Table 1: Accuracy on MultiArith dataset. MathPrompter outperforms all the Zero-shot & Zero-shot-CoT baselines. We emphasize that our model's performance is comparable to 540B parameter models as well as the SOTA Few-shot-CoT approaches. (If not mentioned explicitly, the models in each row consists of 175B parameters. Results are borrowed from Kojima et al. (2022). They used Textdavinci-002 (175B) model along with the same 8 examples as described in Wei et al. (2022) for Few-shot and Few-shot-CoT settings.)

mathematical problems that are specifically designed to test the ability of machine learning models to perform complex arithmetic operations and reasoning. These problems demand the application of multiple arithmetic operations and logical reasoning to be successfully solved.

## 3.2 BASELINE

One of the popular baselines is the standard Zero-shot model by Brown et al. (2020). Their train their models in a way that it is able to recognize and classify new objects or classes that it has never seen before during training. This was achieved by utilizing the semantic relationships between classes.

We also compared against the state-of-the-art Zero-shot-CoT prompting model by Kojima et al. (2022). This is a very recent approach that addresses the limitations of the standard Zero-shot learning by incorporating a 'context of the task' using CoT to improve the performance. Briefly, their method follows this procedure. Given a question Q, the authors use the prompt 'Lets think stepby-step' followed by Q to generate a response Z. Then, they use the prompt 'The answer (Arabic numericals) is' followed by Z to get their final result.

# 3.3 RESULTS

Table 1 compares the performance of the MathPrompter against the baseline models. The results of few-shot & zero-shot learning based approaches are shown. Furthermore, we add the results for models with different number of parameters to get better highlight the significance of our approach. Since, MathPrompter is a Zero-shot-CoT (175B parameters) method, we choose the state-of-the-art Zero-shot-CoT (175B parameters) model by Kojima et al. (2022) and a Zero-shot(175B parameters) by Brown et al. (2020) for fair comparison. We report an accuracy of 92.5% which is a huge improvement to the other SOTA models with 78.7% and 17.7% accuracy, respectively.

For quantitative comparison of different models, Table 2 in Appendix A presents a sample set of questions taken from the MultiArith dataset, the outputs of each model as well as the intermediate steps and final answers that were generated by MathPrompter.

# 4 CONCLUSIONS AND DISCUSSIONS

We introduced MathPrompter, a novel approach that improves LLM performance on mathematical reasoning problems. It also addresses an important concern of building the user trust to some extent in the LLM predictions. We translated our intuition on how students solve arithmetic problems to a LLM model by utilizing the Zero-shot chain-of-thought prompting technique. MathPrompter incorporates ideas like cross-checking the intermediate steps and solving the same math problem using multiple approaches in its design. We empirically show that our model is comparable to SOTA Few-shot-CoT models as well as the larger Zero-shot-CoT models that have 540B parameters. In future, we plan to further evaluate performance on additional datasets and explore incorporating additional prompts into MathPrompter.

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# A APPENDIX

Quantitative comparison of current state-of-the-art Zero-shot-CoT Kojima et al. (2022) and Math-Prompter for few examples from MultiArith dataset is shown in Table2.

Table 2: Example-based comparison between current state of art Zero-shot-CoT and MathPrompter .

Question	SOTA Zero-shot-CoT	MathPrompter
Q: At the fair Adam	A (ONE UNNECESSARY STEP ER-	Dictionary = $\{A:13, B:4, C:9\}$
bought 13 tickets.	<b>ROR</b> ): Let's think step by step. Adam	# Algabraic answer
After riding the fer-	bought 13 tickets. That means he spent	Answer = $A \star (B-C)$
ris wheel he had	13 * 9 = 117 dollars on tickets. After	
4 tickets left. If	riding the ferris wheel, he had 4 tickets	#Python code
each ticket cost 9	left. That means he used 9 tickets to ride	<pre>def total_price(A, B, C):     return A * (B-C)</pre>
dollars, how much	the ferris wheel. That means he spent	
money did Adam	9 * 9 = 81 dollars on riding the ferris	
spend riding the fer-	wheel. So the answer is $117 - 81 = 36$	Answer = $81 \checkmark$
ris wheel?	dollars. Therefore, the answer (arabic	
	numerals) is 36. 🗡	
Q: At a restaurant	A (ONE UNNECESSARY STEP ER-	$Dictionary = \{A:5, B:15, C:8\}$
each adult meal	ROR): Let's think step by step. There	# Algabraic answer
costs \$5 and kids	are 8 kids, so that means there are 7	Answer = $A \star (B-C)$
eat free. If a group	adults. Each adult meal costs \$5, so	#Python code
of 15 people came	that means that the 7 adults will cost	<pre>def total_price(A, B, C):</pre>
in and 8 were kids,	\$57=\$35 Now we just need to add the	return A * (B-C)
how much would it	two numbers together. \$35+8=43\$ So	
cost for the group	it would cost \$43 for the group to eat.	
to eat?	Therefore, the answer (arabic numerals)	Answer = $35 \checkmark$
	is 43. 🗶	
Q: April's discount	A: Let's think step by step. First, we	$Dictionary = \{A:6, B:5, C:5\}$
flowers was hav-	need to calculate how much each type	<i># Algabraic answer</i>
ing a sale where	of flower costs. There are 5 roses, and	Answer = $A \times (B + C)$
each flower was 6	each rose costs 6 dollars. So, the cost of	#Python code
dollars. If Katie	the roses is $5*6=30$ dollars. There are	<pre>def flower_sale(A, B, C):</pre>
bought 5 roses	5 daisies, and each daisy costs 6 dollars.	return A * (B + C)
and 5 daisies,	So, the cost of the daisies is $5*6=30$ dol-	}
how much did she	lars. Then, we need to calculate the to-	
spend?	tal cost. The total cost is the cost of the	
	roses plus the cost of the daisies. So, the total $20 \times 20$ (0, 1, 1) and $70 \times 10^{-10}$	Answer = $60 \checkmark$
	total cost is 30+30=60 dollars. There-	
	fore, the answer (arabic numerals) is 60.	
Q: While shopping	A: Lat's think stop by stop Eave hought	Distingent (A.2 D.2 Cr()
for music online,	A: Let's think step by step. Faye bought 2 country albums. Each album has 6	Dictionary = $\{A:2, B:3, C:6\}$
Faye bought 2	songs. So she bought $2 * 6 = 12$ songs	# Algabraic answer
country albums and	from the country albums. Faye bought $2 = 12$ songs	Answer = $A \times C + B \times C$
3 pop albums. Each	3 pop albums. Each album has 6 songs.	#Python code
album came with a	So she bought $3 * 6 = 18$ songs from the	<pre>def num_songs_bought(A, B, C):</pre>
lyric sheet and had	pop albums. In total, Faye bought 12 +	<b>return</b> A*C + B*C
6 songs. How many	18 = 30 songs. Therefore, the answer	
songs did Faye buy	(arabic numerals) is $30$ .	Answer = $30 \checkmark$
total?	(arabie numerano) is 50. V	Answer = 50 ✓
iour:		

Q: Jerry was help- ing the cafeteria workers pick up lunch trays, but he could only carry 8 trays at a time. If he had to pick up 9 trays from one table and 7 trays from another, how many trips will he make?	A (COMMONSENSE MISTAKE): Let's think step by step. Jerry can carry 8 trays at a time. There are 9 trays on the first table. That means Jerry will need to make 2 trips to the first table. There are 7 trays on the second table. That means Jerry will need to make 1 trip to the second table. In total, Jerry will make 3 trips. Therefore, the answer (arabic numerals) is 3. X	<pre>Dictionary = {A:8, B:9, C:7} # Algabraic answer Answer = (B+C) /A #Python code def numTrips(A, B, C):    trips = (B + C) // A    if (B + C) % A != 0:       trips += 1    return trips Answer = 2 ✓</pre>
Q: Kaleb bought 14 boxes of chocolate candy and gave 5 to his little brother. If each box has 6 pieces inside it, how many pieces did Kaleb still have?	A: Let's think step by step. Kaleb bought 14 boxes of chocolate candy. This means that he had 84 pieces of chocolate candy. He gave 5 boxes to his little brother, which means that he gave his little brother 30 pieces of choco- late candy. Kaleb still had 54 pieces of chocolate candy. Therefore, the answer (arabic numerals) is 54 √.	Answer = 2 V Dictionary = {A:14, B:5, C:6} # Algabraic answer Answer = A*C - B #Python code def candy_pieces (A, B, C): return A*C - B Answer = 79 (COMMONSENSE MISTAKE)X
Q: At the fair there were 12 people in line for the bumper cars. If 10 of them got tired of wait- ing and left and 15 more got in line, how many people would be in line?	A (OTHERS; REASONING IS NOT STARTED): Let's think step by step. There were 12 people in line for the bumper cars. 10 of them got tired of waiting and left. 15 more got in line. That means that there are now 15 people in line for the bumper cars. Therefore, the answer (arabic numerals) is 15. X	Dictionary = {A:12, B:10, C:15} # Algabraic answer Answer = A - B + C #Python code def bumper_car_queue(A, B, C): return A - B + C Answer = 17 ✓
Q: Luke made 9 dollars mowing lawns and 18 dol- lars weed eating. If he only spent 3 dollar a week, how long would the money last him?	A (OTHERS; QUESTION UNDER- STANDING ERROR): Let's think step by step. How much money does Luke make in a week? How much money does Luke spend in a week? How much money does Luke have left over at the end of the week? How long will it take Luke to save up \$54? Luke makes \$27 a week. He spends \$3 a week. He has \$24 left over at the end of the week. It will take Luke 2 weeks to save up \$54. Therefore, the answer (arabic numerals) is 2. ✗	Dictionary = {A:9, B:18, C:3} # Algabraic answer Answer = (A + B) / C #Python code def lawn_weed_dollars(A, B, C): totalEarnings = A + B weeks = totalEarnings / C return weeks Answer = 9 ✓

Table 2- Continued from previous page

Q: Each chocolate	A (OTHERS; MAXIMUM LIMIT OF	Dictionary = $\{A:3, B:9, C:3\}$
bar in a box cost	TEXT LENGTH): Let's think step by	# Algabraic answer
\$3. If a box had	step. Each chocolate bar in a box costs	Answer = A x $(B - C)$
9 bars total and	\$3. If a box had 9 bars total, then Wendy	
Wendy sold all but	sold all but 3 bars. How much money	#Python code
3 bars, how much	would she have made? We can solve	<pre>def money_made(A, B, C):</pre>
money would she	this problem using algebra. Let's start	return (B-C) *A
have made?	by creating a variable to represent the	
have made :		
	number of chocolate bars Wendy sold.	
	We'll call this variable "x". If Wendy	Answer = $18 \checkmark$
	sold "x" chocolate bars, then she would	
	have 9 - x chocolate bars left in the box.	
	We know that each chocolate bar costs	
	\$3, so the total cost of the chocolate bars	
	Wendy sold Therefore, the answer (ara-	
	bic numerals) is: Wendy would have	
	made \$12. 🗡	

Table 2- Continued from previous page