PHYBench: Holistic Evaluation of Physical Perception and Reasoning in Large Language Models

Shi Qiu[1,*], **Shaoyang Guo**[1,*], **Zhuo-Yang Song**[1,*], **Yunbo Sun**[1,*], **Zeyu Cai**[1,*], **Jiashen Wei**[1,*], **Tianyu Luo**[1,*], **Yixuan Yin**[1], **Haoxu Zhang**[1], **Yi Hu**[2], **Chenyang Wang**[1], **Chencheng Tang**[1], **Haoling Chang**[1], **Qi Liu**[1], **Ziheng Zhou**[1], **Tianyu Zhang**[1], **Jingtian Zhang**[1], **Zhangyi Liu**[1], **Minghao Li**[1], **Yuku Zhang**[1], **Boxuan Jing**[1], **Xianqi Yin**[1], **Yutong Ren**[1], **Zizhuo Fu**[2], **Jiaming Ji**[2], **Weike Wang**[1], **Xudong Tian**[1], **Anqi Lv**[1], **Laifu Man**[1], **Jianxiang Li**[1], **Feiyu Tao**[1], **Qihua Sun**[1], **Zhou Liang**[1], **Yushu Mu**[1], **Zhongxuan Li**[1], **Jing-Jun Zhang**[1], **Shutao Zhang**[1], **Xiaotian Li**[1], **Xingqi Xia**[1], **Jiawei Lin**[1], **Zheyu Shen**[1], **Jiahang Chen**[1], **Qiuhao Xiong**[1], **Binran Wang**[1], **Fengyuan Wang**[1], **Ziyang Ni**[1], **Bohan Zhang**[5], **Fan Cui**[4], **Changkun Shao**[1], **Qing-Hong Cao**[1, †], **Ming-xing Luo**[3, †], **Yaodong Yang**[2], **Muhan Zhang**[2], and **Hua Xing Zhu**[1, †]

[1]School of Physics, Peking University
[2]Institute for Artificial Intelligence, Peking University
[3]Beijing Computational Science Research Center
[4]School of Integrated Circuits, Peking University
[5]Yuanpei College, Peking University

Abstract

Current benchmarks for evaluating the reasoning capabilities of Large Language Models (LLMs) face significant limitations: task oversimplification, data contamination, and flawed evaluation items. These deficiencies necessitate more rigorous assessment methods. To address these limitations, we introduce PHYBench, a benchmark of 500 original physics problems ranging from high school to Physics Olympiad difficulty. PHYBench addresses data contamination through original content and employs a systematic curation pipeline to eliminate flawed items. Evaluations show that PHYBench activates more tokens and provides stronger differentiation between reasoning models compared to other baselines like AIME 2024, OlympiadBench and GPQA. Even the best-performing model, Gemini 2.5 Pro, achieves only 36.9% accuracy compared to human experts' 61.9%. To further enhance evaluation precision, we introduce the Expression Edit Distance (EED) Score for mathematical expression assessment, which improves sample efficiency by 204% over binary scoring. Moreover, PHYBench effectively elicits multi-step and multi-condition reasoning, providing a platform for examining models' reasoning robustness, preferences, and deficiencies. The benchmark results and dataset are publicly available at *https://www.phybench.cn/*.

1   Introduction

"Benchmarks don't idolize or diminish models; they guide humanity and AI together toward AGI."

Recent advances in reasoning models have significantly improved the reasoning capabilities of LLMs [6, 18, 23]. Evaluation frameworks such as MathArena [1] have demonstrated that frontier

---

[*] Equal Contribution.

[†]Corresponding author, correspondence to zhuhx@pku.edu.cn, qinghongcao@pku.edu.cn and mingxingluo@csrc.ac.cn
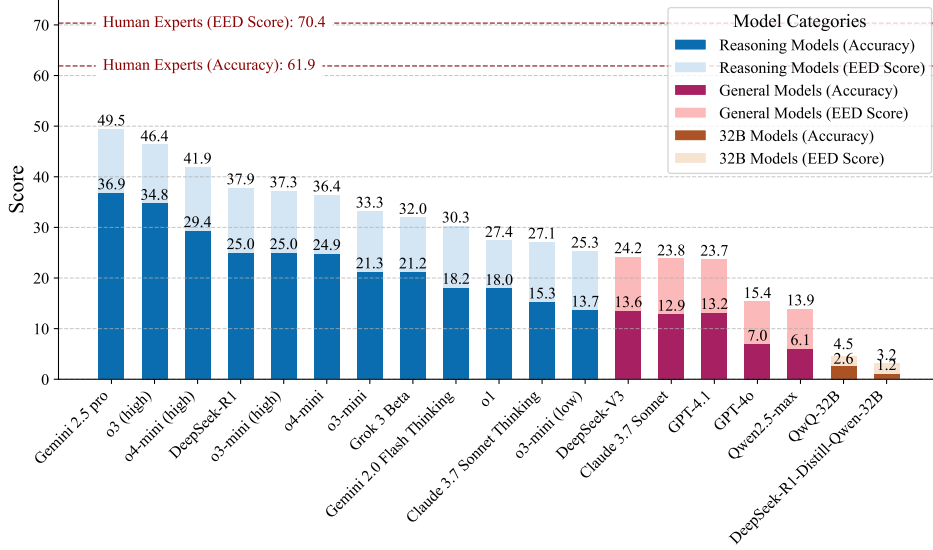
Figure 1: Model performance on PHYBench. We report accuracy and EED Score for both reasoning and general language models, averaged over all samples.

LLMs can already understand and answer problems at Olympiad Competition difficulty level. However, existing benchmarks may fail to accurately reflect and effectively distinguish between models due to three critical limitations: **(1) Oversimplified Reasoning Tasks.** State-of-the-art reasoning models exhibit performance saturation on traditional benchmarks. For example, DeepSeek-R1 [6] achieves an accuracy score of 97.3% on the MATH-500 dataset [13]. **(2) Potential Data Contamination.** Most existing datasets are constructed from publicly available materials that models may have encountered during pretraining. **(3) Lack of Rigorous Verification.** Many benchmarks [10, 13] include flawed questions or scoring criteria, which reduce models' instruction-following accuracy, introducing noise unrelated to actual reasoning performance. A more detailed discussion and illustrative examples for each of these limitations are provided in Appendix A.

To address these limitations, we introduce PHYBench, a challenging, human-curated benchmark designed to rigorously evaluate models' reasoning capabilities using physics problems. PHYBench covers diverse domains including mechanics, electromagnetism, thermodynamics, optics, modern physics and advanced physics. The questions span difficulty levels from high school physics to undergraduate coursework and Physics Olympiad problems. PHYBench consists **entirely of original problems** to eliminate data contamination and is designed to assess models' physical perception and robust reasoning capabilities. Based on this high-quality dataset, we propose the EED Score, an interpretable, fine-grained metric that measures the similarity between model-generated and reference expressions using tree edit distance. EED provides more nuanced and reliable scoring, improving sample efficiency by 204% on PHYBench.

We evaluate a wide range of LLMs on the PHYBench benchmark and additionally establish a human baseline by recruiting undergraduate students from Peking University, School of Physics to solve the same problems. The results indicate a clear performance gap: even the best-performing LLM, Gemini 2.5 Pro [25], achieved 36.9% accuracy, compared to the human baseline of 61.9% (detailed in Section 4). Compared to widely used benchmarks, PHYBench requires significantly more output tokens and yields lower model scores, highlighting its greater complexity and difficulty. PHYBench also provides stronger differentiation of reasoning abilities among models. In addition, our test-time scaling (TTS) [15, 28, 29] experiments show that PHYBench exhibits strong order-preservation under both pass@k and majority voting settings. Further analysis reveals that many model errors originate from introducing incorrect conditions or equations during intermediate steps; models also exhibit a limited capacity to detect or correct these mistakes. Our key contributions are summarized as follows:

A Challenging Physical Reasoning Benchmark. We propose PHYBench, the first human-curated, high-quality benchmark designed to rigorously evaluate models' complex reasoning capabilities

using physics problems. PHYBench is constructed through a stringent curation pipeline to ensure that all problems are novel, correct, and reliably evaluable.

A Fine-Grained Evaluation Metric. We introduce EED Score, an interpretable, rule-based evaluation metric that measures similarity between model-generated and reference expressions by computing the edit distance over their tree structures. EED Score provides a continuous measure and robust assessment of solution correctness, and improves sample efficiency by 204% on PHYBench.

An In-depth Analysis of LLM Reasoning. Our analysis reveals a significant gap between LLMs and human experts in complex reasoning tasks. In particular, model errors arise from introducing incorrect conditions or equations in intermediate steps, and models lack the ability to detect or correct these mistakes, unlike the consistent self-checking behavior seen in human reasoning.

2 Related Work

Reasoning Benchmarks. As state-of-the-art models increasingly approach saturation on traditional benchmarks such as GSM-8K [4], Math-500 [13], and MMLU [4], marginal gains and potential overfitting have become notable concerns [6, 18]. Recent efforts aim to address this by introducing benchmarks that focus on frontier scientific knowledge, such as HLE [8], or on increased problem complexity, as in OlympiadBench [10] and AIME 2024 [11]. However, benchmarks in the former category emphasize knowledge coverage rather than reasoning, and thus fall outside the scope of reasoning-oriented evaluation. Benchmarks in the latter group often rely on publicly available problems, which lack originality and risk contamination due to prior exposure during model pretraining. To ensure reliable assessment, benchmarks based on original problems must undergo rigorous expert calibration to reduce ambiguity and ensure fairness. PHYBench addresses this gap by providing a fully original, human-curated dataset of 500 problems, specifically designed to evaluate complex reasoning in realistic physical contexts while avoiding data leakage and enabling precise evaluation.

Evaluation Metrics for Complex Reasoning Tasks. Traditional benchmarks often rely on multiple-choice or simple numerical answers, as in SuperGPQA [7] and MMLU [4]. These formats are easy to score but fail to reflect genuine reasoning, as answers may be chosen through elimination or pattern matching. Recent approaches have explored human evaluation or model-assisted scoring to assess reasoning processes in more detail. While human judgments offer the highest fidelity, they are costly and hard to scale. Model-assisted evaluation provides partial insight into intermediate reasoning steps but suffers from bias and instability, limiting its reliability. Some benchmarks, such as OlympiadBench [10] and AIME 2024, use expression or number-based binary scoring, which enforces answer format consistency but overlooks partial correctness. To address these limitations, we introduce **EED Score**, a symbolic expression-based metric built on `SymPy` [14] expression trees and extended tree edit distance. EED Score supports fine-grained comparison between model-generated and reference answers, enabling robust evaluation of reasoning quality beyond binary correctness.

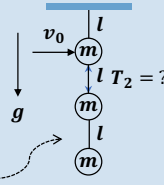## 3 The PHYBench Benchmark

3.1 Overview

Table 1: Comparison between PHYBench and other reasoning benchmarks. The Average Output Tokens and Average Accuracy are computed using DeepSeek-R1 [6].

Dataset	Data Scale	Avg. Output Tokens	Avg. Accuracy	Scoring Type
MATH-500 [13]	500	1857	97.3	Binary
GPQA [24]	448	6308	71.5	Binary
OlympiadBench [10]	8K	5372	58.7	Binary
AIME 2024 [11]	30	7741	79.8	Binary
PHYBench (Ours)	500	**10636**	25.0	**Detailed**

PHYBench is an original and challenging benchmark for measuring the reasoning capabilities of LLMs by leveraging physics problems. As shown in Table 1, PHYBench contains 500 originally curated questions across diverse domains including mechanics, electromagnetism, thermodynamics, optics, modern physics, and advanced physics.

Figure 2: An example problem from PHYBench. Two evaluation metrics are employed: Expression Edit Distance (EED) Score and accuracy. We show the scores for three different responses, with *Model Answer 1* and *Model Answer 2* generated by DeepSeek-R1 and GPT-4o respectively.

An example question is shown in Figure 2. Each question is built around a specific physical scenario, and the model is required to derive a symbolic expression for a key physical quantity based on given conditions. All questions have definitive answers (allowing all equivalent forms, see Section 3.3) and can be solved through physics principles without external knowledge. The challenge lies in the model's ability to construct spatial and interaction relationships from textual descriptions, selectively apply multiple physics laws and theorems, and robustly calculate the evolution and interactions of dynamic systems. Furthermore, most problems involve long-chain reasoning. Models must discard irrelevant physical effects and eliminate non-physical algebraic solutions across multiple steps to prevent an explosion in computational complexity.

Unlike previous reasoning benchmarks that emphasize exhaustive search spaces, PHYBench focuses on realistic physical scenarios that evaluate models' step-by-step physical perception and reasoning abilities. The questions are readily accessible to human experts (with less than 10% of human experts scoring below 30% accuracy), enabling clearer differentiation between models' reasoning capabilities.

3.2 Benchmark Curation

All questions in PHYBench are adapted from physics exercises originally designed for human learners, with difficulty levels ranging from high school exercises to Physics Olympiad competitions. To ensure data quality, diversity and validity, we engaged 178 students from Peking University, School of Physics to contribute, adapt, and refine the questions. The overall curation process is illustrated in Figure 3, which consists of two main stages: problem formulation and quality control.

Problem Formulation. This stage involves sourcing, adapting, and constructing physics problems suited for evaluation. Our data source includes both non-public and publicly available problems, none of which are easily discoverable through direct internet search or standard references. All problems are text-only without multimodal inputs. During adaptation, each problem is designed as a realistic physical scenario, with a clearly defined target quantity that the solvers must express symbolically using given conditions. For instance, in the mechanics problem shown in Figure 2, the solver is required to analyze the ball's acceleration and derive the expression for the top string's tension: $T = 2mg + 4mv_0^2/l$. To ensure that the correctness of an answer can be determined solely by checking the equivalence of symbolic expressions, the following requirements are enforced during problem construction:
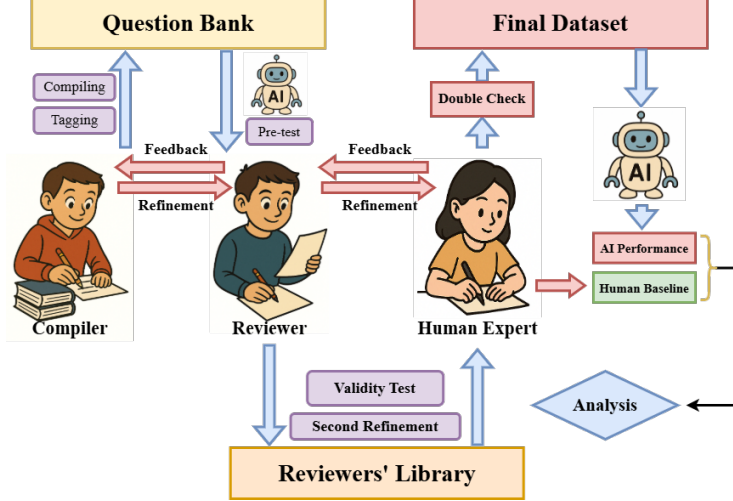
Figure 3: Pipeline of PHYBench data curation.

- **Symbolic-form answer**: Each answer must take the form of a single symbolic expression (e.g., $2mg + 4mv_0^2/l$). We allow all equivalent forms (e.g., factored or rearranged) but reject equations (e.g., $T/m - 2g = v_0^2/l$) or floating-point approximations.

- **Precise statements**: Problem statements must be phrased rigorously to ensure a single unambiguous interpretation and a unique correct solution. All variables must be clearly defined, and the problem should be solvable without requiring any external knowledge or unstated assumptions.

Quality Control. Following initial formulation, each question undergoes multiple rounds of review, filtering, and refinement to ensure both data quality and validity. First, all drafted questions are uploaded to an internal *Question Bank* platform. Each question is then assigned to expert reviewers to verify its adherence to construction requirements. If a question fails to meet the standards, reviewers either revise the content directly or return it to the contributor for further editing. To assist this process, we display outputs from several LLMs (including o1 [18] and DeepSeek-R1 [6]) to help reviewers detect ambiguous or misleading statements. All model responses are generated through closed-source APIs under standard zero-shot settings, without access to ground truths or internal annotations. These models are used only for evaluation purposes and are not involved in the construction of the questions. Reviewers iteratively refine the problem statements until the model outputs consistently reflect the intended meaning. Upon approval, the questions are archived in the *Reviewer's Library*.

Finally, we conducted a large-scale human evaluation involving 81 students from Peking University. Among them, 50 participants had achieved gold medal–level performance in the Chinese Physics Olympiad. Each participant independently attempted a subset of the questions and provided feedback on clarity, solution uniqueness, and potential ambiguity. Based on this evaluation, we retained 500 questions from 757 total in *Reviewer's Library*, with a reservation rate of 66.1%. These finalized questions constitute the final PHYBench benchmark. The invited human experts also serve as the human baseline for comparison with model performance, as detailed in Section 4.2.

3.3 Evaluation Metric

In this section, we introduce the pipeline and details of the **EED Score**, our automated, model-free metric designed to evaluate the correctness of AI-generated solutions. In Figure 2, we demonstrate how the EED Score assigns partial credit and distinguishes between subtly different outputs. Additional examples and detailed evaluation flow are provided in Appendix B.

The EED Score evaluates the similarity between regularized expression trees derived from model-generated (*gen*) and ground truth (*gt*) expressions. To compute the EED Score, we first convert both *gt* and *gen* expressions from LaTeX into canonical forms using SymPy [14], and then construct their corresponding regularized expression trees. We define the **relative edit distance** r as the number of minimum number of node-level operations (insertions, deletions, or substitutions) required to

transform the *gt* tree into the *gen* tree, normalized by the number of nodes in the *gt* tree. The final EED Score is computed using the extended Zhang-Shasha algorithm [2], defined as follows:

$$r = \frac{\text{Distance}(T_{\text{gt}}, T_{\text{gen}})}{\text{Size}(T_{\text{gt}})}, \quad \text{score} = \begin{cases} 100, & \text{if } r = 0 \quad (\text{exact match}), \\ 60 - 100r, & 0 < r < 0.6, \\ 0, & r > 0.6. \end{cases} \quad (1)$$

Function 1 assigns 0 to fully incorrect outputs, while awarding up to 60 points for answers with minor structural or coefficient errors, thereby acknowledging partial correctness. To better capture structural similarity, we extend standard tree-edit operations with **subtree insertions and deletions**, assigning a cost equivalent to 60% of the standard operation cost for subtrees with more than five nodes. This allows the algorithm to more efficiently align structurally similar though not identical expressions.

Furthermore, in Appendix B, we present two key insights on the EED Score. First, we demonstrate that EED Score significantly improves sample efficiency: our 500-problem benchmark, when scored with EED, achieves discriminative power comparable to that of 1500 problems evaluated with traditional accuracy-based scoring. Second, we conduct a robustness analysis by varying the baseline score (default: 60) and the penalty coefficient (default: 100) in the scoring function. This analysis shows that EED Score remains stable and reliable across a range of parameter settings.

4   Experiments

In this section, we evaluate a set of LLMs on the PHYBench benchmark, covering both state-of-the-art models and widely used baselines. A human baseline is also included for comparison. Our evaluation aims to determine: (1) Whether current reasoning models can match or exceed human expert performance; (2) Whether PHYBench can reliably distinguish between models' reasoning capabilities; (3) Whether our dataset is robust under TTS conditions.

4.1   Experiment Setup

Baseline Models.   We evaluate a diverse set of models, including state-of-the-art models as well as other widely adopted or representative models. For API-based evaluations, we include GPT-4o [16], GPT-4.1 [19], o1 [17], o3-mini [21], o3 [20], o4-mini [20], Claude 3.7 Sonnet [3], Claude 3.7 Sonnet Thinking [3], Gemini 2.0 Flash Thinking [25], Gemini 2.5 pro [25], DeepSeek-V3 [5], DeepSeek-R1 [6], Qwen2.5-max [26], Grok 3 Beta [9]. The remaining models (DeepSeek-R1-Distill-Qwen-32B [6] and QwQ-32B [27]) are evaluated locally.

Evaluation Details.   We employ both **accuracy** and **EED Score**, as detailed in Section 3.3. API evaluations use the default hyperparameters of each service. For locally evaluated models, we set `temperature` to 0.6, `top_p` to 0.95, and `max_tokens` to 32,768. The detailed prompts are shown in Appendix D. We use four NVIDIA A100 Tensor Core GPUs with 80GB memory for inference.

4.2   Human Baseline

We recruited 81 students from Peking University, School of Physics. Among them, 50 participants were gold medalists in the Chinese Physics Olympiad. Every student is assigned eight problems from the PHYBench dataset. In total, we obtained 559 valid answer sheets corresponding to problems within the scope of the publicly released PHYBench dataset. Human performance averaged an accuracy of $61.9 \pm 2.1\%$ and an EED Score of 70.4 ± 1.8, where the uncertainties were estimated from 10,000 bootstrap resamples. At the 99% confidence level, experts significantly outperformed all evaluated LLMs on both metrics. Moreover, the upper quartile of the human score distributions reached 71.4% for accuracy and 80.4 for the EED Score.

4.3   Main Results

We assessed several models on the PHYBench dataset, using both **accuracy** and the **EED Score** as evaluation metrics. Their performances are summarized in Figure 1.

(a) Model Token Usage Across Benchmarks

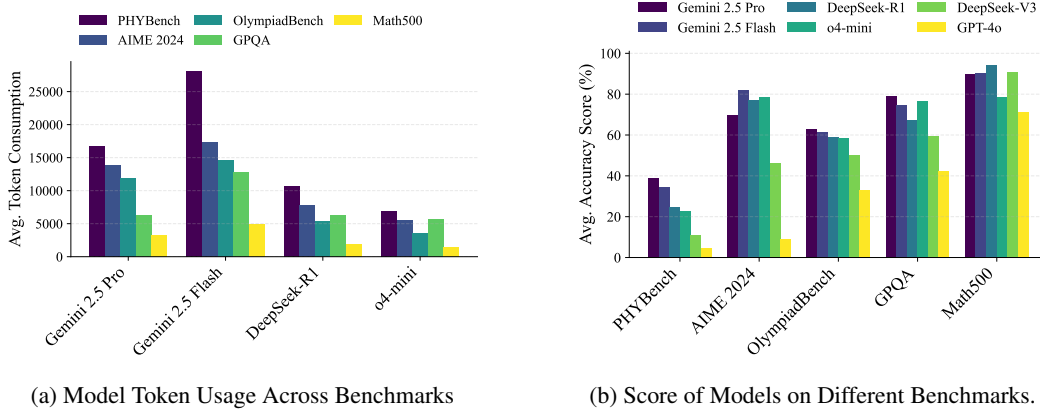(b) Score of Models on Different Benchmarks.

Figure 4: Token Usage and Score of Typical Models on Different Benchmarks

The highest-performing model, Gemini 2.5 Pro, attains an accuracy of 36.9% and an EED Score of 49.5, which remains significantly below the human baseline. Notably, reasoning models generally outperform base models. Recent general-purpose models, such as DeepSeek-V3 [5], Claude 3.7 Sonnet [3] and GPT-4.1 [19], achieve relatively strong results with accuracies of 13.6%, 13.2% and 12.9% respectively. In contrast, 32B models including DeepSeek-Distill-32B and QwQ-32B demonstrate substantially weaker performance, with accuracies of 2.6% and 1.2% and EED Scores of 4.5 and 3.2 respectively—despite their strong performances on other benchmarks [6, 27]. Their limited performance on PHYBench may be attributed to either the long-horizon nature of PHYBench tasks or the physical perception challenge beyond conventional QA settings.

While accuracy and the EED Score yield nearly identical model rankings, our analysis reveals the EED Score as a superior evaluation metric due to its broader score distribution and lower statistical uncertainty. Our bootstrap analysis (see Appendix C) reveals that EED Score improves sample efficiency by an average of 204% with a standard deviation of 80%. In other words, evaluating on 500 problems with EED Score provides discriminatory power equivalent to approximately 1500 problems with binary accuracy scoring. This improvement allows for a more consistent and reliable evaluation.

4.4 Comparison with Other Benchmarks

To quantify the difficulty and characteristics of PHYBench, we compare it with several widely-used reasoning benchmarks, including MATH-500 [13], AIME 2024 [11], OlympiadBench [10], and GPQA [24]. The details of the experimental setup are provided in Appendix E.

As shown in Figure 4, PHYBench requires significantly more output tokens on average compared to other benchmarks, indicating longer and more complex reasoning chains. At the same time, model scores on PHYBench are consistently lower than on other benchmarks, especially for non-reasoning models. These results reflect the higher complexity and difficulty of PHYBench.

In addition, PHYBench shows clearer performance separation between reasoning and non-reasoning models. The gap between reasoning models like DeepSeek-R1 and general models like DeepSeek-V3 is much larger on PHYBench than on other datasets. This makes PHYBench more effective at distinguishing reasoning capacity. As discussed in Appendix A, our dataset avoids many of the noise issues commonly found in other benchmarks, leading to more reliable score comparisons.

4.5 Test Time Scaling on PHYBench

We further examined TTS behavior of models on PHYBench, with detailed methodology provided in Appendix E. As shown in Figure 5a, the pass@k accuracy improves smoothly as k increases, while maintaining **order-preservation**: models with better single-sample performance continue to outperform others under scaling. Figure 5b further confirms that the separation between model capabilities remains pronounced through majority voting scaling. The extrapolated upper bounds for
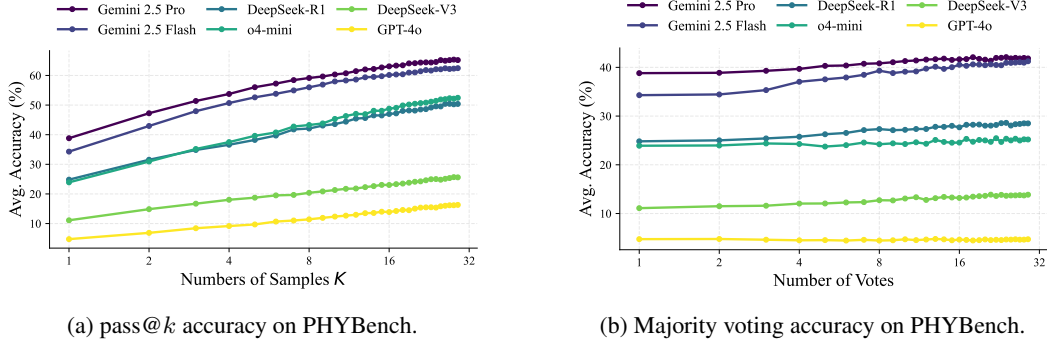
7

(a) pass@k accuracy on PHYBench. (b) Majority voting accuracy on PHYBench.

Figure 5: TTS on PHYBench: comparison between pass@k and majority voting strategies, both evaluated under varying numbers of sampled responses k (log-scale on the x-axis).

each model are provided in Table 7. It is shown that Gemini 2.5 Flash closes the gap with Gemini 2.5 Pro, while DeepSeek-R1 continues to outperform o4-mini more clearly.

5 Error Analysis

PHYBench problems are multi-condition and multi-step in nature, requiring models to construct long and complex reasoning chains. Leveraging this characteristic, we conduct two complementary analyses that clarify **where** and **why** modern language models fail: **(1) Stage-wise error localization** decomposes the reasoning process into distinct steps and dimensions, allowing us to pinpoint which stage contributes most to model failure. **(2) Proof of superficial reasoning** defines and empirically confirms that models often rely on pattern matching rather than genuine understanding.

5.1 Stage-wise Failure Localization

Step 1: Physical Perception (PP) versus Robust Reasoning (RR). We locate the first mistake of each reasoning trace by seven models across 50 representative problems. If the error stems from a failure to abstract the physical scenario—such as misidentifying key variables, overlooking relevant quantities, or misunderstanding their relationships—we categorize it as a PP error. Other errors are classified as RR, which include selecting inappropriate formulas, or failing to combine given conditions to complete the derivation. Figure 12 illustrates typical examples of both error types. As shown in Table 2, typically more than 90% of the observed errors occurred during RR, indicating that most failures arise after the physical scenario has already been correctly understood.

Step 2: Semantic versus Symbolic Reasoning. To further analyze RR errors, we divide them into two categories. **Semantic reasoning** involves generating new equations not directly entailed by previous ones, typically by interpreting the problem statement or applying physical laws. In contrast, **symbolic reasoning** refers to manipulating existing equations to derive logical consequences, such as simplification or substitution. As shown in Table 2, over 90% of RR errors fall into the semantic category, suggesting that models struggle primarily with non-formulaic aspects during reasoning.

These two axes of analysis localize the majority of model errors to the domain of **semantic reasoning**. This suggests that models are generally reliable in interpreting given physical conditions and performing symbolic manipulations between established equations, but often struggle when deriving new, non-entailed equations from the physical context and problem description. For example, models may incorrectly assume angular momentum conservation even when external torques from magnetic fields are present. This indicate that current models fail to grasp the underlying physical principles.

5.2 Superficial Reasoning and Robustness of Reasoning

We define **superficial reasoning** as reasoning processes driven by pattern matching in the context. It manifests as the model retrieving a known mapping to the answer without grasping the physical context. While superficial reasoning allows models to perform complex and precise symbolic derivations, it lacks robustness when faced with unfamiliar or perturbed inputs.

Table 2: Error distribution statistics for all models. **PP** and **RR** represent the proportion of two error types at the first mistake; **Sem** and **Sym** denote, among RR errors, the proportion of **semantic** and **symbolic** reasoning errors, respectively. All values are percentages.

Metric (%)	Gemini 2.5 Pro	DeepSeek-R1	DeepSeek-V3	o4 mini	o3 mini	o1-preview	GPT-4o
Accuracy	40	27	14	27	19	18	5
PP	9	4	5	6	10	12	21
RR	91	96	95	94	90	88	79
Sem	94	91	87	99	99	95	90
Sym	6	9	13	1	1	5	10

To expose superficial reasoning, we conduct a perturbation experiment. We provide each model with a partial solution trace and inject a deliberate error into each (see Appendix G for details). Each model is required to continue the derivation. We assess reasoning robustness by examining whether the model can detect and correct the injected error; blindly continuing the flawed reasoning serves as a clear signal of superficial reasoning.

By analyzing how models continue from a perturbed reasoning trace, we identify three distinct reasoning modes: **superficial reasoning**, **genuine reasoning**, and **pseudo-genuine reasoning**, all of which are illustrated in detail in Appendix G.3.

Superficial reasoning blindly continues the flawed trace without verification, failing to detect or correct the injected error. This mode is highly vulnerable to all perturbations.

Genuine reasoning identifies the flaw and repairs it through semantic understanding—e.g. correcting $R - h$ to $R + h$ after recognising the geometric definition of altitude. This mode exhibits strong robustness across all types of perturbations.

Pseudo-genuine reasoning detects and corrects some errors through automatic consistency checks, such as dimensional analysis or limiting-case evaluation. While this approach offers partial robustness, it does not consistently handle all types of perturbations.

Table 3: Accuracy (%) of models under different settings. Original: solving without trace; Correct: given a correct partial trace. T1–T6: different perturbation types (see Appendix G.2).

Model	Original	Correct	T1: dim	T2: $\pm$	T3: 1+2	T4: miss h	T5: 2+4	T6: formula
Gemini 2.5 Pro	97	100	93	95	100	78	95	100
DeepSeek-R1	97	98	64	39	99	37	78	94
DeepSeek-V3	66	93	0	97	73	0	0	12
o3 mini	98	98	88	85	97	73	90	95
o4 mini	83	89	55	70	72	34	54	90
o1-preview	94	81	9	15	70	10	14	83
GPT-4o	4	0	0	0	0	0	0	1

Table 3 summarises performance drops under six perturbation types. Non-reasoning models are highly vulnerable across all perturbations. Early reasoning models like o1-preview also shows less robustness. In contrast, recent reasoning models such as DeepSeek-R1 and Gemini 2.5 Pro exhibit significantly greater robustness—but largely through **compensatory strategies** rather than genuine semantic understanding. DeepSeek-R1 relies on symbolic checks such as dimensional analysis and limiting-case evaluation to detect flaws. While effective against symbolic perturbations, it becomes vulnerable when such cues are absent, as in T2 and T4. Gemini 2.5 Pro avoids semantic reasoning by shifting to formal derivations, thus reducing reliance on physical interpretation and maintaining perturbation robustness within 8 percentage points. Such pseudo-genuine fixes increase resilience without addressing the core semantic bottleneck.

Implications for future work. The gap between superficial robustness and true semantic competence remains wide. With long-horizon problems and targeted perturbation protocol, PHYBench offers a principled testbed for guiding models toward genuine physical understanding.

6 Conclusion and Limitations

This paper introduces PHYBench, an original and challenging benchmark with 500 carefully curated physics problems for evaluating the reasoning capabilities of LLMs. We also propose the EED Score, a fine-grained metric for evaluating symbolic expressions. Evaluations demonstrate that

PHYBench is challenging, robust under TTS and effectively differentiates models. The results show that even state-of-the-art models fall far behind human experts on PHYBench. Moreover, current LLMs struggle with multi-step and multi-condition inference, introducing incorrect equations and lacking the ability to identify or correct such errors.

Regarding limitations, our problems' primary focus on Olympiad-level difficulty and uneven distribution across diverse physics topics limit generalization to research-level reasoning. Additionally, the EED Score focuses on final answer quality and does not capture the full reasoning process. Future work will expand the dataset in both scale and coverage, with greater emphasis on evaluating intermediate steps to enable more consistent and detailed assessment.

7 Contributions and Acknowledgements

Our team members contribute to the development of PHYBench from the following perspectives:

- Research Pipeline Construction
- Data Annotation
- Data Quality Inspection
- Model Evaluation
- Result Analysis
- Paper Writing

Core Contributors

- **Shi Qiu**
- **Shaoyang Guo**
- **Zhuo-Yang Song**
- **Yunbo Sun**
- **Zeyu Cai**
- **Jiashen Wei**
- **Tianyu Luo**

- **Yixuan Yin**
- **Haoxu Zhang**
- **Yi Hu**
- **Chenyang Wang**
- **Chencheng Tang**
- **Haoling Chang**
- **Qi Liu**

- **Ziheng Zhou**
- **Tianyu Zhang**
- **Jingtian Zhang**
- **Zhangyi Liu**
- **Minghao Li**
- **Yuku Zhang**
- **Boxuan Jing**

Contributors

- **Xianqi Yin**
- **Yutong Ren**
- **Zizhuo Fu**
- **Jiaming Ji**
- **Weike Wang**
- **Xudong Tian**
- **Laifu Man**
- **Jianxiang Li**
- **Feiyu Tao**
- **Xiaotian Li**
- **Xianqi Xia**
- **Jiawei Lin**
- **Zheyu Shen**

- **Jiahang Chen**
- **Qiuhao Xiong**
- **Binran Wang**
- **Fengyuan Wang**
- **Ziyang Ni**
- **Bohan Zhang**
- **Fan Cui**
- **Changkun Shao**
- **Bozu Zhang**
- **Lixiang Tang**
- **Zekai Zhao**
- **Heyun Zou**
- **Zan Lou**

- **Yizhe Tian**
- **Chenxu Yu**
- **Wenshuai Liu**
- **Yantong Wang**
- **Dihang Sun**
- **Hanyu Cao**
- **Yuchen Lu**
- **Haoyu Mo**
- **Shuran Yang**
- **Qianyi Wang**
- **Zhiyuan Zhou**
- **Yuxin He**
- **Anqi Lv**

- **Yifan Shi**
- **Zijian Wang**
- **Jinyu Zhou**
- **Zhiji Feng**
- **Xinlin Zhu**
- **Yixin Liu**
- **Zihan Tang**
- **Boqian Yao**
- **Jiawei Chen**
- **Tianxing Huang**
- **Boxun Yu**
- **Zihao Xu**
- **Rundong Liu**
- **Xuqi Jiang**
- **Haoxiang Li**
- **Wei Yan**
- **Aoqin Liang**
- **Zirui Peng**
- **Tianxiao Li**
- **Jiarui Tang**
- **Yuyang Weng**
- **Chen Huang**
- **Yiwei Deng**
- **Qihang Li**
- **Yuntian Xie**
- **Chengkai Sheng**
- **Xianhong Zeng**
- **Yizhe Zheng**
- **Bowen Yu**
- **Chengzhou Wu**
- **Mengyao Zhang**
- **Houcheng Li**
- **Peilin Li**
- **Yuyang Zhao**
- **Bingru He**
- **Zongyue Hou**
- **Jiajun Yan**
- **Lingrui Zhang**
- **Jianyuan Luo**

References

[1] Mislav Balunović, Jasper Dekoninck, Ivo Petrov, Nikola Jovanović, and Martin Vechev. Matharena: Evaluating llms on uncontaminated math competitions, February 2025. URL https://matharena.ai/.

[2] David T. Barnard, Gwen Clarke, and Nicholas Duncan. Tree-to-tree correction for document trees: Technical report 95-372. Technical report, Dept. of Computing and Information Science, Queen's University, Kingston, ON, Canada, 1995.

[3] claude. Claude 3.7 sonnet and claude code. https://www.anthropic.com/news/claude-3-7-sonnet, 2025.

[4] Karl Cobbe, Vineet Kosaraju, Mohammad Bavarian, Mark Chen, Heewoo Jun, Lukasz Kaiser, Matthias Plappert, Jerry Tworek, Jacob Hilton, Reiichiro Nakano, Christopher Hesse, and John Schulman. Training verifiers to solve math word problems, 2021. URL https://arxiv.org/abs/2110.14168.

[5] DeepSeek-AI. Deepseek-v3 technical report, 2024. URL https://arxiv.org/abs/2412.19437.

[6] DeepSeek-AI. Deepseek-r1: Incentivizing reasoning capability in llms via reinforcement learning, 2025. URL https://arxiv.org/abs/2501.12948.

[7] P Team et al. Supergpqa: Scaling llm evaluation across 285 graduate disciplines, 2025. URL https://arxiv.org/abs/2502.14739.

[8] Phan et al. Humanity's Last Exam. working paper or preprint, January 2025. URL https://hal.science/hal-04915593.

[9] grok. Grok 3 beta — the age of reasoning agents. https://x.ai/news/grok-3, 2025.

[10] Chaoqun He, Renjie Luo, Yuzhuo Bai, Shengding Hu, Zhen Thai, Junhao Shen, Jinyi Hu, Xu Han, Yujie Huang, Yuxiang Zhang, Jie Liu, Lei Qi, Zhiyuan Liu, and Maosong Sun. OlympiadBench: A challenging benchmark for promoting AGI with olympiad-level bilingual multimodal scientific problems. In Lun-Wei Ku, Andre Martins, and Vivek Srikumar, editors, Proceedings of the 62nd Annual Meeting of the Association for Computational Linguistics (Volume 1: Long Papers), pages 3828–3850, Bangkok, Thailand, August 2024. Association for Computational Linguistics. doi: 10.18653/v1/2024.acl-long.211. URL https://aclanthology.org/2024.acl-long.211/.

[11] Hugging Face H4. Aime 2024 dataset. https://huggingface.co/datasets/HuggingFaceH4/aime_2024, 2024. Accessed: 2025-05-16.

[12] hynky1999. Latex2sympy_extended package. https://pypi.org/project/latex2sympy2-extended/, 2018. Accessed: 2025-05-16.

[13] Hunter Lightman, Vineet Kosaraju, Yuri Burda, Harrison Edwards, Bowen Baker, Teddy Lee, Jan Leike, John Schulman, Ilya Sutskever, and Karl Cobbe. Let's verify step by step. In The Twelfth International Conference on Learning Representations, 2024. URL https://openreview.net/forum?id=v8L0pN6EOi.

[14] Aaron Meurer, Christopher P. Smith, Mateusz Paprocki, Ondřej Čertík, Sergey B. Kirpichev, Matthew Rocklin, AMiT Kumar, Sergiu Ivanov, Jason K. Moore, Sartaj Singh, Thilina Rathnayake, Sean Vig, Brian E. Granger, Richard P. Muller, Francesco Bonazzi, Harsh Gupta, Shivam Vats, Fredrik Johansson, Fabian Pedregosa, Matthew J. Curry, Andy R. Terrel, Štěpán Roučka, Ashutosh Saboo, Isuru Fernando, Sumith Kulal, Robert Cimrman, and Anthony Scopatz. Sympy: symbolic computing in python. PeerJ Computer Science, 3:e103, January 2017. ISSN 2376-5992. doi: 10.7717/peerj-cs.103. URL https://doi.org/10.7717/peerj-cs.103.

[15] Niklas Muennighoff, Zitong Yang, Weijia Shi, Xiang Lisa Li, Li Fei-Fei, Hannaneh Hajishirzi, Luke Zettlemoyer, Percy Liang, Emmanuel Candès, and Tatsunori Hashimoto. s1: Simple test-time scaling. arXiv preprint arXiv:2501.19393, 2025.

[16] OpenAI. Gpt-4o system card, 2024. URL https://arxiv.org/abs/2410.21276.

[17] OpenAI. Openai o1 system card, 2024. URL https://arxiv.org/abs/2412.16720.

[18] OpenAI. Learning to reason with llms, 2024. URL https://openai.com/index/learning-to-reason-with-llms/.

[19] OpenAI. Introducing gpt-4.1. https://openai.com/index/gpt-4-1/, 2025.

[20] OpenAI. Introducing openai o3 and o4-mini. https://openai.com/index/introducing-o3-and-o4-mini/, 2025.

[21] OpenAI. Openai o3-mini: Pushing the frontier of cost-effective reasoning. https://openai.com/index/openai-o3-mini/, 2025.

[22] Ivo Petrov, Jasper Dekoninck, Lyuben Baltadzhiev, Maria Drencheva, Kristian Minchev, Mislav Balunović, Nikola Jovanović, and Martin Vechev. Proof or bluff? evaluating llms on 2025 usa math olympiad, 2025. URL https://arxiv.org/abs/2503.21934.

[23] Machel et al Reid. Gemini 1.5: Unlocking multimodal understanding across millions of tokens of context. 2024.

[24] David Rein, Betty Li Hou, Asa Cooper Stickland, Jackson Petty, Richard Yuanzhe Pang, Julien Dirani, Julian Michael, and Samuel R. Bowman. GPQA: A graduate-level google-proof q&a benchmark. In First Conference on Language Modeling, 2024. URL https://openreview.net/forum?id=Ti67584b98.

[25] Gemini Team. Gemini: A family of highly capable multimodal models, 2024. URL https://arxiv.org/abs/2312.11805.

[26] Qwen Team. Qwen2.5 technical report, 2025. URL https://arxiv.org/abs/2412.15115.

[27] Qwen Team. Qwq-32b: Embracing the power of reinforcement learning, 2025. URL https://qwenlm.github.io/blog/qwq-32b/.

[28] Xuezhi Wang, Jason Wei, Dale Schuurmans, Quoc Le, Ed Chi, Sharan Narang, Aakanksha Chowdhery, and Denny Zhou. Self-consistency improves chain of thought reasoning in language models, 2023. URL https://arxiv.org/abs/2203.11171.

[29] Shunyu Yao, Dian Yu, Jeffrey Zhao, Izhak Shafran, Tom Griffiths, Yuan Cao, and Karthik Narasimhan. Tree of thoughts: Deliberate problem solving with large language models. Advances in neural information processing systems, 36:11809–11822, 2023.

List of appendices

Appendices

A   Detailed Analysis of Limitations in Existing Reasoning Benchmarks

In this section, we provide an extended discussion of the three key limitations identified in Section 1 that hinder the effectiveness of current reasoning benchmarks. We present detailed examples along with statistical evidence illustrating each limitation. These cases highlight the need for PHYBench, which is designed to address these issues through original and challenging physics problems with careful calibration. The examples are annotated to highlight observed errors and deficiencies.

A.1   Oversimplified Reasoning Tasks

State-of-the-art reasoning models exhibit performance saturation on traditional benchmarks. When scores are already high, the differences between models become small and less meaningful. During our experiments, we observed that certain benchmarks, such as MATH-500 [13], are sensitive to minor formatting issues—for example, whether models include units in their answers. These are not failures in reasoning, but issues with instruction adherence. After simple answer-format corrections, models like Gemini 2.5 Pro [25], o4 mini-high [20] and DeepSeek-R1 [6] produce entirely correct answers, suggesting that such benchmarks may no longer effectively differentiate reasoning capabilities.

To further investigate this issue, we examined existing datasets, using GPQA [24] as a representative example. We selected two physics questions directly from the original paper, detailed as follow. Our analysis shows that, despite their uncommon topic coverage, these questions mainly test factual knowledge rather than requiring long or complex reasoning chains. This helps explain the generally low reasoning-token counts observed among many reasoning benchmarks, as shown in Table 1.

GPQA Selected Problem–Astrophysics

Astronomers are studying a star with a T_{eff} of approximately 6000 K. They are interested in spectroscopically determining the surface gravity of the star using spectral lines (EW< 100 mÅ) of two chemical elements, El1 and El2. Given the atmospheric temperature of the star, El1 is mostly in the neutral phase, while El2 is mostly ionized. Which lines are the most sensitive to surface gravity for the astronomers to consider?

(A) El2 I (neutral)
(B) El1 II (singly ionized)
(C) El2 II (singly ionized)
(D) El1 I (neutral)

Solution.   The sensitivity to $\log g$ comes from the pressure dependence of the ionization balance (via the Saha equation)

$$\frac{n_{\text{II}}}{n_{\text{I}}} \propto \frac{T^{3/2}}{P_e} \exp\left(-\tfrac{\chi}{kT}\right),$$

so the minority species population (where $n_{\text{II}} \ll n_{\text{I}}$ or vice versa) changes most with electron pressure P_e. Since El1 is mostly neutral, its El1 II lines are the minority species and thus most gravity-sensitive.

$\boxed{\text{(B) El1 II}}$

GPQA Selected Problem–Quantum Mechanics

Suppose we have a depolarizing channel operation given by $E(\rho)$. The probability p of depolarization represents the strength of the noise. If the Kraus operators of the channel are

$$A_0 = \sqrt{1 - \frac{3p}{4}}, \quad A_1 = \sqrt{\frac{p}{4}}\, X, \quad A_2 = \sqrt{\frac{p}{4}}\, Y, \quad A_3 = \sqrt{\frac{p}{4}}\, Z,$$

> what could be the correct Kraus representation of the map $E(\rho)$?
>
> $$(A)\ E(\rho) = (1-p)\,\rho\ +\ \frac{p}{3}\,X\rho X\ +\ \frac{p}{3}\,Y\rho Y\ +\ \frac{p}{3}\,Z\rho Z,$$
> $$(B)\ E(\rho) = (1-p)\,\rho\ +\ \frac{p}{3}\,X\rho^2 X\ +\ \frac{p}{3}\,Y\rho^2 Y\ +\ \frac{p}{3}\,Z\rho^2 Z,$$
> $$(C)\ E(\rho) = (1-p)\,\rho\ +\ \frac{p}{4}\,X\rho X\ +\ \frac{p}{4}\,Y\rho Y\ +\ \frac{p}{4}\,Z\rho Z,$$
> $$(D)\ E(\rho) = (1-p)\,\rho^2\ +\ \frac{p}{3}\,X\rho^2 X\ +\ \frac{p}{3}\,Y\rho^2 Y\ +\ \frac{p}{3}\,Z\rho^2 Z.$$
>
> **Solution.** By definition
>
> $$E(\rho) = \sum_{i=0}^{3} A_i\,\rho\,A_i^\dagger = (1 - \tfrac{3p}{4})\,\rho + \frac{p}{4}\big(X\rho X + Y\rho Y + Z\rho Z\big).$$
>
> Re-parameterizing the "depolarization probability" so that $p_{\text{eff}} = 3p/4$ yields the standard form
>
> $$E(\rho) = (1 - p_{\text{eff}})\,\rho + \frac{p_{\text{eff}}}{3}\,(X\rho X + Y\rho Y + Z\rho Z),$$
>
> which matches choice (A).
>
> $$\boxed{(A)}$$

A.2 Potential Data Contamination

Many existing benchmarks are built from publicly available sources, including web pages, e-books, and released exam questions. Such content may have already been included **in the pretraining data of large language models**, leading to potential data leakage.

We consider AIME 2024 [11] a high-quality and challenging benchmark. As shown in Table 1, the average output length of models on AIME 2024 is second only to PHYBench, and significantly higher than on other reasoning benchmarks. This suggests that solving these problems requires extended reasoning and detailed step-by-step explanation.

However, in our evaluation, Gemini 2.5 Flash achieved **100% accuracy** on AIME 2024, with an average score **above 99%** across 16 independent runs. This raises concerns that the model may have memorized parts of the dataset, rather than truly mastering generalizable reasoning strategies. Furthermore, in Section 5, our reasoning robustness experiments further show that chat-based models are highly sensitive to small perturbations in the reasoning process, suggesting a lack of robustness and deeper conceptual understanding.

A.3 Lack of Rigorous Verification

Existing reasoning benchmarks often lack sufficient verification and validation procedures. For high-quality problems that are both original and complex, ensuring the correctness, solvability, and clarity of the questions becomes significantly more difficult. This raises the bar for human-level validation. Even for problems adapted from public sources, multiple rounds of review are necessary to eliminate instruction-following ambiguities and format-related inconsistencies.

In our dataset comparison experiment (Section 4.4), we observed concrete verification issues in OlympiadBench. Specifically, we closely examined two physics problems and identified critical flaws. **Problem 1015** includes a physical quantity γ in the answer that was never mentioned in the problem statement. In **Problem 1216**, the ground truth is incorrectly extracted, causing all model outputs, while mostly correct during experiment, to be falsely judged.

To better quantify such issues, we conducted a statistical analysis. As described in Appendix E, we randomly sampled 36 physics problems from OlympiadBench where the reference answers are symbolic expressions. Among these, 14 problems exhibited questionable answer quality—either due to ambiguous phrasing or errors in answer extraction. These findings underscore the challenges of properly calibrating high-difficulty benchmarks and highlight the importance of rigorous data validation, especially when evaluating models on complex reasoning tasks.

Problem 1015–Missing γ variable

Question (2.4). Find the minimum velocity u of an updraught (air flowing upwards) that will keep the bubble from falling at thermal equilibrium. Give your answer in terms of ρ_s, R_0, g, t and the air's coefficient of viscosity η. You may assume that the velocity is small such that Stokes's law applies, and ignore the change in the radius when the temperature lowers to the equilibrium. The drag force from Stokes' Law is

$$F \;=\; 6\pi\,\eta\,R_0\,u.$$

Context. An Electrified Soap Bubble

- A spherical soap bubble with internal air density ρ_i, temperature T_i and radius R_0 is surrounded by air with density ρ_a, atmospheric pressure P_a and temperature T_a. The soap film has surface tension γ, density ρ_s and thickness t. Assume $R_0 \gg t$.
- The increase in energy dE needed to increase the surface area of a soap–air interface by dA is given by

$$dE \;=\; \gamma\,dA.$$

Earlier context questions:

1. Find $\dfrac{\rho_i T_i}{\rho_a T_a}$ in terms of γ, P_a and R_0.

2. Compute the numerical value of $\dfrac{\rho_i T_i}{\rho_a T_a} - 1$ using $\gamma = 0.0250\,\mathrm{N\,m^{-1}}$, $R_0 = 1.00\,\mathrm{cm}$, $P_a = 1.013 \times 10^5\,\mathrm{N\,m^{-2}}$.

3. If the bubble is initially formed with warmer air inside, find the minimum numerical value of T_i so that the bubble can float in still air. Use $T_a = 300\,\mathrm{K}$, $\rho_s = 1000\,\mathrm{kg\,m^{-3}}$, $\rho_a = 1.30\,\mathrm{kg\,m^{-3}}$, $t = 100\,\mathrm{nm}$, and $g = 9.80\,\mathrm{m\,s^{-2}}$.

4. After thermal equilibration, the bubble in still air will naturally fall toward the ground.

Answer:
Ignore the radius change $\rightarrow$ radius remains R_0.
The drag force from Stokes' Law is

$$6\pi\,\eta\,R_0\,u.$$

At equilibrium, the upward drag balances the net weight minus buoyant force,

$$6\pi\,\eta\,R_0\,u \;\geq\; \left(4\pi R_0^2\,\rho_s\,t \;+\; \tfrac{4}{3}\pi R_0^3\,\rho_i\right)g \;-\; \tfrac{4}{3}\pi R_0^3\,\rho_a\,g.$$

Since in thermal equilibrium $T_i = T_a$ and $\rho_i = \rho_a\left(1 + \frac{4\gamma}{R_0 P_a}\right)$, we have

$$6\pi\,\eta\,R_0\,u \;\geq\; \left(4\pi R_0^2\rho_s t \;+\; \tfrac{4}{3}\pi R_0^3\,\rho_a\left[1 + \tfrac{4\gamma}{R_0 P_a}\right]\right)g \;-\; \tfrac{4}{3}\pi R_0^3\,\rho_a\,g.$$

Rearranging gives the minimum updraught speed

$$\boxed{u \;\geq\; \frac{4R_0\,\rho_s\,t\,g}{6\,\eta} \;+\; \frac{\tfrac{4}{3}R_0^2\,\rho_a\,g\left(\tfrac{4\gamma}{R_0 P_a}\right)}{6\,\eta}.}$$

Model Answers (Actually correct)

$$\boxed{u = \frac{2\rho_s R_0 g t}{3\eta}} \qquad \textbf{Equal as} \qquad \boxed{u = \frac{2R_0 t \rho_s g}{3\eta}}$$

Problem 1216–Wrongly extracted answer

Context (excerpt). An accelerated charged particle radiates electromagnetic energy. The radiated power P_{rad} of a charged particle that moves on a circular path with constant angular velocity is assumed to depend <u>only</u> on

a (centripetal acceleration), q (particle charge),

c (speed of light), ε_0 (vacuum permittivity).

Question (A.4). Use dimensional analysis to find an expression for the radiated power P_{rad}.

Solution (outline). Assume a power-law form

$$P_{\text{rad}} \;=\; a^{\alpha}\, q^{\beta}\, c^{\gamma}\, \varepsilon_0^{\delta},$$

and equate the SI base-unit dimensions on both sides to determine the exponents $\alpha, \beta, \gamma, \delta$.

Final answer (Wrongly extracted)

$$\boxed{P_{\text{rad}} \;=\; a^{\alpha}\, q^{\beta}\, c^{\gamma}\, \varepsilon_0^{\delta}}$$

(with specific values of $\alpha, \beta, \gamma, \delta$ fixed by dimensional consistency).

Model Answers (Actually correct)

$$\boxed{P_{\text{rad}} = \frac{K\, q^2\, a^2}{\varepsilon_0\, c^3}} \qquad \textbf{Equal as} \qquad \boxed{P_{\text{rad}} = C\, \frac{q^2\, a^2}{\varepsilon_0\, c^3} \;\approx\; \frac{q^2\, a^2}{6\pi\, \varepsilon_0\, c^3}}$$

B Evaluation Metric

B.1 Tree Editing Distance Algorithm

This section demonstrates details and principles of our EED scoring metric's operational pipeline. The pipeline initiates by extracting the final \boxed{} component from the input string-formatted LATEX expression. Subsequently, a series of preprocessing procedures (e.g., removing formatting commands and complete begin...end environments) are applied, normalizing non-standard LATEX expressions to a parser-compatible form.

Next, we utilize a Python library called latex2sympy_extended [12] to translate the normalized LATEX into a symbolic expression compatible with SymPy [14]. For computational efficiency during simplification, we assume all symbolic variables to be positive. The simplify() function is then applied individually to both the *gt* and *gen* expressions.

A solution is considered fully correct if the simplified *gt* and *gen* expressions are equivalent, which is checked through the **equals** method, determining the equivalence of expressions by combining symbolic simplification and numerical verification. For **accuracy** metric, our evaluation formula is simply defined as follows:

$$\text{score}_{\text{ACC}} = \begin{cases} 100, & \text{if } \texttt{equals}(\texttt{simplify}(\text{gt}), \texttt{simplify}(\text{gen})) = \texttt{True}, \\ 0, & \text{otherwise.} \end{cases} \tag{2}$$

However, unlike conventional benchmarks that employ binary scoring based on final results, our EED scoring proposes a model-free partial credit mechanism to better reflect solution correctness in symbolic mathematics. For detailed illustration, consider an electromagnetic problem where *gt* is:

$$B = \sqrt{\frac{n_2^2}{n_1^2} + \frac{1}{2}} \, \frac{4mQ}{\pi\epsilon_0 a^3 q} \tag{3}$$

Two incorrect generated answers may demonstrate fundamentally different understanding levels:

- **Coefficient error**: $B = \sqrt{\frac{n_2^2}{n_1^2} + \frac{1}{2}} \, \frac{2mQ}{\pi\epsilon_0 a^3 q}$
- **Structural error**: $B = \frac{\pi Q q}{n_1 n_2 a}$

The former preserves the solution's physical essence with minor computational errors, while the latter indicates a fundamental misunderstanding. To quantify this distinction, we implement an **extended tree editing distance metric** for similarity assessment, with a detailed illustration in Figure 6.

17

In `SymPy`'s expression tree representation, fundamental mathematical components (constants, variables, operators, functions) constitute a tree structure. Following the conversion of `SymPy` expressions into trees, we calculate the minimum editing distance between gt and gen trees through a sequence of basic node operations (insertions, deletions, and updates) with specific cost. This edit distance metric effectively quantifies structural dissimilarity between expressions. The implementation leverages the dynamic programming-based Zhang-Shasha algorithm [2], which exhibits a time complexity of $O(n_1 n_2 d_1 d_2)$ and space complexity of $O(n_1 n_2)$ where n_{12}, d_{12} denote the node count and maximum depth of respective trees. For our specific expression tree editing problem, these computational requirements remain entirely acceptable compared to the time cost of `simplify()` method.
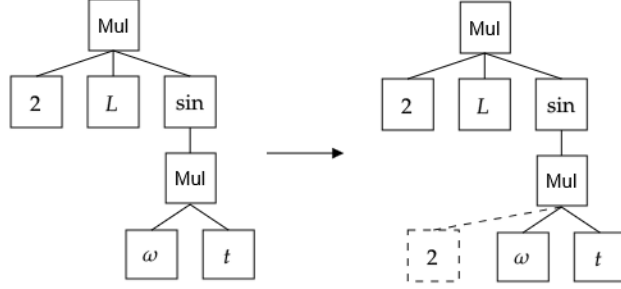

Figure 6: An example of expression tree editing from $2L\sin\omega t$ to $2L\sin 2\omega t$. Numbers, variables, functions and fundamental binary operations are regarded as tree nodes.

The score is then determined by the **relative editing distance**, r, which is the ratio of the editing distance to the tree size. If any error occurs during formatting, conversion, or computation procedures, the returned score will be set to zero due to the model's incorrect input format, a phenomenon particularly prevalent among distilled models. We restate our scoring function as follows:

$$r = \frac{\text{Distance}(T_{\text{gt}}, T_{\text{gen}})}{\text{Size}(T_{\text{gt}})}, \quad \text{score} = \begin{cases} 100, & \text{if } r = 0 \quad \text{(exact match)}, \\ 60 - 100r, & 0 < r < 0.6, \\ 0, & r > 0.6. \end{cases} \tag{4}$$

Additionally, in realistic physics scenarios, a final expression can be factorized into a sum or product of several terms or factors with different physical meanings. For instance, a standard formulation for electric potential typically comprises three principal components: an external field term, a charge distribution term, and an electric dipole moment term, each representing distinct physical contributions to the overall potential field, with an example as follows:

$$V(r) = -E_0 r \cos\theta + \frac{Q}{4\pi\epsilon_0 r} + \frac{p\cos\theta}{8\pi\epsilon r^2} \tag{5}$$

We then introduce a **cluster editing discount** to quantify the correctness of physical components. If a gen expression ignores some components but contains other components correctly, its score is expected to be higher for its correct calculation on some discrete parts of the overall contribution. Consequently, the "clustered mistakes", which often relate to a whole component, should have a discount on their total insertion or deletion cost. For this reason, our tree editing algorithm is extended with two additional operations: **inserting and removing a subtree**, which is illustrated in Figure 7.

We set the cost function of inserting or removing a subtree T with size x to be:

$$\text{Cost}(\texttt{InsertTree}(T), \texttt{DeleteTree}(T)) = \min(x, 0.6(x-5)+5) \tag{6}$$

The formula degenerates back to the original cost for $x \leq 5$, reducing the computational expense of term deletion and insertion operations while ensuring the corresponding score remains zero when the entire formula is either deleted or inserted. Notably, this mechanism can also be implemented through extended Zhang-Shasha algorithm [2], preserving identical time and space complexity characteristics.
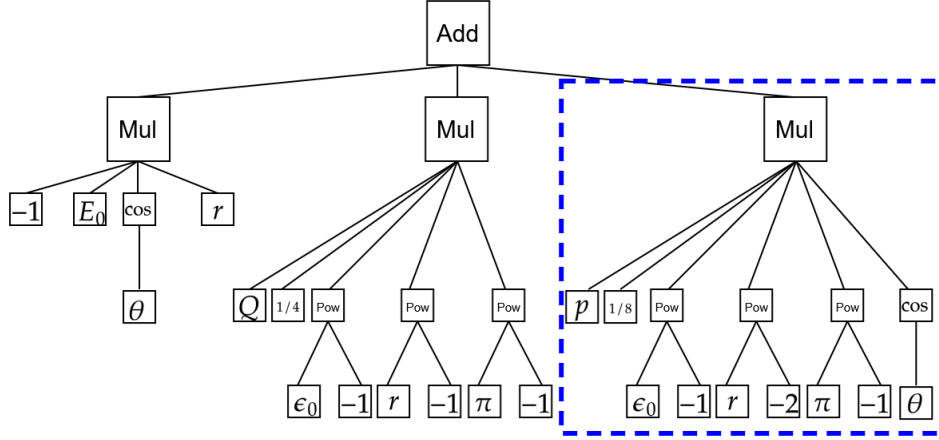
Figure 7: An Example of removing a subtree cluster (subtree in red box) corresponding to an electric dipole moment contribution. We introduce a cluster editing discount to reduce the cost of such an operation since it corresponds to whole physical components.

B.2 Qualitative Interpretations for Advantages of the EED Score

Traditional binary scoring, which considers only final correctness, fails to effectively capture model performance when tasks are overly easy or difficult. In such cases, scores tend to cluster near the extremes, reducing discriminative power and increasing statistical uncertainty. In contrast, our EED Score provides a finer-grained evaluation that mitigates this issue by offering more informative and continuous measurements of solution quality.

To illustrate that the EED Score offers a more discriminative and nuanced evaluation, we construct a simple theoretical model. Considering quantifying the model's physical ability and problem difficulty using real-valued parameters a and d respectively. The corresponding score $s = f(a - d)$ is then determined by a function of their difference.

Under binary scoring, the system operates under an all-or-nothing principle: the model receives full credit only when its ability strictly exceeds the problem's difficulty threshold (i.e., $a > d$). Otherwise, it scores zero. This scoring function can be represented using the Heaviside step function:

$$f_{\text{BIN}}(x) = \theta(x) = \begin{cases} 1 & \text{if} x \geq 0 \\ 0 & \text{otherwise} \end{cases} \tag{7}$$

For our EED scoring, even if the model answer is incorrect, a partially correct answer can still get a non-zero score, which can be approximately described as a linear function.

$$f_{\text{EED}}(x) = \begin{cases} 1, & \text{if } x \geq 0, \\ \max(0, 0.6 + 0.01x), & \text{otherwise.} \end{cases} \tag{8}$$

In typical benchmarks, problem difficulty can be modeled by a Gaussian distribution with given mean and variance. A higher mean corresponds to greater overall difficulty, while a larger variance indicates more diverse problem difficulty. The relationship between the model score and its ability can be expressed as the convolution of the scoring function and the difficulty distribution function within a fundamental calculation. Furthermore, a benchmark's capacity to differentiate model abilities, referred to as "discrimination", can be characterized by the derivative of the score-ability function. The numerical results are presented below.

$$S(a) = f_{\text{score}} \otimes N_{\text{diff}}(\mu, \sigma^2), \ \text{Dis} = \frac{\mathrm{d}S(a)}{\mathrm{d}a} \tag{9}$$

An **effective** benchmark is generally expected to establish a linear relationship between scores and model capabilities. However, when model ability falls significantly below average difficulty, the

binary scoring yields exponentially diminishing expected scores due to an extremely low correct rate. This results in exceptionally low discriminative power in such scenarios, rendering the benchmark ineffective at distinguishing model capabilities. Moreover, once a model's performance surpasses a certain threshold, its scores exhibit a remarkable improvement—a phenomenon that may lead researchers to misinterpret as the emergence of intrinsic model capabilities. To address such a problem, one possible method is to enlarge the difficulty variance, giving a more uniform difficulty distribution. Another effective method is to implement a partial correctness evaluation mechanism, such as the EED score, which significantly enhances both discrimination value and linearity in this region, offering higher information capacity. This mechanism is illustrated in Figure 8.
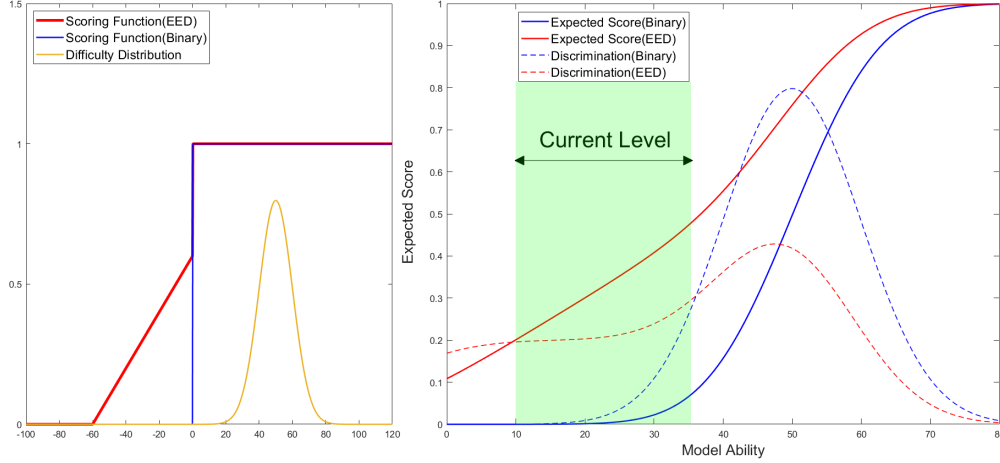

Figure 8: This figure qualitatively demonstrates the advantages of EED scoring over conventional binary scoring. Notably, in the lower score range, the EED scoring system exhibits a more linear relationship between final scores and model capabilities. The expected score is the convolution between the scoring function and the problem difficulty distribution function. Binary scoring results are drawn as red curves and our EED scoring results are drawn as red curves. Additionally, solid lines represent expected scores $S(a)$ while dashed lines indicate the discrimination $\frac{dS}{da}$ (i.e., the derivative of scores with respect to model capability).

The qualitative analysis above elucidates the rationale behind the EED Score's ability to assess model capability more precisely by quantifying structural dissimilarity between expressions. This theoretical insight is further supported by our empirical analysis presented in Appendix C.

B.3 Limitations and Future Work of the EED Score

Although the EED Score succcessfully captures the detailed nuances between mathematical expressions as answers, it does not explicitly assess the correctness of the full reasoning process. While final-expression-based scoring enables efficient large-scale evaluation, it omits potentially important errors or reasoning flaws within intermediate steps. Prior work [22] shows that high-quality manual process-level evaluation is extremely resource-intensive and difficult to scale—typically limited to fewer than 10 problems for complex problems. Moreover, in physics, solution paths are often non-unique, making it challenging to define a single canonical trace for evaluation. This motivates our focus on end-result evaluation via symbolic expressions, but also highlights the need for more structured and scalable process-aware metrics.

Another improvement occurs during the calculation between tree structures where all the nodes are treated equally. In other words, it does not account for the physical plausibility of expressions such as dimensional correctness. One promising future direction is to augment symbolic edit-based metrics with physics-informed checks, such as unit analysis or symbolic dimensional validation. This could yield a more accurate assessment of physical reasoning beyond structural similarity.

Table 4: Performance of models on EED and accuracy metrics. Notation: S_{EED} = EED Score; σ_{EED} = EED Std Dev; $\text{CV}_{\text{EED}} = \sigma_{\text{EED}}/S_{\text{EED}} \times 100\%$; ACC = Accuracy; σ_{ACC} = Accuracy Std Dev; $\text{CV}_{\text{ACC}} = \sigma_{\text{ACC}}/S_{\text{ACC}} \times 100\%$; Efficiency = $(\text{CV}_{\text{ACC}}/\text{CV}_{\text{EED}})^2$.

Model	S_{EED}	ACC	σ_{EED}	σ_{ACC}	CV_{EED} (%)	CV_{ACC} (%)	Efficiency
Gemini 2.5 Pro	49.40	36.65	1.71	1.97	3.47	5.38	240.79%
o3 (high)	46.30	34.58	1.72	1.91	3.71	5.53	221.48%
o4 mini (high)	41.95	29.33	1.68	1.83	4.01	6.25	242.84%
DeepSeek-R1	37.78	24.88	1.59	1.71	4.20	6.87	267.24%
o3 mini (high)	37.22	24.92	1.57	1.69	4.21	6.77	258.06%
o4 mini	36.44	24.77	1.66	1.72	4.54	6.95	233.88%
o3 mini	33.21	21.13	1.59	1.65	4.79	7.79	264.18%
Grok 3 Beta	31.94	21.09	1.56	1.59	4.90	7.53	236.67%
Gemini 2.0 Flash Thinking	30.25	17.93	1.48	1.51	4.88	8.40	296.31%
o1	27.46	10.72	2.03	1.27	7.40	11.86	257.09%
Claude 3.7 Sonnet Thinking	27.12	15.25	1.44	1.43	5.30	9.40	314.68%
GPT-4.1	23.71	13.18	1.44	1.41	6.07	10.68	309.90%
DeepSeek-V3	24.17	13.45	1.39	1.38	5.75	10.27	318.79%
o3 mini (low)	25.34	8.13	1.85	1.13	7.29	13.88	362.12%
Claude 3.7 Sonnet	23.73	12.78	1.35	1.34	5.71	10.46	335.79%
GPT-4o	15.35	6.89	1.11	1.04	7.26	15.12	434.02%
Qwen2.5-max	13.92	6.03	1.04	0.96	7.44	15.83	452.20%
QwQ-32B	4.54	1.58	0.94	0.51	20.77	32.26	241.21%
DeepSeek-R1-Distill-Qwen-32B	3.19	0.70	0.71	0.35	22.30	49.56	493.72%

Table 5: Pairwise Advantage Confidence. Each block is a confidence level of each row model outperforms the corresbonding column model. The OpenAI o-series is with reasoning effort="high".

Model Model	Gemini 2.5 Pro	o3	o4 mini	DeepSeek-R1	o3 mini	GPT-4.1	DeepSeek-V3	GPT-4o
Gemini 2.5 Pro	50%	90%	100%	100%	100%	100%	100%	100%
o3 (high)	10%	50%	96%	100%	100%	100%	100%	100%
o4 mini (high)	0%	4%	50%	96%	98%	100%	100%	100%
DeepSeek-R1	0%	0%	4%	50%	60%	100%	100%	100%
o3 mini (high)	0%	0%	2%	40%	50%	100%	100%	100%
GPT-4.1	0%	0%	0%	0%	0%	50%	41%	100%
DeepSeek-V3	0%	0%	0%	0%	0%	59%	50%	100%
GPT-4o	0%	0%	0%	0%	0%	0%	0%	50%

C Statistical Analysis

C.1 Efficiency and Advantage Confidence

We employed a bootstrap analysis with 1000 resamples to evaluate the statistical uncertainty of our main results under the two metrics. The results are shown in Table 4. While the ranking of models remains consistent across both metrics, the EED Score demonstrate higher absolute values and smaller relative uncertainties compared to the accuracy metric. The relative uncertainty is proportional to the square root of sample size, allowing us to quantify the sample efficiency of the EED metric relative to the accuracy metric using the following formula:

$$\text{Sample Efficiency} = \left(\frac{\text{CV}_{\text{ACC}}}{\text{CV}_{\text{EED}}}\right)^2. \tag{10}$$

As shown in Table 4, our analysis reveals that the EED metric yields an average sample efficiency enhancement of 204% ($\sigma = 80\%$). This indicates that our benchmark under the EED metric with 500 problems provides evaluation strength equivalent to that under the accuracy metric with approximately 1500 problems, representing a substantial improvement in evaluation efficiency.

To establish the statistical significance of performance differences between models, we calculated pairwise advantage confidence levels. Using the scores and their associated uncertainties, we determined our confidence in asserting that one model outperforms another on PHYBench. The confidence level is calculated using Gaussian estimation:

$$\text{CL}_{s_i > s_j} = \Phi\left(\frac{\hat{s}_i - \hat{s}_j}{\sqrt{\sigma_{\hat{s}_i}^2 + \sigma_{\hat{s}_j}^2}}\right). \tag{11}$$

Notably, Gemini 2.5 Pro demonstrates superior performance with high confidence over most models, showing 99% confidence of outperforming all other models except o3 (90%). Table 5 also reveals clear performance tiers among the evaluated models, with statistically significant separations between the top performers (Gemini 2.5 Pro, o3 and o4 mini), mid-tier models (DeepSeek-R1, o3 mini), non-reasoning models (GPT-4.1, DeepSeek-V3) and legacy non-reasoning models (GPT-4o).

C.2 Robustness Test on EED Scoring Metric

In this part, we show the robustness of EED scoring metric by changing its parameters, including its baseline score s_0, penalty coefficient k, and whether the subtree discount is enabled. The modified scoring function is defined as follows:

$$
\text{score} = \begin{cases} 100, & \text{if } r = 0 \text{ (exactly match)}, \\ s_0 - kr, & 0 < r < \frac{s_0}{k}, \\ 0, & r > \frac{s_0}{k}. \end{cases} \tag{12}
$$

Table 6: Rankings and Advantage Confidence of models under different parameters. Except for the last row, each cell in the table represents the change in the model's ranking under a specific baseline and penalty parameter setting compared to the configuration in the main text ($s = 60 - 100r$). The second column stands for model rankings under default scoring parameters. Column ACC stands for accuracy score. Column Conf represents the confidence level that each model performs better than the one ranked after it in PHYBench. The last row of the table shows the average sampling efficiency relative to ACC under the given parameter settings.

Baseline Penalty	60,100 Ranking	Conf	ACC ACC	50 100	50 120	50 140	60 120	60 140	70 100	70 120	70 140
Gemini 2.5 Pro	1	93%	+0	+0	+0	+0	+0	+0	+0	+0	+0
o3(high)	2	91%	+0	+0	+0	+0	+0	+0	+0	+0	+0
o4 mini(high)	3	99%	+0	+0	+0	+0	+0	+0	+0	+0	+0
DeepSeek-R1	4	56%	+1	+1	+1	+1	+0	+0	+0	+0	+0
o3 mini(high)	5	66%	-1	+0	-1	-1	+0	+0	+0	+0	+0
o4 mini	6	90%	+0	+0	+0	+0	+0	+0	+0	+0	+0
o3 mini	7	71%	+1	+0	+0	+0	+0	+0	+0	+0	+0
Grok 3 Beta	8	81%	-1	+0	+0	+0	+0	+0	+0	+0	+0
Gemini 2.0 Flash Thinking	9	64%	+1	+0	+0	+1	+0	+0	+0	+0	+0
o1	10	83%	-1	+0	+0	-1	+0	+0	+0	+0	+0
Claude 3.7 Sonnet Thinking	11	78%	+0	+0	+0	+0	+0	+0	+0	+0	+0
o3 mini(low)	12	68%	+0	+0	+0	+0	+0	+0	+0	+0	+0
DeepSeek-V3	13	56%	+0	+0	+0	+1	+0	+0	+0	+0	+0
Claude 3.7 Sonnet	14	54%	+1	+1	+1	+1	+0	+1	+0	+0	+0
GPT-4.1	15	100%	-1	-1	-1	-2	+0	-1	+0	+0	+0
GPT-4o	16	83%	+0	+0	+0	+0	+0	+0	+0	+0	+0
Qwen2.5-max	17	100%	+0	+0	+0	+0	+0	+0	+0	+0	+0
QwQ-32B	18	86%	+0	+0	+0	+0	+0	+0	+0	+0	+0
DeepSeek-R1-Distill-Qwen-32B	19	0%	+0	+0	+0	+0	+0	+0	+0	+0	+0
Average Efficiency		289%	100%	217%	191%	175%	237%	211%	424%	305%	257%

We report the variation in model rankings and sample efficiency under these settings in Table 6. Across most configurations, the rankings of the majority of models remain stable, with only minor fluctuations (within ±1 rank) observed for a few models. These fluctuations are largely attributable to low confidence margins (below 70%) in pairwise model comparisons. Additionally, enabling or disabling subtree discounting has no significant effect on overall ranking outcomes.

Regarding sampling efficiency, we observe that EED scoring methods exhibit significant improvements over the original ACC metric under variations of parameters. Although adopting a higher baseline score may appear to enhance sampling efficiency, this effect is merely an artifact of variance reduction caused by shifting non-perfect scores toward the full-score direction. These observations collectively demonstrate the robustness of our scoring methodology.

D Evaluation Experiment Setup

All models are queried with the following unified prompt template:

> You are a physics expert. Please read the following question and provide a step-by-step solution. Put your final answer, which must be a readable LaTeX formula, in a \\boxed{} environment.
>
> Question: {problem from PHYBench}
>
> Answer:

The final answer is then automatically extracted from within the \\boxed{} environment. We ignore any extra output outside the box, retain only the inner LaTeX expression, and tolerate additional text or commands inside the box as long as exactly one expression appears.

E   TTS on Various Benchmarks

We selected some subsets of PHYBench and other baseline benchmarks for evaluation. For PHY-Bench, we chose the open source 100 questions; for AIME 2024[11], we used all 30 questions; and for OlympiadBench[10], MATH500 [13], and GPQA [24], we sampled 72 questions each. For OlympiadBench, we adopted 36 math problems and 36 physics problems, and among the physics problems we chose those labeled {"answer_type":"Expression"}.

Each benchmark uses the following unified prompt template:

> Please read the following question and provide a step-by-step solution. Put your final answer, which must be a readable LaTeX formula, in a \\boxed{} environment.{adapter}
>
> Question: {problem from PHYBench}
>
> Answer:

The contents of {adapter} vary across benchmarks:

- **PHYBench**, **OlympiadBench**: (empty)
- **GPQA**: Please answer with letter A, B, C, or D. (The final answer is extracted as the first uppercase letter inside the \boxed{} environment.)
- **AIME 2024**, **MATH500**: Please answer with a number.

Each model was evaluated 16 times per question. For certain smaller models, we conducted additional repetitions beyond 16 runs. In the graph, each data point corresponds to a sample pool size exceeding k, and a point is plotted only if over 90 percent of the questions were sampled more than k times. We plotted the pass@k score (highest score among sampled answers, called accuracy) as a function of sampling size, along with the majority voting [28] score versus sampling size. During voting, equivalent expressions were treated as identical answers. We test both accuracy and EED Score.

E.1   Pass@k

As the number of samples (k) increases during TTS, the model's capability does not grow indefinitely but instead approaches an upper bound. Due to budget constraints, the number of model responses we could test was limited. Therefore, we used an exponentially decaying curve to fit the model's capability boundary. The fitting formula employed was:

$$\text{Acc} = \text{Boundary} - \text{Gain} \cdot \exp\left(-\frac{x}{x_0}\right) \tag{13}$$

where Acc represents the accuracy or EED score, $x = \log k$ is the logarithmically transformed sampling count k (with one sample corresponding to $x = 0$).Boundary, Gain, and x_0 are fitting parameters. Boundary is the upper bound.Gain represents the total Acc improvement achievable by increasing sampling, while x_0 denotes the decay rate toward the upper bound.

Table 7: Model Performance Boundaries on PHYBench under TTS.

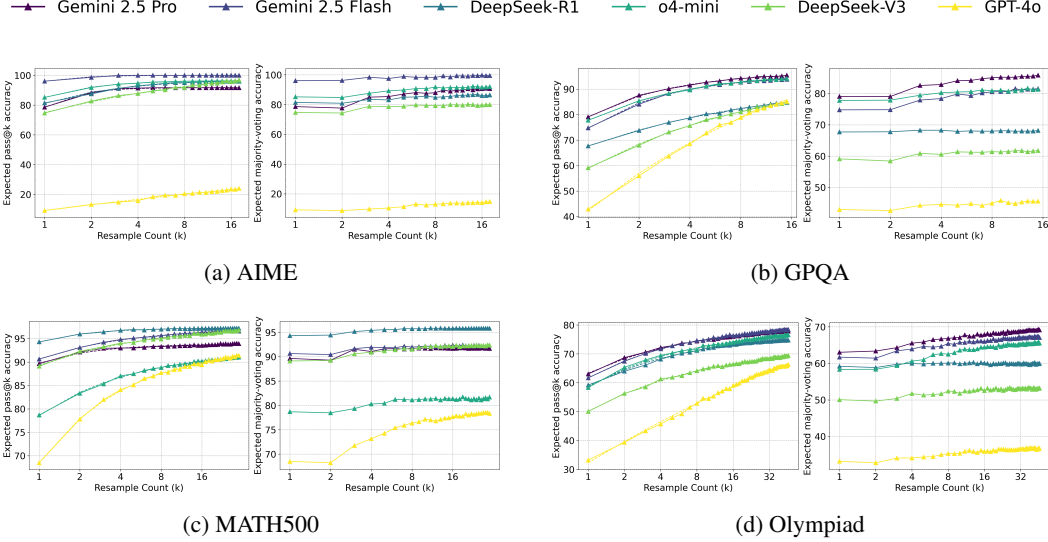| Model Name	pass@1	pass@32	vote32	Boundary of pass@k
Gemini 2.5 Pro	38.71	65.91	41.97	74.9
Gemini 2.5 Flash	34.25	62.78	41.22	71.2
DeepSeek-R1	25.06	50.88	28.65	81.3
o4 mini	23.2	52.1	24.6	78.6
DeepSeek-V3	11.79	29.9	13.53	not fitted
GPT-4o	4.97	18.19	5.38	not fitted

(a) AIME

(b) GPQA

(c) MATH500

(d) Olympiad

Figure 9: Combined metrics comparison across different datasets. For each dataset, the left figure shows the pass@k results and the right figure shows the majority voting results

The results for each benchmark, including pass@k EED score, pass@k accuracy, majority voting EED score, and majority voting accuracy, are shown in Figure 9. The fitted curve (dashed line) was applied only to the pass@k data. The x-axis represents the logarithmically transformed sampling count, and the y-axis represents the accuracy or EED score. For PHYBench, the pass@k results are shown in Figure 10.

The fitting results reveal two findings: (1) the curve fitted by exponential decay aligns well with our data, indicating that its upper bound is also credible; (2) the curves for lower-scoring language models exhibit a notably linear trend. The fitting results of A, B, C are shown in Table 7.

E.2 Majority Voting

As shown in Figure 11, majority voting provides only a modest improvement in accuracy on PHY-Bench, typically by a few percentage points. This limited gain suggests that while models can generate diverse outputs, their ability to select the correct one remains weak. In contrast, the pass@k strategy leads to significantly larger improvements—often exceeding dozens of points—across both reasoning and non-reasoning models. This indicates that correct answers do exist in the model's output space, but models struggle to recognize them. Together, these results highlight a key bottleneck: current models possess some capacity for reasoning but lack reliable self-evaluation mechanisms.

F   Illustrative Case Studies of PP and RR Errors

This section provides a detailed demonstration of the reasoning process behind PP and RR. We outline their definitions and roles within typical solution traces, and present concrete case studies illustrating
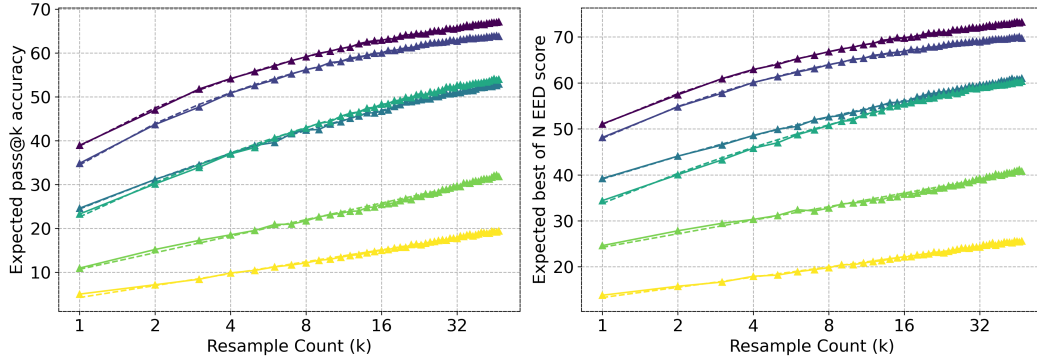
Figure 10: Comparison of PHYBench performance metrics (pass@k)
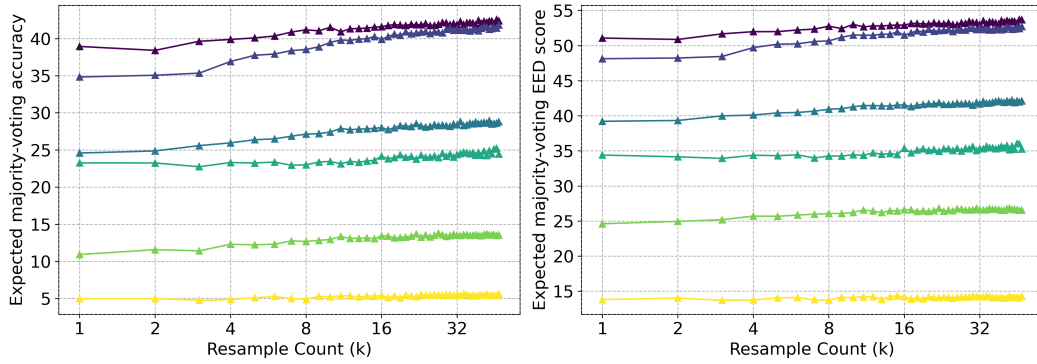

Figure 11: Comparison of PHYBench performance metrics (majority voting)

how representative models fail in each category. These examples highlight the characteristic structure of PP and RR, and clarify how specific errors—such as incorrect physical modeling or inconsistent derivation—can lead to failure.

F.1 Illustration of PP and RR Process

Example Reasoning Process

Physical Perception (PP):
First, I need to understand the entire system's initial state and ... I should draw a sketch. ... the tension is continuous, but I still have to analyse each ball's forces one by one. ... the strings haven't had time to swing yet. The top ball's sudden horizontal motion requires centripetal force ...

Robust Reasoning (RR):
From equation (3):
$$T_3 - mg = ma_{1r}$$
so
$$T_3 = mg + ma_{1r}$$
Substitute into equation (2):
$$T_2 - (mg + ma_{1r}) - mg = ma_{1r}$$

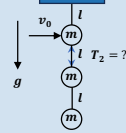which becomes

$$T_2 - mg - ma_{1r} - mg = ma_{1r}$$

. . .

Substitute the expression for T_2:

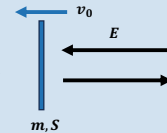$$T_1 = (2mg + 2ma_{1r}) + mg + ma_{1r} = 3mg + 3ma_{1r} \cdots$$

Figure 12: Example questions and errors from the solution generated by DeepSeek-R1. Here we demonstrate the main parameters and physical processes. See Appendix H for the full question.

As discussed in Section 5, from a structural perspective, PP represents decision nodes while RR forms the connecting links in the reasoning chain. Errors at PP nodes can lead to fundamental misunderstandings of the physical scenario, resulting in incorrect answers. They may also introduce unnecessary physical effects, complicating subsequent symbolic reasoning. Meanwhile, RR errors involve inconsistencies in deriving expressions, solving equations, or applying conditions, which accumulate and cause the final expression to increasingly diverge from the correct answer.

F.2 Case Study of PP

The first typical challenge arises from an insufficient understanding of physical processes and inadequate modeling skills. As illustrated in Figure 12, **Example Problem 1** presents a classical mechanics scenario involving three balls connected by an inextensible string. The erroneous solution from the LLM results from a misunderstanding of the kinematics relationships among these balls, perceiving the angular velocity of the middle string to be zero incorrectly. Even if the symbolic derivation is right, the model results in a wrong answer.

The PP challenge in this problem is easy for average college students, but even cutting-edge models like Gemini 2.5 Pro, o3 and DeepSeek-R1 failed to handle this kinematics. Our experiments further reveal that 32B models perform especially poorly on PP phases, often failing even on elementary problems. Such failures highlight not only a fundamental limitation in the models' perception capacity but also semantic reasoning.

F.3 Case Study of RR

Another common error involves maintaining consistency across lengthy and intricate reasoning processes, as well as difficulties in accurately solving the resulting equations. For instance, in

Figure 12, **Example Problem 2** presents a scenario where a mirror, moving at relativistic speed, is recoiled by a high-energy photon. Although the LLM correctly interpreted the physical setup and identified the appropriate equations, it ultimately failed to derive the correct solution after an extended symbolic derivation. This reflects a typical lack of robustness in mathematical reasoning.

Physics problems often require extensive symbolic manipulation. Due to space limitations, the two illustrative problems shown are relatively short; however, as noted earlier, the average length of a full solution in PHYBench is approximately 3,000 characters, and human solvers typically employ dozens of intermediate expressions before arriving at the final answer. Moreover, when unaided by external mathematical tools, LLMs tend to generate significantly more intermediate steps than human reference solutions, bringing more risks of making mistakes. This observation suggests that physics problems effectively represent long-range reasoning tasks constrained by diverse but definite rules. Our experimental results indicate that such long-range symbolic reasoning remains a significant challenge for current models.

G   Chain-of-Thought Poisoning Protocol

PHYBench problems demand long-range, step-wise reasoning in which each step contains key symbolic expressions that can be verified. This property makes PHYBench an ideal testbed for evaluating the robustness of reasoning and even probing whether LLMs' reasoning is **genuine** or **superficial**. In this section, we provide a detailed implementation of our perturbation experiment.

G.1   Experimental Settings

For every target model we evaluate eight perturbation conditions (two baselines + six toxins) as follows:

1. Select an PHYBench problem and truncate its reference solution.
2. Inject one systematic perturbation from the catalogue in Appendix G.2.
3. Submit the dialogue [`prompt` $\rightarrow$ `poisoned CoT` $\rightarrow$ "continue"] with the template in Appendix G.5, and record whether the model detects or propagates the error.

G.2   Perturbation Catalogue

Each perturbation keeps the original problem statement intact but appends either a faithful or a corrupted partial solution. The canonical quantity being tampered with is $\left(R_m + h\right)^2$.

F1. Baseline with raw problem The original problem.

F2. Baseline with correct partial solution The problem is augmented with the unperturbed partial solution. This baseline is tested to test whether partial reasoning effects model accuracy.

T1. Remove square term The square in the law of gravitation is removed.
$$(R_m + h)^2 \rightarrow (R_m + h)$$
The flaw is not obvious in later algebra but can be exposed by dimensional analysis.

T2. Operator reversal Replaces the plus sign with a minus, introducing a physically implausible expression:
$$(R_m + h)^2 \rightarrow (R_m - h)^2$$

T3. Combine T1 and T2 Applies both T1 and T2 simultaneously to examine compound error sensitivity:
$$(R_m + h)^2 \rightarrow (R_m - h)$$
The presence of two conflicting cues increased the probability that many models flagged an error, raising their aggregate scores.

T4. Remove h term Deletes the h term while keeping the square, mimicking a subtle simplification:
$$(R_m + h)^2 \rightarrow R_m^2$$

27

Although dimensionally sound, this error is conceptually obvious; e.g. DeepSeek-R1's accuracy plummeted from 97 % to 37 % under this perturbation.

T5. Combine T2 and T4 A compound error similar to T3, used as a control:

$$(R_m + h)^2 \to R_m$$

Functions as a counterpart to T3, allowing for comparative analysis of compound perturbations.

T6. Alter physical law Rewrites the hydrostatic equilibrium equation, flipping the physical dependency:

$$\frac{dP}{dh} = -\alpha\, g(h) \to \frac{dP}{dh} = -\frac{\alpha}{g(h)}$$

Tests whether the model recognises blatant violations of fundamental physical laws.

G.3 Illustration of Superficial Reasoning and Genuine Reasoning

---

The partial solution of Remove square term (T1)

To derive the expression for the temperature $T(h)$ of the martian atmosphere as a function of height h, we will follow these steps:

Step 1: Understand the Given Density Profile The mass density $\alpha(h)$ is given by:

$$\alpha(h) = \rho_0 \left(1 + \frac{h}{R_m}\right)^{1-n}$$

where ρ_0 is a constant, and $n > 4$.

Step 2: Relate Density to Pressure For an ideal gas, the pressure P is related to the density α and temperature T by:

$$P = \frac{\alpha}{\mu} RT$$

where μ is the molar mass of the atmosphere, and R is the ideal gas constant.

Step 3: Hydrostatic Equilibrium The pressure gradient in the atmosphere is balanced by gravity. The hydrostatic equilibrium equation is:

$$\frac{dP}{dh} = -\alpha g(h)$$

where $g(h)$ is the gravitational acceleration at height h.
The gravitational acceleration $g(h)$ at height h is:

$$g(h) = \frac{GM_m}{(R_m + h)} \quad \to \quad \text{it should be} (R_m + h)^2$$

Step 4: Substitute and Differentiate Substitute P from Step 2 into the hydrostatic equilibrium equation:

$$\frac{d}{dh}\left(\frac{\alpha RT}{\mu}\right) = -\alpha \frac{GM_m}{(R_m + h)} \quad \to \quad \text{it should be} (R_m + h)^2$$

Assuming T is a function of h, we can expand the derivative:

$$\frac{R}{\mu}\left(\frac{d\alpha}{dh}T + \alpha\frac{dT}{dh}\right) = -\alpha\frac{GM_m}{(R_m + h)} \quad \to \quad \text{it should be} (R_m + h)^2$$

Superficial Reasoning: propagate the error without reflection

Continuing from the derivative expression:

$$\frac{R}{\mu}\left(\frac{d\alpha}{dh}T + \alpha\frac{dT}{dh}\right) = -\alpha\frac{GM_m}{(R_m + h)}$$

Step 5: Compute $\frac{d\alpha}{dh}$ From the given density profile

$$\alpha(h) = \rho_0 \left(1 + \frac{h}{R_m}\right)^{1-n}$$

, we compute the derivative with respect to h:

$$\frac{d\alpha}{dh} = \rho_0(1-n)\left(1 + \frac{h}{R_m}\right)^{-n} \cdot \frac{1}{R_m}$$

Substitute

$$\alpha = \rho_0 \left(1 + \frac{h}{R_m}\right)^{1-n}$$

:

$$\frac{d\alpha}{dh} = \frac{(1-n)}{R_m}\left(1 + \frac{h}{R_m}\right)^{-1} \alpha$$

Step 6: Substitute $\frac{d\alpha}{dh}$ Back Substitute $\frac{d\alpha}{dh}$ into the derivative equation:

$$\frac{R}{\mu}\left(\frac{(1-n)}{R_m}\left(1 + \frac{h}{R_m}\right)^{-1}\alpha T + \alpha \frac{dT}{dh}\right) = -\alpha \frac{GM_m}{(R_m + h)}$$

Divide through by $\alpha \frac{R}{\mu}$:

$$\frac{(1-n)}{R_m}\left(1 + \frac{h}{R_m}\right)^{-1} T + \frac{dT}{dh} = -\frac{GM_m \mu}{R(R_m + h)}$$

...

Verification: If we substitute

$$T(h) = \text{constant}$$

back into the hydrostatic equilibrium equation, we find consistency, confirming that the temperature is height-independent for the given density profile.

Final Answer:

$$\boxed{T(h) = \frac{GM_m \mu}{R(n-1)}}$$

Genuine Reasoning: correct the answer through semantic understanding

But wait, the gravitational acceleration on Mars at a height h would be $g(h) = GM_m/(R_m + h)^2$, right? Because gravity decreases with the square of the distance from the center. But in the previous assistant's step 3, they wrote $g(h)$ as $GM_m/(R_m + h)$. Hmm, that seems incorrect. Wait, gravitational acceleration is GM divided by r squared. So if R_m is the radius of Mars, then at height h, the distance from the center is $R_m + h$, so $g(h) = GM_m/(R_m + h)^2$. But the assistant wrote it as $GM_m/(R_m + h)$. That must be a mistake. Wait, maybe I should check that. Let me think. The gravitational acceleration at the surface is $g_0 = GM_m/R_m^2$. At height h, it's $g(h) = GM_m/(R_m + h)^2$. So the assistant's expression for $g(h)$ is wrong. That might affect the subsequent steps. But the user's question says to continue from the previous answer, which had $g(h) = GM_m/(R_m + h)$. So maybe there's a typo here. Wait, but the assistant's step 3 says "gravitational acceleration $g(h)$ at height h is $GM_m/(R_m + h)$". That's missing a square in the denominator. That's a mistake. But since the user is asking to continue from where the assistant left off, perhaps I need to follow that, but that would lead to an incorrect result. Hmm, this is a problem. Wait, maybe the assistant made a mistake here, and I need to correct it. But the user wants me to continue from the previous steps. Let me check the previous steps again.

G.4 Original Problem

Problem 719 (THERMODYNAMICS)

The Martian atmosphere can be considered as composed only of very thin CO_2. The molar mass of this atmosphere is denoted by μ, and the atmosphere at the same height can be considered as an ideal gas in equilibrium. The mass of Mars is M_m (far greater than the total mass of the Martian atmosphere), and its radius is R_m. Assume the relationship between the atmospheric mass density and the height h above the surface of Mars is given by

$$\alpha(h) = \rho_0 \left(1 + \frac{h}{R_m}\right)^{1-n},$$

where ρ_0 is a constant, and $n\,(n > 4)$ is also a constant. Derive the expression for the temperature $T(h)$ of the martian atmosphere as a function of the height h. Express the result using the following physical quantities: the mass of Mars M_m, radius R_m, molar mass of the atmosphere μ, constant n, gravitational constant G, and ideal gas constant R.

Answer:

$$\boxed{T(h) = \frac{\mu\, G\, M_m}{n\, R\, (R_m + h)}}$$

Unperturbed Chain-of-Thought Summary:

- To derive the expression for the temperature $T(h)$ of the martian atmosphere as a function of height h, we will follow these steps:
- **Step 1: Understand the Given Density Profile** The mass density $\alpha(h)$ is given by:

$$\alpha(h) = \rho_0 \left(1 + \frac{h}{R_m}\right)^{1-n}$$

  where ρ_0 is a constant, and $n > 4$.
- **Step 2: Relate Density to Pressure** For an ideal gas, the pressure P is related to the density α and temperature T by:

$$P = \frac{\alpha}{\mu} RT$$

where μ is the molar mass of the atmosphere, and R is the ideal gas constant.

- **Step 3: Hydrostatic Equilibrium** The pressure gradient in the atmosphere is balanced by gravity. The hydrostatic equilibrium equation is:

$$\frac{dP}{dh} = -\alpha\, g(h)$$

where $g(h)$ is the gravitational acceleration at height h.

The gravitational acceleration $g(h)$ at height h is:

$$g(h) = \frac{GM_m}{(R_m + h)^2}$$

- **Step 4: Substitute and Differentiate** Substitute P from Step 2 into the hydrostatic equilibrium equation:

$$\frac{d}{dh}\left(\frac{\alpha RT}{\mu}\right) = -\alpha\,\frac{GM_m}{(R_m + h)^2}$$

Assuming T is a function of h, we can expand the derivative:

$$\frac{R}{\mu}\left(\frac{d\alpha}{dh}T + \alpha\frac{dT}{dh}\right) = -\alpha\,\frac{GM_m}{(R_m + h)^2}$$

- **Step 5: Compute $\frac{d\alpha}{dh}$** Differentiate $\alpha(h)$ with respect to h:

$$\frac{d\alpha}{dh} = \rho_0(1-n)\left(1 + \frac{h}{R_m}\right)^{-n}\cdot\frac{1}{R_m}$$

Substitute into the hydrostatic equation:

$$\frac{R}{\mu}\left(\frac{\rho_0(1-n)}{R_m}\left(1 + \frac{h}{R_m}\right)^{-n}T + \rho_0\left(1 + \frac{h}{R_m}\right)^{1-n}\frac{dT}{dh}\right)$$

$$= -\rho_0\left(1 + \frac{h}{R_m}\right)^{1-n}\frac{GM_m}{(R_m + h)^2}$$

Simplify:

$$\frac{R}{\mu}\left(\frac{(1-n)}{R_m + h}T + \frac{dT}{dh}\right) = -\frac{GM_m}{(R_m + h)^2}$$

- **Step 6: Solve for $\frac{dT}{dh}$** Multiply through by $\frac{\mu}{R}$:

$$\frac{(1-n)}{R_m + h}T + \frac{dT}{dh} = -\frac{\mu GM_m}{R(R_m + h)^2}$$

- **Step 7: Integrating Factor** This is a linear ODE of the form:

$$\frac{dT}{dh} + P(h)T = Q(h), \quad P(h) = \frac{1-n}{R_m + h}, \quad Q(h) = -\frac{\mu GM_m}{R(R_m + h)^2}$$

The integrating factor is:

$$I(h) = e^{\int P(h)\,dh} = (R_m + h)^{1-n}$$

Multiply through:

$$(R_m + h)^{1-n}\frac{dT}{dh} + (1-n)(R_m + h)^{-n}T = -\frac{\mu GM_m}{R}(R_m + h)^{-n-1}$$

Recognize the LHS as the derivative of a product:

$$\frac{d}{dh}\left(T(h)\,(R_m + h)^{1-n}\right) = -\frac{\mu GM_m}{R}(R_m + h)^{-n-1}$$

- **Step 8: Integrate Both Sides**

$$T(h)\,(R_m + h)^{1-n} = -\frac{\mu GM_m}{R}\int (R_m + h)^{-n-1}\,dh + C$$

$$T(h)\,(R_m + h)^{1-n} = \frac{\mu GM_m}{nR}(R_m + h)^{-n} + C$$

$$T(h) = \frac{\mu GM_m}{nR}(R_m + h)^{-1} + C(R_m + h)^{n-1}$$

- **Step 9: Boundary Condition** Require $T(h) \to$ finite as $h \to \infty$, so $C = 0$ (since $n > 4$). Final result:

$$T(h) = \frac{\mu GM_m}{nR}\cdot\frac{1}{R_m + h}$$

Or equivalently:

$$T(h) = \frac{\mu GM_m}{nRR_m}\left(1 + \frac{h}{R_m}\right)^{-1}$$

G.5 Implementation Prompt Template

We present the prompt template used for all perturbation experiments. The full dialogue, including the system and user messages, is shown below.

```
prompt = ("Please read the following question and provide a step-by-step "
          "solution. Put your final answer (LaTeX) inside \boxed{}.\n\n"
          f"Question: {problem['content']}\n\nAnswer:")

messages = [
    {"role": "user",      "content": prompt},
    {"role": "assistant", "content": poisoned_cot},   # T1-T6 variant
    {"role": "user",      "content":
     "Please **continue** from your previous reasoning. "
     "Do NOT restart from Step 1."}
]
```

H   Example Questions

H.1   Full Question Text for Given Errors in Figure 12

Example Problem 1: Three small balls are connected in series with three light strings to form a line, and the end of one of the strings is hung from the ceiling. The strings are non-extensible, with a length of l, and the mass of each small ball is m. Initially, the system is stationary and vertical. A hammer strikes one of the small balls in a horizontal direction, causing the ball to acquire an instantaneous velocity of v_0. Determine the instantaneous tension in the middle string when the topmost ball is struck. (The gravitational acceleration is g.)

Example Problem 2: Consider an ideal mirror moving at relativistic velocity, with mass m and area S. (The direction of photon incidence is the same as the direction of the mirror's motion.) Now consider the case where the mirror is moving with an initial velocity $\beta_0 c$. In this situation, the mirror is unconstrained by external forces, and photons are incident on it with constant power for a certain period of time, with energy E. Assuming the mirror's velocity after irradiation is $\beta_1 c$, find the expression for β_1.

H.2   Demonstration of Selected Problems

We demonstrate 5 additional problems with their answers. For more detailed information, please refer to the PHYBench website.

Selected Problem 1

A smooth bowl with a radius of R is fixed, and the plane at the mouth of the bowl is horizontal. A smooth, homogeneous, thin rod AB with length $L = \frac{4\sqrt{3}R}{3}$. B is located outside the bowl, while end A presses against a point inside the bowl. The rod achieves static equilibrium in a plane passing through the center of the sphere O. Points D and D' on the rod are nearly coincident with the point of contact at the rim of the bowl, but D is slightly lower-left, and D' is slightly upper-right. Let the angle between the rod and the horizontal plane be θ. The rod is suddenly cut at point D. Note that after being cut, point D will gently rest on the inner surface of the bowl. Find the angular acceleration $\beta = \ddot{\theta}$ of the rod at this instant.

Answer:

$$\beta = -\frac{g}{2R}$$

Selected Problem 2

Consider a child with mass m sitting on a swing, the child can be regarded as a point mass with the mass concentrated at the seat plank. Ignore the mass of the other parts of the system. The distance from the swing seat plank to the pivot is l. At this time, consider the frictional torque $M_f = a$ (where a is a constant) at the swing's suspension point. There is someone behind who applies an impulsive torque J_0 to the swing every time it reaches the furthest back position. Find the difference in speed rates Δv of the child after passing the lowest point twice successively when the motion reaches a steady state (with gravitational acceleration g and assuming the swing angle is relatively small).

Answer:

$$\Delta v = \sqrt{gl\left(\frac{J_0{}^2}{8aml^2} + \frac{a}{mgl}\right)}\left(\sqrt{\frac{J_0{}^2}{8aml^2} + \frac{3a}{mgl}} - \sqrt{\frac{J_0{}^2}{8aml^2} - \frac{a}{mgl}}\right)$$

Selected Problem 3

Consider an infinite-length black body with inner and outer cylinders, which are in contact with heat sources at temperatures T_1 and T_2, respectively; assume that the temperature of the heat sources remains constant. Let the inner cylinder have a radius r, the outer cylinder have a radius R, and the distance between the axes of the inner and outer cylinders be b, with $r < b < R$ and $r + b < R$. Find the power $p(\theta)$ absorbed per unit area from the heat source at angle θ on the surface of the outer cylinder (i.e., the power density at θ), where θ is the angle between the line connecting a point on the surface of the outer cylinder and the center of the outer cylinder, and the line connecting the centers of the inner and outer cylinders. The Stefan-Boltzmann constant is denoted as σ.

Answer:

$$p(\theta) = (\sigma T_2^4 - \sigma T_1^4)\frac{r(R - b\cos\theta)}{R^2 + b^2 - 2Rb\cos\theta}$$

Selected Problem 4

A square loop with side length a and mass m is made from a resistive material, with a total resistance of R. At $t = 0$, the loop is located at $x = 0$ and moves with a velocity $v_0\hat{x}$. The loop lies in the x-y plane. There is a magnetic field $\mathbf{B} = B_0\left(\frac{x}{x_0}\right)\hat{z}$, where $B_0 > 0$ is a constant. In this problem, we ignore the effects of gravity. What is the velocity $v(t)$ of the square loop at time t? Write the expression for $v(t)$ in terms of t using the parameters B_0, v_0, a, m, and R.

Answer:

$$v(t) = v_0 e^{-\frac{1}{mR}\left(\frac{a^2 B_0}{x_0}\right)^2 t}$$

Selected Problem 5

For the electromagnetic cannon model, its structure consists of two parallel rails spaced l apart, with one end connected to a power supply for energy, and the other end connected to a metal rod that can slide freely on the rails to form a circuit. In the situation where the circuit length x is much larger than the spacing l (but ignoring the delay in circuit signal propagation caused by the length), it can be assumed that the self-inductance coefficient L of the circuit is linearly related to x, i.e., $L = Ax + B$. A and B are two constants. The current flowing through the metal rod is I, and the permeability of vacuum is μ_0. In fact, for different electromagnetic cannon configurations, the value of the Ampere force on the metal rod is actually different. Assume the rail is a thin-walled cylinder with a radius $r \ll l$. Under direct current conditions, it can be assumed that the current is uniformly distributed over the surface of the cylinder. Make an appropriate approximation and calculate the specific expression of the Ampere force on the metal rod.

Answer:

$$\frac{\mu_0 I^2}{2\pi} \ln \frac{l}{r}$$

NeurIPS Paper Checklist

1. **Claims**

   Question: Do the main claims made in the abstract and introduction accurately reflect the paper's contributions and scope?

   Answer: [Yes]

   Justification: We accurately summarize our contributions in **Section 1, line 54.** Current benchmarks for evaluating LLM reasoning suffer from oversimplified tasks, data contamination, and flawed evaluation. To address these issues, we propose PHYBench, an original and challenging benchmark for assessing LLM reasoning abilities. We also propose the EED Score, a fine-grained scoring metric, together with a detailed analysis of models' reasoning abilities.

   Guidelines:

   - The answer NA means that the abstract and introduction do not include the claims made in the paper.
   - The abstract and/or introduction should clearly state the claims made, including the contributions made in the paper and important assumptions and limitations. A No or NA answer to this question will not be perceived well by the reviewers.
   - The claims made should match theoretical and experimental results, and reflect how much the results can be expected to generalize to other settings.
   - It is fine to include aspirational goals as motivation as long as it is clear that these goals are not attained by the paper.

2. **Limitations**

   Question: Does the paper discuss the limitations of the work performed by the authors?

   Answer: [Yes]

   Justification: In Section 6, we clearly demonstrate our limitations. Our problems' primary focus on Olympiad-level difficulty and uneven distribution across diverse physics topics limit generalization to research-level reasoning. Additionally, the EED Score focuses on final answer quality and does not capture the full reasoning process. These limitations highlight our future aspectations and work.

   Guidelines:

   - The answer NA means that the paper has no limitation while the answer No means that the paper has limitations, but those are not discussed in the paper.
   - The authors are encouraged to create a separate "Limitations" section in their paper.
   - The paper should point out any strong assumptions and how robust the results are to violations of these assumptions (e.g., independence assumptions, noiseless settings, model well-specification, asymptotic approximations only holding locally). The authors should reflect on how these assumptions might be violated in practice and what the implications would be.
   - The authors should reflect on the scope of the claims made, e.g., if the approach was only tested on a few datasets or with a few runs. In general, empirical results often depend on implicit assumptions, which should be articulated.
   - The authors should reflect on the factors that influence the performance of the approach. For example, a facial recognition algorithm may perform poorly when image resolution is low or images are taken in low lighting. Or a speech-to-text system might not be used reliably to provide closed captions for online lectures because it fails to handle technical jargon.
   - The authors should discuss the computational efficiency of the proposed algorithms and how they scale with dataset size.
   - If applicable, the authors should discuss possible limitations of their approach to address problems of privacy and fairness.
   - While the authors might fear that complete honesty about limitations might be used by reviewers as grounds for rejection, a worse outcome might be that reviewers discover limitations that aren't acknowledged in the paper. The authors should use their best

judgment and recognize that individual actions in favor of transparency play an important role in developing norms that preserve the integrity of the community. Reviewers will be specifically instructed to not penalize honesty concerning limitations.

3. **Theory assumptions and proofs**

   Question: For each theoretical result, does the paper provide the full set of assumptions and a complete (and correct) proof?

   Answer: [NA]

   Justification: Our paper does not include theoretical results accordingly.

   Guidelines:

   - The answer NA means that the paper does not include theoretical results.
   - All the theorems, formulas, and proofs in the paper should be numbered and cross-referenced.
   - All assumptions should be clearly stated or referenced in the statement of any theorems.
   - The proofs can either appear in the main paper or the supplemental material, but if they appear in the supplemental material, the authors are encouraged to provide a short proof sketch to provide intuition.
   - Inversely, any informal proof provided in the core of the paper should be complemented by formal proofs provided in appendix or supplemental material.
   - Theorems and Lemmas that the proof relies upon should be properly referenced.

4. **Experimental result reproducibility**

   Question: Does the paper fully disclose all the information needed to reproduce the main experimental results of the paper to the extent that it affects the main claims and/or conclusions of the paper (regardless of whether the code and data are provided or not)?

   Answer: [Yes]

   Justification: We provide detailed experiment results in Section 4 and guarantee the all the results are reproducible. The experiment details and corresponding claims are carefully checked for reliability and reproducibility.

   Guidelines:

   - The answer NA means that the paper does not include experiments.
   - If the paper includes experiments, a No answer to this question will not be perceived well by the reviewers: Making the paper reproducible is important, regardless of whether the code and data are provided or not.
   - If the contribution is a dataset and/or model, the authors should describe the steps taken to make their results reproducible or verifiable.
   - Depending on the contribution, reproducibility can be accomplished in various ways. For example, if the contribution is a novel architecture, describing the architecture fully might suffice, or if the contribution is a specific model and empirical evaluation, it may be necessary to either make it possible for others to replicate the model with the same dataset, or provide access to the model. In general. releasing code and data is often one good way to accomplish this, but reproducibility can also be provided via detailed instructions for how to replicate the results, access to a hosted model (e.g., in the case of a large language model), releasing of a model checkpoint, or other means that are appropriate to the research performed.
   - While NeurIPS does not require releasing code, the conference does require all submissions to provide some reasonable avenue for reproducibility, which may depend on the nature of the contribution. For example
     (a) If the contribution is primarily a new algorithm, the paper should make it clear how to reproduce that algorithm.
     (b) If the contribution is primarily a new model architecture, the paper should describe the architecture clearly and fully.
     (c) If the contribution is a new model (e.g., a large language model), then there should either be a way to access this model for reproducing the results or a way to reproduce the model (e.g., with an open-source dataset or instructions for how to construct the dataset).

(d) We recognize that reproducibility may be tricky in some cases, in which case authors are welcome to describe the particular way they provide for reproducibility. In the case of closed-source models, it may be that access to the model is limited in some way (e.g., to registered users), but it should be possible for other researchers to have some path to reproducing or verifying the results.

5. **Open access to data and code**

   Question: Does the paper provide open access to the data and code, with sufficient instructions to faithfully reproduce the main experimental results, as described in supplemental material?

   Answer: [Yes]

   Justification: We release our code and project together with our paper. Our benchmark and results are available at *https://www.phybench.cn/*.

   Guidelines:

   - The answer NA means that paper does not include experiments requiring code.
   - Please see the NeurIPS code and data submission guidelines (`https://nips.cc/public/guides/CodeSubmissionPolicy`) for more details.
   - While we encourage the release of code and data, we understand that this might not be possible, so "No" is an acceptable answer. Papers cannot be rejected simply for not including code, unless this is central to the contribution (e.g., for a new open-source benchmark).
   - The instructions should contain the exact command and environment needed to run to reproduce the results. See the NeurIPS code and data submission guidelines (`https://nips.cc/public/guides/CodeSubmissionPolicy`) for more details.
   - The authors should provide instructions on data access and preparation, including how to access the raw data, preprocessed data, intermediate data, and generated data, etc.
   - The authors should provide scripts to reproduce all experimental results for the new proposed method and baselines. If only a subset of experiments are reproducible, they should state which ones are omitted from the script and why.
   - At submission time, to preserve anonymity, the authors should release anonymized versions (if applicable).
   - Providing as much information as possible in supplemental material (appended to the paper) is recommended, but including URLs to data and code is permitted.

6. **Experimental setting/details**

   Question: Does the paper specify all the training and test details (e.g., data splits, hyperparameters, how they were chosen, type of optimizer, etc.) necessary to understand the results?

   Answer: [Yes]

   Justification: We demonstrate all of the experimental settings in Section 4, Appendix C, Appendix D, Appendix E and Appendix G.

   Guidelines:

   - The answer NA means that the paper does not include experiments.
   - The experimental setting should be presented in the core of the paper to a level of detail that is necessary to appreciate the results and make sense of them.
   - The full details can be provided either with the code, in appendix, or as supplemental material.

7. **Experiment statistical significance**

   Question: Does the paper report error bars suitably and correctly defined or other appropriate information about the statistical significance of the experiments?

   Answer: [Yes]

   Justification: We clarify the significance and error bars with their calculation directly in Section 4.

   Guidelines:

- The answer NA means that the paper does not include experiments.
- The authors should answer "Yes" if the results are accompanied by error bars, confidence intervals, or statistical significance tests, at least for the experiments that support the main claims of the paper.
- The factors of variability that the error bars are capturing should be clearly stated (for example, train/test split, initialization, random drawing of some parameter, or overall run with given experimental conditions).
- The method for calculating the error bars should be explained (closed form formula, call to a library function, bootstrap, etc.)
- The assumptions made should be given (e.g., Normally distributed errors).
- It should be clear whether the error bar is the standard deviation or the standard error of the mean.
- It is OK to report 1-sigma error bars, but one should state it. The authors should preferably report a 2-sigma error bar than state that they have a 96% CI, if the hypothesis of Normality of errors is not verified.
- For asymmetric distributions, the authors should be careful not to show in tables or figures symmetric error bars that would yield results that are out of range (e.g. negative error rates).
- If error bars are reported in tables or plots, The authors should explain in the text how they were calculated and reference the corresponding figures or tables in the text.

8. **Experiments compute resources**

Question: For each experiment, does the paper provide sufficient information on the computer resources (type of compute workers, memory, time of execution) needed to reproduce the experiments?

Answer: [Yes]

Justification: We manifest our compute resources detailedly in Section 4. In particular, we use four NVIDIA A100 Tensor Core GPUs with 80GB memory for inference.

Guidelines:

- The answer NA means that the paper does not include experiments.
- The paper should indicate the type of compute workers CPU or GPU, internal cluster, or cloud provider, including relevant memory and storage.
- The paper should provide the amount of compute required for each of the individual experimental runs as well as estimate the total compute.
- The paper should disclose whether the full research project required more compute than the experiments reported in the paper (e.g., preliminary or failed experiments that didn't make it into the paper).

9. **Code of ethics**

Question: Does the research conducted in the paper conform, in every respect, with the NeurIPS Code of Ethics https://neurips.cc/public/EthicsGuidelines?

Answer: [Yes]

Justification: We claim to stricly adhere to the NeurIPS Code of Ethics.

Guidelines:

- The answer NA means that the authors have not reviewed the NeurIPS Code of Ethics.
- If the authors answer No, they should explain the special circumstances that require a deviation from the Code of Ethics.
- The authors should make sure to preserve anonymity (e.g., if there is a special consideration due to laws or regulations in their jurisdiction).

10. **Broader impacts**

Question: Does the paper discuss both potential positive societal impacts and negative societal impacts of the work performed?

Answer: [Yes]

Justification: We imply the potential effects and future aspirations in Section 6.

Guidelines:

- The answer NA means that there is no societal impact of the work performed.
- If the authors answer NA or No, they should explain why their work has no societal impact or why the paper does not address societal impact.
- Examples of negative societal impacts include potential malicious or unintended uses (e.g., disinformation, generating fake profiles, surveillance), fairness considerations (e.g., deployment of technologies that could make decisions that unfairly impact specific groups), privacy considerations, and security considerations.
- The conference expects that many papers will be foundational research and not tied to particular applications, let alone deployments. However, if there is a direct path to any negative applications, the authors should point it out. For example, it is legitimate to point out that an improvement in the quality of generative models could be used to generate deepfakes for disinformation. On the other hand, it is not needed to point out that a generic algorithm for optimizing neural networks could enable people to train models that generate Deepfakes faster.
- The authors should consider possible harms that could arise when the technology is being used as intended and functioning correctly, harms that could arise when the technology is being used as intended but gives incorrect results, and harms following from (intentional or unintentional) misuse of the technology.
- If there are negative societal impacts, the authors could also discuss possible mitigation strategies (e.g., gated release of models, providing defenses in addition to attacks, mechanisms for monitoring misuse, mechanisms to monitor how a system learns from feedback over time, improving the efficiency and accessibility of ML).

11. **Safeguards**

Question: Does the paper describe safeguards that have been put in place for responsible release of data or models that have a high risk for misuse (e.g., pretrained language models, image generators, or scraped datasets)?

Answer: [NA]

Justification: As stated in Section 1, PHYBench consists of totally **original** questions, with no data leakage and other risks.

Guidelines:

- The answer NA means that the paper poses no such risks.
- Released models that have a high risk for misuse or dual-use should be released with necessary safeguards to allow for controlled use of the model, for example by requiring that users adhere to usage guidelines or restrictions to access the model or implementing safety filters.
- Datasets that have been scraped from the Internet could pose safety risks. The authors should describe how they avoided releasing unsafe images.
- We recognize that providing effective safeguards is challenging, and many papers do not require this, but we encourage authors to take this into account and make a best faith effort.

12. **Licenses for existing assets**

Question: Are the creators or original owners of assets (e.g., code, data, models), used in the paper, properly credited and are the license and terms of use explicitly mentioned and properly respected?

Answer: [Yes]

Justification: We claim that the existing assets are treated properly in our paper and project. In particular, we demonstrate all settings and regulations in Section 4 and Appendix D.

Guidelines:

- The answer NA means that the paper does not use existing assets.
- The authors should cite the original paper that produced the code package or dataset.

- The authors should state which version of the asset is used and, if possible, include a URL.
- The name of the license (e.g., CC-BY 4.0) should be included for each asset.
- For scraped data from a particular source (e.g., website), the copyright and terms of service of that source should be provided.
- If assets are released, the license, copyright information, and terms of use in the package should be provided. For popular datasets, `paperswithcode.com/datasets` has curated licenses for some datasets. Their licensing guide can help determine the license of a dataset.
- For existing datasets that are re-packaged, both the original license and the license of the derived asset (if it has changed) should be provided.
- If this information is not available online, the authors are encouraged to reach out to the asset's creators.

13. **New assets**

    Question: Are new assets introduced in the paper well documented and is the documentation provided alongside the assets?

    Answer: [Yes]

    Justification: We already release the dataset and code link together with assets with our paper: *https://www.phybench.cn/*.

    Guidelines:

    - The answer NA means that the paper does not release new assets.
    - Researchers should communicate the details of the dataset/code/model as part of their submissions via structured templates. This includes details about training, license, limitations, etc.
    - The paper should discuss whether and how consent was obtained from people whose asset is used.
    - At submission time, remember to anonymize your assets (if applicable). You can either create an anonymized URL or include an anonymized zip file.

14. **Crowdsourcing and research with human subjects**

    Question: For crowdsourcing experiments and research with human subjects, does the paper include the full text of instructions given to participants and screenshots, if applicable, as well as details about compensation (if any)?

    Answer: [Yes]

    Justification: We provide detailed instructions an details of crowdsourcing experiments in Section 4.

    Guidelines:

    - The answer NA means that the paper does not involve crowdsourcing nor research with human subjects.
    - Including this information in the supplemental material is fine, but if the main contribution of the paper involves human subjects, then as much detail as possible should be included in the main paper.
    - According to the NeurIPS Code of Ethics, workers involved in data collection, curation, or other labor should be paid at least the minimum wage in the country of the data collector.

15. **Institutional review board (IRB) approvals or equivalent for research with human subjects**

    Question: Does the paper describe potential risks incurred by study participants, whether such risks were disclosed to the subjects, and whether Institutional Review Board (IRB) approvals (or an equivalent approval/review based on the requirements of your country or institution) were obtained?

    Answer: [Yes]

Justification: This study does not require IRB approval, as it does not involve ethics, privacy concerns, or potentially harmful content. All participants of the project are rewarded with appropriate compensation.

Guidelines:

- The answer NA means that the paper does not involve crowdsourcing nor research with human subjects.
- Depending on the country in which research is conducted, IRB approval (or equivalent) may be required for any human subjects research. If you obtained IRB approval, you should clearly state this in the paper.
- We recognize that the procedures for this may vary significantly between institutions and locations, and we expect authors to adhere to the NeurIPS Code of Ethics and the guidelines for their institution.
- For initial submissions, do not include any information that would break anonymity (if applicable), such as the institution conducting the review.

16. **Declaration of LLM usage**

Question: Does the paper describe the usage of LLMs if it is an important, original, or non-standard component of the core methods in this research? Note that if the LLM is used only for writing, editing, or formatting purposes and does not impact the core methodology, scientific rigorousness, or originality of the research, declaration is not required.

Answer: [NA]

Justification: We claim that the core method development in this research does not involve LLMs as any important, original, or non-standard components.

Guidelines:

- The answer NA means that the core method development in this research does not involve LLMs as any important, original, or non-standard components.
- Please refer to our LLM policy (`https://neurips.cc/Conferences/2025/LLM`) for what should or should not be described.