

000 001 002 003 004 005 006 007 008 009 010 ENTROPY NEVER LIES: SIGNED ENTROPY INTEGRAL UN- MASKS MISLABELED DATA

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ABSTRACT

011 Mislabeled samples in training datasets severely degrade the performance of deep
012 networks, as overparameterized models tend to memorize erroneous labels. We
013 address this challenge by proposing a novel approach for mislabeled data detection
014 that leverages training dynamics. Our method is grounded in the key observation
015 that correctly labeled samples exhibit consistent entropy decrease during training,
016 while mislabeled samples maintain relatively high entropy throughout the training
017 process. Building on this insight, we introduce a signed entropy integral (SEI)
018 statistic that captures both the magnitude and temporal trend of prediction entropy
019 across training epochs. SEI is broadly applicable to classification networks and
020 demonstrates particular effectiveness when integrated with contrastive language-
021 image pretraining (CLIP) architectures. Through extensive experiments on three
022 medical imaging datasets—a domain particularly susceptible to labeling errors
023 due to diagnostic complexity—spanning diverse modalities and pathologies, we
024 demonstrate that SEI achieves state-of-the-art performance in mislabeled data
025 identification, outperforming existing methods while maintaining computational
026 efficiency and implementation simplicity.

027 1 INTRODUCTION

029 Deep networks have achieved remarkable results in medical imaging, enabling applications from
030 tumor segmentation to disease classification (Litjens et al., 2017). Yet, their performance hinges
031 on the quality of training data (Shi et al., 2024). In practice, medical datasets often contain misla-
032 beled samples due to the complexity of diagnosis, inter-observer variability, and limited annotation
033 resources (Shi et al., 2024; Alderman et al., 2025). For instance, in dermatology, the visual appear-
034 ance of skin lesions can overlap heavily between malignant and benign conditions; melanomas may
035 resemble benign nevi in early stages, and fungal infections can mimic inflammatory skin disorders.
036 Even experienced dermatologists may disagree without histopathological confirmation. Similarly,
037 in ophthalmology, subtle retinal changes in early diabetic retinopathy can be challenging to grade
038 consistently, especially when annotation guidelines differ across graders. Such challenges mean that
039 noisy labels are a realistic concern in many medical imaging datasets.

040 Noisy labels pose a particular risk for overparameterized deep networks, which can fit even randomly
041 assigned labels given sufficient capacity (Zhang et al., 2017). When this happens, a model effectively
042 memorizes mislabeled samples by learning overly specific, non-generalizable features. For example,
043 if an image of a benign skin nevus is mistakenly labeled as melanoma, the model may latch onto
044 spurious visual patterns unique to that single image—such as lighting artifacts or sensor noise—
045 rather than features indicative of melanoma. These spurious correlations will lead to overfitting and
046 degraded performance.

047 Our aim is to automatically identify and remove mislabeled samples from training data. This not only
048 uncovers systematic annotation errors but also improves overall label quality. Moreover, because
049 large medical datasets are often too extensive for exhaustive manual inspection, automated methods
050 are essential for isolating mislabeled samples without overburdening domain experts.

051 Prior works on mislabeled data detection typically involve multi-stage pipelines and tailored loss
052 functions or modules (Chen et al., 2019; 2024; Huang et al., 2019; Li et al., 2020; Cheng et al., 2021;
053 Wei et al., 2024), which can be tightly coupled to specific architectures or disrupt standard training
workflows. We take a different approach: a simple yet effective plug-and-play method that works

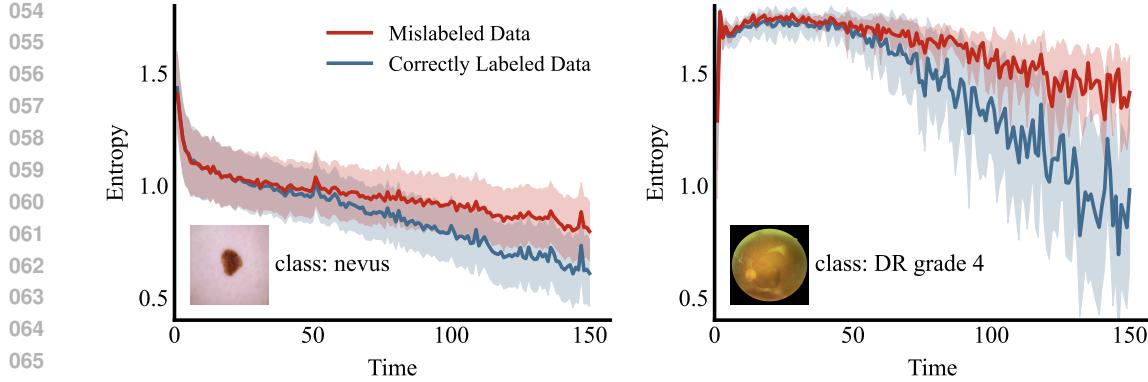


Figure 1: Training dynamics of prediction entropy for correctly labeled versus mislabeled samples. Left: Nevus images from the ISIC dataset, comparing correctly labeled samples (ground truth: nevus; given label: nevus) with mislabeled samples (ground truth: nevus; given label: other skin lesion categories). Right: Grade 4 diabetic retinopathy (DR) images from the DeepDRiD dataset. In both cases, correctly labeled samples exhibit steadily decreasing entropy throughout training, while mislabeled samples maintain persistently high entropy, demonstrating the potential of entropy as an indicator for noisy label detection.

with existing training setups and requires minimal changes. Our method tracks training dynamics of a classification model with a contrastive loss (Radford et al., 2021) to align medical images and labels. We observe that the evolution of prediction entropy encodes subtle cues for distinguishing noisy from clean samples. Correctly labeled samples tend to exhibit a steady entropy decrease as learning progresses, whereas mislabeled samples often maintain relatively high entropy.

However, entropy alone is insufficient to separate mislabeled data from hard but valuable clean samples, which may also retain high entropy despite having correct labels. To address this, we propose a signed entropy integral (SEI) statistic that captures both the magnitude and trend of entropy evolution. This signed formulation provides a richer characterization of training dynamics: hard clean samples and mislabeled samples exhibit distinct patterns in how their entropy changes over time, allowing SEI to differentiate the two.

Our work makes three key contributions:

- Through large-scale analysis of training dynamics, we identify two informative signals for distinguishing mislabeled from correctly labeled samples: entropy evolution and label-prediction consistency over time.
- Building on these insights, we introduce *signed entropy*, a novel extension of Shannon entropy that incorporates label consistency, and propose the SEI statistic that captures the cumulative training behavior of different sample types.
- we demonstrate that our simple yet effective method achieves state-of-the-art performance on three medical imaging datasets spanning different modalities and pathologies, without requiring architectural modifications or complex training procedures.

2 METHODOLOGY

2.1 PROBLEM FORMULATION

We consider the task of K -class image classification, where the objective is to train a model that predicts a label y for an input image \mathbf{x} . The training dataset $\mathcal{D}_{\text{train}} = \{(\mathbf{x}_i, y_i)\}$ contains two types of samples. A *mislabeled* sample is one whose assigned label does not match its underlying semantic content (e.g., \mathbf{x} is an image of a melanoma but the label y is “nevus”). A *correctly labeled* sample is one where the assigned label aligns with the true category. Our goal is to identify mislabeled data in $\mathcal{D}_{\text{train}}$ by exploiting differences in their training dynamics compared to correctly labeled data.

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2.2 PRELIMINARY: CLIP FOR IMAGE CLASSIFICATION110
111 CLIP (Radford et al., 2021) demonstrates strong zero-shot performance by learning joint visual-
112 textual representations from large-scale image-text pairs using a contrastive objective. Classification
113 is performed by measuring the similarity between image features and text embeddings derived from
114 prompts such as “a photo of [CLS]”, where [CLS] denotes a class name. The prediction probability
is computed as

115
116
$$p(y = k | \mathbf{x}) = \frac{\exp(\text{sim}(\mathbf{v}, \mathbf{t}_k)/\tau)}{\sum_{j=1}^K \exp(\text{sim}(\mathbf{v}, \mathbf{t}_j)/\tau)}, \quad (1)$$

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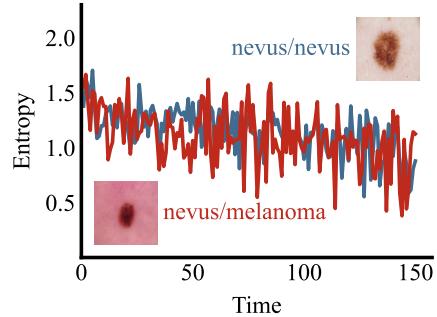
118
119 where $\text{sim}(\mathbf{v}, \mathbf{t}_k)$ denotes the cosine similarity between image feature \mathbf{v} and text embedding \mathbf{t}_k ,
120 and τ is a temperature parameter. In this framework, each image is compared against all K class-
121 specific text embeddings, allowing us to incorporate dataset labels directly while preserving the
122 representational benefits of visual-textual alignment.123
124 2.3 FINDINGS125
126 To understand training dynamics of mislabeled samples, we first examine their prediction *entropy*.
127 Figure 1 shows entropy trajectories for nevus images in the ISIC dataset and grade 4 diabetic
128 retinopathy images in the DeepDRiD dataset (Liu et al., 2022), comparing correctly labeled samples
129 with mislabeled ones. Early in training, the two groups are entangled, exhibiting similar levels
130 of uncertainty. As training progresses, however, a clear separation emerges: entropy for correctly
131 labeled data decreases steadily, while mislabeled samples maintain elevated entropy. This suggests
132 that entropy provides a promising signal for distinguishing mislabeled samples from clean ones. We
133 observe similar trends across other classes and datasets (see Appendix C).134
135 Nevertheless, entropy alone proves insufficient for reliable
136 detection. Figure 2 illustrates this limitation by comparing
137 a mislabeled sample with a hard-to-learn but correctly
138 labeled sample. Despite their fundamentally different
139 ground-truth status, their entropy curves are nearly indi-
140 stinguishable, making it difficult to separate the two based
141 solely on this statistic.142 To address this limitation, we investigate an additional aspect
143 of training dynamics: the *alignment between given*
144 *labels and model predictions over time*. Figure 3 presents
145 alignment statistics for three distinct sample categories:
146 easy clean, hard clean, and mislabeled data, where circle
147 size and opacity reflect frequency. We observe that:
148 (1) most easy clean samples exhibit consistent alignment,
149 with predictions typically matching their labels throughout
150 training; (2) hard clean samples generally demonstrate
151 mixed dynamics; (3) mislabeled samples are predomi-
152 nantly characterized by persistent misalignment with their
153 given labels. These distinctive alignment patterns provide
154 complementary information beyond entropy, enabling better
155 discrimination between mislabeled samples and challenging
156 yet correctly labeled ones.157
158 2.4 IDENTIFYING MISLABLED DATA159
2.4.1 SIGNED ENTROPY160
161 The observations in Section 2.3 suggest that two complementary cues—entropy dynamics and
label-prediction consistency—can be jointly exploited for identifying mislabeled data. We therefore
introduce *signed entropy*, a quantity that extends Shannon entropy with a label consistency term.

Figure 2: Entropy trajectories for a mislabeled sample (ground truth: nevus; given label: melanoma) and a hard clean sample (ground truth: nevus; given label: nevus). Despite differing label correctness, their entropy curves are nearly indistinguishable. This illustrates that entropy alone cannot reliably distinguish mislabeled data from challenging but clean examples.

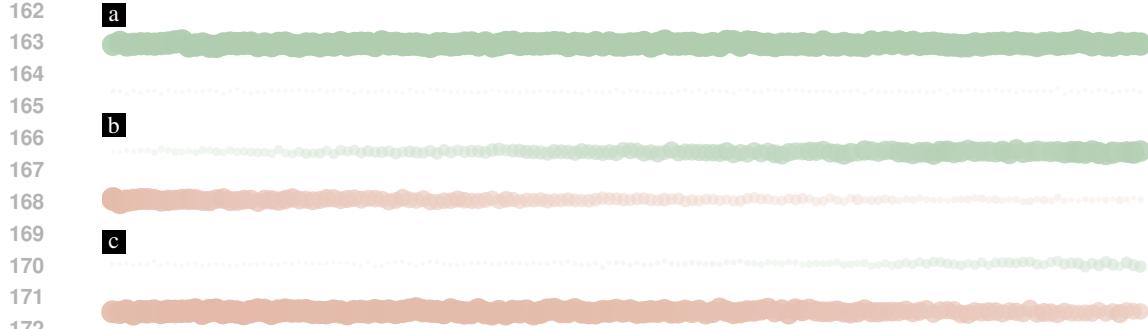


Figure 3: Training dynamics analysis through label-prediction alignment patterns over time. Bubble timeline charts illustrate the evolution of three sample categories during training: (a) easy clean samples, (b) hard clean samples, and (c) mislabeled samples. At each time step, ● green circles indicate alignment between predicted and given labels, while ● red circles denote misalignment. Circle size and opacity encode frequency.

Formally, for any $(\mathbf{x}, y) \in \mathcal{D}_{\text{train}}$, let $\mathbf{p}(\mathbf{x}) = (p_1(\mathbf{x}), \dots, p_K(\mathbf{x}))$ denote the model’s posterior distribution over K classes (cf. Eq. 1). We define signed entropy as

$$\mathcal{H}(\mathbf{p}(\mathbf{x}), y) = (-1)^{\mathbb{1}_{[y=\arg \max_k p_k(\mathbf{x})]}} \sum_{k=1}^K p_k(\mathbf{x}) \log p_k(\mathbf{x}), \quad (2)$$

where the exponent introduces a sign depending on whether the assigned label y matches the model’s prediction. In other words, \mathcal{H} reduces to Shannon entropy when y agrees with the prediction, but flips its sign under misalignment.

Discussion Shannon’s entropy is always nonnegative and only reflects distributional uncertainty, making it blind to label correctness: both hard clean samples and mislabeled ones may exhibit high entropy. In contrast, the signed entropy in Eq. 2 attaches a directionality:

- **Positive signed entropy** indicates both uncertainty and label consistency, as typically seen in clean samples (easy or hard).
- **Negative signed entropy** emerges when the model contradicts the given label, flagging potential annotation errors.

2.4.2 SIGNED ENTROPY INTEGRAL

While signed entropy at a single epoch can provide useful information, training dynamics often fluctuate, making individual snapshots unreliable for detecting mislabeled samples. Moreover, it is unclear a priori which epochs contain the most discriminative signals. Aggregating *cumulative behavior* across training offers a more stable criterion, as it naturally smooths out such fluctuations. To this end, we introduce SEI, which accumulates signed entropy values over the entire training trajectory.

Let $\mathbf{p}^{(t)}(\mathbf{x})$ denote the posterior distribution at epoch t . SEI is defined as

$$\text{SEI}(\mathbf{x}, y) = \sum_{t=1}^T \mathcal{H}(\mathbf{p}^{(t)}(\mathbf{x}), y), \quad (3)$$

where T is the total number of training epochs.

Analysis Figure 4 illustrates how SEI separates different sample types. For an easy clean sample, the signed entropy remains mostly positive, as predictions stay consistent with its assigned label, resulting in a large positive integral. A hard clean sample may initially exhibit misalignment and accumulate negative contributions, but as training progresses, the signed entropy turns positive; the resulting positive and negative areas partly cancel, leading to a smaller integral. By contrast, a

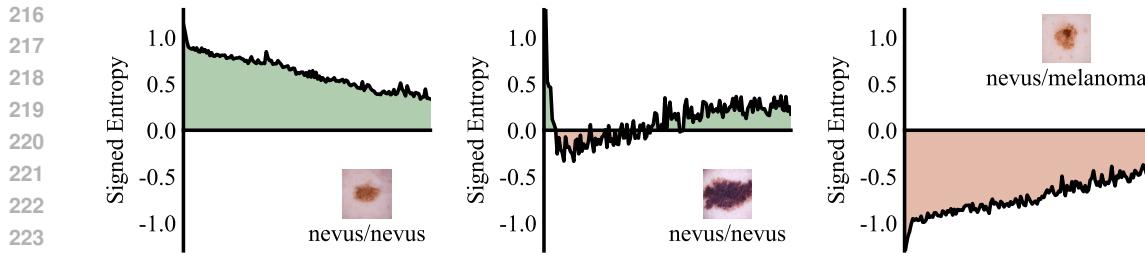


Figure 4: Illustration of SEI. The plots depict signed entropy curves over training epochs for easy clean (left), hard clean (middle), and mislabeled (right) samples. Each curve is averaged over 200 samples, and the signed area under each curve corresponds to the SEI. Correctly labeled samples yield larger SEIs than mislabeled ones.

mislabeled sample typically shows persistent disagreement, so its signed entropy curve stays negative throughout training, yielding a strongly negative integral.

In this way, SEI produces a single scalar that naturally ranks samples: mislabeled ones cluster at the negative end, while correctly labeled ones occupy positive values. This simple measure proves effective across datasets and modalities for isolating annotation errors from both easy and hard clean samples (see Appendix D).

2.5 THRESHOLDING

We require a threshold to distinguish between clean and mislabeled data. A fixed threshold is impractical since the distribution of SEI values varies across datasets and training configurations. Instead, we use an adaptive thresholding strategy that leverages artificially mislabeled samples as reference points.

Concretely, given N training samples across K classes, we randomly select $N/(K + 1)$ instances and reassign their labels to an auxiliary class $K + 1$ that does not exist in the dataset. In the CLIP setting, this corresponds to using a synthetic prompt such as “a dermoscopic image showing other lesions”. Since the auxiliary class is designed to be semantically meaningless, these relabeled samples serve as natural surrogates for mislabeled data. Moreover, choosing $N/(K + 1)$ instances ensures that the auxiliary class appears with a frequency comparable to the original classes, preventing imbalance in calibration.

We then compute SEIs for all auxiliary-class samples and use their average value as the decision threshold. Any sample whose SEI falls below this threshold is flagged as mislabeled. This simple scheme yields an adaptive, data-driven cutoff without requiring manual tuning.

3 RELATED WORK

Addressing noisy labels in datasets has spawned two primary research directions: (1) Explicit mislabeled data detection aims to identify and remove incorrectly labeled instances to improve data quality, while (2) Noise robust learning develops algorithms that maintain performance despite label noise.

Mislabeled Data Detection Most methods exploit training signals as proxies for label correctness. Loss-based approaches leverage the intuition that higher losses often indicate incorrect labels. O2U-Net (Huang et al., 2019) alternates between overfitting and underfitting phases, identifying mislabeled samples through consistently higher normalized losses. CORES (Cheng et al., 2021) progressively filters incorrectly labeled instances using training loss in a proposed sample sieve framework. Beyond loss, various proxy measures have been developed, including gradient-based metrics (Zhang & Sabuncu, 2018) and prediction-based statistics (Northcutt et al., 2021; Pleiss et al., 2020; Song et al., 2019). For instance, Northcutt et al. (2021) filter low-confidence samples using class-conditional thresholds on predicted probabilities.

Recent work has explored training-free approaches. SIMIFEAT (Zhu et al., 2022) detects noisy labels through k-nearest neighbors in the feature space of a pre-trained model, while DEFT (Wei et al., 2024) leverages CLIP’s image-text alignment to learn class-specific prompts for mislabel detection. LEMoN (Zhang et al., 2025) exploits multimodal neighborhoods of image-caption pairs in the latent space of CLIP to automatically identify label errors. However, the effectiveness of these methods depends heavily on the generalization capacity of pre-trained models, which may be limited in specialized domains like medical imaging. ReCoV (Chen et al., 2024) identifies mislabeled medical data through cross-validation, though this increases computational overhead for large datasets. Some approaches (Wang et al., 2024) assume access to clean subsets, while we consider the more restrictive but realistic setting where no training data can be trusted.

Noise Robust Learning Rather than targeting specific noisy instances, robust learning methods design modules enabling effective training on noisy datasets. This includes novel architectures (Cheng et al., 2020; Xiao et al., 2015), loss functions (Wang et al., 2019; Ye et al., 2023), regularization techniques (Cheng et al., 2022; Liu et al., 2020), and training strategies (Lukasik et al., 2020; Xia et al., 2021; Yuan et al., 2024). Some works integrate noisy label detection into training pipelines through loss re-weighting (Ren et al., 2018; Bae et al., 2024) or re-annotation (Han et al., 2019; Arazo et al., 2019; Englesson & Azizpour, 2024). Our work focuses on identifying reliably labeled data rather than recycling mislabeled samples. For simplicity, we discard instances flagged as mislabeled; nevertheless, our method is compatible with approaches that attempt to reuse them (cf. Section 4.3.4).

4 EXPERIMENTS

We evaluate our approach through two complementary assessments: first, we measure mislabeled data detection performance on synthetically corrupted datasets to directly assess identification capability; second, we evaluate downstream classification performance.

4.1 EXPERIMENTAL SETUP

4.1.1 DATASETS

We conduct experiments on three medical imaging datasets spanning different modalities and diagnostic tasks.

ISIC 2018. We use the ISIC 2018 Challenge¹ Task 3 dataset for skin lesion diagnosis, containing dermoscopic images across seven categories: melanoma, nevus, basal cell carcinoma, actinic keratosis/intraepithelial carcinoma, benign keratosis, dermatofibroma, and vascular lesion. The dataset comprises 10,015 training images and 1,512 test images.

DeepDRiD. This fundus photography dataset (Liu et al., 2022) targets diabetic retinopathy severity grading using a 5-point scale (0-4) following the International Clinical Diabetic Retinopathy standard. Each patient contributes dual-view images (macula-centered and optic disc-centered) for both eyes. We use 1,200 training images and 400 test images from the official split.

PANDA. This dataset² contains 10,616 whole slide images (WSIs) of digitized H&E-stained prostate biopsies from Radboud University Medical Center and Karolinska Institute. We focus on the Radboud subset, which provides pixel-level annotations distinguishing background, stroma, benign epithelium, and cancerous epithelium (subdivided into Gleason patterns 3, 4, and 5). Since Gleason grading depends solely on epithelial architecture, we consider four classes: benign epithelium, Gleason 3, Gleason 4, and Gleason 5. Each WSI is tiled into 224×224 patches, with background-dominated patches discarded. For remaining patches, we compute area proportions of epithelial categories from pixel-level masks and apply a dominant-label rule: patches are assigned the highest-grade category present (priority: Gleason 5 > Gleason 4 > Gleason 3 > benign epithelium) if it covers more than 80% of non-background pixels; otherwise, patches are discarded. This yields 4,102 benign epithelium patches and 6,914, 6,413, and 6,956 patches for Gleason grades 3, 4, and 5, respectively. We use a 4:1 train/test split.

¹<https://challenge.isic-archive.com/data/#2018>

²<https://kaggle.com/competitions/prostate-cancer-grade-assessment>

324 Table 1: Comparison with state-of-the-art mislabeled data detection methods under symmetric noise.
 325 Results are reported in F1 score (%) across five noise rates ($\eta \in \{0.1, 0.2, 0.3, 0.4, 0.5\}$) on three
 326 medical datasets (ISIC, DeepDRiD, and PANDA). The best results for each dataset and noise rate
 327 are highlighted in **bold**.

	ISIC					DeepDRiD					PANDA				
	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5
INCV	38.60	42.72	47.21	55.93	61.67	33.05	44.56	49.29	57.87	63.32	53.30	57.69	61.23	68.45	67.11
BMM	30.49	39.59	40.65	55.89	55.73	30.23	39.44	46.11	50.66	56.21	54.37	62.88	66.19	71.09	72.43
GMM	36.31	47.49	49.67	64.79	67.10	35.89	45.39	52.28	58.87	66.27	59.60	62.79	68.24	71.11	70.76
AUM	48.65	62.97	72.60	77.70	81.67	39.66	54.96	60.92	69.20	75.75	65.23	72.39	75.95	75.30	77.18
CORES	36.20	56.90	67.84	76.72	82.67	26.21	42.68	56.38	69.22	68.26	60.73	63.61	66.28	73.43	70.51
CL	34.15	39.98	43.53	44.55	43.56	33.99	47.12	53.84	51.28	62.17	54.81	59.87	62.40	69.09	72.30
SIMIFEAT	32.01	39.33	43.95	44.82	41.62	36.04	45.72	53.67	55.06	61.53	55.82	61.15	68.12	70.56	69.76
DEFT	25.67	38.06	44.01	52.78	55.40	29.84	42.36	45.14	52.08	62.95	53.69	59.87	62.25	67.99	69.59
ReCoV	42.15	46.78	52.90	61.12	64.31	37.09	50.94	54.75	57.69	63.30	69.24	68.84	73.06	72.09	72.49
LEMoN	38.41	55.86	61.97	73.70	75.35	31.82	41.64	48.20	64.35	69.55	59.60	62.54	73.95	74.30	75.58
Ours	50.44	65.64	74.80	80.07	83.93	45.20	56.53	63.43	71.26	78.19	72.57	77.22	81.46	83.11	81.18

339 4.1.2 SYNTHETIC NOISE GENERATION

340 To simulate real-world annotation errors, we synthesize mislabeled samples at five noise rates
 341 $\eta \in \{0.1, 0.2, 0.3, 0.4, 0.5\}$ using two corruption strategies:

342 **Symmetric Noise.** In a K -class setting, each sample with ground-truth label $a \in \{1, \dots, K\}$ retains
 343 its correct label with probability $1 - \eta$. With probability η , it is corrupted to a different class $b \neq a$,
 344 chosen uniformly from the $K - 1$ alternatives:

$$347 \quad p_{a \rightarrow b} = \frac{\eta}{K-1}, \quad b \neq a. \quad (4)$$

350 **Confusion-Calibrated Noise.** To simulate realistic errors, we first train a reference ResNet-50
 351 classifier and compute an empirical confusion matrix $\mathbf{T} \in \mathbb{R}^{K \times K}$ from its predictions. For a sample
 352 with ground-truth label a , the label remains unchanged with probability $1 - \eta$. With probability η ,
 353 it is corrupted to class b ($b \neq a$) according to:

$$354 \quad p_{a \rightarrow b} = \eta \frac{\exp(T_{ab})}{\sum_{k \neq a} \exp(T_{ak})}, \quad b \neq a. \quad (5)$$

355 This preserves the target corruption rate η while aligning errors with observed class confusions.

356 4.1.3 EVALUATION METRICS

357 For mislabeled data detection, we use F1 score as our primary metric, following prior works (Zhu
 358 et al., 2022; Kim et al., 2024). F1 score balances precision and recall, providing a more reliable
 359 assessment. For downstream image classification, we report accuracy, F1 score, and AUC for
 360 comprehensive evaluation.

361 4.1.4 IMPLEMENTATION DETAILS

362 All experiments use PyTorch and run on a single NVIDIA RTX 4090 GPU. For mislabeled data
 363 identification, we employ CLIP with a Transformer text encoder and ResNet-50 vision encoder.
 364 Training uses SGD with momentum 0.9, weight decay 1×10^{-4} , batch size 128, and initial learning
 365 rate 1×10^{-3} for 150 epochs. The learning rate decays by 0.1 at epochs 75 and 115. Images are resized
 366 to 224×224 and normalized using ImageNet statistics (Russakovsky et al., 2015). For downstream
 367 classification tasks, we use the official dataset splits.

368 4.2 COMPARISON WITH STATE-OF-THE-ART METHODS

369 We evaluate our approach against existing mislabeled data identification methods, including
 370 INCV (Chen et al., 2019), BMM (Arazo et al., 2019), GMM (Li et al., 2020), AUM (Pleiss et al.,
 371 2020), CORES (Cheng et al., 2021), CL (Northcutt et al., 2021), SIMIFEAT (Zhu et al., 2022), DeFT

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381 Table 2: Comparison with state-of-the-art mislabeled data detection methods under confusion-
382 calibrated noise.
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	ISIC					DeepDRiD					PANDA				
	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5
INCV	32.99	40.44	44.03	51.62	56.64	33.15	43.50	46.54	48.60	50.68	41.19	50.44	59.96	63.54	66.90
BMM	37.01	26.92	36.10	57.36	52.22	31.50	36.63	45.24	50.18	52.09	46.59	63.23	55.36	60.51	65.10
GMM	31.17	36.38	42.14	48.94	59.09	37.82	47.33	54.34	56.46	57.72	54.15	58.11	64.58	67.93	69.24
AUM	42.96	57.24	65.96	64.54	71.42	41.35	48.21	56.47	60.55	61.84	61.30	68.29	72.31	76.08	76.52
CORES	35.75	55.64	65.56	62.49	42.87	26.59	39.93	44.01	36.17	47.67	45.66	54.72	60.25	63.09	65.64
CL	38.14	43.44	48.66	45.46	43.28	34.06	37.60	43.06	42.78	51.58	51.87	60.77	69.19	71.53	72.35
SIMIFEAT	38.54	48.21	49.66	50.65	46.17	32.13	49.98	41.57	42.38	48.57	59.97	61.08	68.25	69.10	71.94
DEFT	15.33	24.67	32.72	37.03	34.41	18.46	28.74	39.68	46.53	50.34	40.66	54.72	65.48	67.83	69.93
ReCoV	40.90	44.21	61.16	64.66	66.61	42.63	48.49	50.93	52.67	61.79	59.50	63.15	64.58	65.91	69.87
LEMoN	30.59	42.50	56.70	61.91	67.07	34.06	42.62	55.80	63.86	66.82	56.40	66.66	70.22	74.80	75.13
Ours	47.75	59.35	67.25	74.98	79.91	46.59	52.65	62.84	68.35	73.04	73.17	78.21	81.86	81.96	81.85

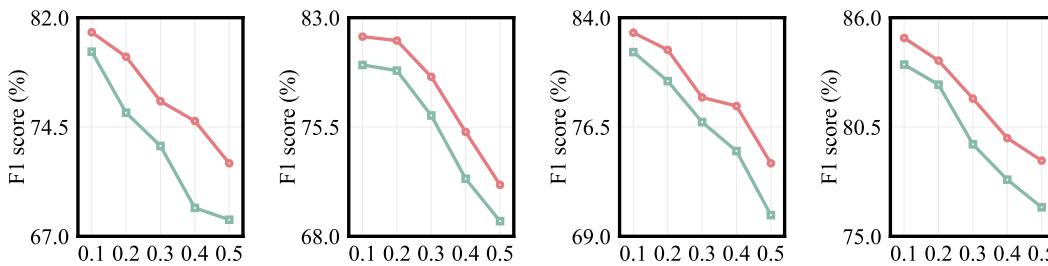
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395 Table 3: Ablation study on the effectiveness of the signed term and temporal integration. EI denotes
396 the unsigned entropy integral (standard Shannon entropy), SE@T represents signed entropy at the
397 final epoch, SE@T/2 denotes signed entropy at mid-training, and SEI is our full signed entropy
398 integral method.
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	ISIC					DeepDRiD					PANDA				
	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5
EI	35.31	45.05	50.46	60.77	63.65	42.91	47.86	53.85	59.28	61.14	51.76	61.50	64.26	67.26	65.86
SE@T	35.73	44.64	52.01	57.89	63.20	39.16	44.33	51.96	57.93	61.29	41.69	56.26	62.27	62.91	56.85
SE@T/2	36.97	48.19	56.30	63.72	68.73	40.32	48.87	54.89	62.84	66.58	57.35	60.06	64.80	66.26	66.88
SEI	47.75	59.35	67.25	74.98	79.91	46.59	52.65	62.84	68.35	73.04	73.17	78.21	81.86	81.96	81.85

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403 (Wei et al., 2024), ReCoV (Chen et al., 2024), and LEMoN (Zhang et al., 2025). As summarized in
404 Tabels 1 and 2, our approach consistently outperforms all competing methods across all datasets and
405 noise levels.406
407 Under the more challenging confusion-calibrated noise setting, our method delivers significant
408 improvements in mislabeled data detection. On the ISIC dataset, it outperforms the second-best
409 approach by 4.79%, 2.11%, 1.29%, 10.32%, and 8.49% across different noise rates. On DeepDRiD,
410 the gains are 3.96%, 4.16%, 6.37%, 4.49%, and 6.22%, while on PANDA, our method achieves
411 improvements of 11.87%, 9.92%, 9.55%, 5.88%, and 5.33%. Under the symmetric noise setting, we
412 again observe consistent and notable performance boosts, further confirming the effectiveness of our
413 approach.414
415 4.3 ANALYSIS AND DISCUSSION416
417 4.3.1 EFFECTIVENESS OF THE SIGNED TERM418 To assess the contribution of the signed component in Eq. 2, we compare SEI against an unsigned
419 counterpart using standard Shannon entropy. As reported in Table 3, SEI consistently outperforms
420 the unsigned variant, validating the effectiveness of signed entropy.421 We further visualize score distributions for clean and mislabeled samples under both formulations
422 in Appendix F.1.423
424 4.3.2 EFFECTIVENESS OF TEMPORAL INTEGRATION425 To evaluate the integral component, we compare SEI with two single-epoch baselines: SE@T (signed
426 entropy at the final epoch) and SE@T/2 (signed entropy at mid-training). Table 3 demonstrates that
427 SEI achieves superior F1 scores, indicating that single snapshots provide unreliable signals while
428 temporal integration yields robust detection.429 The integral accumulates directional evidence over time, with each epoch contributing a signed
430 cue: positive when predictions align with assigned labels, negative otherwise. Mislabeled samples
431 accumulate predominantly negative values, while hard clean samples eventually offset early negative
432 contributions through later positive ones. Single-epoch measurements suffer from training fluctu-

432 Table 4: Architecture generalizability of SEI. We compare performance using standard classification
 433 networks (ResNet-50, ViT-B/16) and CLIP with different visual backbones (ResNet-50, ViT-B/16).
 434 Results demonstrate that SEI remains effective across diverse architectures.

	ISIC					DeepD RID					PANDA				
	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5
RNet-50	45.68	57.58	65.07	73.04	76.33	43.99	51.34	61.17	66.89	71.75	71.21	75.64	79.21	79.28	78.25
ViT-B/16	44.25	56.71	64.57	72.12	75.91	42.88	50.47	60.71	65.68	71.31	69.44	74.17	78.89	78.86	76.03
CLIP _{RNet-50}	47.75	59.35	67.25	74.98	79.91	46.59	52.65	62.84	68.35	73.04	73.17	78.21	81.86	81.96	81.85
CLIP _{ViT-B/16}	46.66	58.36	66.89	73.59	77.25	44.58	51.78	61.27	67.74	72.41	71.92	76.52	80.63	81.28	79.45



450 Figure 5: F1 score comparison between baseline noisy label learning methods (green) and their
 451 SEI-enhanced variants (red). From left to right: SCE, M-correction, DivideMix, and ProMix.

452
 453
 454ations, which temporal integration effectively smooths. This enables the integral to better capture
 455 long-term consistency patterns and reduces false detection of hard clean samples.

456 Besides, we analyze the timing of temporal evidence in Appendix F.2, comparing windowed integrals:
 457 SEI@Early (epochs 1–75) and SEI@Late (epochs 76–150).

459 4.3.3 ARCHITECTURE GENERALIZABILITY

460 To assess the broader applicability of our approach beyond CLIP, we evaluate SEI with standard
 461 classification networks including ResNet-50 (He et al., 2016) and ViT (Dosovitskiy et al., 2021).
 462 Table 4 shows that while performance decreases, results remain competitive. This demonstrates that:
 463 (1) strong mislabeled data detection performance stems primarily from our proposed SEI rather than
 464 the CLIP architecture itself; (2) CLIP nevertheless provides advantages, likely due to its contrastive
 465 learning objective.

466 We also evaluate CLIP with various vision encoder backbone to assess generalization across both
 467 CNN and Transformer architectures, confirming consistent performance.

469 4.3.4 SYNERGY BETWEEN SEI AND LEARNING WITH NOISY LABELS

471 To further demonstrate the utility of our approach, we integrate SEI as a data cleaning module with
 472 four representative noisy label learning methods: SCE (Wang et al., 2019), M-correction (Arazo et al.,
 473 2019), DivideMix (Li et al., 2020), and ProMix (Xiao et al., 2023). The resulting variants, SCE+SEI,
 474 M-correction+SEI, DivideMix+SEI, and ProMix+SEI are evaluated against their respective baselines
 475 on the ISIC dataset under confusion-calibrated noise. As shown in Figure 5, incorporating SEI
 476 consistently improves performance in F1 score (results on accuracy and AUC are provided in
 477 Appendix G). These gains highlight the plug-and-play nature of SEI: it is architecture-agnostic
 478 and integrates seamlessly into diverse noisy label learning frameworks.

479 5 CONCLUSION

480 We present SEI, a simple yet effective metric for detecting mislabeled data by leveraging signed
 481 entropy dynamics during training, which integrates seamlessly into standard training workflows.
 482 Extensive experiments on diverse medical imaging datasets demonstrate that SEI achieves state-of-
 483 the-art performance while remaining efficient and easy to apply.

486 ETHICS STATEMENT
487488 The authors acknowledge that this work adheres to the ICLR Code of Ethics.
489490 REPRODUCIBILITY STATEMENT
491492 Code to reproduce all experiments is available at [https://anonymous.4open.science/r/](https://anonymous.4open.science/r/SEI-03E8/)
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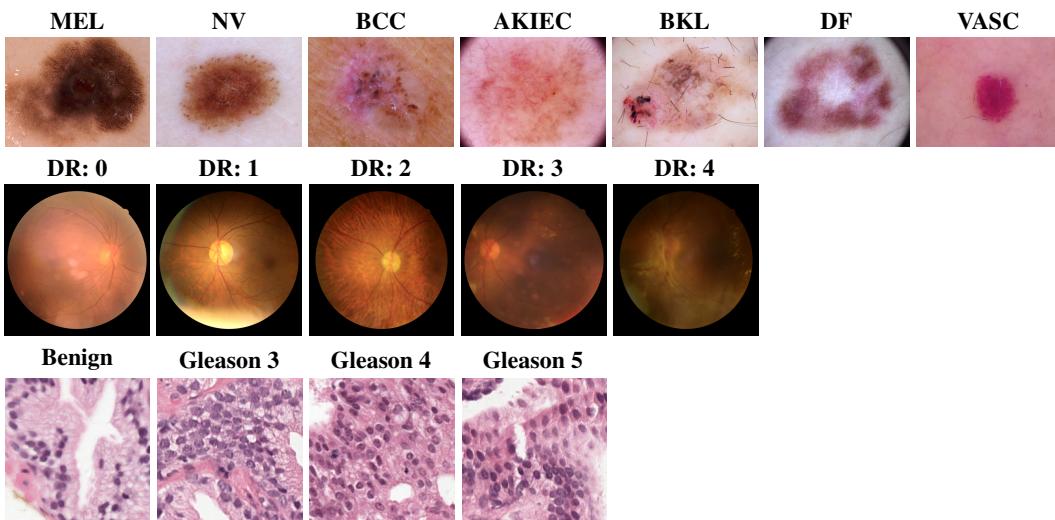
612 **APPENDIX**

613 **A USE OF LARGE LANGUAGE MODELS**

614 Large language models were used solely for light editing tasks including grammar correction, spelling
 615 checks, and minor phrasing improvements to enhance clarity and concision.
 616

617 **B DATASETS**

618 Figure 6 presents representative samples from each class across the three datasets employed in our
 619 study: ISIC, DeepDRiD, and PANDA. We display one exemplar image per class, organized with rows
 620 corresponding to individual datasets and columns representing distinct classes. This visualization
 621 facilitates direct comparison of class-specific visual characteristics. The corresponding text prompts
 622 utilized for training CLIP models are detailed in Table 5, including auxiliary class prompts for each
 623 dataset.
 624



625 Figure 6: Representative images from the datasets used in this work. Rows correspond to ISIC,
 626 DeepDRiD, and PANDA datasets (top to bottom) and columns to class labels.
 627

648 Table 5: Text prompts for each class in the datasets. Prompts highlighted in gray are auxiliary class
 649 prompts.
 650

651	Dataset	Text Prompts
652	ISIC	A dermoscopic image showing melanoma.
653		A dermoscopic image showing nevus.
654		A dermoscopic image showing basal cell carcinoma.
655		A dermoscopic image showing actinic keratosis/intraepithelial carcinoma.
656		A dermoscopic image showing benign keratosis.
657		A dermoscopic image showing dermatofibroma.
658		A dermoscopic image showing vascular lesion.
659		A dermoscopic image showing other lesions.
660	DeepDRiD	A fundus image showing no evidence of diabetic retinopathy.
661		A fundus image exhibiting mild diabetic retinopathy.
662		A fundus image exhibiting moderate diabetic retinopathy.
663		A fundus image exhibiting severe diabetic retinopathy.
664		A fundus image exhibiting proliferative diabetic retinopathy.
665		A fundus image showing other retinal conditions.
666	PANDA	A histology image showing benign glandular epithelium.
667		A histology image showing Gleason pattern 3 adenocarcinoma.
668		A histology image showing Gleason pattern 4 adenocarcinoma.
669		A histology image showing Gleason pattern 5 adenocarcinoma.
670		A histology image showing other conditions.

671 C ADDITIONAL ANALYSIS OF ENTROPY TRAJECTORIES

672 In this section, we visualize entropy trajectories for more representative categories across the three
 673 datasets. For ISIC and DeepDRiD, we additionally show trajectories for other classes, comparing
 674 correctly labeled samples with mislabeled ones. As shown in Figure 7, we plot entropy trajectories
 675 for melanoma cases from the ISIC dataset, grade 0 diabetic retinopathy images from the DeepDRiD
 676 dataset, benign epithelium samples from the PANDA dataset, and Gleason 5 cancerous epithelium
 677 images from the PANDA dataset. Across all examined cases, we consistently observe the regularity
 678 described in Section 2.3.
 679

681 D EXTENDED EVALUATION OF SEI FOR MISLABELED SAMPLE DETECTION

682 We present additional empirical evidence demonstrating the effectiveness of SEI. Figures 8, 9, and
 683 10 illustrate the discriminative power of SEI in separating different sample types within the ISIC,
 684 DeepDRiD, and PANDA datasets, respectively. The results consistently validate the theoretical
 685 framework outlined in Section 2.4.2: samples with correct labels that are easily classified exhibit
 686 large positive SEI values, challenging but correctly labeled samples demonstrate moderate SEI
 687 values, while mislabeled samples consistently display strongly negative SEI values.
 688

689 E THEORETICAL PROPERTIES OF SIGNED ENTROPY

690 In this section, we provide a short theoretical analysis of the proposed signed entropy (Eq. 2). Recall
 691 that for $(\mathbf{x}, y) \in \mathcal{D}_{\text{train}}$ with posterior $\mathbf{p}(\mathbf{x})$, we define
 692

$$693 \mathcal{H}(\mathbf{p}(\mathbf{x}), y) = (-1)^{\mathbb{1}[y = \arg \max_k p_k(\mathbf{x})]} \sum_{k=1}^K p_k(\mathbf{x}) \log p_k(\mathbf{x}).$$

698 E.1 RELATION TO SHANNON ENTROPY

699 **Proposition 1 (Reduction to Shannon Entropy)** *If $y = \arg \max_k p_k(\mathbf{x})$, then*

$$700 \mathcal{H}(\mathbf{p}(\mathbf{x}), y) = H(\mathbf{p}(\mathbf{x})),$$

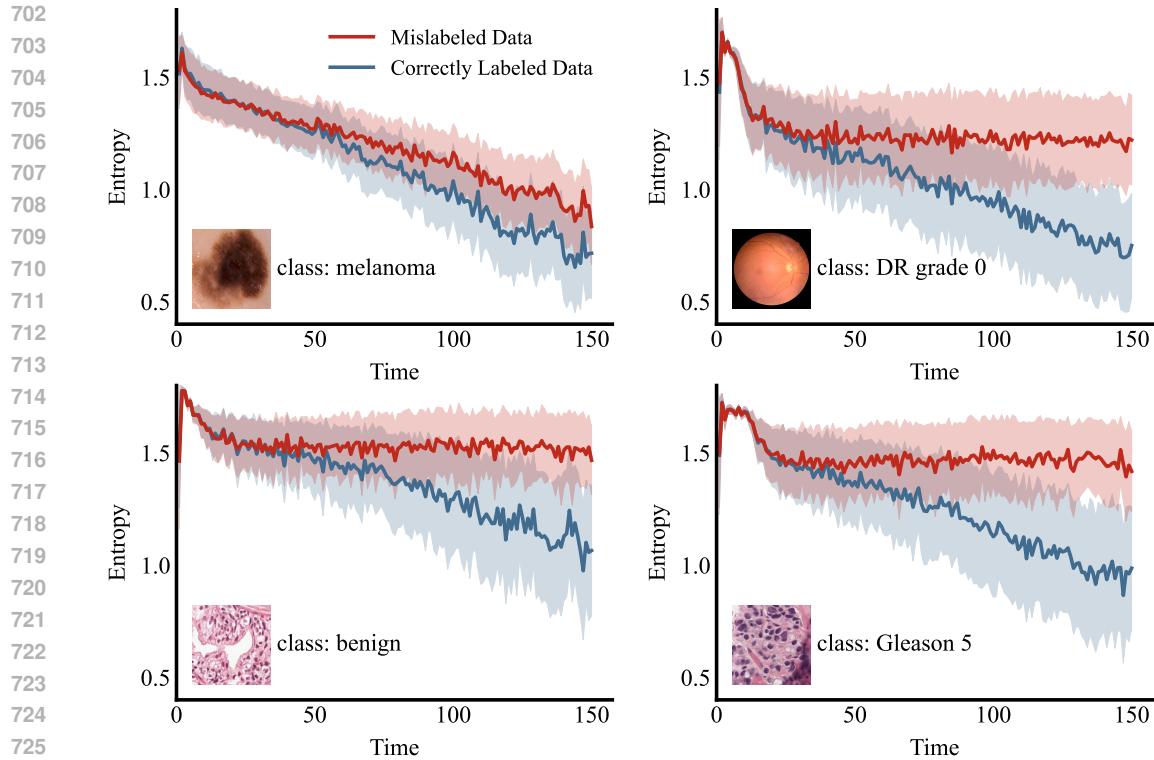


Figure 7: Training dynamics of prediction entropy for correctly labeled versus mislabeled samples. Top-left: melanoma images from the ISIC dataset. Top-right: grade 0 diabetic retinopathy (DR) images from the DeepDRID dataset. Bottom-left: benign glandular epithelium images from the PANDA dataset. Bottom-right: Gleason 5 cancerous epithelium images from the PANDA dataset.

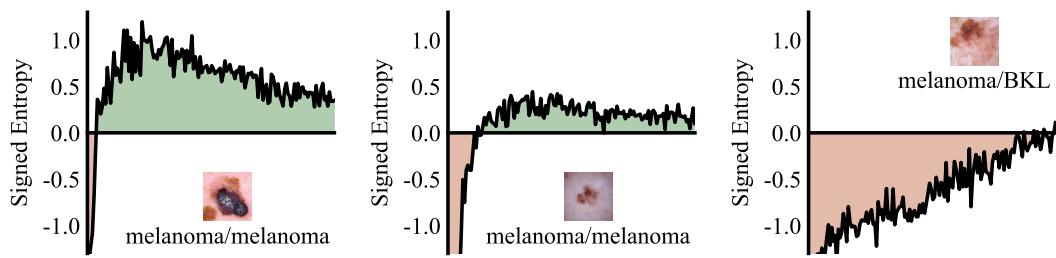


Figure 8: Illustration of SEI using melanoma images from the ISIC dataset. The plots show signed entropy curves across training epochs for easy clean (left), hard clean (middle), and mislabeled (right) samples. Each curve is averaged over 200 samples, and the signed area under the curve represents the SEI. Correctly labeled samples consistently exhibit larger SEIs than mislabeled ones.

where $H(\mathbf{p}) = -\sum_k p_k \log p_k$ is Shannon's entropy.

Proof 1 By definition, the sign exponent equals $(-1)^1 = -1$ when the prediction agrees with y , yielding the standard Shannon entropy.

E.2 CONCAVITY AND SIGN SYMMETRY

Proposition 2 (Concavity up to Sign) Let \mathcal{P} denote the probability simplex in \mathbb{R}^K . For a fixed label y , the signed entropy $\mathcal{H}(\cdot, y)$ is concave on \mathcal{P} if y matches the prediction, and is convex on \mathcal{P} if y disagrees with the prediction.

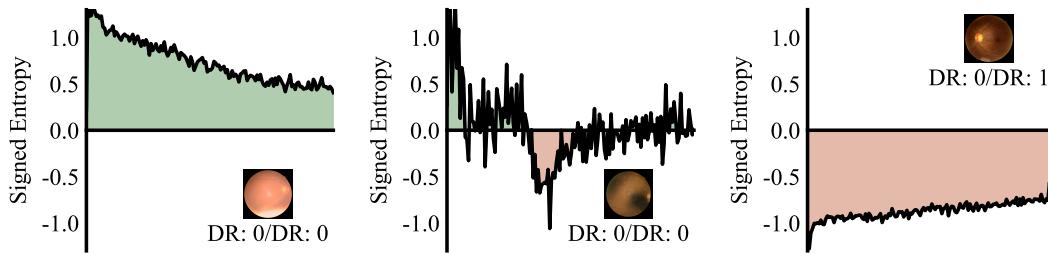


Figure 9: Illustration of SEI using Grade 0 diabetic retinopathy (DR) images from the DeepDRiD dataset.

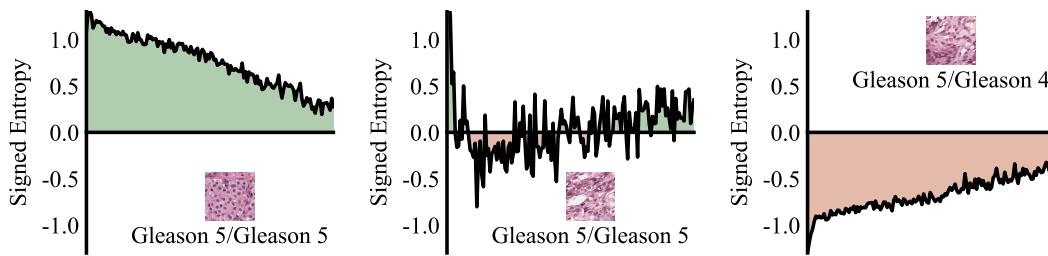


Figure 10: Illustration of SEI using Gleason 5 images from the PANDA dataset.

Proof 2 *The Shannon entropy $H(\mathbf{p})$ is strictly concave on \mathcal{P} (classical result). Multiplying by -1 flips concavity to convexity. Since the sign of \mathcal{H} depends only on alignment, the stated property follows.*

E.3 IMPLICATION FOR SEI

These properties imply that SEI (Eq. 3) can be interpreted as a signed, temporally averaged measure of prediction uncertainty. Its sign encodes long-term label alignment, while its magnitude captures how confidently the model reaches this alignment (or misalignment). This dual role is what enables SEI to separate mislabeled data from both easy and hard clean samples.

F ADDITIONAL ABLATION RESULTS

F.1 VISUAL EVIDENCE FOR THE SIGNED TERM

We further visualize score distributions for clean and mislabeled samples under both formulations (see Figure 11). The unsigned variant exhibits heavily overlapping positive-only distributions, making separation difficult. In contrast, SEI introduces a clear negative tail for mislabeled samples, creating a bimodal structure with reduced overlap and more distinguishable groups.

F.2 FULL-TRAJECTORY INTEGRATION VS. WINDOWED INTEGRALS

Table 6 shows that both windowed variants (SEI@Early and SEI@Late) perform worse than the full-trajectory SEI. Restricting to either an early or late window discards complementary cues present in the other phase.

G ADDITIONAL RESULTS ON DOWNSTREAM IMAGE CLASSIFICATION

Beyond F1 score, we also report accuracy and AUC for SCE, M-correction, DivideMix, and ProMix, both with and without SEI, under the same protocol as Section 4.3.4. Results are presented in Figure 12 and Figure 13.

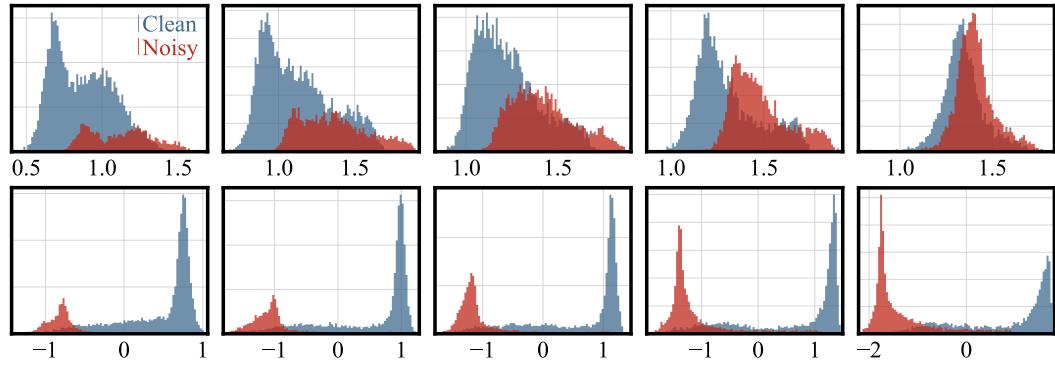


Figure 11: Score distributions for clean and noisy samples on the PANDA dataset. We compare our proposed SEI statistic (bottom row) against the unsigned Shannon entropy integral baseline (top row) for noise rates $\eta \in \{0.1, 0.2, 0.3, 0.4, 0.5\}$. Each column corresponds to increasing noise levels from left to right. The SEI statistic demonstrates better separation between clean and noisy sample distributions at all noise levels.

Table 6: Evaluation of windowed integrals—SEI@Early (epochs 1–75) and SEI@Late (epochs 76–150)—compared to the full SEI.

	ISIC					DeepDRiD					PANDA				
	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5	0.1	0.2	0.3	0.4	0.5
SE@Early	44.88	56.15	63.50	69.88	73.80	36.05	42.69	54.30	60.63	66.48	68.01	70.89	75.05	76.36	76.11
SE@Late	37.98	51.23	62.57	65.77	69.56	41.11	47.08	58.81	63.96	70.81	70.46	73.50	77.10	77.91	78.66
SEI	47.75	59.35	67.25	74.98	79.91	46.59	52.65	62.84	68.35	73.04	73.17	78.21	81.86	81.96	81.85

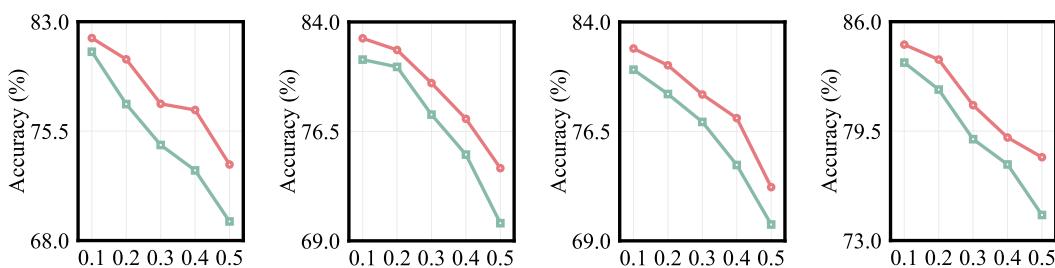


Figure 12: Accuracy comparison under confusion-calibrated noise between baseline noisy label learning methods (green) and their SEI-enhanced variants (red). From left to right: SCE, M-correction, DivideMix, and ProMix.

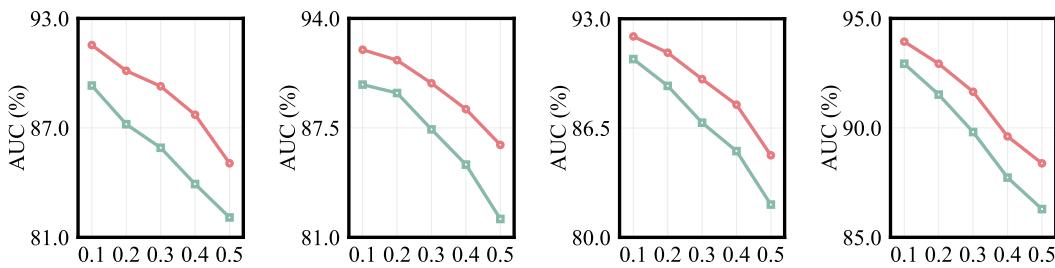


Figure 13: AUC comparison under confusion-calibrated noise between baseline noisy label learning methods (green) and their SEI-enhanced variants (red). From left to right: SCE, M-correction, DivideMix, and ProMix.

In addition, we provide comprehensive results (F1 score, accuracy, and AUC) under symmetric noise, which are reported in Figures 14, 15, and 16.

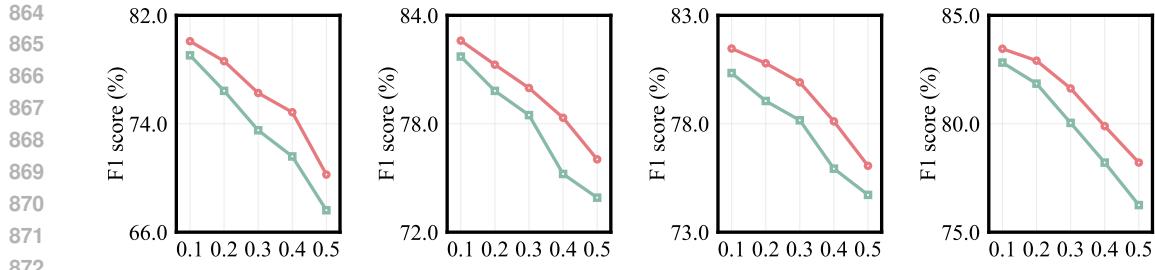


Figure 14: F1 score comparison under symmetric noise between baseline noisy label learning methods (green) and their SEI-enhanced variants (red). From left to right: SCE, M-correction, DivideMix, and ProMix.

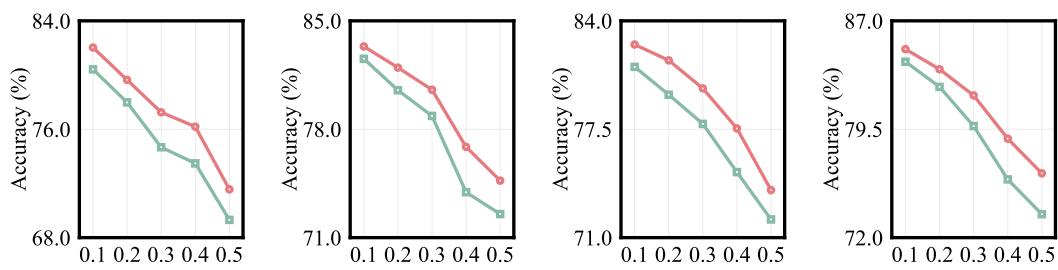


Figure 15: Accuracy comparison under symmetric noise between baseline noisy label learning methods (green) and their SEI-enhanced variants (red). From left to right: SCE, M-correction, DivideMix, and ProMix.

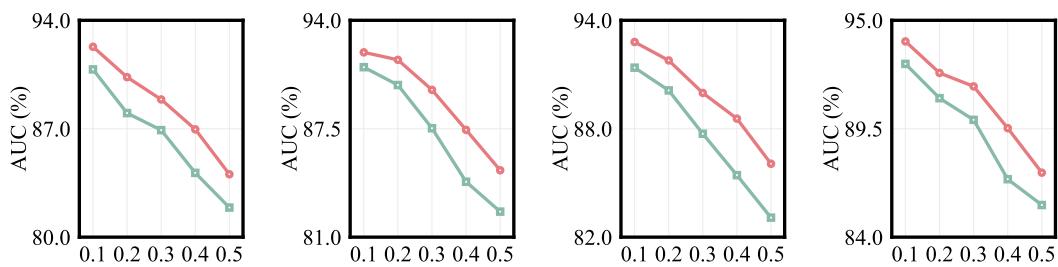


Figure 16: AUC comparison under symmetric noise between baseline noisy label learning methods (green) and their SEI-enhanced variants (red). From left to right: SCE, M-correction, DivideMix, and ProMix.

H SENSITIVITY TO TRAINING CONFIGURATION

We conducted a series of hyperparameter sensitivity experiments on the PANDA dataset under the confusion-calibrated 50% noise setting to assess how SEI behaves under different training configurations.

Training duration and early stopping. We first varied the number of training epochs while keeping all other hyperparameters fixed. As shown in Table 7, the small standard deviation (0.42%) indicates that SEI is insensitive to moderate changes in training duration as long as the model reaches convergence. In contrast, early stopping at epoch 75 leads to a noticeable drop (Table 6), confirming that SEI assumes a reasonably converged model rather than an undertrained one.

Learning rate. We investigate the sensitivity of SEI to the choice of initial learning rate by sweeping it from 1e-4 to 1e-2. As shown in Table 8, we observe that the performance of SEI remains

918 Table 7: Sensitivity of SEI to training duration on PANDA (confusion-calibrated noise, $\eta = 0.5$).
 919 The default setting is 150 epochs.
 920

Epochs	100	150	200	mean	std
F1 (%)	81.34	81.85	81.02	81.40	0.42

921
 922
 923
 924
 925 very stable within the range typically used for training CLIP and standard classifiers (5e-4–1e-3), and
 926 only starts to degrade when the learning rate is excessively large (5e-3 or 1e-2). This trend mirrors
 927 standard classification training, where an appropriate learning rate is needed for effective learning of
 928 the base model itself.
 929

930 Table 8: Sensitivity of SEI to learning rate on PANDA (confusion-calibrated noise, $\eta = 0.5$). The
 931 default learning rate is 1e-3.
 932

Learning rate	1e-4	5e-4	1e-3	5e-3	1e-2
F1 (%)	80.06	81.50	81.85	78.86	77.00

933
 934
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 938
 939 **Data augmentation, label smoothing, and weight decay.** We also examined several common
 940 regularization choices. For data augmentation, as shown in Table 9, “Strong aug.” adds random affine
 941 transforms and random erasing. SEI remains robust under both weak and strong augmentations, with
 942 a slight gain under stronger augmentation. MixUp—whose heavy mixing disrupts label–prediction
 943 alignment—slightly reduces performance. For label smoothing, as shown in Table 10, moderate
 944 label smoothing slightly degrades performance, and stronger smoothing further weakens entropy
 945 signals, as expected. As shown in Table 11, weight decay within [5e-5, 5e-4] has only mild impact,
 946 with slightly higher F1 at the upper end.
 947

948 Table 9: Effect of data augmentation on SEI (PANDA, confusion-calibrated noise, $\eta = 0.5$). The
 949 default setting is weak augmentation.
 950

Augmentation setting	Strong aug.	Weak aug.	MixUp
F1 (%)	82.38	81.85	80.88

951 Table 10: Effect of label smoothing on SEI (PANDA, confusion-calibrated noise, $\eta = 0.5$). The
 952 default setting is 0.0.
 953

Label smoothing	0.0	0.1	0.2
F1 (%)	81.85	81.45	80.36

954 Table 11: Effect of weight decay on SEI (PANDA, confusion-calibrated noise, $\eta = 0.5$). The default
 955 setting is 1e-4.
 956

Weight decay	5e - 5	1e - 4	5e - 4
F1 (%)	81.36	81.85	82.21

957
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 961 **Temporal integration window.** We compare the full-trajectory SEI with variants that integrate
 962 signed entropy over fixed 50-epoch windows with a stride of 20. As reported in Table 12, all
 963 window-based variants perform significantly worse than full-trajectory SEI, consistent with the
 964

972 Table 12: SEI with different 50-epoch integration windows (PANDA, confusion-calibrated noise,
 973 $\eta = 0.5$).

Window (epochs)	[0, 49]	[20, 69]	[40, 89]	[60, 109]	[80, 129]	[100, 149]
F1 (%)	75.34	50.78	49.92	51.03	54.09	56.81

978
 979 SEI@Early/SEI@Late results in Table 6. This confirms that SEI benefits from integrating the entire
 980 training trajectory rather than relying on a narrow early or late slice.
 981

982 In summary, SEI is robust under standard training-to-convergence settings and typical hyperparameter
 983 choices. The ranking is stable with respect to reasonable training lengths, LR schedules, and
 984 regularization. Our recommendation is to use the full training trajectory; extreme early stopping or
 985 highly atypical hyperparameters are not ideal conditions for SEI.
 986
 987

988 I SENSITIVITY TO THE AUXILIARY-CLASS SAMPLING RATIO

990 To evaluate the robustness of the auxiliary-class-based threshold, we performed a sensitivity analysis
 991 on the PANDA dataset with 50% confusion-calibrated noise by varying the sampling ratio of
 992 auxiliary-class samples. In our default setting, the number of auxiliary samples is $N/(K+1)$. We
 993 scaled this number using factors of $0.5\times$, $0.75\times$, $1.0\times$, $1.5\times$, and $2.0\times$. As shown in Tabel 13, the F1
 994 scores remain within a tight range, with a mean of 81.87% and a standard deviation of only 0.72%,
 995 even when the number of auxiliary samples varies by a factor of four. This indicates that SEI is
 996 not sensitive to the exact sampling ratio: as long as a reasonable number of auxiliary samples is
 997 used, the estimated mean SEI for the auxiliary class remains stable. It is also worth noting that
 998 although the sampling ratio is manually specified, the threshold itself is entirely data-driven and
 999 learned adaptively.

1000 Table 13: Sensitivity of SEI to the auxiliary-class sampling ratio on PANDA (confusion-calibrated
 1001 noise, $\eta = 0.5$). The ratio is expressed as a multiplier of the default $N/(K + 1)$ setting. The default
 1002 setting is $1.0\times$.
 1003

Ratio factor	0.5 \times	0.75 \times	1.0 \times	1.5 \times	2.0 \times
F1 (%)	81.94	83.01	81.85	81.41	81.12

1008 J GENERALIZATION OF SEI TO NATURAL IMAGES WITH REAL-WORLD NOISE

1009
 1010 To assess the generalization ability of SEI beyond the medical domain and to evaluate its behavior
 1011 under real-world human annotation noise, we conducted additional experiments on the CIFAR-
 1012 100N (Wei et al., 2022), a natural-image dataset with real human annotation noise. CIFAR-100N is
 1013 a noisy-label variant of CIFAR-100 where each training image is re-annotated by human annotators,
 1014 while the original CIFAR-100 labels are kept as clean ground truth.
 1015

1016 On CIFAR-100N, we compare SEI against the same set of noisy label detection baselines used
 1017 in the main paper. As shown in Table 14, SEI again achieves the best F1 score for mislabeled
 1018 data detection, outperforming the second-best method by 2.2%. These results indicate that SEI is
 1019 not domain-specific. The signed entropy dynamics remain effective on a standard natural image
 1020 dataset, and SEI robustly handles real human annotation noise—not only synthetic symmetric or
 1021 confusion-calibrated noise.
 1022

1023 K INTER-OBSE VARIABILITY VS. LABEL NOISE

1026 Table 14: Mislabeled sample detection on CIFAR-100N. We report F1 scores (%) for identifying
 1027 mislabeled samples. The best result is highlighted in **bold**.

Method	INCV	BMM	GMM	AUM	CORES	CL	SIMIFEAT	DeFT	ReCoV	LEMoN	Ours
F1 (%)	59.77	63.55	63.83	74.54	38.52	67.64	79.21	75.03	67.59	78.40	81.41

1032
 1033 Inter-observer variability and label noise are related but not identical. Variability across annotators
 1034 often reflects inherent uncertainty, whereas noisy label detection assumes a single hard label per
 1035 sample and seeks to identify cases where that label is incorrect. Learning with uncertain or proba-
 1036 bilistic labels—such as modeling annotator distributions or ambiguity—is an important but distinct
 1037 problem setting (Kohl et al., 2018) and is not the focus of this work.

1038 Our work operates strictly under the standard hard-label noise detection setting, where each training
 1039 sample is associated with one label, and the goal is to detect mislabeled instances under this
 1040 assumption. SEI is therefore designed and evaluated within this framework.

L SEI UNDER EXTREME NOISE RATES

1044
 1045 In clinical practice, datasets with more than 50% label disagreement are typically considered unre-
 1046 liable for training. Accordingly, our main experiments focus on noise rates up to 0.5. To further
 1047 assess robustness, we additionally evaluate SEI on the PANDA dataset under more extreme noise
 1048 levels $\eta \in \{0.6, 0.7, 0.8\}$, for both confusion-calibrated noise and symmetric noise. The F1 scores
 1049 for mislabeled-data detection are summarized in Table 15.

1050 Table 15: SEI performance on PANDA under extreme noise rates. We report F1 scores (%) for
 1051 mislabeled data detection.

Noise rate	0.6	0.7	0.8
Confusion-calibrated	81.07	79.93	81.83
Symmetric	81.66	80.95	80.51

1057 Even at very high noise rates (60—80%), SEI remains stable around 80% F1, without a significant
 1058 performance collapse. Performance does not degrade monotonically; instead, it fluctuates slightly
 1059 within a narrow band, suggesting that SEI can still capture useful training-dynamics signals even
 1060 when a large fraction of labels is corrupted.

M PER-CLASS ANALYSIS OF NOISY-LABEL DETECTION

1066 We perform a per-class analysis of noisy label detection performance on PANDA with 50% confu-
 1067 sion-calibrated noise. For each class, we report the class-wise false positive rate (FPR) and per-class F1
 1068 score as shown in Table 16.

1069 Table 16: Per-class false positive rate and F1 for noisy-label detection on PANDA (confusion-
 1070 calibrated noise, $\eta = 0.5$).

Class	Per-class FPR (%)	Per-class F1 (%)
Benign epithelium	13.66	85.47
Gleason 3	22.87	80.38
Gleason 4	25.87	80.14
Gleason 5	21.63	82.91

1078 These results show that SEI does not systematically over-filter any particular class. Notably, benign
 1079 epithelium—the smallest class—has the lowest false positive rate (13.66%), suggesting that minority

1080 patterns are not disproportionately removed. Overall, SEI achieves consistently strong detection
1081 quality across all classes.

1082 This outcome aligns with the design of SEI: by integrating signed entropy over the entire training
1083 trajectory, SEI naturally separates hard-but-correct samples from mislabeled ones. Hard, correctly
1084 labeled samples may have high entropy early in training but eventually align with their labels and
1085 accumulate positive signed contributions. In contrast, mislabeled samples remain misaligned for
1086 most of training and accumulate negative contributions. This reduces the risk of misclassifying
1087 intrinsically hard or minority-subtype samples as noisy.

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