

# 000 001 002 003 004 005 006 007 008 009 010 011 012 013 014 015 016 017 018 019 020 021 022 023 024 025 026 027 028 029 030 031 032 033 034 035 036 037 038 039 040 041 042 043 044 045 046 047 048 049 050 051 052 053 HRGS: HIERARCHICAL GAUSSIAN SPLATTING FOR MEMORY-EFFICIENT HIGH-RESOLUTION 3D RECON- STRUCTION

Anonymous authors

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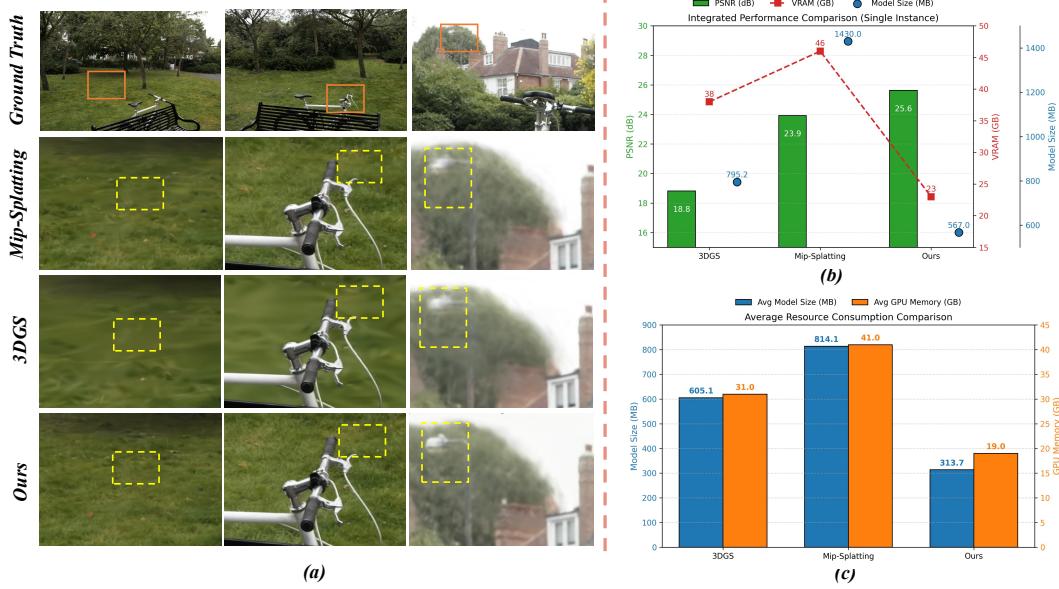


Figure 1: (a) High-resolution (~ 5K) renderings of the “bicycle” scene from the Mip-NeRF 360 dataset, with results from 3DGS, Mip-Splatting, and our method. Red dashed boxes highlight key details. (b) Performance on this scene: our method achieves the highest PSNR (25.6 dB) with significantly lower GPU memory (23 GB) and model size (567 MB) than 3DGS and Mip-Splatting. (c) Average resource usage across the full dataset shows our method maintains the smallest memory and model footprint.

## ABSTRACT

3D Gaussian Splatting (3DGS) has achieved significant progress in real-time 3D scene reconstruction. However, its application in high-resolution reconstruction scenarios faces severe memory scalability bottlenecks. To address this issue, we propose Hierarchical Gaussian Splatting (HRGS), a memory-efficient framework with hierarchical block-level optimization from coarse to fine. Specifically, we first derive a global, coarse Gaussian representation from low-resolution data; we then partition the scene into multiple blocks and refine each block using high-resolution data. Scene partitioning comprises two steps: Gaussian partitioning and training data partitioning. In Gaussian partitioning, we contract irregular scenes into a normalized, bounded cubic space and employ a uniform grid to evenly distribute computational tasks among blocks; in training data partitioning, we retain only those observations that lie within their corresponding blocks or make significant contributions to the rendering results. By guiding each block’s refinement with the global coarse Gaussian prior, we ensure alignment and seamless fusion of Gaussians across adjacent blocks. To reduce computational resource demands, we introduce an Importance-Driven Gaussian Pruning (IDGP) strategy: during each block’s refinement, we compute an importance score for every Gaussian primitive and remove those with minimal rendering contribution, thereby accelerat-

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ing convergence and reducing redundant computation and memory overhead. To further enhance surface reconstruction quality, we also incorporate normal priors from a pretrained model. Finally, even under memory-constrained conditions, our method enables high-quality, high-resolution 3D scene reconstruction. Extensive experiments on three public benchmarks demonstrate that our approach achieves state-of-the-art performance in high-resolution novel view synthesis (NVS) and surface reconstruction tasks.

## 1 INTRODUCTION

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3D scene reconstruction remains a longstanding challenge in computer vision and graphics. A significant advancement in this domain is the Neural Radiance Field (NeRF) (Mildenhall et al., 2021), which effectively represents geometry and view-dependent appearance using multi-layer perceptrons (MLPs), demonstrating significant advancements in 3D reconstruction quality. Recently, 3D Gaussian Splatting (3DGS) (Kerbl et al., 2023) has gained considerable attention as a compelling alternative to MLP-based (Mildenhall et al., 2021) and feature grid-based representations (Chen et al., 2022; Fridovich-Keil et al., 2022; Liu et al., 2020; Müller et al., 2022c). 3DGS stands out for its impressive results in 3D scene reconstruction and novel view synthesis while achieving real-time rendering at 1K resolutions. This efficiency and effectiveness, combined with the potential integration into the standard GPU rasterization pipeline, marks a significant step toward the practical adoption of 3D reconstruction methods. Although 3DGS has demonstrated impressive 3D reconstruction results, its application in high-resolution scenarios encounters critical memory scalability limitations. Specifically, when reconstructing outdoor scenes at ultra-high resolutions approaching 5K (e.g.  $4978 \times 3300$  pixels) in standardized benchmark datasets like Mip-NeRF 360 (Barron et al., 2022a), conventional 3DGS implementations demand excessive VRAM, exceeding the capacity of mainstream GPUs with limited memory, such as the NVIDIA A5000 (24GB VRAM). This computational bottleneck arises from the increasing resolution: higher resolutions demand more GPU memory, as illustrated in Fig. 1. Such algorithmic behavior fundamentally conflicts with finite GPU memory resources, resulting in catastrophic memory overflow during optimization phases.

To overcome these critical memory constraints while preserving reconstruction fidelity for high-resolution scene reconstruction, we present **Hierarchically Gaussian Splatting (HRGS)**, a memory-efficient framework with hierarchical block optimization from coarse to fine. Specifically, we first obtain a coarse global Gaussian representation using low-resolution images. Subsequently, to minimize memory usage on a single GPU, we partition the scene into spatially adjacent blocks and parallelly refined. Each block is represented with fewer Gaussians and trained on reduced data, allowing further optimization with high-resolution images. The partitioning strategy operates at two levels: Gaussian primitives and training data. To achieve a more balanced partition of Gaussians and avoid blocks with sparse Gaussians, we begin by contracting unbounded Gaussians. In detail, we define a bounded cubic region and use its boundary to normalize the Gaussian positions. Within this region, Gaussians are contracted via a linear mapping, while those outside undergo nonlinear contraction, yielding a more compact Gaussian representation. We then apply a uniform grid subdivision strategy to this contracted space, ensuring an even distribution of computational tasks. During data partitioning for training, we compute the SSIM loss (Wang et al., 2003) for each observation by comparing two renderings: One rendering is implemented with the complete global Gaussian representation, while the other is executed subsequent to the elimination of Gaussians within the target block. A more pronounced SSIM loss denotes that the observation exerts a more substantial contribution to the target block, so we set a threshold on SSIM loss and retain only observations whose values exceed it. To mitigate artifacts at the block boundaries, we further include observations that fall within the region of the considered block. Finally, to prevent overfitting, we employ a binary search algorithm during data partitioning to expand each block until the number of Gaussians it contains exceeds a specified threshold. This innovative strategy effectively reduces interference from irrelevant data while improving fidelity with decreased memory usage, as demonstrated in Tab. 4.

After partitioning the Gaussian primitives and data, we initialize each block in the original, uncontracted space using the coarse global Gaussian representation. To accelerate convergence and reduce computational overhead during block-level refinement with high-resolution data, we introduce an Importance-Driven Gaussian Pruning (IDGP) strategy. Specifically, we evaluate the interaction between each Gaussian and the multi-view training rays within the corresponding block, and discard

108 those with negligible rendering contributions. All blocks are then refined in parallel, and subse-  
 109 quently integrated into a unified, high-resolution global Gaussian representation. To further enhance  
 110 the quality of the reconstructed surfaces, we incorporate the View-Consistent Depth-Normal Reg-  
 111 ularizer (Chen et al., 2024a), which is applied both during the initialization of the coarse global  
 112 Gaussian representation and throughout the subsequent block-level refinement. Finally, our method  
 113 enables high-quality and high-resolution scene reconstruction even under constrained memory ca-  
 114 pacities (e.g., NVIDIA A5000 with 24GB VRAM). We validate our method on two sub-tasks of  
 115 3D reconstruction: high-resolution NVS and surface reconstruction, and demonstrate that it delivers  
 116 superior high-resolution reconstruction performance. In summary, the main contributions of this  
 117 paper are:

- 118 • We propose HRGS, a memory-efficient coarse to fine framework that leverages low-  
 119 resolution global Gaussians to guide high-resolution local Gaussians refinement, enabling  
 120 high-resolution scene reconstruction with limited GPU memory.
- 121 • We introduce a novel partitioning strategy for Gaussian primitives and data, optimizing  
 122 memory usage, reducing irrelevant data interference, and enhancing reconstruction fidelity.
- 123 • We propose a novel dynamic pruning strategy, Importance-Driven Gaussian Pruning  
 124 (IDGP), which evaluates the contribution of each Gaussian primitive during training and  
 125 selectively removes those with low impact. This approach significantly improves training  
 126 efficiency and optimizes memory utilization.
- 127 • Extensive experiments on three public datasets demonstrate that our approach achieves  
 128 state-of-the-art performance in high-resolution rendering and surface reconstruction.

## 131 2 RELATED WORK

132 **3D Reconstruction.** Recent 3D reconstruction research can be broadly categorized into traditional  
 133 geometry-based and deep learning methods. The former relies on multi-view stereo (MVS) (YAN,  
 134 2021) and structure from motion (SfM) (Schonberger & Frahm, 2016) to estimate scene depth and  
 135 camera poses, producing point clouds and subsequent surface meshes. The latter integrates implicit  
 136 functions (e.g., SDF, Occupancy) (Huang et al., 2023) with volumetric rendering for high-fidelity  
 137 reconstruction, as exemplified by Neural Radiance Fields (NeRF) (Mildenhall et al., 2021). How-  
 138 ever, NeRF-based approaches often struggle with real-time performance in large-scale or dynamic  
 139 scenarios. In contrast, 3D Gaussian Splatting (Kerbl et al., 2023) encodes scenes as 3D Gaussians  
 140 (with position, scale, and color), using differentiable point-based rendering to achieve fast training  
 141 and inference while balancing accuracy and quality. Balancing high fidelity, scalability, and real-  
 142 time capability remains a key challenge in 3D reconstruction. Within the field of 3D reconstruction,  
 143 there are primarily two main sub-tasks: novel view synthesis (NVS) and surface reconstruction.

144 **Novel View Synthesis.** Novel View Synthesis (NVS) aims to generate a target image from an arbi-  
 145 trary camera pose, given source images and their camera poses (Levoy & Hanrahan, 1996; Gortler  
 146 et al., 1996). NeRF (Mildenhall et al., 2021) integrates implicit representations with volume render-  
 147 ing(Drebin et al., 1988; Levoy, 1990), demonstrating impressive results in view synthesis. However,  
 148 dense point sampling remains a major bottleneck for rendering speed. To address this, various  
 149 methods accelerate NeRF by replacing the original multi-layer perceptrons (MLPs) (Chen & Zhang,  
 150 2019; Park et al., 2019) with discretized representations, such as voxel grids (Sun et al.), hash en-  
 151 codings (Müller et al., 2022a), or tensor radiation fields (Chen et al., 2022). Additionally, some  
 152 approaches (Yariv et al., 2023; Reiser et al., 2023) distill pretrained NeRFs into sparse representa-  
 153 tions, enabling real-time rendering. Recent advancements in 3D Gaussian Splatting (3DGS) have  
 154 significantly improved real-time rendering, demonstrating that continuous representations are not  
 155 strictly necessary. However, directly optimizing and rendering at high resolutions drastically in-  
 156 crease memory overhead, making it challenging to achieve real-time reconstruction of high-quality  
 157 scenes on mainstream GPUs with limited memory (24GB). Our approach specifically addresses  
 158 this challenge by reducing the computational cost of high-resolution processing while preserving  
 159 reconstruction fidelity.

160 **Multi-View Surface Reconstruction.** Traditional multi-view stereo methods (Bleyer et al., 2011a;  
 161 Broadhurst et al., 2001; Kutulakos & Seitz, 2000; Schonberger et al., 2016a; Seitz & Dyer, 1999;

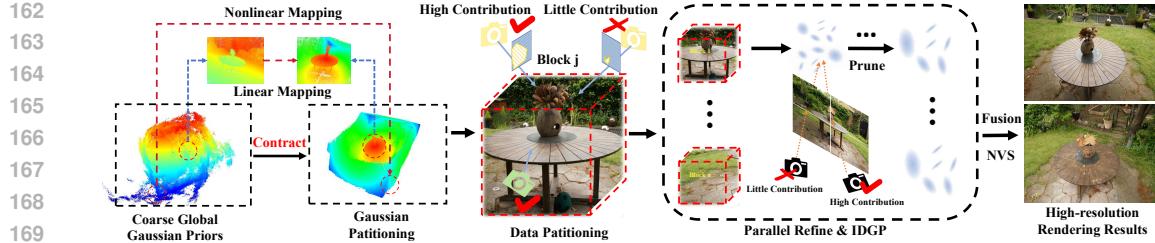


Figure 2: **Illustrative diagram of the hierarchical block optimization framework.** We first derive a global coarse Gaussian representation using low-resolution data, which is then contracted into a bounded cubic region. Subsequently, the contracted Gaussian primitives are partitioned into blocks, each paired with corresponding data. Leveraging the global coarse Gaussian as initialization, we parallelly refine each block in the original uncontracted space using high-resolution data. During this refinement process, an Importance-Driven Gaussian Pruning strategy is employed to compute the interaction between each Gaussian primitive and training view rays, removing low-contribution primitives to accelerate convergence and reduce redundancy. The optimized blocks are then concatenated to form the final global Gaussian representation, which is validated through novel view synthesis (NVS) and surface reconstruction tasks.

Seitz et al., 2006) reconstruct scenes by estimating dense depth maps (Bleyer et al., 2011b; Schönberger et al., 2016b), fusing them into point clouds (Furukawa & Ponce, 2010; Lhuillier & Quan, 2005), and generating surfaces through triangulation or implicit fitting (Kazhdan & Hoppe, 2023). While widely adopted, these approaches often suffer from artifacts, noise, and local minima during reconstruction (Barnes et al., 2009). Recent advances in neural implicit representations, such as NeRF (Mildenhall et al., 2022) and SDF-based variants (Wang et al., 2021; Yu et al., 2022), learn continuous volumetric or surface fields directly from images, jointly modeling geometry and appearance for improved robustness to occlusions and textureless regions. However, their high computational cost and limited scalability remain challenges. To address these issues, 3D Gaussian Splattting (3DGS) (Kerbl et al., 2023) uses explicit anisotropic Gaussians for efficient, differentiable rasterization (Yifan et al., 2019). However, its performance in sparse or large-scale settings is limited by insufficient geometric supervision (Chen et al., 2023). Recent methods, like VCR-GauS (Chen et al., 2024b), Vastgaussian (Lin et al., 2024), and SuGaR (Guédon & Lepetit, 2024), improve reconstruction through view-consistent constraints (Turkulainen et al., 2024; Bae & Davison, 2024b; Yin et al., 2019). Our HRGS framework advances 3DGS by combining global Gaussian priors, adaptive partitioning, and importance-driven pruning, supporting high-fidelity 5K rendering under strict memory constraints. This makes HRGS a promising solution for high-resolution surface reconstruction, overcoming limitations in previous methods (Li et al., 2024; Barron et al., 2022c; Fang & Wang, 2024).

### 3 METHODOLOGY

Our proposed HRGS efficiently reconstructs high-resolution scenes. We first review 3DGS in Section 3.1. Next, in Section 3.2, we present the memory-efficient coarse-to-fine framework, detailing the partitioning of Gaussian primitives and data, along with the proposed Importance-Driven Gaussian Pruning (IDGP) strategy. Finally, Section 3.3 describes the loss function employed in our approach.

#### 3.1 PRELIMINARY

We begin with a brief overview of 3D Gaussian Splattting (3DGS) (Kerbl et al., 2023). In the 3DGS framework, a scene is represented as a set of discrete 3D Gaussian primitives, denoted by  $G_K = \{G_k \mid k = 1, \dots, K\}$ , where  $K$  is the total number of Gaussians in the scene. Each Gaussian  $G_k$  is defined by a set of learnable parameters, including its 3D position  $\mathbf{p}_k \in \mathbb{R}^{3 \times 1}$ , opacity  $\sigma_k \in [0, 1]$ , and geometric properties, which typically consist of scaling and rotation parameters that define the Gaussian covariance matrix  $\Sigma_k \in \mathbb{R}^{3 \times 3}$ . Furthermore, spherical harmonic (SH) features  $f_k \in \mathbb{R}^{3 \times 16}$  are used to encode view-dependent color information  $c_k \in \mathbb{R}^{3 \times 1}$ , allowing for a realistic depiction of color variations as a function of the viewing angle. For rendering purposes,

216 the combined color and opacity contributions from multiple Gaussians at a given pixel are weighted  
 217 according to their respective opacities. The color blending for overlapping Gaussians is computed  
 218 as follows:

$$219 \quad 220 \quad 221 \quad \hat{C} = \sum_{k \in M} c_k \alpha_k \prod_{j=1}^{k-1} (1 - \alpha_j), \quad (1)$$

222 where  $c_k$  and  $\alpha_k = \sigma_k G_k$  denote the color and density of the  $k$ -th Gaussian primitive, respectively.  
 223

### 224 3.2 HIERARCHICAL BLOCK OPTIMIZATION FRAMEWORK

226 Traditional 3D Gaussian methods (Kerbl et al., 2023; Chen et al., 2024a) rely on global iterative  
 227 optimization for scene reconstruction but struggle with memory inefficiency in high-resolution set-  
 228 tings, such as the Mip-NeRF 360 (Barron et al., 2022b) dataset. To address this, we propose a  
 229 hierarchical optimization framework that balances coarse global representation and fine-grained lo-  
 230 cal refinement, as shown in Fig 2. We first construct a low-resolution global Gaussian prior, guiding  
 231 block-wise high-resolution optimization to enhance geometric detail while maintaining memory ef-  
 232 ficiency. This approach enables precise reconstruction under constrained memory conditions. The  
 233 following subsections detail the coarse global Gaussian generation, Gaussian and data partitioning  
 234 strategies, as well as refinement and post-processing procedures.

235 **Coarse Global Gaussian Representation.** This stage establishes the foundation for subsequent  
 236 Gaussian and data partitioning. Initially, we train the COLMAP (Schönberger et al., 2016;  
 237 Schönberger & Frahm, 2016) points using all observations at a low resolution for 30,000 itera-  
 238 tions, generating a coarse representation of the global geometric structure. The resulting Gaussian  
 239 primitives are represented as  $G_K = \{G_k \mid k = 1, \dots, K\}$ , where  $K$  denotes the total number  
 240 of Gaussians. In the following block-wise high-resolution refinement, this robust global geom-  
 241 etric prior ensures that Gaussians are positioned accurately, thereby preventing drift and eliminating  
 242 inter-block discontinuities, minimizing significant fusion artifacts.

243 **Primitives and Data Division.** Directly applying uniform grid division in the original 3D space may  
 244 lead to uneven Gaussian distribution in local regions (e.g. many nearly empty grid cells alongside  
 245 overly dense ones). To address this imbalance, we define a bounded cubic region and contract  
 246 all Gaussians within it. Within this region, the central one-third of the space is designated as the  
 247 internal region, while the surrounding area is classified as the external region. The internal region is  
 248 bounded by the minimum and maximum corner positions,  $\mathbf{p}_{\min}$  and  $\mathbf{p}_{\max}$ , which define the limits of  
 249 the central one-third of the entire region. To standardize the representation of global Gaussians, we  
 250 introduce a normalization step:  $\hat{\mathbf{p}}_k = 2(\mathbf{p}_k - \mathbf{p}_{\min}) / (\mathbf{p}_{\max} - \mathbf{p}_{\min}) - 1$ . As a result, the coordinates  
 251 of Gaussians located in the internal region are constrained within the range  $[-1, 1]$ . To achieve more  
 252 effective contraction of the global Gaussians, we apply a linear mapping for the Gaussians in the  
 253 internal region, while a nonlinear mapping is employed for the external region (as shown in Fig. 2).  
 254 The final contraction step is performed using the function described in (Wu et al., 2023):

$$253 \quad 254 \quad 255 \quad \text{contract}(\hat{\mathbf{p}}_k) = \begin{cases} \hat{\mathbf{p}}_k, & \text{if } \|\hat{\mathbf{p}}_k\|_\infty \leq 1, \\ \left(2 - \frac{1}{\|\hat{\mathbf{p}}_k\|_\infty}\right) \frac{\hat{\mathbf{p}}_k}{\|\hat{\mathbf{p}}_k\|_\infty}, & \text{if } \|\hat{\mathbf{p}}_k\|_\infty > 1. \end{cases} \quad (2)$$

256 The contracted space is then uniformly partitioned into  $n$  blocks (the specific number of blocks used will  
 257 be discussed further in Sec. 4.), resulting in a more balanced Gaussian partitioning. After partitioning the  
 258 Gaussians, our objective is to ensure that each block is sufficiently trained. In other words, the training data  
 259 assigned to each block should be highly relevant to the region it represents, focusing on refining the details  
 260 within the block. To achieve this, we select observations and retain only those that contribute significantly to  
 261 the visible content of the corresponding block in the rendering results. Since SSIM loss effectively captures  
 262 structural differences and is somewhat robust to brightness variations (Wang et al., 2003), we use it as the  
 263 foundation for our data partition strategy. Specifically, for the  $j$ -th block, the global Gaussians contained  
 264 within it are represented as:  $G_{Kj} = \{G_k \mid b_{j,\min} \leq \text{contract}(\hat{\mathbf{p}}_k) < b_{j,\max}, k = 1, \dots, K_j\}$ , where  $b_{j,\min}$   
 265 and  $b_{j,\max}$  define the spatial bounds of the  $j$ -th block, and  $K_j$  is the number of Gaussians contained within the  
 266 block. The set of observations assigned to the  $j$ -th block is defined by the following formula:

$$267 \quad 268 \quad 269 \quad \mathbf{P}_j^1 = \text{Mask} (\mathcal{L}_{\text{SSIM}} (I_{G_K}(\boldsymbol{\tau}), I_{G_K \setminus G_{Kj}}(\boldsymbol{\tau})) > \epsilon) \odot \boldsymbol{\tau}, \quad (3)$$

270 where  $\text{Mask}(\cdot)$  generates an element-wise binary mask. Each element of the mask is set to 1 if it satisfies the  
 271 condition inside the mask (i.e. the SSIM loss exceeds a threshold  $\epsilon$ ), and 0 otherwise. The term  $G_K \setminus G_{Kj}$   
 272 denotes the portion of the global set  $G_K$  excluding the block  $G_{Kj}$ .  $\boldsymbol{\tau}$  is a matrix containing all camera poses,  
 273 with each column  $\boldsymbol{\tau}_i$  representing the  $i$ -th camera pose.  $\odot$  is element-wise product operation. And the resulting

270 set  $\mathbf{P}_j^1$  represents the camera poses assigned to the  $j$ -th block. However, this strategy does not account for the  
 271 projection of the considered block, which may lead to artifacts at the edges of the block. To address this issue,  
 272 we further include poses that fall within the boundaries of the considered block:

$$273 \quad 274 \quad \mathbf{P}_j^2 = \text{Mask}(b_{j,\min} \leq \text{contract}(\hat{\mathbf{p}}_{\tau_i}) < b_{j,\max}) \odot \boldsymbol{\tau}. \quad (4)$$

275 where  $\hat{\mathbf{p}}_{\tau_i}$  is the position under the world coordinate of pose  $i$ . The final assignment is:  
 276

$$277 \quad 278 \quad \mathbf{P}_j(\boldsymbol{\tau}, G_{Kj}) = \text{Merge}(\mathbf{P}_j^1, \mathbf{P}_j^2), \quad (5)$$

279 where  $\text{Merge}$  denotes the concatenate operator that removes any duplicate elements, ensuring only one copy of  
 280 each element is retained. To prevent overfitting, we employ a binary search method (Lin, 2019) to incrementally  
 281 expand  $b_{j,\min}$  and  $b_{j,\max}$  until  $K_j$  exceeds a predefined threshold. Notably, this procedure is applied exclusively  
 282 during the data partitioning phase for each block.

283 **Importance-Driven Gaussian Pruning (IDGP).** After the Gaussian primitives and data division, we proceed  
 284 to train each block in parallel in the original uncontracted space. Specifically, we first initialize each block  
 285 using the coarse global Gaussian prior, and then fine-tune each block using high-resolution data as detailed  
 286 in Sec. 3.3. During block-level optimization, we further accelerate convergence and reduce redundancy by  
 287 applying a lightweight importance scoring and pruning strategy. Let  $\mathcal{R}_b$  denote the set of all rays cast from the  
 288 training views assigned to block  $b$ . For each Gaussian primitive  $p_i$  in block  $b$ , we only consider its interactions  
 289 with  $\mathcal{R}_b$  and define the weighted hit count as  
 290

$$291 \quad H_i = \sum_{r \in \mathcal{R}_b} \mathbf{1}(p_i \cap r) T_{i,r}, \text{ where } T_{i,r} = \prod_{\substack{p_k \cap r \\ \text{depth}(p_k) < \text{depth}(p_i)}} (1 - \alpha_k). \quad (6)$$

292 Here,  $\mathbf{1}(p_i \cap r) = 1$  if and only if ray  $r$  intersects  $p_i$ , and  $T_{i,r}$  accumulates the transmission up to  $p_i$  by all  
 293 closer primitives  $p_k$ . We then compute the raw volume of  $p_i$  as  $v_i = \prod_{d=1}^3 s_{i,d}$ , where each  $s_{i,d}$  is the  
 294 scale factor of  $p_i$  along the  $d$ -th spatial axis, and apply logarithmic compression  $\tilde{v}_i = \ln(1 + v_i)$ . Finally,  
 295 we assign each primitive an importance score with its opacity  $\alpha_i$ :  $S_i = \alpha_i \tilde{v}_i H_i$ . After evaluating  $\{S_i\}$   
 296 for all primitives in the block, we sort them in descending order and remove the lowest 20%. The remaining  
 297 Gaussians, now both globally informed by the coarse prior and locally pruned of low-impact points, continue  
 298 through block-level fine-tuning. Finally, we select the fine-tuned Gaussians within each block and, guided  
 299 by the global geometric prior, concatenate the blocks to obtain the fine-tuned global Gaussian. Through this  
 300 process, the previously coarse global Gaussians are significantly enhanced in areas where they lacked detail.

### 3.3 LOSS FUNCTION

301 To optimize both the coarse and refined stages, the loss functions are defined as follows. First, we use the RGB  
 302 loss  $\mathcal{L}_{RGB}$  from 3DGS for the novel view synthesis task. To reconstruct scene surfaces, we enforce normal  
 303 priors  $\mathbf{N}$  predicted by a pretrained monocular deep neural network (Bae & Davison, 2024a) to supervise the  
 304 rendered normal map  $\hat{\mathbf{N}}$  using L1 and cosine losses:  
 305

$$306 \quad 307 \quad \mathcal{L}_n = \|\hat{\mathbf{N}} - \mathbf{N}\|_1 + (1 - \hat{\mathbf{N}} \cdot \mathbf{N}). \quad (7)$$

308 Additionally, to effectively update Gaussian positions, we utilize the predicted normal  $\mathbf{N}$  from the pretrained  
 309 model to supervise the D-Normal  $\bar{\mathbf{N}}_d$ . The D-Normal is derived from the rendered depth by computing the  
 310 cross-product of horizontal and vertical finite differences from neighboring points:  
 311

$$312 \quad 313 \quad \bar{\mathbf{N}}_d = \frac{\nabla_v \mathbf{d} \times \nabla_h \mathbf{d}}{|\nabla_v \mathbf{d} \times \nabla_h \mathbf{d}|}, \quad (8)$$

314 where  $\mathbf{d}$  represents the 3D coordinates of a pixel obtained via back-projection from the depth map. We then  
 315 apply the D-Normal regularization from (Chen et al., 2024a):  
 316

$$317 \quad 318 \quad \mathcal{L}_{dn} = w \cdot (\|\bar{\mathbf{N}}_d - \mathbf{N}\|_1 + (1 - \bar{\mathbf{N}}_d \cdot \mathbf{N})), \quad (9)$$

319 where  $w$  is a confidence term. The overall loss function integrates these components:  
 320

$$321 \quad 322 \quad \mathcal{L}_{total} = \mathcal{L}_{RGB} + \lambda_1 \mathcal{L}_s + \lambda_2 \mathcal{L}_n + \lambda_3 \mathcal{L}_{dn}, \quad (10)$$

323 where  $\lambda_1$ ,  $\lambda_2$ , and  $\lambda_3$  balance the individual terms. The term  $\mathcal{L}_s$  is introduced to simplify depth computation,  
 324 as described in (Chen et al., 2024a).

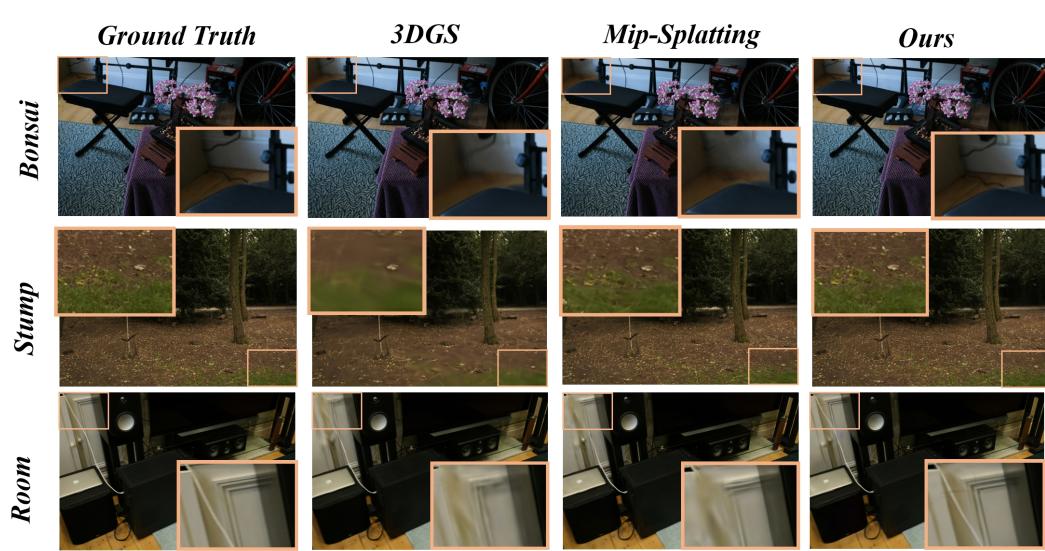


Figure 3: **Qualitative Comparison on the Mip-NeRF 360 Dataset.** Three representative scenes demonstrate that our method more faithfully preserves fine-scale structures and achieves superior visual fidelity compared to 3DGS and Mip-Splatting.

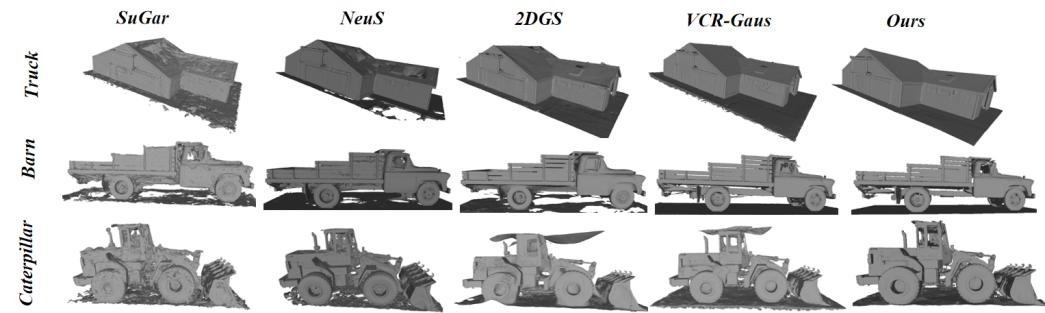


Figure 4: **Qualitative Comparison on TNT dataset.** Reconstructions from left to right—SuGar, NeuS, 2DGS, and VCR-Gaus—demonstrate that our method delivers more complete surface geometry, enhanced smoothness in planar regions, and superior preservation of fine structural details, thereby outperforming existing approaches in geometric fidelity.

## 4 EXPERIMENTS

### 4.1 EXPERIMENTAL SETUPS

**Dataset and Metrics.** To evaluate the effectiveness of our reconstruction method, we conduct experiments on two core tasks: novel view synthesis (NVS) and surface reconstruction, using multiple benchmark datasets. Our primary goal is high-resolution 3D reconstruction under constrained memory, which emphasizes the preservation of fine details (e.g., textures, edges); we therefore select datasets offering high-resolution imagery and rich geometric complexity. We first assess high-resolution NVS performance on Mip-NeRF360 (Barron et al., 2022b) (which includes scenes at resolutions such as 4946×3286), followed by high-fidelity surface reconstruction on the Tanks and Temples (TNT)(Knapitsch et al., 2017) dataset. Additionally, we perform comparative experiments on the Replica(Straub et al., 2019) dataset to further validate our method. For a comprehensive evaluation, we employ standard metrics including SSIM, PSNR, LPIPS, and F1-score. Rendering efficiency is also assessed in terms of frames per second (FPS).

**Implementation Details.** We begin by following the 3DGS (Kerbl et al., 2023) pipeline, performing 30,000 iterations at a low resolution (0.3K) to obtain a coarse global Gaussian prior. During this stage, we introduce our Importance-Driven Gaussian Pruning (IDGP) strategy, which scores the rendering contribution of each Gaussian primitive and prunes those with the lowest impact. This step prevents irrelevant viewpoints from being assigned to training blocks in subsequent stages, reducing unnecessary computational overhead. The resulting coarse prior serves as initialization for the refinement phase. In the contraction stage, we define

378 Table 1: **Mip-NeRF 360 Full-Resolution Results.** The rendering quality comparison highlights the  
 379 best and second-best results.  
 380

	Zip-NeRF	Instant-NGP	Mip-NeRF	3DGS	3DGS+EWA	Mip-Splatting	<b>Ours</b>
PSNR $\uparrow$	<b>28.25</b>	24.36	27.51	26.19	26.42	26.53	<b>28.41</b>
SSIM $\uparrow$	0.822	0.644	0.779	0.795	0.783	<b>0.833</b>	<b>0.869</b>
LPIPS $\downarrow$	<b>0.198</b>	0.366	0.254	0.349	0.347	0.343	<b>0.245</b>

386 Table 2: **Quantitative Results on the Tanks and Temples Dataset (Knapitsch et al., 2017).** The  
 387 best results are highlighted in **orange**, while the second-best results are marked in **blue**.  
 388

<b>Scene</b>	<b>NeuS-based</b>			<b>Gaussian-based</b>			
	NeuS	MonoSDF	SuGaR	3DGS	2DGS	VCR-GauS	Ours
Barn	0.29	0.49	0.14	0.13	0.36	<b>0.62</b>	<b>0.65</b>
Caterpillar	<b>0.29</b>	<b>0.31</b>	0.16	0.08	0.23	0.26	<b>0.29</b>
Courthouse	0.17	0.12	0.08	0.09	0.13	<b>0.19</b>	<b>0.23</b>
Ignatius	<b>0.83</b>	<b>0.78</b>	0.33	0.04	0.44	0.61	0.64
Meetingroom	<b>0.24</b>	<b>0.23</b>	0.15	0.16	0.16	0.19	<b>0.24</b>
Truck	0.45	0.42	0.26	0.18	0.16	<b>0.52</b>	<b>0.61</b>
Mean	0.38	0.39	0.19	0.09	0.30	<b>0.40</b>	<b>0.45</b>
FPS	<10		–	<b>159</b>	68	145	<b>146</b>

400 the central one-third of the full scene as the internal region and the remainder as the external region. The  
 401 contracted Gaussians are then divided into four spatial sub-blocks. For data assignment, we use an SSIM  
 402 threshold of  $\epsilon = 0.1$ . Each sub-block is further trained for 30,000 iterations. Specifically, we apply IDGP  
 403 at the 10,000th, 15,000th, and 25,000th iterations to prune low-impact Gaussians based on their interaction  
 404 contributions with training rays. This dynamic pruning accelerates convergence and reduces computational  
 405 redundancy. To facilitate surface reconstruction, we adopt the depth-normal regularization method described in  
 406 Sec. 3.3. Specifically, we use the pretrained DSINE (Bae & Davison, 2024a) model for outdoor scenes and the  
 407 pretrained GeoWizard (Fu et al., 2024) for indoor scenes to predict normal maps. The hyperparameters  $\lambda_1$ ,  $\lambda_2$ ,  
 408 and  $\lambda_3$  are set to 1, 0.01, and 0.015, respectively. After rendering the depth maps, we perform truncated signed  
 409 distance function (TSDF) fusion and process the results using Open3D (Zhou et al., 2018). Additional details  
 410 are provided in the supplementary.

411 **Novel View Synthesis.** As shown in Tab. 1, we compare our method with several existing approaches, including  
 412 mip-NeRF (Barron et al., 2022a), Instant-NGP (Müller et al., 2022b), zip-NeRF (Barron et al., 2023), 3DGS (Kerbl et al., 2023), 3DGS+EWA (Zwicker et al., 2001), and Mip-Splatting (Yu et al., 2024). At high resolutions, our method  
 413 significantly outperforms all state-of-the-art techniques. As shown in Fig. 3, our method produces high-fidelity imagery  
 414 devoid of fine-scale texture distortions. While 3DGS (Kerbl et al., 2023) introduces noticeable erosion artifacts due to  
 415 dilation operations, Mip-Splatting (Yu et al., 2024) shows improved performance, yet still exhibits evident texture  
 416 distortions. In contrast, our method avoids such issues, producing  
 417 images that are both aesthetically pleasing and closely aligned with the ground truth, demonstrating the effectiveness  
 418 of our hierarchical refined strategy.

419 **Surface Reconstruction.** Our method not only delivers high-quality novel view synthesis but also enables  
 420 accurate 3D surface reconstruction. As shown in Tab. 2, our approach outperforms both NeuS-based methods  
 421 (e.g., NeuS (Wang et al., 2021), MonoSDF (Yu et al., 2022), and Geo-NeuS (Fu et al., 2022)) and Gaussian-  
 422 based techniques (e.g., 3DGS (Kerbl et al., 2023), SuGaR (Guédon & Lepetit, 2024), 2DGS (Huang et al.,  
 423 2024a), and VCR-GauS (Chen et al., 2024b)) on the Tanks and Temples (TNT) dataset. Compared to NeuS-  
 424 based approaches, our method achieves significantly faster reconstruction. Compared to Gaussian-based meth-  
 425 ods, our method obtains substantially better reconstruction quality, for instance, improving the F1-score from  
 426 0.3 to 0.45 compared to 2DGS. Moreover, our approach surpasses the recent state-of-the-art method VCR-  
 427 GauS, achieving a higher reconstruction quality (0.45 vs. 0.4). As illustrated in Fig. 4, our method excels at  
 428 recovering fine geometric details. We also observe a significant advantage in rendering speed, outperforming  
 429 2DGS by more than a factor of two. On the Replica dataset, as summarized in Tab. 3, our method attains  
 430 performance comparable to MonoSDF (Yu et al., 2022) while operating at substantially higher speeds. Further-  
 431

Table 3: **Our experimental comparisons on Replica (Straub et al., 2019).** **Bold** indicates the best.

Type	Method	F1-score	Time
Implicit	NeuS	65.12	>10h
	MonoSDF	<b>81.64</b>	
Explicit	3DGS	50.79	$\leq 2h$
	SuGar	63.20	
	2DGS	64.36	
	Ours	<b>74.87</b>	

more, compared to explicit reconstruction approaches including 3DGS (Kerbl et al., 2023), SuGaR (Guédon & Lepetit, 2024), and 2DGS (Huang et al., 2024a), our method achieves notably higher F1-scores.

## 4.2 ABLATION STUDIES

To validate the effectiveness of individual components in our method, we conducted a series of ablation experiments on the “Stump” scene from the Mip-NeRF 360 dataset and the “Ignatius” scene from the TNT dataset. Specifically, we evaluated the impacts of the following components: hierarchical block optimization strategy, Importance-Driven Gaussian Pruning (IDGP), and data partitioning strategy.

Table 4: **Ablation on Data Division.** “SO Ass.” refers to SSIM-based assignment, while “BO Ass.” denotes boundary-based assignment. **Bold** indicates the best.

Method	Settings				
	baseline	w/o contraction	w/o SO Ass.	w/o BO Ass.	Full
PSNR $\uparrow$	21.87	22.73	24.29	22.96	<b>25.24</b>
F1 $\uparrow$	0.55	0.54	0.58	0.60	<b>0.64</b>

**Ablation of the Data Division.** As shown in Tab. 4, we analyzed the impact of the data partitioning strategy, using the original Gaussian global prior as the baseline. The results in the first and last columns of Tab. 4 demonstrate the effectiveness of our proposed method in improving performance (0.55 vs. 0.64). The second column in Tab. 4 further indicates that assigning relevant data in the contracted space is essential for enhancing reconstruction quality. The third column in Tab. 4 highlights the importance of Strategy 1 (Eq. (13)) in data partitioning, and we also found that Strategy 2 (Eq. (14)) plays a significant role in preventing artifacts at the edges of blocks.  $\beta$

**Ablation of the Number of Blocks.** As shown in Tab. 5, we investigate how the number of blocks affects reconstruction performance by splitting the coarse global Gaussian into 2, 4, 8, or 16 blocks. Our results indicate that too few blocks can cause conflicts between local and global optima, resulting in insufficient refinement of fine details, whereas too many blocks may lead to imbalanced data distribution and local overfitting. Consequently, we select four blocks for our experiments on the TNT dataset.

Table 5: **Ablation on number of blocks.**

	2	4	8	16
PSNR $\uparrow$	24.86	<b>25.24</b>	23.93	22.56
F1 $\uparrow$	0.62	<b>0.64</b>	0.61	0.57

Table 6: **Ablation Studies on the “Stump” Scene of the Mip-NeRF 360 Dataset (Barron et al., 2022a).**

Method	Model Size(MB)	GPU Memory(G)	PSNR	SSIM	LPIPS
Baseline	348.62	23	26.39	0.804	0.291
Baseline w/o IDPG	601.04	28	26.41	0.791	0.288

**Ablation of Importance-Driven Gaussian Pruning.** To validate the effectiveness of the proposed Importance-Driven Gaussian Pruning (IDGP) strategy, we conducted an ablation study on the “stump” scene of the Mip-NeRF 360 dataset. As shown in Tab. 6, we compare the full method with the IDGP mechanism (Baseline) against a control variant in which IDGP is disabled (Baseline w/o IDGP). IDGP is able to selectively prune redundant Gaussians during training without degrading rendering quality, thereby achieving significant improvements in both model structure and computational efficiency.

## 5 CONCLUSIONS

In this work, we propose HRGS, a memory-efficient coarse-to-fine framework that uses low-resolution global Gaussians to guide the refinement of high-resolution local Gaussians, enabling high-resolution scene reconstruction under limited GPU memory. Our novel partitioning strategy for Gaussian primitives and data effectively facilitates block-wise optimization, significantly alleviating the high memory overhead typical of traditional 3DGS in high-resolution 3D reconstruction. Despite reduced memory requirements, our method achieves superior reconstruction quality and demonstrates state-of-the-art performance on two key sub-tasks of 3D reconstruction. As a result, this work establishes a new baseline for high-resolution 3D reconstruction, setting an important precedent for future research in the field.

## 486 Ethics Statement

487  
 488 This study proposes a high-resolution 3D reconstruction method based on Hierarchical Random Gaussian Splat-  
 489 tering (HRGS), aiming to achieve high-quality scene reconstruction under limited memory conditions. This  
 490 work falls under the category of basic algorithm research. All experiments are conducted using publicly avail-  
 491 able standard benchmark datasets (such as Mip-NeRF 360, Tanks and Temples, and Replica). The use of these  
 492 datasets complies with academic conventions and does not involve human subjects, personal data, or any form  
 493 of privacy risks. We encourage the application of this technology in fields that benefit society, including edu-  
 494 cation, digitalization of cultural heritage, smart city visualization, and virtual/augmented reality. We also call  
 495 on users to abide by relevant ethical guidelines and laws and regulations. Although this method has advantages  
 496 in improving reconstruction efficiency, it may also be misused in unauthorized scene reconstruction and other  
 497 behaviors that infringe on privacy. Therefore, we suggest that in practical deployment, enhanced ethical review  
 498 and legal supervision should be implemented to ensure the legitimacy of the application of this technology. The  
 499 authors declare no potential conflicts of interest.

## 500 Reproducibility Statement

501 To ensure the reproducibility of this study, we have provided a detailed description of the HRGS framework  
 502 in the main text and the Method section (Section 3), including the hierarchical block optimization strategy,  
 503 Gaussian and data partitioning methods, and the Importance-Driven Gaussian Pruning (IDGP) strategy. The  
 504 Experimental Setup section (Section 4) clearly specifies the datasets used, evaluation metrics, hardware en-  
 505 vironment (NVIDIA A5000/A800 GPU), and software configuration (PyTorch 2.0.1, CUDA 11.7). We will  
 506 make the complete code implementation publicly available on GitHub after the final revision of the paper, in-  
 507 cluding model initialization, partitioning process, training scripts, and loss function definitions, to enable other  
 508 researchers to reproduce our results. In addition, Appendix A further provides hyperparameter settings, res-  
 509 olution scaling experiments, and module ablation analysis, which enhances the transparency and verifiability  
 510 of the method. If necessary, we are willing to provide training logs, model weights, and preprocessed data to  
 511 support the community's further verification and development of this work.

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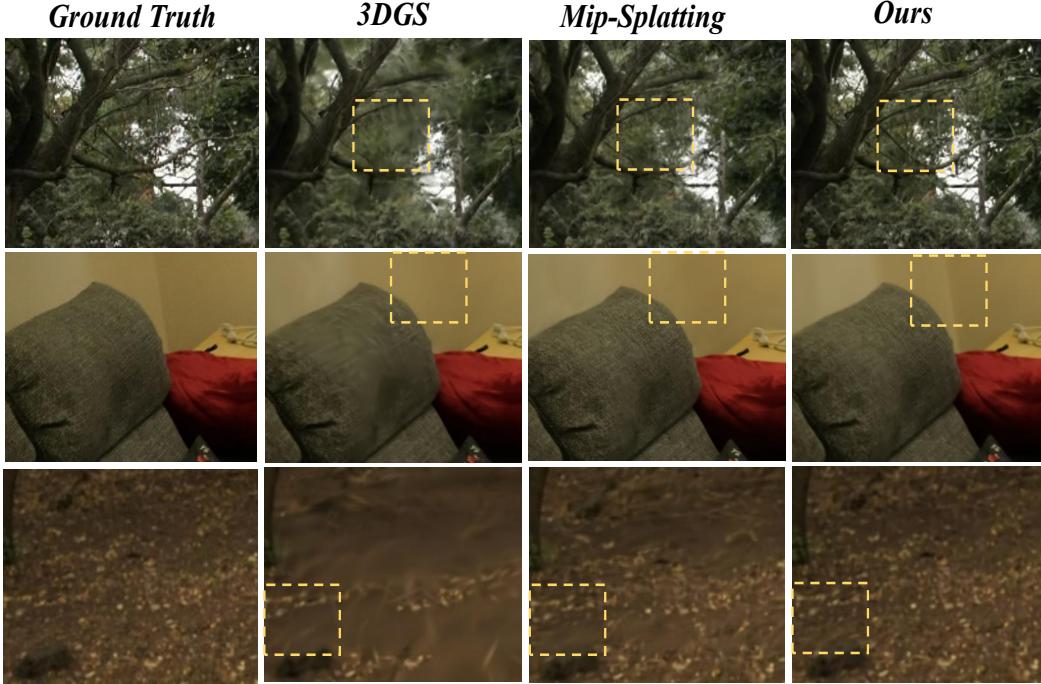
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A APPENDIX  
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Figure A: Comparison of 3DGS, Mip-Splatting and Ours at full resolution on the Mip-NeRF 360  
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## A.1 IMPLEMENTATION DETAILS

All experiments are conducted using machines equipped with NVIDIA A5000 GPUs, with PyTorch 2.0.1 and CUDA 11.7 as the software environment. For comparison methods that exceed the memory capacity of the A5000 setup, we employ NVIDIA A800 GPUs to ensure reliable execution and fair evaluation. Unless otherwise specified, we adopt the same hyperparameter settings as 3DGS (Kerbl et al., 2023). For outdoor scenes in the TNT dataset (Knapitsch et al., 2017), we incorporate decoupled appearance modeling (Lin et al., 2024) to mitigate exposure-related artifacts. All models are trained and evaluated on the same data splits as used in 2DGS (Huang et al., 2024a), across the TNT (Knapitsch et al., 2017) and Mip-NeRF360 (Barron et al., 2022a) benchmarks.

## A.2 ADDITIONAL EFFICIENCY COMPARISONS

We have supplemented the efficiency metrics in the table A. HRGS exhibits clear advantages in both memory consumption and the number of active Gaussians. Although the training time is longer, this reflects a deliberate time-for-space trade-off, enabling high-resolution reconstruction under strict memory constraints and demonstrating efficiency in resource-limited scenarios.

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Table A: Efficiency comparison of different methods at full resolution on the 360 dataset.

Method	Time (h)	GPU (GB)	Gaussians num
3DGS	3	31	2,754,212
Mip-Splatting	2.5	41	4,013,411
Ours	5	19	1,301,166

## A.3 ADDITIONAL ABLATION STUDY

In this section, we further investigate the contributions of our proposed modules through comprehensive ablation studies. We begin by analyzing the block-wise training strategy in Section A.3.1. Next, we examine

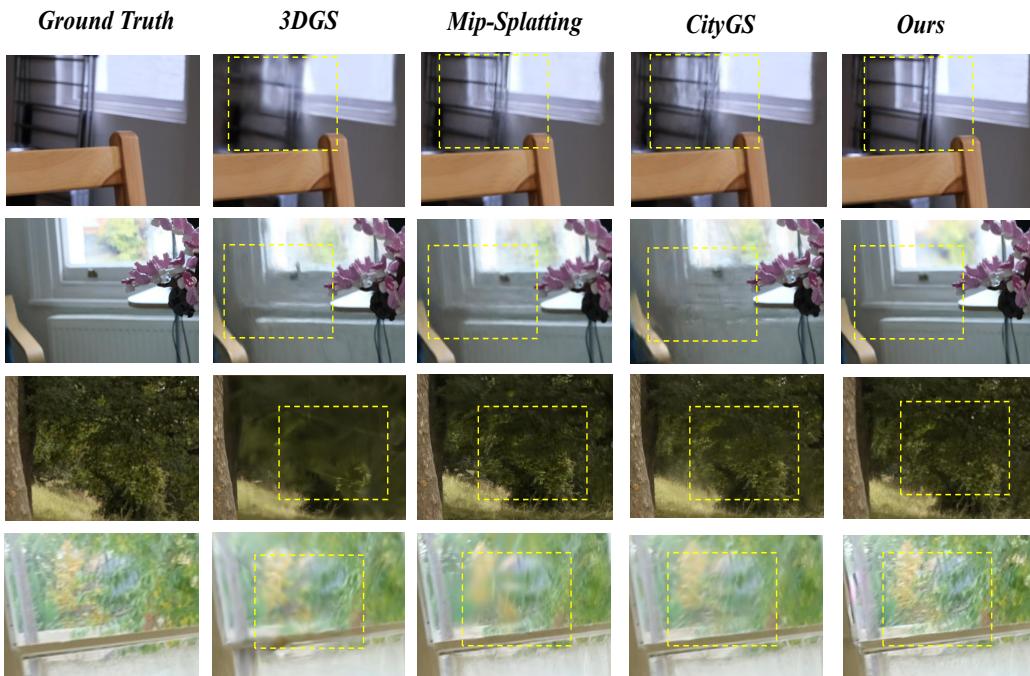
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757  
758 Table B: **Mip-NeRF 360 Full-Resolution Results.** **Bold** indicates the best.  
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	Zip-NeRF	Instant-NGP	Mip-NeRF	3DGS	CityGS	Mip-Splatting	<b>Ours</b>
PSNR $\uparrow$	28.25	24.36	27.51	26.19	27.71	26.53	<b>28.41</b>
SSIM $\uparrow$	0.822	0.644	0.779	0.795	0.801	0.833	<b>0.869</b>
LPIPS $\downarrow$	<b>0.198</b>	0.366	0.254	0.349	0.294	0.343	0.241

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764 the impact of the Data Division and IDGP strategies in Section A.3.2 and Section A.3.3, respectively. While  
765 these ablation studies were previously presented in the main paper, they were limited to a single scene. Here,  
766 we extend the evaluation to the full dataset, providing a more comprehensive and statistically robust analysis.  
767 Additionally, we introduce a ablation study on normal priors in Section A.3.4 to evaluate the effectiveness of  
768 geometric constraints. Finally, in Section A.3.5, we assess the scalability and effectiveness of our method across  
769 various resolution scales, demonstrating its consistent performance under different computational constraints.

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771 A.3.1 BLOCK-WISE TRAINING FOR HIGH-RESOLUTION RECONSTRUCTION

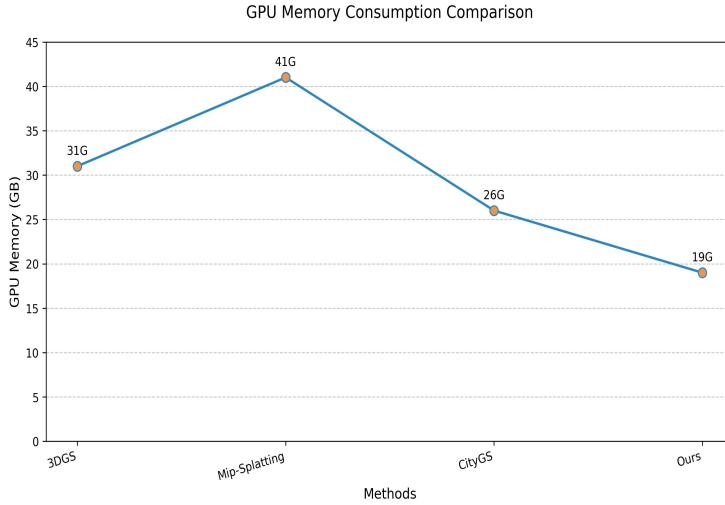
772 As shown in Tab. B, our method achieves superior rendering quality compared to CityGS. As illustrated in  
773 Fig. B, our approach demonstrates exceptional detail preservation in intricate geometric features and textural  
774 nuances. Additionally, Tab. C highlights the advantages of our block partitioning strategy over CityGS in  
775 enhancing model scalability. Across the Mip-NeRF 360 dataset, our method consistently reduces the total  
776 model size. For example, in the bicycle scene, the model size is 587.05 MB compared to the baseline’s 1126.4  
777 MB, with comparable improvements observed at the block level Tab. C. Furthermore, as shown in Fig. C,  
778 our method substantially reduces GPU memory consumption compared to 3DGS, Mip-Splatting, and CityGS,  
779 underscoring its superior optimization of computational efficiency over CityGS despite employing similar block  
780 partitioning strategies.

803  
804 Figure B: **Comparison of 3DGS, Mip-Splatting, CityGS and Ours** at full resolution on the Mip-  
805 NeRF 360 dataset.806  
807 A.3.2 ABLATION OF THE DATA DIVISION.  
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809 As shown in Table. D, we conducted chunk-based ablation experiments on the entire TNT dataset to evaluate  
810 the impact of data-partitioning strategies, using the original Gaussian global prior as the baseline. We system-

810 Table C: Comparison of model sizes (MB) across CityGS and Ours. **Bold** indicates the best.  
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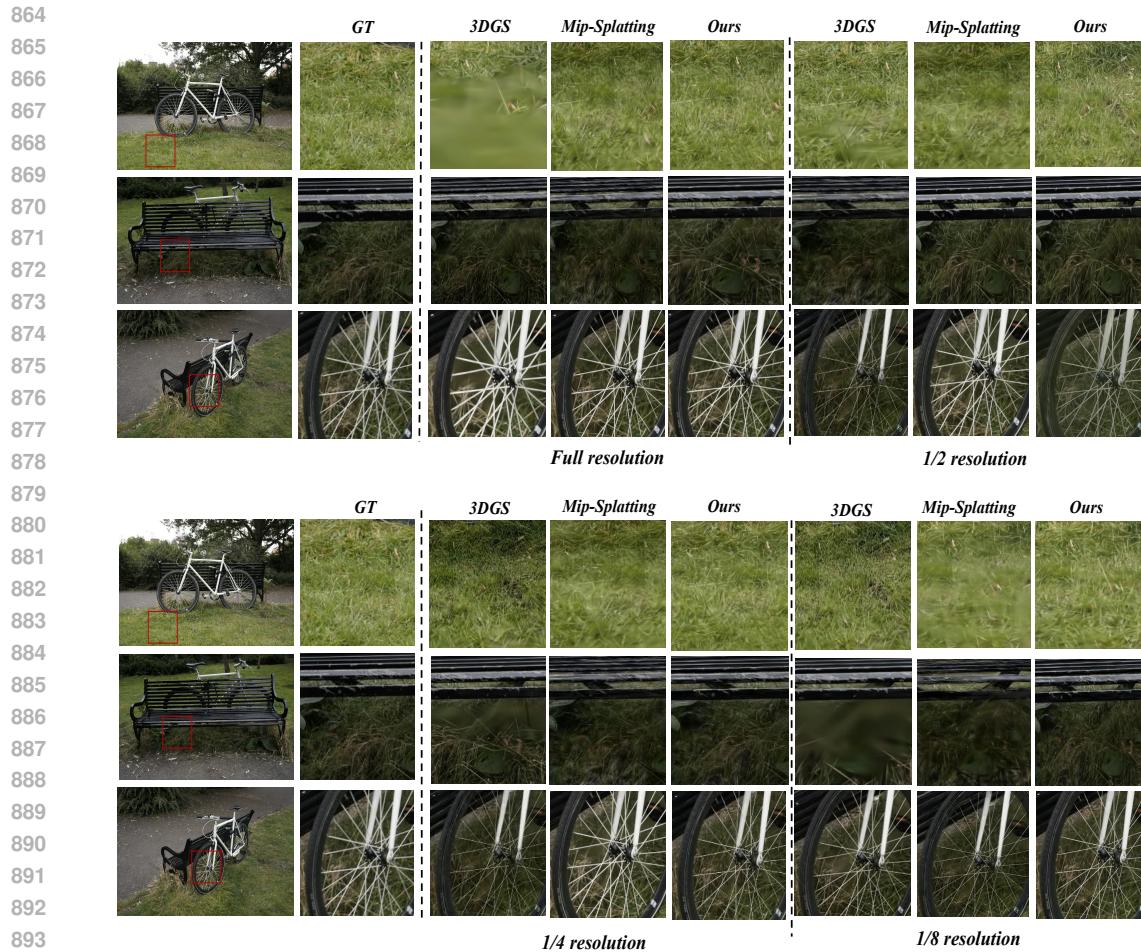
Scene	CityGS (MB)				Ours (MB)					
	Total	cell0	cell1	cell2	cell3	Total	cell0	cell1	cell2	cell3
bicycle	1126.4	512.63	480.45	70.92	63.11	<b>587.05</b>	187.22	238.32	100.76	61.75
bonsai	278.52	49.97	43.83	117.54	67.18	<b>160.10</b>	49.81	47.16	48.18	34.01
counter	215.85	21.38	22.26	78.73	93.49	<b>144.58</b>	23.06	36.63	36.36	45.54
flowers	738.18	269.72	276.41	96.18	93.87	<b>399.71</b>	163.86	133.96	65.55	63.33
garden	1196.80	269.72	276.41	96.18	93.87	<b>360.52</b>	114.76	86.78	87.60	79.39
kitchen	324.08	30.26	26.46	157.15	110.21	<b>170.94</b>	38.41	35.78	76.55	47.52
stump	873.41	399.37	302.45	171.59	191.51	<b>368.62</b>	103.86	103.32	80.75	80.69
treehill	745.24	273.96	236.07	136.24	98.97	<b>385.84</b>	109.68	149.32	66.55	60.29
room	301.02	33.58	94.33	74.08	106.03	<b>221.97</b>	316.31	33.84	75.64	76.19

837 Figure C: Average GPU memory consumption of 3DGS, Mip-Splatting, CityGS, and our  
838 method on the Full-Resolution Mip-NeRF 360 dataset.  
839841 atically investigate the contribution of individual components, including contraction, SSIM-based assignment  
842 (SO Ass.) and boundary-based assignment (BO Ass.).843 The results in the first and last columns of Tab. D demonstrate the effectiveness of our proposed method in  
844 improving performance (0.36 vs. 0.45). The second column in Tab. D further indicates that assigning relevant  
845 data in the contracted space is essential for enhancing reconstruction quality. The third column in Tab. D  
846 highlights the importance of SO Ass. in data partitioning, and we also found that BO Ass. plays a significant  
847 role in preventing artifacts at the edges of blocks.848 Table D: Ablation on Data Division (performed on the full TNT dataset). “SO Ass.” refers to  
849 SSIM-based assignment, while “BO Ass.” denotes boundary-based assignment. **Bold** indicates the  
850 best.  
851

Method	Settings				
	baseline	w/o contraction	w/o SO Ass.	w/o BO Ass.	Full
PSNR $\uparrow$	22.19	23.63	24.89	23.96	<b>25.02</b>
F1 $\uparrow$	0.36	0.38	0.41	0.43	<b>0.45</b>

## 858 A.3.3 ABLATION OF IMPORTANCE-DRIVEN GAUSSIAN PRUNING.

859 To evaluate the impact of Importance-Driven Gaussian Pruning (IDGP), we performed ablation studies on the  
860 full-resolution Mip-NeRF 360 dataset by comparing the proposed method with a variant that excludes IDGP.  
861 As shown in Tab. F, removing IDGP results in a substantial increase in model size from 313.72 MB to 621.04  
862 MB, along with a 42% rise in GPU memory usage (19 GB to 27 GB). Although PSNR slightly improves (28.02  
863 vs. 27.91), the SSIM drops notably (0.821 vs. 0.863). These results underscore the effectiveness of IDGP in  
864 eliminating redundant Gaussians, significantly enhancing model efficiency while preserving high-quality recon-

895 **Figure D: Qualitative comparsion on Mip-NeRF 360 for different resolution scales.**

898 struction, thus highlighting its importance for memory-efficient 3D reconstruction in high-resolution settings.  
 899 To evaluate the impact of our hierarchical refinement strategy, we conducted an ablation study on the Mip-NeRF  
 900 360 dataset. As illustrated in Tab. H, the results demonstrate that employing only coarse 3D Gaussian Splatting  
 901 with pruning yields limited reconstruction quality. In contrast, our complete pipeline—integrating both coarse  
 902 initialization and hierarchical refinement—achieves a substantial improvement, confirming the effectiveness of  
 903 the proposed refinement stages.

904 **A.3.4 CONTRIBUTION OF PRETRAINED GEOMETRIC PRIORS**

906 Regarding this study, our technical solution introduces normals estimated by the Dsine normal predictor, ap-  
 907 plying them as normal loss supervision to the normals generated by the depth2normal module in the 2DGS  
 908 framework. We conducted experiments on the TNT dataset, and the results ?? indicate that this supervi-  
 909 sion strategy improves the F1 score by 0.04. While it promotes reconstruction performance to a certain extent, the  
 910 improvement effect is relatively limited.

911 As shown in the table E, our method achieves superior normal estimation quality while maintaining competitive  
 912 computational efficiency compared to the baseline 2DGS approach.

913 **Table E: Quantitative comparison of normal estimation performance.**

Method	2DGS	2DGS + Dsine	Ours
F1 Score	0.30	0.34	0.45

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 919 **Table F: Ablation study on IDPG across the entire full resolution Mip-NeRF 360**  
 920 **Dataset(Barron et al., 2022a).**

Method	Model Size(MB)	GPU Memory(G)	PSNR	SSIM	LPIPS
w/o IDPG	621.04	27	28.02	0.821	0.308
Ours (Full)	313.72	19	27.91	0.863	0.342

### 926 A.3.5 ROBUSTNESS VALIDATION ACROSS RESOLUTION SCALES

928 To thoroughly evaluate the robustness of our method across varying resolution scales, we performed de-  
 929 tailed visual comparisons of rendering quality on the Mip-NeRF 360 dataset at multiple resolution levels.  
 930 As shown in Tab. G, we compare our method with several existing approaches, including mip-NeRF (Barron  
 931 et al., 2022a), Instant-NGP (Müller et al., 2022b), zip-NeRF (Barron et al., 2023), 3DGS (Kerbl et al., 2023),  
 932 3DGS+EWA (Zwicker et al., 2001), and Mip-Splatting (Yu et al., 2024). Our approach demonstrates com-  
 933 parable performance to these prior methods at one-eighth of the original resolution. Furthermore, at higher  
 934 resolutions, our method significantly outperforms all state-of-the-art techniques. As shown in Fig. D, our  
 935 method produces high-fidelity imagery devoid of fine-scale texture distortions. While 3DGS (Kerbl et al.,  
 936 2023) introduces noticeable erosion artifacts due to dilation operations, Mip-Splatting (Yu et al., 2024) shows  
 937 improved performance, yet still exhibits evident texture distortions. In contrast, our method avoids such issues,  
 938 producing images that are both aesthetically pleasing and closely aligned with the ground truth, demonstrating  
 939 the effectiveness of our hierarchical refined strategy.

940 **Table G: Quantitative results on Mip-NeRF 360 (Downscaled Resolutions).** The best results are  
 941 highlighted in **orange**, while the second-best results are marked in **blue**.

Method	1/2x			1/4x			1/8x		
	PSNR↑	SSIM↑	LPIPS↓	PSNR↑	SSIM↑	LPIPS↓	PSNR↑	SSIM↑	LPIPS↓
zip-NeRF	<b>30.00</b>	<b>0.892</b>	<b>0.099</b>	<b>31.57</b>	<b>0.933</b>	<b>0.056</b>	<b>32.52</b>	<b>0.954</b>	<b>0.037</b>
Instant-NGP	25.23	0.719	0.251	26.54	0.900	0.142	28.42	0.877	0.092
mip-NeRF	29.19	0.864	<b>0.136</b>	30.45	0.912	<b>0.077</b>	30.86	<b>0.931</b>	<b>0.058</b>
3DGS	26.75	0.783	0.274	27.31	0.823	0.181	29.19	0.880	0.107
Mip-Splatting	26.47	0.801	0.305	27.66	0.823	0.181	29.39	0.884	0.108
Ours	<b>31.03</b>	<b>0.902</b>	0.168	<b>31.02</b>	<b>0.921</b>	0.138	<b>31.24</b>	0.903	0.096

950 **Table H: Ablation study on coarse global 3DGS with IDGP at full resolution on the 360 dataset.**

Method	PSNR	SSIM	LPIPS
Coarse 3GDS + IDGP	19.60	0.617	0.472
Full pipeline	<b>28.41</b>	<b>0.869</b>	<b>0.241</b>

### 951 A.4 MESH EXTRACTION

952 The mesh extraction method used is consistent with 2DGS (Huang et al., 2024b). Given rendered depth maps  
 953 and camera poses, these inputs are fused via Open3D’s TSDF integration to construct a continuous Signed  
 954 Distance Field (SDF). The final surface mesh is then directly extracted from the SDF at its zero-level isosurface  
 955 using Marching Cubes. enabling direct geometry reconstruction without intermediate point cloud representa-  
 956 tions. Additionally, no post-processing is applied to the final mesh.

### 957 A.5 ANTI-ALIASING 3D RECONSTRUCTION

958 The robustness of our method (HRGS) across multiple resolutions is primarily attributed to its hierarchical  
 959 coarse-to-fine design integrated with a global prior. Initially, the model learns a global coarse Gaussian rep-  
 960 resentation from low-resolution data, constructing a stable and resolution-independent structural scaffold of  
 961 the scene. This global prior serves as an anchor for subsequent high-resolution optimization. Consequently,  
 962 even with variations in training resolution, the refinement process consistently begins from this unified geo-  
 963 metric foundation, thereby preventing significant deviations and maintaining the integrity of the overall scene  
 964 structure.



Figure E: Qualitative rendering results on TNT and Replica dataset.

Regarding the mitigation of aliasing artifacts (e.g., erosion), HRGS explicitly decouples global structure modeling from local detail refinement through a block-wise optimization strategy guided by data selection. Each local block refines details based on the stable coarse model, which provides essential global contextual information. This approach effectively suppresses jagged edges and erosion artifacts that typically emerge during direct high-resolution training. Essentially, the coarse global stage establishes an anti-aliasing prior, while the block-wise refinement enhances spatial details without overfitting to noisy or redundant patterns.

## A.6 ADDITIONAL QUALITATIVE RESULTS

As shown in Fig.A, our method preserves fine-scale structures more accurately and achieves higher visual fidelity than 3DGS(Kerbl et al., 2023) and Mip-Splatting (Yu et al., 2024) across three representative scenes. Fig. F displays the rendering (top) and surface reconstruction (bottom) results on the Mip-NeRF360 (Barron et al., 2022a) dataset. Additional rendering results on the TNT (Knapitsch et al., 2017) and Replica (Straub et al., 2019) datasets are provided in Fig. E. Collectively, these visual comparisons substantiate our method’s capability for high-quality 3D reconstruction while maintaining critical geometric details.

## A.7 LIMITATIONS

Although our method can achieve high-resolution scene reconstruction under limited GPU resources, extending the block-based framework to dynamic scenes introduces new challenges. In particular, ensuring temporal consistency across frames and accurately modeling motion across spatial partitions remain open problems. Addressing these challenges will be a key focus of our future work, with the goal of enabling temporally coherent and spatially consistent reconstruction in dynamic environments.



Figure F: **Qualitative results on the Mip-NeRF360 dataset.** Our method reconstructs surfaces with fine geometry details and produces high-fidelity renderings on Mip-NeRF360 dataset.

#### A.8 BROADER SOCIAL IMPACTS

This work presents Hierarchical Gaussian Splatting (HRGS), a super-resolution reconstruction framework tailored for computationally constrained environments. HRGS achieves high-fidelity 3D reconstruction while significantly reducing GPU memory usage and model size, thereby enhancing the accessibility of advanced 3D vision techniques. Its efficiency enables deployment on low-power platforms such as mobile and embedded devices, with promising applications in education, cultural heritage preservation, smart city visualization, and immersive virtual or augmented reality. However, we acknowledge the potential for misuse in privacy-sensitive contexts, such as unauthorized spatial reconstruction. To mitigate such risks, the deployment of HRGS should be governed by clear ethical guidelines and regulatory oversight.

#### B USE OF LARGE LANGUAGE MODELS

A large language model (LLM) was used solely for language-level assistance, such as improving readability, fluency of the text and formatting L<sup>A</sup>T<sub>E</sub>X tables and retrieve related works. The research ideas, experiments, and results are entirely the work of the authors, who bear full responsibility for the content of this submission.