Learning to Teach with Student Feedback

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Abstract

Knowledge distillation (KD) has gained much attention due to its effectiveness in compressing large-scale pre-trained models. In typical KD methods, the small student model is trained to match the soft targets generated by the big teacher model. However, the interaction between student and teacher is one-way. The teacher is usually fixed once trained, resulting in static soft targets to be distilled. This one-way interaction leads to the teacher’s inability to perceive the characteristics of the student and its training progress. To address this issue, we propose Interactive Knowledge Distillation (IKD), which also allows the teacher to learn to teach from the feedback of the student. In particular, IKD trains the teacher model to generate specific soft target at each training step for a certain student. Joint optimization for both teacher and student is achieved by two iterative steps: a course step to optimize student with the soft target of teacher, and an exam step to optimize teacher with the feedback of student. IKD is a general framework that is orthogonal to most existing knowledge distillation methods. Experimental results show that IKD outperforms traditional KD methods on various NLP tasks.

1 Introduction

Large-scale pre-trained language models (PLMs) such as GPT (Radford et al., 2019), BERT (Devlin et al., 2019), RoBERTa (Liu et al., 2019) have achieved significant improvement on various NLP tasks. Despite their power, they are computationally expensive due to their enormous size, which limits their deployment in real-time scenarios.

As an effective technique to tackle this problem, Knowledge Distillation (KD) (Bucilu et al., 2006; Hinton et al., 2015) has gained much attention in the community. In common KD methods for compressing large-scale PLMs, the original large-scale PLM often serves as the teacher model, which is first trained on the downstream task then uses its generated soft targets to teach the student model, which is usually a smaller PLM. Previous works such as DistilBERT (Sanh et al., 2019), BERT-PKD (Sun et al., 2019), MobileBERT (Sun et al., 2020), and TinyBERT (Jiao et al., 2020) have explored informative features that can be distilled, including the output logits, word embeddings, hidden states, attention maps, etc.

However, in these existing methods the interaction between teacher and student remains one-way. The teacher model is usually fixed once trained on the downstream data, resulting in static soft targets regardless of the characteristics of the student and its training progress. Though there are works that insert a scheduled temperature into the Softmax function to control the smoothness of the soft targets such as Annealing-KD (Jafari et al., 2021), the design of the temperature and its schedule does not utilize the feedback from the student and highly depends on expert experience.

In this paper, we propose the Interactive Knowledge Distillation (IKD) to implement a bidirectional interaction between teacher and student. IKD allows the teacher to learn to teach based on the feedback from the student. In particular, the teacher...
model is trained to generate specific soft targets at each training step with the help of meta-learning, especially MAML (Finn et al., 2017). Figure 1 illustrates main difference between our proposed IKD and traditional KD methods.

The central idea of IKD is to make the student model generalize well (like achieving a lower loss) on a batch of unseen samples after learned from the teacher model, while the measurable performance on unseen samples is back-propagated to the teacher model to update its teaching strategy. More specifically, IKD consists of two update steps: course step and exam step. In course step, the student is trained to match the soft targets generated by the teacher on a batch of data called course data. In exam step, the student after one gradient step is evaluated on another batch of data called exam data, the cross entropy of the student on the exam data provides meta-gradients to be back-propagated to the teacher model such that the teacher model could get updated to generate better soft targets. By iteratively conducting the two steps, we can continually improve the student model via the feedback generated by the teacher model. Such two steps are common in real-world education.

Based on the intuition above, IKD can be formulated in the context of machine learning as follows. Denote the teacher model and the student model as \( f \) and \( g \) respectively. Assume teacher model \( f \) is parameterized by \( \theta \), student model \( g \) is parameterized by \( \phi \). In the course step, we optimize the student model \( g(\phi) \) by vanilla knowledge distillation. The student model is trained to match the soft targets generated by the teacher model on a batch of data drawn from the course data set \( D_{\text{course}} \). In the exam step, we evaluate the student model on a batch of data drawn from the exam data set \( D_{\text{exam}} \). The test score of the exam, which can be instantiated as cross entropy, provides meta gradients to optimize the teacher model \( f(\theta) \). The overall illustration of our method is depicted by Figure 2.

2.1 Course Step: Student Optimization by Vanilla Knowledge Distillation

In our setting, the teacher model \( f(\theta) \) is implemented as a deep encoder such as BERT (Devlin et al., 2019), and the student model \( g(\phi) \) is implemented as a lightweight encoder such as a Transformer (Vaswani et al., 2017) encoder with fewer layers.

Given a training sample \( (x_i, y_i) \) drawn from the course data set \( D_{\text{course}} = \{x_i, y_i\}_{i=1}^{N} \), the teacher model computes a contextualized embedding \( h^T_i \), which is then fed into a Softmax layer to obtain the probability for each category, i.e. the soft targets, that is \( y^T_i = \text{Softmax}(W^T h^T_i) \), where \( W^T \) is a learnable parameter matrix and \( W^T h^T_i \) is the logits. For simplicity, \( W^T h^T_i \) is abbreviated to \( z^T_i \). In practice, the temperature is often introduced as a hyper-parameter to control the smoothness of the soft targets,

\[
y^T_i = \text{Softmax}(z^T_i/T) = \frac{e^{z^T_i/cT}}{\sum_{c=1}^{C} e^{z^T_i/cT}}, \quad (1)
\]

where \( C \) denotes the number of classes, \( c \) is the correct class.

Similarly, we can obtain the output of the student model \( y^S_i = \text{Softmax}(W^S h^S_i) \), where \( h^S_i = g(x_i; \phi) \). In vanilla knowledge distillation, the KL divergence of the teacher’s prediction and the stu-

\[1\] We use the [CLS] token embedding of the last layer as the sentence representation.
Interactive Knowledge Distillation (IKD) consists of two iterative steps: (a) Course step to update student with the soft targets generated by the teacher, and (b) Exam step to update teacher with the feedback (i.e., cross entropy on the exam data) produced by the student. By iterating the course step and the exam step, both of student and teacher can be optimized.

\[
\mathcal{L}_{KD} = KL(y^T, y^S) = -\frac{1}{N} \sum_{i=1}^{N} \sum_{j=1}^{C} y^T_{i,j} \log y^S_{i,j},
\]

(2)

where KL means Kullback-Leibler divergence.

In practice, the cross entropy between the student’s prediction and the ground truth is also incorporated to be minimized, i.e.,

\[
\mathcal{L}_{CE}^S = -\frac{1}{N} \sum_{i=1}^{N} \sum_{j=1}^{C} y_{i,j} \log y^S_{i,j}.
\]

(3)

Thus the overall loss function for the student model can be written as:

\[
\mathcal{L}_{stu} = \lambda \mathcal{L}_{KD} + (1 - \lambda) \mathcal{L}_{CE}^S,
\]

(4)

where \(\lambda\) is a hyper-parameter to balance the knowledge distillation loss and the cross entropy loss.

The student model is then updated by taking one gradient descent step with the loss function above, i.e.

\[
\phi_{t+1} = \phi_t - \alpha \nabla \phi_t \mathcal{L}_{stu}(\theta_t),
\]

(5)

where \(\alpha\) is the learning rate of the student model.

2.2 Exam Step: Teacher Optimization by Student’s Feedback

It is expected that the student with the post-update parameters will generalize well on unseen samples. Therefore, the updated student is then evaluated on another batch of samples drawn from the exam data set \(D_{exam} = \{x'_i, y'_i\}_{i=1}^{M}\). The performance of the student is measured by the cross entropy loss on the batch of exam data, which is called meta loss since it is calculated on the post-update parameter \(\phi_{t+1}\) thus provides meta gradient w.r.t. the teacher’s parameters.

\[
\mathcal{L}_{meta} = CE(y', y^S_{t+1}) = -\frac{1}{M} \sum_{i=1}^{M} \sum_{j=1}^{C} y'_i,j \log y^S_{i,j}(\phi_{t+1}).
\]

(6)

(7)

Our goal is to minimize \(\mathcal{L}_{meta}\) by optimizing the teacher model, therefore the gradient of \(\mathcal{L}_{meta}\) is w.r.t. the teacher’s parameters \(\theta\), so is a second-order gradient (gradient of gradient). To explicitly show this, we can re-write \(y^S_{i,j}(\phi_{t+1})\) in the above equation as:

\[
y^S_{i,j}(\phi_{t+1}) = y^S_{i,j}(\phi_t - \alpha \nabla \phi_t \mathcal{L}_{stu}(\theta_t)),
\]

(8)

in which we know that the gradient can flow into \(\theta_t\) through the knowledge distillation in the course step. Figure 3 shows the computational graph of the forward pass and the backward pass.

Although it is computationally available by conducting an additional backward pass under current deep learning libraries that support automatic differentiation, we use the first-order approximation for its efficiency (Finn et al., 2017; Nichol et al., 2018).

In the context of meta-learning, the teacher can be regarded as the meta-learner, while \(D_{course}\) and \(D_{exam}\) can be analogous to support set and query set respectively.

Also, the standard cross entropy loss between the teacher’s prediction and the ground truth can
Figure 3: Computational graph to show how gradients are back-propagated into the teacher’s parameters. Circles represent variable and squares represent operation. “Opt” stands for the optimizer, which is one gradient descent step. For simplicity, we omit the cross entropy loss for the student \(L^S_{CE}\) and for the teacher \(L^T_{CE}\) in the course step.

be incorporated,

\[
L^T_{CE} = -\frac{1}{N} \sum_{i=1}^{N} \sum_{j=1}^{C} y_{i,j} \log y^T_{i,j}. \tag{9}
\]

Thus, the overall loss function for the teacher model is

\[
L_{tea} = \gamma L_{meta} + (1 - \gamma) L^T_{CE}, \tag{10}
\]

where \(\gamma\) is another hyper-parameter to balance the meta loss and the cross entropy loss.

Thus, the teacher model can also be optimized by taking gradient descent:

\[
\theta_{t+1} = \theta_t - \beta \nabla_{\theta_t} L_{tea}, \tag{11}
\]

where \(\beta\) is the learning rate of the teacher model.

Putting the student optimization in course step and the teacher optimization in exam step together, the overall loss function of IKD is defined as

\[
L_{IKD} = L_{stu} + L_{tea}. \tag{12}
\]

By iterating the course step and the exam step, the student model learns from the soft targets generated by the teacher while the teacher model learns from the feedback generated by the student.

### 2.3 Discussion and Implementation

To take a closer look, in this section we further analyze the expanded form of the meta-gradient, which provides insights into the student’s feedback and sheds light on how to take an approximation to achieve efficient training.

According to the chain rule, we can unfold the meta gradient \(\nabla_{\theta_t} L_{meta}\) as follows\(^2\).

\[
\nabla_{\theta_t} L_{meta} = \nabla_{\phi_{t+1}} L_{meta} \cdot \nabla_{\phi_t} \phi_{t+1} = \nabla_{\phi_{t+1}} L_{meta} \cdot \nabla_{\phi_t} \phi_{t+1} \cdot \nabla_{\phi_t} \phi_{t} = \alpha \nabla_{\phi_{t+1}} L_{meta} \cdot \nabla_{\phi_t} \phi_{t} \log y^S_t \cdot y^T_t = \alpha \nabla_{\phi_{t+1}} L_{meta} \cdot \nabla_{\phi_t} \phi_{t} \log y^S_t \cdot \nabla_{\theta_t} y^T_t. \tag{13}
\]

Note that \(\nabla_{\phi_{t+1}} L_{meta}\) is the Jacobi matrix of shape \(|\phi|\) and \(\nabla_{\phi_t} \log y^S_t\) is of shape \(|\phi| \times C\).\(^3\) Therefore, \(\nabla_{\phi_{t+1}} L_{meta} \cdot \nabla_{\phi_t} \phi_{t} \log y^S_t\) is actually a weighting vector of shape \(C\) to adjust the gradient of teacher’s prediction w.r.t. Its parameters \(\nabla_{\theta_t} y^T_t\).

It is easy to find that the weighting vector only depends on the student’s gradient, therefore it is exactly the student’s feedback.

The behavior relationship between the weighting vector and the teacher’s prediction is analyzed. It is worth noticing that the weighting vector should be detached from the computational graph to forbid the gradient flow into the student. By this, the meta loss will only contribute to the update of the teacher’s parameters.

In practice, the difference between \(\phi_t\) and \(\phi_{t+1}\) is usually very small, which motivates us to take an approximation \(\phi_{t+1} \approx \phi_t\) such that \(\nabla_{\phi_{t+1}} L_{meta} \approx \nabla_{\phi_t} L_{meta}\). By this approximation, Eq. (13) can be simplified as

\[
\nabla_{\theta_t} L_{meta} \approx \alpha \nabla_{\phi_t} L_{meta} \cdot \nabla_{\phi_t} \phi_t \log y^S_t \cdot \nabla_{\theta_t} y^T_t. \tag{14}
\]

Besides, note that \(\nabla_{\phi_t} L_{meta}\), \(\nabla_{\phi_t} \log y^S_t\) and \(\nabla_{\theta_t} y^T_t\) are mutually independent, therefore we can calculate them independently and achieve joint optimizing in an efficient way. In our experiments we set \(D_{course} = D_{exam} = D_{train}\) for efficient optimization. Though, it should be mentioned that in our framework the course data set can be un-labeled, i.e. \(D_{course} = \{x_i\}_{i=1}^N\). In this case, the cross entropy loss between the student’s prediction and the ground truth is removed such that the loss for the student is exactly the knowledge distillation loss. Thus, only the supervision signal of \(D_{exam}\) is required. We leave IKD in this semi-supervised setting as future work.

\(^2\)For the simplicity of derivation, we set \(N\) and \(M\) to 1, and omit the constant scalar \(\lambda\).

\(^3\)For matrix multiplication, \(\nabla_{\phi_t} \log y^S_t\) should be in the transpose form, which is omitted here for the simplicity.
3 Experiments

Though IKD is orthogonal to most current knowledge distillation methods to compressing large-scale PLMs such as DistilBERT (Sanh et al., 2019) and TinyBERT (Jiao et al., 2020), which distill different feature sets (such as logits, embeddings, hidden states, attention maps, etc.), it is exhaustive to test IKD with these different distillation features and their combinations. Thus, in our experiments we mainly evaluate the effectiveness of IKD based on the vanilla knowledge distillation and BERT-PKD (Sun et al., 2019).

3.1 Datasets and Models

We conduct experiments on the General Language Understanding Evaluation (GLUE) benchmark (Wang et al., 2019) with the backbone of BERT (Devlin et al., 2019), and on ChemProt dataset (Schneider et al., 2020) and SciCite dataset (Cohan et al., 2019) with backbone of SciBERT (Beltagy et al., 2019).

GLUE Benchmark We use seven text classification tasks in the GLUE benchmark: The Corpus of Linguistic Acceptability (CoLA) (Warstadt et al., 2019), The Stanford Sentiment Treebank (SST-2) (Socher et al., 2013), Microsoft Research Paraphrase Corpus (MRPC) (Dolan and Brockett, 2005), Quora Question Pairs (QQP) (Wang et al., 2019), Multi-Genre Natural Language Inference (MNLI) (Williams et al., 2018), Question Natural Language Inference (QNIL) (Rajpurkar et al., 2016) and Recognizing Textual Entailment (RTE) (Wang et al., 2019).

Domain Tasks We use ChemProt (Schneider et al., 2020) and SciCite (Cohan et al., 2019) to evaluate the performance of our method on domain specific tasks. ChemProt consists of 1,820 PubMed abstracts with chemical-protein interactions annotated by domain experts. SciCite is a dataset containing 11k annotated citation intents in biochemical and computer science domains. The standard metrics are micro F1 for ChemProt and macro F1 for SciCite. We evaluate our method on both tasks with the backbone of SciBERT (Beltagy et al., 2019).

3.2 Experimental Setup

Our implementation is based on PyTorch (Paszke et al., 2019). The training and evaluation are performed on a single RTX 2080Ti or RTX 3090 GPU. For downstream tasks in GLUE we first fine-tune the teacher model for 3 epochs with learning rate of 2e-5. For domain tasks the teacher is fine-tuned for 4 epochs. The batch size is 32 for all tasks. The student model is initialized with the parameters from the first k layers of BERT base (12 layer), where k is the number of the student’s layer. In our experiments we mainly evaluate our method when k = 4 and k = 6. The total number of parameters of BERT24, BERT12, BERT6 and Bert4 are 340M, 110M, 67M and 52M respectively. The batch size is set to 4 for all downstream tasks. We conduct 3 experiments for each dataset and the median is reported.

3.3 Experimental Results

We report our results on GLUE benchmark. The results are presented in Table 1. We denote BERT-k as a BERT with only k layers. BERT4-FT is to directly fine-tune the first 4 layers of the pre-trained BERT. BERT4-KD represents student trained with vanilla knowledge distillation loss, i.e., Eq. (4). We also exhibit the reported result of TAKD (Mirzadeh et al., 2019) and Annealing KD (Jafari et al., 2021) for a direct comparison.

Results on GLUE Benchmark As shown in Table 1, IKD surpasses the vanilla knowledge distillation method on all tasks. For RTE, IKD outperforms directly finetuning by 3.2% and knowledge distillation by 2.9%. For QNLI and MRPC, although the performance of knowledge distillation compared with directly fine-tuning is even detrimental, IKD can consistently improve the students. We also evaluate our method on the GLUE test server and we show the results in Table 1. On the GLUE leaderboard our method consistently improves the performance.

Results on Domain Tasks Experimental results on the ChemProt and SciCite test set are shown in Table 2, which demonstrate the effectiveness of IKD on domain specific task. It’s worth noting that on the SciCite dataset our approach is even able to make the student outperform the teacher.

Compatibility with Patient Knowledge Distillation To evaluate the compatibility of IKD with more competitive distillation methods, we further apply IKD on BERT-PKD (Sun et al., 2019) (denoted as BERT-PKD-IKD) with teacher model as BERT-base (12 layers) and student as BERT6. BERT-PKD exploits information from hidden fea-
Table 1: Comparisons between IKD and Vanilla KD on the dev and test set of GLUE tasks. The teacher network is BERT\textsubscript{24} and the student network is BERT\textsubscript{4}. FT indicates that the student is directly fine-tuned without any soft targets. KD means that the student learns using vanilla knowledge distillation. IKD represents our method. The best results for each task are in-bold. Methods with † denote results reported from Jafari et al. (2021).

Table 2: Experimental results of SciBERT on the test set of ChemProt and SciCite.

Table 3: Performance based on patient knowledge distillation on GLUE dev set. PKD represents patient knowledge distillation and PKD-IKD means combination of PKD and IKD.

4.1 About the Soft Targets

Since IKD allows the teacher to dynamically adjust its soft targets by using the feedback from the student, it would be interesting to see how the output of the teacher changes as the training goes on. In Figure 4 we visualize the output soft targets of the teacher output in different training epochs. We can find that the soft targets are relatively smooth at the beginning and become sharper as the training progresses. This is consistent with the hand-designed smoothing schedules (Dogan et al., 2020; Jafari et al., 2021), which introduce a hyper-parameter to control how quickly the soft targets converge to the one-hot distribution. In contrast, our method automatically learns to adjust the smoothness of the soft targets based on the feedback from the student. In Table 4 we further use entropy to measure the smoothness of output targets in different epochs on full training sets of MRPC, RTE and ChemProt dataset.
Figure 4: Visualization of the generated soft targets of three training epochs on ChemProt dataset produced by the corresponding teacher. We can find that the soft targets are softer at the early stage and become sharp as the training goes on. Finally the soft targets are quite similar to the one-hot distribution.

### 4.2 About the Feedback

As mentioned in 2.3, the gradient of the meta loss can be viewed as a weighted sum of the gradient of teacher’s prediction w.r.t. its parameters, i.e. $\nabla_{\theta} y_{T}^T$ (See Eq. (14)). The weighting vector $\alpha \nabla_{\phi} L_{\text{meta}} \cdot \nabla_{\phi} \log y_{S}^T$ can be regarded as the feedback of the student. Assume $f_{b} = \alpha \nabla_{\phi} L_{\text{meta}} \cdot \nabla_{\phi} \log y_{S}^T$, Eq. (14) can be written as

$$\nabla_{\theta} L_{\text{meta}} \approx f_{b} \cdot \nabla_{\theta} y_{T}^T = \nabla_{\theta} \sum_{i=1}^{C} f_{b_{i}} \cdot y_{i}^T, \quad (15)$$

where $f_{b} \in \mathbb{R}^{C}$, $y_{T} \in \mathbb{R}^{C}$, $C$ is the number of classes.

In this section, we attempt to analyze the relationship between the student’s feedback $f_{b}$ and the teacher’s prediction $y_{T}$. In particular, we plot $(f_{b_{i}}, y_{i}^T)$ for each $i \in \{1, \cdots, C\}$ in Figure 5. The data points are collected from the 7,500 training steps on CoLA dataset. CoLA is a binary classification task so we can plot $C = 2$ data points for each training step such that there are 15,000 data points in total.

Note that The greater the student’s feedback $f_{b_{i}}$ for class $i$, the greater the penalty of teacher’s prediction on class $i$. As shown in Figure 5a, the student’s feedback is always non-positive for teacher’s prediction on target label, which can also be revealed by the expanded form of the feedback:

$$\alpha \nabla_{\phi} L_{\text{meta}} \nabla_{\phi} \log y_{c}^S = -\alpha (\nabla_{\phi} \log y_{c}^S)^2, \quad (16)$$

where $c$ is the target label. Besides, we can see that the student’s feedback is usually non-negative for teacher’s prediction on non-target label. Thus, the teacher’s prediction is always encouraged to approach the one-hot distribution where only the target label is 1, which has been verified in analysis. Also, we find that the range of feedback on target prediction is approximately three times larger than the range of feedback on non-target prediction.
In addition, the student’s feedback can be different even when the teacher’s predictions are the same. To take a deeper look, we demonstrate the value of feedback of the student at different training stage in Figure 5b. We can see that the student feedback converges to zero as the training goes, which implies that IKD works mainly at the immediate training stage.

5 Related Work

Our method draws on the idea of meta-learning and applies it to knowledge distillation for NLU. Thus, there are two lines of work that are related: (a) Knowledge distillation methods for language understanding, (b) Optimization-based meta-learning. We will introduce the two lines of work in Transformer Based KD and Optimization-Based Meta-Learning, and the intersect of the both lines in Teacher-Student Framework with Meta-Learning.

5.1 Knowledge Distillation for NLP

Knowledge distillation (KD) was originally proposed in domains other than NLP (Bucila et al., 2006; Hinton et al., 2015). With the emergence of large-scale pre-trained language models (PLMs) such as GPT (Radford et al., 2019), BERT (Devlin et al., 2019), and RoBERTa (Liu et al., 2019), KD has gain much attention in the NLP community due to its simplicity and efficiency in compressing the large PLMs. Much effort has been devoted to compress BERT via KD, including BERT-PKD (Sun et al., 2019), DistilBERT (Sanh et al., 2019), MobileBERT (Sun et al., 2020), and TinyBERT (Jiao et al., 2020). These methods have achieved great success by exploring informative features to be distilled, such as word embeddings, attention maps, hidden states, and output logits. Different from these work, our proposed IKD focuses on the interaction between teacher and student therefore is orthogonal to these work. Gou et al. (2021) provides a survey of online knowledge distillation where both the teacher and the student are updated simultaneously. Our IKD can be regarded as a special case of online KD.

5.2 Optimization-Based Meta-Learning

Optimization-based meta-learning intends to learn a group of initial parameters that can fast converge on a new task with only a few gradient steps, in which the learner and meta-learner share the same architecture. As a representative method, Model-Agnostic Meta-Learning (MAML) (Finn et al., 2017) uses a nested loop to find an optimal set of parameters on a variety of learning tasks, such that they can adapt well after a small number of training steps. To tackle the high-order derivative, Finn et al. (2017) also propose First-Order MAML (FOMAML) to perform the first-order approximation to reduce the computation. Similar to MAML, Reptile (Nichol et al., 2018) utilizes the weights in the inner loop instead of gradient to update meta parameters and achieves competitive performance on several few-shot classification benchmarks.

5.3 Teacher-Student Framework with Meta-Learning

Meta-learning has been proved efficient when combined with the teacher-student framework. Liu et al. (2020) employ meta-learning to optimize a label generator that generates dynamic soft targets for intermediate layers. Their method is proposed for self-boosting. Pan et al. (2020) focus on training a meta-teacher possessing multi-domain knowledge by metric-based meta-learning and then teach single-domain students. Meta Pseudo Labels (Pham et al., 2020) leverage a teacher network to generate pseudo labels on unsupervised images to enlarge the training set of the student. They aim to train a pseudo labels generator to while IKD dedicates to compress a large model into a smaller one. Thus the pseudo label generator is trained from scratch and shares same architecture with the student while in our IKD the teacher must be a larger pretrained model which leads to the impossibility of implementation of gradient substitution in MAML.

6 Conclusion

This paper proposes the Interactive Knowledge Distillation (IKD) to empower the teacher to learn to teach with student feedback. Inspired by MAML, IKD involves two optimization steps: (1) a course step for student optimization with the guidance of teacher and (2) an exam step for teacher optimization with the feedback from student. IKD shows superiority over vanilla KD on a suit of NLP tasks. By iterating the course step and exam step we can jointly optimize the teacher and student. In addition, we have discussed a semi-supervised generalization of our method, in which the course data is allowed to be unlabeled.
References


