A Bit Bayesian Facilitates Efficient Training in Token Classification

Abstract

Token classification is a fundamental subject matter in computational linguistics. Token classification models, like other modern deep neural network models, are usually trained on the entire training set in each epoch, while research has found all of the training data may not be needed in late epochs of training.

Inspired by human pedagogy, we propose a teacher-aware structure to accelerate the training of token classification models. After each epoch of training, the teacher samples data that it is uncertain to and data it predicts differently from the student, which are passed into the structure for training in the next epoch.

Experiments show that our method reduces the number of training iterations, speeding up the training without affecting the model’s performance.

1 Introduction

Token classification tasks, such as Named Entity Recognition (NER) and Part-Of-Speech Tagging (POS tagging), are essential to the study of linguistics and natural language processing. With the advent of intricate neural networks and blooming amount of data that are available, the training of a neural network may consume huge computational resources. In most works, token classification models are trained on the entire training set, i.e. the entire training set is fed forward and backward through the network in each epoch. This procedure implies that all data are equal, while studies have shown otherwise, that some data are properly handled in early phases of training and induce less shift in weights in late epochs (Loshchilov and Hutter, 2015; Katharopoulos and Fleuret, 2018).

In addition to the issue of cost, it is shown that constant training on data that have a minute training loss may penalize a model (Fan et al., 2017; Li et al., 2021). It is thus favorable to design a strategy capable of reducing training iterations with no impact on model’s performance, or, alternatively, to improve the model’s performance.

In this work, we propose a teacher-aware structure to facilitate efficient training in token classification. In human pedagogy, teachers and students interact with each other: teachers adjust their teaching for different students and students provide feedback for their teachers. This dynamic cooperative process can also lead to a half-the-effort-twice-the-result outcome in machine learning (Matiisen et al., 2017; Yuan et al., 2021).

In our structure, the teacher interacts with the student via uncertainty sampling: after each training epoch, the teacher goes through the entire training set and selects data that it is uncertain to and data that the student predicts differently from it, which are passed into the structure for training in the next epoch.

Our approach reduces the number of training iterations, and features a dynamic data sampling process, i.e. the teacher selects more data to train on when it is not certain to them or there is a discrepancy between the prediction of the teacher and student, and as the teacher is certain to more data and there is more agreement between the prediction of the two parties, the teacher tends to select less data to train on.

The key contribution of this work is an efficient training strategy for token classification. As a proof of concept, we use a Bayesian linear classifier as the teacher. We use two backbone models that are widely used in token classification as the students, and experiment on NER and POS tagging. Experiments show that our structure is able to reduce the amount of training iterations while having no impact on model’s performance.

1Unless otherwise specified, uncertainty refers to predictive uncertainty henceforth
2 Related Works

State-of-the-art token classification models (Yamada et al., 2020; Schweter and Akbik, 2021; Wang et al., 2021) are trained on the entire training set in each epoch. Researches, on the other way, have shown that some data are less informative, which should be considered less frequently during training (Loshchilov and Hutter, 2015; Katharopoulos and Fleuret, 2018; Sinha et al., 2020). Moreover, continuing training on less informative data may affect the model’s performance (Li et al., 2021). A straightforward strategy to address this problem is to aggregate the largest k training loss (Fan et al., 2017). In such method, k is a fixed value that does not change when training proceeds, while, intuitively, k should be dynamic, since the extend data is handled by the model varies in different phases of training. Thus, we believe that a dynamic efficient training strategy is vital for token classification and related learning tasks.

We facilitate efficient training in a teacher-aware fashion, taking advantage of dynamic interactions between the teacher and student model. The benefits of teacher-aware learning are revealed in recent studies. Matiisen et al. (2017) find that a teacher-student curriculum learning framework leads to faster learning in sampling sub-tasks from a complex task. Yuan et al. (2021) propose a teacher-aware learner based on gradient optimization that is capable of bringing global and local improvements.

In the structure we proposed, the teacher uses uncertainty sampling to sample data from the training set. Uncertainty sampling is an effective approach to acquire informative data in active learning (Settles, 2009; Yang et al., 2015), based on which we implement a slightly different strategy, where the consistency between the output of the teacher and student is also considered.

In our work, we are in favor of a teacher model that is as simple as possible. Inference through a Bayesian neural networks is the principled way to obtain uncertainty, and attempts are made to tackle the intractable nature of Bayesian neural networks. Blundell et al. (2015) introduce Bayes by Backprop, which learns a Bayesian neural network by minimizing the Kullback-Leibler (KL) divergence between a diagonal Gaussian distribution and the true posterior. We train a Bayesian linear classifier which takes the output of the penultimate layer of the student model as the input, which is inspired by the implementation of Last Layer Laplace Approximation, that a Gaussian approximation to the last layer of a ReLU network is sufficient for yielding calibrated uncertainty estimations (Kristiadi et al., 2020).

3 Method

We train a Bayesian linear classifier teacher as a proof of concept. Given a sequence \( x = [x_1, ..., x_n] \) and its tags \( y = [y_1, ..., y_n] \) where \( n \) is the sequence length, it goes through the student model and weights \( w \) is updated by gradient descent (GD). The Bayesian classifier takes the output of the penultimate layer of the student model as the input, and it is trained via Bayes by Backprop.

After each epoch, we use uncertainty sampling to sample data from the entire training set, and the selected data are passed into the structure for training in the next epoch.

3.1 Bayes by Backprop

Bayes by Backprop learns a probability distribution on the weights of a neural network (Blundell et al., 2015). In our work, it finds the parameter \( \theta = (\mu, \rho) \), defined by a mean \( \mu \) and a standard deviation parameter \( \rho \), that minimizes the Kullback-Leibler (KL) divergence between a diagonal Gaussian distribution \( q(w_c|\theta) \) and the true Bayesian posterior of the weights given the training data \( P(w_c|D) \), where \( w_c \) denotes the weights of a linear classifier:

\[
\mathcal{F}(D, \theta) = KL[q(w_c|\theta)||P(w_c|D)].
\]  

The cost in Eq.1 is approximated using Monte Carlo sampling:

\[
\mathcal{F}(D, \theta) \approx KL[q(w_c^{(i)}|\theta)||P(w_c^{(i)}|D)]
\]  

where \( w_c^{(i)} \) is the \( i \)th Monte Carlo sample drawn from \( q(w_c|\theta) \). The approximation in Eq.2 is minimized by optimizing the function as follows:

\[
f(w_c, \theta) = \log q(w_c|\theta) - \log P(w_c|D)P(D|w_c).
\]  

To update \( \theta \), a noise factor \( \epsilon \) is sampled from \( \mathcal{N}(0, I) \), and let \( w_c = \mu + \log(1 + \exp(\rho)) \circ \epsilon \), where \( \circ \) is point-wise multiplication. The parameters of \( \theta \) is updated by back-propagation. We follow Blundell et al. (2015), using a scale mixture of two Gaussians as the prior:

\[
P(w_c) = \sum_i \pi \mathcal{N}(w_c^{(i)}|0, \sigma^2) + (1 - \pi)\mathcal{N}(w_c^{(i)}|0, \varphi^2)
\]
where $\sigma^2$ and $\varphi^2$ are the variances of the component distributions and $\pi$ is a probability.

### 3.2 Uncertainty sampling

**UNCERTAINTY SAMPLING** samples data using predictive uncertainty translated from the uncertainty in weights:

$$P(\bar{y}|x^*, \mathcal{D}) = \mathbb{E}_{P(w_i|\mathcal{D})}[P(\bar{y}|x^*, w_c)]$$

where $x^*$ is the output of the penultimate layer of a student model given $x$, and $\bar{y}$ is a predicted tag. After each epoch of training, we select uncertain data and data for which the teacher and student model predict differently from the entire training set, and feed them into the teacher and student model for training in the next epoch. Specifically, given a student model $\mathcal{M}(\cdot)$, a Bayesian classifier teacher $\mathcal{B}(\cdot)$, a training set $\mathcal{D}$ (with length $m$), sample times $n$, and a frequency threshold $t$, we perform uncertainty sampling as follows:

**Algorithm 1 Uncertainty Sampling**

1: inputs $\mathcal{M}(\cdot), \mathcal{B}(\cdot), \mathcal{D}, n, t$
2: for $i = 1, 2, \ldots, m$ do
3:   $x \leftarrow \mathcal{D}[i], x^* \leftarrow \mathcal{M}^*(x), r \leftarrow []$
4: for $j = 1, 2, \ldots, n$ do
5:   $\epsilon \sim \mathcal{N}(0, I)$
6:   $w_c \leftarrow \mu + \log(1 + \exp(\rho)) \circ \epsilon$
7:   $r[j] \leftarrow \mathcal{B}_{w_c}(x^*)$
8: end for
9: $\tau \leftarrow$ the frequency of the mode in $r$
10: if $\mathcal{B}_{\mu}(x^*) \neq \mathcal{M}(x)$ or $\tau < t$ then
11:   yield $x$
12: end if
13: end for

$\mathcal{M}^*(\cdot)$ denotes the first to penultimate layers of the student model. We sample $w_c$ for $n$ times, which gives us $n$ predictions of the teacher (stored in $r$). We find the frequency of the mode of the predictions $\tau$ and use it as the uncertainty estimation. If the prediction of the teacher when $w_c = \mu$ does not equal to the prediction of the student model or $\tau$ is less than a threshold $t$ (a low $\tau$ indicates high uncertainty), $x$ will be used for training in the next epoch.

### 4 Experiments

#### 4.1 Experiment settings

We use BERT and BiLSTM as the student model and experiment on CoNLL2003 (Tjong Kim Sang, 2002; Sang and De Meulder, 2003) and Penn Treebank (Marcus et al., 1993). We use the same configuration for the Bayesian linear classifier teacher in all experiments. We consider a strict uncertainty sampling strategy, where we set the threshold $t$ to 1, i.e. the teacher must be absolutely certain to an input before it is passed for training in the next epoch.

We compare our approach to standard training, i.e. train the student model on the entire training set in each epoch. We experiment on Top-k Loss (Fan et al., 2017) to inspect our method’s capability of reducing the punishment caused by continuing training on properly handled data. We use a mini-batch variant of Top-k Loss, where $k^*$ indicates the proportion of samples picked from a batch of data. For instance, $k^* = 0.8$ means we sample 80% data with the highest loss from a batch, which are used for update. In our experiments, we pick up $k^*$ values such that the total number of data whose loss is used for update is close to the number of iterations in teacher-aware training.

![Figure 1: The training curve, testing loss, and number of training data in each epoch, trained with BERT on CoNLL2003 (EN) under different training methods. Results are averaged across 3 runs.](image)

#### 4.2 Results

Table 2 displays the results of the experiments. We only report the number of training iterations in student model, since the training of the student model costs much more computational power than that of the teacher model. We also report an additional $F1$-per-iteration index ($\delta$), which is calculated as:

$$\delta = \frac{F1\%}{\#iter} \times 100.$$
<table>
<thead>
<tr>
<th>DATASET</th>
<th>STUDENT</th>
<th>METHOD</th>
<th>#ITER.</th>
<th>F1%</th>
<th>δ</th>
</tr>
</thead>
<tbody>
<tr>
<td>CoNLL2003 (EN)</td>
<td>BERT</td>
<td>teacher-aware</td>
<td>9134±666</td>
<td>89.05±0.06</td>
<td>0.97</td>
</tr>
<tr>
<td></td>
<td></td>
<td>standard training</td>
<td>18740</td>
<td>88.84±0.05</td>
<td>0.47</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Top-k Loss (k* = 0.50)</td>
<td>18740</td>
<td>88.37±0.08</td>
<td>0.47</td>
</tr>
<tr>
<td></td>
<td>BiLSTM</td>
<td>teacher-aware</td>
<td>2492±252</td>
<td>76.70±1.20</td>
<td>3.08</td>
</tr>
<tr>
<td></td>
<td></td>
<td>standard training</td>
<td>6600</td>
<td>76.77±0.92</td>
<td>1.16</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Top-k Loss (k* = 0.40)</td>
<td>6600</td>
<td>73.59±1.33</td>
<td>1.12</td>
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<tr>
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<td>BERT</td>
<td>teacher-aware</td>
<td>7648±81</td>
<td>88.38±0.11</td>
<td>1.16</td>
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<td>10400</td>
<td>88.53±0.64</td>
<td>0.85</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Top-k Loss (k* = 0.75)</td>
<td>10400</td>
<td>88.37±0.08</td>
<td>0.47</td>
</tr>
<tr>
<td></td>
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<td>teacher-aware</td>
<td>2601±186</td>
<td>75.90±2.74</td>
<td>2.92</td>
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<tr>
<td></td>
<td></td>
<td>standard training</td>
<td>3900</td>
<td>73.26±2.66</td>
<td>1.88</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Top-k Loss (k* = 0.68)</td>
<td>3900</td>
<td>73.26±2.66</td>
<td>1.88</td>
</tr>
<tr>
<td>CoNLL2003 (NL)</td>
<td>BERT</td>
<td>teacher-aware</td>
<td>10355±329</td>
<td>87.73±0.49</td>
<td>0.85</td>
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<tr>
<td></td>
<td></td>
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<td>0.43</td>
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<tr>
<td></td>
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<td>7410</td>
<td>66.13±0.35</td>
<td>0.89</td>
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<td></td>
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<td>Top-k Loss (k* = 0.35)</td>
<td>7410</td>
<td>63.87±2.84</td>
<td>0.86</td>
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<td>Penn Treebank</td>
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<td>teacher-aware</td>
<td>36929±1003</td>
<td>93.27±0.39</td>
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<tr>
<td></td>
<td></td>
<td>standard training</td>
<td>49790</td>
<td>92.56±1.35</td>
<td>0.19</td>
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<tr>
<td></td>
<td></td>
<td>Top-k Loss (k* = 0.75)</td>
<td>49790</td>
<td>93.03±0.23</td>
<td>0.19</td>
</tr>
<tr>
<td></td>
<td>BiLSTM</td>
<td>teacher-aware</td>
<td>18176±72</td>
<td>88.26±1.46</td>
<td>0.49</td>
</tr>
<tr>
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<td></td>
<td>standard training</td>
<td>18690</td>
<td>87.63±1.04</td>
<td>0.47</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Top-k Loss (k* = 0.99)</td>
<td>18690</td>
<td>87.72±1.89</td>
<td>0.47</td>
</tr>
</tbody>
</table>

Table 1: Number of training iterations in student model, test results (F1%), and F1-per-iteration (δ) on CoNLL2003 and Penn Treebank under different student models and training methods. Results are averaged across 3 runs.

Our approach reduces the number of training iterations in all runs. In some runs, our method reduces more than 60% training iterations. Models trained using our approach outperform those using standard training in 7 out of 8 sets. We also observe a better performance in models trained using our approach than those using Top-k Loss. Our approach sees the highest δ in all sets, indicating that a single iteration contributes more to model’s performance in our method.

Figure 1 shows that the model trained using our method has a slightly faster convergence rate and a lower testing loss compared to other methods. The teacher samples more data in early epochs than late epochs, which suggests that there is more discrepancy between the teacher and student, or the teacher is uncertain to most of the data when training begins; when training proceeds, the teacher and student become more equivocal and the teacher is certain to more data, resulting in less data being selected out for training. Our structure features a dynamic sampling process, distinct from methods such as Top-k Loss which selects a fixed number of data each time.

5 Conclusion

We propose a teacher-aware structure that utilizes uncertainty to facilitate efficient training in token classification. As a proof of concept, we use two backbone models that are widely used in state-of-the-art token classification models as the student, and use a Bayesian linear classifier as the teacher. Our structure reduces the number of training iterations, with no cost in model’s performance.

References


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ish pre-trained bert model and evaluation data. In *PML4DC at ICLR 2020*.


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A Implementation details

For experiments with BERT, we use bert-base-cased (Devlin et al., 2018) on CoNLL2003 (EN) and Penn Treebank, dccuchile/bert-base-spanish-wwm-cased (Cañete et al., 2020) on CoNLL2003 (ES), and GroNLP/bert-base-dutch-cased (de Vries et al., 2019) on CoNLL2003 (NL) as the encoder. The implementation is based on Hugging-face Transformers (Wolf et al., 2020). The model is optimized using Adam with a learning rate of 4e-5. We set batch size to 8 and train the model 10 epochs. The model contains 108M parameters.

For experiments with BiLSTM, we produce default word-level embeddings with size 768 and use 2 BiLSTM layers with hidden size 768. We add a dropout layer before the last BiLSTM layer and the linear classifier, with a rate of 0.2. The model is optimized using Adam with a learning rate of 4e-3, and we train the model 30 epochs with a batch size of 64. The model contains 28M parameters.

We do not alter the configuration of the Bayesian linear classifier teacher in one and another experiment. It is optimized using Adam with a learning rate of 4e-5. The Bayesian linear classifier contains 14K parameters. For each piece of training data, it samples 2 times to update $\theta$. We use a strict uncertainty sampling strategy, where we set the threshold $t$ to 1.

B More results
Figure 2: The training curve, testing loss, and number of training data on different data sets under different student models and training methods. Results are averaged across 3 runs.