# **DeltaDQ: Distribution-Driven Delta Compression for Fine-tuned LLMs**

#### **Anonymous ACL submission**

### Abstract

Large language models have demonstrated remarkable success across a wide range of domains, with supervised fine-tuning being widely adapted to make them more suitable for real-world scenarios. Given the diversity of downstream tasks and varying demands, efficiently deploying multiple full-parameter finetuned models presents a significant challenge. To address this, we analyze Balanced Intermediate Dropout, a distribution-related phenomenon, whereby the matrix-computed intermediate results for the delta weight of each fine-tuned model have extremely small variance and min-max range. Leveraging this phenomenon, we propose a novel distributiondriven delta compression framework DeltaDQ, which employs Group-wise Balanced Dropout and Delta Quantization to efficiently compress the delta weight. Group-wise Balanced Dropout achieves a favorable trade-off with accuracy and performance, ensuring an N:M sparsity pattern. Delta Quantization further compresses the delta weight based on distribution characteristics. Experimental results show that the accuracy of our framework on WizardMath-7B,13B at 96.875% compress rate is improved by 4.47 and 4.70 compared with baseline, and we even improve the accuracy by 1.83 and 0.61 compared with the original model on WizardCoder-13B,34B.

#### 1 Introduction

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Large Language Models (LLMs) (Brown et al., 2020; Touvron et al., 2023) have achieved unprecedented advances in recent years, and to be able to utilize LLMs efficiently, most researchers and users have adopted the Supervised Fine-Tuning (SFT) (Ouyang et al., 2022) to emerge the capabilities of LLMs for a variety of different downstream tasks. SFT enables LLMs to achieve better quality in mathematical reasoning, code generation, and other tasks. Meanwhile, despite the existence



Figure 1: Overview of delta compression

of many Parameter Efficient Fine-Tuning (PEFT) (Ding et al., 2022) methods such as LoRA (Hu et al., 2021), full-parameter fine-tuning models still have higher accuracy under many complex down-stream tasks (Chen et al., 2022).

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However, how to deploy multiple full-parameter fine-tuning models efficiently in the inference stage becomes a new challenge. One difficulty is the large number of fine-tuned models due to the numerous downstream tasks in real-world scenarios. Another is the great variation of requests from different models, which leads to substantial resource demand and low utilization if all models are deployed simultaneously. Conversely, when the models are loaded according to the request demand, the duration of loading will be long due to the enormous number of parameters of the models, which leads to a sharp increase in the total request latency.

The recent study DELTAZIP (Yao and Klimovic, 2023) highlights the efficacy of delta compression, a novel technique that diverges from conventional methods. As shown in Figure 1, instead of compressing the entire fine-tuned model, delta compression targets the model-specific delta weight, offering a more focused and potentially efficient compression strategy. Although the memory requirement of n homologous fine-tuned models changes from the original p \* n to 1 + p \* n for the same compress rate p, compressing the delta weight al-

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lows for a higher compress rate p compared to the original fine-tuned weight, resulting in an overall reduction in memory requirement. Nevertheless, since DELTAZIP uses SparseGPT (Frantar and Alistarh, 2023) to compress the delta weight, it does not fully utilize the properties of delta weight, resulting in a significant loss of accuracy at high compress rates. DARE (Yu et al., 2023a) discover that most of the parameters of delta weight can be randomly dropout (Srivastava et al., 2014), but the compressed delta weight is unstructured, leading to unfriendly deployment.

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To address the above issues and achieve efficient deployment of multiple full-parameter fine-tuning models, we propose a novel distribution-driven delta compression framework DeltaDQ. We observe that the intermediate results of delta weight during matrix computation have extremely small variance and min-max range distribution properties, which we call Balanced Intermediate Results. Taking advantage of this phenomenon, we design Group-wise Balanced Dropout, which groups the elements of each row of delta weight with the size of M, randomly retains N elements, and dropout the rest of the elements, which maintains accuracy while avoids performance degradation by utilizing the N:M sparsity pattern (Mishra et al., 2021). We also incorporate the distributional properties of delta weight and employ Delta Quantization to further quantize the delta weight and improve the compress rate. DeltaDQ achieves a compress rate of 96.875% with little or no accuracy loss for WizardMath (Luo et al., 2023a), WizardCoder (Luo et al., 2023b), and MetaMath (Yu et al., 2023b).

Our main contributions are as follows:

- We have discovered *Balanced Intermediate Results*, where delta weight has better compressibility with extremely small variance and min-max range during matrix computation.
- We propose a novel distribution-driven delta compression framework, DeltaDQ, which mainly consists of *Group-wise Balanced Dropout* and *Delta Quantization* to maximize the compress rate while maintaining accuracy and performance.
- Experimental results show that our frame-work can achieve a compress rate of 96.875%, and specifically the accuracy on WizardMath-7B,13B is improved by 4.47 and 4.70 compared to baseline, respectively. While on

WizardCoder-13B,34B we even improve the accuracy by 1.83 and 0.61 compared to the original model.

## 2 Related Work

# 2.1 Low-Rank Adaptation of Large Language Models

To reduce the resource requirement and cost of SFT, many PEFT methods have appeared, the most representative of which is the Low-Rank Adaptation (LoRA). LoRA (Hu et al., 2021) speeds up computation and reduces resource requirements by updating only low-rank weights. QLora (Dettmers et al., 2023) proposes NF4 quantization to quantize low-rank weights, which further reduces resource requirements. For efficiently serving thousands of lora adapters, there are many multi-tenant lora serving work such as Pets (Zhou et al., 2022), Punica (Chen et al., 2023), and S-Lora (Sheng et al., 2023) that enhance the inference performance. Despite PEFT having substantially reduced the cost of SFT, their accuracy still trails behind that of fullparameter fine-tuning methods on complex tasks (Chen et al., 2022). In this work, we focus on deploying the full-parameter fine-tuning model.

# 2.2 Model Compression of Large Language Models

Many model compression efforts have also emerged to reduce the deployment cost of LLMs. SparseGPT (Frantar and Alistarh, 2023) and Wanda (Sun et al., 2023) compress models by pruning and removing unimportant parameters. Methods like Smoothquant (Xiao et al., 2023), GPTQ (Frantar et al., 2022), LLM.int8() (Dettmers et al., 2022), and AWQ (Lin et al., 2023b) decrease the resource demands by quantizing the model's representation to a lower bit. In addition to these traditional model compression methods, delta compression shows excellent potential for compressing multiple fullparameter fine-tuning models. DELTAZIP (Yao and Klimovic, 2023) uses SparseGPT to compress the delta weight and builds an inference system, while DARE (Yu et al., 2023a) realizes a model merging method with higher accuracy by randomly dropout the delta weight. However, the former methods experience significant accuracy loss at high compress rates, while the latter is tailored for model merging scenarios where the delta weight eventually merges back into the original weights, leading to unstructured delta weight.



Figure 2: Comparison of the variance and min-max range distribution of the intermediate results of the delta weight, fine-tuned model, and base model for each output element matrix computation

#### 3 Method

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### 3.1 Preliminaries

**Delta Compression.** Given n full-parameter finetuning models  $\{M_1, M_2, ..., M_n\}$ , which are finetuned on the homologous base model, such as Llama. We can split the weights of each model into two parts, the weights of base model  $W_0$  and the delta weight  $\Delta W_i$ , in the following way:

$$W_i = W_0 + \Delta W_i \quad . \tag{1}$$

With the delta weight  $\Delta W_i$  obtained in the above way, we transform the compressed target into delta weights  $\Delta W_i$  which is called delta compression.

**Layer-Wise Compression.** In model compression, the whole optimization problem is usually transformed into a layer-by-layer subproblem. Assume that the weights of *l*-th layer of model  $M_i$  is  $W_i^l$ and the compressed weights are  $\hat{W}_i^l$ , the optimization objective of model compression is to minimize the layer-wise  $\mathcal{L}_2$ -loss, defined as  $\mathcal{L}_{layer}$ :

$$\mathcal{L}_{layer} = ||X_i^l W_i^{l^T} - X_i^l \hat{W_i^{l^T}}||_2^2 , \qquad (2)$$

190 where  $X_i^l$  is the inputs of the *l*-th layer.

## 3.2 Balanced Intermediate Results

For a better understanding of the characteristics of delta compression, further analysis of elementwise intermediate results of linear layers has been performed. Assuming  $W_i^l, \hat{W}_i^l \in R^{d_1 \times k}, X_i^l \in R^{k \times d_2}$  and the outputs  $A_i^l, \hat{A}_i^l \in R^{d_1 \times d_2}$ , we can transform  $\mathcal{L}_{layer}$  further:

$$\mathcal{L}_{layer} = ||X_i^l W_i^{l^T} - X_i^l \hat{W_i^{l^T}}||_2^2$$
(3)

$$= ||A_i^l - A_i^l||_2^2$$
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$$= \sum_{p=1,q=1}^{a_1,a_2} (a_{p,q}|_i^l - \hat{a}_{p,q}|_i^l)^2 \quad , \qquad \qquad 20$$

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where  $a_{p,q}|_i^l$ ,  $\hat{a}_{p,q}|_i^l$  are the elements on the outputs  $A_i^l$  and  $\hat{A}_i^l$  locations (p,q) before and after compression:

$$a_{p,q}|_i^l = \overbrace{w_{p,0}x_{0,q} + \dots + w_{p,k}x_{k,q}}^{e_{all}}$$
, (4)

and if we use the pruning method to compress the model, setting mask  $m_{s_1}, ..., m_{s_1+k_1} \in \{1\}^{k_1}$  and  $m_{s_2}, ..., m_{s_2+k_2} \in \{0\}^{k_2}$ , there are:

$$\hat{a}_{p,q}|_{i}^{l} = \overbrace{w_{p,s_{1}}x_{s_{1},q} + \dots + w_{p,s_{1}+k_{1}}x_{s_{1}+k_{1},q}}^{e_{stay}} \quad .$$
(5)

As shown in Figure 2, we find that each element  $\Delta a_{p,q}|_i^l$  of the delta weight outputs  $X_i^l \Delta W_i^{l^T}$  has the following two properties compared to the original outputs  $X_i^l W_i^{l^T}$ :



Figure 3: Overview of our DeltaDQ delta compression framework. Our framework is divided into four steps; Step1: Split Weight; Step2: *Group-wise Balanced Dropout*; Step3: *Delta Quantization*; Step4: Deployment.

- Small Variance: The intermediate results  $\Delta w_{p,0}x_{0,q}, ..., \Delta w_{p,k}x_{k,q}$  of  $\Delta a_{p,q}|_i^l$  have a small variance between them;
- Narrow Min-Max Range: The intermediate results  $\Delta w_{p,0}x_{0,q}, ..., \Delta w_{p,k}x_{k,q}$  of  $\Delta a_{p,q}|_i^l$  have a very small range between the maximum and minimum values.

We call the above phenomenon *Balanced Intermediate Results*, which explains that the distribution smoothing property of delta weight allows for better compressibility compared to the original finetuned weights.

### 3.3 Overview of DeltaDQ

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Based on the above observation, we propose a novel distribution-driven delta compression framework DeltaDQ, which is shown in Figure 3. Firstly, the weights of the fine-tuned model are split into  $W_0$  and  $\Delta W_i$ . Leveraging *Balanced Intermediate Results* phenomenon, we introduce a simple-yeteffective method *Group-wise Balanced Dropout* to prune the delta weight, striking a favored tradeoff between compress rate, accuracy, and performance. In addition, we utilize *Delta Quantization* to enhance the compress rate further. For the final deployment phase, we apply an independent computation strategy, enabling the deployment of as many fine-tuned models as possible.

## 240 **3.4** Group-wise Balanced Dropout

Exploiting the distributional properties of *BalancedIntermediate Results*, we can randomly drop some

of the weights according to the dimension of the matrix computation, i.e., the row dimension of the weights, then rescale the remaining weights, called Balanced Dropout. Through the above method, for any element  $\Delta a_{p,q}|_i^l$ , we can approximate such that  $\Delta a_{p,q}|_i^l$  before compression and  $\Delta \hat{a}_{p,q}|_i^l$  after compression are equal, such that  $\Delta a_{p,q}|_i^l - \Delta \hat{a}_{p,q}|_i^l$  equals 0, which roughly makes  $\mathcal{L}_{layer} = 0$ .

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However, since the delta weight is unstructured after dropping in this way, it leads to a degradation of the deployment performance. The traditional structured approach drops all on the dimension leading to  $\mathcal{L}_{layer} \neq 0$  certainly. Modern GPUs are optimized for the N:M sparsity pattern, enabling them to deliver superior performance with models compressed accordingly. We can simply add N:M constraints to the original Balanced Dropout to *Group-wise Balanced Dropout*, this is done by adding  $\Delta W_i^l \in \mathbb{R}^{d_1 \times d_2}$  for the *l*-th layer:

- 1. N:M Drop: In the row dimension, m consecutive elements are grouped into sets, from which n elements are randomly selected and the remaining m n elements are dropped;
- 2. Rescale: Multiply by  $\frac{m}{n}$  for the remaining n elements of each group.

The original whole dimension dropout is similar to simple random sampling with  $T_1$  distinct schemes, whereas *Group-wise Balanced Dropout* resembles grouped sampling, featuring  $T_2$  distinct schemes:

$$T_1 = C(k, k_1) = \frac{k!}{k_1!(k - k_1)!} , \qquad (6)$$

$$T_2 = C(m, \frac{k_1}{k} * m)^{\frac{k}{m}} .$$
 (7)

Although  $T_1$  offers a substantially larger solution set than  $T_2$ , the model weights' dimensions, commonly exceeding 1000, render the number of  $T_2$ solutions adequate to maintain the  $\mathcal{L}_{layer} = 0$  assumption with reasonable accuracy.



Figure 4: Distribution of weights before and after quantization

### 3.5 Delta Quantization

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While the *Group-wise Balanced Dropout* enables performance to be maintained while reducing memory, M is usually not larger than 32 due to the N:M sparsity pattern limited by the design of current GPUs to avoid the bank conflict issue (Lin et al., 2023a), which limits the maximum compress rate to 96.875% (1:32). Fortunately, according to our insights, the delta weight has the property of being more tightly distributed with fewer outliers. This distributional property allows us to further compress the delta weight using quantization, called *Delta Quantization*.

To avoid inference speed degradation, we use the uniform quantization approach and min-max method to statistically obtain the quantization parameters:

$$X_Q = \mathcal{Q}(X_R) = \operatorname{clamp}(0, 2^{k-1}, \lfloor \frac{X_R}{S} \rceil) \quad , \quad (8)$$

$$S = \frac{\max(|X_R|)}{2^{k-1} - 1} , \qquad (9)$$

$$\operatorname{clamp}(l, u, x) = \begin{cases} l, & x \le l \\ x, & l \le x \le u \\ u, & x \ge u \end{cases}$$
(10)

where  $X_R$  denotes the original float value,  $X_Q$  represents a quantized k-bit integer. l and u represent the lower and upper bounds of the quantization range, respectively.  $\lfloor \cdot \rfloor$  rounds to the nearest integer. S is the scaling factor.

Quantizing the weights $\Delta W_i$ to a lower bit repre-	307
sentation can substantially decrease memory usage	308
and bandwidth requirements, thereby accelerating	309
computational speed. Figure 4 illustrates that the	310
weight distribution remains closely aligned with	311
the original distribution following quantization.	312

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#### 3.6 Deployment

In the deployment phase, we utilize the DELTAZIP framework to strategically segregate the storage of the base model weights,  $W_0$ , and the compressed delta weight,  $\Delta \hat{W}_i$ . Specifically,  $W_0$  is maintained in the GPUs memory for quick access, while  $\Delta \hat{W}_i$ , which are significantly compressed relative to their original size, are stored on a persistent storage solution, such as a hard disk, which offers more expansive storage capabilities. This structure allows for efficient retrieval of  $\Delta \hat{W}_i$  from the hard disk to the GPUs memory on an as-needed basis, triggered by incoming computational requests.

Computation processes are conducted in parallel, with the base model weights being processed simultaneously alongside the associated delta weight. After the computation within each linear layer is complete, the outputs are meticulously synchronized to ensure that the final outcome integrates both the foundational computations from the base model and the specific adjustments encoded in the delta weight. This method ensures a streamlined computation workflow that is both memory-efficient and capable of handling dynamic computational demands.

Fine-tuned Model	Base Model
WizardMath-7B	Llama2-7B
WizardMath-13B	Llama2-13B
WizardMath-70B	Llama2-70B
WizardCoder-7B	CodeLlama-7B
WizardCoder-13B	CodeLlama-13B
WizardCoder-34B	CodeLlama-34B
MetaMath-7B	Llama2-7B
MetaMath-13B	Llama2-13B

Table 1: Detailed information on the fine-tuned models selected for the evaluation, including parameter scales and their corresponding base models.

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Method	Structured	Quantization	Compress	WizardMath		WizardCoder			
Wiethou	Structured	Quantization	Rate	<b>7B</b>	13B	70B	<b>7B</b>	13B	34B
Dense	1	×	0%	55.49	63.83	81.80	55.48	64.02	73.17
Magnitude	×	×	50%	52.00	65.04	74.29	46.95	63.41	69.51
DELTAZIP	×	×	50%	53.60	64.59	81.65	53.05	62.80	71.95
DARE	×	×	50%	53.67	64.36	80.89	57.31	62.80	73.17
DeltaDQ	$\checkmark$	×	50%	53.14	63.92	81.65	58.32	65.24	75.00
Magnitude	X	×	75%	45.71	61.71	44.2	10.36	12.19	35.36
DELTAZIP	×	×	75%	50.87	62.17	81.96	55.49	64.63	68.29
DARE	×	×	75%	51.70	63.52	80.21	57.92	61.58	73.17
DeltaDQ	$\checkmark$	×	75%	53.22	64.51	81.95	55.48	65.24	74.39
Magnitude	×	×	87.5%	32.37	55.99	30.47	6.70	2.43	0.00
DELTAZIP	×	×	87.5%	46.63	59.29	80.82	42.68	59.15	69.51
DARE	×	×	87.5%	50.11	63.07	80.28	56.70	62.19	71.95
DeltaDQ	✓	×	87.5%	53.14	63.76	80.74	56.70	65.24	72.56
Magnitude	×	×	96.875%	2.27	30.70	47.83	0.00	0.00	0.00
DELTAZIP	×	$\checkmark$	96.875%	46.47	58.83	80.82	38.41	53.05	68.29
DARE	×	×	96.875%	46.09	58.75	79.90	53.65	65.24	71.34
DeltaDQ	$\checkmark$	$\checkmark$	96.875%	50.94	63.53	80.74	53.68	65.85	73.78

Table 2: Accuracy comparison of WizardMath and WizardCoder at various compress rates, with bold highlighting to indicate the top-performing method for each case. "Structured" represents whether the weights are structured after compression; "Quantization" indicates whether quantization is utilized; "Dense" denotes the original model.

### **4** Experiment

## 4.1 Setup

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Baseline. We compare DeltaDQ with three prior compression methods. Magnitude (Han et al., 2015) is a classical numerical magnitude-based pruning method and strong baseline. DELTAZIP (Yao and Klimovic, 2023) is the current optimal delta compression framework. And DARE (Yu et al., 2023a) randomly dropout in the entire weights. DeltaDQ and all three methods compress for the delta weight.

Models, Datasets and Evaluation. We evaluate three types of fine-tuned models: WizardMath (Luo et al., 2023a), WizardCoder (Luo et al., 2023b), and 351 MetaMath (Yu et al., 2023b). We choose three parameter sizes for the first two models and two for 353 MetaMath. We exclude MetaMath-70B because it uses LoRA fine-tuning, while we focus on compressing full-parameter fine-tuning models. The 357 detailed information is shown in Table 1. Our evaluation primarily uses two datasets: GSM8k (Cobbe et al., 2021) for assessing WizardMath and Meta-Math, and HumanEval (Chen et al., 2021) for WizardCoder. The main metric we look at is the ac-361

curacy of these datasets. We evaluate the impact of various compression techniques at four distinct rates: 50%, 75%, 87.5%, and 96.875% 362

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**Implementation Details.** DeltaDQ is built with PyTorch (Paszke et al., 2017) and utilizes models and datasets from Huggingface Transformers (Wolf et al., 2019), with accuracy assessments conducted through the vLLM framework (Kwon et al., 2023). Other methods use open-source implementations to measure accuracy. All our experiments are conducted on 8 NVIDIA V100 GPUs with 32G of memory and 8 NVIDIA A100 GPUs with 80G of memory.

#### 4.2 Comparison with Baseline

As shown in Table 2, our framework achieves better accuracy for WizardMath and WizardCoder models compared to the remaining there methods in most cases. Our framework, excluding the WizardMath-70B model, attains top accuracy at 87.5% and 96.875% compress rates, with better GPUs efficiency than the former due to the characteristics of its structured compression. Especially, at a 96.875% compress rate, our framework exceeds the state-of-the-art accuracy for WizardMath-



Figure 5: Accuracy comparison of Group-wise Balanced Dropout components across various compress rates.

Method	Compress Rate	MetaMath		
Witthou		<b>7B</b>	13B	
Dense	0%	66.79	71.03	
Magnitude	50%	65.73	71.03	
DELTAZIP	50%	65.88	71.49	
DARE	50%	66.11	70.96	
DeltaDQ	50%	66.41	71.56	
Magnitude	75%	61.10	71.03	
DELTAZIP	75%	65.13	71.87	
DARE	75%	67.09	71.94	
DeltaDQ	75%	65.80	71.11	
Magnitude	87.5%	52.69	64.67	
DELTAZIP	87.5%	61.26	69.07	
DAREDARE	87.5%	65.88	69.74	
DeltaDQ	87.5%	65.20	70.58	
Magnitude	96.875%	13.57	42.30	
DELTAZIP	96.875%	60.20	68.08	
DARE	96.875%	53.29	60.80	
DeltaDQ	96.875%	64.67	68.53	

Table 3: Accuracy of MetaMath models at various compress rates, with the optimal method denoted in bold.

7B and 13B models by 4.47 and 4.70, respectively, and outperforms the original WizardCoder-13B and 34B models by 1.83 and 0.61. Table 3 illustrates that, in most cases, DeltaDQ consistently achieves optimal accuracy with the MetaMath model. The comparison results indicate that DeltaDQ is effective and broadly applicable in balancing trade-offs between compress rate, accuracy, and performance.

#### 4.3 Analysis

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**Evaluation of Group-wise Balanced Dropout.** We conduct a detailed analysis of the individual effects exerted by the components within *Group-wise Balanced Dropout*, as illustrated in Figure 5.

N:M	2:4	4:8	8:16	16:32
Acc	51.32	53.07	53.14	52.38
N:M	1:4	2:8	4:16	8:32
Acc	51.93	49.35	53.22	52.46
N:M	1:8	2:16	4:32	8:64
Acc	50.18	52.99	53.14	50.49
N:M	1:16	2:32	4:64	8:128
1.00	173	/7.01	/8 21	49.96

Table 4: Accuracy comparison of WizardMath-7Bmodel across various N:M sparsity patterns.

N:M	2:4	4:8	8:16	16:32
Acc	54.87	56.09	54.87	58.53
N:M	1:4	2:8	4:16	8:32
Acc	54.87	55.48	54.87	54.26
N:M	1:8	2:16	4:32	8:64
Acc	56.70	56.09	54.87	55.48
N:M	1:16	2:32	4:64	8:128
Acc	53.65	56.09	56.09	58.53

Table 5: Accuracy comparison of WizardCoder-7B model across various N:M sparsity patterns.

N:M	2:4	4:8	8:16	16:32
Acc	65.65	66.33	66.26	66.41
N:M	1:4	2:8	4:16	8:32
Acc	65.35	65.65	65.80	65.57
N:M	1:8	2:16	4:32	8:64
Acc	65.20	64.97	64.89	65.27
N:M	1:16	2:32	4:64	8:128
Acc	64.51	61.94	62.24	63.83

Table 6: Accuracy comparison of MetaMath-7B model across various N:M sparsity patterns.

Our findings indicate that the *Rescale* component is critical for the Group-wise Balanced Dropout. 400 Omitting Rescale leads to a drastic drop in model 401 accuracy, with scores plunging to zero at 93.75% 402 and 96.875% compress rates. This significant de-403 crease can be primarily attributed to the ability of 404 the Rescale operation to facilitate an approxima-405 tion  $\mathcal{L}_{laver}$  close to zero under delta compression. 406 Conversely, the conventional N:M Sparse approach 407 fails to accommodate the specialized distribution 408 characteristics of the delta weight, often culminat-409 ing in a substantial decline in accuracy. Combin-410 ing N:M Drop and Rescale, Group-wise Balanced 411 Dropout achieves superior accuracy. 412

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Our analysis of accuracy variations for different N:M sparsity patterns is presented in Tables 4, 5, and 6. Given the GPUs bank conflict constraints, we limit M to a maximum of 32 for practical applications. However, for this evaluation, we allow a larger M to explore its potential impact. The experimental results reveal that at the same compress rate, varying N:M sparsity patterns impact accuracy. For example, the WizardMath-7B model at a 75% compress rate demonstrates that the 4:16 pattern yields an accuracy improvement of 3.87 over the 2:8 pattern. Moreover, there is no obvious relationship between the accuracy and the N:M sparsity pattern and a larger M does not necessarily result in higher accuracy.



Figure 6: The impact of Delta Quantization on accuracy.

**Evaluation of Delta Quantization.** Our analysis investigates the impact of *Delta Quantization* on model accuracy. As reflected in Figure 6, implementing *Delta Quantization* post *Group-wise Balanced Dropout* enhances model accuracy. Specifically, at a 93.75% compress rate, this approach boosts accuracy by 3.49 for WizardMath-7B and by 1.06 for MetaMath-7B relative to their individual applications. Moreover, at a higher compress rate of 96.875%, the accuracy enhancements are notably pronounced, with WizardMath-7B and MetaMath-7B showing improvements of 5.23 and 24.72, respectively. Although WizardCoder-7B has

a slight accuracy degradation using quantization at both compress rates, greater compress rates can be achieved due to the orthogonality of *Delta Quantization* and *Group-wise Balanced Dropout*. The evaluation results demonstrate that *Delta Quantization* is effective in substantially enhancing the compress rate while still preserving both the accuracy and performance of the model. 441

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Figure 7: Comparing responses of the WizardLM-7B model before and after DeltaDQ.

**Case Study.** We additionally evaluate the change in response of WizardLM-7B, a chat model based on Llama fine-tuning, before and after DeltaDQ. As seen in Figure 7, the responses generated by the model before and after applying DeltaDQ exhibit a high degree of similarity for the identical question, even at a high compress rate of 96.875%. This illustrates the generalization of our framework to different types of fine-tuned models and its nonawareness to practical users.

## 5 Conclusion

In this paper, we introduce DeltaDQ, an innovative framework designed for delta compression. DeltaDQ is primarily composed of two cuttingedge techniques: *Group-wise Balanced Dropout* and *Delta Quantization*. *Group-wise Balanced Dropout* leverages the inherent properties of delta weights to selectively dropout weights in a stochastic manner, while *Delta Quantization* applies additional compression to the compressed weights. Impressively, our framework manages to accomplish lossless compression for the majority of models at an astounding compress rate of 96.875%.

### Limitations

The effectiveness of deploying our framework in<br/>a real-world setting is dependent on the current<br/>state of N:M sparsity software tools and the level473474474

of support for such sparsity provided by GPUs 476 hardware. Despite the potential benefits of our 477 framework, the actual deployment performance is 478 currently constrained by the absence of optimized 479 libraries tailored for accelerating operations with 480 low-bit N:M sparse weights. These specialized 481 libraries would be necessary to fully exploit the 482 efficiency gains promised by our framework, as 483 they would enable faster computation and memory 484 access patterns suited to the sparse structure of the 485 weights. 486

## 487 Ethical Impact

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Our framework's compression may lead to variations in the model's outputs, as the process can modify the exact values of the model weights, potentially influencing the inference results. However, the framework is optimized to minimize the impact on performance, striving to preserve the quality and consistency of the outputs.

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