Orientation-Aware Diffusion Super-Resolution for 3T-Like Fetal MRI from Routine 1.5T Scans

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Abstract

Fetal MRI plays a central role in assessing early brain development. While 3T scanners offer higher SNR and improved cortical detail, their increased sensitivity to motion, susceptibility artifacts, and B_1 inhomogeneity limits wide adoption for routine fetal imaging. Consequently, most clinical examinations are performed at 1.5T, where greater motion tolerance comes at the cost of lower SNR, reduced gray—white matter contrast, and partial-volume blurring – factors that undermine downstream morphometric analysis. Bridging this quality gap without sacrificing motion robustness of 1.5T would enable 3T-like morphometric reliability in routine clinical acquisitions.

We propose an orientation-aware diffusion super-resolution framework that synthesizes 3T-like fetal brain contrast from routine 1.5T scans. The model combines a Swin-UNet backbone with gated FiLM-based orientation embeddings and a residual error-shifting diffusion mechanism. Training leverages the FaBiAN phantom to generate controllable high-low-resolution pairs with monotonic intensity remapping, geometric perturbations, and simulated signal voids, thereby ensuring generalization to clinical data. Our model produces markedly sharper gyri and mitigates partial-volume effects in both synthesized and clinical data. When evaluated using Fetal-SynthSeg following NeSVoR reconstruction, the framework consistently improves tissue segmentation accuracy over state-of-the-art restoration baselines, yielding more reliable morphometric estimates for fetal brain analysis.

Keywords: MRI, Diffusion Models, Image Enhancement, Fetal Neuroimaging

1. Introduction

MRI is widely used in neuroimaging due to its non-invasive nature, excellent soft tissue contrast, and painless procedure. Fetal brain assessment still depends largely on 1.5T scanners even though 3T acquisitions provide sharper cortical detail, higher SNR, and better gray—white separation. Consequently, routine fetal scans often suffer from an "effective

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resolution" gap: although the nominal pixel size may be sufficient, the inherently lower SNR at 1.5T results in partial-volume blurring and noise that obscure fine anatomical details. This degradation complicates diagnostic tasks, such as detecting cortical dysplasia, and hinders longitudinal studies that attempt to harmonize data across varying field strengths (Jannat et al., 2025; Zimmermann, 2025). Bridging this gap via software—translating 1.5T scans to 3T quality—is therefore critical for modernizing fetal neuroimaging without costly hardware replacements.

Existing post-acquisition enhancement strategies falter under fetal-specific constraints. Classic model-based Super-Resolution (SR) methods relies on handcrafted priors (e.g., total variation, sparsity), which must precisely match the physical degradation to avoid artifact amplification. Supervised deep learning methods demand perfectly aligned low-/high-field pairs that are practically unobtainable in fetal cohorts, while physics-informed reconstructions require raw k-space data rarely archived during routine HASTE exams. While Denoising Diffusion Probabilistic Models (DDPMs) offer a generative alternative, standard implementations are prone to structural hallucinations when trained on limited medical datasets (Khateri et al., 2025). Even recent residual-shifting approaches—such as ResShift (Yue et al., 2024) or Res-SRDiff (Safari et al., 2025)—fail to account for the complex acquisition geometry, treating every slice as an independent, isotropic image.

This geometric oversight is critical. Routine fetal exams consist of orthogonal stacks (axial, coronal, sagittal) with highly anisotropic resolutions and distinct, view-dependent artifact patterns. Orientation-agnostic networks inevitably average these incompatible priors, resulting in suboptimal smoothing. To address this without clinical ground truth, we leverage high-fidelity simulation. Simulators like FaBiAN (Lajous et al., 2022) provide the only viable source of registered supervision, allowing us to explicitly learn these orientation-dependent degradations where reacquiring paired clinical data is impossible.

We address these gaps with an orientation-aware diffusion framework tailored to fetal MRI enhancement. Our contributions are threefold: (1) We introduce a gated FiLM orientation encoder that conditions the network on slice geometry, allowing it to adaptively invert view-specific anisotropies at different feature depths. (2) We propose a residual-shift diffusion formulation that anchors the generative process to the input, refining high-frequency details while explicitly mitigating the risk of hallucination common in standard DDPMs. (3) We introduce a multi-level augmentation suite—including monotonic intensity remapping, geometric perturbations, and blackout-style motion corruption—to robustly generalize from FaBiAN synthetic supervision to clinical scans. Together, these components deliver 3T-like fidelity with sharper cortical detail and improved downstream segmentation utility.

2. Related Work

2.1. Deep Learning-based Super-Resolution for Medical Imaging

Modern SR has evolved from residual CNNs to high-capacity architectures like Real-ESRGAN (Wang et al., 2018) and Vision Transformers like SwinIR (Liang et al., 2021), which utilize adversarial training or shifted-window attention to capture complex textures. Recently, state-space models such as GAMBAS (Baljer et al., 2025) have introduced Mamba layers for volumetric context, while BME-X (Sun et al., 2025) establishes a unified foundation model for multi-task restoration. However, these approaches face distinct limitations in fetal imag-

ing. Deterministic regressors (e.g., SwinIR) tend to suppress high-frequency details—the "regression to the mean" effect—particularly when pixel-aligned supervision is unavailable due to stochastic fetal motion. Furthermore, while GAMBAS assumes consistent volumetric inputs, it struggles with severe inter-slice motion of HASTE stacks. Similarly, BME-X's general-purpose design prioritizes global harmonization but lacks explicit orientation conditioning, often leading to over-smoothed results that fail to resolve the view-dependent anisotropy inherent to single-shot acquisitions.

2.2. Diffusion Models for Image Restoration

DDPMs (Ho et al., 2020; Saharia et al., 2023) have surpassed deterministic baselines by synthesizing the high-frequency textures essential for perceptual quality. This advantage has enabled successful applications in medical image reconstruction and harmonization (Chung and Ye, 2022; Peng et al., 2022; Özdenizci and Legenstein, 2023). However, standard DDPMs face critical hurdles in clinical deployment: generating anatomy from pure Gaussian noise is computationally intensive and prone to structural hallucinations, particularly given the domain shift between synthetic training data and real clinical scans. Furthermore, generic diffusion processes lack explicit priors to handle structured, view-dependent artifacts of fast HASTE sequences. We address these limitations by adopting a residual-shift formulation; rather than synthesizing images from scratch, our model iteratively refines high-frequency residual relative to input. This significantly constrains the generative search space, ensuring anatomical fidelity while recovering fine details.

2.3. Orientation as a Conditioning Signal

In fetal MRI, the trade-off between acquisition speed and spatial resolution necessitates highly anisotropic voxel dimensions, resulting in through-plane resolution (typically 3–4 mm) that is substantially coarser than the in-plane resolution (≈ 1.0 mm). While Slice-to-Volume Reconstruction (SVR) (Kuklisova-Murgasova et al., 2012) mitigates this by fusing orthogonal stacks, its success depends critically on the fidelity of input slices. Our work therefore targets the acquisition space *prior* to SVR: by enhancing in-plane resolution of individual stacks, we aim to stabilize subsequent registration and fusion.

From a modeling perspective, slice orientation is often treated as an implicit nuisance factor or handled only through geometric constraints. However, for texture-sparse medical images, deep networks lack sufficient visual cues to reliably infer orientation-dependent degradation kernels purely from appearance (Huang et al., 2024). To address this limitation, several explicit conditioning strategies have been explored. Conditional normalization mechanisms such as FiLM (Feature-wise Linear Modulation) (Perez et al., 2018) enable a shared backbone to adapt its feature responses to view-specific statistics, while view-specific 2D processing strategies, such as those adopted in QuickNAT (Roy et al., 2019), explicitly decouple axial, coronal, and sagittal feature distributions. In the broader diffusion literature, more heavyweight conditioning paradigms have also emerged, including parallel control-branch architectures such as ControlNet (Zhang et al., 2023) and expert-routing schemes based on Mixture-of-Experts (MoE) (Shazeer et al., 2017). While effective for strong external control or large-capacity modeling, these approaches introduce substantial architectural overhead and are not optimized for the specific constraints of fetal MRI.

In fetal HASTE acquisitions, orientation-aware conditioning is paramount: axial stacks emphasize ventricles, coronal stacks capture midline structures, and sagittal stacks delineate brainstem, each exhibiting distinct artifact patterns and partial-volume effects. A uniform, orientation-agnostic model inevitably averages these conflicting priors, leading to degraded anatomical fidelity. In contrast, our approach treats orientation as a dynamic and explicit conditioning signal, using gated modulation to selectively activate view-specific priors at only the network depths where they are anatomically relevant.

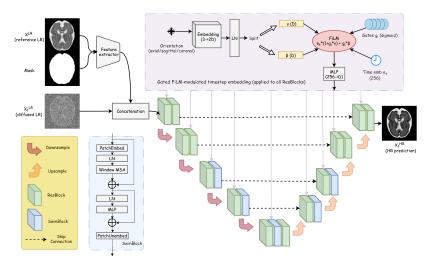


Figure 1: Overview of our framework. The Swin-UNet backbone restores the residual from the noisy state $\mathbf{x}_t^{\mathrm{LR}}$, conditioned on the LR reference \mathbf{x}^{LR} and validity mask \mathbf{m} . Gated FiLM layers inject global orientation priors, dynamically adapting the feature hierarchy to view-specific acquisition characteristics.

3. Methods

Our proposed framework integrates an orientation-aware hybrid Swin-UNet backbone, f_{θ} , with a residual-shift diffusion process (Figure 1). The network processes inputs in two streams: a shallow feature extractor encodes the clean reference slice \mathbf{x}^{LR} and validity mask \mathbf{m} , which are concatenated with noisy diffused input \mathbf{x}_t^{LR} and passed through a four-stage U-Net encoder-decoder. To balance local texture recovery with global coherence, we employ standard Residual Blocks at higher resolutions and Swin Transformer Blocks at bottleneck levels, linked via skip connections. A global orientation embedding modulates features at every stage via FiLM layers. By operating directly on the residual manifold, this architecture focuses generative capacity on restoring high-frequency details while preserving the low-frequency structure provided by input.

3.1. Residual-Shift Diffusion Process

We adopt the Res-SRDiff formulation (Safari et al., 2025), which extends ResShift (Yue et al., 2024) to medical image restoration. The diffusion process operates on the residual manifold between high-field target \mathbf{x}^{HR} and low-field input \mathbf{x}^{LR} . The forward process,

detailed in Algorithm 1, perturbs the clean residual $\mathbf{r}_0 = \mathbf{x}^{HR} - \mathbf{x}^{LR}$ into a noisy state \mathbf{x}_t at timestep t. The noisy observation \mathbf{x}_t is defined as:

$$\mathbf{x}_t = \mathbf{x}^{LR} + \sqrt{\bar{\alpha}_t}(\mathbf{x}^{HR} - \mathbf{x}^{LR}) + \sqrt{1 - \bar{\alpha}_t} \, \boldsymbol{\epsilon}, \quad \boldsymbol{\epsilon} \sim \mathcal{N}(\mathbf{0}, \mathbf{I}). \tag{1}$$

Here, $\bar{\alpha}_t$ follows a noise schedule. At each timestep t, the backbone f_{θ} predicts the clean high-resolution estimate $\hat{\mathbf{x}}_0$. We set the prediction target to the clean signal (predict_type = xstart), effectively training the network to recover the residual $\hat{\mathbf{r}}_0 = \hat{\mathbf{x}}_0 - \mathbf{x}^{LR}$, anchoring generation to the acquired anatomy. The reverse sampling process, presented in Algorithm 2, iteratively refines a noisy initial state \mathbf{x}_T back to the clean estimate \mathbf{x}_0 .

Algorithm 1: Training Input: $(\mathbf{x}^{LR}, \mathbf{x}^{HR}, \mathbf{m}) \sim \mathcal{D}$ repeat Draw $t \sim \mathcal{U}(1, T), \ \epsilon \sim \mathcal{N}(0, I);$ $\mathbf{x}_t \leftarrow \mathbf{x}^{LR} + \sqrt{\bar{\alpha}_t}(\mathbf{x}^{HR} - \mathbf{x}^{LR}) + \sqrt{1 - \bar{\alpha}_t}\epsilon;$ $\hat{\mathbf{x}}_0 \leftarrow f_{\theta}(\mathbf{x}_t, \operatorname{concat}(\mathbf{x}^{LR}, \mathbf{m}), t);$ $\theta \leftarrow \theta - \eta \nabla_{\theta} \|\hat{\mathbf{x}}_0 - \mathbf{x}^{HR}\|^2;$ until converged;

Algorithm 2: Sampling

Input:
$$\mathbf{x}^{LR}$$
, \mathbf{m}

$$\mathbf{x}_{T} \leftarrow \mathcal{N}(\mathbf{x}^{LR}, \gamma^{2}\beta_{T}I);$$
for $t \leftarrow T$; $t \geq 1$; $t \leftarrow t - 1$ do
$$\begin{cases} \epsilon \leftarrow \begin{cases} \mathcal{N}(0, I), & t > 1 \\ 0, & t = 1 \end{cases}; \\ \hat{\mathbf{x}}_{0} \leftarrow f_{\theta}(\mathbf{x}_{t}, \operatorname{concat}(\mathbf{x}^{LR}, \mathbf{m}), t); \\ \mathbf{r}_{t-1} \leftarrow \\ \tilde{\mu}(\mathbf{x}_{t} - \mathbf{x}^{LR}, \hat{\mathbf{x}}_{0} - \mathbf{x}^{LR}, t) + \sqrt{\tilde{\beta}_{t}}\epsilon; \\ \mathbf{x}_{t-1} \leftarrow \mathbf{x}^{LR} + \mathbf{r}_{t-1}; \end{cases}$$
end
return \mathbf{x}_{0} ;

3.2. Orientation-Conditioned FiLM Modulation

While deep networks may implicitly infer slice orientation from anatomical semantics, we explicitly condition the backbone on the viewing plane $y \in \{\text{axial, coronal, sagittal}\}$ as a direct inductive bias for domain adaptation. Slices acquired from different planes follow distinct 2D appearance distributions due to anisotropic sampling, orientation-dependent blur, and partial-volume effects. By injecting y as a conditioning token, the shared 2D backbone dynamically adapts its feature distributions in a view-specific manner, without introducing heavy computational overhead or parameter growth associated with parallel expert-style architectures such as MoE or ControlNet.

The categorical orientation label is embedded and mapped to affine modulation parameters $(\gamma, \beta) \in \mathbb{R}^D$ through a lightweight two-layer MLP, where D denotes dimensionality of the diffusion timestep embedding. These parameters are applied to timestep embedding \mathbf{e}_t via FiLM, yielding a view-conditioned embedding that is injected into each residual block. To control the strength of orientation conditioning across network depth, we introduce depth-adaptive gating, where learned scalars $g_i \in (0,1)$ modulate the injection at the *i*-th residual block:

$$\hat{\mathbf{e}}_{t,i} = \mathbf{e}_t \odot (1 + \alpha \cdot g_i \cdot \boldsymbol{\gamma}) + \alpha \cdot g_i \cdot \boldsymbol{\beta}, \tag{2}$$

where α is a global annealing factor linearly increased during early training phase. The modulated embedding $\hat{\mathbf{e}}_{t,i}$ is then passed to the *i*-th residual block following standard dif-

fusion U-Net formulation. This gating mechanism allows network to introduce orientation-specific corrections at depths where they are most beneficial (e.g., high-level semantics), while preserving shared representations for generic low-level features.

3.3. Multi-level Data Augmentations

Given scarcity of paired fetal MRI data, we employ a comprehensive augmentation pipeline designed to enforce invariance to pose and robustness to acquisition artifacts. Following Zimmermann (2025), we model the degradation function \mathcal{D} as a composition of geometric, intensity, and measurement perturbations applied on-the-fly to $(\mathbf{x}^{LR}, \mathbf{x}^{HR})$ pairs. Specific augmentation parameters are detailed in Appendix A.

Geometric Invariance. To simulate diverse fetal poses and preserve alignment, synchronized spatial transformations \mathcal{T}_{geom} are applied to the input triplet ($\mathbf{x}^{LR}, \mathbf{x}^{HR}, \mathbf{m}$). These include random rotations, horizontal/vertical flips, and affine perturbations (shear and translation). Additionally, low-frequency B-spline deformations are applied to model non-rigid maternal/fetal motion.

Intensity and Artifact Robustness. We introduce realistic signal degradations to minimize the domain shift between synthetic training data and clinical inputs. These include: Contrast Shifts applying a non-linear monotonic intensity mapping via piecewise-linear interpolation through random control points to simulate scanner-specific contrast variations; Signal Dropout to emulate motion-induced signal voids common in single-shot HASTE, using "blackout" corruptions as a strong regularization surrogate: $\mathbf{x}_{\text{corrupt}} = \mathbf{x} \odot (1 - \mathbf{M}_{\text{b}}) + v_{\text{min}} \cdot \mathbf{M}_{\text{b}}$, where \mathbf{M}_{b} uniformly sample from four masking topologies (hemispheric, vertical band, oblique stripe, and multi-patch dropout); and Measurement Noise where variable Gaussian noise and anisotropic blurring are injected to approximate coil-dependent Rician noise and slice-thickness-induced point-spread effects.

3.4. Training Objective

Since our network f_{θ} directly predicts the clean estimate $\hat{\mathbf{x}}_0$, we use a combined reconstruction and perceptual loss. The primary objective is an ℓ_2 loss on the prediction:

$$\mathcal{L}_{\text{diff}} = \mathbb{E}_{\mathbf{x}^{\text{HR}}, \mathbf{x}^{\text{LR}}, \mathbf{m}, \epsilon, t, y} \left[\left\| f_{\theta}(\mathbf{x}_{t}, \text{concat}(\mathbf{x}^{\text{LR}}, \mathbf{m}), t, y) - \mathbf{x}^{\text{HR}} \right\|_{2}^{2} \right]$$
(3)

where the expectation is taken over the data distribution, diffusion noise ϵ , timesteps t, and orientation labels y. To ensure perceptual fidelity and textural sharpness, we add an LPIPS term, yielding the final objective, with λ_{mse} and λ_{lpips} balancing the two terms:

$$\mathcal{L}_{total} = \lambda_{mse} \, \mathcal{L}_{diff} + \lambda_{lpips} \, LPIPS(\hat{\mathbf{x}}_0, \mathbf{x}^{HR}), \tag{4}$$

4. Experiments

4.1. Datasets and Implementation

We utilized both synthetic and clinical T_2 HASTE datasets for model development and evaluation. Full training hyperparameters and details are provided in Appendix A.

Synthetic Data. Our primary training dataset comprises paired synthetic HR and LR fetal T₂ HASTE MRI volumes. These, alongside their corresponding tissue segmentation maps, were all generated using the spatiotemporal IMAGINE atlas (21–38 weeks gestational age (GA)) (Gholipour et al., 2023) and the FaBiAN numerical phantom (Lajous et al., 2022). FaBiAN employs a fast spin-echo (FSE) model to simulate extended phase-graph physics, stimulated echoes, and bias fields, accurately mimicking clinical HASTE acquisitions. For each GA and orientation, we synthesized clean 3T reference stacks ($B_0 = 3T$, $TE_{\text{eff}} = 90$ ms, 0.3mm gap) and matched degraded 1.5T counterparts ($B_0 = 1.5T$, $TE_{\text{eff}} = 133$ ms, 0mm gap) both with 3mm slice thickness. The 1.5T inputs were further augmented with variable motion, TE perturbations, and noise to reflect clinical heterogeneity and preserve underlying atlas anatomy. These simulated acquisition parameters align with our clinical fetal HASTE protocol, ensuring the 3T and 1.5T images replicate characteristic contrast and resolution. The dataset was split 80/20 for training and testing, with training slices undergoing the additional augmentation pipeline described in Section 3.3.

Clinical Data. For clinical validation, we utilized an IRB-approved clinical 3T T_2 -weighted HASTE dataset from Children's Healthcare of Atlanta (CHOA), acquired with a voxel size of $0.98 \times 0.98 \times 3.0 \text{mm}^3$. Following manual QC (206/244 subjects retained) and brain extraction (Ranzini et al., 2021), we designated 103 subjects with fully intact stacks as held-out test set (664 stacks) and remaining 103 subjects as validation pool (464 stacks) to monitor training. To simulate low-field physics, we applied spectral k-space truncation (Chen et al., 2018)—zero-filling high frequencies in Fourier domain—which approximates physical point-spread blurring more faithfully than image-domain downsampling.

4.2. Competing Methods

We benchmark against four state-of-the-art MRI super-resolution methods: **SRCNN** (Dong et al., 2015), **Real-ESRGAN** (Wang et al., 2018), **SwinIR** (Liang et al., 2021), and the 3D state-space model **GAMBAS** (Baljer et al., 2025). All baselines were retrained on our FaBiAN dataset using identical splits and optimized to convergence; detailed specifications are provided in Appendix B.

4.3. Evaluation Metrics

To evaluate the volumetric consistency of the 2D super-resolved stacks, output slices from all methods are first reconstructed into isotropic volumes using NeSVoR (Xu et al., 2023) with fixed hyperparameters. We then assess both reconstruction fidelity and downstream anatomical utility under synthetic and clinical settings.

On FaBiAN test set, we utilize the paired ground truth to compute standard restoration metrics: PSNR, NRMSE, and MAE measure intensity accuracy, while SSIM and LPIPS quantify structural and perceptual realism. To evaluate downstream utility, reconstructed volumes are segmented using Fetal-SynthSeg (Zalevskyi et al., 2024). We report region-based (Dice, Volume Bias) and boundary-based (ASSD, HD95) metrics against the simulation's ground truth tissue maps to assess anatomical integrity.

For CHOA-3T dataset, where pixel-aligned references are unavailable, we employ Tissue Contrast T-score (TCT) (Sun et al., 2025) to quantify separability of White Matter (WM)

and Gray Matter (GM) distributions:

$$TCT = \frac{|\mu_{wm} - \mu_{gm}|}{\sqrt{\sigma_{wm}^2 + \sigma_{gm}^2}},\tag{5}$$

where μ and σ^2 denote the mean and variance of tissue intensities derived from Fetal-SynthSeg masks. A higher TCT indicates sharper gray-white matter differentiation characteristic of high-field imaging.

5. Results

Ablation studies validating individual components are detailed in Appendix C.

5.1. Quantitative Validation on Synthetic Data

We first evaluate reconstruction fidelity and downstream utility on the FaBiAN test set.

Table 1: V	Volumetric	reconstruction	metrics o	on FaBiAN	synthetic	test set.
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Method	PSNR (dB) ↑	$\mathbf{NRMSE}\downarrow$	$\mathbf{MAE}\downarrow$	SSIM ↑	LPIPS ↓
Input (Sim. 1.5T)	24.90 ± 2.10	0.36 ± 0.02	29.50 ± 5.90	0.79 ± 0.06	0.055 ± 0.038
SRCNN Real-ESRGAN SwinIR GAMBAS	25.15 ± 1.95 23.40 ± 2.45 26.12 ± 1.85 14.80 ± 3.50	$\textbf{0.31}\pm\textbf{0.02}$	34.10 ± 7.20	0.70 — 0.00	$\begin{array}{c} 0.052 \pm 0.035 \\ 0.048 \pm 0.041 \\ 0.047 \pm 0.032 \\ 0.158 \pm 0.060 \end{array}$
Ours	25.66 ± 2.06	0.34 ± 0.02	27.31 ± 5.70	$\textbf{0.81}\pm\textbf{0.06}$	0.042 ± 0.037

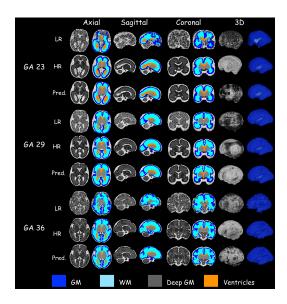


Figure 2: Qualitative evaluation on the held-out synthetic FaBiAN dataset across three representative gestational ages (23, 29, and 36 weeks).

Reconstruction Fidelity. As shown in Table 1, our method achieves the best perceptual metrics (SSIM 0.81, LPIPS 0.042). While SwinIR yields slightly higher PSNR due to its regression-based objective, it suffers from characteristic over-smoothing. In contrast, our model balances fidelity and realism, avoiding the artifacts seen in GAN baselines (Real-ESRGAN) and the degradation of GAMBAS under domain shifts.

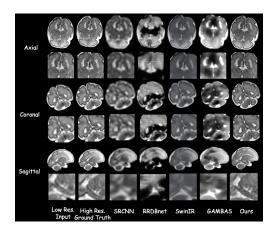


Figure 3: Comparative results on a clinical CHOA test subject.

Table 2: Region-wise segmentation metrics on FaBiAN synthetic test set.

Region	Metric	Input (Sim. 1.5T)	SRCNN	RealESR- GAN	SwinIR	GAMBAS	Ours
	Dice ↑	$\underset{\pm 0.030}{0.551}$	$\underset{\pm 0.028}{0.586}$	$\underset{\pm 0.045}{0.495}$	$\underset{\pm 0.032}{0.658}$	$\underset{\pm 0.051}{0.352}$	$\underset{\scriptscriptstyle{\pm 0.024}}{\textbf{0.704}}$
GM	$\mathrm{ASSD}\downarrow$	$\underset{\pm 0.034}{0.521}$	$\substack{0.486 \\ \pm 0.065}$	$\underset{\pm 0.123}{0.853}$	$\underset{\pm 0.029}{0.396}$	$\substack{1.452 \\ \scriptstyle{\pm 0.180}}$	$\underset{\pm 0.021}{\textbf{0.334}}$
	$\mathrm{HD95}\downarrow$	$\substack{1.414 \\ \pm 0.069}$	$\underset{\pm 0.157}{1.351}$	$\underset{\pm 0.210}{2.124}$	$\substack{1.057 \\ \pm 0.085}$	$\underset{\pm 0.420}{3.214}$	$\underset{\pm 0.075}{\textbf{0.853}}$
	Vol. Bias	$\begin{array}{c} \textbf{-7.20} \\ \scriptstyle{\pm 0.24} \end{array}$	$\substack{\textbf{-5.61} \\ \pm 0.31}$	$\begin{array}{c} +3.42 \\ \tiny \pm 0.55 \end{array}$	$\substack{-2.10 \\ \pm 0.18}$	$\substack{\textbf{-15.33} \\ \pm 1.20}$	$\substack{\textbf{-0.55} \\ \pm 0.14}$
	Dice ↑	$\underset{\pm 0.040}{0.674}$	$\underset{\pm 0.035}{0.705}$	$\underset{\pm 0.048}{0.621}$	$\underset{\pm 0.038}{0.795}$	$\underset{\pm 0.065}{0.512}$	$\underset{\scriptscriptstyle{\pm 0.022}}{\textbf{0.837}}$
WM	$\mathrm{ASSD}\downarrow$	$\underset{\pm 0.038}{0.580}$	$\substack{0.544 \\ \pm 0.063}$	$\underset{\pm 0.099}{0.753}$	$\underset{\pm 0.032}{0.440}$	$\underset{\pm 0.154}{1.198}$	$\underset{\pm 0.025}{0.382}$
	$\text{HD}95\downarrow$	$\underset{\pm 0.089}{1.412}$	$\underset{\pm 0.114}{1.382}$	$\underset{\pm 0.181}{1.954}$	$\substack{1.157 \\ \pm 0.095}$	$\underset{\pm 0.310}{2.946}$	$\underset{\pm 0.082}{0.984}$
	Vol. Bias	$\substack{-3.70 \\ \scriptstyle{\pm 0.12}}$	$\substack{\textbf{-3.13} \\ \pm 0.18}$	$\underset{\pm 0.35}{+4.53}$	$\substack{\textbf{-1.07} \\ \pm 0.15}$	$\substack{-9.45 \\ \pm 0.85}$	$\substack{-1.42 \\ \pm 0.11}$
	Dice ↑	$\underset{\pm 0.040}{0.819}$	$\underset{\pm 0.038}{0.838}$	$\underset{\scriptscriptstyle{\pm 0.057}}{0.762}$	$\underset{\pm 0.035}{0.885}$	$\underset{\pm 0.072}{0.643}$	$\underset{\scriptscriptstyle{\pm 0.019}}{\textbf{0.895}}$
Deep GM	$\mathrm{ASSD}\downarrow$	$\underset{\pm 0.033}{0.705}$	$\underset{\pm 0.055}{0.686}$	$\underset{\pm 0.085}{0.924}$	$\underset{\pm 0.030}{\textbf{0.374}}$	$\substack{1.547 \\ \pm 0.208}$	$\underset{\pm 0.028}{0.395}$
	$\text{HD95}\downarrow$	$\underset{\pm 0.099}{1.502}$	$\underset{\pm 0.124}{1.458}$	$\substack{1.856 \\ \scriptstyle{\pm 0.160}}$	$\underset{\pm 0.090}{1.134}$	$\substack{2.805 \\ \scriptstyle{\pm 0.354}}$	$\underset{\pm 0.085}{0.952}$
	Vol. Bias	$\substack{\textbf{-3.75} \\ \pm 0.15}$	$\substack{-2.59 \\ \scriptstyle{\pm 0.21}}$	$\substack{+6.85 \\ {\scriptstyle \pm 0.40}}$	$\substack{+0.85 \\ {\scriptstyle \pm 0.12}}$	$^{+10.20}_{\scriptscriptstyle{\pm 0.95}}$	$\underset{\scriptscriptstyle{\pm 0.09}}{+1.02}$
	Dice ↑	$\underset{\pm 0.039}{0.844}$	$\underset{\pm 0.036}{0.860}$	$\underset{\scriptscriptstyle{\pm 0.055}}{0.793}$	$\underset{\pm 0.032}{0.895}$	$\underset{\pm 0.068}{0.694}$	$\underset{\scriptscriptstyle{\pm 0.021}}{\textbf{0.905}}$
Ventricles	$\mathrm{ASSD}\downarrow$	$\underset{\pm 0.044}{0.651}$	$\underset{\pm 0.060}{0.616}$	$\underset{\pm 0.114}{0.953}$	$\underset{\pm 0.041}{\textbf{0.364}}$	$\substack{1.612 \\ \pm 0.220}$	$\underset{\pm 0.037}{0.392}$
	HD95 ↓	$\underset{\pm 0.089}{1.490}$	$\substack{1.481 \\ \scriptstyle{\pm 0.143}}$	$\underset{\pm 0.252}{2.106}$	$\underset{\pm 0.080}{1.148}$	$\underset{\pm 0.455}{3.789}$	$\underset{\pm 0.075}{\textbf{0.981}}$
	Vol. Bias	$\begin{array}{c} \textbf{-7.11} \\ \scriptstyle{\pm 0.33} \end{array}$	$\substack{-5.24 \\ \pm 0.28}$	$\substack{\textbf{-8.53} \\ \pm 0.45}$	$\substack{-2.09 \\ \pm 0.22}$	$\substack{\textbf{-14.39} \\ \pm 1.10}$	$\substack{\textbf{-1.75} \\ \pm 0.16}$

Table 3: TCT Scores on CHOA-3T clinical dataset.

Method Inp	out (Sim. 1.5T)	SRCNN	${\bf RealESR\text{-}GAN}$	\mathbf{SwinIR}	GAMBAS	Ours
$\overline{\mathbf{TCT}}$ \uparrow	0.78 ± 0.05	0.82 ± 0.04	0.90 ± 0.07	0.88 ± 0.03	0.65 ± 0.08	$\overline{\textbf{0.94}\pm\textbf{0.02}}$

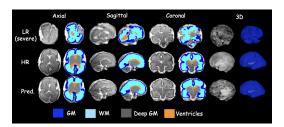


Figure 4: Restoration of a severely degraded case exhibiting motion and signal dropout.

Downstream Segmentation. Improved image quality translates directly to segmentation accuracy (Table 2). Our method consistently outperforms baselines, with the largest gains observed in intricate structures such as GM (Dice +28% relative to input) and Ventricles. This corroborates the visual recovery of fine gyral patterns shown in Figure 2.

5.2. Clinical Generalization on CHOA Dataset

We validate clinical performance by comparing reconstruction quality (Figure 3) and quantitative tissue contrast (Table 3). Qualitatively, our orientation-aware diffusion model preserves the contrast gradients essential for diagnosis, avoiding the smoothing artifacts of regression-based baselines. This is confirmed by the TCT metric, where our method achieves the highest score (0.94 ± 0.02), indicating superior gray-white matter separability. Finally, robustness to extreme corruption is demonstrated in Figure 4, where our method restores anatomical coherence from a heavily degraded input.

6. Discussion

Our work effectively bridges the domain gap between routine 1.5T acquisitions and diagnostic-quality 3T imaging. A critical innovation is the explicit modeling of acquisition anisotropy: unlike standard models that treat axial, sagittal, and coronal stacks identically—often resulting in isotropic blurring—our framework conditions the diffusion process on slice orientation to invert view-specific degradations. This restoration improves downstream utility, yielding robust 3D reconstructions and precise tissue segmentation. Quantitatively, our method achieves a TCT score of 0.94 on clinical CHOA dataset (vs. 0.78 for input), indicating a significant recovery of gray-white matter contrast comparable to high-field imaging.

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References

- Leif Baljer, Ursa Briski, Robert Leech, Nick Bourke, Kirsten Donald, Lauren Bradford, Stephen Williams, Shakir Parkar, Sumaiya Kaleem, Sobia Osmani, et al. GAMBAS: Generalised-Hilbert Mamba for super-resolution of paediatric ultra-low-field MRI. arXiv preprint arXiv:2504.04523, 2025.
- Yao Chen, Feng Shi, Antonios G. Christodoulou, Yi Xie, Zhengchao Zhou, and Debiao Li. Brain MRI super resolution using 3D deep densely connected neural networks. *IEEE Access*, 6:38433–38444, 2018.
- Hyungjin Chung and Jong Chul Ye. Score-based diffusion models for accelerated MRI. In *Medical Image Analysis*, volume 80, page 102479, 2022.
- Chao Dong, Chen Change Loy, Kaiming He, and Xiaoou Tang. Image super-resolution using deep convolutional networks. *IEEE transactions on pattern analysis and machine intelligence*, 38(2):295–307, 2015.
- Ali Gholipour, Clemente Velasco-Annis, Caitlin K. Rollins, Lana Vasung, Abdelhakim Ouaalam, Cynthia Ortinau, Alireza Akhondi-Asl, Sean Clancy, Edward Yang, Judy Estroff, and Simon K. Warfield. IMAGINE Fetal T2-weighted MRI Atlas, 2023. URL https://doi.org/10.7910/DVN/WE9JVR.
- Jonathan Ho, Ajay Jain, and Pieter Abbeel. Denoising diffusion probabilistic models. In Advances in Neural Information Processing Systems, volume 33, pages 6840–6851, 2020.
- Yongsong Huang, Tomo Miyazaki, Xiaofeng Liu, Kaiyuan Jiang, Zhengmi Tang, and Shinichiro Omachi. Learn from orientation prior for radiograph super-resolution: Orientation operator transformer. *Computer Methods and Programs in Biomedicine*, 245: 108000, 2024.
- Sk Rahatul Jannat, Kirsten Lynch, Maryam Fotouhi, Steve Cen, Jeiran Choupan, Nasim Sheikh-Bahaei, Gaurav Pandey, and Bino A Varghese. Advancing 1.5 T MR imaging: toward achieving 3T quality through deep learning super-resolution techniques. Frontiers in Human Neuroscience, 19:1532395, 2025.
- Mohammad Khateri, Serge Vasylechko, Morteza Ghahremani, Liam Timms, Deniz Kocanaogullari, Simon K Warfield, Camilo Jaimes, Davood Karimi, Alejandra Sierra, Jussi Tohka, et al. MRI Super-Resolution with Deep Learning: A Comprehensive Survey. arXiv preprint arXiv:2511.16854, 2025.
- Maria Kuklisova-Murgasova, Gerardine Quaghebeur, Mary A Rutherford, Joseph V Hajnal, and Julia A Schnabel. Reconstruction of fetal brain MRI with intensity matching and complete outlier removal. *Medical image analysis*, 16(8):1550–1564, 2012.

- Hélène Lajous, Christopher W Roy, Tom Hilbert, Priscille de Dumast, Sébastien Tourbier, Yasser Alemán-Gómez, Jérôme Yerly, Thomas Yu, Hamza Kebiri, Kelly Payette, et al. A fetal brain magnetic resonance acquisition numerical phantom (fabian). *Scientific Reports*, 12(1):8682, 2022.
- Jingyun Liang, Jiezhang Cao, Guolei Sun, Kai Zhang, Luc Van Gool, and Radu Timofte. SwinIR: Image restoration using Swin Transformer. *Proceedings of the IEEE/CVF International Conference on Computer Vision Workshops*, pages 1833–1844, 2021.
- Ozan Özdenizci and Robert Legenstein. Restoring degraded old films with recursive recurrent transformer networks. arXiv preprint arXiv:2305.10202, 2023.
- Cheng Peng, Pengfei Guo, S Kevin Zhou, Vishal Patel, and Rama Chellappa. Towards performant and reliable undersampled MR reconstruction via diffusion model sampling. Medical Image Computing and Computer Assisted Intervention–MICCAI 2022, pages 623–633, 2022.
- Ethan Perez, Florian Strub, Harm De Vries, Vincent Dumoulin, and Aaron Courville. FiLM: Visual reasoning with a general conditioning layer. In *Proceedings of the AAAI Conference on Artificial Intelligence*, volume 32, 2018.
- Marta Ranzini, Lucas Fidon, Sébastien Ourselin, Marc Modat, and Tom Vercauteren. MONAIfbs: MONAI-based fetal brain MRI deep learning segmentation. arXiv preprint arXiv:2103.13314, 2021.
- Abhijit Guha Roy, Sailesh Conjeti, Nassir Navab, and Christian Wachinger. QuickNAT: A fully convolutional network for quick and accurate segmentation of neuroanatomy. In *NeuroImage*, volume 186, pages 713–727, 2019.
- Mohammad Safari et al. Res-SRDiff: Residual-shift diffusion models for MRI super-resolution. *Physics in Medicine and Biology*, 70(12):125008, 2025.
- Chitwan Saharia, Jonathan Ho, William Chan, Tim Salimans, David J. Fleet, and Mohammad Norouzi. Image super-resolution via iterative refinement. *IEEE Transactions on Pattern Analysis and Machine Intelligence*, 45(4):4713–4726, 2023.
- Noam Shazeer, Azalia Mirhoseini, Krzysztof Maziarz, Andy Davis, Quoc Le, Geoffrey Hinton, and Jeff Dean. Outrageously large neural networks: The sparsely-gated mixture-of-experts layer. arXiv preprint arXiv:1701.06538, 2017.
- Yue Sun, Limei Wang, Gang Li, Weili Lin, and Li Wang. A foundation model for enhancing magnetic resonance images and downstream segmentation, registration and diagnostic tasks. *Nature Biomedical Engineering*, 9(4):521–538, 2025.
- Xintao Wang, Ke Yu, Shixiang Wu, Jinjin Gu, Yihao Liu, Chao Dong, Yu Qiao, and Chen Change Loy. ESRGAN: Enhanced super-resolution generative adversarial networks. In *Proceedings of the European Conference on Computer Vision Workshops*, pages 0–0, 2018.

- Junshen Xu, Daniel Moyer, Borjan Gagoski, Juan Eugenio Iglesias, P Ellen Grant, Polina Golland, and Elfar Adalsteinsson. NeSVoR: implicit neural representation for slice-to-volume reconstruction in MRI. *IEEE transactions on medical imaging*, 42(6):1707–1719, 2023.
- Zongsheng Yue, Jianyi Wang, and Chen Change Loy. ResShift: Efficient diffusion model for image super-resolution by residual shifting. *Advances in Neural Information Processing Systems*, 36, 2024.
- Vladyslav Zalevskyi, Thomas Sanchez, Margaux Roulet, Jordina Aviles Verdera, Jana Hutter, Hamza Kebiri, and Meritxell Bach Cuadra. Improving cross-domain brain tissue segmentation in fetal MRI with synthetic data. In *International Conference on Medical Image Computing and Computer-Assisted Intervention*, pages 437–447. Springer, 2024.
- Lvmin Zhang, Anyi Rao, and Maneesh Agrawala. Adding conditional control to text-to-image diffusion models. In *Proceedings of the IEEE/CVF international conference on computer vision*, pages 3836–3847, 2023.
- Felix F. Zimmermann. Augment to Augment: Diverse Augmentations Enable Competitive Ultra-Low-Field MRI enhancement. arXiv preprint arXiv:2511.09366, 2025.

Appendix A. Implementation of Our Method

Our framework is implemented in PyTorch 2.5.1 and trained on three NVIDIA H100 GPUs. We utilize the FaBiAN-derived synthetic pairs with the augmentation suite detailed in Section 3.3. During training, we draw random 128×128 patches, while inference uses 256×256 center crops; all inputs are symmetrically padded and normalized to [-1,1]. To simulate signal dropout, we apply blackout corruption with a probability of 0.5 (fill value -1.0) and enable monotonic intensity remapping with a probability of 0.2. Optimization is performed using RAdam with a batch size of 64 for 182k iterations. The learning rate follows a cosine-annealed schedule (base 2×10^{-5} to 5×10^{-5}) after a 5k-step warm-up. We set $\lambda_{\rm mse}=4.0$ and $\lambda_{\rm lpips}=1.0$, and anneal the FiLM modulation strength over the first 50k iterations. At inference, we use the residual-shift sampler with a spatial scale factor $s_f=1.0$, an exponential noise schedule (power 0.3), $\eta_{\rm end}=0.99$, 4 diffusion steps, minimum noise level 0.2, and $\kappa=2.0$.

A.1. Data Augmentation Hyperparameters

We apply synchronized geometric transformations with the following parameters: random rotations sampled from $k \cdot 90^{\circ}$ and $\mathcal{U}(-10^{\circ}, 10^{\circ})$; shearing from $\mathcal{U}(-0.05, 0.05)$; and translations within ± 8 pixels. Intensity remapping is applied with probability p=0.2 using piecewise-linear functions through random control points. Signal dropout (blackout) is applied with probability p=0.5 using a fill value of -1.0, masking regions with hemispheric, vertical band, oblique stripe, or multi-patch topologies.

Appendix B. Implementation of competing methods

SRCNN. As a lightweight convolutional baseline we use a modified SRCNN-style architecture consisting of an initial 3×3 convolution followed by two DenseBlocks, each containing four dense layers with growth rate 32 and a transition layer reducing the feature dimensionality back to 64 channels. Two residual blocks refine the features before reconstruction. Upsampling is performed using bilinear interpolation with scale factor 4, followed by a final 3×3 convolution to produce the single-channel output. The network is trained with the pixel-wise MSE loss and optimized using Adam with learning rate $lr = 1 \times 10^{-4}$.

Real-ESRGAN. We use a standard ESRGAN generator configured for scale 1 quality enhancement. The network contains 64 base feature channels and 23 residual-in-residual dense blocks (RRDBs), each employing residual dense connections with a scaling factor of 0.2. No discriminator or adversarial objective is used; instead, the model is trained purely as a feed-forward regressor with the pixel loss in Equation (4). Optimization uses Adam with an initial learning rate of 2×10^{-4} and $\beta = (0.9, 0.99)$, together with a two-stage decay at 50k and 100k iterations. Training is run for 200k iterations with random 256×256 paired fetal MRI patches and standard flip/rotation augmentations.

SwinIR. We adopt the SwinIR "restoration" configuration (upscale = 1) for medical image quality enhancement. The model takes single–channel grayscale inputs and uses 256×256 patches with a window size of 8. The backbone follows the standard SwinIR-M design with six residual Swin Transformer blocks (RSTBs), each using six Swin layers with shifted windows. We set the embedding dimension to 180, use six attention heads per stage, an MLP expansion ratio of 2, and employ "1conv" residual connections without any upsampling modules. Training uses Adam with a learning rate of 2×10^{-4} , batch size 32, and 500k iterations with a $\times 0.5$ decay every 150k.

GAMBAS. The Generalised-Hilbert Mamba SR model operates on short 3D volumes, so we input the stacks for each orientation and map them through eight Hilbert-ordered state-space layers with 96 hidden channels. Training uses Ranger (RAdam + Lookahead) with an initial learning rate 5×10^{-4} , cosine restarts every 50k steps, stochastic depth 0.1, and the same ℓ_1 +LPIPS objective as the planar baselines.

Appendix C. Ablation Studies

We ablate the three main design choices of our framework on the synthetic FaBiAN test set and the CHOA clinical cohort.

C.1. Residual vs. Image-space Diffusion.

We compare our residual-shift formulation to a vanilla image-space DDPM that directly diffuses the HR target while conditioning on the LR input via channel concatenation. Both variants share the same Swin-UNet backbone, noise schedule, and 4-step sampler. As shown in Table 4, residual diffusion maintains strong reconstruction performance, whereas the image-space DDPM degrades substantially across all metrics under this extreme low-step regime. This demonstrates that residual anchoring significantly improves sampling efficiency, enabling stable and accurate reconstruction with very few diffusion steps.

Table 4: Ablation of residual-shift diffusion versus image-space diffusion on the FaBiAN test set.

Variant	PSNR ↑	NRMSE \downarrow	$\mathrm{MAE}\downarrow$	SSIM ↑	LPIPS ↓
Vanilla DDPM	20.02	0.87	55.60	0.70	0.082
(image-space)	± 4.43	± 0.04	± 6.22	± 0.06	± 0.041
Residual-shift	25.66	0.34	27.31	0.81	$\boldsymbol{0.042}$
residual-siiit	± 2.06	± 0.02	± 5.70	± 0.06	± 0.037

Table 5: Ablation of orientation conditioning on the FaBiAN test set. Mean denotes the average Dice across all tissue classes.

Variant	$\mathbf{G}\mathbf{M}$	WM	Deep GM	Ventricles	Mean
w/o orientation	$\underset{\pm 0.031}{0.602}$	$\underset{\pm 0.036}{0.742}$	$\underset{\pm 0.028}{0.851}$	$\underset{\pm 0.030}{0.866}$	0.765
Additive embedding	$\underset{\pm 0.029}{0.645}$	$\underset{\pm 0.032}{0.781}$	$\underset{\pm 0.024}{0.872}$	$\underset{\pm 0.027}{0.885}$	0.796
FiLM (w/o gating)	$\underset{\pm 0.026}{0.681}$	$\underset{\pm 0.028}{0.812}$	$\underset{\pm 0.021}{0.887}$	$\underset{\pm 0.024}{0.898}$	0.820
Gated FiLM	$\underset{\pm 0.024}{0.704}$	$\underset{\pm 0.022}{\textbf{0.837}}$	$\underset{\pm 0.019}{\textbf{0.895}}$	$\underset{\pm 0.021}{\textbf{0.905}}$	0.835

C.2. Orientation Conditioning.

As shown in Table 5, removing orientation information leads to a clear degradation in Dice across all tissue classes. Additive embeddings provide limited gains, while FiLM modulation substantially recovers segmentation accuracy. The proposed depth-adaptive gated FiLM achieves the best overall performance, demonstrating the importance of selectively activating orientation-specific priors.

C.3. Fetal-specific Augmentations.

Table 6 shows that disabling the proposed multi-level fetal-specific augmentations significantly reduces tissue contrast on CHOA, highlighting their critical role in sim-to-real generalization.

Table 6: Impact of multi-level data augmentations on TCT on the CHOA clinical dataset.

Variant	w/o Full Augment	Full Augment
$\mathbf{TCT} \uparrow$	0.81 ± 0.03	$\textbf{0.94}\pm\textbf{0.02}$