AutoCATE: End-to-End, Automated Treatment Effect Estimation

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Abstract

Estimating causal effects is crucial in domains like healthcare, economics, and education. Despite advances in machine learning (ML) for estimating conditional average treatment effects (CATE), the practical adoption of these methods remains limited, due to the complexities of implementing, tuning, and validating them. To address these challenges, we formalize the search for an optimal ML pipeline for CATE estimation as a counterfactual Combined Algorithm Selection and Hyperparameter (CASH) optimization. We introduce `AutoCATE`, the first *end-to-end, automated* solution for CATE estimation. Unlike prior approaches that address only parts of this problem, `AutoCATE` integrates evaluation, estimation, and ensembling in a unified framework. `AutoCATE` enables comprehensive comparisons of different protocols, yielding novel insights into CATE estimation and a final configuration that outperforms commonly used strategies. To facilitate broad adoption and further research, we release `AutoCATE` as an open-source software package.

1. Introduction

Accurately estimating causal effects is crucial in domains like healthcare, education, and economics. Despite advances in machine learning (ML) for estimating the conditional average treatment effect (CATE), real-world adoption remains limited due to the *complexity of developing ML pipelines for CATE estimation*. Methods often involve numerous hyperparameters, and their performance varies significantly across data sets and applications. Moreover, validating counterfactual predictions and tuning pipelines is highly challenging, and the performance of evaluation criteria also varies with the data generating process (Curth & van der Schaar, 2023). For practitioners unfamiliar with ML, such as clinicians or marketers, these challenges may outweigh potential benefits, hindering the practical use of these techniques. To address this, we advocate for *automated, end-to-end solutions* for learning ML pipelines for CATE estimation.

The challenge of automated CATE estimation. Despite significant progress in automated ML (AutoML) (see He et al., 2021), existing solutions do not address the unique challenges of CATE estimation. A key problem is the *lack of ground truth*: the treatment effect is the difference in outcomes with and without treatment, but only one outcome is observed per instance. Which outcome is observed depends on *confounding* variables (e.g., older patients more often receive treatment), leading to covariate shift (Shalit et al., 2017). Finally, CATE estimation pipelines are *highly complex*: metalearners combine multiple baselearners, and often include both classification and regression models. Risk measures require predictions themselves and, thus, tuning ML pipelines. These challenges complicate training and validation of ML pipelines for CATE estimation.

Contributions. To address these challenges, we propose `AutoCATE`, the first *automated, end-to-end* framework for *constructing and validating* an ML pipeline for CATE estimation. In doing so, we make the following contributions:

- COUNTERFACTUAL CASH—We formalize the search for an ML pipeline for CATE estimation as a counterfactual Combined Algorithm Selection and Hyperparameter (CASH) optimization. Our solution, `AutoCATE`, automatically searches across preprocessors, metalearners, evaluators, baselearners, and their hyperparameters. The process is organized into three stages–*evaluation*, *estimation*, and *ensembling*–each including several design choices.
- END-TO-END AUTOMATION—We develop automated protocols that perform well across data sets and applications. Our end-to-end approach includes often-overlooked aspects of CATE estimation, such as preprocessing, feature selection, and ensembling. Our perspective uncovers novel *insights* (see Figure 14), *questions* (e.g., the trade-off to use data for training or validation) and *solutions* (e.g., multi-objective optimization across evaluation criteria).
- SOFTWARE PACKAGE—We release `AutoCATE` as an open-source tool to support future research on all aspects of CATE estimation. For practitioners unfamiliar with ML, `AutoCATE` makes automated CATE estimation with advanced ML techniques accessible in a few lines of code.

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2. Related Work

Our work is related to two areas in ML research: (1) AutoML, and (2) CATE estimation and model validation.

2.1. Automated Machine Learning (AutoML)

AutoML aims to efficiently and automatically construct performant ML pipelines. This involves a series of design choices regarding preprocessing, feature transformation and selection, ML algorithms, and hyperparameter tuning (Karmaker et al., 2021). As the optimal choices depend on the data and task, AutoML is essentially a *search problem*. Therefore, efficient search methods have been developed (Bergstra et al., 2011; Snoek et al., 2012; Alaa & van der Schaar, 2018) and meta-learning is used to incorporate information across settings (Feurer et al., 2015). A key aspect of AutoML is accessibility through low-code tools for practitioners unfamiliar with ML (LeDell & Poirier, 2020; Erickson et al., 2020; Jarrett et al., 2021; Wang et al., 2021).

AutoML solutions exist for a wide range of tasks, including reinforcement learning (Runge et al., 2019), time series forecasting (Jarrett et al., 2021), semantic segmentation (Chen et al., 2018), and machine translation (So et al., 2019). For more comprehensive overviews, see (Elsken et al., 2019) and (He et al., 2021). However, to the best of our knowledge, *AutoML has not yet been applied to CATE estimation*. As discussed, estimating treatment effects presents *unique challenges*, such as the absence of a ground truth, covariate shift due to confounding, and the need for intermediary models in metalearners and risk measures. These complexities render standard AutoML approaches ill-suited for CATE estimation and illustrate the need for specialized approaches.

> **Research gap**—No existing AutoML solutions address the unique and complex challenges of CATE estimation.

2.2. Treatment Effect Estimation and Model Validation

Estimation. Various ML methods have been proposed for CATE estimation. Metalearners are general strategies for using supervised learning algorithms for CATE estimation (Künzel et al., 2019). Additionally, various ML algorithms have been adapted for CATE estimation, such as Gaussian processes (Alaa & van der Schaar, 2017), neural networks (Shalit et al., 2017; Yoon et al., 2018), decision trees (Rzepakowski & Jaroszewicz, 2012), or random forests (Wager & Athey, 2018; Oprescu et al., 2019). Other components of the ML pipeline also present complexities when estimating treatment effects, such as missing value imputation (Berrevoets et al., 2023), feature selection (Zhao et al., 2022), and ensemble selection (Mahajan et al., 2023).

Building an ML pipeline for CATE estimation presents significant challenges, related to the absence of ground truth and the many design choices involved. Not only will no ML algorithm be optimal in all possible settings, there is also no globally optimal metalearner, as performance similarly depends on the (unknown) data generating process and sample size (Curth & van der Schaar, 2021). Finally, *tuning is more involved*: for example, a DR-Learner combines four models (to estimate the propensity, the outcome per treatment group, and the final treatment effect)–each of which can be a different baselearner with separate hyperparameters.

Model validation. As the CATE is unobserved, evaluation criteria have been proposed to validate CATE estimators. A common approach is the error in predicting the observed outcome μ (the μ-risk). However, this criterion has several limitations (Curth & van der Schaar, 2023; Doutreligne & Varoquaux, 2023): it does not account for confounding, may not accurately predict CATE error[1], and is not applicable to metalearners that directly predict the CATE. To mitigate the first issue, an inverse propensity weighted variant μ_{IPW}-risk, can be considered. Other evaluation criteria address all issues by constructing labels based on plug-in estimates (e.g., S- or T-risk) or metalearner pseudo-outcomes (e.g., R- and DR-risk), see Appendix B.2 for a detailed overview.

There is *no consensus on the optimal validation criterion*. Schuler et al. (2018) and Doutreligne & Varoquaux (2023) advocate for the R-risk, while Mahajan et al. (2023) favor the T- and DR-risk. Conversely, Curth & van der Schaar (2023) show that a risk measure's effectiveness varies with different factors, such as the metalearner and data generating process, with no single criterion being universally optimal. Additionally, Doutreligne & Varoquaux (2023) highlight the importance of using flexible estimators to construct pseudo-labels, with (Mahajan et al., 2023) advocating the use of AutoML. The lack of consensus and design choices involved stress the need for end-to-end, automated procedures.

> **Research gap**—Despite significant progress in using ML for CATE *estimation* and model *validation*, key questions remain unresolved: when to use particular methods, how to tune them effectively, and how to optimize critical but overlooked aspects like preprocessing or ensembling.

3. Problem Formulation

Notation and assumptions. We represent an instance by a tuple (x, t, y) with covariates $X \in \mathcal{X} \subset \mathbb{R}^d$, a treatment $T \in \mathcal{T} = \{0, 1\}$, and an outcome $Y \in \mathcal{Y} \subset \mathbb{R}$. The potential outcome Y associated with a treatment t is denoted as $Y(t)$. We aim to estimate the conditional average treatment effect (CATE): $\tau = \mathbb{E}[Y(1) - Y(0)|X]$. CATE estimation with observational data requires standard assumptions (see Ap-

[1] For example, if both potential outcomes are overestimated by the same amount, the μ-risk would indicate a poor model quality while the resulting CATE estimates would still be accurate.

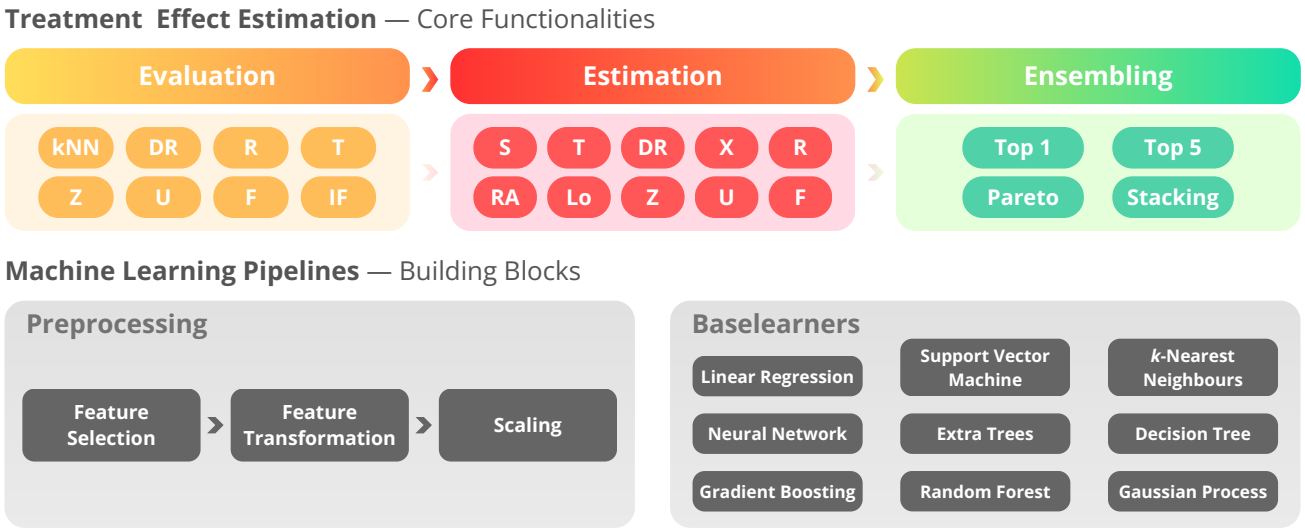

Figure 1: **AutoCATE builds a pipeline in three stages.** (1) *Evaluation*–learning the appropriate risk measure(s), (2) *Estimation*–tuning a CATE estimation pipeline, and (3) *Ensembling*–selecting a final model or constructing an ensemble. We build ML pipelines for evaluation and estimation based on a collection of *preprocessing algorithms* and ML *baselearners*.

pendix A.2). More background is provided in Appendix A.

Goals and challenges. Given observational data $\mathcal{D}_{\text{train}}$, we aim to find the optimal ML pipeline for CATE estimation. This is a *counterfactual Combined Algorithm Selection and Hyperparameter* (CASH) optimization, involving a search over pipelines a_h with algorithms $a \in \mathcal{A}$ and hyperparameters $h \in \mathcal{H}_a$ to minimize the error $\mathcal{L}$ on test data $\mathcal{D}_{\text{test}}$:

$$\arg\min_{a,h} \mathcal{L}(a_h|\mathcal{D}_{\text{test}}). \tag{1}$$

An algorithm a can be an ML method tailored for CATE estimation or a metalearner with one or more baselearners. The counterfactual CASH problem involves *unique challenges*. A pipeline's quality of fit on the train data $\mathcal{L}(a_h|\mathcal{D}_{\text{train}})$ is unobserved, as there is no ground truth CATE. In addition, there is covariate shift between the observational training data and test data due to confounding. Both points present challenges for both *building* and *validating* an ML pipeline.

4. AutoCATE: End-To-End, Automated CATE Estimation

AutoCATE automatically finds the optimal ML pipeline in three stages: *evaluation*, *estimation*, and *ensembling*.

(1) EVALUATION: In the first stage, we construct a proxy risk for $\mathcal{L}$ based on a risk measure (e.g., R-risk) and evaluation metric (e.g., MSE). To accurately estimate this risk on the validation data, we perform an automated search over preprocessors, ML algorithms, and their hyperparameters.

(2) ESTIMATION: The second stage searches over combinations of preprocessors, metalearners, baselearners, and their hyperparameters to obtain pipelines for CATE estimation.

(3) ENSEMBLING: Finally, we use the first stage's proxy risk to select and combine estimation pipelines from the second stage. The result can be a single pipeline or an ensemble.

Figure 1 shows a high-level overview of AutoCATE's functionalities per stage and the underlying building blocks.

4.1. Stage 1: Evaluation—Designing a Proxy Risk and Evaluation Protocol

The counterfactual CASH problem requires minimizing $\mathcal{L}(a_h|\mathcal{D}_{\text{test}})$, which involves two challenges: the lack of ground truth τ and the presence of covariate shift due to confounding. To tackle these, we measure risk based on validation data's predicted *pseudo-labels*–i.e., proxies for τ.

Risk measures. AutoCATE includes *different possible risk measures*, described in Appendix B.2. We include pseudo-labels used in metalearners (*DR*-, *R*-, *Z*-, *U*-, and *F*), plug-in risks (*T* and *1NN*), and a risk approximation with influence functions (*IF*). We exclude the μ- and μ_{IPW}-risks as they do not apply to all metalearners, and the *S*-risk due to poor results in prior work (e.g., Mahajan et al., 2023). As constructing these risk measures requires estimating nuisance parameters, we search over preprocessing and ML algorithms to find good-performing ML pipelines.

There is no ground truth and different measures may be preferable depending on the (unknown) data generating process. To make our evaluation more robust, we allow for *combining different measures*. Similarly, as pseudo-outcomes are predictions, there is no "true" version, enabling us to construct multiple version of a single risk (e.g., two R-risks). Using multiple risk measures results in a multi-objective search problem. To account for the varying scales of differ-

ent risks, we normalize them by comparing each model's performance to an average treatment effect (ATE) baseline.

Metrics and implementation. Different metrics can compare the pseudo-labels and CATE predictions to evaluate their quality. We include *general metrics* of predictive accuracy, like the mean squared error (MSE) or mean absolute percentage error (MAPE), and metrics related to a *downstream application*, like the Area Under the Qini Curve (AUQC) for ranking effects (Vanderschueren et al., 2024). The R-risk requires a metric that accommodates weights. Finally, we include a stratified training-validation split and a stratified k-fold cross-validation procedure. Figure 7 shows more information on the evaluation frameworks.

4.2. Stage 2: Estimation—Building a CATE Estimation Pipeline

Different *metalearners* can estimate the CATE. Metalearners are general frameworks for using ML algorithms to estimate treatment effects. They are versatile, accommodate various ML algorithms, and can be efficiently trained using existing ML packages. Common examples include the S-Learner (single model with the treatment as a feature), Lo-Learner (single model with treatment interaction terms), and T-Learner (separate models for each treatment group). Other metalearners use pseudo-outcomes that converge to the treatment effect, such as the DR-, X-, R-, RA-, Z-, U-, and F-Learners. Appendix B.1 provides more detailed information on each metalearner. Where available, we use the `CausalML` implementations (Chen et al., 2020).

4.3. Stage 3: Ensembling—Selecting and Ensembling Estimation Pipelines

The final *ensembling* stage evaluates the pipelines from the *estimation* stage with risk measures from the *evaluation* stage and select the best pipeline(s) for prediction. No established methods exist for ensembling CATE estimators and, due to the lack of ground truth, most standard ensembling methods are not applicable. We can select the best pipeline, or the best five for improved robustness and accuracy. We also include a novel stacking procedure that assigns weights (between zero and one) to each pipeline and optimizes these to minimize the squared error with the pseudo-outcomes. The weights are regularized, with tuning on a holdout set. Finally, we include stacking with softmax weights (Mahajan et al., 2023)–to the best of our knowledge, this is the only existing ensemble method for CATE estimation. Appendix B.5 provides more details on each ensembling approach.

With *multiple risk measures* in a multi-objective search, model selection is more complex as there may not be one optimal pipeline, but rather a Pareto frontier. One strategy is to select all Pareto optimal pipelines, though pipelines performing well on only one measure may not work well in general. For good general performance, we can select the pipeline (or the top five) with the lowest average risk across objectives. Similarly, we can select based on each pipeline's Euclidean distance to the origin, or its average rank across objectives. Finally, we can apply the abovementioned stacking procedure for each risk measure separately and averaging the weights in a final stacked pipeline.

4.4. ML Pipeline Building Blocks

We construct ML pipelines in the *evaluation* and *estimation* stages. Pipelines consist of preprocessors and ML algorithms, built on top of `scikit-learn` (Pedregosa et al., 2011). For *preprocessing*, we provide different feature selection and scaling algorithms. As *baselearners*, we include different ML algorithms with classification and regression counterparts, ranging from linear regression to random forests. Appendix B.3 provides more information.

The final search space includes a variety of preprocessors, metalearners, baselearners, and their hyperparameters. While efficient *optimization strategies* such as Bayesian approaches could be used, we use random search throughout this work to focus on other design choices in `AutoCATE`. Nevertheless, as the search is implemented with `optuna` (Akiba et al., 2019), we could use a range of optimizers.

4.5. AutoCATE Provides Low-Code CATE Estimation

`AutoCATE` is implemented in Python[2], following `scikit-learn`'s design principles (Pedregosa et al., 2011). The low-code API enables automated CATE estimation with only four lines of code, as shown below:

```
from src.AutoCATE import AutoCATE

autocate = AutoCATE()
autocate.fit(X_train, t_train, yf_train)
cate_pred = autocate.predict(X_test)
```

Different initialization arguments can be specified (e.g., the number of estimation trials; see Appendix B.6).

5. Empirical Results

This section analyzes `AutoCATE`'s design choices per stage: *evaluation* (5.2), *estimation* (5.3), and *ensembling* (5.4). We identify best practices and benchmark the resulting configuration against common alternatives (5.5).

5.1. Experimental Setup: Data and Evaluation Metrics

Our experiments compare various automated, end-to-end strategies for learning a CATE estimation pipeline. Using `AutoCATE`, we can evaluate a range of design choices. To

[2]The software package and accompanying experimental code are publicly online at https://github.com/toonvds/AutoCATE.

	DR	F	IF	kNN	R	T	U	Z
IHDP	**2.12**$_{\pm.34}$	3.33$_{\pm.55}$	3.13$_{\pm.45}$	2.22$_{\pm.36}$	3.37$_{\pm.71}$	2.15$_{\pm.35}$	3.58$_{\pm.72}$	5.40$_{\pm.86}$
ACIC	1.56$_{\pm.09}$	1.74$_{\pm.10}$	2.52$_{\pm.16}$	1.74$_{\pm.10}$	1.63$_{\pm.10}$	**1.52**$_{\pm.09}$	1.72$_{\pm.09}$	2.40$_{\pm.15}$
Twins	.333$_{\pm.00}$	.340$_{\pm.00}$	.340$_{\pm.01}$	.323$_{\pm.00}$	.335$_{\pm.00}$	**.323**$_{\pm.00}$	.359$_{\pm.01}$	.350$_{\pm.01}$
News	**2.42**$_{\pm.07}$	2.48$_{\pm.07}$	2.73$_{\pm.09}$	2.43$_{\pm.07}$	2.51$_{\pm.08}$	2.42$_{\pm.07}$	2.60$_{\pm.09}$	3.02$_{\pm.11}$

(a) Comparing downstream performance for different risk measures

	Combining risks			T-risk—Multiple versions				Best
	All	*DR,T*	*DR,T,kNN*	*Top 1*	*Top 2*	*Top 3*	*Top 5*	single
IHDP	2.48$_{\pm.36}$	2.19$_{\pm.35}$	2.13$_{\pm.35}$	2.15$_{\pm.35}$	2.15$_{\pm.35}$	2.17$_{\pm.35}$	**2.11**$_{\pm.36}$	2.12$_{\pm.34}$
ACIC	1.94$_{\pm.13}$	1.58$_{\pm.09}$	1.60$_{\pm.09}$	1.52$_{\pm.09}$	1.54$_{\pm.08}$	1.55$_{\pm.09}$	**1.52**$_{\pm.08}$	1.52$_{\pm.09}$
Twins	.331$_{\pm.01}$	**.323**$_{\pm.00}$	.324$_{\pm.00}$	**.323**$_{\pm.00}$	0.323$_{\pm.00}$	**.323**$_{\pm.00}$	.324$_{\pm.00}$	**.323**$_{\pm.00}$
News	2.52$_{\pm.07}$	2.41$_{\pm.06}$	**2.41**$_{\pm.07}$	2.42$_{\pm.07}$	2.41$_{\pm.07}$	2.43$_{\pm.07}$	2.43$_{\pm.07}$	2.42$_{\pm.07}$

(b) Comparing downstream performance for different combinations of risk measures

Table 1: **Comparing risk measures for model selection.** Results in $\sqrt{\text{PEHE}}_{\pm\text{SE}}$ (↓). **Bold** highlights the best, underlined values fall within a standard error. Results for 50 evaluation and 50 estimation trials with a T-Learner and gradient boosting.

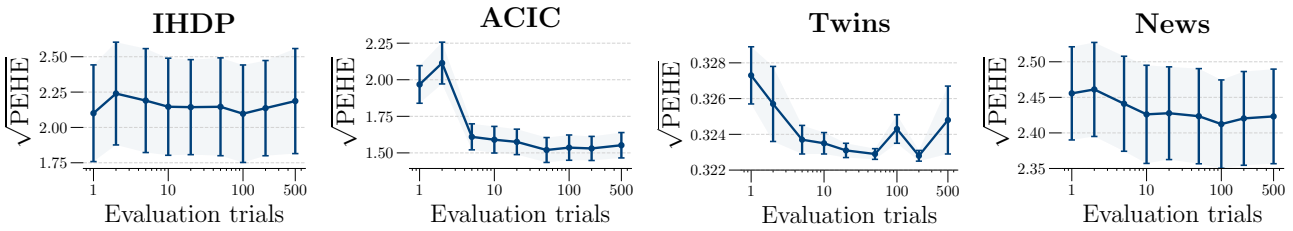

Figure 2: **The importance of tuning validation models.** We analyze the impact of tuning the models underlying the evaluation more extensively. Results for a T-risk and 50 estimation trials with a T-Learner and gradient boosting.

obtain general insights, we leverage a collection of standard benchmarks for CATE estimation: IHDP (Hill, 2011), ACIC (Dorie et al., 2019), News (Johansson et al., 2016), and Twins (Louizos et al., 2017); see Appendix C for details. These semi-synthetic benchmarks include 247 distinct data sets that vary in outcome (regression and classification), dimensionality, size, and application area, allowing for a comprehensive analysis `AutoCATE`. Unless noted otherwise, results are reported in precision in estimating heterogeneous treatment effects (PEHE): $\sqrt{\text{PEHE}} = \sqrt{(\tau - \hat{\tau})^2}$.

For each experimental result, the caption describes the `AutoCATE` configuration that was used. For the evaluation and estimation stages, we describe the search strategy for automatically find the ML pipeline(s), including the base- and metalearners involved and the number of optimization trials per stage. Unless stated otherwise, `AutoCATE` selects the best ML pipeline based on best average performance.

5.2. Stage 1: Evaluation Design Choices

We examine design choices for each stage, while keeping the other stages fixed. For the *evaluation* stage, we compare risk measures, metrics, and evaluation procedures to analyze the impact on model selection and downstream performance.

5.2.1. How to measure CATE prediction quality?

What risk measure works best? We compare performance of different risk measures for model selection in Table 1a. Three options consistently perform well: the *DR*-, kNN-, and T-risk. These results largely correspond with existing work. Curth & van der Schaar (2023); Mahajan et al. (2023) similarly found the *DR*-risk to work well, though the kNN-risk works comparatively better in our experiments. Although Curth & van der Schaar (2023) reported worse results for the T-risk, both our and Mahajan et al. (2023)'s findings show that it *can* give good results with proper tuning of the underlying models. We analyze the impact of tuning in Figure 2: tuning the evaluation models more indeed results in better downstream performance. We test whether congeniality bias (Curth & van der Schaar, 2023) affects our results by repeating this experiment for different metalearners in Table 6, but find similar results.

Is it beneficial to use multiple risk measures? We can combine different risk measures in a multi-objective search, leading to possibly more robust model selection, as each risk offers a different proxy to the same ground truth. Table 1b shows both results for risk measure combinations and for multiple versions of a single measure based on different

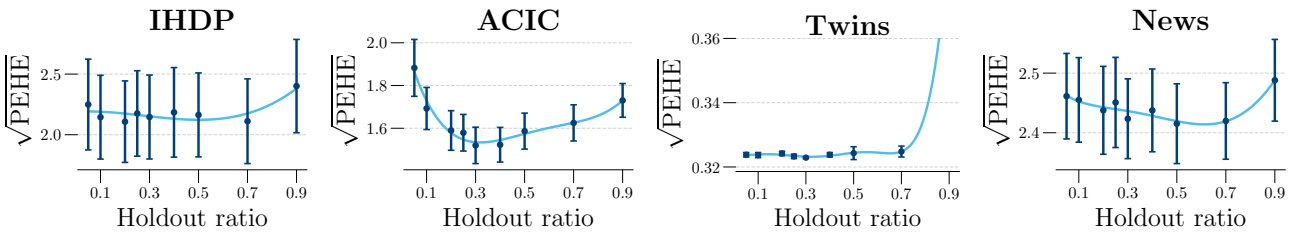

Figure 3: **How much data to use for evaluation?** Results for varying holdout ratios, with a fitted polynomial to gain insight into the optimal ratio. Evaluation with a T-risk and 50 trials; estimation with 50 trials, a T-Learner and gradient boosting.

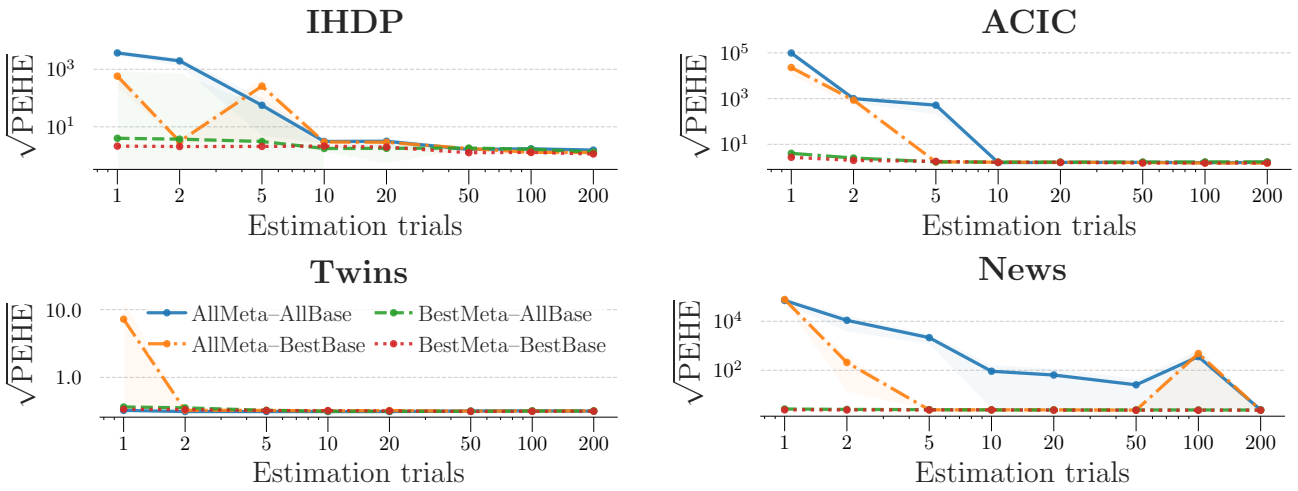

Figure 4: **What meta- and baselearners to include?** We compare different search spaces for AutoCATE, either including all metalearners (AllMeta) or only the best (BestMeta), as well as all baselearners (AllBase) or only the best (BestBase). Results for 50 evaluation trials with a T-risk.

estimates. Combining different types or different versions of risk measures can indeed improve performance, but no strategy consistently improves upon the best single measure.

5.2.2. What evaluation procedure to use?

How to set the holdout ratio? As risk measures require learning estimates on validation data, there is a *trade-off* between using data for evaluation or estimation. Figure 3 presents results for different holdout ratios, illustrating this trade-off and showing that a holdout ratio of 30-50% generally works well. We use 30% in the rest of this work. Although more folds in cross-validation often improve model performance in supervised settings, we do not observe this effect for AutoCATE (see Table 5), likely due to the interaction between the number of folds and the holdout ratio.

What evaluation metric to use? All previous experiments used the mean squared error (MSE) to compare CATE predictions and pseudo-outcome(s), corresponding to the goal of minimizing PEHE. However, depending on the downstream application, *alternative objectives* might be more important. AutoCATE provides several metrics. Table 7 shows results for evaluating based on the mean absolute percentage error (MAPE) and area under the Qini curve (AUQC). As hypothesized, selecting models using a particular metric generally improves performance for that metric.

5.3. Stage 2: Estimation Design Choices

Given an *evaluation* protocol, we compare choices in the *estimation* stage. We look at the impact of including different metalearners and baselearners in AutoCATE's search.

Metalearners. Figure 4 compares different versions of AutoCATE with either all meta- and baselearners (see Figure 1 for an overview), or only the selected best per category. The complete "AllMeta-AllBase" sometimes performs poorly. Performance generally improves with more trials, but poor results persist even after 100 trials on the News data. Further inspection reveals that bad iterations are due to instability of the R- and U-Learners: while these perform well on the validation set, they can perform exceptionally poor on the test data after retraining on all data. Other metalearners (F and Z) are *almost never* chosen. Therefore, "BestMeta" excludes these metalearners (R, F, Z, and U), resulting in improved stability and performance. Appendix D.2 compares metalearners' precision and time

	Best model(s)		Stacking	
	Top 1	*Top 5*	*COP*	*Softmax*
IHDP	2.15$_{\pm.35}$	**1.90**$_{\pm.34}$	1.96$_{\pm.34}$	2.83$_{\pm.51}$
ACIC	1.52$_{\pm.09}$	1.34$_{\pm.08}$	1.42$_{\pm.09}$	**1.33**$_{\pm.09}$
Twins	**.323**$_{\pm.00}$	.325$_{\pm.00}$	.344$_{\pm.00}$	.331$_{\pm.00}$
News	2.42$_{\pm.07}$	2.33$_{\pm.06}$	2.33$_{\pm.06}$	**2.32**$_{\pm.06}$

(a) Comparing ensemble strategies for a single T-risk

	Average		Distance		Ranking		Stacking		
	Top 1	*Top 5*	*Top 1*	*Top 5*	*Top 1*	*Top 5*	*COP*	*Softmax*	**Pareto**
IHDP	2.19$_{\pm.35}$	**1.84**$_{\pm.31}$	2.27$_{\pm.37}$	2.99$_{\pm.54}$	3.58$_{\pm.66}$	2.99$_{\pm.54}$	1.94$_{\pm.32}$	2.83$_{\pm.51}$	2.19$_{\pm.36}$
ACIC	1.58$_{\pm.09}$	1.35$_{\pm.08}$	1.55$_{\pm.08}$	1.41$_{\pm.08}$	1.69$_{\pm.08}$	1.41$_{\pm.08}$	1.43$_{\pm.09}$	**1.33**$_{\pm.09}$	1.50$_{\pm.08}$
Twins	**.323**$_{\pm.00}$	.325$_{\pm.00}$	**.323**$_{\pm.00}$	.341$_{\pm.00}$	.367$_{\pm.01}$	.341$_{\pm.00}$	.349$_{\pm.00}$	.331$_{\pm.00}$	.326$_{\pm.00}$
News	2.41$_{\pm.06}$	2.32$_{\pm.06}$	2.42$_{\pm.07}$	2.38$_{\pm.07}$	2.58$_{\pm.08}$	2.38$_{\pm.07}$	2.34$_{\pm.06}$	**2.32**$_{\pm.06}$	2.39$_{\pm.07}$

(b) Comparing ensemble strategies when combining *DR*- and T-risks

Table 2: **Ensemble strategies.** We compare ensembling strategies for a single or multiple objectives in terms of $\sqrt{\text{PEHE}}$. **Bold** highlights the best results, underlined values lie within 1 standard error. Results for 50 evaluation trials and 50 estimation trials with a T-Learner and gradient boosting.

efficiency, and shows how often metalearners are chosen.

Baselearners. The "BestBase" versions in Figure 4 only use baselearners that typically perform well with tabular data (random forests, extremely randomized trees, gradient boosting, and multilayer perceptrons), for both evaluation and estimation stages. Choosing the best baselearners improves performance, but less so than metalearner selection.

5.4. Stage 3: Ensembling Design Choices

The *ensemble* stage selects CATE estimation pipelines using the risk(s) from the evaluation stage. Selected pipelines are re-trained on all training data and saved for inference.

Single objective. With one objective, we can select the best pipeline (Top 1), the best five (Top 5), or apply stacking to combine all pipelines in an ensemble. Table 2a compares these strategies, showing that *combining pipelines improves performance* for all data except Twins. An ensemble also enables assessing predictive uncertainty, see Appendix D.3.

Multiple objectives. Model selection is more complex with multiple objectives. We can select the top or top five pipelines based on the average risk, Euclidean distance to the origin, or average rank. Alternatively, we can create stacking estimators for each objective and average their weights ("Stacking"), or select all Pareto optimal models ("Pareto"). Table 2b compares these strategies. Single pipelines typically perform worse than the top five pipelines, the Pareto ensemble, or stacking. Selection using average risk performs well generally, but no strategy is consistently optimal.

5.5. Benchmarking AutoCATE

This section compares the optimized configuration of AutoCATE with common alternative approaches for tuning CATE estimation pipelines. The benchmarks select the best model using the error in predicting observed outcomes (μ-risk). We include both S- and T-Learners. For T-Learners, we tune models separately for the control and treatment groups. First, we compare a T-Learner with gradient boosting tuned based on the μ-risk against AutoCATE using only a T-Learner and gradient boosting optimized for T-risk. While these strategies are similar, AutoCATE evaluates the entire pipeline jointly and (potentially) adds preprocessing. Conversely, the traditional T-Learner's search is more efficient as it tunes models separately per group. Figure 5 compares the two approaches: the μ-risk strategy performs worse for Twins, but better for ACIC. Finally, Figure 6 compares AutoCATE with S- and T-Learners using random forests and gradient boosting. These approaches are conceptually simple, but represent common and proven baselines. We observe that AutoCATE can obtain at least competitive performance to the best approach for each data set. These results are due to two factors. First, AutoCATE offers greater flexibility through a larger search space, including more meta- and baselearners and preprocessing (Table 10 illustrates the value of preprocessing). Second, model selection is better aligned with the goal of CATE estimation, using the T-risk, and can include an ensemble of pipelines to improve performance. Appendix D.4 shows more results on *ranking* treatment effects (i.e. uplift modeling) and validates AutoCATE's robustness to confounding with synthetic data.

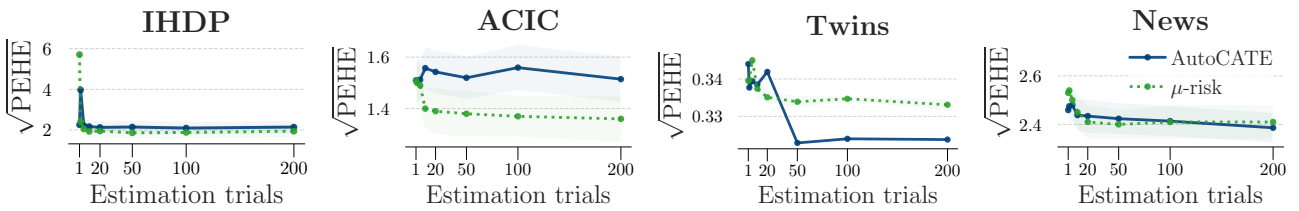

Figure 5: **Comparing AutoCATE with tuning based on μ-risk.** We compare tuning a T-Learner with gradient boosting using either AutoCATE (based on a T-risk) or tuning based on the MSE on the observed outcome. AutoCATE uses a T-risk with 50 evaluation trials and top 1 model selection.

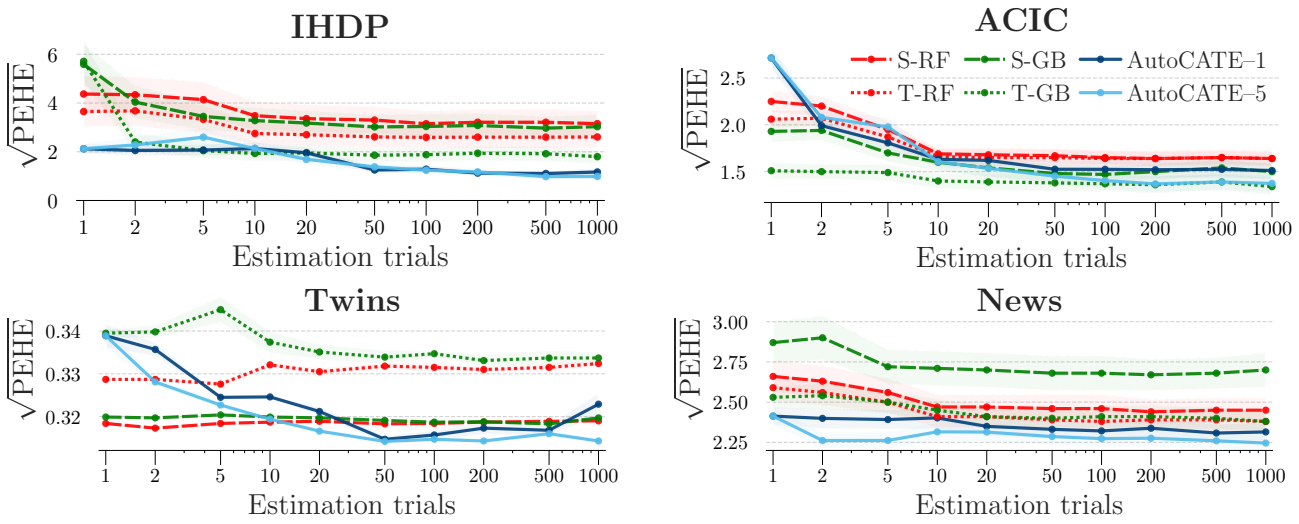

Figure 6: **Benchmarking AutoCATE.** We compare AutoCATE with common benchmarks using S- and T-Learners with random forests and gradient boosting. AutoCATE uses a T-risk with 50 evaluation trials and BestMeta-BestBase search spaces, with either Top 1 or Top 5 model selection.

6. Conclusion

Despite the advances in ML for CATE estimation, *adoption remains limited*, due to the complexity of implementing, tuning, and validating them. We framed the problem of finding an ML pipeline for CATE estimation as a *counterfactual CASH problem* and proposed AutoCATE: the first *end-to-end, automated solution* tailored to CATE estimation. Based on this solution, we analyzed design choices for evaluation, estimation, and ensembling, and identified best practices. The resulting configuration was validated empirically and outperformed widely used strategies for CATE estimation.

To maximize AutoCATE's practical impact, several *limitations* need to be addressed. Although AutoCATE relies on standard *assumptions* for causal inference, it is crucial to assess its robustness against violations of these assumptions and to develop protocols for such cases. Additionally, most of the data used in this work is *semi-synthetic* (IHDP, ACIC, and News), which may not fully capture the complexities of real-world data. Although validating CATE estimates remains inherently challenging, approaches from related fields could offer inspiration (see e.g. Devriendt et al., 2020).

While AutoCATE is an effective and versatile tool, no single method excels in all scenarios. It may be less suitable when data and compute are limited, when heavy customization or preprocessing are needed, and in settings violating our causal assumptions (e.g., instrumental variables). In such cases, alternative or tailored approaches may be preferable.

AutoCATE enables a *comprehensive analysis* of existing methods (see Figure 14 and Appendix D.5), facilitating a better understanding of CATE estimation and guiding the development of new approaches. We envision opportunities for *future research* in all stages. For *evaluation*, advanced multi-objective strategies could improve performance and robustness. Novel methods for *estimation* could be automatically discovered using Neural Architecture Search. Generally, efficiency can be improved with better search algorithms or strategies (e.g., by re-using nuisance models across metalearners). Related to this, the optimal time allocation between the stages remains an open question, where metalearning could help by incorporating data set characteristics (Feurer et al., 2015). Finally, more advanced *ensembling* could be developed (e.g., combining different metalearners).

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Impact Statement

Facilitating the adoption of causal inference methods may heighten the risk of misuse in high-stakes applications. Transparency, interpretability, and fairness remain crucial, and we hope our work inspires more research in these areas.

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The appendix starts with a more detailed introduction and background to CATE estimation in Appendix A. The next sections provide more details on AutoCATE (Appendix B), describe the data used in this work (Appendix C), and present additional empirical results (Appendix D). Finally, we compare AutoCATE with other packages for CATE estimation in Appendix E.

A. Background on CATE Estimation

This section provides a more detailed introduction and background on treatment effect estimation. In accordance to the main body, we denote an instance by a tuple (x, t, y), with covariates $X \in \mathcal{X} \subset \mathbb{R}^d$, a treatment $T \in \mathcal{T} = \{0, 1\}$, and an outcome $Y \in \mathcal{Y} \subset \mathbb{R}$. Following the potential outcomes framework (Rubin, 1974; 2005), we describe an instance's potential outcome Y for a given treatment $T = t$ as $Y(t)$. The Conditional Average Treatment Effect (CATE) is then defined as the expected difference in outcomes between treating and not treating:

$$\mathbb{E}\Big[Y(1) - Y(0)|X\Big]. \tag{2}$$

Knowing this effect is crucial in a variety of domains, such as education (Olaya et al., 2020), healthcare (Feuerriegel et al., 2024), and maintenance (Vanderschueren et al., 2023). Estimating the CATE from observational data involves significant *challenges* (Appendix A.1), requires standard *assumptions* (Appendix A.2), and tailored ML methods (Appendix A.3). We explain these in the following.

A.1. Challenges: The Fundamental Problem and Confounding

The fundamental problem of causal inference (Holland, 1988) is that, for each instance, we only observe either $Y(0)$ or $Y(1)$, depending on what treatment was administered. We refer to the observed outcome as the factual outcome and the unobserved outcome as the counterfactual outcome. Because one outcome is always unobserved, we never know the true CATE τ, which means that there is *no ground truth* CATE available for training or validation.

In observational data, the outcome that was observed is typically not random: some instances were more likely to be treated, while other instances were more likely not to receive treatment. For example, in healthcare, patients may be more likely to receive a new treatment if they have access to better healthcare, have no pre-existing conditions, and are younger. The covariates that influence both the outcome and treatment assignment are called *confounders*, with the resulting non-random treatment assignment sometimes referred to as confounding.

Confounding presents an additional challenge for CATE estimation and validation as it results in *covariate shift*. Some instance-treatment pairs (the counterfactuals) will be absent in the observational training data compared to the hypothetical test data that contains all instance-treatment pairs (both factuals and counterfactuals). Because of this, an ML model may focus too much on the observed data points at the cost of worse predictions for the counterfactuals and, as such, the test data overall.

A.2. Assumptions For Identifiability

Identifying the causal effect from observational data requires making standard assumptions: consistency, overlap, and unconfoundedness. This section explains these assumptions in more detail.

Assumption A.1 (Consistency)**.** The observed outcome given a treatment is the potential outcome under that treatment: $Y|X, t = Y(t)|X$.

Assumption A.2 (Overlap)**.** For each instance, there is a non-zero probability of receiving each treatment given their covariates: $\forall\, x \in \mathcal{X}$ and $t \in \mathcal{T} : P(T = t|X = x) > 0$. This condition ensures that there is sufficient variability in the treatment assignment.

Assumption A.3 (Unconfoundedness)**.** Given an instance's covariates, its potential outcomes are independent of the treatment assignment: $Y(0), Y(1) \perp\!\!\!\perp T \,|\, X$. This condition implies that all factors influencing both the treatment assignment and outcome are included in X. In other words, there are no unobserved confounders.

There has recently been much interest in CATE estimation under violation of these assumptions. For example, by quantifying the uncertainty or sensitivity of an estimate to a possible violation (Franks et al., 2020; Jesson et al., 2020; 2021), characterizing overlap violations (Oberst et al., 2020), or developing metalearners that can deal with unobserved confounders (Oprescu et al., 2023). We believe that extending AutoCATE to deal with these settings and to incorporate

these methods will improve its potential for real-world applicability even further. As such, we consider it an important direction for future versions.

A.3. CATE Estimation: Meta- and Baselearners

We briefly describe the approach of estimating the CATE with a metalearner here. A straightforward way of estimating the CATE is using a single ML model, where the treatment variable is considered an ordinary input variable. This metalearner is called the S-Learner and can be implemented with a wide variety of baselearners (i.e., ML algorithms that predict an outcome based on data, such as a decision tree or neural network). An alternative metalearner, the T-learner, fits two models–one model for each treatment group. Both models can use the same baselearner or a different one. More information on the metalearners in AutoCATE is provided in Appendix B.1. For more extensive overviews, we refer to (Devriendt et al., 2018), (Zhang et al., 2021), and (Feuerriegel et al., 2024).

B. AutoCATE: Additional Information

This section presents information on metalearners (Appendix B.1), risk measures for evaluation (Appendix B.2), and AutoCATE's search spaces for preprocessors and baselearners (Appendix B.3).

B.1. Metalearners

We describe the metalearners implemented in AutoCATE in more detail below. We first define the estimates that make up the building blocks of these models: the estimated propensity score $\hat{e}(x) = \mathbb{E}(t|x)$, the treatment-group specific outcome $\hat{y}_0(x) = \mathbb{E}(y|x, t = 0)$ and $\hat{y}_1(x) = \mathbb{E}(y|x, t = 1)$, and the treatment-unaware outcome $\hat{\mu}(x) = \mathbb{E}(y|x)$. In the following, the function f describes a model that is learned with a base learner such as a neural network or gradient boosting.

S-Learner. The S-Learner, or *single* learner, simply uses the treatment as a variable: $f_S(x, t) = \mathbb{E}(y|x, t)$. The CATE τ is then estimated as $\hat{\tau} = \hat{y}_1 - \hat{y}_0 = f_S(x, t = 1) - f_S(x, t = 0)$.

Lo-Learner (Lo, 2002). The Lo-Learner is similar to an S-Learner, in the sense that it uses the treatment as a variable, but it adds interaction terms between the covariates x and treatment t: $f_{Lo}(x, t) = \mathbb{E}(y|x, t, x \cdot t)$. The CATE τ is then estimated as $\hat{\tau} = \hat{y}_1 - \hat{y}_0 = f_{Lo}(x, t = 1) - f_{Lo}(x, t = 0)$.

T-Learner. The T-Learner constructs *two* models–one per treatment group: $f_T^0(x) = \mathbb{E}(y|x, t = 0)$ and $f_T^1(x) = \mathbb{E}(y|x, t = 1)$, and predicts the CATE as $\hat{\tau} = \hat{y}_1 - \hat{y}_0 = f_T^1(x) - f_T^0(x)$.

X-Learner (Künzel et al., 2019). The X-Learner first learns two treatment-specific outcome models: $\hat{y}_0(x)$ and $\hat{y}_1(x)$. It then uses these to impute the counterfactual outcome for each instance and, as such, obtain a pseudo-outcome $\tilde{\tau}_X$ for the treatment effect: $\tilde{\tau}_X^0 = \hat{y}_1(x) - y$ if $t = 0$, and $\tilde{\tau}_X^1 = y - \hat{y}_0(x)$ else. For each treatment group, a model is then learned on these pseudo-outcome: $f_X^0(x) = \tilde{\tau}_X^0$ and $f_X^1(x) = \tilde{\tau}_X^1$. The final effect model then estimates $f_X(x) = g(x)f_X^0 + (1 - g(x))f_x^1$ and predicts the treatment effect as $\hat{\tau} = f_X(x)$. $g(x) \in [0, 1]$ is a weighting function, typically the estimated propensity score $g(x) = \hat{e}(x)$.

RA-Learner (Curth & van der Schaar, 2021). The RA-Learner or *regression-adjusted* learner is similar to an X-Learner, but directly learns the final model on the pseudo-outcomes: $f_{RA}(x) = \mathbb{E}(\tilde{\tau}_X|x)$, predicting the treatment effect as $\hat{\tau} = f_{RA}(x)$.

Z-Learner. The transformed outcome approach (Jaskowski & Jaroszewicz, 2012; Powers et al., 2018) or inverse propensity weighted estimator (Curth & van der Schaar, 2021) uses a pseudo-outcome based on the Horvitz-Thompson transformation (Horvitz & Thompson, 1952): $\tilde{\tau}_Z = \left(\frac{t}{\hat{e}(x)} - \frac{1-t}{1-\hat{e}(x)}\right) y$. The Z-Learner then estimates $f_Z(x) = \mathbb{E}(\tilde{\tau}_Z|x)$ and predicts the treatment effect as $\hat{\tau} = f_Z(x)$.

U-Learner. The U-Learner is based on a pseudo-outcome $\tilde{\tau}_U = \frac{y-\hat{\mu}(x)}{t-\hat{e}(x)}$. The final model fits $f_U(x) = \mathbb{E}(\tilde{\tau}_U|x)$ and predicts the treatment effect as $\hat{\tau} = f_U(x)$.

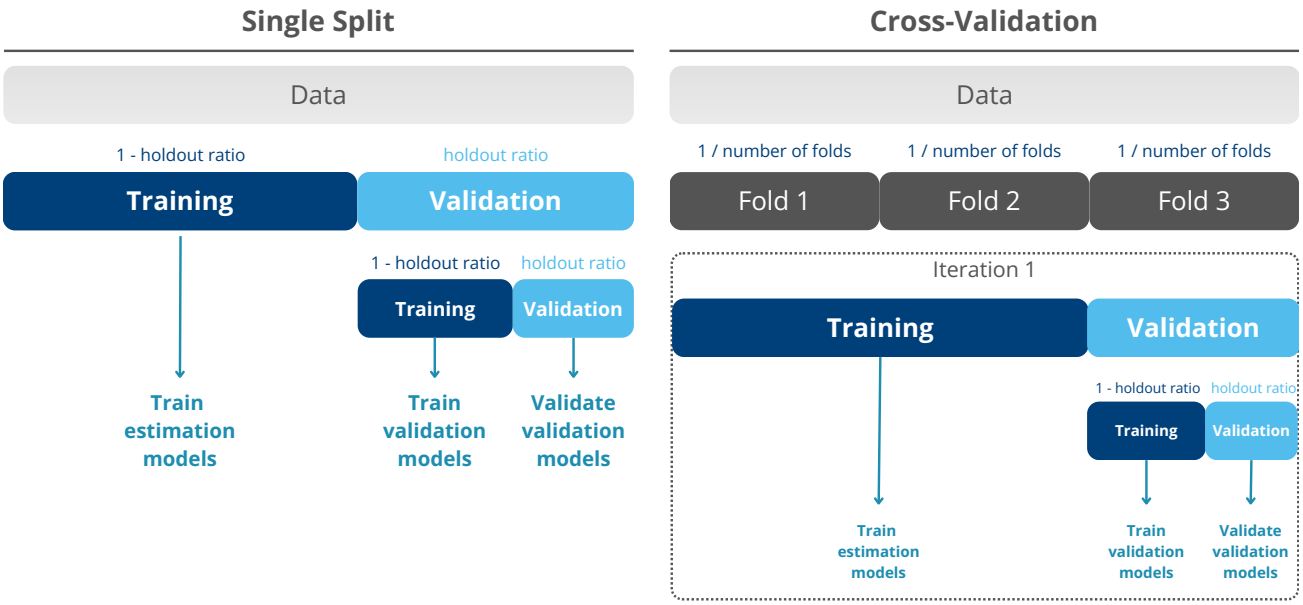


Figure 7: **Evaluation framework.** We show two possible frameworks for validating pipelines based on a single split or a cross-validation procedure. For each, the data is split in three groups to (1) train the estimation pipelines, (2) train the validation pipelines, and (3) validate the validation pipelines.

F-Learner (Athey & Imbens, 2015). The F-Learner uses the pseudo-outcome $\tilde{\tau}_F = \frac{t-\hat{e}(x)}{\hat{e}(x)(1-\hat{e}(x))} y$. The final model fits $f_F(x) = \mathbb{E}(\tilde{\tau}_F|x)$ and predicts the treatment effect as $\hat{\tau} = f_F(x)$.

DR-Learner (Kennedy, 2023). The DR-Learner is a robust version of the Z-Learner, based on the pseudo-outcome $\tilde{\tau}_Z = \left(\frac{t}{\hat{e}(x)} - \frac{1-t}{1-\hat{e}(x)}\right) y + \left(1 - \frac{t}{\hat{e}(x)}\right) \hat{y}_1(x) - \left(1 - \frac{1-t}{1-\hat{e}(x)}\right) \hat{y}_0(x)$. The final model is $f_{DR}(x) = \mathbb{E}(\tilde{\tau}_{DR}|x)$ and predicts the treatment effect as $\hat{\tau} = f_{DR}(x)$.

R-Learner (Nie & Wager, 2021). The R-Learner, based on Robinson's decomposition (Robinson, 1988), fits a model $f_R(x)$ using a weighted loss function with pseudo-outcomes $\tilde{\tau}_R = \frac{y-\hat{\mu}(x)}{t-\hat{e}(x)}$ and weights $w = (t - \hat{e}(x))^2$. The treatment effect can then directly be predicted as $\hat{\tau} = f_R(x)$.

B.2. Evaluation and Risk Measures

The evaluation framework and data splitting underlying `AutoCATE` is shown in Figure 7. Below, we describe the different types of risk measures included in our framework.

Metalearner pseudo-outcomes. An instance's true CATE τ is unknown, but we can use the pseudo-outcomes $\tilde{\tau}$ used by the T-, Z-, U-, F-, DR-, and R-Learners (see above) as ground truth.

Influence Function (IF) (Alaa & van der Schaar, 2019). The influence function criterion gives an estimate of an ML pipeline's estimation error. It is based on a pseudo-outcome of the treatment effect $\tilde{\tau}$, estimated with a T-Learner. This pseudo-outcome is then debiased using the influence function. The final criterion is:

$$(1 - B)\,\tilde{\tau}^2 + By(\tilde{\tau} - \hat{\tau}) - D(\tilde{\tau} - \hat{\tau})^2 + \tilde{\tau}^2$$

with $D = t - \hat{e}(x)$, $C = \hat{e}(x)(1 - \hat{e}(x))$, and $B = 2tDC^{-1}$.

k-Nearest Neighbor (kNN) (Rolling & Yang, 2014). The nearest neighbor matching measure finds the nearest neighbor in the opposite group, defined using the Euclidean distance, and uses its outcome as the counterfactual outcome. As such, it is essentially a T-Learner pseudo-outcome where the baselearner is restricted to a nearest neighbor model. We extend upon this by allowing alternative versions to be constructed by increasing k.

Hyperparameter	Range
VarianceThreshold	
threshold	$[0, 0.04]$
SelectPercentile	
k	$[5, \text{n\_dim}]$
score_func	mutual_info_{regression, classif}

(a) Feature Selection

Hyperparameter	Range
StandardScaler	
—	
RobustScaler	
—	

(b) Feature Scaling

Table 3: **Preprocessor search spaces.** We describe the search spaces for the different preprocessors. If a hyperparameter is not mentioned, we use its default. All preprocessors are implemented with `scikit-learn` (Pedregosa et al., 2011); we refer to their documentation for more information.

B.3. Preprocessor and Baselearner Search Spaces

Preprocessors. ML pipelines include three (optional) steps to preprocess the data before being fed to a model: feature selection, transformation, and scaling. For feature selection, include VarianceThreshold, SelectPercentile, or no selection. For feature scaling, we include StandardScaler, RobustScaler, or no scaling. Finally, we include feature transformation algorithms in our software package (SplineTransformer, PolynomialFeatures, KBinsDiscretizer), but do not include them in the experiments as they significantly slowed down training times. Other steps for feature selection and scaling from *scikit-learn* are similarly supported, but not included in the experiments, which is why we do not discuss them here. Table 3 provides detailed information on the search spaces.

Baselearners. We present the search spaces for all baselearners' hyperparameters in Table 4. These are based largely upon existing AutoML packages (e.g., FLAML (Wang et al., 2021)) and some (limited) experimentation, so these may be improved in future versions.

`AutoCATE`'s resulting search space of ML pipelines for CATE estimation is vast, with 2,187 possible pipelines even *without considering hyperparameters*:

$$3 \text{ feature selection} \times 3 \text{ scaling} \times 27 \text{ metalearner-baselearner configurations} \times 9 \text{ baselearners} \tag{3}$$

with $27 = 1\ (S) + 2\ (T) + 4\ (DR) + 5\ (X) + 4\ (R) + 3\ (RA) + 1\ (Lo) + 2\ (Z) + 3\ (U) + 2\ (F)$, i.e., the sum of all baselearners required per metalearner.

B.4. Example ML Pipeline

We give an example of a pipeline built by `AutoCATE`, excluding baselearner hyperparameters. *Evaluation* using a T-Risk evaluation, with control outcomes estimated with gradient boosting and treatment outcomes estimated using a neural network. *Estimation* by first selecting a top percentile of features based on the F-value between the label and feature, followed by a *DR*-Learner where propensity scores are estimated with a support vector machine, control outcomes with gradient boosting, treatment outcomes with a linear regression, and the final effect with a random forest. This example illustrates the complexity of an ML pipeline for CATE estimation–in this case, there are six different ML models with several hyperparameters each. If an *ensemble* is used for estimation, this complexity increases even more.

B.5. Ensembling and Multi-Objective Model Selection

This section describes the different approaches for ensembling and multi-objective model selection included in our framework. With multiple objectives, no globally optimal ML pipeline may exist. We explore various strategies for ranking and selecting models in this context. We denote a pipeline i's normalized score on objective j as s_{ij}. As different risk measures and metrics have different scales, we normalize each of these scores by dividing the raw score $\tilde{s}_{ij}$ with the raw score of a constant ATE baseline $\tilde{s}_j^{\text{ATE}}$: $s_{ij} = \frac{\tilde{s}_{ij}}{\tilde{s}_j^{\text{ATE}}}$.

Hyperparameter	Range
Gradient Boosting	
n_estimators	$[50, 2000]$
subsample	$[0.4, 10]$
min_samples_split	$[2, 500]$
learning_rate	$[0.05, 0.5]$
n_iter_no_change	$[5, 100]$
max_leaf_nodes	None
max_depth	None
Random Forest	
n_estimators	$[50, 500]$
max_depth	None
min_samples_split	$[2, 100]$
max_features	$[0.4, 1.0]$
Extra Trees	
n_estimators	$[50, 500]$
max_depth	None
min_samples_split	$[2, 100]$
max_features	$[0.4, 1.0]$
Decision Tree	
max_depth	$[1, 2000]$
min_samples_split	$[2, 500]$
min_samples_leaf	$[1, 500]$
max_features	$[0.4, 1.0]$

Hyperparameter	Range
Linear/Logistic Regression	
alpha	$[1e{-}6, 1e6]$
Gaussian Process	
n_restarts_optimizer	$[0, 5]$
normalize_y	[True, False]
alpha	$[1e{-}5, 1e2]$
max_iter_predict	$[100, 1000]$
Support Vector Machine	
C	$[1e{-}6, 1e6]$
kernel	[linear, poly, rbf, sigmoid]
degree	$[1, 10]$
k-Nearest Neighbors	
n_neighbors	$[1, 30]$
weights	[uniform, distance]
Neural Network	
hidden_layers	$[1, 3]$
hidden_neurons	$[8, 64]$
alpha	$[1e{-}6, 1e1]$
learning_rate_init	$[5e{-}4, 1e{-}2]$
batch_size	$[16, 64]$
activation	[tanh, relu]
max_iter	200
solver	adam
early_stopping	True

Table 4: **Baselearner search spaces.** We describe the search spaces for each baselearner. If a hyperparameter is not mentioned, we use its default. All baselearners are implemented with `scikit-learn` (Pedregosa et al., 2011); we refer to their documentation for more information.

Average (normalized) score. For each pipeline i, we compute the normalized average score across objectives:

$$S_i = \frac{1}{m} \sum_{j=1}^{m} s_{ij},$$

with m the number of objectives. We then select the pipeline(s) with the best S_i.

Euclidean distance to the origin. We compute each pipeline i's Euclidean distance to the origin:

$$D_i = \frac{1}{m} \sqrt{\sum_{j=1}^{m} s_{ij}^2},$$

with m the number of objectives. We then select the pipeline(s) with the lowest D_i.

Average rank. Rank all pipelines i for each objective j, denoted as r_{ij}, and compute the average rank:

$$R_i = \frac{1}{m} \sum_{j=1}^{m} r_{ij}.$$

Select the pipeline(s) with the lowest R_i.

Stacking—Constrained Optimization Problem. To combine multiple pipelines into a stacked estimator, we introduce a procedure that assigns weights w_{ij} (where $0 \leq w_i \leq 1$) to each pipeline i, optimizing these weights to minimize the squared error of the weighted prediction with respect to those pseudo-outcomes of objective j. We additionally add an l_2 regularization term, which can be tuned on a validation set. With multiple objectives, we repeat this for each objective and then average the weights $W_i = \sum_{j=1}^{m} w_{ij}$.

Stacking—Softmax (Mahajan et al., 2023). An alternative stacking procedure is to determine the weight of each estimator with a softmax function:

$$w_i j = \frac{\exp(\kappa s_i j)}{\sum_{j=1}^{m} \exp(\kappa s_i k)},$$

with κ a temperature parameter that can be tuned. With multiple objectives, we repeat this for each objective and then average the weights $W_i = \sum_{j=1}^{m} w_{ij}$.

Pareto. We select all pipelines that are Pareto optimal, meaning no other pipeline k satisfies:

$$s_{kj} \geq s_{ij} \; \forall j \;\text{ and }\; s_{kj} > s_{ij} \text{ for at least one } j.$$

B.6. AutoCATE's API: Additional Information

We give more information on AutoCATE's initialization arguments in Listing 1.

```
class AutoCATE:
    def __init__(
        self,
        # evaluation_metrics: Risk measures to evaluate the performance
        evaluation_metrics=None,
        # preprocessors: Preprocessors to try (defaults added later)
        preprocessors=None,
        # base_learners: Baselearners to try (defaults added later)
        base_learners=None,
        # metalearners: Metalearners to try (defaults added later)
        metalearners=None,
        # task: Type of task ('regression' or 'classification')
        task="regression",
        # metric: Metric used to evaluate the model (e.g., 'MSE')
```

```
        metric="MSE",
        # ensemble_strategy: Strategy for selecting a final model
        ensemble_strategy="toplaverage",
        # single_base_learner: Use only one base learner
        single_base_learner=False,
        # joint_optimization: Same hyperparameters for baselearners
        joint_optimization=False,
        # n_folds: Number of folds for cross-validation
        n_folds=1,
        # n_trials: How many trials to optimize the estimation pipeline
        n_trials=50,
        # n_eval_versions: Number of versions of each risk measure
        n_eval_versions=1,
        # n_eval_trials: Number of trials for evaluating the model
        n_eval_trials=50,
        # seed: Random seed for reproducibility
        seed=42,
        # visualize: Whether to visualize results
        visualize=False,
        # max_time: Maximum time allowed for fitting the model
        max_time=None,
        # n_jobs: Number of parallel jobs to run
        n_jobs=-1,
        # cross_val_predict_folds: Folds for cross-validated estimates
        cross_val_predict_folds=1,
        # holdout_ratio: Ratio of data for validation (if single fold)
        holdout_ratio=0.3
    ):

        # Initialization code (not included here)
        ...
```

Listing 1: **Arguments for the AutoCATE class initialization.** We describe each argument and its default initialization.

C. Data: Additional Information

This section describes the data used in this work in more detail.

IHDP (Hill, 2011). The data come from the Infant Health and Development Program, describing the impact of child care and home visits on children's cognitive development. Treatments and outcomes were simulated for a total of 100 data sets. Each version contains $n = 747$ instances and $d = 25$ covariates.

ACIC (Dorie et al., 2019). The data from the ACIC 2016 competition was based on data from the Collaborative Perinatal Project, studying drivers of developmental disorders in pregnant women and their children. 77 distinct data sets were created, each with $n = 4{,}802$ instances and $d = 58$ covariates. 100 iterations were originally created for each data set, but we use only the first one for each.

Twins (Louizos et al., 2017). The Twins data studies the effect of being the heavier twin on mortality. $n = 11{,}984$ pairs of twins are included, with $d = 46$ features each. Only one version of this data set exists, so we run 10 iterations of each experiment.

News (Johansson et al., 2016). This data simulates a reader's reading experience (y) based on the device they use for reading (t) and the news article (x). There are 50 distinct data sets, each with $n = 5{,}000$ instances with and $d = 3{,}477$ covariates.

Below, we include results for two data sets on uplift modeling:

Hillstrom (Hillstrom, 2008). This data contains records of customers ($n = 64{,}000$) that were contacted by a marketing campaign over e-mail. Originally, customers received either no mail, a mail with men's merchandise, or one with women's

merchandise, but we convert it to not contacted ($t = 0$) or contacted ($t = 0$). For each customer, $d = 10$ covariates are available. As the outcome y, we consider whether the customer visited the website or not.

Information (Larsen, 2023). The information data set comes from the `R` Information package. It describes customers ($n = 10{,}000, d = 68$) in the insurance industry, as well as whether they were contacted with a marketing campaign and whether they made a purchase.

D. Additional Results

D.1. Stage 1: Evaluation

Table 5 shows results for evaluating with k-fold cross validation for different values of k.

	1	2	3	4	5	10
IHDP	$2.15_{\pm.35}$	$2.16_{\pm.35}$	$2.10_{\pm.35}$	$2.07_{\pm.33}$	$2.29_{\pm.42}$	$2.25_{\pm.41}$
ACIC	$1.52_{\pm.09}$	$1.58_{\pm.08}$	$1.48_{\pm.08}$	$1.51_{\pm.09}$	$1.50_{\pm.08}$	$1.53_{\pm.09}$
Twins	$.323_{\pm.00}$	$.324_{\pm.00}$	$.322_{\pm.00}$	$.324_{\pm.00}$	$.344_{\pm.00}$	$.346_{\pm.00}$
News	$2.42_{\pm.07}$	$2.40_{\pm.07}$	$2.41_{\pm.06}$	$2.41_{\pm.07}$	$2.45_{\pm.07}$	$2.45_{\pm.07}$

Table 5: **The effect of k in k-fold cross validation.** For each data set, we show result for a varying number of cross-validation folds. Results for 50 evaluation trials with a T-risk and 50 estimation trials with a T-Learner and gradient boosting.

Risk measures may suffer from congeniality bias, by being predisposed to favor their related metalearners (Curth & van der Schaar, 2023). For example, a T-risk may pick a T-Learner more often, even when it is suboptimal. The results in our main body found that the T-risk works very well with a T-Learner, but these results may not hold in general due to congeniality bias. Therefore, we again compare the different risk measures when estimating with either S-Learners only or selected metalearners in Table 6.

Depending on the downstream application, there may be different objectives for estimating treatment effects. Corresponding to these objectives, different evaluation metrics may be important. Table 7 shows the results of using a different metric for `AutoCATE`'s optimization: as hypothesized, selecting models based on a particular metric results in better test time performance for that metric. These findings illustrate the importance of including a diversity of metrics in our framework.

D.2. Stage 2: Estimation

Figure 8 shows how often each metalearner gets picked in `AutoCATE`'s BestMeta configuration. The difference in metalearner selection rates illustrates the importance of data-driven metalearner selection, as facilitated by `AutoCATE`. Interestingly, other metalearners are preferred for a binary outcome (Twins) than for continuous outcomes (all others). This finding suggests that different BestMeta configurations may be optimal for different outcomes.

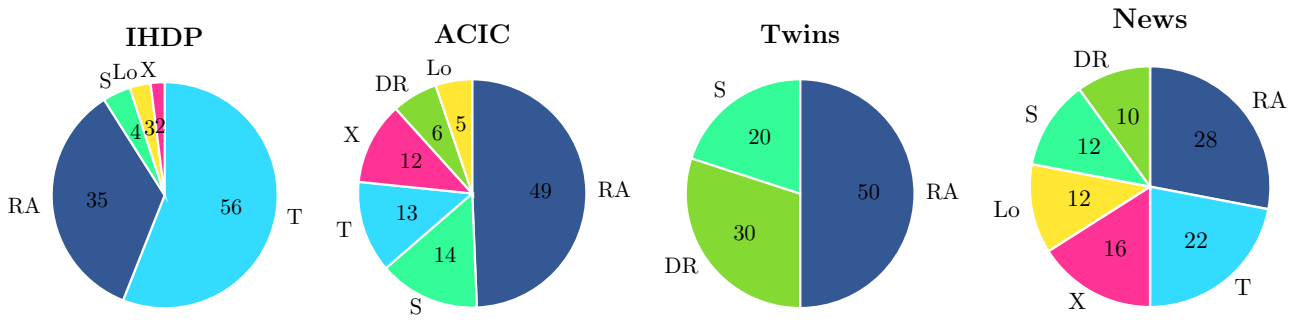


Figure 8: **Metalearner selection.** We show how many times a metalearner gets picked (in % of all data set iterations) for a given data set. Results for `AutoCATE`'s BestMeta configuration, including the S-, T-, Lo-, X-, RA-, DR-, and U-Learners, with 50 evaluation and 500 estimation trials.

We compare different metalearners in terms of $\sqrt{\text{PEHE}}$ in Table 8. These results show that searching across metalearners

	DR	F	IF	kNN	R	T	U	Z
IHDP	3.21$_{\pm.55}$	3.64$_{\pm.60}$	4.60$_{\pm.78}$	3.11$_{\pm.53}$	3.48$_{\pm.58}$	**3.10**$_{\pm.54}$	3.62$_{\pm.58}$	4.12$_{\pm.70}$
ACIC	1.61$_{\pm.09}$	1.79$_{\pm.10}$	2.07$_{\pm.10}$	1.88$_{\pm.09}$	1.73$_{\pm.10}$	**1.58**$_{\pm.09}$	1.85$_{\pm.10}$	2.16$_{\pm.12}$
Twins	.328$_{\pm.00}$	.328$_{\pm.00}$	.347$_{\pm.02}$	.320$_{\pm.00}$	.325$_{\pm.00}$	**.320**$_{\pm.00}$	.321$_{\pm.00}$	.330$_{\pm.00}$
News	2.47$_{\pm.09}$	2.51$_{\pm.08}$	2.97$_{\pm.13}$	2.49$_{\pm.09}$	2.76$_{\pm.12}$	**2.46**$_{\pm.08}$	2.78$_{\pm.13}$	2.99$_{\pm.14}$

(a) Estimation with an S-Learner

	DR	F	IF	kNN	R	T	U	Z
IHDP	**2.07**$_{\pm.32}$	3.43$_{\pm.60}$	5.75$_{\pm.70}$	2.11$_{\pm.34}$	3.45$_{\pm.56}$	2.17$_{\pm.37}$	3.18$_{\pm.56}$	4.38$_{\pm.71}$
ACIC	1.40$_{\pm.09}$	1.87$_{\pm.11}$	2.24$_{\pm.14}$	1.97$_{\pm.13}$	1.57$_{\pm.10}$	**1.35**$_{\pm.09}$	1.79$_{\pm.11}$	2.16$_{\pm.11}$
Twins	.328$_{\pm.00}$	.327$_{\pm.00}$	.384$_{\pm.03}$	**.324**$_{\pm.00}$	.328$_{\pm.00}$	.326$_{\pm.00}$	.344$_{\pm.01}$	.348$_{\pm.01}$
News	**2.42**$_{\pm.07}$	2.60$_{\pm.08}$	2.95$_{\pm.12}$	2.42$_{\pm.07}$	2.75$_{\pm.15}$	2.43$_{\pm.07}$	2.78$_{\pm.13}$	2.77$_{\pm.11}$

(b) Estimation with selected metalearners (BestMeta configuration: S, T, DR, X, RA, Lo)

Table 6: **Performance for validation based on different risk measures.** Results in $\sqrt{\text{PEHE}}_{\pm\text{SE}}$ (lower is better). **Bold** highlights the best results, with underlined values falling within 1 standard error. Results for 50 evaluation trials and 50 estimation trials with a gradient boosting baselearner.

	MSE	MAPE	AUQC
$\sqrt{\text{PEHE}}$	**2.15**$_{\pm0.35}$	2.28$_{\pm.36}$	2.26$_{\pm.41}$
MAPE	1.76$_{\pm1.30}$	1.40$_{\pm.94}$	**0.50**$_{\pm.15}$
AUQC	0.92$_{\pm0.01}$	0.88$_{\pm.02}$	**0.96**$_{\pm.01}$

(a) IHDP

	MSE	MAPE	AUQC
$\sqrt{\text{PEHE}}$	1.52$_{\pm.09}$	1.67$_{\pm.09}$	**1.50**$_{\pm.08}$
MAPE	1.10$_{\pm.21}$	**1.03**$_{\pm.14}$	1.11$_{\pm.24}$
AUQC	0.91$_{\pm.01}$	0.90$_{\pm.01}$	**0.91**$_{\pm.01}$

(b) ACIC

	MSE	MAPE	AUQC
$\sqrt{\text{PEHE}}$	**.323**$_{\pm.00}$	.323$_{\pm.00}$	.344$_{\pm.00}$
MAPE	—	—	—
AUQC	0.00$_{\pm.00}$	0.00$_{\pm.01}$	**0.03**$_{\pm.01}$

(c) Twins

	MSE	MAPE	AUQC
$\sqrt{\text{PEHE}}$	**2.42**$_{\pm.07}$	2.52$_{\pm.07}$	2.46$_{\pm.07}$
MAPE	**5.75**$_{\pm.74}$	5.83$_{\pm.69}$	5.86$_{\pm.85}$
AUQC	**0.66**$_{\pm.01}$	0.64$_{\pm.01}$	0.65$_{\pm.01}$

(d) News

Table 7: **Comparing evaluation metrics.** We compare model selection with different evaluation metrics. For the Twins data set, MAPE cannot be calculated, as the true CATE can be zero. **Bold** highlights the best results, with underlined values falling within 1 standard error. Colored cells show the hypothesis that matching metrics will yield the best performance. Results for 50 evaluation trials with a T-risk and 50 estimation trials with a T-Learner and gradient boosting.

typically significantly improves precision compared to using only one metalearner. Moreover, some metalearners can result in very poor performance even after 200 optimization trials. Typically, these results are due to exceptionally poor performance in some iterations (e.g., the R-Learner). Additionally, we compare the performance trade-off in terms of time and precision for best metalearners in Figure 9. These results show that the S-, T-, and Lo-Learner are often the fastest to train and the most precise in terms of $\sqrt{\text{PEHE}}$. These results illustrate the potential of improving `AutoCATE`'s time efficiency by considering these trade-offs. To give a sense of AutoCATE's runtime, we include the required computation times to run `AutoCATE` on different data sets in Table 9. Although some time is required, running our framework locally is feasible for small to moderate data sets.

A key innovation for `AutoCATE` is that it optimizes the entire ML pipeline, including preprocessing steps. In Table 10, we present an ablation study for our framework with and without preprocessing. For all data sets, `AutoCATE` achieves the best performance *with* preprocessing, though the improvement is only significant for the IHDP and Twins data.

We can also apply explainability techniques to understand what drives a pipeline's predictions. Figure 10 illustrates this and shows how permutation feature importance can be used with `AutoCATE`.

	S	T	DR	X	R	RA	Lo	Z	U	F	AllMeta
IHDP	$4.52_{\pm.74}$	$2.52_{\pm.37}$	$5.91_{\pm.98}$	$5.46_{\pm.87}$	$2752.36_{\pm1613.91}$	$5.80_{\pm.89}$	$2.47_{\pm.34}$	$50.09_{\pm6.21}$	$7.45_{\pm1.12}$	$9.58_{\pm.95}$	**1.54**$_{\pm.25}$ (−37.5%)
ACIC	$4.00_{\pm.24}$	$4.26_{\pm.14}$	$3.61_{\pm.22}$	$3.09_{\pm.16}$	$477325.02_{\pm87957.53}$	$3.27_{\pm.19}$	$3.07_{\pm.13}$	$150829.14_{\pm56790.59}$	$5.75_{\pm.43}$	$4.65_{\pm.35}$	**1.62**$_{\pm.09}$ (−47.3%)
Twins	**.318**$_{\pm.00}$	$.345_{\pm.01}$	$.320_{\pm.00}$	$.333_{\pm.00}$	$77.408_{\pm33.07}$	$.323_{\pm.00}$	$.360_{\pm.00}$	$.546_{\pm.01}$	$.418_{\pm.01}$	$.376_{\pm.00}$	$.321_{\pm.00}$ (+ 0.9%)
News	$2.89_{\pm.14}$	$2.53_{\pm.07}$	$3.38_{\pm.15}$	$2.93_{\pm.13}$	$36448.74_{\pm13452.34}$	$3.14_{\pm.13}$	$2.57_{\pm.08}$	$16.06_{\pm1.80}$	$2.74_{\pm.13}$	$3.41_{\pm.11}$	**2.40**$_{\pm.08}$ (− 5.0%)

Table 8: **Comparing metalearner precision.** For each data set, we compare the different metalearner's performance in terms of $\sqrt{\text{PEHE}}$, with the best result highlighted in **bold**. We also include a comparison with searching over all metalearners (AllMeta) and, in brackets, show how much this outperforms the best single metalearner. For each result, AutoCATE uses a T-risk with 50 evaluation trials, 200 estimation trials, and top 1 average model selection.

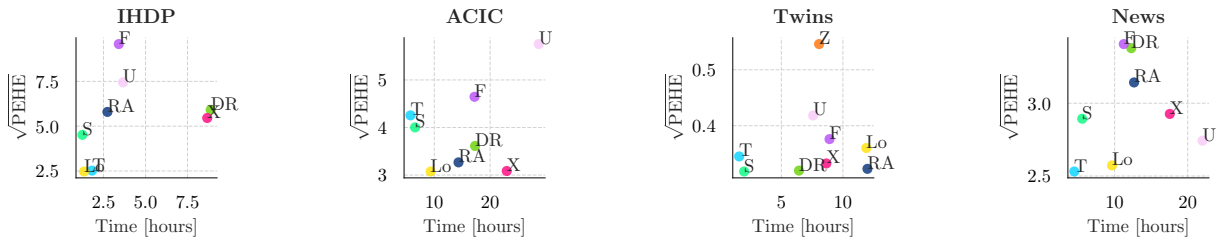


Figure 9: **Comparing metalearner precision and time efficiency.** We show each metalearner's performance in precision ($\sqrt{\text{PEHE}}$) and time (excluding outliers, see Table 8). For each, AutoCATE uses a T-risk with 50 evaluation trials, 200 estimation trials, and top 1 average model selection.

D.3. Stage 3: Ensembling

The ensemble built by AutoCATE can be used to gauge the uncertainty regarding a prediction, by highlighting the spread of predictions. We illustrate such an analysis in Figure 11.

D.4. Benchmarking AutoCATE

Table 11 presents results for additional benchmarks: S- and T-Learners based on linear or logistic models (without regularization).

A key challenge in CATE estimation is to deal with covariate shift due to confounding. To validate AutoCATE's robustness to this phenomenon, we use a synthetic experiment to precisely conrol selection into treatment and covariate shift and systematically evaluate performance of different methods. To this end, we use a synthetic data set in which we vary the degree of selection bias with the parameter γ. We generate $1,000$ instances with covariates $X \sim \mathcal{N}(0,1)^5$, treatment $T \sim Bin(0,\pi)$ where $\sigma(\gamma u_t X)$ and $u_t \sim \mathcal{U}(-1,1)^5$, and non-linear response surfaces–based on vectors $u0, u1 \sim \mathcal{U}(-1,1)^5$–as:

$$Y_0 = \sin(u_0 X) + \epsilon,$$
$$Y_1 = Y_0 + u_1 X + \epsilon^2$$

where $\epsilon \sim \mathcal{N}(0, 0.1)$. At $\gamma = 1$, less than 1% of the propensities are extreme (< 0.01 or > 0.99). As gamma increases, this percentage grows to 72% ($\gamma = 10$) up to 99% ($\gamma = 1{,}000$). We repeat this experiment ten times. Following the experiments in the main body, we use a $70 - 30\%$ train-test split. Our results in Figure Figure 12 indicate that while

Data set	**IHDP**	**ACIC**	**Twins**	**News**
Size and dimensions	$n = 747; d = 25$	$n = 4{,}802; d = 58$	$n = 11{,}984; d = 46$	$n = 5{,}000; d = 3{,}477$
Time required	1'21"	6'00"	29'38"	6'49"

Table 9: **AutoCATE time complexity.** We show the average runtime required to run AutoCATE's complete, end-to-end optimization on a single iteration of different data sets. For each data set, we include the size (n) and dimensionality (d). AutoCATE uses 50 evaluation trials and 50 estimation trials with the BestMeta–BestBase configuration. These experiments were conducted locally, on a machine with an AMD Ryzen 7 PRO 4750U processor (1.70 GHz), 32 GB of RAM, and a 64-bit operating system.

	Preprocessing	
	✓	✗
IHDP	**1.25**$_{\pm.18}$	1.69$_{\pm.27}$
ACIC	**1.52**$_{\pm.09}$	1.58$_{\pm.09}$
Twins	**.315**$_{\pm.00}$	.320$_{\pm.00}$
News	**2.33**$_{\pm.06}$	2.38$_{\pm.07}$

Table 10: **Analayzing the added value of preprocessing.** We compare AutoCATE's performance with and without preprocessing included in the search space, in terms of $\sqrt{\text{PEHE}}$, with the best result highlighted in **bold**. Preprocessing includes feature scaling and selection. AutoCATE results for a T-risk with 50 evaluation trials and 50 estimation trials with the BestMeta–BestBase configuration.

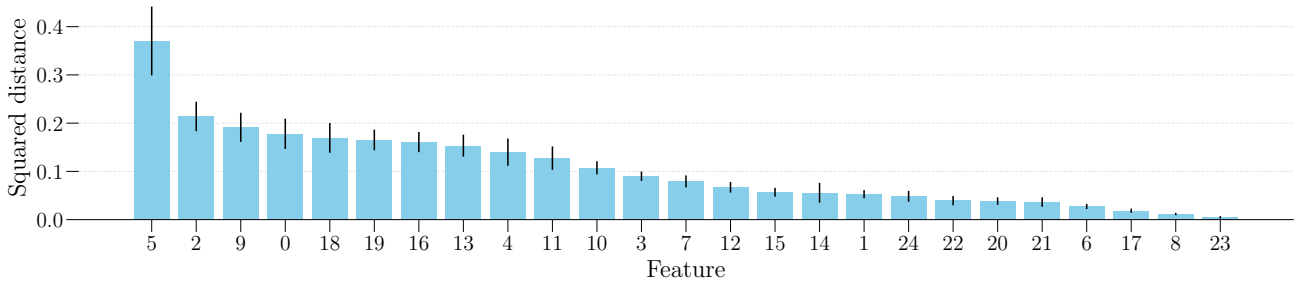


Figure 10: **Analyzing AutoCATE's feature importance.** We can analyze how much each feature contributes to treatment effect heterogeneity. We illustrate this analysis for the first iteration of IHDP using permutation feature importance, showing the squared distance to the original prediction when permuting a feature column.

AutoCATE's performance degrades as selection bias increases, increasing the number of search trials helps mitigate this effect. Even under strong overlap violations ($\gamma > 10$), AutoCATE can result in good performance. Compare AutoCATE's to benchmark models across different bias levels. These results confirm that AutoCATE consistently performs competitive to each baseline in settings with moderate bias and remains relatively robust under extreme bias.

Figure 13 shows additional results for two data sets for uplift modeling (see Appendix C for more information on the data). The effectiveness of AutoCATE is related to at least three factors. First, by using the AUQC metric, the search is aligned with the downstream task: prioritizing instances for treatment (Vanderschueren et al., 2024). Second, the search space for AutoCATE includes more meta- and baselearners than the benchmarks. Third, the top five ensemble seems to improve the stability and accuracy of the predicted ranking.

D.5. Analyzing AutoCATE's Results

We analyze the results of AutoCATE's optimized pipelines in Figure 14. These results illustrate how AutoCATE can facilitate a higher-level, comprehensive analysis of methods for CATE estimation and model validation.

E. Comparing Software Packages for CATE Estimation

Table 12 lists software packages for CATE estimation, comparing their functionalities with AutoCATE. Notably, *no other package* is focused on automated, end-to-end CATE estimation.

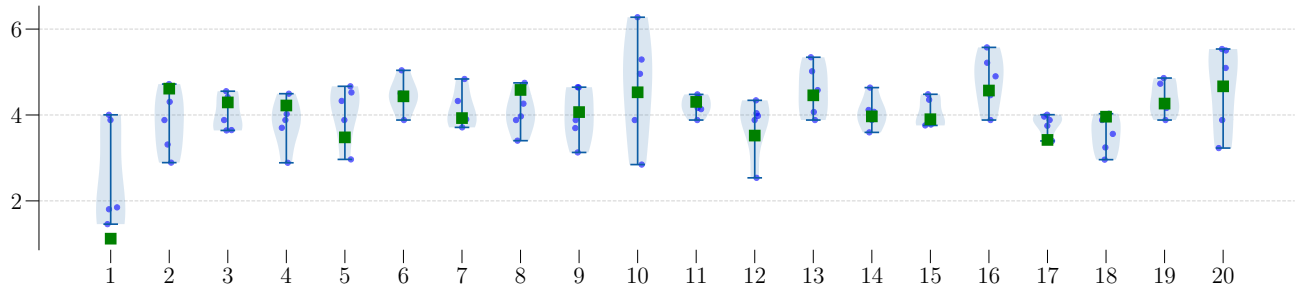


Figure 11: **Assessing uncertainty with AutoCATE.** The ensemble returned by AutoCATE can be used to analyze uncertainty regarding the prediction. We illustrate this for the first 20 instances of the first iteration of the IHDP data. For each instance, the (usually unknown) ground truth is shown in green, while the predictions from the top five pipelines are shown in blue and with a violinplot.

	AutoCATE		**Benchmarks**					
	Top 1	*Top 5*	*S–RF*	*T–RF*	*S–GB*	*T–GB*	*S–LR*	*T–LR*
IHDP	**1.25**$_{\pm.18}$	1.38$_{\pm.21}$	3.30$_{\pm.57}$	2.61$_{\pm.45}$	3.02$_{\pm.52}$	1.86$_{\pm.29}$	5.73$_{\pm.89}$	2.41$_{\pm.39}$
ACIC	1.52$_{\pm.09}$	1.45$_{\pm.10}$	1.67$_{\pm.08}$	1.65$_{\pm.09}$	1.48$_{\pm.10}$	**1.38**$_{\pm.09}$	4.13$_{\pm.25}$	3.08$_{\pm.15}$
Twins	.315$_{\pm.00}$	**.314**$_{\pm.00}$	.318$_{\pm.00}$	.331$_{\pm.00}$	.319$_{\pm.00}$	.334$_{\pm.00}$	.320$_{\pm.00}$	.335$_{\pm.00}$
News	2.33$_{\pm.06}$	**2.29**$_{\pm.06}$	2.46$_{\pm.09}$	2.39$_{\pm.07}$	2.68$_{\pm.11}$	2.40$_{\pm.06}$	3.68$_{\pm.17}$	2.93$_{\pm.12}$

Table 11: **Comparing AutoCATE with common benchmarks on CATE estimation.** We compare performance in terms of $\sqrt{\text{PEHE}}$, with the best result highlighted in **bold**. AutoCATE results for a T-risk with 50 evaluation trials and 50 estimation trials with the BestMeta–BestBase configuration.

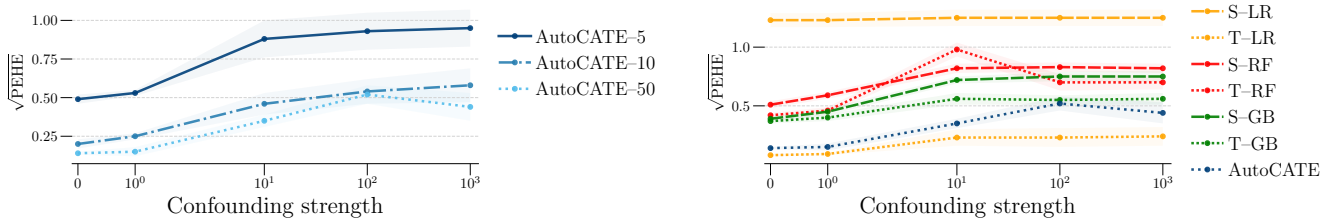


Figure 12: **Analyzing the robustness of AutoCATE to confounding with synthetic data.** Using synthetic data, we control the strength of confounding with a parameter γ. This setup allows to compare the performance of AutoCATE for a different number estimation and evaluation trials (left) and benchmark its performance to other methods (right).

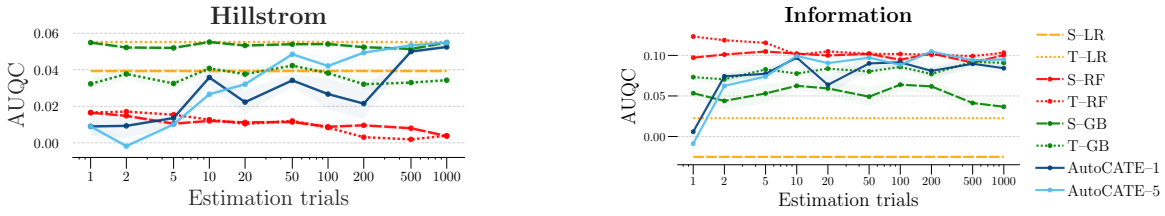
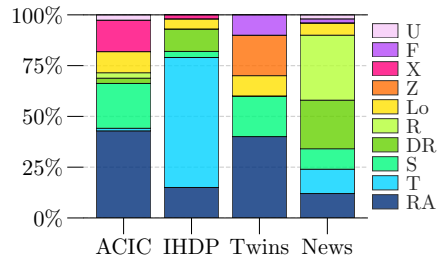
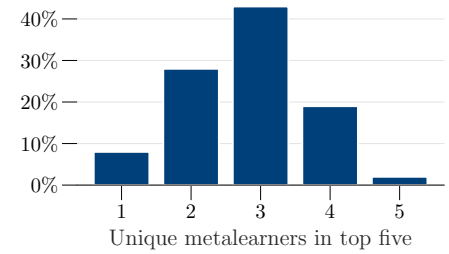


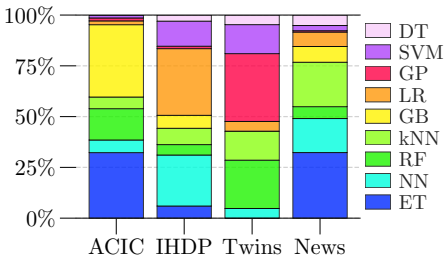
Figure 13: **Benchmarking AutoCATE for treatment prioritization.** We present additional results in terms of AUQC for two uplift data sets, Hillstrom and Information. These show that AutoCATE is a useful tool for prioritizing instances for treatment, and highlight that its optimization is more effective at optimizing AUQC compared to the benchmarks based on μ-risk. AutoCATE uses a T-risk with 50 evaluation trials and the AUQC metric, the BestMeta-BestBase search space, and Top 1 or Top 5 ensembling.



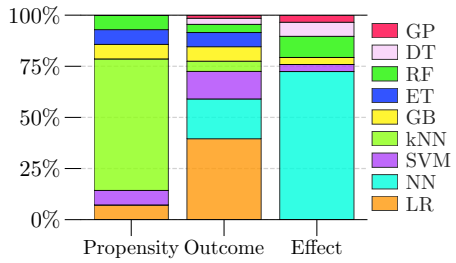
(a) How often is a particular metalearner optimal?



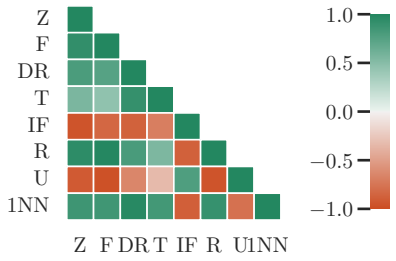
(b) How diverse are the best five metalearners? (IHDP)



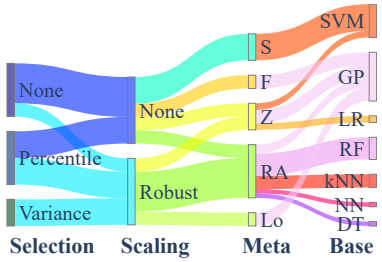
(c) How often is a particular baselearner chosen?



(d) What baselearner is best per model type? (IHDP)



(e) Risk correlation (IHDP)



(f) Pipeline composition (Twins)

Figure 14: **AutoCATE enables insights into CATE estimation.** We analyze hundreds of pipelines optimized by AutoCATE (see Section 5). *Metalearners*—(a) Different metalearners can be optimal for a data set, highlighting the need for searching across them. (b) The top five pipelines often feature a mix of different metalearners (e.g. $\{T, T, RA, RA, DR\}$: 3 unique types), showing that different metalearners can perform well and suggesting potential for combining them. *Baselearners*—(c) The chosen baselearners are also diverse, and (d) different model types favor different ones. Using a single baselearner is thus likely suboptimal, supporting our choice to tune submodels independently. *Risk measures*—(e) The correlations between risk measures, shown here for a single IHDP iteration, can vary strongly. Surprisingly, risk measures can be strongly *negatively correlated*, suggesting potential for more advanced multi-objective approaches that adaptively learn which objectives are reliable for a given data set. *Optimal pipelines*—(f) There is variability in the *optimal pipelines* learned across ten iterations for the Twins data, suggesting that the data generating process is not the only relevant factor.

PACKAGE	FUNCTIONALITIES				GENERAL INFORMATION		
Name	(1)	(2)	(3)	(4)	Language	Reference	Link
CausalML	✗*	✓	✗	✗	Python	(Chen et al., 2020)	GitHub
EconML	✓§	✓	✓§	✗	Python	—	GitHub
DoWhy	✗†	✓	✗	✗	Python	(Sharma & Kiciman, 2020)	GitHub
Causica	✗	✓	✗	✗	Python	(Geffner et al., 2022)	GitHub
UpliftML	✗	✓	✗	✗	Python	(Teinemaa et al., 2021)	GitHub
scikit-uplift	✗	✗	✗	✗	Python	—	GitHub
grf	✗	✓	✓‡	✗	R	(Wager & Athey, 2018)	CRAN
AutoCATE	✓	✓	✓	✓	Python	This work	GitHub

*CausalML offers provides some tools for internal validity, such as comparing results across segments.

§EconML includes an R-risk and can provide an ensemble based on this risk measure.

†DoWhy includes robustness checks for assumption violations.

‡The grf package allows for evaluation based on the Targeting Operating Characteristics curve.

Table 12: **Software package comparison.** We provide an overview of commonly used packages for CATE estimation and compare their functionalities with AutoCATE, showing whether they support (1) evaluation, (2) estimation, (3) ensembling, and (4) automated, end-to-end optimization—as provided by AutoCATE or similar.