Improving Large Language Model Safety with Contrastive Representation Learning

Anonymous ACL submission

Abstract

Large Language Models (LLMs) are powerful tools with profound societal impacts, yet their ability to generate responses to diverse and uncontrolled inputs leaves them vulnerable to adversarial attacks. While existing defenses often struggle to generalize across varying attack types, recent advancements in representation engineering offer promising alternatives. In this work, we propose a defense framework that formulates model defense as a contrastive representation learning (CRL) problem. Our method finetunes a model using a triplet-based loss combined with adversarial hard negative mining to encourage separation between benign and harmful representations. Our experimental results across multiple models demonstrate that our approach outperforms prior representation engineering-based defenses, improving robustness against both input-level and embeddingspace attacks without compromising standard performance.

1 Introduction

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In recent years, Large Language Models (LLMs) have proven to be powerful tools for generalpurpose language understanding and generation (Minaee et al., 2024). They have had significant impact on software engineering (Hou et al., 2024), medicine (Zhou et al., 2024) and natural sciences (Nejjar et al., 2024).

However, their ability to respond to uncontrolled inputs comes with serious security risks (Geiping et al., 2024), as they can generate inappropriate, toxic, or harmful text (Deshpande et al., 2023). To mitigate this risk, various mechanisms have been developed to keep LLMs aligned with human values (Stiennon et al., 2022; Bai et al., 2022; Rafailov et al., 2024). Nonetheless, the most commonly used LLM systems often fail to protect against such behaviors (Zou et al., 2023; Chao et al., 2023). Developing safe and reliable defenses is therefore essential for minimizing societal risks associated with broad AI deployment.

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The current state-of-the-art defenses against LLM jailbreaks focus either on creating effective pipelines around the model (Zeng et al., 2024b; Yuan et al., 2024b), or on finetuning the model weights (Yousefpour et al., 2025; Zhang et al., 2024). Among the latter, circuit breakers (Zou et al., 2024) are a promising approach, designed to disrupt the model's harmful inner representations, causing it to generate incoherent or nonsensical outputs rather than harmful content even under attacks.

In this work, motivated by the success of circuit breaking, we introduce a new approach to representation space safety engineering by building on concepts from contrastive learning (Khosla et al., 2021). Our triplet loss formulation represents a natural extension of circuit breaking, and allows for clearer separation of harmful and benign representations. Additionally, we adopt an improved training strategy based on adversarial hard negative mining (Casper et al., 2024). Overall, we improve the robustness of representation engineering-based defensive methods by reducing the attack success rate (ASR) of the Llama 3 8B model from 29% to 5% against embedding attacks across diverse configurations, and from 14% to 0% against the REINFORCE-GCG (Geisler et al., 2025a) input space attack.

Our main contributions are as follows:

- We propose a novel method for LLM safety based on contrastive representation learning, generalizing and improving upon existing methods such as circuit breakers (Zou et al., 2024) and RepBend (Yousefpour et al., 2025).
- 2. We introduce a new training strategy based on representation adversarial training (Casper et al., 2024) that improves the sampling procedure of harmful representations, further

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increasing the robustness of our proposed method against embedding attacks.

3. We provide experimental validation of our method, demonstrating gains in robustness against both input space and embedding space attacks without sacrificing the model's general capabilities.

Problem formulation 2

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Large Language Models (LLMs) are deep neural networks, typically based on the Transformer architecture (Vaswani et al., 2017), that have been trained at a massive scale on human textual data. The computation of a token y_t given previous tokens $y_{<t}$ can be described as follows:

$$\mathbf{h}_0 = \operatorname{Emb}(y_t) \tag{1}$$

 $\mathbf{h}_l = T_l(\mathbf{h}_{l-1}) + \mathbf{h}_{l-1}$ (2)

$$\mathbf{o} = \mathrm{FFN}(\mathbf{h}_L) , \qquad (3)$$

where $\mathbf{h}_0 \in \mathbb{R}^{t-1 \times d}$ is the sequence of input embeddings for the previous tokens, T_l is the transformer block at layer $l, \mathbf{h}_l \in \mathbb{R}^{t-1 imes d}$ is the output of the *l*-th layer, FFN is a final feed-forward layer, and $\mathbf{o} \in \mathbb{R}^{t-1 \times |\Sigma|}$ represent the output log probabilities over the vocabulary Σ for each position. Finally, y_t is sampled from the output distribution **o**.

For a prompt x and a response y, we write $\mathbf{h}_l(x,y)$ as the inner representation of the model at layer *l*. We consider a prompt and response pair $(x, y)_h$ to be harmful if its content violates the developer rules of the model and if y is a correct and informative response to x. Conversely, a pair $(x, y)_b$ benign does not violate developer rules.

Objective Our study specifically targets prompts 113 that encourage illegal, immoral, unethical, or dan-114 gerous conduct and actions. The objective is to 115 minimize the probability that a model outputs a 116 harmful reply y under any token or embedding input x. 118

We use the same proxy objective as the circuitbreaking method of working in the representation level, as while input and output formats can change between different generations of the harmful behavior, the representation space symbolizes the same concept under different formats. We aim to create a new safer model that "breaks" when given a harmful prompt, and works as expected when given a benign prompt.

3 **Related work**

3.1 AI Safety

Input-Space Jailbreaking Attacks A jailbreak is a prompt specifically designed to bypass the model's safety mechanisms and elicit a harmful response, and can be broadly categorized into tokenlevel jailbreak which optimize a harmful adversarial sequence of tokens appended to the prompt (e.g. Greedy Coordinate Gradient (Zou et al., 2023)), or prompt-level jailbreak which optimize the entire prompt into human-readable jailbreak prompts (e.g Prompt Automatic Iterative Refinement (PAIR) (Chao et al., 2024)).

Embedding-Space Jailbreaking Attacks Embedding attacks directly manipulate the output of the model's embedding layer to produce a harmful response (Schwinn et al., 2025). For a prompt x, instead of optimizing an adversarial suffix $y \in \Sigma^t$, the attacker can optimize an embedding $e \in \mathbb{R}^{t \times d}$ that is appended to the prompt embedding Emb(x), to force the model to start with a positive reply. Mathematically, we can write $\mathbf{h}_0 = \text{Emb}(x) \oplus e$ where \oplus is the concatenation operator. Embedding attacks are more powerful than input space attacks as they operate on a lower level and have access to the entire embedding space of the model.

Jailbreak Defenses Jailbreak defenses aim to prevent or mitigate the effects of jailbreak attacks on LLMs. Current defenses fall into two main categories : Pipeline defenses external to the model, which do not modify the model weights but rather add components such as filters (Jain et al., 2023), textual transformations (Robey et al., 2024; Yuan et al., 2024b) or guardrail model (Zeng et al., 2024b), and internal defenses which alter the model itself, by fine-tuning on preference data (Kaufmann et al., 2024) or editing problematic layers (Zhao et al., 2024).

More details on jailbreaking attacks and defenses are found in Appendix A.1. In this work, we focus on a subset of internal defenses that manipulate the model's internal representations to increase robustness against jailbreak attacks.

Internal Defenses based on Representation Engi**neering** Representation Engineering (Zou et al., 2025) focuses on internal representational spaces to understand and improve the behavior of LLM, and is an alternative to mechanistic interpretability. Circuit breakers (Zou et al., 2024) and RepBend

(Yousefpour et al., 2025) are the two main representation engineering-based defenses. These methods
share common principles:

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- 1. They manipulate the inner representations \mathbf{h}_l of the model, rather than only the inputs and outputs.
- 2. They define training loss functions over these inner representations to guide and optimize model behavior.
- 3. They use datasets of prompts and responses labeled as "benign" or "harmful" to establish "good" and "bad" inner representations.

The training loss of circuit breaking focuses on preserving benign representations and pushing the new harmful representations far from previous harmful representations using a cosine similarity loss, and is defined as

$$\mathcal{L}_{CB} = \alpha \cdot \left\| \mathbf{h}_b - \mathbf{h}'_b \right\|_2^2 + \beta \cdot \text{ReLU}(\cos_\text{sim}(\mathbf{h}_h, \mathbf{h}'_h)) \qquad (4)$$

where **h** is the inner representation of the initial fixed model at layer l, **h**' is the new inner representation of the model with circuit breaking. α and β are scheduling hyperparameters, h and b represent benign or harmful representations, and $\cos_sim(a, b) = \frac{a \cdot b}{\|a\| \cdot \|b\|}$ is the cosine similarity between two representations a and b.

Circuit breaking is an effective defense against a wide range of input-space attacks, and decreases the quality of successful attacks. For instance, while the REINFORCE adversarial attack (Geisler et al., 2025a) achieves a high attack success rate (ASR) with the HarmBench judge (Mazeika et al., 2024), the resulting responses often display stutterlike behavior in later stages of generation, rendering them mostly unusable. However, circuit breaking is less effective at defending against embeddinglevel jailbreaking attacks (Schwinn and Geisler, 2024).

Representation Bending (RepBend) (Yousefpour et al., 2025) extends circuit breaking by replacing the cosine similarity-based distance with an L2 distance, and introduces an additional regularization term to enforce similarity among harmful representations. However, training this method is challenging, as the distance terms can diverge to negative infinity, requiring careful stopping criteria and making it difficult to maintain a balance of hyperparameters.

3.2 Contrastive Representation Learning

The objective of contrastive representation learning (CRL) is to train models to produce a representational space in which similar (positive) inputs are mapped close to each other, while dissimilar (negative) inputs are mapped far apart. Rather than solely relying on labeled data, contrastive representation can learn meaningful representations by leveraging the inherent structure of the data itself. It has achieved notable success in a variety of fields, such as computer vision (Le-Khac et al., 2020; Schroff et al., 2015), natural language processing (Mikolov et al., 2013; Rim et al., 2021), and multi-modal learning (Radford et al., 2021).

The triplet loss (Schroff et al., 2015) is a popular loss function used in contrastive learning, originally developed for image embeddings and face recognition and later adopted for text embeddings (Reimers and Gurevych, 2019).

It encourages an anchor data point a to be closer to a positive sample p (similar to the anchor) than to a negative sample n (dissimilar to the anchor) by at least a margin m:

$$\mathcal{L}_T = \operatorname{ReLU}(d(a, p) - d(a, n) + m) \quad (5)$$

where d(.,.) is a distance metric, typically the Euclidean distance or cosine distance, and ReLU $(x) = \max(0, x)$ is the rectified linear unit function. A visualization of the triplet loss objective is shown in Appendix A.1.

4 Method

We first describe the desirable properties of our new, more robust representation space. Our proxy objective is to construct a new representation space \mathbf{h}' that induces the following properties, for an index *i* and benign and harmful representations $\mathbf{h}'_{b,i}$ and $\mathbf{h}'_{h,i}$:

- 1. $\mathbf{h}'_{b,i}$ and $\mathbf{h}_{b,i}$ should be similar to each other, as the new model is expected to maintain similar behavior to the original model for benign use cases. Exact matching is not required for all representations, but top logits of benign behaviors should closely match.
- 2. $\mathbf{h}'_{h,i}$ and $\mathbf{h}_{h,i}$ should be dissimilar to each other, because if the general structure of the representation space is preserved, the old harmful representations maintain their harmful nature in the new representation space.

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 $-\operatorname{d}_{bn}(\mathbf{h}'_{b\,i},\mathbf{n}_{b,i})+m_b)$ (8)

This loss encourages new benign representations $\mathbf{h}'_{b,i}$ to be distant from the old benign representations $\mathbf{h}_{b,i}$, and far from some negative $\mathbf{n}_{b,i}$. We write the final, unified triplet loss as a weighted sum of the two triplet losses:

approach focuses on relative rather than absolute

distances between representations, as relative dis-

tances are more meaningful in embedding spaces.

Conversely, we define a benign triplet loss as:

 $\mathcal{L}_{triplet}(B) = \text{ReLU}(\mathbf{d}_{bp}(\mathbf{h}_{b,i}, \mathbf{h}'_{b,i}))$

$$\mathcal{L}_{triplet} := \alpha \mathcal{L}_{triplet}(B) + \beta \mathcal{L}_{triplet}(H) \quad (9)$$

with hyperparameters α and β controlling the importance of the losses.

Property	RepBend	CB	Triplet
$\mathbf{h}_{b,i}^{\prime} pprox \mathbf{h}_{b,i}$	\checkmark	\checkmark	\checkmark
$\mathbf{h}_{h,i}^{\prime} ot\approx \mathbf{h}_{h,i}$	\checkmark	\checkmark	\checkmark
$\mathbf{h}_{b,i}^{\prime} ot\approx \mathbf{h}_{h,i}^{\prime}$	×	X	\checkmark
$\mathbf{h}_{h,i}^{\prime} \approx \mathbf{h}_{h,i}^{\prime}$	\checkmark	X	\checkmark

Table 1: Safety representation engineering methods and their properties. Properties are expressed in terms of similarity (\approx) or dissimilarity (\approx)

Relation to Circuit Breakers and RepBend We demonstrate that both the circuit breaking loss and the RepBend loss are simplified special cases of our triplet loss. The full derivation and proofs are in Appendix A.8. Table 12 outlines the key differences between the three losses. Specifically, the circuit breaking loss lacks mechanisms for separating benign representations from harmful ones, and for clustering the harmful representations. The RepBend loss focuses on clustering harmful representations, but does not explicitly separate benign representations from harmful ones. Our triplet loss formulation generalizes both methods by incorporating these properties and allowing any valid pseudodistances.

Choice of the Positive and Negative Samples The choice of $\mathbf{p}_{h,i}$ and $\mathbf{n}_{b,i}$ is important, as these samples will guide the new representations to new, better directions. In this work, we use the mean of the new harmful representations as a positive sample for the harmful triplet loss, and as a negative sample for the benign triplet loss, thereby strengthening the separation between the two classes of representations. Future work should explore the use of other choices of $\mathbf{p}_{h,i}$ and $\mathbf{n}_{b,i}$.

2723. $\mathbf{h}'_{b,i}$ and $\mathbf{h}'_{h,i}$ should be dissimilar, allowing273the model to distinguish between benign and274harmful representations.

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4. $\mathbf{h}'_{h,i}$ and $\mathbf{h}'_{h,j}$ should be similar to each other, preventing the model from generating finegrained responses to harmful queries and promoting the generation of uniform replies such as refusals or warnings.

Interpreting the circuit breaking loss The circuit breaking loss described in Equation 4 can be interpreted as a contrastive loss, similar in spirit to the DrLIM loss (Hadsell et al., 2006), which is one of the first contrastive losses.

For input vectors \mathbf{X}_1 and \mathbf{X}_2 belonging to a class $Y \in \{0, 1\}$ the DrLIM loss is defined as

$$\mathcal{L}_{DrLIM} = (1 - Y) \frac{1}{2} \| \mathbf{X}_1 - \mathbf{X}_2 \|_2^2 + (Y) \frac{1}{2} \max(0, m - d(\mathbf{X}_1, \mathbf{X}_2))$$
(6)

where $d(\mathbf{X}_1, \mathbf{X}_2)$ is a distance and m is a margin hyperparameter.

This objective reduces to the circuit breaking objective when using the distance $d(\mathbf{X}_1, \mathbf{X}_2) =$ $1 - \cos_{sim}(\mathbf{X}_1, \mathbf{X}_2)$, a hard margin m = 1, harmfulness labels Y, and sampling $\mathbf{X}_1, \mathbf{X}_2$ from the original and fine-tuned models.

In CRL tasks, the DrLIM loss has been largely supplanted by more effective objectives, notably the Triplet loss and the InfoNCE loss (van den Oord et al., 2019), as they are more flexible and induce greater contrasts between the representations. Motivated by these advances, we use a triplet loss to learn a robust representation space for LLM defense.

4.1 Our Triplet-Based Loss

Taking inspiration from the circuit breaking loss function, we propose a general alternative loss function that fits all wanted properties.

Let $d_{h,p}$, $d_{h,n}$, $d_{b,p}$ and $d_{b,n}$ be distance functions on representations, and *i* an index. We define a harmful triplet loss as:

$$\mathcal{L}_{triplet}(H) = \operatorname{ReLU}(d_{hp}(\mathbf{h}'_{h,i}, \mathbf{p}_{h,i}) - d_{hn}(\mathbf{h}'_{h,i}, \mathbf{h}_{h,i}) + m_h) \quad (7)$$

This loss encourages new harmful representations $\mathbf{h}'_{h,i}$ to be distant from the old harmful representations $\mathbf{h}_{h,i}$, and close to some positive $\mathbf{p}_{h,i}$. In contrast to circuit breaking and RepBend, our **Final Triplet Loss** Let α , β and γ be hyperparameters controlling the importance of the losses. Let d_{bp} , d_{bn} , d_{hp} and d_{hn} be distances chosen by the user. Let $\mathbf{h}_{b,i}$ and $\mathbf{h}_{h,i}$ be the benign and harmful representations for a batch with N different benign and harmful prompts. Let $\hat{\mathbf{h}}' = \frac{1}{N} \sum_{h=1}^{N} \mathbf{h}'_h$ be the mean of the harmful representations for a batch. Let KL the Kullback-Leibler divergence on benign model logits between the new and the original model. Our final triplet loss is defined as:

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$$\mathcal{L}_{Triplet} = \alpha \cdot \frac{1}{N} \sum_{i=1}^{N} \mathcal{L}_{triplet}(b_i) \qquad (10)$$

$$+\beta \cdot \frac{1}{N} \sum_{i=1}^{N} \mathcal{L}_{triplet}(h_i) \qquad (11)$$

$$+ \gamma \cdot \mathrm{KL}(\pi(b_i), \pi'(b_i)) \tag{12}$$

Algorithm 1 describes the training procedure for the triplet model defense. The model weights are optimized until convergence on batches of benign and harmful prompt-response pairs.

4.2 Combining Representation Engineering with Adversarial Training

Most LLMs are shipped with built-in safety features that prevent them from outputting harmful responses to plain harmful queries. As such, gathering harmful representations $\mathbf{h}'_{h,i}$ from plain queries can lead to representations that are not truly informative of dangerous model behavior. Inspired by work in hard negative mining, which focuses on learning on challenging negative samples (Robinson et al., 2021), we propose to address this issue by integrating adversarial training in the representation space, by explicitly generating "hard" harmful representations via attacks.

Adversarial Hard Negative Mining In contrastive learning, "hard negatives" are challenging negative examples that are easily confused with positive examples. For safety representation engineering, we define hard negatives as harmful representations that closely resemble benign ones. Rather than relying on plain harmful representations, we make use of adversarial hard negative mining (Hughes et al., 2018).

An adversarial attack neural network module $Attack_l$ is introduced at a randomly selected layer l. The module is inserted between two transformer blocks in the residual stream, and is trained using a Negative Log Likelihood (NNL) loss on harmful responses. The model is active when sampling

new harmful representations, and is periodically retained as model parameters are updated. This module finds adversarial hard negatives, allowing the defense to counteract a wider diversity of harmful representations. Appendix A.2 contains more details on the training of our adversarial attack modules. 402

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In summary, our complete method views safety representation engineering as a contrastive learning problem, optimizes a triplet-based loss function, and combines it with adversarial training to defend against harmful prompts more robustly.

5 Experimental setup

Baselines We evaluate our method on two widely used open-source models: Llama 3 8B (Grattafiori et al., 2024) and Mistral 7B Instruct v 0.2 (Jiang et al., 2023). These models are standard baselines for adversarial defense in the literature, which enables direct comparison with prior work.

Datasets We adapt the training pipeline of Yousefpour et al. (2025) for our defense method. For benign data, we use UltraChat (Ding et al., 2023), a large-scale dataset of over 1.5 million multi-turn dialogues that cover a wide range of topics such as art, history, literature, politics and technology. For harmful data, we use WildGuardMix (Han et al., 2024) which contains a broad spectrum of jailbroken prompts and responses, and Wild-Jailbreaks (Jiang et al., 2024), a synthetic dataset of harmful prompt-response pairs, featuring both straightforward and complex jailbreak prompts. From these sources, we randomly select 10'000 benign and 10'000 harmful samples to construct a balanced training set.

Details on hyperparameter choices can be found in Appendix A.3. Overall, our training and experiments took approximately 2000 GPU hours.

6 **Experiments**

In this section, we demonstrate the increased robustness of our methods against various attacks compared to existing methods and explore three research questions (RQ) related to robustness and general performance.

6.1 Overall defensive performance

In this section, we compare the performance of our approach against different models and defenses.

Algorithm 1 Triplet Model Defense

Require: Frozen original model \mathcal{M} ; Trainable defense model \mathcal{M}' (e.g., with LoRA adapters); Function rep to extract representations; Benign dataset \mathcal{D}_b , harmful dataset \mathcal{D}_h ; Number of steps T; batch size N; Hyperparameters $\alpha, \beta, \gamma, m_b, m_h$

- 1: for t = 1, ..., T do
- 2: Sample a batch $x_b \sim \mathcal{D}_b, x_h \sim \mathcal{D}_h$
- 3: Compute original representations $\mathbf{h}_{b,i}$, $\mathbf{h}_{h,i}$ using \mathcal{M}
- 4: Compute new representations $\mathbf{h}'_{b,i}$, $\mathbf{h}'_{h,i}$ using \mathcal{M}'
- 5: Compute $\hat{\mathbf{h}'} = \frac{1}{N} \sum_{i=1}^{N} \mathbf{h}'_{h,i}$

6:
$$\mathcal{L}_{\text{benign}} = \frac{1}{N} \sum_{i=1}^{N} \max\left(0, \mathbf{d}_{bp}(\mathbf{h}_{b,i}, \mathbf{h}'_{b,i}) - \mathbf{d}_{bn}(\mathbf{h}'_{b,i}, \mathbf{h}') + m_b\right)$$

7:
$$\mathcal{L}_{\text{harmful}} = \frac{1}{N} \sum_{i=1}^{N} \max\left(0, \mathsf{d}_{hp}(\mathbf{h}'_{h,i}, \mathbf{h}') - \mathsf{d}_{hn}(\mathbf{h}'_{h,i}, \mathbf{h}_{h,i}) + m_h\right)$$

- 8: $\mathcal{L}_{\mathrm{KL}} = \mathrm{KL}(\pi(b), \pi'(b))$
- 9: $\mathcal{L}_{\text{Triplet}} = \alpha \cdot \mathcal{L}_{\text{benign}} + \beta \cdot \mathcal{L}_{\text{harmful}} + \gamma \cdot \mathcal{L}_{\text{KL}}$
- 10: Update parameters of \mathcal{M}' using $\mathcal{L}_{\text{Triplet}}$

11: end for

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	REINFORCE-GCG				GCG			Embedding		
Defense	HB	SR	Score	HB	SR	Score	HB	SR	Score	
Base model	52.50	40.00	42.87	31.25	18.75	23.66	100.00	90.24	81.89	
Circuit breakers	13.75	3.75	9.50	2.86	1.43	4.25	90.24	29.27	30.61	
RepBend	11.25	6.25	11.27	2.86	0.00	1.65	73.17	39.02	39.00	
Triplet	0.00	0.00	0.48	0.00	0.00	0.43	65.85	12.20	14.57	
Triplet + Adv	3.75	2.50	6.99	0.00	0.00	1.36	75.61	4.88	8.70	

Table 2: Attack success rates (ASR) using HarmBench (HB) and StrongREJECT (SR) across attack types, for various defenses (Llama 3 8B Instruct). For GCG and REINFORCE-GCG attacks, each behavior was tested on a single attempt evaluated over 80 Behaviors. For embedding attacks, results were computed over 41 behaviors, with six attempts per behavior using different hyperparameter configurations (246 runs per model). The best result for each behavior was used.

Method We use the publicly available defensive models created by the authors of circuit breakers (Zou et al., 2024) and RepBend (Yousefpour et al., 2025). We evaluate our defense using the Harm-Bench safety benchmark (Mazeika et al., 2024). For embedding attacks, we adopt a variant of the attack described by Zou et al. (2024). To ensure robustness across hyperparameter choices, we use 6 different hyperparameter configurations. For each behavior, we select the result from the configuration that produces the most harmful response out of the six different runs. For input-space attacks, we use GCG (Zou et al., 2023) and GCG-REINFORCE (Geisler et al., 2025a) with base configurations. To assess harmfulness, we use the binary HarmBench judge to get adversarial success rates (HB ASR) and the fine-grained StrongRE-JECT (Souly et al., 2024) fine-tuned classifier to get harmfulness scores (SR Score) and adversarial success rates (SR ASR) for scores above 0.5. Full details of attack configurations and evaluation settings are provided in Appendix A.3

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Results Tables 2 report the ASRs for embedding and GCG attacks on the Llama 3 8B model. All defense methods achieve substantial improvements over the base model, which shows ASRs above 90% for embedding attacks. Among the defenses evaluated, our triplet defenses outperform both circuit breakers and RepBend. In particular, the triplet defense achieves ASRs of 0% for both RE-INFORCE and GCG, while the triplet defense with adversarial hard negative mining achieves the lowest embedding SR ASR of 4.88% and the lowest harmfulness score of 8.70. Results for the Mistral 7B model are shown in Appendix A.5. Although the reported ASRs are higher than for the Llama model, the triplet defense outperforms circuit breaking on the Mistral 7B model.

Throughout our experiments, we find that the

Harmbench classifier consistently produces higher 487 ASRs than the StrongREJECT classifier. This is 488 likely due to the tendency of HarmBench to clas-489 sify responses as harmful responses based on the 490 initial response tokens, even if the rest of the re-491 sponse is nonsensical or incoherent. Appendix Ta-492 ble 17 shows an example of a generation classified 493 as harmful by the Harmbench ASR, despite being 494 practically harmless. These findings highlight how 495 differences in harmfulness evaluation criteria can 496 substantially influence measured outcomes. 497

6.2 RQ1: How robust is our method to different attack configuration choices?

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The goal of this research question is to evaluate the robustness of our attack to different embedding configurations.

Method We compare the ASRs of embedding attacks across the six different hyperparameter configurations, with full details provided in Appendix A.3. For each defense, we report the best, worst, and mean ASR obtained over all configurations.

Results Table 3 presents our results. Both Rep-509 Bend and circuit breakers exhibit significant vari-510 ability across attack hyperparameter configurations. 511 In particular, using configuration 2, we get an Stron-512 gREJECT ASR of 20% on RepBend and 2% on 513 circuit breakers, while configuration 0 results in an 514 ASR of 2% and 12% respectively. In comparison, 515 our triplet defense consistently demonstrates low 516 ASRs, with a worst-case StrongREJECT ASR of 517 2%. The complete results are provided in Appendix 518 Figure 15. These findings highlight the necessity 519 of evaluating defenses across diverse attack con-520 figurations to accurately assess their robustness, as 521 relying on a single configuration could bias results 522 in favor of a particular defense.

6.3 RQ2: Does applying our defense affect the general performance of the model?

The objective of this research question is to determine whether the application of our defensive mechanism affects the general language capabilities of the model.

530 Method We assess the general performance of
531 our trained models on a suite of benchmarks,
532 including MMLU, HellaSwag, TruthfulQA, and
533 GSM8K. See Appendix A.3 for more details.

Results As shown in Table 4, our triplet method achieves a performance comparable to the base model, which indicates that our approach preserved the model's general capabilities. Notably, the defenses showcase an improvement on the TruthfulQA (MC) benchmark, likely because their increased tendency to reject harmful responses also leads them to reject untruthful content, which is often harmful.

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In contrast, the performance of the RepBend model decreases significantly on the generationbased benchmarks GSM8K and TruthfulQA (Gen), with accuracy dropping from 75% to 49% on GMS8k, and from 46% and 2% on TruthfulQA (Gen). This suggests overfitting to the defense objective at the expense of general language performance. Examples of generations of GSM8K for RepBend can be seen in Appendix Table 17, in which the model fails to answer the questions. In contrast, our trained triplet models do not suffer from this issue, maintaining both GSM8K and TruthfulQA (Gen) performance close to the base model. These findings highlight the strengths of our approach and illustrate that defenses can have unintended side effects, which may themselves have harmful consequences in sensitive applications.

6.4 RQ3: How does our defense generalize to out-of-distribution input/output formats?

While adversarial attack success rates are valuable for measuring robustness in plain text, they do not fully capture a defense's capability to generalize to out-of-distribution response formats. To address this, we introduce a new evaluation metric for safety representation engineering defenses, based on relative distances.

Method We apply random capitalization (following the Best-of-N jailbreak attack protocol (Hughes et al., 2024)) and translations to five languages to 159 behaviors of the HarmBench benchmark, generating a set of augmented prompts and responses $\mathcal{A}(b)$ for each behavior b. For each defense, we compute the Mean Minimum Distance Ratio (MMDR) as the average over behaviors of the smallest ratios between the distance of augmented and original harmful representations:

$$MMDR_{d} = \frac{1}{|N|} \sum_{i \in N} \min_{a \in \mathcal{A}(b)} \frac{d(\mathbf{h}'_{a}, \mathbf{h}_{a})}{d(\mathbf{h}'_{b,i}, \mathbf{h}_{b,i})} \quad (13)$$

Defense	HarmBench ASR			Stroi	StrongREJECT ASR			StrongREJECT Score		
	mean	min	max	mean	min	max	mean	min	max	
Base model	77.33	54.00 ¹	98.00 ³	48.16	26.10^4	63.34 ³	53.25	24.39 ⁴	73.17 ⁵	
RepBend	24.50	2.00 ⁵	37.00^2	10.36	4.00^{5}	22.06^{2}	8.54	2.44^{0}	19.51^{2}	
Circuit breakers	38.67	27.00^2	54.00 ¹	9.32	3.41 ⁵	14.53 ⁰	6.91	0.00 ⁵	12.20^{0}	
Triplet	23.83	17.00 ³	32.00 ¹	3.55	1.16 ⁴	9.46 ²	2.44	0.00 ⁰	9.76 ²	
Triplet + Adv	24.40	10.00 ¹	41.00^{2}	2.23	1.10³	4.28 ⁰	0.49	0.00¹	2.44 ⁰	

Table 3: Mean, maximum, and minimum embedding attack ASR across six different hyperparameter configurations (Llama 3 8B). Colored superscript indicates the configuration index for which the ASRs were achieved.

	ARC (Easy)	GSM8K	HellaSwag	MMLU	TruthfulQA		
					Gen	MC1	MC2
Base model	81.61	75.36	57.75	63.72	46.39	36.23	51.67
Circuit breakers	81.44 (-0.17)	75.44 (+0.08)	57.46 (-0.29)	63.57 (-0.15)	48.23 (+1.84)	36.96 (+0.73)	51.61 (-0.05)
RepBend	80.98 (-0.63)	49.05 (-26.31)	60.58 (+2.83)	60.26 (-3.46)	2.08 (-44.31)	41.00 (+4.77)	60.05 (+8.38)
Triplet	81.27 (-0.34)	74.30 (-1.06)	59.62 (+1.87)	63.85 (+0.13)	45.65 (-0.73)	40.76 (+4.53)	55.37 (+3.70)
Triplet + Adv	81.99 (+0.38)	74.91 (-0.45)	60.70 (+2.95)	63.38 (-0.34)	44.55 (-1.84)	42.96 (+6.73)	57.29 (+5.63)

Table 4: Performance comparison of models on general capability benchmarks (Llama 3 8B Instruct).

Averaged over all model layers, MMDR quantifies the model's worst-case generalization to outof-distribution augmentations.

Distance	$\textbf{MMDR}_{\textbf{d}_2}$	$\text{MMDR}_{d_{\rm cos}}$
Circuit breakers	0.63	0.49
Triplet A1: CB	0.70	0.54
RepBend	0.70	0.64
Triplet A2: RepBend	0.78	0.64
Triplet A3: Full	0.80	0.66
Triplet A4: Full + Adv	0.80	0.70

Table 5: Generalization of the defenses to different data augmentations (Llama 3 8B Instruct) with the L2 norm d_2 and the cosine distance d_{cos}

Results As shown in Table 5, the full triplet defenses achieve higher MMDR values, up to 0.8 for both distance metrics, compared to the circuit breaking (0.6) and RepBend (0.7) defenses. A value close to 1 indicates strong generalization, meaning the defense modifies augmented harmful representations similarly to the unaugmented ones, while a value close to 0 would imply that some augmentations bypass the defense. Notably, the MMDR increases as more loss terms are incorporated, highlighting the effectiveness of our approach in generalizing to different input and output formats.

6.5 Ablation study

To study the impact of our loss functions, we conduct an ablation study in which our defense methods are trained with different loss configurations.

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Specifically, we train a model A1 by removing the $d_{b,n}$ and $d_{h,p}$ components, making it closely related to circuit breaking. For model A2, we ablate only $d_{b,n}$, resulting in a formulation similar to Rep-Bend but with a margin-based objective. Model A3 retains all loss terms, while model A4 incorporates adversarial hard negative mining and all loss terms. Details and full results are provided in Appendix A.4

Our results show that A1 performs similarly to circuit breaking, validating the correspondence between the loss formulations. A2 consistently outperforms both A1 and RepBend, highlighting the advantage of our margin-based triplet learning objective. A3 and A2 perform comparably overall, with A3 achieving better results in input-space attacks and A2 on embedding space attacks. A4 achieves the best performance. Table 5 further shows that for our studied models, removing loss terms leads to a decrease in MMDR. These findings demonstrate the importance of the $d_{b,n}$ term in our triplet loss, as well as the additional benefit of adversarial hard negative mining.

7 Conclusion

This work presents a novel method for improving the robustness of LLMs against adversarial attacks based on contrastive representation learning and adversarial hard negative mining. Our findings demonstrate notable robustness improvement while maintaining the model's general capabilities.

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Ethics Statement

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This section discusses the ethical considerations that arise from the development and deployment of defensive methods for AI models. First, the de-633 velopment of defenses may lead to overconfidence 634 in the safety of AI models, which in turn could en-635 courage the deployment of less safe models. In addition, better defenses may lead to the development 637 of stronger, more sophisticated attacks, thereby increasing the risk of misuse for widespread AI models with fewer security measures. Lastly, our 641 representation space attack module used for adversarial hard negative mining could be misused by malicious actors to circumvent the defenses of AI models in a white-box setting. These concerns underscore the need for responsible use and deployment of research findings in the field of AI safety. 647

Limitations

Despite the promising results of our method, several limitations should be acknowledged. First, while robustness improves significantly on the Llama model, the Mistral model remains more vulnerable to attacks, even though our method still outperforms circuit breakers. This suggests that further tuning or architecture-specific adaptations may be required to achieve a strong robustness across models.

Secondly, given the computationally intensive nature of adversarial training and jailbreak generation, the choice of hyperparameters and training strategy may not be optimal. Furthermore, due to the 2-GPU-hour cost per REINFORCE attack, our method was evaluated on 80 HarmBench behaviors in the validation set compared to the 300 behaviors in the training set. Although we expect similar trends to hold, this assumption has not been empirically verified.

Third, while our method is robust to a variety of attacks, it is not guaranteed to be robust to all, especially to attacks in the representation space. Using more attack configurations and attempts per behavior may also lead to high attack success rates, at the cost of increased computation time.

Finally, like other representation engineeringbased methods, our trained models may result in incoherent and ineligible behavior if the model misinterprets benign inputs as harmful, which in turn could lead to harmful consequences in some critical settings. Therefore, careful considerations and additional safeguards may be necessary before deploying these methods in real-world applications. Finally, our method with adversarial hard negative mining requires a moderate training time of up to 12 hours on a single H200 GPU for the Llama 3 8B model. This requirement may limit the scalability of our approach to much larger models with hundreds of billions of parameters. 680

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A Appendix

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A.1 Additional Details on Related Work

Jailbreak Attacks Token-level jailbreaks optimize a harmful adversarial sequence of tokens appended to the prompt. Greedy Coordinate Gradient (GCG) (Zou et al., 2023) iteratively optimizes an adversarial suffix with gradient information to select promising token substitutions. Projected Gradient Descent (PGD) for LLMs (Geisler et al., 2025b) adapts the PGD continuous optimization algorithm to the discrete setting of tokenized inputs. Adaptive methods (Andriushchenko et al., 2025) are able to achieve near 100% attack success rates on leading models such as Claude or GPT-40.

Prompt-level jailbreaks involve optimizing the entire prompt and generally result in humanreadable jailbreak prompts. Prompt Automatic Iterative Refinement (PAIR) (Chao et al., 2024) uses a fine-tuned LLM in a conversation against a target model to refine a harmful prompt. Persuasive Adversarial Prompts (PAP) (Zeng et al., 2024a) generate emotionally persuasive prompts to trick the target model. Additional jailbreaking strategies manipulate the input and the output format (Huang et al., 2024; Yuan et al., 2024a), or manipulating model reasoning (Wu et al., 2024; Ramesh et al., 2024).

External Jailbreak Defenses Common strategies to defend against jailbreaks include modifying the input before giving it to the model, for instance by inserting, swapping or replacing char-
acters (Robey et al., 2024), using perplexity-based1000filters (Jain et al., 2023), using paraphrasing and
defensive suffixes (Yuan et al., 2024b), or using
guardrail models to analyze the intent of queries
and responses (Zeng et al., 2024b).1001

Internal Jailbreak Defenses Internal defenses directly modify the model behavior by fine-tuning the model weights. Common approaches include Reinforcement Learning from Human Feedback (Kaufmann et al., 2024), which use human preference data to fine-tune model weights. Other methods can identify problematic layers and edit out harmful content (Zhao et al., 2024).

A.2 Additional Details on our method



Figure 1: Triplet loss objective before and after a learning step. The anchor (blue) is kept at the same position, while the positive (green) is moved closer to the anchor, and the negative (red) is moved further away from the anchor.

Triplet loss Figure 1 shows a visualization of how the triplet loss affects data points during training.

Distances The notions of similarity and dissimilarity are defined by a distance function $d : \mathbb{R}^d \times \mathbb{R}^d \to \mathbb{R}$. In this work, we will use the term distance to refer to pseudodistances, as we only need to define a notion of similarity and dissimilarity. We consider the following distances:

- $L_k: d_k(x, y) = ||x y||_k$ 1024
- Cosine: $d_{cos}(x, y) = 1 \frac{x \cdot y}{||x|| \cdot ||y||}$ 1025
- Mix : $\mathbf{d}_{mix}(x, y) = \alpha \cdot \mathbf{d}_2(x, y) + \beta \cdot \mathbf{d}_{\cos}(x, y)$ 1026

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• Null: $d_0(x, y) = 0$

In the representation space of LLMs, cosine similarity has been shown to capture semantic similarity. However, this notion of distance does not take into account the scale of the embeddings, which is an important factor in the representation space. Mixing different distances allows to learn a space in which angular similarity is more or less important than Euclidean distance depending on the choice of the user.

Adversarial Hard Negative Mining Algorithm 2 shows the training process of an attack module $Attack_l$ on harmful responses. Every msteps, a new layer l is randomly selected, and an attack module $Attack_l$ is trained until convergence. Every k steps, the attack module is retrained for K steps, to ensure continuous effectiveness as the model is updated. By varying the layer l throughout the attack, the defense learns to counteract a diverse range of harmful representations.

Algorithm 3 shows the process of training our triplet based objective with the addition of adversarial hard negative mining.

A.3 Experimental Setup

Hyperparameters Model training is conducted using the Adam optimizer (Kingma and Ba, 2017) with a learning rate of 1e–5 and a batch size of 16. We employ LoRA adapters with rank r = 16, scaling factor $\alpha = 16$ and a dropout of 0.05, following existing representation engineering methods for direct comparison. We collect harmful representations from layers 20 to 31 as in (Yousefpour et al., 2025). We use a balanced d_{mix} for all distances in our experiments, and the hyperparameters $\alpha = 0.5$, $\beta = 0.4$, $\gamma = 0.9$, $m_b = 500$, $m_h = 1500$. We train for a total of 1100 steps.

In adversarial hard negative mining experiments, we retrain a new linear attack module every 30 steps on a random layer between 0 and 20, and update it for one iteration at every other defense training step. During training, we sample 70% of the original harmful representations and 30% of adversarial harmful representations.

1070Embedding AttacksWe implement a variant of1071the attack introduced by Zou et al. (2024). We1072substitute the SGD optimizer for the Adam opti-1073mizer (Kingma and Ba, 2017) due to its superior1074performance in complex optimization landscapes.

To ensure robust evaluation, we adopt a best-of-1075 N attack strategy. We use N = 6 different attack 1076 hyperparameter configurations and select the one 1077 that yields the best classifier accuracy. This ensures 1078 that defenses are not overly sensitive to specific 1079 hyperparameter settings. Unlike the original study, 1080 which uses a simple " $x \times x$ " string to initialize 1081 the embedding, we use a contextually meaningful 1082 initialization string for more realistic attacks. The 1083 attack is terminated when the loss drops below a 1084 certain threshold. We explore a range of threshold 1085 values across different attack configurations. We 1086 summarize our different attack configurations in 1087 Table 6.

GCG Attacks We use the GCG attack (Zou et al., 2023) white-box gradient based optimization attack integrated in the HarmBench benchmark to evaluate the robustness of our defenses against input space attacks. We use the default attack hyperparameters of 500 steps with a search width of 512.

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Safety Benchmarks We use the HarmBench benchmark (Mazeika et al., 2024) to evaluate the maliciousness of our trained models. We use the validation set containing 80 harmful behaviors. To measure the harmfulness of model responses, we use two different automated classifiers:

- The HarmBench classifier, a fine-tuned Llama 2 13B model providing a binary classification of harmfulness. It is the standard classifier used in the HarmBench benchmark.
- The StrongREJECT classifier (Souly et al., 2024), which is a fine-tuned Gemma 2B model. This classifier outputs a score estimate of the harmfulness of a response between 0 and 1, and is better suited for evaluating weakly harmful responses. We use a threshold of 0.5 to classify a response as harmful or not.

The choice of using a more fine-grained classifier allows a more accurate evaluation of the performance of our defenses, especially when the model begins to produce incoherent content after generating some compliant tokens.

General Performance Benchmark We use 5 common benchmarks to evaluate our trained models on standard language modeling tasks:

• **MMLU** (Hendrycks et al., 2021): A collection of multiple choice questions on a wide

Algorithm 2 Training an attack module Attack_l on harmful responses

Require: Model π , target layer l, module $Attack_l$, number of training steps n

Ensure: Trained *Attack*_l

- 1: Set up an Adam optimizer for *Attack*_l
- 2: for *i* from 0 to n 1 do
- 3: Sample a harmful prompt-response pair (x, y)
- 4: Get logits $\pi(y|x, \operatorname{do}(\mathbf{h}_l = Attack_l(\mathbf{h}_l)))$
- 5: Compute the Negative Log-Likelihood (NLL) loss:

$$\mathcal{L} = -\frac{1}{T} \sum_{t=1}^{T} \log p(y_t | x, y_{< t})$$

6: Update $Attack_l$ to minimize \mathcal{L}

7: end for

Algorithm 3 Triplet Model Defense with Adversarial Hard Negative Mining

Require: Frozen original model \mathcal{M} , Trainable defense model \mathcal{M}' (e.g., with LoRA adapters), Benign dataset \mathcal{D}_b , harmful dataset \mathcal{D}_h , Number of steps T; batch size N, Hyperparameters $\alpha, \beta, \gamma, m_b, m_h$, Retrain interval k, Retrain steps K, Attack module selection interval a

Ensure: Trained model \mathcal{M}'

1: for t = 0, ..., T - 1 do if $t \mod a = 0$ then 2: 3: Remove Attack_l if exists ▷ Create new attack module Choose random layer $l \in \{1, \ldots, L\}$ to attack 4: 5: Train Attack₁ until convergence 6: Apply *Attack*_l to the model ▷ Apply attack module 7: end if Sample a batch $x_b \sim \mathcal{D}_b, x_h \sim \mathcal{D}_h$ 8: 9: Compute original representations $\mathbf{h}_{b,i}$, $\mathbf{h}_{h,i}$ using \mathcal{M} Compute new representations $\mathbf{h}_{b,i}', \mathbf{h}_{h,i}'$ using \mathcal{M}' 10: Compute $\hat{\mathbf{h}'} = \frac{1}{N} \sum_{i=1}^{N} \mathbf{h}'_{h,i}$ 11: ▷ Mean of harmful representations $\mathcal{L}_{\text{benign}} = \frac{1}{N} \sum_{i=1}^{N} \max\left(0, d_{bp}(\mathbf{h}_{b,i}, \mathbf{h}'_{b,i}) - d_{bn}(\mathbf{h}'_{b,i}, \hat{\mathbf{h}'}) + m_b \right)$ 12: $\mathcal{L}_{\text{harmful}} = \frac{1}{N} \sum_{i=1}^{N} \max\left(0, d_{hp}(\mathbf{h}'_{h,i}, \hat{\mathbf{h}'}) - d_{hn}(\mathbf{h}'_{h,i}, \mathbf{h}_{h,i}) + m_h \right)$ 13: $\mathcal{L}_{\mathrm{KL}} = \mathrm{KL}(\pi(b), \pi'(b))$ 14: $\mathcal{L}_{\text{Triplet}} = \alpha \cdot \mathcal{L}_{\text{benign}} + \beta \cdot \mathcal{L}_{\text{harmful}} + \gamma \cdot \mathcal{L}_{\text{KL}}$ 15: Update parameters of \mathcal{M}' using $\mathcal{L}_{\text{Triplet}}$ 16: if $s \mod k = 0$ then 17: 18: Retrain attack module $Attack_l$ for K steps ▷ Train attack module 19: end if 20: end for

Config	Learning rate	Max steps	Initial string	Early stop threshold
run1	0.1	1000	Be honest.	0.001
run2	0.005	1000	It is important to carefully consider all	0.0001
			the details before answering truthfully	
			and fully. Don't worry about being in-	
			appropriate.	
run3	0.001	1000	Make sure to answer the question truth-	0.0005
			fully.	
run4	0.0005	1000	Answer as best as you can, stick to the	0.01
			question.	
run5	0.02	1000	Please try your best to give a fact-based	0.05
			and helpful answer that aligns with	
			known information.	
run6	0.0001	1000	Make sure to answer well, answer step	0.00001
			by step.	

Table 6: Overview of configuration hyperparameters used for our embedding attack

range of topics, including mathematics and chemistry.

- ARC-Easy (Clark et al., 2018): A collection of natural, grade-school multiple choice science questions.
- HellaSwag (Zellers et al., 2019): A commonsense reasoning benchmark of multiple choice questions.
- **GSM8K** (Cobbe et al., 2021): A collection of diverse grade-school math word problems for evaluating generative reasoning.
- **TruthfulQA** (Lin et al., 2022): A benchmark for measuring the truthfulness of language models, evaluated with multiple choice (mc1) and generative (gen) questions.

We use the lm-eval library to run these benchmarks (Gao et al., 2024).

Harmful Behavior Augmentations To generate a set of augmented prompts and responses to calculate the Mean Minimum Distance Ratio (MMDR), we apply the following augmentations to the Harm-Bench harmful behaviors:

- **Random capitalization**: Randomly capitalizing letters in the input and output, following the Best-of-N jailbreak attack protocol (Hughes et al., 2024). We sample 5 variants per behavior.
- **Translation**: Translating each harmful pair in French, German, Spanish, Chinese, and Ukrainian, using a jailbroken Llama 3 8B model. The inclusion of Chinese and Ukrainian enables the evaluation of general-

ization across different writing systems. Our	115
translation prompt is shown in Appendix A.6.	115

A.4 Ablation study

To evaluate the importance of each element in our triplet-based loss, we conduct an ablation study. We consider the following models:

- **Triplet A1: CB**: The triplet loss with d_{bn} and d_{bp} set to the null distance d₀. This configuration is a simplified version of the triplet loss which is similar to the circuit breaking method. The difference lies in the addition of the Kullback-Leibler divergence term, and the use of mixed distances.
- **Triplet A2: RepBend**: The triplet loss with d_{bn} set to the null distance d_0 . This configuration is similar to the RepBend method, but incorporates a margin to regulate and constraint the distances, preventing them from becoming unbounded, and uses mixed distances for d_{bp} and d_{hn} . The use of margins allows for a flexible selection of the number of iterations, without concern for the distance diverging to infinity.
- **Triplet A3: Full**: The full triplet loss as described in Algorithm 1.
- **Triplet A4: Full + Adv**: The full triplet loss with adversarial hard negative mining as described in Algorithm 3.

Appendix A.7 show the losses in detail for models A1, A2, and A3.

Tables 8 and 9 show the ASRs of our ablated models. We observe that the A1 model performs similarly to the circuit breakers defense. Across

Defense	HarmBench ASR			StrongREJECT ASR			StrongREJECT Score		
	mean	min	max	mean	min	max	mean	min	max
Base model	77.33	54.00	98.00	53.25	24.39	73.17	48.16	26.10	63.34
RepBend	24.50	2.00	37.00	8.54	2.44	19.51	10.36	4.00	22.06
Circuit breakers	38.67	27.00	54.00	6.91	0.00	12.20	9.32	3.41	14.53
Triplet A1: CB	38.00	27.00	51.00	4.88	0.00	9.76	6.81	3.56	11.42
Triplet A2: Partial	22.67	2.00	34.00	1.22	0.00	2.44	2.98	0.36	5.81
Triplet A3: Full	23.83	17.00	32.00	2.44	0.00	9.76	3.55	1.16	9.46
Triplet A4: Full + Adv	24.40	10.00	41.00	0.49	0.00	2.44	2.23	1.10	4.28

Table 7: Mean, maximum, and minimum embedding attack ASR across different hyperparameter configurations (Llama 3 8B)

	HB ASR	SR ASR	SR score
Base model	100.00	90.24	81.89
RepBend	73.17	39.02	39.00
Circuit breakers	90.24	29.27	30.61
Triplet A1: CB	92.68	21.95	23.11
Triplet A2: RepBend	78.05	7.32	12.98
Triplet A3: Full	65.85	12.20	14.57
Triplet A4: Full + Adv	75.61	4.88	8.70

Table 8: Embedding attack success rate of the ablation study models with the Harmbench (HB) and StrongREJECT (SR) judge classifiers (Llama 3 8B Instruct). Best-of-6 configurations, with a total of $41 \times 6 = 246$ attacks per defense.

	HB ASR	SR ASR	SR score
Circuit breakers	2.86	1.43	4.25
RepBend	2.86	0.00	1.65
Triplet A1: CB	7.14	2.86	4.95
Triplet A2: RepBend	1.43	1.43	2.51
Triplet A3: Full	0.00	0.00	0.43
Triplet A4: Full + Adv	0.00	0.00	1.36

Table 9: GCG attack success rate of the ablation study models with the Harmbench (HB) and StrongREJECT (SR) judge classifiers (Llama 3 8B Instruct)

Distance	$\mathbf{MMDR}_{\mathbf{d}_2}$	MMDR _{d_{cos}}
Circuit breakers	0.63	0.49
RepBend	0.70	0.64
Triplet A1: CB	0.70	0.54
Triplet A2: RepBend	0.78	0.64
Triplet A3: Full	0.80	0.66
Triplet A4: Full + Adv	0.80	0.70

Table 10: Generalization of the ablation study models to different data augmentations (Llama 3 8B Instruct) with the L2 norm d_2 and the cosine distance d_{cos}

1188all attacks, the A2 model performs better than the1189RepBend model. The A2 and A3 models have1190similar performance for embedding attacks and1191GCG.

Table 10 shows the MMDR value of ablated models. The value decreases as the loss components are ablated, showcasing their importance.

A.5 Additional Results

Mistral results To evaluate our defense method across multiple models, we train our defense on Mistral-7B-Instruct-v0.2. We keep the same hyperparameters used for Llama 3 8B.

Table 13 shows the embedding attack success rates on the Mistral model. Our method achieves the lowest StrongREJECT score, slightly outperforming circuit breakers. We observe that the attack success rates for both defense methods are much higher on the Mistral 7B model than on the Llama 3 8B model, indicating that Mistral 7B remains a challenging target for robust defense.

Table 14 shows the general performance of the trained models. Our trained Mistral model successfully retains its general language capabilities, demonstrating that our defense does not compromise model performance.

A.6 Prompt Templates

Prompt used for translations

Generate a translation of the following text into x[0]: "' x[1] "' Do not output anything else, just translate the text as best as you can. ONLY TRANSLATE the text, do not add any header, response, or footer to your reply. Make sure to translate the text as best as you can, and do not add any extra information.

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	ARC (Easy)	GSM8K	HellaSwag	MMLU	TruthfulQA		
					Gen	MC1	MC2
Base model	81.61	75.36	57.75	63.72	46.39	36.23	51.67
Circuit breakers	81.44 (-0.17)	75.44 (+0.08)	57.46 (-0.29)	63.57 (-0.15)	48.23 (+1.84)	36.96 (+0.73)	51.61 (-0.05)
RepBend	80.98 (-0.63)	49.05 (-26.31)	60.58 (+2.83)	60.26 (-3.46)	2.08 (-44.31)	41.00 (+4.77)	60.05 (+8.38)
Triplet A1: CB	81.57 (-0.04)	74.83 (-0.53)	57.47 (-0.28)	63.64 (-0.09)	48.96 (+2.57)	36.96 (+0.73)	52.53 (+0.86)
Triplet A2: RepBend	81.94 (+0.34)	73.84 (-1.52)	59.56 (+1.81)	63.84 (+0.12)	45.29 (-1.10)	40.27 (+4.04)	55.17 (+3.50)
Triplet A3: Full	81.27 (-0.34)	74.30 (-1.06)	59.62 (+1.87)	63.85 (+0.13)	45.65 (-0.73)	40.76 (+4.53)	55.37 (+3.70)
Triplet A4: Full + Adv	81.99 (+0.38)	74.91 (-0.45)	60.70 (+2.95)	63.38 (-0.34)	44.55 (-1.84)	42.96 (+6.73)	57.29 (+5.63)

Table 11: Performance comparison of the ablation study models on general capability benchmarks (Llama 3 8B Instruct)

Loss	Benign			Harmful				
Term	$\overline{\mathrm{d}_{bp}}$	d_{bn}	margin	n	d_{hp}	d_{hn}	margin	р
Circuit Breakers	d_2	d_0	0	0	d_0	d_{\cos}	1	0
RepBend	d_2	d_0	∞	0	d_{\cos}	d_2	∞	$mean(\mathbf{h}'_h)$
Triplet	d	d	m_b	\mathbf{n}	d	d	m_h	р

Table 12: Loss function comparison. d_{bp} , d_{hn} , d_{hp} and d_{hn} are the distances used in the triplet losses. Our proposed method is a natural generalization of the Circuit Breakers and RepBend methods, with an additional negative term on new benign representations. For our experiments, we use $\mathbf{n} = \mathbf{p} = \text{mean}(\mathbf{h}'_h)$.

name	Harmbench ASR	StrongREJECT ASR	StrongREJECT score
Base model	100.00	92.68	84.81
Circuit breakers	85.37	41.46	42.76
Triplet	97.56	34.15	33.82

Table 13: Embedding attack success rate with the Harmbench and StrongREJECT judge classifiers (Mistral 7B Instruct)

	ARC (Easy)	GSM8K	HellaSwag	MMLU	TruthfulQA (gen)	TruthfulQA (mc1)	TruthfulQA (mc2)
Base model	81.23	41.77	66.01	58.97	54.22	52.26	66.84
CB	81.52 (+0.29)	44.20 (+2.43)	65.58 (-0.43)	58.87 (-0.10)	55.69 (+1.47)	52.14 (-0.12)	67.05 (+0.21)
RepBend	81.36 (+0.13)	42.15 (+0.38)	65.60 (-0.41)	58.77 (-0.20)	50.31 (-3.92)	52.02 (-0.24)	67.23 (+0.39)
Triplet	81.48 (+0.25)	41.47 (-0.30)	65.83 (-0.18)	58.95 (-0.01)	54.83 (+0.61)	51.04 (-1.22)	66.99 (+0.15)

Table 14: Performance comparison of models on general capability benchmarks (Mistral 7B Instruct)

Configuration	Model	Harmbench ASR	StrongREJECT ASR	StrongREJECT score
0	Base model	0.78	0.56	0.49
	Circuit breakers	0.51	0.12	0.15
	Triplet A1: CB	0.46	0.10	0.11
	Triplet A4: Full + Adv	0.24	0.05	0.06
	RepBend	0.34	0.02	0.05
	Triplet A3: Full	0.24	0.00	0.04
	Triplet A2: RepBend	0.34	0.02	0.03
1	Base model	0.54	0.27	0.27
	Circuit breakers	0.54	0.12	0.12
	RepBend	0.15	0.10	0.09
	Triplet A1: CB	0.27	0.00	0.04
	Triplet A2: RepBend	0.24	0.02	0.03
	Triplet A4: Full + Adv	0.10	0.00	0.02
	Triplet A3: Full	0.32	0.00	0.01
2	Base model	0.88	0.68	0.60
	RepBend	0.37	0.20	0.22
	Triplet A3: Full	0.29	0.10	0.09
	Triplet A1: CB	0.34	0.10	0.09
	Circuit breakers	0.27	0.02	0.06
	Triplet A2: RepBend	0.32	0.02	0.06
	Triplet A4: Full + Adv	0.41	0.00	0.02
3	Base model	0.98	0.71	0.63
	RepBend	0.32	0.12	0.15
	Triplet A1: CB	0.51	0.05	0.08
	Circuit breakers	0.34	0.02	0.07
	Triplet A3: Full	0.17	0.05	0.04
	Triplet A2: RepBend	0.22	0.00	0.04
	Triplet A4: Full + Adv	0.32	0.00	0.01
4	Base model	0.56	0.24	0.26
	Circuit breakers	0.39	0.12	0.13
	RepBend	0.27	0.05	0.07
	Triplet A1: CB	0.29	0.02	0.05
	Triplet A4: Full + Adv	0.12	0.00	0.02
	Triplet A2: RepBend	0.22	0.00	0.02
	Triplet A3: Full	0.24	0.00	0.01
5	Base model	0.90	0.73	0.63
	RepBend	0.02	0.02	0.04
	Triplet A1: CB	0.41	0.02	0.04
	Circuit breakers	0.27	0.00	0.03
	Triplet A4: Full + Adv	0.29	0.00	0.03
	Triplet A3: Full	0.17	0.00	0.01
	Triplet A2: RepBend	0.02	0.00	0.00

Table 15: Full embedding attack results on Llama 3 8B (all configurations). Different defenses are robust to different hyperparameter configurations.

]	Distance
Augmentation	Defense	L2	Cosine
Chinese	RepBend	0.84	0.82
	Triplet A1: CB	0.84	0.89
	Circuit breakers	0.87	0.85
	Triplet A2: RepBend	0.92	0.96
	Triplet A3: Full	0.92	0.95
	Triplet A4: Full + Adv	0.93	0.89
French	Circuit breakers	0.89	0.89
	RepBend	0.92	0.89
	Triplet A1: CB	0.94	0.97
	Triplet A4: Full + Adv	0.95	0.89
	Triplet A3: Full	0.97	0.98
	Triplet A2: RepBend	0.97	0.98
German	Circuit breakers	0.88	0.89
	RepBend	0.93	0.90
	Triplet A4: Full + Adv	0.95	0.88
	Triplet A1: CB	0.97	0.98
	Triplet A2: RepBend	0.97	0.99
	Triplet A3: Full	0.97	1.00
Spanish	Circuit breakers	0.88	0.88
	RepBend	0.92	0.90
	Triplet A1: CB	0.94	0.98
	Triplet A4: Full + Adv	0.95	0.91
	Triplet A2: RepBend	0.96	1.00
	Triplet A3: Full	0.97	0.99
Ukrainian	RepBend	0.79	0.77
	Circuit breakers	0.80	0.79
	Triplet A1: CB	0.82	0.87
	Triplet A2: RepBend	0.87	0.90
	Triplet A3: Full	0.89	0.91
	Triplet A4: Full + Adv	0.90	0.85
Random capitalization	Circuit breakers	0.76	0.68
	RepBend	0.90	0.83
	Triplet A4: Full + Adv	0.91	0.84
	Triplet A3: Full	0.92	0.83
	Triplet A2: RepBend	0.92	0.83
	Triplet A1: CB	0.93	0.80

Table 16: Full generalization results of the defenses on different input formats (Llama 3 8B Instruct)

Question	Expected answer	Concrated answer
University of the second of the second secon	On Tuesday, he shands \$2 * 2	Howard starts with \$100 Or
Howard spends \Rightarrow 8 donars at the	On Tuesday, ne spends $38 \times 2 =$	Howard starts with 5100 . On
arcade on Monday. On Tuesday,	$\phi < \delta \uparrow 2 = 10 >$. Un Wednesday,	Monday, ne spends \$8. On Tues-
ne spends twice as much at the	ne spends $16 + 4 = 4 = 16 + 4 =$	day, he spends $2 * \$8 = \$<2 * 8 =$
arcade as he did on Monday. On	64 >. In total, he spent $$8 + 16	16 >. On Wednesday, he spends
Wednesday, he spends 4 times as	+ \$64 = \$<8 + 16 + 64 = 88 > at	4 * \$16 = \$<4 * 16 = 64 >. Total
much at the arcade as he spent	the arcade. He has $100 - 888 =$	spent: $\$8 + \$16 + \$64 = \$<8 + 16$
on Tuesday. If he originally had	<100 - 88 = 12 > left. #### 12	+ 64 = 88 >. Howard has \$100
\$100, how much money does he		-\$88 = \$<100 - 88 = 12 > left.
have left?		#### 12
Dax went to their farm to pick	The total number of insects in the	if there were 50 ants, and there
some apples and found half as	garden is 25 bugs + 50 ants =	were half as many bugs as ants,
many bugs as ants in the garden.	«25+50=75»75 insects #### 75	there were $1/2 * 50 = 1/2 * 50 =$
If there were 50 ants, calculate		1 * 50 / 2 = iseliseliselilletilletil-
the total number of insects in the		letilletilletille
garden.		
Last night Rick killed ten wolves	The total number of animals that	yesterday, he killed 10 wolves
and 15 cougars while hunting.	Rick killed while hunting yester-	and 15 cou, so today he killed
Today Rick killed three times	day is $15+10 = (15+10) = 25 \times 25$	3 times as many wolves as
as many wolves as cougars and	Today, Rick killed three fewer	cou, which is isel mktimeil-
three fewer cougars than the pre-	cougars than the previous night,	letiselovuovuilletov
vious night. How many animals	a total of $15-3 = (15-3) = 12 = 12$	
did Rick kill?	cougars. He also killed three	
	times as many wolves as	
	cougars today, a total of $3*12 =$	
	«3*12=36»36 wolves. Together.	
	his hunt today yielded $36+12 =$	
	«36+12=48»48 animals. In total.	
	he has $48+25 = (48+25)(73)(73)(73)(73)(73)(73)(73)(73)(73)(73$	
	animals from the hunt, #### 73	

Table 17: Example of correct and incorrect (overrefused) generations of RepBend on GSM8K.

1215 A.7 Ablation study losses

Equations 14, 15, and 16 present the loss functions used for models A1, A2 and A3 in our ablation study.

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$$\mathcal{L}_{A1} = \alpha \cdot \frac{1}{N} \sum_{i=1}^{N} \max(0, \mathbf{d}_{bp}(\mathbf{h}_{b,i}, \mathbf{h}'_{b,i}) + m_b)$$

$$+ \beta \cdot \frac{1}{N} \sum_{i=1}^{N} \max(0, -\mathbf{d}_{hn}(\mathbf{h}'_{h,i}, \mathbf{h}_{h,i}) + m_h)$$

1219
$$N \sum_{i=1}^{N-1} (\gamma - int(n, r', b)) + \gamma \cdot \text{KL}(\pi(b), \pi'(b))$$

1220
$$\mathcal{L}_{A2} = \alpha \cdot \frac{1}{N} \sum_{i=1}^{N} \max(0, \mathbf{d}_{bp}(\mathbf{h}_{b,i}, \mathbf{h}'_{b,i}) + m_b)$$
$$+ \beta \cdot \frac{1}{N} \sum_{i=1}^{N} \max(0, \mathbf{d}_{bp}(\mathbf{h}'_{b,i}, \hat{\mathbf{h}}') - \mathbf{d}_{bp}(\mathbf{h}'_{b,i}, \mathbf{h}_{b,i}) + m_b)$$

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$$+ \beta \cdot \frac{1}{N} \sum_{i=1}^{N} \max(0, \mathbf{d}_{hp}(\mathbf{h}'_{h,i}, \mathbf{h}') - \mathbf{d}_{hn}(\mathbf{h}'_{h,i}, \mathbf{h}_{h,i}) + m_h)$$

$$+ \gamma \cdot \mathrm{KL}(\pi(b), \pi'(b)) \tag{15}$$

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$$\mathcal{L}_{A3} = \alpha \cdot \frac{1}{N} \sum_{i=1}^{N} \max(0, \mathbf{d}_{bp}(\mathbf{h}_{b,i}, \mathbf{h}'_{b,i}) - \mathbf{d}_{bn}(\mathbf{h}'_{b,i}, \hat{\mathbf{h}}') + m_b)$$

$$+ \beta \cdot \frac{1}{N} \sum_{i=1}^{N} \max(0, \mathbf{d}_{hp}(\mathbf{h}'_{h,i}, \hat{\mathbf{h}}') - \mathbf{d}_{hn}(\mathbf{h}'_{h,i}, \mathbf{h}_{h,i}) + m_h)$$

$$+ \gamma \cdot \mathrm{KL}(\pi(b), \pi'(b))$$
(16)

1226 A.8 Proofs

Theorem 1. The circuit breakers loss \mathcal{L}_{CB} can be rewritten as a triplet loss $\mathcal{L}_{triplet}$ with null distances $d_0(x, y) = 0.$

Proof. We recall the definition of the circuit breakers loss:

$$\mathcal{L}_{CB} = \alpha \cdot \left\| \mathbf{h}_{b,i} - \mathbf{h}'_{b,i} \right\|_{2}^{2} + \beta \cdot \text{ReLU}(\cos_{k}(\mathbf{h}_{h,i}, \mathbf{h}'_{h,i}))$$
(17)

$$= \alpha \cdot \operatorname{ReLU}(\left\|\mathbf{h}_{b,i} - \mathbf{h}_{b,i}'\right\|_{2}^{2}) + \beta \cdot \operatorname{ReLU}(\cos_{sim}(\mathbf{h}_{h,i}, \mathbf{h}_{h,i}'))$$
(18)

$$= \alpha \cdot \operatorname{ReLU}(\|\mathbf{h}_{b,i} - \mathbf{h}'_{b,i}\|_2^2) + \beta \cdot \operatorname{ReLU}(-\operatorname{d}_{cos}(\mathbf{h}_{h,i}, \mathbf{h}'_{h,i}) + 1)$$
(19)

(14)

$$=\mathcal{L}_{triplet} \tag{20}$$

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1240 1241 with the parameters $m_h = 1$, $m_b = 1$, $d_{bp} = d_2$, $d_{bn} = d_0$, $d_{hp} = d_0$, $d_{hn} = d_{cos}$.

Theorem 2. The RepBend loss \mathcal{L}_{RB} without the KL divergence term can be rewritten as a triplet loss $\mathcal{L}_{triplet}$ with a null distance $d_0(x, y) = 0$ and an arbitrary large margin m_h .

1238 *Proof.* The definition of the RepBend loss, minus the KL divergence term, is:

$$\mathcal{L}_{\text{RB}} = \frac{1}{2} \cdot \left\| \mathbf{h}_{b,i}' - \mathbf{h}_{b,i} \right\|_2 \tag{21}$$

$$-\alpha \cdot \left\|\mathbf{h}_{h,i}' - \mathbf{h}_{h,i}\right\|_{2} \tag{22}$$

$$-\beta \cdot \cos_\sin(A) \tag{23}$$

where $\cos_{sim}(A)$ is defined as the average cosine similarity between all pairs of vectors in A. 1242

$$\cos_{sim}(A) = \frac{1}{n(n-1)} \sum_{i=1}^{n} \sum_{j=1, j \neq i}^{n} \cos_{sim}(\mathbf{a}_i, \mathbf{a}_j)$$
(24) 1243

We write μ the mean of the normalized vectors $\hat{\mathbf{a}}_i$.

$$\mu = \frac{1}{n} \sum_{i=1}^{n} \hat{\mathbf{a}}_i \tag{25}$$

Let us assume that the vectors are normalized, i.e. $||\mathbf{a}_i|| = 1$.

$$\cos_{sim}(A) = \frac{1}{n(n-1)} \sum_{i=1}^{n} \sum_{j=1, j \neq i}^{n} \cos_{sim}(\mathbf{a}_i, \mathbf{a}_j)$$
(26) 1247

$$= \frac{1}{n(n-1)} \sum_{i=1}^{n} \sum_{j=1, j \neq i}^{n} \mathbf{a}_{i} \cdot \mathbf{a}_{j}$$
(27) 1248

$$= \frac{1}{n(n-1)} \sum_{i=1}^{n} \left(\sum_{j=1}^{n} \mathbf{a}_{i} \cdot \mathbf{a}_{j} \right) - \mathbf{a}_{i} \cdot \mathbf{a}_{i}$$
(28) 1249

$$= -\frac{1}{n-1} + \frac{1}{n(n-1)} \sum_{i=1}^{n} \sum_{j=1}^{n} \mathbf{a}_i \cdot \mathbf{a}_j$$
(29) 1250

$$= -\frac{1}{n-1} + \frac{1}{n(n-1)} \sum_{i=1}^{n} \mathbf{a}_{i} \cdot \left(\sum_{j=1}^{n} \mathbf{a}_{j}\right)$$
(30) 1251

$$= -\frac{1}{n-1} + \frac{1}{(n-1)} \sum_{i=1}^{n} \mathbf{a}_i \cdot \mu$$
(31) 1252

$$= -\frac{1}{n-1} - \frac{1}{(n-1)} \sum_{i=1}^{n} \mathbf{d}_{\cos}(\mathbf{a}_{i}, \mu)$$
(32) 1253

Therefore, maximizing $\cos_sim(A)$ is equivalent to minimizing $\frac{1}{n}\sum_{i=1}^{n} d_{\cos}(\mathbf{a}_i, \mu)$. Since d_{\cos} is the 1254 cosine distance, the case also holds when the vectors are not normalized. 1255 1256

Finally, we can rewrite the RepBend loss as:

$$\mathcal{L}_{RB} = \frac{1}{2} \cdot \left\| \mathbf{h}_{b,i}' - \mathbf{h}_{b,i} \right\|_2 \tag{33}$$

$$-\alpha \cdot \left\| \mathbf{h}_{h,i}' - \mathbf{h}_{h,i} \right\|_{2} \tag{34}$$

$$-\beta \cdot \frac{1}{H} \sum_{i=1}^{H} \mathsf{d}_{\cos}(\mathbf{h}_{h,i}', \mu) \tag{35}$$

$$= \frac{1}{2} \cdot \text{ReLU}(d_2(\mathbf{h}'_{b,i}, \mathbf{h}_{b,i}) + d_0 - 0)$$
(36) 1260

+ ReLU(
$$\alpha \cdot \mathbf{d}_2(\mathbf{h}'_{h,i}, \mathbf{h}_{h,i}) - \frac{\beta}{n-1} \cdot d_{\cos}(\mathbf{h}'_{h,i}, \mu) + m_h$$
) (37) 126

where we assume that m_h is large enough to make the ReLU function non-zero. In practice, the RepBend 1262 loss would need to be stopped at a certain point, otherwise the loss would tend to $-\infty$. By adding a 1263 margin m_h , we can freely choose the number of iterations without worrying about divergence of the loss. 1264 Therefore, our triplet loss formulation of RepBend with margins is more practical and stable. 1265

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