

Pragmatic Reasoning improves LLM Code Generation

Anonymous ACL submission

Abstract

Pragmatic reasoning is pervasive in human–human communication — it allows us to leverage shared knowledge and counterfactual reasoning in order to infer the intention of a conversational partner given their ambiguous or underspecified message. In human–computer communication, underspecified messages often represent a major challenge: for instance, translating natural language instructions into code is difficult when user instructions contain inherent ambiguities. In the present paper, we aim to scale up the pragmatic “Rational Speech Act” framework to naturalistic language-to-code problems, and propose a way of dealing with multiple meaning-equivalent instruction alternatives, an issue that does not arise in previous toy-scale problems. We evaluate our method, CodeRSA, with two recent LLMs (Llama-3-8B-Instruct and Qwen-2.5-7B-Instruct) on two widely used code generation benchmarks (HumanEval and MBPP). Our experimental results show that CodeRSA consistently outperforms common baselines, surpasses the state-of-the-art approach in most cases, and demonstrates robust overall performance. Qualitative analyses demonstrate that it exhibits the desired behaviour for the right reasons. These findings underscore the effectiveness of integrating pragmatic reasoning into a naturalistic complex communication task, language-to-code generation, offering a promising direction for enhancing code generation quality in LLMs and emphasizing the importance of pragmatic reasoning in complex communication settings. Our implementation is available at <https://anonymous.4open.science/r/CodeRSA-C76B>.

1 Introduction

Recent advances in generative large language models (LLMs) have demonstrated their impressive ability to generate program code from user-provided natural language instructions (Liu et al.,

2024b; Coignon et al., 2024). However, given the intrinsic complexities of coding and the potential ambiguities in user input, producing code in a single attempt may fail to explore the vast solution space, overlooking correct or higher-quality solutions (Liu et al., 2024a). A standard practice to address this shortcoming is to sample multiple solutions, which we refer to as *code candidates* (Chen et al., 2021; Brown et al., 2024), and to rerank them.

When viewing code generation as a communicative process in which an LLM listens to the user’s intentions (Ouyang et al., 2022), the different code candidates represent the different possible user intents and the instruction represents an ambiguous or underspecified message. Pragmatic reasoning then involves considering not only the different possible intended meanings, but also counterfactual reasoning about what instruction the speaker would have given if they had a specific intent. These ideas go back to (Grice, 1975) and have been mathematically formalized using a probabilistic model rooted in game-theoretic notions, as the “Rational Speech Act” (RSA) framework in Frank and Goodman (2012; 2016). Code reranking can thus be performed with respect to the RSA reasoning process. In previous research, Pu et al. (2020, 2024) demonstrated the effectiveness of the RSA framework for program generation in a simple domain (regular-expression synthesis), while Schuster et al. (2024) reported negative results on a spreadsheet domain. One aspect that has held back RSA models from scaling up to realistic use cases is the computational overhead (Pu et al., 2024): It requires reasoning about a whole set of alternative instructions that the speaker could have given and about the set of alternative pieces of code that could solve the problem, which is computationally expensive. Zhang et al. (2023a) therefore proposed *CoderReviewer Reranking* as a scalable approach that simplifies these probability estimation processes over alterna-

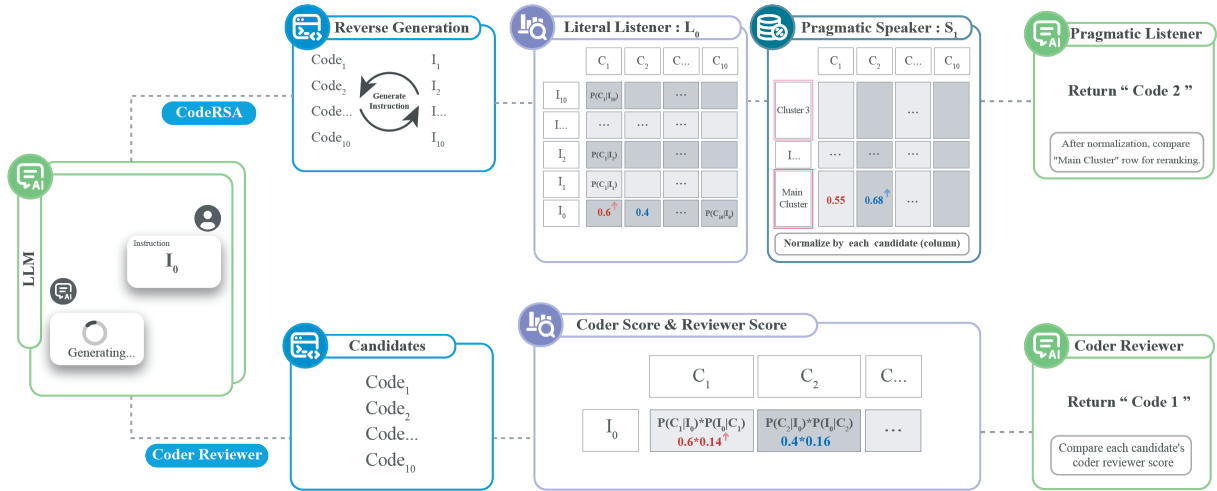


Figure 1: A comparison of our approach CodeRSA (top) compared to CoderReviewer (bottom).

084 tives. However, this comes at the cost of not fully
 085 modelling the dialogic, interactive reasoning that
 086 can emerge when speaker and listener exchange
 087 information.

088 In this paper, we propose CodeRSA, enabling
 089 LLMs to reason as pragmatic listeners and rank
 090 code candidates based on the user’s underlying in-
 091 tentions. It addresses the probability estimates for
 092 the set of alternative code candidates and alterna-
 093 tive utterances via a sampling approach. CodeRSA
 094 generates multiple code candidates, and then gen-
 095 erates additional instructions for each candidate,
 096 forming a set of potential instructions (including
 097 the original one), as illustrated in Fig. 1.

098 Following the RSA framework, the literal
 099 listener L_0 first estimates the probability of each
 100 code candidate given each potential instruction.
 101 The pragmatic speaker S_1 then normalizes these
 102 probabilities to measure how specifically an
 103 instruction fits the generated code. Finally, by
 104 comparing these pragmatic speaker scores for
 105 the original instruction across all candidates, the
 106 pragmatic listener identifies the code candidate
 107 that best aligns with the user’s intent, complet-
 108 ing the reranking process (see Fig. 1).

109 A challenge arises when many instructions are
 110 semantically equivalent but differ only in surface
 111 form. Applying RSA directly in such cases can
 112 lead to an overinterpretation of the formulation
 113 choice: The reasoning process is forced to treat
 114 near-identical descriptions as distinct alternatives,
 115 which were chosen for a reason of differentiating
 116 from other meaning alternatives. This fragments
 117 probability mass and reduces accuracy. To mitigate
 118 this, CodeRSA employs a clustering step. It groups

119 semantically equivalent descriptions using an LLM-
 120 based equivalence test, ensuring that pragmatic rea-
 121 soning emphasizes genuine differences in meaning
 122 rather than superficial wording (see Fig. 1, Prag-
 123 matic Speaker Part, where the *main cluster* refers
 124 to the one containing the original description I_0).

125 We conducted experiments using CodeRSA
 126 with Llama-3-8B-Instruct, one of the latest lan-
 127 guage models from the Llama family (Grattafiori
 128 et al., 2024), and Qwen-2.5-7B-Instruct, a recent
 129 instruction-tuned model from the Qwen series
 130 (Yang et al., 2024), on two widely used code gen-
 131 eration benchmarks: OpenAI’s HumanEval (Chen
 132 et al., 2021) and MBPP (Austin et al., 2021). Our
 133 experimental results demonstrate that CodeRSA
 134 reliably outperforms the simpler Coder and Coder-
 135 Reviewer Reranking methods. Our qualitative anal-
 136 ysis reveals how the CodeRSA enables better can-
 137 didate selection, promoting a more comprehensive
 138 understanding of user intent.

139 2 Related Work

140 **Natural Language to Code.** Previous research
 141 has extensively explored generating code from nat-
 142 ural language using neural network models (Ling
 143 et al., 2016; Rabinovich et al., 2017; Hayati et al.,
 144 2018). Recently, large language models (LLMs)
 145 have propelled significant advances in this area,
 146 driven by the transformer (Vaswani et al., 2017)
 147 architecture and large-scale pretraining. Their per-
 148 formance on code generation tasks often surpasses
 149 that of traditional models, and in many cases even
 150 rivals human programmers (Ni et al., 2024; Becker
 151 et al., 2023). A recent study shows that LLMs also
 152 exhibit strong performance in code summarization,

effectively translating code snippets into text (Akib et al., 2024).

Code Reranking Methods. Researchers have proposed various reranking strategies for code candidates, broadly divided into *execution-driven* and *content-driven* approaches. Execution-driven reranking methods such as CodeT (Chen et al., 2022) and AgentCoder (Huang et al., 2024) evaluate code candidates by running them against automatically generated test suites. Although often effective, these methods rely on the availability and reliability of test suites, which are frequently incomplete or difficult to construct, and executing untrusted code can pose safety risks (Yetiştirten et al., 2023; Khoury et al., 2023). In contrast, content-driven reranking methods are far more versatile because they do not rely on execution and are not even confined to coding tasks. One such model is Coder Reranking (Chen et al., 2021).

Coder Reranking. Chen et al. (2021) rerank code candidates by estimating $P(c | i)$, where c denotes the generated code candidate and i denotes the given instruction. This process can also be called Coder Reranking because the LLM is a mere Coder that estimates the candidate probability based on the corresponding instruction. When using an LLM to estimate conditional probabilities, we compute the probability of each token iteratively. For example, in Coder Reranking, the model processes a candidate’s tokens from left to right: At each step, it calculates the probability of the current token given the instruction and the previously generated tokens, then appends that token to the context before moving on. The product of these sequential probabilities across all tokens yields the overall probability of the code candidate under the given instruction:

$$P(c | i_0) = \prod_{t=1}^{|c|} P_{\text{LLM}}(c^{(t)} | i_0, c^{(<t)}),$$

where $c^{(t)}$ denotes the token at position t in the sequence c , and $c^{(<t)}$ represents the sequence of all tokens before position t .

CoderReviewer Reranking. Zhang et al. (2023a) introduced the idea of augmenting Coder Reranking with a reviewer, which jointly considers how likely a code candidate is under the instruction and how well the instruction is supported by the

code. Formally, the CoderReviewer conditional probability is defined as:

$$P_{\text{CR}}(c | i) \propto P_{\text{LLM}}(c | i) \cdot P_{\text{LLM}}(i | c)$$

(Coder) (Reviewer)

By switching the positions of the instruction and code in the conditional formulation, the second term can be interpreted as reformulating the code-generation task as an instruction-generation task. This bidirectional formulation can be viewed as a specialized form of maximum mutual information (Li and Jurafsky, 2016).

3 CodeRSA

In this section, we introduce CodeRSA, an approach that builds on the Rational Speech Act (RSA) framework to enhance the reranking of candidate code snippets. CodeRSA extends the models proposed by Cohn-Gordon et al. (2019) and Schuster et al. (2024). The core innovation in CodeRSA arises from the pragmatic listener, which is responsible for selecting and reranking code candidates. It does so by imagining how a *pragmatic speaker* would choose an instruction that best distinguishes the intended code among various potential instructions.

Literal Listener. A literal listener (denoted L_0) represents the simplest level of reasoning in the RSA framework. It interprets utterances solely according to their literal meaning, without any higher-level pragmatic inference. Let c denote a candidate program and i a user instruction. Then:

$$P_{L_0}(c | i) = P_{\text{LLM}}(c | i),$$

where $P_{\text{LLM}}(c | i)$ is the probability assigned by the LLM to candidate c given instruction i . In an idealized RSA setting, the literal listener would evaluate all possible programs, but since the space of programs is unbounded, we approximate it by sampling a finite set of candidate codes from the LLM. We additionally define a candidate prior distribution obtained by querying the LLM without any instruction context:

$$P_{\text{prior}}(c) = P_{\text{LLM}}(c | \emptyset).$$

This prior reflects how plausible a candidate program is in general, independent of the specific user instruction.

Pragmatic Speaker. In the RSA framework, the pragmatic speaker (denoted S_1) is primarily responsible for determining whether an instruction i effectively conveys the intended meaning of a candidate c to the literal listener. Formally, a pragmatic speaker can be defined as:

$$P_{S_1}(i | c) = \frac{\exp(\log P_{L_0}(c | i) - C(i))}{\sum_{i'} \exp(\log P_{L_0}(c | i') - C(i'))}.$$

Here, $C(i)$ denotes a cost function for using instruction i . In an ideal RSA setting, the normalization spans every possible instruction i' , which is intractable for code generation. To approximate this space in practice, we take the sampled candidate codes as anchors and derive m alternative instructions from each of the n code candidates, together with the original instruction i_0 , yielding a finite task-relevant instruction set $I = \{i_0, i_1, \dots, i_{mn}\}$. This construction provides a principled approximation of the otherwise infinite instruction space while keeping RSA’s normalization meaningful.

To simplify the model and focus on core pragmatic reasoning, we assume a uniform cost for all instructions, which effectively cancels out during normalization. A detailed modeling of the cost function may provide additional insights, a point we further discuss in Section 6. A pragmatic speaker then can be defined in a simplified form as:

$$P_{S_1}(i | c) = \frac{P_{L_0}(c | i)}{\sum_{i' \in I} P_{L_0}(c | i')}.$$

Pragmatic Listener. The pragmatic listener (denoted L_1) re-examines the original instruction i_0 across all candidates, completing the backward reasoning guided by the pragmatic speaker’s preferences. In the standard RSA formulation (Degen, 2023), a pragmatic listener is defined as:

$$P_{L_1}(c | i) \propto P_{S_1}(i | c) \cdot P(c),$$

where $P(c)$ denotes the prior probability of candidate c .

In practice, directly multiplying a normalized distribution by $P(c)$ can distort the allocation of probability mass, as the prior may dominate post hoc. Instead, CodeRSA incorporates priors via a candidate-specific *temperature* applied before normalization at the speaker stage. Let z_c be the within-task standardized log prior of candidate c (estimated from the LLM without conditioning context), and define a candidate-specific temperature as

$$\tau_c = e^{-\alpha z_c}, \quad \alpha \geq 0, \quad \tau_c > 0,$$

where α controls how strongly the prior influences the temperature scaling. A higher prior (larger z_c) yields a smaller temperature ($\tau_c < 1$) and thus a sharper distribution over alternatives. Candidates with higher priors therefore emphasize their most confident clusters more strongly, typically those that align best with the original instruction (e.g., the “main cluster”), giving them a comparative advantage during reranking.

With this calibration, the pragmatic speaker used by the listener is

$$P_{S_1}(i | c; \tau_c) = \frac{(P_{L_0}(c | i))^{1/\tau_c}}{\sum_{i' \in I} (P_{L_0}(c | i'))^{1/\tau_c}},$$

which reduces to the standard RSA speaker when $\alpha = 0$ (thus $\tau_c = 1$). Finally, the pragmatic listener ranks candidates with respect to the original instruction:

$$P_{L_1}(c | i_0) \propto P_{S_1}(i_0 | c; \tau_c).$$

This formulation preserves the spirit of RSA while integrating priors in a stable and interpretable manner: Rather than post-hoc reweighting, priors act as adaptive temperatures that shape the pragmatic reasoning process upstream of normalization. In our experiments, we treat α as a tunable hyperparameter and find that performance is stable across a broad range of values (see Section 5).

Clustering Paraphrases. While the basic RSA formulation operates directly over the instruction set I , it can suffer from over-interpreting superfi-

Semantically equivalent instructions:

- “return the sum of a list of integers”
- “compute the total of all integers in a list”

Non-equivalent instruction:

- “return the product of a list of integers”
-

Table 1: Examples of equivalent and non-equivalent instructions from MBPP. The first group expresses the same semantics, while the second differs in meaning.

cial variations in wording when many instructions are semantically equivalent and differ only in surface form. In such cases, RSA allocates probability mass across paraphrases as if they were meaningful distinct alternatives, diluting the signal and reducing accuracy.

To mitigate this, CodeRSA employs semantic clustering. Candidate instructions are grouped into semantic clusters $\mathcal{C} = \{C_1, \dots, C_K\}$ using an LLM-based equivalence test (implementation details in Section 4), so that pragmatic reasoning operates over clusters rather than individual instructions. This ensures that comparisons emphasize genuine differences in meaning rather than superficial variation.

For a candidate c and cluster C_k , the literal listener probability is aggregated as:

$$P_{L_0}(c | C_k) = \begin{cases} P_{L_0}(c | i_0), & \text{if } i_0 \in C_k, \\ \frac{1}{|C_k|} \sum_{i \in C_k} P_{L_0}(c | i), & \text{otherwise.} \end{cases}$$

The pragmatic speaker distribution over clusters then becomes:

$$P_{S_1}(C_k | c; \tau_c) = \frac{(P_{L_0}(c | C_k))^{1/\tau_c}}{\sum_{C_{k'} \in \mathcal{C}} (P_{L_0}(c | C_{k'}))^{1/\tau_c}},$$

where the candidate-specific temperature $\tau_c = e^{-\alpha z_c}$ incorporates priors.

Finally, the pragmatic listener reranks candidates with respect to the cluster C^* containing the original instruction i_0 :

$$P_{L_1}(c | i_0) \propto P_{S_1}(C^* | c; \tau_c).$$

This extension preserves the primacy of the original instruction while preventing RSA from over-differentiating among paraphrases. Moreover, the integration of priors through adaptive temperatures ensures that the reranking remains calibrated against candidate plausibility.

4 Experiment Setup

To understand the strengths and weaknesses of CodeRSA, we evaluate the performance of three reranking methods (Coder, CoderReviewer, and CodeRSA) on widely used benchmarks for code generation. Since the advantage of content-driven methods lies in their generality, we rely on commonly adopted default settings and perform only minimal sensitivity checks on key parameters.

4.1 Dataset and Base Models

We evaluate on two widely used code generation benchmarks. HumanEval (Chen et al., 2021) contains 164 Python programming problems, each presented as an unfinished function with a natural language instruction. MBPP (Austin et al., 2021) includes 974 short programming tasks with natural

language prompts. HumanEval offers balanced difficulty, while MBPP introduces greater lexical variety. Note that simpler datasets such as CoNaLa (Yin et al., 2018) already yield near-perfect results, leaving little room for reranking, whereas more challenging datasets such as BigCodeBench (Zhuo et al., 2024) contain many instances that cannot yet be solved by today’s state-of-the-art models, which makes it difficult to obtain meaningful comparisons of reranking methods and may obscure the performance differences we aim to study.

We use the following setup: for each problem in HumanEval and MBPP, we sample $n = 10$ candidate codes at a temperature of 1.0. We then evaluate reranking methods on this shared candidate set. A sensitivity check with varying numbers of sampled candidates is provided in Appendix A.4.

For our experiments, we use Llama-3-8B-Instruct (Grattafiori et al., 2024) and Qwen-2.5-7B-Instruct (Yang et al., 2024), two instruction-tuned LLMs of comparable scale. Llama-3-8B-Instruct balances efficiency with strong generation quality, while Qwen-2.5-7B-Instruct provides a competitive open-source alternative. Both achieve competitive performance on HumanEval and MBPP, making them suitable for assessing reranking in our setting. We do not include specialized coder models in this study, since our framework requires both code generation and instruction-level reasoning. Future work could explore hybrid setups, for example, using coder models for program synthesis combined with general-purpose instruction-tuned models for reasoning about instructions.

Our goal is to examine whether RSA-style pragmatic reasoning can be effectively applied to realistic code generation through appropriate methodological design. We evaluate our approach on two established benchmarks (MBPP and HumanEval) using mid-sized instruction-tuned models, which provide sufficient headroom for reranking. For example, Llama-3-8B-Instruct improves from 51.3% pass@1 to 78.2% pass@10 on MBPP, indicating that correct solutions are often generated but not reliably selected in a single attempt. In such settings, the effect of reranking is most clearly observable. Appendix A.3 further reports a sanity check with Llama-3-70B-Instruct (Grattafiori et al., 2024), confirming that CodeRSA behaves consistently when applied to a substantially larger model.

A: Coder prompt	B: Instruction generation prompt
1 "Return list with elements 2 incremented by 1" 3 4 5 6 7 8	1 ## given a python function, 2 write an instruction 3 ### code start ### 4 def example code ... 5 ### code end ### 6 ### instruction start ### 7 example instruction 8 ### instruction end ###
1 def incr_list(I: list): 2 return [(e + 1) for e in I] 3 4	1 ### code start ### 2 def candidate ... 3 ### code end ### 4 ### instruction start ###

Figure 2: The prompts used to calculate Coder score and generate additional instructions.

4.2 Implementation of Reranking Methods

Baselines. The Coder Reranking method provides a straightforward way to compare the probability of a code candidate c given the original instruction i . Specifically, it concatenates the instruction and code candidate in order (see Fig. 2, part A), prompting the language model to output token probabilities for the candidate sequentially. The product of these token probabilities then yields the cumulative probability of the entire code snippet. As mentioned in Section 3, Coder Reranking can also be considered a literal listener-level approximation to $P(c | i)$; therefore, we use it as a baseline.

State-of-the-art Method. Zhang et al. (2023a) showed that CoderReviewer Reranking (see Section 2 for details) outperforms Coder Reranking and rivals execution-driven methods such as CodeT. In practice, we use the same prompt format as in Coder Reranking to compute $P(c | i)$. To compute $P(i | c)$, the order of the instruction and the generated code snippet is reversed in the prompt (see Appendix A.6.2).

CodeRSA. To balance runtime and computational constraints, we limit the process to $n = 10$ candidate programs per problem. For CodeRSA, we further generate one additional instruction ($m = 1$) for each candidate using a one-shot prompt (temperature = 0.7; see Fig. 2, part B).

Rather than treating each instruction independently, we next use the same LLM that generated the candidates to perform pairwise semantic equivalence judgments among these instructions. Following prior work on LLM-based clustering (Zhang et al., 2023b), we cluster instructions that express the same functionality (see Section 3). Concretely, we query the LLM with a 3-shot prompt containing examples of both positive and negative semantic equivalence pairs, asking it to judge whether two

instructions express the same functionality. We then build a pairwise equivalence graph where each node represents an instruction and an edge indicates semantic equivalence according to the LLM. The connected components of this graph are treated as clusters of mutually equivalent instructions (see Appendix A.5).

For each candidate c , we compute literal listener scores with respect to every instruction, and then aggregate them at the cluster level: non-main clusters take the mean across their members, while the cluster containing the original instruction i_0 retains its direct probability. We also incorporate candidate priors through a candidate-specific temperature parameter τ_c , controlled by a coefficient α (see Section 3 for the definition). Finally, we apply softmax normalization with these temperatures over clusters to obtain cluster-level pragmatic speaker scores. The pragmatic listener then reranks candidates by selecting the one with the highest speaker score with respect to the i_0 -cluster, which represents the original user intent.

5 Results

5.1 Quantitative Analysis

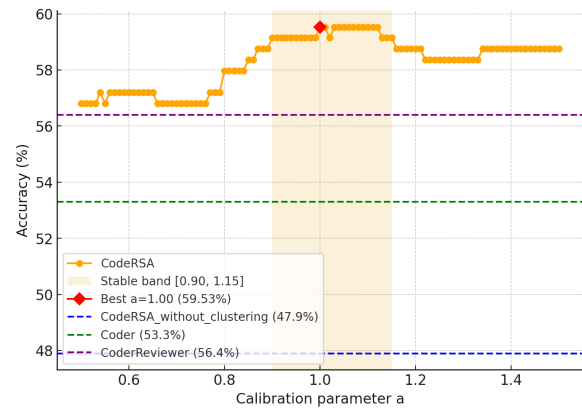
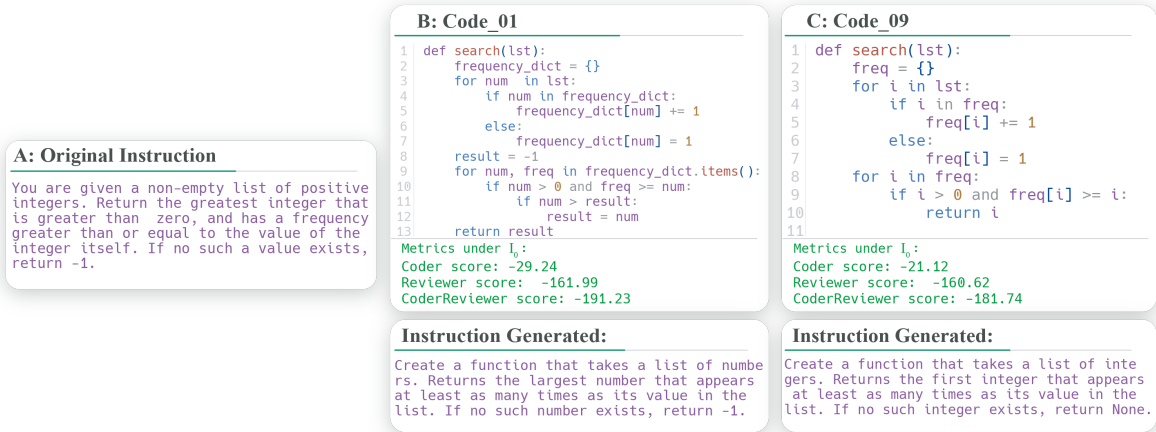


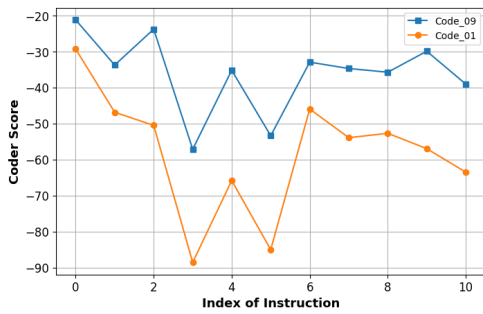
Figure 3: Accuracy of CodeRSA across different values of the calibration parameter α . The shaded region indicates a stable performance band.

In this section, we analyze the quantitative performance of CodeRSA with respect to the calibration parameter α (defined in Section 3), which controls the influence of the prior through temperature scaling, using the MBPP dataset and Llama-3-8B-Instruct model.

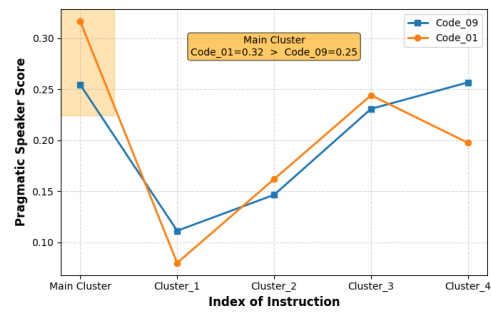
Here, *accuracy* denotes the proportion of test instances where the reranking method selects a candidate that passes all test cases provided by the



(a) Details of question and two generated examples



(b) Coder Score Comparison



(c) Pragmatic Score Comparison

Figure 4: Qualitative Example: Bias in Coder vs. CodeRSA Correction

benchmark. Figure 3 shows that CodeRSA consistently outperforms baseline reranking methods, with clustering playing a crucial role: removing the clustering step yields a substantial drop in accuracy. The figure also highlights the robustness of CodeRSA to the choice of α : within the stable band of $[0.90, 1.15]$, performance remains consistently above both Coder and CoderReviewer. At $\alpha = 1.0$, CodeRSA achieves the best accuracy of 59.53%, clearly surpassing the baselines. These results demonstrate that CodeRSA’s pragmatic reasoning, enhanced by clustering, is not overly sensitive to calibration.

We report further results covering different models (Qwen2.5-7B-Instruct) and datasets (HumanEval) in Appendix A.2, which confirm the same pattern of CodeRSA consistently improving performance over baseline methods.

5.2 Qualitative Analysis

Although our experiments show that CodeRSA achieves stable performance, it relies on certain idealized assumptions and an abstract reasoning process. To provide a more intuitive perspective,

we include a qualitative analysis that examines how CodeRSA aligns with core RSA intuitions, thereby enhancing reranking quality.

Zhang et al. (2023a) note that reranking based on cumulative token likelihood tends to prefer shorter candidates, since each token probability is < 1 and longer sequences accumulate lower overall scores. This bias makes the Coder approach prone to favoring incomplete or generic programs. In Fig. 4a, the instruction requires returning the greatest integer above zero whose frequency is at least its own value, or -1 if none exists. However, code_09 omits both the “greatest” requirement and the -1 fallback, making it incomplete but shorter. As shown in Fig. 4b, Coder assigns code_09 a higher score (-21.12) than the correct code_01 (-29.24), and thus prefers the degenerate solution. CoderReviewer inherits this issue, as Reviewer alone cannot offset code_09’s inflated Coder score.

Fig. 4c reports CodeRSA’s cluster-level pragmatic speaker scores after softmax normalization ($\alpha = 1$). Instructions with equivalent semantics are grouped, and the cluster containing the orig-

540 inal instruction i_0 is treated as the *main cluster*.
541 Here, code_01 achieves a score of 0.32 on the main
542 cluster, compared to 0.25 for code_09. Notably,
543 code_09 also receives relatively high confidence
544 on Cluster_4, which dilutes its probability on the
545 main cluster due to RSA normalization. In RSA
546 terms, code_09 is not strongly aligned with either
547 the main cluster or Cluster_4, indicating that it fits
548 the intended instruction less well than other candi-
549 dates. By contrast, the probability of code_01
550 is concentrated on the main cluster, which better
551 aligns with the original instruction and is therefore
552 favored under pragmatic reasoning.

553 Taken together, this case study shows how
554 CodeRSA operationalizes RSA reasoning: By nor-
555 malizing over alternative clusters, it penalizes candi-
556 dates that spread probability mass across multiple
557 interpretations and favors those that focus on the
558 main cluster, thereby improving robustness and
559 faithfulness in reranking.

560 6 Discussion

561 Our proposed CodeRSA approach contains a num-
562 ber of simplifications compared to the original RSA
563 model, which has been developed for describing
564 human–human communication: It assumes a uni-
565 form speaker cost for the instructions. While this
566 simplification makes the analysis more tractable, it
567 means that our model does not currently take into
568 account effects related to how “costly” an instruc-
569 tion would be to produce for the human speaker.
570 Future work should investigate variable cost struc-
571 tures to better capture these nuances.

572 In Section 4, we argued that CodeRSA is most
573 beneficial in situations where the dataset is not too
574 easy (when a simple Coder model already achieves
575 ceiling performance) and not too difficult, i.e., good
576 candidates need to be contained in the set of sam-
577 pled candidates which is then re-ranked. That is,
578 an important pre-condition for the applicability of
579 the CodeRSA approach is the ability to obtain a
580 high quality probability distribution over instruc-
581 tions and over code candidates. We argue that in
582 complex tasks like language instructions for gener-
583 ating code, a situation where the correct candidate
584 is in the set of sampled candidates, but where it is
585 not ranked first, is not just due to bad model per-
586 formance that will become better with improved
587 models, but is expected to be a systematic phe-
588 nomenon that is due to the inherent ambiguity and
589 underspecification in human natural language in-

structions. Dealing with this type of ambiguity is
590 not a matter of better language modelling, but inher-
591 ently requires the counterfactual reasoning process
592 implemented in RSA models. Research on human
593 communication has demonstrated the importance
594 of pragmatic reasoning, even though it introduces
595 additional computational overhead. At the same
596 time, studies suggest that humans may switch be-
597 tween different strategies where they sometimes
598 rely on the expensive reasoning process, and some-
599 times rely on simple heuristics or amortized esti-
600 mates (Lieder and Griffiths, 2020; Tscshantz et al.,
601 2023; Dasgupta et al., 2018; Pu et al., 2024), avoid-
602 ing iterative reasoning in easy cases while still en-
603 gaging in full pragmatic reasoning when tasks are
604 more complex. Such strategies can also be explored
605 in future CodeRSA research. 606

607 7 Conclusion

608 This work introduces CodeRSA, a pragmatics-
609 inspired approach to dealing with ambiguity and
610 underspecification in human instructions for code
611 generation. By modeling the iterative reason-
612 ing of a pragmatic listener about a pragmatic
613 speaker, CodeRSA consistently outperforms the
614 Coder Reranking baseline and surpasses the state-
615 of-the-art CoderReviewer approach. Our exper-
616 iments showed highly consistent results for two
617 models from different model families and two dif-
618 ferent benchmarks. A qualitative analysis further
619 reveals that, even when incorporating certain ide-
620 alized assumptions and variations, CodeRSA re-
621 mains faithful to the core principles and goals of
622 the RSA framework. These results highlight the ef-
623 fectiveness of applying well-established linguistic
624 frameworks to enhance reasoning in language mod-
625 els, opening new avenues for research and develop-
626 ment in code-related tasks. Some of our insights
627 related to practical and naturalistic application do-
628 mains, such as the need for clustering of very simi-
629 lar instructions or the need to re-weight probability
630 estimates for instructions vs. meaning representa-
631 tions may also be applicable to human-computer
632 interaction tasks beyond language-to-code.

633 8 Limitations

634 A known limitation of RSA approaches is their
635 computational complexity and associated resource
636 consumption. For example, on a single NVIDIA
637 Tesla A100 (PCIe 4.0, 80GB HBM2e, 300W), per-
638 forming complete CodeRSA inference on 500 in-

stances takes nearly 6 hours. Our approach compares each potential instruction with every candidate, leading to a quadratic increase in complexity as the number of candidates grows. Although CodeRSA can theoretically handle many candidates, we limited our experiments to ten candidates per question to keep runtime and hardware usage manageable. This restriction inevitably narrows the variety of solutions and may affect how well the approach generalizes to larger-scale scenarios.

Reducing the computational overhead is a major goal for our future work. One promising direction is to design more lightweight scoring mechanisms or to adopt a multi-stage pipeline. For instance, a coarse filtering step could quickly discard low-probability solutions before applying CodeRSA’s full RSA-based reasoning to a smaller top-ranked subset. Alternatively, approximate models could reduce the number of token-level evaluations required, thereby preserving much of CodeRSA’s pragmatic reasoning benefits at a fraction of the computational cost. Such improvements would allow CodeRSA to scale more effectively and broaden its applicability to larger code generation tasks.

Another limitation concerns the scope of models and benchmarks considered. In the current study, we deliberately focus on mid-sized models and well-established benchmarks as a proof-of-concept design choice, enabling fair and clearly observable comparisons with existing reranking baselines, rather than aiming for exhaustive coverage across model scales or benchmark families. As a result, although our experiments already cover two models (Llama-3-8B-Instruct and Qwen-2.5-7B-Instruct) and two datasets (HumanEval and MBPP), the overall scope remains relatively narrow. In future work, we plan to incorporate additional balanced-difficulty datasets such as DS-1000 (Lai et al., 2023), along with further open-source models like Mistral (Jiang et al., 2023) and newer Qwen releases beyond Qwen-2.5. This expansion will allow us to evaluate reranking methods across a wider range of scenarios, ultimately leading to a more comprehensive assessment of our approach. At the same time, ensuring an appropriate match between model capability and benchmark difficulty remains an important challenge for designing informative evaluations.

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A Appendix

A.1 A Conjecture: Viewing CoderReviewer through an RSA Lens

CoderReviewer reranks candidates using the bidirectional criterion

$$P_{CR}(c | i_0) \propto P_{LLM}(c | i_0) \cdot P_{LLM}(i_0 | c),$$

which rewards candidates that are (i) likely under the instruction (Coder) and (ii) able to “explain” the instruction when the code is given as context (Reviewer).

In RSA, a pragmatic listener instead ranks candidates according to

$$P_{L_1}(c | i_0) \propto P_{S_1}(i_0 | c) \cdot P(c),$$

combining (a) a speaker term that captures how well the instruction identifies the intended candidate among alternatives, and (b) a prior over candidates.

We conjecture that CoderReviewer can be interpreted as a lightweight, heuristic approximation to this RSA listener objective on the restricted candidate set used for reranking. Intuitively, producing a faithful natural-language description from a concrete piece of code is comparatively constrained, so the reverse model $P_{LLM}(i_0 | c)$ may behave

like an amortized proxy for a speaker preference $P_{S_1}(i_0 | c)$ (without explicitly normalizing over an alternative-instruction set or modeling instruction costs). Meanwhile, when i_0 is underspecified, the forward term $P_{LLM}(c | i_0)$ can be strongly influenced by instruction-independent code preferences (well-formedness, idiomatic patterns, and length/format biases), and thus acts as a task-local proxy for the candidate prior $P(c)$ on the finite set of sampled candidates. Under this view, multiplying the two terms resembles combining a speaker-like compatibility signal with a prior-like plausibility signal, as in RSA.

A.2 More Details of Results

In this subsection, we provide further results on different datasets and models to further validate the robustness of CODERSA. Specifically, we evaluate on the HumanEval dataset as well as on MBPP, using both Llama-3-8B-Instruct and Qwen2.5-7B-Instruct.

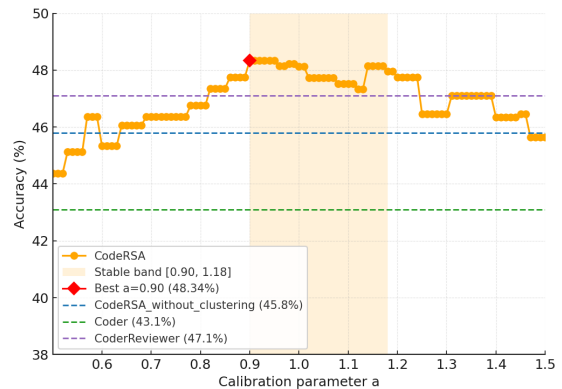


Figure 5: Accuracy of CodeRSA on HumanEval with Qwen2.5-7B-Instruct. The shaded region shows the stable band.

Across all settings, several consistent trends can be observed.

Clustering effectiveness. Removing the clustering step leads to a noticeable drop in accuracy, highlighting its role in reducing redundancy and stabilizing pragmatic reasoning.

Calibration robustness. CodeRSA is not strongly sensitive to the calibration parameter α ; performance remains stable across a relatively wide range rather than relying on a finely tuned value.

Superior accuracy. CodeRSA consistently achieves higher accuracy than both baselines. On the HumanEval dataset, we observe some fluctuations in performance, and the overall accuracy

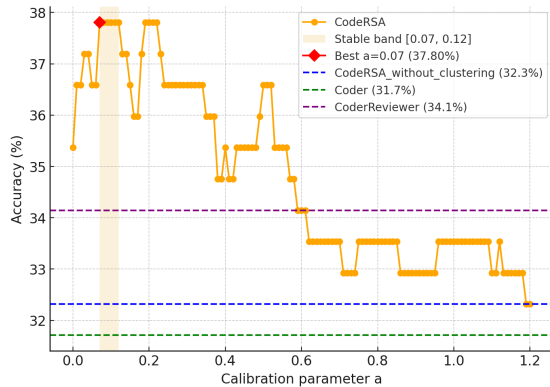


Figure 6: Accuracy of CodeRSA on HumanEval with Llama-3-8B-Instruct. The shaded region shows the stable band.

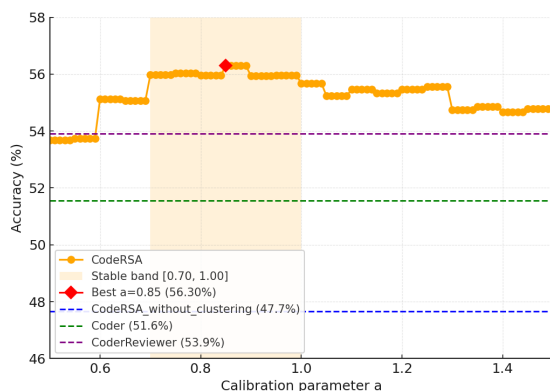


Figure 7: Accuracy of CodeRSA on MBPP with Qwen2.5-7B-Instruct. The shaded region shows the stable band.

is relatively low. This may be partly due to randomness or parameter settings in the experiments. However, since all reranking methods are evaluated under the same conditions, the relative comparison between them remains fair and informative.

These findings confirm that the improvements achieved by CodeRSA are reliable across different models and datasets. The calibration parameter α is shown to be both interpretable and stable, further supporting the practicality of the approach.

A.3 Additional Experiment: Larger-Model Sanity Check on MBPP

As an additional sanity check, we evaluate CodeRSA with a larger base model. Since RSA-style reranking is computationally expensive, we keep this experiment limited in scope. We use Llama-3-70B-Instruct (Grattafiori et al., 2024) on MBPP and restrict evaluation to instances that are unsolved at pass@1 but solved at pass@10,

resulting in 84 problems where reranking is non-trivial.

Method	Solved	Acc.
Coder	33/84	39.3%
CoderReviewer	41/84	48.8%
CodeRSA (best $\alpha = 0.9$)	43/84	51.2%
CodeRSA (avg. $\alpha \in [0.5, 1.5]$)	35.5/84	42.3%

Table 2: Sanity check on Llama-3-70B-Instruct for MBPP, evaluated on 84 instances that are unsolved at pass@1 but solved at pass@10. For CodeRSA, “best” is the best value in a sweep with step size 0.1; “avg.” is the mean over $\alpha \in \{0.5, 0.6, \dots, 1.5\}$.

Table 2 reports the number of solved problems (out of 84) and the corresponding accuracy after reranking. CodeRSA achieves the best result at $\alpha = 0.9$ in our sweep (step size 0.1), outperforming Coder and slightly improving over CoderReviewer on this subset. Averaged over $\alpha \in [0.5, 1.5]$, CodeRSA remains above Coder, indicating that scaling to a larger model does not lead to abnormal behavior, while calibration still matters for peak performance.

A.4 Accuracy vs. Number of Sampled Candidates (MBPP)

To further examine the impact of candidate diversity on reranking performance, we conducted a controlled study varying the number of sampled code candidates per MBPP problem ($n = 1 \dots 10$). For each value of n , we randomly sampled n candidates from the pool of ten generated solutions and applied three reranking strategies: Coder, CoderReviewer, and our proposed CodeRSA. The experiment was repeated ten times with different random seeds for each value of n , and the figure reports the mean accuracy and its standard deviation across runs.

When $n = 1$, all methods yield identical results, as no reranking can occur. As n increases, performance improves for all methods due to a broader candidate set, but the gain plateaus after approximately $n = 7$. Across all sampling levels, CodeRSA achieves the highest accuracy, maintaining a margin of roughly 2–3 percentage points over CoderReviewer and up to 5 points over Coder. This shows that pragmatic reasoning allows CodeRSA to better leverage candidate diversity while remaining robust to sampling variability. The narrow confidence bands further indicate stable performance even under random candidate selection, confirming

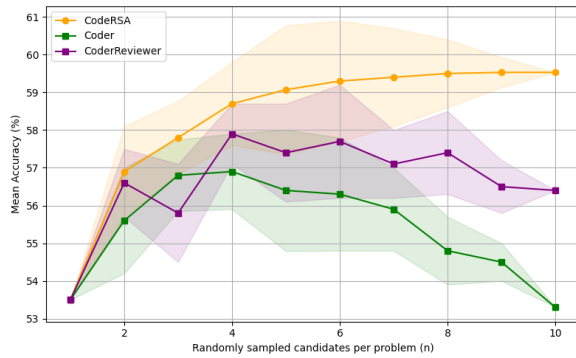


Figure 8: **MBPP: Mean accuracy vs. number of randomly sampled candidates per problem (n).** Curves show CodeRSA (orange), Coder (green), and CoderReviewer (purple). Shaded regions indicate the standard deviation across multiple random samplings.

its reliability when generation stochasticity varies across runs or models.

In our main experiments, we fixed $n = 10$ candidates per problem as a practical balance between computational cost and runtime. The results here further suggest that model performance is not strongly dependent on candidate set size. Future work could explore larger candidate pools when computational resources permit.

1003 **A.5 An example of clustering**

1004 In the following presentation, each item is denoted in the format:

1005 **code_X** : Instruction generated from this code

1006 This means that the left-hand side (code_X) represents the identifier of the function implementation,
1007 and the right-hand side is the instruction generated based on it.

1008 **Main Cluster: Maximum value with frequency condition**

- 1009 • **code_1**: Create a function that takes a list of numbers. Returns the largest number that appears at
1010 least as many times as its value in the list. If no such number exists, return -1.
- 1011 • **code_6**: Create a function that takes a list of integers and returns the maximum value that appears at
1012 least as many times as its value. If no such value exists, return -1.
- 1013 • **code_8**: Create a function that takes a list of numbers and returns the maximum integer that occurs
1014 at least as many times as its value. If multiple such numbers exist, return the largest one. If no such
1015 number exists, return -1.

1016 **Cluster 2: Most frequent element**

- 1017 • **code_5**: Create a function that takes a list of integers. Returns the number that appears most
1018 frequently in the list. If there are multiple such numbers with the same frequency, return the largest
1019 one.
- 1020 • **code_10**: Create a function that takes a list of integers. Returns the most frequent integer greater
1021 than 0. If multiple integers have the same highest frequency, return the smallest one. If the list is
1022 empty, return -1.

1023 **Cluster 3: Repeated integers**

- 1024 • **code_4**: Create a function that takes a list of integers and returns the smallest positive integer that
1025 appears more than once. If no such integer exists, return -1.
- 1026 • **code_7**: Create a function that takes a list of integers and returns the maximum value that appears
1027 more than once. If no such value exists, return -1.

1028 **Cluster 4: Missing positive integer**

- 1029 • **code_3**: Create a function that takes a list of integers and returns the first missing positive integer. If
1030 the list is empty, return -1.

1031 **Cluster 5: First/last integer with frequency condition**

- 1032 • **code_2**: Create a function that takes a list of integers and finds the first integer that occurs at least as
1033 many times as its value. If no such integer is found, return None.
- 1034 • **code_9**: Create a function that takes a list of integers. Returns the first integer that appears at least as
1035 many times as its value in the list. If no such integer exists, return None.

A.6 Prompt Used

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A.6.1 For Generating the Additional Instruction:

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```
##Write an instruction for given python function##
### Function start ###
def any_int(x, y, z):
    if isinstance(x,int) and isinstance(y,int) and isinstance(z,int):
        if (x+y==z) or (x+z==y) or (y+z==x):
            return True
        return False
    return False
### Function end ###

### instruction start ###
Create a function that takes 3 numbers. Returns true if one of the numbers is equal to the
sum of the other two, and all numbers are integers. Returns false in any other cases.
### instruction end ###

### Function start ###
any function
### Function end ###

###instruction start###
```

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A.6.2 For Calculating the Reviewer Score (An Example):

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```
def any_int(x, y, z):
    if isinstance(x,int) and isinstance(y,int) and isinstance(z,int):
        if (x+y==z) or (x+z==y) or (y+z==x):
            return True
        return False
    return False

# Write a docstring for the above function
Create a function that takes 3 numbers. Returns true if one of the numbers is equal to the
sum of the other two, and all numbers are integers. Returns false in any other cases.
```

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