Empirical Evaluation of Deep Learning Approaches for Landmark Detection in Fish Bioimages

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Abstract. In this paper we perform an empirical evaluation of variants of deep learning methods to automatically localize anatomical landmarks in bioimages of fishes acquired using different imaging modalities (microscopy and radiography). We compare two methodologies namely heatmap based regression and multivariate direct regression, and evaluate them in combination with several Convolutional Neural Network (CNN) architectures. Heatmap based regression approaches employ Gaussian or Exponential heatmap generation functions combined with CNNs to output the heatmaps corresponding to landmark locations whereas direct regression approaches output directly the (x, y) coordinates corresponding to landmark locations. In our experiments, we use two microscopy datasets of Zebrafish and Medaka fish and one radiography dataset of gilthead Seabream. On our three datasets, the heatmap approach with Exponential function and U-Net architecture performs better. Datasets and open-source code for training and prediction will be published (upon paper acceptance) to ease future landmark detection research and bioimaging applications.

Keywords: Deep learning, Bioimages, Landmark detection, Heatmap, Multi-variate regression

1 Introduction

In many bioimage studies, detecting anatomical landmarks is a crucial step to perform morphometric analyses and quantify shape, volume, and size parameters of a living entity under study [11]. Landmarks are geometric keypoints localized on an "object" and can be described as coordinate points in a 2D or a 3D space. For example, in human cephalometric study, human cranium is analyzed for di-agnosis and treatment of dental disharmonies [21] using X-Ray medical imaging techniques. In biomedical research where fish species such as Zebrafish (Danio rerio) and Medaka (Oryzias letipes) are used as models, various morphometric analyses are performed to quantify deformities in them and further identify cause and treatment for human related bone disorders [36, 12]. Such studies require to analyze and classify deformities in the vertebral column, jaws or caudal fin of the fish, which is addressed by first detecting specific landmark positions in fish images. In aquaculture industry, food fish such as gilthead Seabream suffer from

bone related disorders due to the non-natural environment in which they are
reared and morphometric studies are carried out to quantify these deformities
[34, 35, 7]. Such studies also require the researchers to select and mark some important landmark locations on fish images in order to perform external shape
analyses [18].

Manual annotations of landmarks locations are very labour intensive and require dedicated human expertise. The emergence and heterogeneity of high-throughput image acquisition instruments makes it difficult to continue analyzing these images manually. To address the problem, biomedical researchers began to use automatic landmark localization techniques to speed up the process and analyze large volumes of data. Conventional landmark detection techniques use image processing in order to align two image templates for landmark configurations then applying some Procrustes analysis [4]. Classical machine learning techniques such as random forest based algorithms were also proposed in [30] [16] [33] to automatically localize landmarks in microscopy images of zebrafish larvae.

Recently, landmark detection or localization has also been extensively stud-ied in the broader computer vision field, especially for real time face recognition systems [13][37][8], hand-gesture recognition [25], and human pose estimation [28][2]. With the advent of more sophisticated techniques such as deep-learning based Convolutional Neural Networks (CNNs), the performance of computerized models for object detection and classification has become comparable to human performance. While deep learning based models reach a high level of accuracy in computer vision tasks with natural images (e.g. on ImageNet), there is no guar-antee that these methods will give acceptable performance in specific bioimaging applications where the amount of training data is limited. Indeed, learning land-mark detection models requires images annotated with precise landmark positions while experts to carry out these annotations are few, the annotation task is tedious and it must be repeated for every new imaging modality and biological entity.

In this paper, we want to evaluate state-of-the-art deep learning based land-mark detection techniques to assess if they can simplify and speed up landmark analyses in real-world bioimaging applications, and to derive guidelines for fu-ture use. More precisely, we evaluate the two main families of methods in this domain, namely direct multivariate regression and heatmap regression, and we focus our experiments on the identification of anatomical landmarks in 2D im-ages of various fish species. To our knowledge, our work is one of the first few attempts to implement a fully automatic end-to-end deep learning based method for the task of landmark detection in heterogeneous fish bioimages. In Section 3, we describe our datasets and image acquisition settings. Methodologies, network architectures and our evaluation protocol are presented in Section 4. Then, we present and discuss empirical results in Section 5.

2 Related Work

In biomedical image analysis, patch-based deep learning methods are proposed in which local image patches are extracted from the images and fed to the CNN to detect the landmark locations [29][3]. Patch-based methods are usually used to train one landmark model for each landmark location making the whole process computationally very expensive. These models often require plenty of memory storage to operate if the number of landmark points to detect is high. Another drawback of using the patch-based methods is missing global information about all the landmarks combined as local patches represent only limited contextual information about the particular landmark.

Among end-to-end deep learning approaches, the first prominent solution is to output directly the (x, y) coordinates of the landmarks using CNNs regressors [15]. These direct coordinate regression based methods are very simple to design and faster to train. However, to get optimal performances, this approach gener-ally requires large training datasets and deeper networks [10]. Another approach is to output heatmaps corresponding to the landmark locations [23][24][6]. In this scenario, heatmaps are generated from the labelled landmarks locations during training and CNNs are trained to predict these heatmaps. These heatmaps en-code per pixel confidence scores for landmark locations rather than numbers or values corresponding to landmark coordinates. The most common heatmap generation methods employ distance (linear) functions or some non-linear gaus-sian or exponential kernels [38]. In [10] and [19], the authors proposed a method that combines the heatmap based regressors with direct coordinate regressors to automatically localize landmarks in MRI images of spine.

The data scarcity in biomedical image analysis is one of the biggest concerns as it is difficult to train a deep CNN from scratch with limited amount of images and ground truths. To address this issue, the authors of [22] [29] explore trans-fer learning methods such as using a pre-trained CNN as backbone and only training or fine-tuning its last layers for the problem of cephalometric landmark detection. Transfer learning is also used in animal behaviour studies in neuro-science where landmarks are used to aid computer-based tracking systems. [20] devised a transfer learning based landmark detection algorithm that uses pretrained Resnet50 as backbone to automatically track the movements in video recordings of the animals. To tackle the problem of limited data, the authors of [26] proposed a method to train models on thousands of synthetically generated images from other computer vision tasks such as hand recognition systems and evaluate them on MR and CT images.

There are cases in which two landmark points are either very close to each other or one is occluding another landmark. In these cases, a single CNN model is not sufficient to achieve optimal performance in locating the landmarks. To handle these scenarios, authors in [14][32] proposed a combination of CNN re-gressor and Recurrent Neural Network (RNN) in which RNNs are employed to remember the information for landmark locations to further refine the predic-tions given by the CNN regressor. Although these methods can lead to very

135good performance for landmark detection, they are very hard to train on limited135136image data due to their complex architectural design.136

3 Dataset Description

In this work, we use three datasets acquired using different microscopy and radiography imaging protocols. These datasets contain images of three differ-ent fish species, namely Zebrafish (*Danio rerio*) and Medaka (*Oruzias latines*). used in biomedical research as model fishes, and gilthead Seabream (Sparus au-rata), used for aquaculture research. The first two datasets contain images of whole-mount stained zebrafish larvae and medaka iuveniles respectively, each one acquired from two different institutes¹. The third dataset consists of radio-graphy images of randomly sampled subadult Seabream which are also acquired from one of the previously mentioned institutes. Detailed dataset descriptions are given below.

3.1 Zebrafish Microscropy Dataset

This dataset is composed of 113 microscropy images of zebrafish (Danio rerio) larvae at 10dpf (3mm length). Images were captured using an Olympus SZX10 stereo dissecting microscope coupled with an Olympus XC50 camera with a direct light illumination on a white background. The Olympus XC50 camera allows to acquire 2575×1932 pixel resolution images. 25 landmarks are manually annotated by the experts around the head of the zebrafish larvae as follows: 1 and 24: Maxilla: 2 and 23: Branchiostegal ray 2: 3 and 11: Opercle: 4.12.13 and 14: Cleithrum; 5 and 19: Anguloarticular; 6 and 25: Ceratobranchial; 7 and 8: Hyomandibular: 9 and 20: Entopterygoid: 10:Notochord: 21.15 and 18: Parasphenoid: 17 and 22: Dentary: 16: showing anterior end marking. A sample image and its annotations are shown in Figure 1

¹⁶⁴ 3.2 Medaka Microscopy Dataset

This dataset has 470 images of medaka juveniles (40 days after hatching) where each image has size 2560×1920 . Samples were in toto stained with Alizarin red and photographed with the Camera Axiocam 305 color connected to the AxioZoom V.16 (Zeiss) stereomicroscope. A total number of 6 landmarks are manually annotated as follows: 1: rostral tip of the premaxilla (if the head is bent, the landmark was located between the left and right premaxilla); 2: base of the neural arch of the 1st (anteriormost) abdominal vertebra bearing a rib; 3: base of the neural post-zygapophyses of the first hemal vertebra (viz., vertebra with hemal arch closed by a hemaspine); 4: base of the neural post-zygapophyses of the first preural vertebra; 5: base of the neural post-zygapophyses of the preural-2 vertebra; 6: posteriormost (caudad) ventral extremity of the hypural 1. Figure 2 shows a sample image from the dataset with annotated landmarks.

¹⁷⁸¹These institutes are anonymous to respect double blind submission constraints but178179their names will be released at publication.179



225 3.3 Seabream Radiography Dataset

In this dataset, the fish species is gilthead Seabream (Sparus aurata), sampled at 55 gr (average weight). A total of 847 fish were xraved with a digital DXS Pro X-ray (Bruker) and 19 landmarks are manually annotated on variable image sizes. as follows: A frontal tip of premaxillary: B rostral head point in line with the eve center: C: dorsal head point in line with the eve center: D: dorsal extremity of the 1st predorsal bone: E: edge between the dorsal 1st hard ray pterygophore and hard ray: F: edge between the dorsal 1st soft ray pterygophore and soft ray: G: edge between the dorsal last soft ray pterygophore and soft ray: H: dorsal concave inflexion-point of caudal peduncle: I: middle point between the bases of hypurals 2 and 3 (fork): L: ventral concave inflexion-point of caudal peduncle: M: edge between the anal last ptervgophore and ray; N: edge between the anal 1st ray pterygophore and ray: O: insertion of the pelvic fin on the body profile: P: preopercle ventral insertion on body profile; Q: frontal tip of dentary; R: neural arch insertion on the 1st abdominal vertebral body: S: neural arch insertion on the 1st hemal vertebral body; T: neural arch insertion on the 6th hemal vertebral body: U: between the pre- and post-zygapophyses of the 1st and 2nd caudal vertebral bodies. Sample images from the dataset with annotated landmarks are shown in Figure 3.



Fig. 3. An image, with landmarks, from the Seabream Radiography Dataset.

4 Method Description

We evaluate two types of deep-learning based regression approaches, namely direct regression and heatmap based regression.

4.1 Direct coordinates regression

In the direct regression approach, the output is designed to predict $(N \times 2)$ numbers, where the first (resp. last) N numbers correspond to x (resp. y) coordinates of the landmarks.

4.2 Heatmap-based regression

The second approach is based on outputting the heatmaps (one per landmark) instead of directly predicting the coordinate points for landmark locations. Each heatmap gives information about the likelihood for each pixel of being the loca-tion of a particular landmark. At training, the heatmap is constructed to asso-ciate to every pixel a score that takes its highest value (1) at the exact location of the landmark and vanishes towards 0 when moving away from the landmark. The size of the region of influence of a landmark is controlled by a user-defined dispersion parameter σ . More formally, and following [38], we have implemented and compared two probability functions to generate these heatmaps, namely a **Gaussian function** F_{C} and an **Exponential function** F_{E} , defined respectively as follows:

$$F_G(x,y) = A \cdot \exp\left(-\frac{1}{2\sigma^2}\left((x-\mu_x)^2 + (y-\mu_y)^2\right)\right),$$
²⁸³
²⁸³
²⁸³

$$F_E(x,y) = A \cdot \exp\left(-\frac{\log(2)}{2\sigma}(|x - \mu_x| + |y - \mu_y|))\right),$$
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287

where x and y are the coordinates of a pixel in the image, μ_x and μ_y are the coordinates of the landmark under consideration, σ is the spread of the distribution, and A is a normalizing constant that gives the amplitude or peak of the curve.

To fix the highest score value as 1 at the exact location of the landmark, we set the normalizing constant A to 1, since it corresponds to the maximum value of the gaussian and exponential functions. Figure 4 shows the original landmarks on the image (first column) and their corresponding heatmaps, as the superposition of the heatmaps corresponding to each landmark (second and third columns).

4.3 Training and prediction phases

In the **training phase**, original images are first downscaled to 256×256 to be fed into the network. Since the original images are rectangular, we first downscale the image to a size of 256 along the largest dimension while keeping the aspect ratio unchanged. Padding is then added to the smallest dimension to produce a 256×256 square image. For direct regression, the output of the model consists of $N \times 2$ real numbers, with N the total number of landmark, representing landmark coordinates rescaled between 0 and 1. For heatmap regression, the output is composed of N heatmap slices, each corresponding to one landmark and constructed as described in the previous section.

The **prediction phase** for direct regression based approach is simply predicting the $N \times 2$ numbers and then upscaling them to the original sized image (i.e., multiplying them by the original image width and height after padding is removed). In the case of the heatmap based approach, heatmap slices are first predicted by the network and then, as a post processing step, each heatmap is



Fig. 4. Original landmarks on the images *(first column)*, their corresponding Gaussian heatmaps *(second column)* and Exponential heatmaps *(third column)*

converted to its corresponding landmark location by taking the *argmax* of the heatmap over all image pixel values. The *argmax* function returns the 2D coordinates of the highest value in a heatmap slice. The corresponding landmark coordinates are then upscaled to the size of the original image to produce the final model predictions.

4.4 Network Architectures

To evaluate our methodology, we implement state-of-art CNNs used in various image recognition, segmentation, and pose estimation tasks. Following are the CNN architectures we implement in both the multivariate and the heatmap regression based output network models. We only give below the main idea of these architectures. Full details are provided in the supplementary files.

– Heatmap based CNN architectures:

- U-Net architecture: U-Net architecture as described in [27] is a two phase encoder and decoder network in which the encoder module is made up of conventional stack of convolutional layers followed by max-pooling layer and the decoder module consists in a stack of up-sampling layers. The last layer is modified to output the N heatmaps as shown in Figure 5(A).
- FCN8 architecture: In FCN8 as proposed in [17], the initial layers are made up of stack of convolutional layers followed by maxpooling whereas later layers are upsampling layers that consist in the fusion of intermediate convolutional layers as shown in Figure 5(B). In the architecture, the last layer is modified to output the probability heatmaps.
 FCN8 architecture: 17, the initial layers are made up of stack of convolutional layers followed by maxpooling whereas are upsampling layers that consist in the fusion of intermediate convolutional layers as shown in Figure 5(B). In the architecture, the last layer is modified to output the probability heatmaps.
- ResNet50 backbone: ResNet50 is a state-of-the-art image recognition CNN model [9] and also successfully used in pose estimation [20]. It

is made up of deeper convolutional layers with residual blocks and is capable of solving the vanishing gradient problem in deeper networks by passing the identity information in the subsequent layers. We use the upsampling layers in the decoder part to achieve the same resolution as that of the input size. We use ResNet50 pretrained on ImageNet [5] dataset for our evaluation methodology. Figure 5(C) shows the design of CNN with Resnet50 as backbone.

HRNet: The deep High Resolution Network architecture is one of the state-of-the-art architectures for the task of human pose estimation [31].
It maintains the high resolution from end to end and uses other subnetworks in parallel to exchange information between and within the stages.
Figure 5(D) shows the HRNet architecture.

- Multivariate regression based CNN architectures: To implement mul-
tivariate regression that directly regresses coordinate points, we investigate
two types of strategies. In the first case, the encoder part of the U-Net ar-
chitecture shown in Figure 5(A) is used for learning feature representations.376In the second scenario, we explore a transfer learning based approach where
a ResNet50 network pretrained on ImageNet is used for learning represen-
tations. In both scenarios, a fully connected layer is added at the end of the
network to output $N \times 2$ numbers that correspond to (x, y) coordinates of
each landmark location, where N is the total number of landmark locations.



Fig. 5. Illustration of CNN architectures used in our experiments. (A)-U-net, (B)-FCN8, (C)-ResNet50 backbone, (D)-HRNet (reproduced from [31]).

4.5 Experimental Protocol and Implementation

To evaluate method variants, we follow a 5-fold cross validation scheme in which each dataset is divided into 5 equal parts. In each iteration, one part is used as

test set while the other four parts are merged and shuffled and used as training and validation sets, with a 3:1 ratio. Here the validation set is used for choosing the best model from the number of epochs during training. In each fold, one model is trained for maximum up to 2000 epochs. Mean error is then measured as first upscaling the predictions to the original sized images then taking the Root Mean Square Error (RMSE) (i.e., the Euclidean distance) between origi-nal ground-truth landmark locations and upscaled predicted locations for each test image, then calculating the mean over all the test images. The final error is reported by taking the mean error and standard deviation (Std.) over 5-fold cross validation. In all the evaluation protocols, we applied RMSProp optimizer and Mean Square Error (MSE) as the loss function. We also use some callbacks such as *Early stopping* in which training is stopped when the loss does not im-prove over 400 epochs and *Reduce learning rate* in which learning rate is reduced by the factor of 0.2 if validation loss is not improving over 200 epochs. We use Tensorflow [1] as the deep learning library and Python as programming lan-guage. We have trained the CNNs models on a cluster of roughly 100 NVIDIA's GeForce GTX 1080 GPUs. Source code for both training and prediction phases will be made available upon paper acceptance.

5 Results and Discussion

Baseline. We evaluate a first baseline, called 'Mean model', that simply predicts for each landmark the mean positions computed for each landmark over original sized images of the training and validation sets. In Table 1, we report the mean error (and standard deviation) of this model across 5-folds for our three datasets. As expected, the errors are very high, showing that landmarks positions are highly variable given the uncontrolled positioning and orientation of the fishes.

Table 1. Mean RMSE for 5-fold cross validation for the baseline Mean model

435		435
436	${f Dataset} {f Mean \ error \pm Std.}$	436
437	Zebrafish Microscopy 77.54+8.74	437
438	Modela Migroscopy 184.06 ± 10.11	438
439	Medaka Microscopy 164.90±19.11	439
440	Seabream Radiography 50.14 ± 1.27	440
441		441
442		442

Direct multivariate regression. Mean errors and standard deviations over 5-fold cross validation scheme for direct multivariate regression are reported in Table 2. As expected, very significant improvements can be obtained with respect to the Mean model. The only exception is U-Net on the Zebrafish Microscopy dataset that obtains a higher error than the baseline. We hypothesize that this could be due to the significantly lower number of images (113) in this dataset and the fact that U-Net, unlike ResNet50, is not pretrained, which makes this model more difficult to train. U-Net remains however a better model than ResNet50 on the other two, larger, datasets.

	Dataset	Mean E	$\mathbf{rror} \pm \mathbf{Std.}$	
	Dataset	U-Net(31M)	ResNet50(30M)	
	Zebrafish Microscopy	121.24 ± 5.38	26.31 ± 6.42	
	Medaka Microscopy	16.65 ± 2.35	$20.44{\pm}7.61$	
	Seabream Badiography	771 ± 02	9.65 ± 2.34	
		1.11±0.2	5.05±2.01	
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e U-Net arc	hitecture. The best pe	rformance is o	obtained with	$\sigma = 5$ with the
aussian heat	map and $\sigma = 3$ with t	he Exponenti	al heatmap. W	e will therefore
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Gaussian and Exponential heatmaps. We observe that CNNs having more pa-491 rameters tend to perform better in most of the cases (except HRNet with gaus-491 sian heatmap) but at the cost of computational efficiency and memory require-492 492 ments. In particular, U-Net is better in terms of accuracy though second largest 493 493 494 in size. Pretrained ResNet50 comes next with comparable performance with the 494

Hostr	none	Datasats		$\mathbf{Mean}\ \mathbf{Error}\ \pm\ \mathbf{Std.}$		
Heath	naps	DataSetS	U-Net(31M)	FCN8(17M)	RestNet50(51M)	$\mathrm{HRNet}(6.5\mathrm{M})$
		Zebrafish Microscopy	$13.43 {\pm} 3.14$	$13.82{\pm}2.01$	$13.77 {\pm} 2.97$	$13.16{\pm}2.93$
Gaus	sian	Medaka Microscopy	$10.36{\pm}2.45$	$10.56{\pm}1.85$	$10.18{\pm}1.17$	$10.69 {\pm} 2.52$
		Seabrean Radiography	$5.69{\pm}0.28$	$5.74{\pm}0.15$	$6.13{\pm}0.31$	$6.40{\pm}0.63$
		Zebrafish Microscopy	$11.29{\pm}0.84$	$14.28 {\pm} 2.35$	13.08 ± 3.24	$12.62 {\pm} 2.66$
Expon	Exponential	Medaka Microscopy	$9.34{\pm}1.06$	$10.12{\pm}1.60$	$9.36{\pm}1.05$	$9.54{\pm}1.59$
		Seabream Radiography	$5.31{\pm}0.13$	$5.70{\pm}0.16$	$5.47 {\pm} 0.18$	$5.90 {\pm} 0.64$

Table 4. Mean Error (in pixels) from 5-fold cross validation for heatmap regression.

largest size among all the models. Exponential heatmap outperforms Gaussian heatmap in almost all situations, although the difference is not very significant.

Comparing Table 4 with Table 2, it can be observed that heatmap based regression clearly outperforms direct multivariate regression on all datasets. From this investigation, we can conclude that, for the problem of landmark detection in Fish bioimages at least, heatmap based regression, with U-Net and Exponential heatmap, is the preferred approach, especially when the dataset is small.

It is interesting to note that because of the downscaling of the input image and the upscaling of the predictions, one can expect that the reported errors will be non zero even if the heatmap is perfectly predicted by the CNN model. We can thus expect that our results could be improved by using higher resolution images/heatmaps, at the price of a higher computational cost.

Hit rate. To further measure the performance of the model in terms of how many landmarks are correctly predicted, we define a prediction as a **hit** if the predicted landmark location is within some tolerance distance δ from the actual landmark location. The **hit rate** is then the percentage of landmarks in the test images that are having a hit. We choose the best performing method from Table 4 (exponential heatmap based U-Net model) and hit rates with different distance thresholds, estimated by 5-fold cross-validation, are shown in Table 5, with the baseline δ set at the ratio between the original and heatmap resolutions. As expected, there are not many hits at δ , except on the third dataset. At $2 \times \delta$ however, all landmarks are perfectly detected, which suggests that heatmaps are very accurately predicted (2 pixels error in the downscaled resolution) and fur-ther supports the idea that better performance could be expected by increasing the resolution of the network input images and heatmaps.

Per landmark error. To further assess performances hence derive guidelines for practical use in real-world application, we computed mean error per land-mark on test sets across 5-folds in order to quantify which landmarks are hard to predict by the models. Figure 6 shows per landmark mean error using the best performing method (exponential heatmap based U-Net model) for all the three datasets. From the figure, it is observed that in the case of the Zebrafish



Table 5. Hit rate from the three dataset using best performing models.

Fig. 6. Mean error per landmark from Exponential heatmap regression based U-Net using (A) Zebrafish Microscropy, (B) Medaka Microscropy and (C) Seabream Radiography dataset.

Microscopy dataset, landmarks 4, 16 and 21 are the most difficult to predict. We hypothesized that these points are largely influenced by their position on the structure which they marked on. These structures exhibit some variabil-ity (shape, thickness, overlapping, missing or partially missing). In the case of Seabream Radiography, landmarks G. M. and T are difficult to predict due to their position which is somehow matched with background (see Figure 3). Lastly, in the case of the Medaka Microscropy dataset, landmark 3 (see Figure 2) is badly predicted. That might be attributed to the variability of the position it is marked on. As model predictions might vary greatly between landmarks, we believe these approaches should be combined with user interfaces for proof-reading to make them effective in practice. In a real-world application, experts would mostly need to focus and proofread badly predicted landmarks, an hybrid human-computer approach which is expected to be much less time consuming than a completely manual approach.

Finally, in Figure 7, we illustrate the predictions from the best models using one image from the test set of each dataset.

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Fig. 7. Sample predictions on one image from each of our three datasets (Zebrafish, Medaka and Seabream) using best performing models (exponential heatmap based U-Net). First column: Original image. Second column: image with predicted landmarks (red dots) and ground truth landmarks (blue dots).

6 Conclusions

We have evaluated two types of regression based landmark detection strategies combined with four CNN architectures on two microscopy and one radiography imaging datasets of different types of fish species with limited ground truths. The winning strategy (heatmap-based regression with Exponential generation function and U-Net architecture) is a simple end-to-end deep learning method-ology where a single model is able to predict all the landmarks in a single run. Our approach will be released under an open-source license and integrated into a user-friendly open source software so that end-users can train models and proof-read model predictions, then export all statistics for their morphometric studies. Preliminary experiments have showed that this approach works also well on im-ages of butterfly wings and we expect our work, datasets, and open-source code will ease landmark detection in future bioimaging studies.

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