LUDVIG: LEARNING-FREE UPLIFTING OF 2D VISUAL FEATURES TO GAUSSIAN SPLATTING SCENES

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Abstract

We address the problem of extending the capabilities of vision foundation models such as DINO, SAM, and CLIP, to 3D tasks. Specifically, we introduce a novel method to uplift 2D image features into 3D Gaussian Splatting scenes. Unlike traditional approaches that rely on minimizing a reconstruction loss, our method employs a simpler and more efficient feature aggregation technique, augmented by a graph diffusion mechanism. Graph diffusion enriches features from a given model, such as CLIP, by leveraging pairwise similarities that encode 3D geometry or similarities induced by another embedding like DINOv2. Our approach achieves performance comparable to the state of the art on multiple downstream tasks while delivering significant speed-ups. Notably, we obtain competitive segmentation results using generic DINOv2 features, despite DINOv2 not being trained on millions of annotated segmentation masks like SAM. When applied to CLIP features, our method demonstrates strong performance in open-vocabulary, language-based object detection tasks, highlighting the versatility of our approach.

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1 INTRODUCTION

The field of image understanding has recently seen remarkable progress, driven by large pretrained models such as CLIP (Radford et al., 2021), DINO (Caron et al., 2021; Oquab et al., 2024), or SAM (Kirillov et al., 2023). A key factor behind their exceptional generalization capabilities lies in the vast size of their training datasets, often composed of millions or even billions of samples.

3D scene representation has also advanced with machine learning approaches like NeRF (Mildenhall
 et al., 2021) and model fitting techniques such as Gaussian Splatting (Kerbl et al., 2023). These
 methods typically rely on a few dozen views of the scene captured from different angles. While the
 resulting reconstructions effectively capture both appearance and geometrical information, they are
 not directly applicable to semantic tasks, which has led to further developments.

The complementarity of these two families of approaches has indeed recently been exploited by numerous methods that integrate geometry and semantics by uplifting image-level features extracted by large pretrained models into 3D NeRF or Gaussian Splatting representations. This has led to a surge in methods for tasks such as language-guided object retrieval (Kerr et al., 2023; Liu et al., 2023; Zuo et al., 2024), scene editing, (Kobayashi et al., 2022; Chen et al., 2024; Fan et al., 2023), or semantic segmentation (Cen et al., 2023; Ye et al., 2024a; Ying et al., 2024).

The main limitation of most previous approaches lies in their reliance on optimization, which requires an iterative process to learn a scene-specific 3D representation by minimizing reprojection
error across all training views. While this loss function is intuitive, a faster and more straightforward method for transferring 2D generic visual features to *already trained* Gaussian splatting 3D
models would be preferable, which is the purpose of this work.

In this paper, we demonstrate that a simple, learning-free process is highly effective for uplifting 2D features or semantic masks into 3D Gaussian Splatting scenes. This process, which can be viewed as an 'inverse rendering' operation, is both computationally efficient and adaptable to any feature type. We showcase its efficiency by uplifting visual features from DINOv2 (Oquab et al., 2024; Darcet et al., 2024), semantic masks from SAM (Kirillov et al., 2023) and SAM2 (Ravi et al., 2024), and language features from CLIP (Ilharco et al., 2021). Then, we show that a graph diffusion mechanism (Kondor & Lafferty, 2002; Smola & Kondor, 2003) is helpful for feature uplifting in

3D scenes. This mechanism is rooted in spectral graph theory and used in spectral clustering techniques (Belkin & Niyogi, 2001; Shi & Malik, 2000; Meila & Shi, 2000). In the context of our
work, it serves multiple purposes: first, it enriches 3D features obtained from a given model such as
CLIP with 3D geometry, and it may leverage rich features embeddings such as DINOv2. Second,
graph diffusion transforms coarse segmentation inputs, such as scribbles, into accurate 3D segmentation masks without relying on segmentation models like SAM. When evaluated on segmentation
and open-vocabulary object localization, our method achieves results comparable to state-of-the-art
techniques while being significantly faster than previous approaches relying on optimization.

To summarize, our contributions are threefold: (i) we introduce a simple, learning-free uplifting approach that can be directly integrated into the rendering process, achieving state-of-the-art results when applied to SAM-generated semantic masks. (ii) we demonstrate that when using graph diffusion, uplifting DINOv2 features, yields competitive segmentation results (Section 4), despite DINOv2 not being trained for segmentation like SAM. (iii) We show that graph diffusion can also be used to enrich 3D CLIP representations, leveraging similarities computed from DINOv2 features, thereby achieving competitive performance on open-vocabulary object localization tasks.

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2 RELATED WORK

072 Learning 3D semantic scene representations with NeRF. NeRF (Mildenhall et al., 2021) uses 073 a multilayer perceptron to predict the volume density and radiance for any given 3D position and viewing direction. Such representation can naturally be extended to semantic features. The early 074 works N3F (Tschernezki et al., 2022) and DFF (Kobayashi et al., 2022) distill DINO 2D (i.e., image-075 level) features (Caron et al., 2021) in scene-specific NeRF representations. Kobayashi et al. (2022) 076 also distill LSeg (Li et al., 2022) a CLIP-inspired language-driven model for semantic segmentation. 077 Shortly after, LERF (Kerr et al., 2023) and 3D-OVS (Liu et al., 2023) learned 3D CLIP (Radford et al., 2021) and DINO (Caron et al., 2021) features jointly for open-vocabulary segmentation. These 079 works were extended to other pretrained models such as latent diffusion models (Ye et al., 2023) or 080 SAM (Kirillov et al., 2023) for semantic segmentation (Cen et al., 2023c; Ying et al., 2024). 081

Learning 3D semantic scene representations with Gaussian splatting. Subsequent work have relied on the more recent Gaussian splatting method (Kerbl et al., 2023), achieving high-quality 083 novel-view synthesis while being orders of magnitude faster that NeRF-based models. Several tasks 084 have been addressed such as semantic segmentation using SAM (Cen et al., 2023b; Ye et al., 2024a; 085 Kim et al., 2024), language-driven retrieval or editing using CLIP combined with DINO (Zuo et al., 2024) or SAM (Ye et al., 2023), or scene editing using diffusion models (Chen et al., 2024; Wang 087 et al., 2024). These works learn 3D semantic representations by minimizing a reprojection loss. As 088 a single scene can be represented by over a million Gaussians, such optimization-based techniques 089 have strong memory and computational limitations. To handle these, FMGS (Zuo et al., 2024) employs a multi-resolution hash embedding (MHE) of the scene for uplifting DINO and CLIP representations, Feature 3DGS (Zhou et al., 2024) learns a 1×1 convolutional upsampler of Gaussians' 091 features distilled from LSeg and SAM's encoder and LangSplat (Qin et al., 2024) learns an au-092 to encoder to reduce CLIP feature dimension from 512 to 3. In contrast, our approach requires no 093 learning, which significantly speeds up the uplifting process and reduces the memory requirements. 094

Leveraging 3D information to better segment in 2D. Most prior works focusing on semantic 096 segmentation leverage 2D models specialized for this task. The early work of Yen-Chen et al. (2022) 097 uplifts learned 2D image inpainters by optimizing view consistency over depth and appearance. Later, subsequent works have mostly relied on uplifting either features from SAM's encoder (Zhou 098 et al., 2024), binary SAM masks (Cen et al., 2023c;b), or SAM masks automatically generated for all objects in the image (Ye et al., 2024a; Ying et al., 2024; Kim et al., 2024). The latter approach 100 is computationally expensive, as it requires querying SAM on a grid of points over the image. It 101 also requires matching inconsistent mask predictions across views, with e.g. a temporal propagation 102 model (Ye et al., 2024a) or a hierarchical learning approach (Kim et al., 2024), which introduces 103 additional computational overhead. In this work, we focus on single instance segmentation and 104 show that our uplifted features are on par with state-of-the-art approaches (Cen et al., 2023c;b; 105 Ying et al., 2024). Standing out from prior work uplifting DINO features (Tschernezki et al., 2022; 106 Kobayashi et al., 2022; Kerr et al., 2023; Liu et al., 2023; Ye et al., 2023; Zuo et al., 2024), we 107 quantitatively show that DINOv2 features can be used on their own for semantic segmentation and rival SAM-based models through a simple graph diffusion process that leverages 3D geometry.

108 Learning 3D CLIP features for open-vocabulary object localization. For learning 3D CLIP 109 features, prior works leverage vision models such as DINO or SAM. DINO is used to regularize and 110 refine CLIP features (Kerr et al., 2023; Liu et al., 2023; Zuo et al., 2024), while SAM is employed for 111 generating instance-level CLIP representations. These approaches suffer from high computational 112 costs, resorting to either dimensionality reduction or efficient multi-resolution embedding representations, and usually run for a total of one to two hours for feature map generation and 3D feature 113 optimization. In contrast, our approach bypasses the high computational cost of gradient-based opti-114 mization and, combined with graph diffusion, is an order of magnitude faster than these prior works. 115 116

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3 UPLIFTING 2D VISUAL REPRESENTATIONS INTO 3D

In this section, we present a simple yet effective method for lifting 2D visual features into 3D using Gaussian splatting and discuss its relation with more expensive optimization-based techniques.

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133 134 3.1 BACKGROUND ON GAUSSIAN SPLATTING

Scene representation. The Gaussian splatting method consists in modeling a 3D scene as a set of *n* Gaussians densities \mathcal{N}_i , each defined by a mean μ_i in \mathbb{R}^3 , a covariance Σ_i in $\mathbb{R}^{3\times3}$, an opacity σ_i in (0, 1), and a color function $c_i(d)$ that depends on the camera pose *d*.

A 2D frame at a given view is an image rendered by projecting the 3D Gaussians onto a 2D plane, parametrized by the camera pose d. This projection accounts for the opacity of the Gaussians and the order in which rays associated with each pixel pass through the densities. More precisely, a pixel p for a view d is associated to an ordered set $S_{d,p}$ of Gaussians and its value is obtained by their weighted contributions:

$$\hat{I}_d(p) = \sum_{i \in \mathcal{S}_{d,p}} c_i(d) w_i(d,p).$$
(1)

The above weights are obtained by α -blending, i.e. $w_i(d, p) = \alpha_i(d, p) \prod_{j \in S_{d,p}, j < i} (1 - \alpha_j(d, p))$, where the Gaussian contributions $\alpha_i(d, p)$ are computed by multiplying the opacity σ_i by the Gaussian density \mathcal{N}_i projected onto the 2D plane at pixel position p.

Scene optimization. Let I_1, \ldots, I_m be a set of 2D frames from a 3D scene and d_1, \ldots, d_m the corresponding viewing directions. Gaussian Splatting optimizes the parameters involved in the scene rendering function described in the previous section. This includes the means and covariances of the Gaussian densities, their opacities, and the color function parametrized by spherical harmonics. Denoting by θ these parameters, the following reconstruction loss is used

$$\min_{\theta} \frac{1}{m} \sum_{k=1}^{m} \mathcal{L}(I_k, \hat{I}_{d_k, \theta}),$$
(2)

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where $I_{d_k,\theta}$ is the rendered frame of the scene in the direction d_k , as in Eq. (1), by using the parameters θ , and \mathcal{L} is a combination of ℓ_1 and SSIM loss functions (Kerbl et al., 2023).

3.2 UPLIFTING OF 2D FEATURE MAPS INTO 3D

Given a set of m 2D training frames and the corresponding 3D scene obtained by Gaussian Splatting, our goal is to compute generic features f_i in \mathbb{R}^c for each Gaussian i, which would be effective for solving future downstream tasks, *e.g.*, high-resolution semantic segmentation for new frames of the scene, or robot navigation. In other words, f_i can be seen as an extension of the color function c_i , even though, for simplicity, we do not consider view-dependent features in this work.

A natural approach is to consider a pre-trained vision model that provides 2D feature maps for each of the m frames used in Gaussian splatting, and then devise a technique to *uplift* these 2D feature maps into 3D. This uplifting principle can also be directly applied to semantic masks instead of generic features, as demonstrated in Section 5. Interestingly, once the features f_i are computed for each Gaussian i, it is possible to *render* two-dimensional feature maps for any new view, at a resolution that can be much higher than the feature maps computed for the m training frames. 162 Uplifting with simple aggregation. We construct uplifted features for each 3D Gaussian of the 163 3D Gaussian Splatting scene as a weighted average of 2D features from all frames. Each 2D feature 164 $F_{d,p}$ from a frame at a given viewing direction d and pixel p contributes to the feature f_i by a 165 factor proportional to the rendering weight $w_i(d, p)$, if the Gaussian i belongs to the ordered set $S_{d,p}$ 166 associated to the view/pixel pair (d, p). The resulting features are then normalized to maintain the 167 same order of magnitude as the original 2D features, thus resulting in the following simple equation:

$$f_{i} = \sum_{d=1}^{m} \sum_{p} \bar{w}_{i}(d, p) F_{d, p} \quad \text{with} \quad \bar{w}_{i}(d, p) = \frac{\mathbb{1}_{i \in \mathcal{S}_{d, p}} w_{i}(d, p)}{\sum_{d=1}^{m} \sum_{p} \mathbb{1}_{i \in \mathcal{S}_{d, p}} w_{i}(d, p)}, \tag{3}$$

171 where $\mathbb{1}_{i \in S_{d,p}}$ is equal to 1 if the Gaussian *i* belongs to $S_{d,p}$ and 0 otherwise. We can interpret 172 this equation as a normalized version of the transposed rendering operation over the m viewing 173 directions. More precisely, the rendering of any view-independent collection of features $\mathbf{f} = (f_i)$ 174 attached to the n Gaussians into the m training frames can be represented as a linear operator W175 acting on the collection **f** and returning a collection of 2D feature maps $\hat{\mathbf{F}} = (\hat{F}_{d,p})$, see (4) below. 176 Here, the matrix W consists of all rendering weights $\mathbb{1}_{i \in S_{d,p}} w_i(d,p)$ at row (d,p) and column i, 177 and \mathbf{F} is a 2D matrix containing all (flattened) 2D feature maps generated for all cameras poses, 178 with $\mathbf{\hat{F}}_{d,p}$ pointing to the feature of pixel p viewed from camera pose d. Similarly, the uplifting 179 expression introduced in Eq. (3) can be expressed in terms of the transpose of W and a diagonal matrix D of size m representing the normalization factor and whose diagonal elements are obtained 181 by summing over the rows of W as in Eq. (5) below:

Rendering to *m* frames

$$\hat{\mathbf{F}} = W\mathbf{f},$$
 (4) $\mathbf{f} = D^{-1}W^{\top}\mathbf{F}.$ (5)

It is important to note that W and D are not explicitly constructed. Instead, they are computed by calling the forward rendering function for Gaussian Splatting and replacing the color vectors 187 by the feature vectors. All these operations are performed within the CUDA rendering process. 188 The procedure in (5), illustrated in Figure 1, bears similarity with the one from Chen et al. (2024) 189 for uplifting 2D binary masks to a 3D Gaussian splatting scene. In their method, uplifted masks 190 are thresholded to create 3D binary masks that can be rendered into different 2D frames. Such a 191 thresholding operation would not be appropriate for uplifting generic features such as those from 192 DINOv2. Moreover, unlike in Eq. (3) and (5), Chen et al. (2024) propose to normalize their uplifted 193 masks based on the total count of view/pixel pairs (d, p) contributing to the mask of a Gaussian *i*, i.e. $\sum_{d=1}^{m} \sum_{p} \mathbb{1}_{i \in \mathcal{S}_{d,p}}$, without taking the rendering weight $w_i(d,p)$ into account. Consequently, 194 195 the uplifted features tend to have larger values for large, opaque Gaussians, making the rendering of 196 these features more likely to ignore details provided by smaller and more transparent Gaussians.

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$$\min_{\mathbf{f}} \mathcal{L}(\mathbf{f}) := \frac{1}{2} \|\mathbf{F} - W\mathbf{f}\|^2.$$
(6)

Such an approach requires using an optimization procedure which would be costly compared to the proposed uplifting method. Nevertheless, it is possible to interpret the proposed uplifting scheme in Eq. (5) as a single pre-conditioned gradient descent step on the reconstruction objective, starting from a **0** feature, *i.e.*, $\mathbf{f} = -D^{-1}\nabla \mathcal{L}(\mathbf{0})$. In practice, we found that performing more iterations on the objective $\mathcal{L}(\mathbf{f})$ did not result in particular improvement of the quality of the features, thus suggesting that the cheaper scheme in Eq. (5) is already an effective approach to uplifting.

Gaussian filtering The normalization $\beta_i = \sum_{d=1}^{m} \sum_p \mathbb{1}_{i \in S_{d,p}} w_i(d, p)$ serves as an estimator of the relative importance of each Gaussian in the scene. Therefore, it can be used as a criterion to prune the set of Gaussians for memory efficiency. In our experiments, we filter out half of the Gaussians based on β_i and observe no qualitative nor quantitative degradation of the results. This approach is inspired by prior work on efficient Gaussian Splatting representation such as proposed by Fan et al. (2023) that also prunes Gaussians based on their contribution to each pixel in the training frames.



Figure 1: Illustration of the inverse and forward rendering. In the inverse rendering (or uplifting) phase, features f are created for each 3D Gaussian by aggregating coarse 2D features F over all 232 viewing directions. For forward rendering, the 3D features f are projected on any given viewing 233 direction as in regular Gaussian splatting. The rendering weight $\bar{w}_i(d, p)$ represents the relative 234 influences of the Gaussian i on pixel p, defined in Eq. (3). 235

3.3 **ENRICHING FEATURES BY DIFFUSION ON GRAPHS**

239 DINOv2 features have shown remarkable performance on semantic segmentation tasks with simple 240 linear probing (Oquab et al., 2024), making them a good candidate to enrich features that lack such a property like CLIP (Wysoczańska et al., 2024; Zuo et al., 2024; Liu et al., 2023). Inspired by spectral clustering techniques (Shi & Malik, 2000; Kondor & Lafferty, 2002; Belkin & Niyogi, 242 2001), and aligning with the goals of recent work on 2D segmentation that improve CLIP features 243 with DINO (Wysoczańska et al., 2024), we then propose to *diffuse* features that have been uplifted to 3D by leveraging pairwise similarities induced by DINOv2 while taking into account 3D geometry. 245

Graph construction From uplifted DINOv2 features f in \mathbb{R}^n we construct a graph whose nodes are given by the 3D Gaussians and whose edges, represented by a matrix A of size $n \times n$, encode both the 3D Euclidean geometry between the nodes and the similarity between their DINOv2 features. 248

249 More precisely, each node i is connected to its k nearest neighbors $\mathcal{N}(i)$ as measured by the Eu-250 clidean distance between the centers of the 3D Gaussians. The edge weight between neighboring 251 nodes i and j is given by a local feature similarity $S_f(f_i, f_j)$ between their DINOv2 features, typ-252 ically a cosine similarity or an RBF kernel. For segmentation tasks, we prevent diffusion into the 253 background by adding a node-wise unary regularization term $P(f_i)$, a similarity between node feature f_i and some reference features \bar{f} . For details on S_f and P please refer to Appendix A.3. 254

$$A_{ij} = \mathbb{1}_{j \in \mathcal{N}(i)} S_f(f_i, f_j) P(f_i).$$
(7)

Diffusion on the graph. Given uplifted features g_0 in \mathbb{R}^n , which we would like to improve by using information encoded in A (3D geometry or DINOv2 similarities, or both), we perform Tdiffusion steps to construct a sequence of diffused features $(g_t)_{1 \le t \le T}$ defined as follows:

$$g_{t+1} = A\tilde{g}_t, \quad \tilde{g}_t = g_t / \|g_t\|_2,$$
(8)

which can be seen as performing a few steps of the power method, making q_0 closer to the dominant eigenspace of A. Note that depending on the downstream task, g_0 may be CLIP features, but it may also represent uplifted 2D segmentation masks provided by SAM.

FROM 3D UPLIFTING TO DOWNSTREAM TASKS 4

In this section, we describe our approach for uplifting DINOv2, SAM and CLIP models and evaluating the 3D features on two downstream tasks: segmentation and open-vocabulary object detection.

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As in Sec. 3, we are given a set of 2D frames I_1, \ldots, I_m , with camera poses d_1, \ldots, d_m and corresponding 3D scene obtained by the Gaussian Splatting method.

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4.1 MULTIPLE-VIEW SEGMENTATION

We assume that a *foreground mask* of the object to be segmented is provided on the *reference frame* I_1 . The foreground masks are either *scribbles* or a whole *reference mask* of the object, both of which define a set of *foreground pixels* \mathcal{P} . In the following, we present the proposed approaches for segmentation using SAM and DINOv2 features, based on both types of foreground masks.

Multiple-view Segmentation with SAM. SAM (Kirillov et al., 2023; Ravi et al., 2024) is a pow-280 erful model that can generate object segmentation masks from point prompts, on a single 2D image. 281 Aggregating SAM 2D segmentation masks in 3D allows for cross-view consistency and improves 282 single-view segmentation results. We proceed by generating 2D feature maps based on SAM seg-283 mentation masks of each training frame while only relying on the *foreground mask* for the reference 284 frame I_1 . The 2D feature maps are generated by constructing several sets of point prompts on each 285 training frame which are then provided to SAM to obtain several segmentation masks. The point 286 prompts are obtained using the *foreground mask* provided on the *reference frame* as described in 287 Appendix A.1. Averaging the resulting segementation masks for each frame results in the final 2D 288 SAM feature maps. These are then uplifted using the aggregation scheme in Sec. 3.2. Our final 289 prediction is obtained by rendering the uplifted feature maps into the target frame. 290

Multiple-view segmentation with DINOv2. We construct 2D feature maps at the patch level 291 using DINOv2 with registers (Darcet et al., 2024) and uplift them into a high resolution and fine-292 grained 3D semantic representation which is then used for segmentation. The 2D feature maps are 293 constructed using a combination of a sliding windows mechanism and dimensionality reduction of the original DINOv2 features as described in Appendix A.2 and illustrated in Fig. 4 therein. This 295 approach enhances the granularity of spatial representations by aggregating patch-level representa-296 tions to form pixel-level features. The 2D feature maps from the m training views are uplifted using 297 Eq. (3) and the resulting 3D features are then re-projected into any viewing direction d using Eq. (4) 298 to compute rendered 2D features $(F_{d,p})$. To obtain segmentation masks, we construct a predictor 299 score $P(\hat{F}_{d,p})$ for a 2D pixel p to belong to the foreground, based on its corresponding rendered fea-300 ture. The score P is obtained by comparing the rendered features $(F_{d,p})$ with foreground features 301 $\mathcal{F}_{ref} := (\hat{F}_{d_1,p})_{p \in \mathcal{P}}$ corresponding to the *foreground mask* computed on the *reference frame* I_1 , see Appendix A.2. The final segmentation mask is then obtained by thresholding. 302 303

Enhancing segmentation with DINOv2 using 3D graph diffusion. DINOv2 provides generic
 visual features that do not explicitly include segmentation information, unlike models such as SAM
 that were specifically trained for such a task. Consequently, 2D projections of uplifted DINOv2
 features might fail to separate distinct objects that have similar features. This challenge can be
 mitigated by incorporating 3D spatial information, which may help separate them.

309 To this end, we propose to leverage the graph diffusion process introduced in Section 3.3. We set the 310 initial vector of weights q_0 in \mathbb{R}^n of the graph diffusion algorithm to be a coarse estimation of the 311 contribution of each Gaussian to the final segmentation mask. This initial weight vector is computed 312 by uplifting the 2D foreground mask (either scribbles or a reference mask) from the reference frame 313 into 3D using Eq. (3), normalizing and thresholding them (see appendix Sec. A.3). The nodes for 314 which g_0 has a positive value define a set of anchor nodes \mathcal{M} that are more likely to contribute to 315 the foreground. We retain the last weight vector g_T and render it into 2D for segmentation (Eq. (4)). The regularization term P appearing in Eq. (7) is obtained by comparing the uplifted features with 316 anchor features obtained using the *foreground mask* as described in the appendix. 317

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319 4.2 OPEN-VOCABULARY OBJECT DETECTION320

As in (Kerr et al., 2023; Qin et al., 2024; Zuo et al., 2024) we propose to uplift CLIP features
(Radford et al., 2021) which are excellent for aligning images and text, and evaluate the uplifted
features task of open-vocabulary detection (Kerr et al., 2023). As CLIP outputs only one feature
vector per input image, a couple of extra steps are needed to distill CLIP into the 3D Gaussians.

Construction of CLIP feature maps We follow the common practice (Kerr et al., 2023; Zuo et al., 2024) of constructing multi-resolution CLIP 2D feature maps by querying CLIP on a grid of overlapping patches at different scales and aggregating the resulting representations. As in Zuo et al. (2024), rather than keeping the different representations separate, we choose to aggregate them with a simple average pooling. These multi-resolution CLIP features are uplifted into 3D using Eq. (3).

329 **Refinement with DINOv2 graph diffusion** We further refine those features with the diffusion 330 procedure described in Sec. 3.3. To this end, DINOv2 features are also uplifted, and the similar-331 ity matrix is built as in Eq. (7), with no unary term P. The diffusion process locally aggregates 332 CLIP features from Gaussians whose DINOv2 features are similar. This enhances the granularity 333 of CLIP visual representations while remaining in the CLIP feature space, allowing for downstream 334 applications with text queries. Wysoczańska et al. (2024) perform a similar procedure for 2D image 335 segmentation, with only one step in the diffusion. This process can also be related to the pixel-336 alignment loss in (Zuo et al., 2024), as a diffusion step corresponds to a gradient step for that loss.

- 337 338
- 5 **EXPERIMENTS**
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5.1 EXPERIMENT DETAILS

342 3D scene training and pruning. All scenes are trained using the original Gaussian Spatting implementation (Kerbl et al., 2023) with default hyperparameters. For memory efficiency, half of the Gaussians are filtered out based on their importance, as described in Sec. 3.2.

2D vision models. Our experiments are conducted using DINOv2's ViT-g with registers (Darcet et al., 2024), SAM (Kirillov et al., 2023), SAM 2 (Ravi et al., 2024) and the OpenCLIP ViT-B/16 model (Ilharco et al., 2021).

Segmentation tasks. We consider two segmentation tasks: i) Neural Volumetric Object Selection 349 (NVOS, Ren et al. 2022), which is derived from the LLFF dataset (Mildenhall et al., 2019), and ii) 350 SPIn-NeRF, which contains a subsets of scenes from NeRF-related datasets (Knapitsch et al., 2017; 351 Mildenhall et al., 2019; 2021; Yen-Chen et al., 2022; Fridovich-Keil et al., 2022). The NVOS dataset 352 consists of forward-facing sequences in which one frame is labeled with a segmentation mask and 353 another one is labeled with scribbles to be used as reference. SPIn-NeRF contains both forward-354 facing and 360-degree scenes, in which all frames are labeled with segmentation masks, and the 355 standard evaluation protocol uses the segmentation mask from the first frame as reference to label 356 the subsequent frames. 357

Open-vocabulary object detection We evaluate on the LERF Localization dataset (Kerr et al., 2023) consisting of complex in-the-wild scenes. We report our results on the extended evaluated task introduced by LangSplat (Qin et al., 2024) containing additional challenging localization samples.

Evaluation and hyperparameter tuning. Our segmentation results are averaged over 3 independent runs. Segmentation with 3D SAM masks requires setting a threshold for foreground/background pixel assignment, and optionally choosing one of the three masks proposed by SAM (representing different possible segmentations of the object of interest). Segmentation with DI-NOv2 uses graph diffusion with RBF kernels as the similarities P and S_f and therefore needs three hyperparameters: the 2 bandwidths of the RBF kernels, and the threshold for foreground/background pixel assignment.

For SPIn-NeRF, all hyperparameters are chosen based on the IoU for the available reference mask. For NVOS, only reference scribbles are provided, hence i) for SAM/SAM2, only one mask is generated, and the threshold for segmentation is fixed for all scenes for SAM and automatically chosen using Li iterative Minimum Cross Entropy method (Li & Lee, 1993) for SAM 2, ii) for DINOv2 we predict a SAM mask based on the scribbles of the reference frame, and choose the hyperparameters maximizing the IoU with this SAM mask. This is consistent with a scenario where the user, here SAM, would choose hyperparameters based on visual inspection on one of the frames.

For the LERF Localization task, graph diffusion is run with P = 1 and an RBF kernel for S_f , with a set of different bandwidths. The resulting feature maps are automatically selected based on the relevancy score with the text prompt. This aligns with the semantic level selection process of LERF (Kerr et al., 2023) and LangSplat (Kerbl et al., 2023).



Figure 2: PCA visualizations. The DINOv2 patch-level representations (middle) predicted from the RGB images (left) are aggregated into highly detailed 3D representations (right) using Eq. 3.



Figure 3: **Illustration of the diffusion process.** 2D projection of the weight vector q_t (white) and unary regularization term (red) at different diffusion steps t. The diffusion process allows filtering out unwanted objects that have similar features to the object of interest (such as the two smaller skulls on *horns*, bottom-row), but are disconnected in space. The regularization term (red background) prevents leakage from the object to the rest of the scene (such as through the *fern*'s trunk, top-row).

5.2 QUALITATIVE RESULTS

DINOv2 feature uplifting. First, we illustrate the effectiveness of our simple uplifting approach. Figure 2 shows the first three PCA components (one channel per component) over DINOv2's patch embeddings. The coarse patch-level representations from every view (middle) are aggregated using Eq. 5 to form a highly detailed 3D semantic representation, and reprojected into 2D (right) using Eq. 4. The aggregation is very fast, as it is directly implemented in the Gaussian Splatting CUDA-based rendering process. The procedure takes about 1.5ms per view and can be parallelized across the feature dimension. The first principal component (encoded in the red channel) mostly captures the foreground object, and the subsequent ones allow refining the foreground representations and delivering a detailed background. In the appendix, we provide additional comparative visualizations of our learned 3D features (Fig. 8) and of 3D segmentation for scene editing (Fig. 7).

Geometry only	Single	view	Uplifting		Uplifting + Graph diffusion
Reference mask	DINOv2	SAM2	DINOv2	SAM2	DINOv2
80.4	88.3	90.5	90.8	93.7	92.8

Table 1: Segmentation (IoU) on SPIn-NeRF (Mirzaei et al., 2023). We compare purely geometrical reference mask uplifting and reprojection and single-view prediction, feature/mask uplifting or graph diffusion leveraging DINOv2 or SAM2.

	MVSeg	SA3D-TRF	SA3D-GS	SAGA	OmniSeg3D	LUDVIG (Ours)		
3D representation: Uplifting:		TensoRF SAM	GS SAM	GA SAM	NeRF SAM	DINOv2	GS SAM	SAM2
NVOS	-	90.3	92.2	92.6	91.7	92.4	91.3	91.2
SPIn-NeRF	90.9	93.7	93.2	93.4	94.3	92.8	93.7	93.7

Table 2: Segmentation (IoU) on NVOS (Ren et al., 2022) and SPIn-NeRF (Mirzaei et al., 2023).

Graph diffusion. Figure 3 illustrates the effectiveness of the diffusion process. In the Fern scene, diffusion progressively spreads through the branches to their extremities and the regularization (red background) prevents it from leaking beyond the trunk. As illustrated with the case of Horns, diffusion filters out unwanted objects that are similar to the object of interest (here the two skulls on the side). The graph nodes are initialized with the reference scribbles and the diffusion spreads through the object of interest and stop at its borders. The regularization sets a constraint that prevents leakage, even after a large number of iterations. This is also illustrated in Appendix Figure 6 for the Flower and Trex scenes: diffusion rapidly spreads, with near-full coverage after only 5 steps, before reaching all the much smaller Gaussians on the border, allowing for a refined segmentation.

459 5.3 SEGMENTATION RESULTS

In this section, we quantitatively evaluate the segmentation task on NVOS (Ren et al., 2022) and SPin-NeRF (Mirzaei et al., 2023). We evaluate segmentation based on SAM and SAM2 mask up-lifting, and on DINOv2 feature uplifting combined with graph diffusion. We compare our segmen-tation results to the current state of the art: SA3D (Cen et al., 2023c), SA3D-GS (Cen et al., 2023b), SAGA (Cen et al., 2023a), OmniSeg3D (Ying et al., 2024). All these methods are specifically de-signed for uplifting the 2D segmentation masks produced by SAM into 3D using gradient-based optimization of a projection loss. We also report results from NVOS (Ren et al., 2022) and MVSeg (Yen-Chen et al., 2022), who respectively introduced the NVOS and SPIn-NeRF datasets.

Results. Table 2 reports the average IoU across all scenes for the two datasets. Per-scene results can be found in Appendix Tables 4 and 5. Our results comparable to the state of the art while not relying on gradient-based optimization. Surprisingly, our segmentation with DINOv2 using graph diffusion also gives results on par with models leveraging SAM masks. Compared to SAM, DINOv2 better captures complex objects, but sometimes also capture some background noise. This can be seen in Appendix Figure 5 with the example of Trex: while SAM misses out the end of the tail as well as the end of the ribs, DINOv2 captures the whole Trex, but also captures part of the stairs behind. Our lower segmentation results compared to OmniSeg's can be partly attributed to poor Gaussian Splatting reconstruction of highly specular scenes such as the Fork, in which semitransparent Gaussians floating over the object try to represent reflections or surface effects that are difficult to capture with standard rasterization techniques (Jiang et al., 2024).

Ablation study. We compare our segmentation protocol using DINOv2 and SAM2 to multiple simpler variants. More precisely, we evaluate i) a purely geometrical variant that reprojects the reference mask on the other views, without using SAM2 or DINOv2, ii) single-view segmentation in 2D based on SAM2 or DINOv2 2D predictions, iii) uplifting DINOv2 features or SAM2 masks into 3D then rendering them for segmentation, and iv) segmenting using graph diffusion over DINOv2 3D feature similarities. Results are reported in Table 1, and per-scene IoU as well as a detailed analysis can be found in Appendix Table 6 and Sec. B.1. We observe that the purely geometrical approach works well on the forward-facing scenes and fails on 360-degree scenes. The single-view

486		LERF L	oc. dataset	Extended LERF Loc. dataset			
487		LERF	FMGS	LERF	LangSplat	LUDVIG	
489	ramen	62.5	90.0	62.0	73.2	77.5	
490	figurines	87.2	89.7	75.0	80.4	78.6	
490	teatime welde kitchen	96.9 85.2	93.8	84.8	88.1	94.9 86.4	
492	overall	83.0	92.0 91.5	73.6	84.3	84.4	
493	average time (mins)	45	100	45	105	9	
494							

Table 3: LERF Localization We evaluate on the more challenging dataset introduced by LangSplat (Qin et al., 2024) and report results from LERF (Kerr et al., 2023) and FMGS (Zuo et al., 2024) on the original dataset.

variant performs reasonably well on average but, the low resolution of patch-level representations (illustrated in Fig. 2) lead to a coarser segmentation. 3D uplifting considerably boosts results compared to single-view approaches, and introducing 3D spatial information through 3D graph diffusion further enhances results on the more challenging 360-degree scenes.

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5.4 **OPEN-VOCABULARY OBJECT DETECTION**

Table 3 presents results on the open-vocabulary localization task. The reported average running 507 times, include feature map generation and 3D feature training whenever relevant. For reference, 508 we report the results of LERF and FMGS (Zuo et al., 2024) on the original version of the LERF 509 localisation dataset introduced in Kerr et al. (2023). We also report LERF Kerr et al. (2023) and 510 LangSplat (Qin et al., 2024) on the extended and more challenging version of the LERF localisation 511 dataset introduced by LangSplat (Qin et al., 2024), on which LERF incurs a significant drop in 512 performance. LUDVIG performs on par with LangSplat and outperforms LERF on the extended 513 LERF localisation dataset while being significantly faster than all methods (around 10 times faster). 514

A more thorough analysis on running times can be found in appendix Sec. B.2. Additionally, Ap-515 pendix Sec. C.3 provides illustrations of the impact of the diffusion process (Fig. 10), and compara-516 tive visualizations of localization heatmaps with LangSplat and LERF (Fig. 11). 517

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6 **CONCLUDING REMARKS AND LIMITATIONS**

Learning-free uplifting. In this work, we introduce a simple yet effective aggregation mechanism 522 for transferring 2D visual representations into 3D, bypassing the traditional optimization-based ap-523 proach. The aggregation builds upon already trained Gaussian Splatting representations and is im-524 plemented within the CUDA rendering process, making 2D-to-3D uplifting as fast as 3D-to-2D 525 rendering. Note however that the quality of learned 3D features is bound by that of the 3D scene 526 reconstruction. Reconstruction by Gaussian Splatting is notoriously challenging when dealing with, 527 e.g., highly specular scenes (Jiang et al., 2024; Yang et al., 2024), blurred images Zhao et al. (2024); 528 Lee et al. (2024) or high-frequency regions (Ye et al., 2024b; Zhang et al., 2024). In such scenarios, 529 learning 3D features along with 3D Gaussian Splatting reconstruction may lead to improved scene 530 geometry, opening promising perspectives for future work.

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532 **Graph diffusion.** Our proposed graph diffusion process allows injecting the rich DINOv2 repre-533 sentations to refine arbitrary features such as segmentation masks or CLIP embeddings. Our CLIP 534 feature refinement builds upon prior works using DINO features as a regularization (Kerr et al., 2023; 535 Zuo et al., 2024), while alleviating the computational overhead associated with joint gradient-based 536 optimization of CLIP and DINO features. However, it does rely on the adequate choice of band-537 width hyperparameter(s) when defining the similarity graph. In this work, these hyperparameters are chosen based on IoU with a SAM-predicted mask for segmentation, and based on the relevancy 538 score with the text prompt for object localization. While automatic, this decision process requires multiple evaluations of a success criterion with different candidate bandwidth values.

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A USING LUDVIG FOR DOWNSTREAM TASKS

In this section, we describe our approach for uplifting DINOv2, SAM and CLIP models and evaluating the 3D features on two downstream tasks: segmentation and open-vocabulary object detection.

As in Sec. 3, we are given a set of 2D frames I_1, \ldots, I_m , with camera poses d_1, \ldots, d_m and corresponding 3D scene obtained by the Gaussian Splatting method, which can be used to uplift 2D features from the *m* frames to 3D.

713 **Multiple-view segmentation.** For this task, we assume that a *foreground mask* of the object to be 714 segmented is provided on a *reference frame* taken to be the first frame I_1 . We consider two types 715 of foreground masks: either *scribbles* or a whole *reference mask* of the object, both of which define 716 a set of *foreground pixels* \mathcal{P} . In the following subsections, we present the proposed approaches for 717 segmentation using SAM and DINOv2 features, based on both types of foreground masks.

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A.1 MULTIPLE-VIEW SEGMENTATION WITH SAM

SAM (Kirillov et al., 2023; Ravi et al., 2024) is a powerful image segmentation model, that can generate object segmentation masks from point prompts on a single 2D image. Aggregating SAM 2D segmentation masks in 3D allows for cross-view consistency and improves single-view segmentation results. In order to leverage SAM, we propose a simple mechanism for generating SAM 2D features for each frame from a *foreground mask* in the *reference frame*.

726 **Construction of 2D feature maps.** The key idea is to generate point prompts on each training 727 frame from the *foreground mask* provided on the *reference frame*. To this end, we perform an 728 uplifting of the *foreground mask* (Eq. (3)) and re-project it on all frames (Eq. (4)). This results in 2D scalar maps that we further normalize by their average value. A higher values indicates the presence 729 of the target object. For each frame with camera pose d, we retain a subset of pixels \mathcal{P}_d with values 730 higher than a threshold fixed for all scenes and select point prompts for SAM from this subset. 731 Finally, we compute 2D segmentation masks for each frame using SAM by randomly selecting 3 732 points prompts from \mathcal{P}_d , repeating the operation 10 times and averaging the resulting masks for each 733 view to obtain the final 2D SAM feature maps. 734

Segmentation with uplifted SAM masks. The 2D segmentation masks generated by SAM are
uplifted using the aggregation scheme described in Sec. 3.2. Our final prediction is obtained by
rendering the uplifted feature maps into the target frame.

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A.2 MULTIPLE-VIEW SEGMENTATION WITH DINOV2
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DINOv2 (Oquab et al., 2024) is a self-supervised vision model recognized for its generalization capabilities. In this work, we aggregate the patch-level representations produced by DINOv2 with registers (Darcet et al., 2024) into a high resolution and fine-grained 3D semantic representation.

744 Construction of 2D feature maps. We construct the 2D feature maps using a combination of a sliding windows mechanism and dimensionality reduction of the original DINOv2 features. Specifically, we i) extract DINOv2 patch-level representations across multiple overlapping crops of the training images, ii) apply dimensionality reduction over the set of all patch embeddings, ii) upsample and aggregate the dimensionality-reduced patch embeddings to obtain pixel-level features for each image. The process is illustrated in Figure 4. This approach enhances the granularity of spatial representations by aggregating patch-level representations to form pixel-level features.

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Figure 4: Sliding windows for construction of DINOv2 feature maps.

769 corresponding to the *foreground mask* computed on the *reference frame* I_1 . We propose two ap-770 proaches for constructing P. The first one is a simple approach that sets $P(F_{d,p}) = S_F(F_{d,p}, F)$ 771 where F is the average over foreground features \mathcal{F}_{ref} , and \mathcal{S}_F is defined based on the cosine simi-772 larity. The second approach is more discriminative and first trains a logistic regression model P on 773 all rendered 2D features of the reference frame, so that the foreground features \mathcal{F}_{ref} are assigned a 774 positive label. Then $P(\hat{F}_{d,p})$ gives the probability that a pixel p belongs to the foreground. The final 775 mask is then obtained by thresholding.

776 Experimentally, the second approach is extremely efficient when the set of *foreground pixels* \mathcal{P} 777 covers the whole object to segment, so that P captures all relevant features. This is the case when 778 a whole reference mask of the object is provided. When the foreground pixels \mathcal{P} does not cover the 779 whole object, as with scribbles, P can be discriminative to parts of the object that are not covered 780 by \mathcal{P} . Therefore, we rely on the second approach for tasks where a reference mask is provided, and 781 use the simpler first approach when only scribbles serve as reference. 782

A.3 ENHANCING SEGMENTATION WITH DINOV2 USING 3D GRAPH DIFFUSION

785 DINOv2 provides generic visual features that do not explicitly include information for segmentation, unlike models such as SAM that were specifically trained for such a task. Consequently, using the 786 2D projections of uplifted DINOv2 features, as proposed in Sec. A.2, might fail to separate different 787 objects that happen to have similar features while still being distinct entities. This challenge can be 788 mitigated by incorporating 3D spatial information in which the objects are more likely to be well-789 separated. To this end, we propose to leverage the graph diffusion process introduced in Section 3.3. 790

For this task, the initial vector of weights $q_0 \in \mathbb{R}^n$ representing a coarse estimation of the contribu-791 tion of each Gaussian to the segmentation mask. We retain the last weight vector q_T and render it 792 into 2D for segmentation (Eq. (4)). Below, we describe the initialization of the weight vector q_0 and 793 the construction of the adjacency matrix A. 794

795 **Initialization of the weight vector.** The initial weight vector g_0 is computed by uplifting the 796 2D foreground mask (either scribbles or a reference mask) from the reference frame into 3D using 797 Eq. (3), normalizing the 3D mask by its mean value over all nodes and setting to zero all values 798 below a fixed threshold. The nodes for which g_0 has a positive value define a set of anchor nodes \mathcal{M} that are more likely to contribute to the foreground. The resulting weight vector is a coarse 799 estimation of how much each Gaussian contributes to a rendered 2D segmentation mask. 800

801 **Construction of the graph edges.** We define S_f based on the cosine similarity between features 802 and choose a global unary regularization term $P(f_i)$ on each node i to encourages similarity be-803 tween the uplifted node feature f_i and those belonging to the foreground. More precisely, P is 804 defined using a similar approach as in Sec. A.2: either as a similarity $P(f_i) = \mathcal{S}_f(f_i, f)$ with the 805 averaged feature f over the anchor nodes \mathcal{M} (in the case when scribbles are provided), or as a lo-806 gistic regression model trained on the uplifted features, so that anchor nodes' features are assigned 807 a positive label (in the case when a full foreground mask is available). The local term S_f , typically a cosine similarity, allows diffusion to neighbors that have similar features while the unary term 808 prevents leakage to background nodes during diffusion by encouraging closeness to the foreground 809 features and allows using an arbitrary number of diffusion steps.

	MVSeg	SA3D-GS	SAGA	OmniSeg3D	LUD	VIG (Ou	urs)
3D representation: Uplifting:	NeRF	GS SAM	GS SAM	NeRF SAM	DINOv2	GS SAM	SAM2
Orchids	92.7	84.7	-	92.3	92.6	91.9	90.7
Leaves	94.9	97.2	-	96.0	93.9	96.4	96.4
Fern	94.3	96.7	-	97.5	95.6	96.8	96.7
Room	95.6	93.7	-	97.9	94.7	96.5	96.6
Horns	92.8	95.3	-	91.5	94.4	92.3	94.9
Fortress	97.7	98.1	-	97.9	97.6	98.3	98.3
Fork	87.9	87.9	-	90.4	81.6	87.1	86.8
Pinecone	93.4	91.6	-	92.1	90.1	90.8	90.8
Truck	85.2	94.8	-	96.1	94.8	94.3	92.6
Lego	74.9	92.0	-	90.8	93.2	92.8	92.9
Average	90.9	93.2	93.4	94.3	92.8	93.7	93.7

Table 4: Segmentation (IoU) on SPIn-NeRF (Mirzaei et al., 2023) with DINOv2, SAM and SAM2.

	Fern	Flower	Fortress	HornsC	HornsL	Leaves	Orchids	Trex	Average
NVOS	-	-	-	-	-	-	-	-	70.1
SA3D	82.9	94.6	98.3	96.2	90.2	93.2	85.5	82.0	90.3
OmniSeg3D	82.7	95.3	98.5	97.7	95.6	92.7	84.0	87.4	91.7
SA3D-GS	-	-	-	-	-	-	-	-	92.2
SAGA	-	-	-	-	-	-	-	-	92.6
Ours-DINOv2	84.4	96.3	95.3	95.4	93.4	95.9	92.1	86.4	92.4
Ours-SAM	85.5	97.6	98.1	97.9	94.1	96.4	73.1	88.0	91.3
Ours-SAM2	84.8	97.2	98.3	97.7	92.4	96.9	73.0	89.0	91.2

Table 5: Segmentation (IoU) on NVOS (Ren et al., 2022) with DINOv2, SAM and SAM2.

В ADDITIONAL RESULTS

B.1 PER-SCENE SEGMENTATION RESULTS

842 In this section, we present per-scene segmentation results on NVOS and SPIn-NeRF in Tables 4, 5 843 and 6, along with an extended analysis of these results..

844 Segmentation on SPIn-NeRF. We report our segmentation results for the SPin-NeRF 845 dataset (Mirzaei et al., 2023) in Table 4. Our results are comparable to the state of the art while 846 not relying on optimization-based approaches. Surprisingly, our segmentation with DINOv2 using 847 graph diffusion also gives results on par with models leveraging SAM masks. Our lower segmenta-848 tion results compared to OmniSeg's can be partly attributed to poor Gaussian Splatting reconstruc-849 tion of highly specular scenes such as the Fork, in which semi-transparent Gaussians floating over 850 the object try to represent reflections or surface effects that are difficult to capture with standard 851 rasterization techniques (Jiang et al., 2024).

852 Segmentation on NVOS. We report our segmentation results for the NVOS dataset (Ren et al., 853 2022) in Table 5. Our results are comparable to those obtained by prior work. Again, DINOv2 854 performs surprisingly well while not having been trained on billions of labeled images like SAM. 855 Compared to SAM, DINOv2 better captures complex objects, but sometimes also capture some 856 background noise. This can be seen in Appendix Figure 5 with the example of Trex: while SAM 857 misses out the end of the tail as well as the end of the ribs, DINOv2 captures the whole Trex, but 858 also captures part of the stairs behind. Visualisations of Orchids in Appendix Figure 5 also explain 859 the lower performance of SAM on this scene: the two orchids SAM is missing are not covered by the positive scribbles, which makes the task ambiguous. 860

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Ablation study In Table 6, we compare our segmentation protocol using DINOv2 and SAM2 to 862 multiple simpler variants. More precisely, we evaluate i) a purely geometrical variant that does not 863 use SAM2 or DINOv2, ii) single-view segmentation in 2D based on SAM2 or DINOv2 2D predic-

864		Geometry only	Single view		Uplifting		Graph diffusion	
600 866	Model:	Reference mask	DINOv2	SAM2	DINOv2	SAM2	DINOv2	
367	Orchids	80.9	91.4	79.2	91.7	90.7	92.6	
368	Leaves	94.8	89.3	96.6	94.3	96.4	93.9	
369	Fern	95.5 85.7	94.4	96.7	96.7 07.1	96.7 06.6	95.6	
370	Horns	83.7 90.4	94.3 90.7	90.3 92.7	97.1 93.1	90.0 94.9	94.7 94.4	
371	Fortress	95.4	96.8	97.8	98.7	98.3	97.6	
372	Fork	66.3	85.6	77.2	88.4	86.8	81.6	
373	Pinecone	58.8	92.9	90.3	86.7	90.8	90.1	
374	Truck	60.0	86.2	89.3	88.8	92.6	94.8	
375	Lego	77.2	63.5	89.1	72.4	92.9	93.2	
376	Average	80.4	88.3	90.5	90.8	93.7	92.8	
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Table 6: Segmentation (IoU) on SPIn-NeRF (Mirzaei et al., 2023). We compare purely geometrical reference mask uplifting and reprojection and single-view prediction, feature/mask uplifting or graph diffusion leveraging DINOv2 or SAM2.

tions, iii) uplifting DINOv2 features or SAM2 masks into 3D then rendering them for segmentation, as described in Sec. A.1 and A.2, and iv) segmenting using graph diffusion over DINOv2 3D feature similarities.

The purely geometrical approach works well on the forward-facing LLFF scenes (Orchids to Fortress). In these scenes, the reference mask is accurately uplifted and reprojected as the viewing direction changes only a little between each frame. However, it fails on the 360-degree scenes (Fork, Pinecone, Truck, Lego). This points to a suboptimal 3D reconstruction of the scene, likely due to overfitting on the limited numbers of available training views (Chung et al., 2024).

The single-view variants use a similar process for constructing the features and using them for segmentation as in Sec. A.1 and A.2 but without uplifting and rendering. It improves from a purely geometrical approach and performs reasonably well on average, the foreground being well isolated from the rest of the scene. However, as illustrated in Figure 2, the semantic features are at a much lower resolution than those resulting from 3D uplifting, leading to a coarser segmentation.

3D uplifting considerably boosts results compared to single-view approaches. However, performing
segmentation in 2D based on the uplifted DINOv2 features does not benefit from the 3D spatial
information and typically fails on the 360-degree scenes (Pinecone, Truck and Lego) which have
higher variability between frames from different views. Introducing 3D spatial information through
3D graph diffusion results in a boosted performance on these scenes.

901 902 B.2 RUNTIME ANALYSES

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The total reported times can be divided between pre-uplifting, uplifting and post-uplifting. These
 steps are detailed below. Experiments for LUDVIG are run on a GPU A6000 ADA.

906 Pre-uplifting. This step includes 2D feature map generations. The time this step takes depends on
907 the backbone model, on the number of training images and on the number of calls to the model per
908 image. The total time ranges from a few seconds up to an hour for models such as LangSplat (Qin
909 et al., 2024), that queries SAM over a grid of points on the image at various resolutions to generate
910 full image segmentation masks. This process takes 24s/image on a GPU 6000 ADA and amounts
911 to an average of 80 minutes for the evaluated scenes In our experiments, the feature generation step
912 takes from 1 to 5 minutes.

913 Uplifting. For LUDVIG, uplifting takes 1.3ms per feature dimension for an image of size
914 480 × 640. For example, uplifting 100 training images with a feature dimension of 40 takes 5
915 seconds. Gradient-based optimization requires approximately additional time, where represents the
916 number of gradient steps, typically ranging from 3,000 to 30,000 for 3D feature distillation (Kerr
917 et al., 2023; Qin et al., 2024; Zuo et al., 2024). Gradient-based optimization can still be very fast
for low-dimensional features such as SAM masks (can take as little as a few seconds, as reported



Figure 5: Segmentation results on NVOS (Ren et al., 2022) with DINOv2 and SAM.

by SA3D-GS (Cen et al., 2023b)) or dimensionality-reduced features (LangSplat (Qin et al., 2024) trains an autoencoder to reduce the CLIP feature dimension from 512 to 3 and runs for 25 minutes). However, optimization becomes intractable for high-dimensional features such as CLIP and DINO; FMGS (Zuo et al., 2024) relies on an efficient multi-resolution hash embedding of the scene; however, their total training time still amounts to 1.4 hours.

946 **Post-uplifting.** After uplifting, LUDVIG leverages graph diffusion using pairwise DINOv2 fea-947 ture similarities for segmentation tasks as well as for CLIP feature refinement. This refinement can 948 be seen as a proxy for regularization losses used in prior works when jointly training CLIP and DI-949 NOv2 features. Graph diffusion first requires querying the nearest neighbors for each node, which is 950 linear in the number of Gaussians and takes about 1 minute with 1,000,000 Gaussians. This can be 951 further optimized by using approximate nearest neighbor search algorithms (Wang et al., 2021). The 952 diffusion then takes less than 1 second for 1D features such as segmentation masks, and up to 30 seconds for higher-dimensional features such as CLIP. Therefore, graph diffusion comes as a small 953 overhead to the total running time. 954

- C ADDITIONAL VISUALISATIONS
- C.1 SEGMENTATION TASKS

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Segmentation on NVOS. Figure 5 shows our segmentation masks from SAM and DINOv2 for
 the three most challenging scenes of the NVOS dataset: Fern, Orchids and Trex.

962 **Diffusion process.** Figure 6 illustrates different steps of the diffusion process for Fern, Leaves, 963 Flower and Trex from the NVOS (Ren et al., 2022) dataset. Starting from the reference scribbles, 964 the diffusion rapidly spreads through the large neighboring Gaussians. Covering the entire object 965 takes more time for complex structures such as Fern, or for masks with disconnected components 966 such as Orchids. As illustrated in the case of Flower, the last diffusion steps allow spreading to the 967 smaller Gaussians on the flowers' edges, yielding a refined segmentation mask. For Trex, the parts 968 being reached the latest are the head and tail. Their features are further away from the reference 969 features (defined as the average feature over 3D reference scribbles), and therefore the regularization for diffusion is stronger in these regions. Overall once the object has been fully covered, the 970 regularization is very effective at preventing leakage, which allows diffusion to run for an arbitrary 971 number of steps.

972 Scene editing. Figure 7 shows comparative visualizations of scene editing with N3F (Tschernezki 973 et al., 2022) and LUDVIG. For rendering the edited RGB image, N3F sets to zero the occupancy 974 for all 3D points belonging to the object. For LUDVIG, we remove all Gaussians pertaining to the 975 3D semantic mask resulting from graph diffusion. We observe that the regions behind to segmented 976 object are much smoother for LUDVIG than for N3F. Regions unseen from any viewpoint are black for LUDVIG (no gaussians) and result in a background partially hallucinated by NeRF for N3F. 977

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C.2 VISUALIZATIONS OF UPLIFTED DINOV2 FEATURES

Visual comparisons with N3F. Figure 8 show a comparison of LUDVIG's 3D DINOv2 features with learned 3D DINO features of N3D (Tschernezki et al., 2022). Their figures are taken from their 982 work. The notable differences are a more fine-grained reconstruction of the background for the trex 983 and horns, and overall smoother features across all scenes. 984

985 **Comparison to GaussianEditor's uplifting.** Figure 9 shows a qualitative comparison of our pro-986 posed aggregation with the one introduced by GaussianEditor Fan et al. (2023) (see Sec. 3. The 987 visualizations illustrate that GaussianEditor's aggregation fails to assign the right semantics to large 988 gaussians, which is particularly visible in scenes with high specularity such as Room. This show-989 cases the importance of defining 3D features as *convex combinations* of 2D pixel features.

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C.3 VISUALIZATION OF CLIP FEATURES AND LOCALIZATION TASK

In this section, we present illustrations of the impact of the diffusion process (Figure 10), and com-993 parative visualizations of localization heatmaps with LangSplat and LERF (Figure 11). 994

Impact of DINOv2-guided graph diffusion for CLIP feature refinement. Figure 10 shows PCA 996 visualizations of uplifted CLIP features before and after refinement with graph diffusion as well as 997 DINOv2 features used to define edge weights. Graph diffusion allows transferring DINOv2 visual 998 representations into the CLIP feature space, which is well illustrated with the top example: after 999 diffusion, the two figurines on the foreground acquire different semantics. The diffusion process 1000 also yields more homogeneous features for a given object, as illustrated with the ramen bowl in the 1001 middle, or the table at the bottom. Globally, graph diffusion greatly enhances the semantic coherence 1002 and granularity within the scene. 1003

1004 **Oualitative comparison of open-vocabulary objet localization.** Figure 11 illustrates open-1005 vocabulary object localization with LERF (Kerr et al., 2023), LangSplat (Qin et al., 2024) and LUD-1006 VIG. Both LangSplat and LUDVIG correctly localize all four example objects. For queries such as the chopsticks, LangSplat's localization is more precise, as the CLIP features are constructed by generating full image segmentation masks with SAM. This process is computationally expensive, 1008 as constructing a full segmentation mask requires querying SAM over a grid of points on the image 1009 and takes about 23s for a single image (on a GPU A6000 ADA), which amounts to an average of 1010 80 minutes for a scene from the LERF dataset. However, it yields coherent instance-level CLIP 1011 representations, which is desirable for downstream segmentation tasks. 1012

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Figure 6: **Illustration of the graph diffusion process.** 2D projections of i) first three PCA components of DINOv2 3D features, ii) unary regularization term (red), iii) weight vector g_t at timesteps $t \in \{0, 3, 5, 10, 100\}$, iv) RGB segmentation obtained using a mask based on the 2D projection of g_{100} .







Figure 11: Qualitative comparisons of open-vocabulary 3D object localization on the LERF dataset. The red points are the model predictions and the black dashed bounding boxes denote the annotations. This figure is sourced and adapted from LangSplat's website.