# DynaMITE-RL: A Dynamic Model for Improved Temporal Meta-Reinforcement Learning

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# Abstract



### 1 Introduction

 Markov decision processes (MDPs) [\[4\]](#page-9-0) provide a general framework in reinforcement learning (RL), and can be used to model sequential decision problems in a variety of domains, e.g., recommender systems (RSs), robot and autonomous vehicle control, and healthcare [\[22,](#page-10-0) [21,](#page-10-0) [7,](#page-9-0) [46,](#page-11-0) [31,](#page-10-0) [5\]](#page-9-0). MDPs assume a static environment with fixed transition probabilities and rewards [\[3\]](#page-9-0). In many real-world systems, however, the dynamics of the environment are intrinsically tied to latent factors subject to temporal variation. While non-stationary MDPs are special instances of partially observable MDPs (POMDPs) [\[24\]](#page-10-0), in many applications these latent variables change infrequently, i.e. the latent variable remains fixed for some duration before changing. One class of problems exhibiting this latent transition structure is recommender systems, where a user's preferences are a latent variable which gradually evolves over time [\[23,](#page-10-0) [26\]](#page-10-0). For instance, a user may initially have a strong affinity for a particular genre (e.g., action movies), but their viewing habits could change over time, influenced by external factors such as trending movies, mood, etc. A robust system should adapt to these evolving tastes to provide suitable recommendations. Another example is in manufacturing settings, where industrial robots may experience unobserved gradual deterioration of their mechanical components affecting the overall functionality of the system. Accurately modelling such latent transitions caused by hardware degradation can help manufacturers optimize performance, cost, and equipment lifespan. Our goal in this work is to leverage such a temporal structure to obviate the need to solve a fully general POMDP. To this end, we propose Dynamic Model for Improved Temporal Meta Reinforcement

 Learning (DynaMITE-RL), a method designed to exploit the temporal structure of sessions, i.e., sub-trajectories within the history of observations in which the latent state is fixed. We formulate our problem as a *dynamic latent contextual MDP (DLCMDP)*, and identify three crucial elements needed to enable tractable and efficient policy learning in environments with the latent dynamics captured by a DLCMDP. First, we consider consistency of latent information, by exploiting time steps for which we have high confidence that the latent variable is constant. To do so, we introduce a consistency loss to regularize the posterior update model, providing better posterior estimates of the latent variable. Second, we enforce the posterior update model to learn the dynamics of the latent variable. This

<span id="page-1-0"></span>

Figure 1: (Left) The graphical model for a DLCMDP. The transition dynamics of the environment follows  $T(s_{t+1}, m_{t+1} | s_t, a_t, m_t)$ . At every timestep t, an i.i.d. Bernoulli random variable,  $d_t$ , denotes the change in the latent context,  $m_t$ . Blue shaded variables are observed, whereas white shaded variables are latent. (**Right**) A realization of a DLCMDP episode. Each session  $i$  is governed by a latent variable  $m<sup>i</sup>$  which is changing between sessions according to a fixed transition function,  $\tilde{T}_m(m' \mid m)$ . We denote  $l_i$  as the length of session i. The state-action pair  $(s_t^i, a_t^i)$  at timestep t in session *i* is summarized into a single observed variable,  $x_t^i$ . We emphasize that session terminations are not explicitly observed.

allows the trained policy to better infer, and adapt to, temporal shifts in latent context in unknown

environments. Finally, we show that the variational objective in meta-RL algorithms, which attempts

to reconstruct the entire trajectory, can hurt performance when the latent context is nonstationary. We

modify this objective to reconstruct only the transitions that share the same latent context.

 Closest to our work is VariBAD [\[47\]](#page-11-0), a meta-RL [\[1\]](#page-9-0) approach for learning a Bayes-optimal policy, enabling an agent to quickly adapt to a new environment with unknown dynamics and reward

functions. VariBAD uses variational inference to learn a posterior update model that approximates

the belief over the distribution of transition and reward functions. It augments the state space with

this belief to encode the agent's uncertainty during decision-making. Nevertheless, VariBAD and the

Bayes-Adaptive MDP framework [\[35\]](#page-10-0) assume the latent context is static *across an episode* and do

 not address settings with latent state dynamics. In this work, we focus on the dynamic latent state formulation of the meta-RL problem.

 Our core contributions are as follows: (1) We introduce DynaMITE-RL, a meta-RL approach to handle environments with evolving latent context variables. (2) We introduce three key elements for learning an improved posterior update model: session consistency, modeling dynamics of latent context, and session reconstruction masking. (3) We validate our approach on a diverse set of challenging simulation environments and demonstrate significantly improved results over multiple state-of-the-art baselines in both online and offline-RL settings.

#### 2 Background

 We begin by reviewing relevant background including meta-RL and Bayesian RL. We also briefly summarize the VariBAD [\[47\]](#page-11-0) algorithm for learning Bayes-adaptive policies.

 Meta-RL. The goal of meta-RL [\[1\]](#page-9-0) is to quickly adapt an RL agent to an unseen test environment. 59 Meta-RL assumes a distribution  $p(\mathcal{T})$  over possible environments or *tasks*, and learns this distribution 60 by repeatedly sampling batches of tasks during meta-training. Each task  $\mathcal{T}_i \sim p(\mathcal{T})$  is described by 61 an MDP  $\mathcal{M}_i = (\mathcal{S}, \mathcal{A}, R_i, T_i, \gamma)$ , where the state space  $\mathcal{S}$ , action space  $\mathcal{A}$ , and discount factor  $\gamma$  are 62 shared across tasks, while  $R_i$  and  $T_i$  are task-specific reward and transition functions, respectively. The objective of meta-RL is to learn a policy that efficiently maximizes reward given a new task 64  $\mathcal{T}_i \sim p(\mathcal{T})$  sampled from the task distribution at meta-test time. Meta-RL is a special case of a POMDP in which the unobserved variables are R and T, which are assumed to be stationary throughout an episode.

 Bayesian Reinforcement Learning (BRL). BRL [\[18\]](#page-10-0) utilizes Bayesian inference to model the uncertainty of agent and environment in sequential decision making problems. In BRL,  $R$ and  $T$  are unknown a priori and treated as random variables with associated prior distributions. <span id="page-2-0"></span><sup>70</sup> At time t, the *observed history* of states, actions and re-71 wards is  $\tau_{:t} = \{s_0, a_0, r_1, \ldots, r_t, s_t\}$ , and the belief  $b_t$  $72$  represents the posterior over task parameters  $R$  and  $T$ 73 given the transition history, i.e.  $b_t \triangleq p(R, T | \tau_{\text{t}})$ . Given 74 the initial belief  $b_0(R, T)$ , the belief can be updated it-75 eratively using Bayes' rule:  $b_{t+1} = p(R, T \mid \tau_{t+1}) \propto$ 76  $p(s_{t+1}, r_{t+1} | \tau_t, R, T) \cdot b_t$ . This Bayesian approach to <sup>77</sup> RL can be formalized as a *Bayes-adaptive MDP (BAMDP)* <sup>78</sup> [\[14\]](#page-9-0). A BAMDP is an MDP over the *augmented state space*  $S^+ = S \times \mathcal{B}$ , where  $\mathcal B$  denotes the belief space. Given so the augmented state  $s_t^+ = (s_t, b_t)$ , the transition function is 81 given by  $T^+(s_{t+1}^+ | s_t^+, a_t) = \mathbb{E}_{b_t}[T(s_{t+1} | s_t, a_t) \cdot \delta(b_{t+1} =$ 82 p(R, T |  $\tau_{:t+1}$ ), and reward function is the expected reas ward given the belief,  $R^+(s_t^+, a_t) = \mathbb{E}_{b_t}[R(s_t, a_t)].$  The <sup>84</sup> BAMDP formulation naturally resolves the exploration-<sup>85</sup> exploitation tradeoff. A Bayes-optimal RL agent takes <sup>86</sup> information-gathering actions to reduce its uncertainty in <sup>87</sup> the MDP parameters while simultaneously maximizing its <sup>88</sup> returns. However, for most interesting problems, solving 89 the BAMDP—and even computing posterior updates-<sup>90</sup> is intractable given the continuous and typically high-<sup>91</sup> dimensional nature of its state space.



Figure 2: A DLCMDP rollout. VariBAD does not model the transition dynamics of the latent context and fails to adapt to the changing goal location. By contrast, DynaMITE-RL correctly infers the transition and consistently reaches the rewarding cell (green cross).

<sup>92</sup> VariBAD. Zintgraf et al. [\[47\]](#page-11-0) approximates the Bayes-optimal solution by modeling uncertainty over 93 the MDP parameters. These parameters are represented by a latent vector  $m \in \mathbb{R}^d$ , the posterior over 94 which is  $p(m | \tau_H)$ , where H is the BAMDP horizon. VariBAD uses a variational approximation 95  $q_{\phi}(m \mid \tau_{it})$  parameterized by  $\phi$  and conditioned on the observed history up to time t. Zintgraf 96 et al. [\[47\]](#page-11-0) show that  $q_{\phi}(m \mid \tau_{:t})$  approximates the belief  $b_t$ . In practice,  $q_{\phi}(m \mid \tau_{:t})$  is represented 97 by a Gaussian distribution  $q_{\phi}(m \mid \tau_{:t}) = \mathcal{N}(\mu(\tau_{:t}), \Sigma(\tau_{:t}))$ , where  $\mu$  and  $\Sigma$  are sequence models <sup>98</sup> (e.g., recurrent neural networks or transformers [\[42\]](#page-11-0)) that encode trajectories to latent statistics. The 99 variational lower bound at time t is  $\mathbb{E}_{q_{\phi}(m|\tau,t)}[\log p_{\theta}(\tau_{:H} | m)] - D_{KL}(q_{\phi}(m|\tau,t) \| p_{\theta}(m))$ , where 100 the first term reconstructs the trajectory likelihood  $p_{\theta}(\tau_{:H} | m)$  and the second term regularizes <sup>101</sup> the variational posterior to a prior distribution over the latent space, typically modeled with a 102 standard Gaussian distribution. Importantly, the trajectory up to time t, i.e.,  $\tau_{\text{.}t}$ , is used in the 103 ELBO equation to infer the posterior belief at time t, which then decodes the entire trajectory  $\tau_H$ , 104 *including future transitions*. Given the belief state distribution  $q_{\phi}$  of a BAMDP, the policy maps 105 both the state and belief to actions, i.e.,  $\pi(a_t | s_t, q_\phi(m | \tau_t))$ . The BAMDP solution policy  $\pi^*$  is <sup>106</sup> trained, e.g., via policy gradient methods, to maximize the expected cumulative return of meta-RL: 107  $J(\pi) = \mathbb{E}_{R,T} \left[ \mathbb{E}_{\pi} \left[ \sum_{t=0}^{H-1} \gamma^t r(s_t, a_t) \right] \right]$ , where the first expectation is averaged over environments. 108 The RL agent is trained jointly with the variational belief distribution  $q_{\phi}$ .

## <sup>109</sup> 3 Dynamic Latent Contextual MDPs

<sup>110</sup> As a special case of a BAMDP, where the belief state is parameterized with a latent context vector <sup>111</sup> (analogous to the problem formulation of VariBAD), the *dynamic latent contextual MDP (DLCMDP)* 112 is denoted by  $\langle S, A, M, R, T, v_0, H \rangle$ , where S is the state space, A is the action space, M is the *latent* context space,  $R : S \times A \times M \mapsto \Delta_{[0,1]}$  is a reward function,  $T : S \times A \times M \mapsto \Delta_{S \times M}$  is 114 a transition function,  $\nu_0 \in \Delta_{\mathcal{S} \times \mathcal{M}}$  is an initial state distribution,  $\gamma \in (0,1)$  is a discount factor, and 115  $H$  is the (possibly infinite) horizon.

116 We assume an episodic setting in which each episode begins in a state-context pair  $(s_0, m_0) \sim \nu_0$ . At 117 time t, the agent is at state  $s_t$  and context  $m_t$ , and has observed history  $\tau_t = \{s_0, a_0, r_1, \ldots, r_t, s_t\}.$ 

118 Given the history, the agent selects an action  $a_t \in A$ , after which the state and latent context

119 transitions according to  $T(s_{t+1}, m_{t+1} | s_t, a_t, m_t)$ , and the agent receives a reward sampled from

120  $R(s_t, a_t, m_t)$ . Throughout this process, the context  $m_t$  is latent (i.e., *not observed* by the agent).

<sup>121</sup> DLCMDPs embody the causal independence depicted by the graphical model in Figure [1.](#page-1-0) Particularly, 122 DLCMDPs impose a structure on changes of the latent variable m, allowing the latent context m to 123 change less or more frequently. We denote by  $d_t$  the random variable at which a transition occurs in

<span id="page-3-0"></span>

Figure 3: Pseudo-code (online RL training) and model architecture of DynaMITE-RL.

124  $m_t$ . Let  $\Omega = \{d_t\}_{t=0}^{H-1}$  denote a sequence of i.i.d. Bernoulli random variables, according to Figure [1,](#page-1-0) 125 the transition function  $T$  is represented by the following factored distribution:

$$
T(s_{t+1} = s', m_{t+1} = m' \mid s_t = s, a_t = a, m_t = m)
$$
  
=  $T_s(s' \mid s, a, m)$   $\mathbb{1}\{m' = m, d_t = 0\}T_d(d_t = 0) + \nu_0(s' \mid m')T_m(m' \mid m)\mathbb{1}\{d_t = 1\}T_d(d_t = 1),$ 

126 where  $T_m : \mathcal{M} \mapsto \mathcal{M}$  is the latent dynamics function,  $T_s$  is the context-dependent state transition 127 function, and  $T_d$  is the termination probability distribution. We refer to sub-trajectories between <sup>128</sup> changes in the latent context as *sessions*, which may vary in length. At the start of a new session, 129 a new state and a new latent context are sampled based on the distribution  $\nu_0$ . Each session itself 130 is governed by an MDP parameterized with a latent context  $m \in \mathcal{M}$ , which changes stochastically 131 between sessions according to the latent transition function  $T_m(m' \mid m)$ . For notational simplicity 132 we use index i to denote the i<sup>th</sup> session in a trajectory, and  $m<sup>i</sup>$  the respective latent context of that <sup>133</sup> session. We emphasize that sessions switching times are latent random variables.

 Notice that DLCMDPs are more general than latent MDPs [\[38,](#page-11-0) [29\]](#page-10-0), in which the latent context is 135 fixed throughout the entire episode; this corresponds to  $d_t \equiv 0$ . Moreover, DLCMDPs are closely 136 related to POMDPs; letting  $d_t \equiv 1$ , a DLCMDP reduces to a general POMDP with state space M, 137 observation space S, and observation function  $\nu_0$ . As a consequence DLCMDPs are as general as POMDPs, rendering them very expressive. Moreover, the specific temporal structure of DLCMDPs allows us to devise efficient learning algorithms that exploit the transition dynamics of the latent context, improving learning efficiency. DLCMDPs are related to DCMDPs [\[40\]](#page-11-0), LSMDPs [\[8\]](#page-9-0), and DP-MDP [\[45\]](#page-11-0). However, DCMDPs assume contexts are observed, and focus on aggregated context dynamics, LSMDPs assume that the latent contexts across sessions are i.i.d (i.e., there is no latent dynamics) and DP-MDPs assume that sessions are fixed length.

144 We aim to learn a policy  $\pi(a_t | s_t, m_t)$  which maximizes the expected return  $J(\pi)$  over unseen test <sup>145</sup> environments. As in BAMDPs, the optimal DLCMDP Q-function satisfies the Bellman equation; 146  $\forall s^+ \in S^+, a \in A : Q(s^+, a) = R^+ (s^+, a) + \gamma \sum_{s^+ \in S^+} T^+ (s^+ \mid s^+, a) \max_{a'} Q(s^{+'}, a)$ . In the

<sup>147</sup> following section, we present DynaMITE-RL for learning a Bayes-optimal agent in a DLCMDP.

## <sup>148</sup> 4 DynaMITE-RL

<sup>149</sup> We detail DynaMITE-RL, first deriving a variational lower bound for learning a DLCMDP posterior <sup>150</sup> model, then outlining three principles for training DLCMDPs, and finally integrating them into our <sup>151</sup> training objective.

<sup>152</sup> Variational Inference for Dynamic Latent Contexts. Given that we do not have direct access to <sup>153</sup> the transition and reward functions of the DLCMDP, following Zintgraf et al. [\[47\]](#page-11-0), we infer the 154 posterior  $p(m | \tau_t)$ , and reason about the latent context vector m instead. Since exact posterior 155 computation over  $m$  is computationally infeasible, given the need to marginalize over task space, we 156 introduce the variational posterior  $q_{\phi}(m \mid \tau_{:t})$ , parameterized by  $\phi \in \mathbb{R}^d$ , to enable fast inference at 157 every step. Our learning objective maximizes the log-likelihood  $\mathbb{E}_{\pi}[\log p(\tau)]$  of observed trajectories. <sup>158</sup> In general, the true posterior over the latent context is intractable, as is the empirical estimate of the

<sup>159</sup> log-likelihood. To circumvent this, we derive the *evidence lower bound (ELBO)* [\[27\]](#page-10-0) to approximate 160 the posterior over  $m$  under the variational inference framework.

161 Let  $\mathcal{Z} = \{m^i\}_{i=0}^{K-1}$  be the sequence of latent context vectors for K sessions in an episode (note that K <sup>162</sup> is inherently a random variable—the exact number of sessions in an episode is not known). As defined 163 previously,  $\Omega$  is the collection of the session terminations. We use a parametric generative distribution 164 model for the state-reward trajectory, conditioned on the action sequence:  $p_\theta(s_0, r_1, s_1, \ldots, r_H, s_H)$ 165  $a_0, \ldots, a_{H-1}$ ). In what follows, we drop the conditioning on  $a_{:H-1}$  for the sake of brevity.

<sup>166</sup> The variational lower bound can be expressed as:

$$
\log p_{\theta}(\tau) \geq \underbrace{\mathbb{E}_{q_{\phi}(\mathcal{Z},\Omega|\tau_{:t})} \left[ \log p_{\theta}(\tau \mid \mathcal{Z},\Omega) \right]}_{\text{reconstruction}} - \underbrace{D_{KL}(q_{\phi}(\mathcal{Z},\Omega \mid \tau_{:t})) \parallel p_{\theta}(\mathcal{Z},\Omega)}_{\text{regularization}} = \mathcal{L}_{\text{ELBO},t}, \quad (1)
$$

167 which can be estimated via Monte Carlo sampling over a learnable approximate posterior  $q_{\phi}$ . In

- <sup>168</sup> optimizing the reconstruction loss of session transitions and rewards, the learned latent variables <sup>169</sup> should capture the unobserved MDP parameters. The full derivation of the ELBO for a DLCMDP is <sup>170</sup> provided in Appendix A.1.
- <sup>171</sup> Figure [2](#page-2-0) depicts a (qualitative) didactic GridWorld example with two possible rewarding goals that <sup>172</sup> alternate between sessions. The VariBAD agent does not account for latent goal dynamics and gets <sup>173</sup> stuck after reaching the goal in the first session. By contrast, DynaMITE-RL employs the latent <sup>174</sup> context dynamics model to capture goal changes, and adapts to the context changes across sessions.

 Consistency of Latent Information. In the DLCMDP formulation, each session is itself an MDP with a latent context fixed across the session. This within-context stationarity means new observations can only increase the information the agent has about this context. In other words, the agent's posterior over latent contexts gradually hone in on the true latent distribution. Although this true distribution remain unknown, this insight suggest the use of a *session-based consistency loss*, which penalizes an increase in KL-divergence between the current and final posterior belief within a session. 181 Let  $d_{H-1} = 1$  and  $t_i \in \{0, \ldots, H\}$  be a random variable denoting the last timestep of session

182  $i \in \{0, ..., K-1\}$ , i.e.,  $t_i = \min\{t' \in \mathbb{Z}_{\geq 0} : \sum_{t=0}^{t'} d_t = i+1\}$ . At each time t in session i, we <sup>183</sup> define the temporal, session-based consistency loss as

 $\mathcal{L}_{\text{consistency},t} = \max \{ D_{KL}(q_{\phi}(m^i \mid \tau_{:t+1}) \parallel q_{\phi}(m^i \mid \tau_{:t_i})) - D_{KL}(q_{\phi}(m^i \mid \tau_{:t}) \parallel q_{\phi}(m^i \mid \tau_{:t_i})), 0 \},$ 

184 where  $q_{\phi}(m^i \mid \tau_{:t_i})$  is the final posterior in session i. Using temporal consistency to regularize <sup>185</sup> inference introduces an explicit inductive bias that allows for better posterior estimation.

 *Remark* 4.1*.* We introduce session-based consistency for DLCMDPs, though it is also relevant in single-session settings with non-dynamic latent context. Indeed, as we discuss below, while VariBAD focuses on single sessions, it does not constrain the latent's posterior to be identical to final posterior belief. Consistency may be useful in settings where the underlying latent variable is stationary, but may hurt performance when this variable is indeed changing. Since our modeling approach allows latent context changes across sessions, incorporating consistency regularization does not generally hurt performance.

<sup>193</sup> Latent Belief Conditioning. Unlike the usual BAMDP framework, DLCMDPs allow one to model temporal changes of latent contexts via dynamics  $T_m(m' | m)$  across sessions. To incorporate this 195 model into belief estimation, in addition to the history  $(\tau_t, d_t)$ , we condition the posterior on the final 196 latent belief  $q_{\phi}(m', d' \mid m, d, \tau_t)$  from the previous session, and impose KL-divergence matching 197 between this belief and the prior distribution  $p_{\theta}(m' | m)$ .

**Reconstruction Masking.** When the agent is at time t, Zintgraf et al. [\[47\]](#page-11-0) encode past interactions to 199 obtain the current posterior  $q_{\phi}(m | \tau_t)$  since this is all the information available for inference about the current task (see Eq. (1)). They use this posterior to decode the entire trajectory—*including future transitions*—from different sessions to optimize the lower bound during training. The insight is that decoding both the past and future allows the posterior model to perform inference about unseen states. However, we observe that when the latent context is stochastic, reconstruction over the full sequence is detrimental to training efficiency. The model is attempting to reconstruct transitions outside of the current session that may be irrelevant or biased given the latent-state dynamics, rendering it a more difficult learning problem. Instead we reconstruct only the transitions within the session defined by 207 the predicted termination indicators, i.e., at any arbitrary time t within session i, the session-based reconstruction loss is given by

 $\mathcal{L}_{\text{session-ELBO},t} = \mathbb{E}_{q_{\phi}(\mathcal{Z},\Omega|\tau_{:t})} \big[ \log p_{\theta}(\tau_{t_{i-1}+1:t_i} \mid \mathcal{Z},\Omega) \big] - D_{KL}(q_{\phi}(\mathcal{Z},\Omega \mid \tau_{:t})) \parallel p_{\theta}(\mathcal{Z},\Omega) ).$ 

<span id="page-5-0"></span>

Figure 4: Learning curves for DynaMITE-RL and state-of-the-art baseline methods. Shaded areas represent standard deviation over 5 different random seeds for each method and 3 for ScratchItch. In each of the evaluation environments, we observe that **DynaMITE-RL** exhibits better sample efficiency and converges to a policy with better environment returns than the baseline methods.

209 **DynaMITE-RL.** By incorporating the three modifications above, we obtain at the following training <sup>210</sup> objective for our variational meta-RL approach:

$$
\mathcal{L}_{\text{Dynamic-RL}}(\theta, \phi) = \sum_{t=0}^{H-1} \left[ \mathcal{L}_{\text{session-ELBO}, t}(\theta, \phi) + \beta \cdot \mathcal{L}_{\text{consistency}, t}(\phi) \right],\tag{2}
$$

211 where  $\beta > 0$  is a hyper-parameter that regularizes the consistency loss. We present a simplified <sup>212</sup> pseudocode for online training of DynaMITE-RL in Algorithm [3a](#page-3-0) and a detailed algorithm in <sup>213</sup> Appendix A.2.

214 Implementation Details. We use proximal policy optimization (PPO) [\[37\]](#page-11-0) for online RL training. <sup>215</sup> We introduce a posterior inference network that outputs a Gaussian over the latent context for 216 the *i*-th session and the session termination indicators,  $q_{\phi}(m^i, d_{,t} | \tau_{,t}, m^{i-1})$ , conditioned on the <sup>217</sup> history and posterior belief from the previous session. We parameterize the inference network <sup>218</sup> as a sequence model, with e.g., an RNN [\[9\]](#page-9-0) or a Transformer [\[42\]](#page-11-0), with different multi-layer <sup>219</sup> perceptron (MLP) output heads for predicting the logits for session termination and the posterior <sup>220</sup> belief. In practice, the posterior MLP outputs the parameters of a Gaussian belief distribution 221  $q_{\phi_m}(m^i \mid \tau_{:t}, m^{i-1}) = \mathcal{N}(\mu(\tau_{:t}), \Sigma(\tau_{:t}))$ . The session termination network applies a sigmoid activation function  $\sigma(x) = \frac{1}{1+e^{-x}}$  to the MLP output. Following PPO [\[37\]](#page-11-0), the actor loss  $\mathcal{J}_{\pi}$ and critic loss  $\mathcal{J}_{\omega}$  are respectively given by  $\mathcal{J}_{\pi} = \mathbb{E}_{\tau \sim \pi_{\psi}}[\log \pi_{\psi}(a \mid s, m) \hat{A}(s, a, m)]$  and  $\mathcal{J}_{\omega} =$ 224  $\mathbb{E}_{\tau \sim \pi_{\psi}}[(Q_{\omega}(s, a, m) - (r + V_{\omega}(s', m))^2]$ , where V is the target network, and  $\hat{A}$  is the advantage <sup>225</sup> function. We also add an entropy bonus to ensure sufficient exploration in more complex domains. <sup>226</sup> A decoder network, also parameterized using MLPs, reconstructs transitions and rewards given 227 the session's latent context  $m^i$ , current state  $s_t$ , and action  $a_t$ , i.e.,  $p_\theta^T(s_{t+1} | s_t, a_t, m_t)$  and 228  $p_{\theta}^{R}(r_{t+1} \mid s_t, a_t, m_t)$ . Figure [3b](#page-3-0) depicts the implemented model architecture. The final objective 229 of DLCMDP is to jointly learn the policy  $\pi_{\psi}$ , the variational posterior model  $q_{\phi}$ , and the factored 230 likelihood model  $p_\theta$  that minimizes the following loss:

$$
\mathcal{L}(\theta, \phi, \psi) = \mathbb{E}\bigg[\mathcal{J}_{\pi}(\psi) + \lambda \cdot \mathcal{L}_{\text{Dynamic-RL}}(\phi, \theta)\bigg],\tag{3}
$$

231 where J is the expected return, and  $\lambda > 0$  is a hyper-parameter trades off this return with DynaMITE- RL's variational inference objective. We also evaluate DynaMITE-RL in an offline RL setting, in which we collect an offline dataset of trajectories following an oracle goal-conditioned policy and subsequently approximate the optimal value function and RL agent using offline RL methods, e.g., IQL [\[28\]](#page-10-0). The value function and the policy are parameterized with the same architecture as in the online setting and will be detailed in Appendix A.5.

## 237 **5 Experiments**

<sup>238</sup> We present experiments that demonstrate, while VariBAD and other meta-RL methods struggle to <sup>239</sup> learn good policies given nonstationary latent contexts, DynaMITE-RL exploits the causal structure <span id="page-6-0"></span> of a DLCMDP to more efficiently learn performant policies. We compare our approach to several state-of-the-art meta-RL baselines, showing its significantly better evaluation returns.

242 Environments. We test DynaMITE-RL on a suite of standard meta-RL benchmark tasks including a didactic gridworld navigation, continuous control, and human-in-the-loop robot assistance as shown in Figure 8. Gridworld navigation and MuJoCo [\[41\]](#page-11-0) locomotion tasks are considered by Zintgraf et al. [\[47\]](#page-11-0), Dorfman et al. [\[12\]](#page-9-0), and Choshen and Tamar [\[10\]](#page-9-0). We modify these environments to incorporate temporal shifts in the reward and/or environment dynamics. To achieve good performance under these conditions, a learned policy must adapt to the latent state dynamics. More details about the environments and hyperparameters can be found in Appendix A.4 and A.5.

*Gridworld.* We modify the Gridworld environment used by Zintgraf et al. [\[47\]](#page-11-0). In a  $5 \times 5$  gridworld, two possible goals are sampled uniformly at random in each episode. One of the two goals has a  $251 + 1$  reward while the other has 0 reward. The rewarding goal location changes after each session according to a predefined transition function. Goal locations are provided to the agent in the state—the only latent information is which goal has positive reward.

 *Continuous Control.* We experiment with two tasks from OpenAI Gym [\[6\]](#page-9-0): Reacher and HalfCheetah. Reacher is a two-jointed robot arm tasked with reaching a 2D goal location that moves along a circular path according to some unknown transition function. HalfCheetah is a locomotion task which we modify to incorporate changing latent contexts w.r.t. the target direction (HalfCheetah-Dir), target velocity (HalfCheetah-Vel), and target velocity with opposing wind forces (HalfCheetah-Wind+Vel).

 *Assistive Itch Scratching.* Assistive Itch Scratch is part of the Assistive-Gym benchmark [\[15\]](#page-9-0) consisting of a human and a wheelchair-mounted 7-degree-of-freedom (DOF) Jaco robot arm. The human has limited-mobility and requires robot assistance to scratch an itch. We simulate stochastic latent context by moving the itch location—unobserved by the agent—along the human's right arm.

 Meta-RL Baselines. We compare DynaMITE- RL to several state-of-the-art (approximately) Bayes-optimal meta-RL methods including  $RL<sup>2</sup>$  [\[13\]](#page-9-0), VariBAD [\[47\]](#page-11-0), BORel [\[12\]](#page-9-0), SecBAD [\[8\]](#page-9-0), 267 and ContraBAR [\[10\]](#page-9-0).  $RL^2$  [\[13\]](#page-9-0) is an RNN- based policy gradient method which encodes environment transitions in the hidden state and maintains them across episodes. VariBAD re- duces to  $RL<sup>2</sup>$  without the decoder and the vari- ational reconstruction objective for environment transitions. BORel primarily investigates offline meta-RL (OMRL) and proposes a few modifica- tions such as reward relabelling to address the identifiability issue in OMRL. Chen et al. [\[8\]](#page-9-0) proposes the latent situational MDP (LS-MDP), in which there is non-stationary latent contexts that are sampled i.i.d., and SecBAD, an algo- rithm for learning in an LS-MDP. However, they do not consider latent dynamics which a crucial aspect in many applications. ContraBAR em- ploys a contrastive learning objective to discrim- inate future observations from negative samples to learn an *approximate* sufficient statistic of the



Figure 5: Ablating components of DynaMITE-RL. We observe that modelling latent dynamics is crucial in achieving good performance in a DLCMDP. Additionally, consistency regularization and session reconstruction improve the sample efficiency and convergence to a better performing policy.

 history. As Zintgraf et al. [\[47\]](#page-11-0) already demonstrate better performance by VariBAD than posterior sampling methods (e.g., PEARL [\[34\]](#page-10-0)) we exclude such methods from our comparison.

 DynaMITE-RL outperforms prior meta-RL methods in a DLCMDP in both online and offline RL settings. In Figure [4,](#page-5-0) we show the learning curves for DynaMITE-RL and baseline methods. 290 We first observe that DynaMITE-RL significantly outperforms the baselines across all domains in 291 sample efficiency and average environment returns.  $RL^2$ , VariBAD, BORel, SecBAD, and ContraBAR 292 all perform poorly in the DLCMDP, converging to a suboptimal policy. By contrast, DynaMITE-RL accurately models the latent dynamics and consistently achieves high rewards despite the nonstation- ary latent context. We also evaluate an oracle with access to ground-truth session terminations and 295 find that DynaMITE-RL with learned session terminations effectively recovers session boundaries and

<span id="page-7-0"></span>Table 1: Average single episode returns for DynaMITE-RL and other state-of-the-art meta-RL algorithms across different environments. Results for all environments are averaged across 5 seeds beside ScratchItch which has 3 seeds. DynaMITE-RL, in bold, achieves the highest return on all of the evaluation environments and is the only method able to recover an optimal policy.

		Gridworld Reacher HC-Dir HC-Vel Wind+Vel ScratchItch		
$\mathbf{R}$ $\mathbf{I}$ $\mathbf{Z}$		$33.4\pm1.6$ $-150.6\pm1.2$ $-420.0\pm8.4$ $-513.2\pm8.7$ $-493.5\pm1.8$		$50.4 + 16.8$
VariBAD		$31.8 \pm 1.9$ $-102.4 \pm 4.2$ $-242.5 \pm 4.8$ $-363.5 \pm 3.2$ $-188.5 \pm 4.4$		$81.8 + 6.9$
<b>BORel</b>		$32.4 \pm 2.4 - 103.5 \pm 4.6 - 240.6 \pm 4.3 -343.4 \pm 3.6 -167.8 \pm 5.4$		$82.5 + 6.0$
<b>SecBAD</b>		$38.5+3.1 -96.2+4.8 -202.4+10.4 -323.5+3.4 -155.3+5.4$		$101.4 + 9.2$
<b>ContraBAR</b>		$34.5\pm_{0.9}$ $-101.6\pm_{3.2}$ $-256.5\pm_{3.6}$ $-312.3\pm_{4.8}$ $-243.4\pm_{2.6}$ $114.6\pm_{24.4}$		
DynaMITE-RL		$42.9_{\pm 0.5}$ $-8.4_{\pm 5.1}$ $-68.5_{\pm 2.3}$ $-146.0_{\pm 8.1}$ $-42.8_{\pm 6.9}$ $231.2_{\pm 23.3}$		

Table 2: Average single episode returns with Offline RL. Results are averaged across 5 random seeds. Algorithm with the highest average return are shown in bold. We present results for an oracle agent trained with goal information for reference.



296 matches oracle performance with sufficient training. Our empirical results validate that DynaMITE-RL <sup>297</sup> learns a policy robust to changing latent contexts at inference time, while the baseline methods fail to 298 adapt and get stuck in suboptimal behavior. We also demonstrate that DynaMITE-RL outperforms <sup>299</sup> BORel in an offline RL setting in Table 2 in all environments. This highlights the importance of 300 DynaMITE-RL training objectives in learning a more accurate posterior belief model even without <sup>301</sup> online environment interactions. We also experimented with a Transformer encoder to parameterize <sup>302</sup> our belief model and find that a more powerful model further improves the evaluation performance.

 Each component of DynaMITE-RL contributes to efficient learning in a DLCMDP: We ablate the 305 three key components of DynaMITE-RL to under- stand their impact on the resulting policy. We com- pare full DynaMITE-RL to: (i) DynaMITE-RL w/o Consistency, which does not include consistency reg- ularization; (ii) DynaMITE-RL w/o Conditioning, which does not include latent conditioning; and (iii) DynaMITE-RL w/o SessRecon, which does not in- clude session reconstruction. In Figure [5,](#page-6-0) we re- port the performance for each of these ablations and vanilla VariBAD for comparisons. First, without prior latent belief conditioning, the model converges to a suboptimal policy slightly better than VariBAD, con- firming the importance of modeling the latent transi- tion dynamics of a DLCMDP. Second, we find that session consistency regularization reinforces the in- ductive bias of changing dynamics and improves the sample efficiency of learning an accurate posterior model in DLCMDPs. Finally, session reconstruc- tion masking also improves the sample efficiency by neglecting terms that are irrelevant and potentially bi- ased. Similar ablation studies in the offline RL setting can be found in Table 2, reinforcing the importance of our proposed training objectives.



Figure 6: Ablation studies on various frequencies of latent context switches within an episode in the HalfCheetah-Vel environment. The boxplot shows the distribution over evaluation returns for 25 rollouts of trained policies with VariBAD and DynaMITE-RL . When  $p = 0$ , we have a latent MDP and when  $p = 1$ this is equivalent to a general POMDP.

 DynaMITE-RL is robust to varying levels of latent stochasticity. We study the effect of varying the number of latent context switches over an episode of fixed time horizon. For the HalfCheetah-Vel 330 environment, we fix the episode horizon  $H = 400$  to create multiple problems. We introduce a 331 Bernoulli random variable, e.g  $d_t \sim Bernoulli(p)$  where p is a hyperparameter we set to determine 332 the probability that the latent context changes at timestep t. If  $p = 0$ , the latent context remains 333 unchanged throughout the entire episode, corresponding to a latent MDP. If  $p = 1$ , the latent context changes at every timestep, which is equivalent to a general POMDP. As shown in Figure [6,](#page-7-0) 335 DynaMITE-RL performs better, on average, than VariBAD, with lower variance in a latent MDP. We hypothesize that, in the case of latent MDP, consistency regularization helps learn a more accurate posterior model by enforcing the inductive bias that the latent is static. Otherwise, there is no inherent advantage in modeling the latent dynamics if it is stationary. As we gradually increase the number of context switches, the problem becomes more difficult and closer to a general POMDP. VariBAD performance decreases drastically because it is unable to model the changing latent dynamics while 341 DynaMITE-RL is less affected, highlighting the robustness of our approach. When we set the number of contexts equal to the episode horizon length, we recreate a fully general POMDP and again the performance between VariBAD and DynaMITE-RL converges.

## 6 Related Work

 POMDPs provide a general framework modeling non-stationality and partial observability in sequen- tial decision problems. Many model variants have been introduced, defining a rich spectrum between episodic MDPs and POMDPs. The Bayes-adaptive MDP (BAMDP) [\[14\]](#page-9-0) and hidden parameter MDP (HiP-MDP) [\[25\]](#page-10-0) are both special cases of POMDPs in which environment parameters are unknown and the goal is to infer these parameters online during an episode. However, neither framework addresses the dynamics of the latent parameters across sessions, but rather assumes it is constant throughout an episode. LSMDP [\[8\]](#page-9-0) and DP-MDP [\[44\]](#page-11-0) do investigate nonstationary latent contexts but LSMDP samples them i.i.d., not considering the dynamics, while DP-MDP assumes fixed session lengths. By contrast, DLCMDPs models the dynamics of the latent state and simultaneously infers *when* the transition occurs, allowing better posterior updates at inference time.

 DynaMITE-RL shares conceptual similarities with other meta-RL algorithms. Firstly, optimization- based techniques [\[16,](#page-9-0) [11,](#page-9-0) [36\]](#page-10-0) learn neural network policies that can quickly adapt to new tasks at test time using policy gradient updates. However, these methods do not optimize for Bayes-optimal behavior and generally exhibit suboptimal test-time adaptation. Context-based meta-RL techniques aim to learn policies that directly infer task parameters at test time, conditioning the policy on the posterior belief. Such methods include recurrent memory-based architectures [\[13,](#page-9-0) [43,](#page-11-0) [30,](#page-10-0) [2\]](#page-9-0) and variational approaches [\[20,](#page-10-0) [47,](#page-11-0) [12\]](#page-9-0). VariBAD, closest to our work, uses variational inference to approximate Bayes-optimal policies. However, we have demonstrated above the limitations of VariBAD in DLCMDPs, and have developed several crucial modifications to drive effective learning a highly performant policies in our setting.

## 7 Conclusion

 We developed DynaMITE-RL, a meta-RL method to approximate Bayes-optimal behavior using a latent variable model. We presented the dynamic latent contextual Markov Decision Process (DLCMDP), a model in which latent context information changes according to an unknown transition function, that captures many natural settings. We derived a graphical model for this problem setting and formalized it as an instance of a POMDP. DynaMITE-RL is designed to exploit the causal structure of this model, and in a didactic GridWorld environment and several challenging continuous control tasks, we demonstrated that it outperforms existing meta-RL methods w.r.t. both learning efficiency and test-time adaptation in both online and offline-RL settings.

 There are a number of exciting directions for future research building on the DLCMDP model. While we only consider Markovian latent dynamics in this work (i.e. future latent states are independent of prior latent states given the current latent state), we plan to investigate richer non-Markovian latent dynamics. We hope to extend DynaMITE-RL to other real-world applications including recommender systems (RS), autonomous driving, multi-agent collaborative systems, etc. DLCMDPs are a good model for RS as recommender agents often interact with users over long periods of time during which the user's latent context changes irregularly, directly influencing their preferences.

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