PKD: General Distillation Framework for Object Detectors via Pearson Correlation Coefficient

Abstract

Knowledge distillation(KD) is a widely-used technique to train compact models in object detection. However, there is still a lack of study on how to distill between heterogeneous detectors. In this paper, we empirically find that better FPN features from a heterogeneous teacher detector can help the student although their detection heads and label assignments are different. However, directly aligning the feature maps to distill detectors suffers from two problems. First, the difference in feature magnitude between the teacher and the student could enforce overly strict constraints on the student. Second, the FPN stages and channels with large feature magnitude from the teacher model could dominate the gradient of distillation loss, which will overwhelm the effects of other features in KD and introduce much noise. To address the above issues, we propose to imitate features with Pearson Correlation Coefficient to focus on the relational information from the teacher and relax constraints on the magnitude of the features. Our method consistently outperforms the existing detection KD methods and works for both homogeneous and heterogeneous student-teacher pairs. Furthermore, it converges faster. With a powerful MaskRCNN-Swin detector as the teacher, ResNet-50 based RetinaNet and FCOS achieve 41.5% and 43.9% mAP on COCO2017, which are 4.1% and 4.8% higher than the baseline, respectively.

1 Introduction

Knowledge distillation(KD) is a widely-used technique to train compact models in object detection. However, there is still a lack of study on how to distill between heterogeneous detectors. Most previous works [33, 29, 9, 17, 11] rely on detector-specific designs and can only be applied to homogeneous detectors. [34, 39] conduct experiments on detectors with heterogeneous backbones, but detectors with heterogeneous detection heads and different label assignments are always omitted. Object detection is developing rapidly and algorithms with better performance are proposed continuously. Nevertheless, it is not easy to change detectors frequently in terms of stability in practical application. Furthermore, in some scenarios, only detectors with a specific architecture can be deployed due to hardware limitations (e.g., two-stage detectors are hard to deploy), while most powerful teachers belong to different categories. Thus, it is promising if knowledge distillation can be conducted between heterogeneous detector pairs. In addition, current distillation methods, such as [34, 37], usually introduce several complementary loss functions to further improve their performance, so several hyper-parameters are used to adjust the contribution of each loss function which heavily affects their abilities to transfer to other datasets.

In this paper, we first empirically verify that FPN feature imitation does make sense even if the student-teacher detector pairs are heterogeneous. However, directly minimizing the Mean Square Error (MSE) between features of the teacher and the student leads to sub-optimal results [4, 11, 39, 34]. In order to explore the limitations of MSE, we elaborately visualize the FPN feature responses of the teacher and

Figure 1: An example to illustrate the problems suffered by directly aligning the feature maps. Left: Feature magnitude of the teacher and the student. Middle: Dominant channels in FPN stage 'P3'. Let $s_{l,u,v} \in \mathbb{R}^C$ denote the feature vector located in pixel (u, v) from l-th FPN stage and omit l for clarity. Then $number_i = \sum_{u,v} \mathbb{1}[\arg\max_c s_{u,v}^{(c)} = i]$ where i is the channel index. We define channels with a larger $number$ as dominant channels. Right: Visualization of the activation patterns from the teacher and the student. More visualization is provided in the Appendix.

student detection models, as shown in Figure 1. Specifically, for an output feature $s_l \in \mathbb{R}^{C \times H \times W}$ from l-th FPN stage, we select the maximum value in the dimension C at each pixel and obtain a 2-D matrix. Then we normalize the values to 0-255 according to the maximum and minimum values of l 2-D matrices. Through these comparisons, we obtain the following observations:

(1) Feature value magnitude of the teacher and the student is different, especially for heterogeneous detectors, as shown in Figure 1 (left). So directly aligning the feature maps between the teacher and the student may enforce overly strict constraints and do harm to the student.

(2) There are always several FPN stages whose values are larger than the others, as shown in Figure 1 (right). It is obvious that FPN stage 'P6' of the teacher is less activated than FPN stage 'P3'. However, for detectors such as RetinaNet [21] and FCOS [31], all FPN stages share the same detection head. Hence, FPN stages with larger values could dominate the gradient of the distillation loss, which will overwhelm the effects of other features in KD and lead to sub-optimal results.

(3) There are always a few channels whose values are significantly larger than the others, as shown in Figure 1 (middle). However, it is mentioned in [29, 38] that the less activated features are still practical for distillation. If they are not correctly balanced, the small gradients produced by these less activated channels can be drowned in the large gradients produced by dominant ones, thus limiting further refinement. Furthermore, from the first column of Figure 1 (right), we observe that there is much noise in the object-irrelevant area . To understand why, recall that we select the maximum value in the dimension C at each pixel, while values of several channels are larger than others. Noise in these channels is visualized. Hence, directly imitating the feature maps may introduce much noise.

According to these observations, we propose **K**nowledge **D**istillation via **P**earson Correlation Coefficient (PKD) shown in Figure 2, which focuses on the linear correlation between features of the teacher and the student. To remove the negative influences of magnitude difference, dominant FPN stages and channels, we first normalize the feature maps to have zero mean and unit variances and minimize the MSE loss between the normalized features, which is equivalent to maximizing the Pearson Correlation Coefficient (PCC) [2]. In addition to addressing the above three issues, PCC also has a beneficial effect on the gradient flow through student detectors by reducing the dependence of gradients on the feature value magnitude. So the training process is more stable.

Compared with the previous methods, our method offers the following advantages. First, as the distillation loss is calculated just on FPN features, it can be easily applied to heterogeneous detector pairs, including models with heterogeneous backbones, heterogeneous detection heads and different training strategies such as label assignment. Second, as there is no need to forward the teacher's detection head, the training time can be reduced significantly, especially for those models with cascaded heads. Besides, PKD converges faster than previous methods. Last but not least, it is not sensitive to the only hyper-parameter - distillation loss weight. So it can be easily applied to other

Figure 2: Overview of the proposed distillation via Pearson Correlation Coefficient (PKD). To demonstrate the effectiveness of PKD, we visualize the discord activation patterns of pre-normalized and post-normalized FPN features before distillation. The normalization mechanism bridge the gap between the activation patterns of the student and the teacher.

datasets. We conduct extensive experiments to verify the significant performance boosts brought by our approach on COCO dataset [22]. Using the same two-stage detector as the teacher, ResNet50 based RetinaNet [21] and FCOS [21] achieve 41.5% mAP and 43.9% mAP, which surpasses the baseline by 4.1% and 4.8% respectively, and it also outperforms the previous state-of-the-art methods by a large margin.

In summary, the contributions of this paper are threefold:

- We present that FPN feature imitation does make sense although the student-teacher detector pairs are heterogeneous.

- We propose to imitate FPN features with PCC to focus on relational information and give more freedom to the student feature's magnitude. It is capable of distilling knowledge for both homogeneous and heterogeneous detector pairs.

- We verify the effectiveness of our method on various detectors via extensive experiments on the COCO [22], and without bells or whistles achieve state-of-the-art performance. Moreover, our method converges faster and is not sensitive to the only hyper-parameter distillation loss weight. It is simple yet effective.

2 Related Works

2.1 Object Detection

Object detection is considered one of the most challenging vision tasks which aims at detecting semantic objects of a certain class in images. Modern detectors are roughly divided into two-stage detectors [27, 3, 12] and one-stage detectors [21, 31, 19, 10]. In two-stage detectors, a Region Proposal Network(RPN) is usually adopted to generate initial rough predictions refined by a task-specific detection head. A typical example is Faster R-CNN [27]. In contrast, One-stage detectors, such as RetinaNet [21] and FCOS [31], can directly and densely predict bounding boxes on the output feature maps. Among these works, multi-scale features are usually adopted to handle objects of various scales, *e.g.* FPN [20], which is considered a typical case for our study. The proposed PKD only distills the intermediate features and does not rely on detector-specific designs so that it can be used directly on various detectors.

2.2 Knowledge Distillation

Knowledge Distillation (KD) is a kind of model compression and acceleration approach aiming at transferring knowledge from a teacher model to a student model. It is popularized by [14] and then its effectiveness in image classification has been explored by subsequent works [28, 15, 13, 1, 36, 25, 23, 30, 32]. However, adapting KD to object detectors is nontrivial since minimizing the Kullback–Leibler (KL) divergence between the classification head outputs fails to transfer the spatial information from the teacher and only brings limited performance gain to the student. The following three strategies are usually adopted by previous methods in detection to handle the above challenge. First, the distillation is usually conducted among multi-scale intermediate features [18], which provides rich spatial information for detection. Second, different feature selection methods are proposed to overcome the foreground-background imbalance. Most of these works can be divided into three kinds according to the feature selection approach [16]: proposal-based [4, 18, 9, 35], rule-based [33, 11] and attention-based [37, 39, 17]. Third, as the relation between different objects contains valuable information, many previous works try to improve the performance of detectors by enabling detectors to capture and make use of these relations, such as non-local modules [37] and global distillation [34].

Unlike the previous works, we consider the magnitude difference, dominant FPN stages and channels as the key problem. We hope our method could serve as a solid baseline and help ease future research in knowledge distillation for object detectors.

3 Method

3.1 Preliminaries

In this part, we briefly recap the traditional knowledge distillation for object detection. Recently, feature-based distillation over multi-scale features is adopted to deal with rich spatial information for detection. Different imitation masks S are proposed to form an attention mechanism for foreground features and filter away noises in the background. The objective can be formulated as:

$$\mathcal{L}_{FPN} = \sum_{l=1}^{L} \frac{1}{N_l} \sum_{c}^{C} \sum_{i}^{W} \sum_{j}^{H} S_{lcij} \left(F_{lcij}^t - \phi_{adapt} \left(F_{lcij}^s \right) \right)^2, \tag{1}$$

where L is the number of FPN layers, l represents the l-th FPN layer, i, j are the location of corresponding feature map with width W and height H. $N_l = \sum_{c}^{C} \sum_{i}^{W} \sum_{j}^{H} S_{lcij}$. F_l^t and F_l^s are the l-th layer of feature of student and teacher detectors, respectively. Function ϕ_{adapt} is a 1x1 convolution layer to upsample the number of channels for the student network if the number of channels mismatches between the teacher and the student.

The definition of S is different in these methods. For example, FRS [39] use the aggregated classification score map from the corresponding FPN layer, and FGD [34] considers spatial attention, channel attention, object size and foreground-background information simultaneously.

3.2 Is FPN feature imitation applicable for heterogeneous detector pairs?

Most of the previous works perform distillation on FPN, as FPN integrates multiple layers of the backbone and provides rich spatial information of multi-scale objects. It is reasonable to force the student to imitate FPN features from its homogeneous teacher as they have the same detection head and label assignment, and better features could lead to better performance. However, there is still a lack of study on how to distill between heterogeneous detectors. [34, 39] conduct experiments on detectors with heterogeneous backbones, but detectors with heterogeneous detection heads and different label assignments are always omitted. Thus, we are motivated to investigate whether FPN feature imitation still makes sense for these heterogeneous detector pairs.

Table 1: Results of the fine-tuning experiments on COCO.

Backbone & Neck	Head	mAP
FCOS-Res50	FCOS	36.5
GFL-Res50	FCOS	37.6
FCOS-Res50	GFL	38.8
GFL-Res50	GFL	39.7
Retina-Res50	Retina	36.3
FCOS-Res50	Retina	35.2
Retina-Res50	FCOS	36.5
FCOS-Res50	FCOS	36.5

We first conduct experiments on three popular detectors, including RetinaNet [21], FCOS [31] and GFL [19]. Their backbones are the same, while the detection heads and training strategies such as label assignment are different. We first train these detectors for 12 epochs, then freeze the pre-trained backbones and necks, and fine-tune the randomly initialized detection heads for 12 epochs. During fine-tuning, the parameters in the backbone and neck are frozen and will not be updated. By analyzing the results in Table 1, we obtain the following two observations: (1) As there is no significant magnitude difference between features of GFL and FCOS [1], the pre-trained backbone and neck of GFL-Res50 can be used to fine-tune the FCOS head and achieve higher performance. (2) There is a significant mAP drop when fine-tuning the Retina head with the pre-trained backbone and neck of FCOS-Res50 due to the magnitude difference [2]. Hence, FPN feature imitation is applicable for heterogeneous detectors after removing the negative impacts of magnitude difference.

3.3 Feature Imitation with Pearson Correlation Coefficient

As discussed in Section 3.2, a promising feature distillation approach needs to consider the magnitude difference when constructing them into pairs for imitation. Moreover, by comparing the activation patterns shown in Figure 1, we find the dominant FPN stages and channels can negatively interfere with the training phase of the student and lead to sub-optimal results, which is ignored by previous works.

To address the above issues, we propose first normalizing the features of the teacher and the student to have zero mean and unit variances and minimizing the MSE between normalized features. Additionally, we want the normalization to obey the convolutional property - so that different elements of the same feature map, at different locations, are normalized in the same way. In order words, features convolved by the same convolution kernel are normalized in the same way. To accomplish this, we jointly normalize all the activations over all locations in a mini-batch. Let $\mathbb{B}$ be the set of all values in a feature map across both the elements of a mini-batch and spatial locations. So for a mini-batch of size b and feature maps of size $h \times w$, we use the effective mini-batch of size $m = \|\mathbb{B}\| = b \cdot hw$. Let $\boldsymbol{s}^{(c)} \in \mathbb{R}^m$ be the c-th channel of a batch of FPN outputs and omit c for clarity. Then we get the normalized values $\hat{s}_{1...m}$ and $\hat{t}_{1...m}$ from the student and the teacher, respectively. Instead of delicately designing imitation masks S in Eq. 1 to choose the important features, we treat foreground and background equally as distillation via background regions effectively reduces the number of background false positives [11]. That is, the imitation mask S is filled with the scalar value 1. Hence we can formulate our distillation loss as the following:

$$\mathcal{L}_{FPN} = \frac{1}{2m} \sum_{i=1}^{m} (\hat{s}_i - \hat{t}_i)^2 \tag{2}$$

Moving forward, minimizing the loss function above is equivalent to maximizing the PCC between the pre-normalized features of the student and the teacher. The PCC can be computed as:

$$r(\boldsymbol{s}, \boldsymbol{t}) = \frac{\sum_{i=1}^{m}(s_i - \mu_s)(t_i - \mu_t)}{\sqrt{\sum_{i=1}^{m}(s_i - \mu_s)^2}\sqrt{\sum_{i=1}^{m}(t_i - \mu_t)^2}} \tag{3}$$

As $\hat{\boldsymbol{s}}, \hat{\boldsymbol{t}} \sim \mathcal{N}(0,1)$, we get $\frac{1}{m-1}\sum_i \hat{s}_i^2 = 1$, $\frac{1}{m-1}\sum_i \hat{t}_i^2 = 1$. Then, we can reformulate Eq. 2 as:

$$\begin{aligned}
\mathcal{L}_{FPN} &= \frac{1}{2m}\left((2m-2) - 2\sum_{i=1}^{m}\hat{s}_i\hat{t}_i\right) \\
&= \frac{2m-2}{2m}(1 - r(\boldsymbol{s}, \boldsymbol{t})) \approx 1 - r(\boldsymbol{s}, \boldsymbol{t})
\end{aligned} \tag{4}$$

The gradient of PCC, $\partial\mathcal{L}/\partial s_i$, with respect to each FPN output s_i, is given by:

$$\frac{\partial \mathcal{L}_{FPN}}{\partial s_i} = \frac{1}{m\sigma_s}(\hat{s}_i \cdot r(\boldsymbol{s}, \boldsymbol{t}) - \hat{t}_i), \tag{5}$$

recalling $r(\boldsymbol{s}, \boldsymbol{t})$ is PCC in Eq. 3 and σ_s is the sample standard deviation of the student's feature $\boldsymbol{s}$. So PCC also has a beneficial effect on the gradient flow through student detectors by reducing the

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[1]Visualization is provided in the Appendix.

[2]The group normalization in FCOS head could lead to the different magnitude.

dependence of gradients on the feature value magnitude. It makes gradient descent-based training algorithms more stable.

In conclusion, PCC focuses on the relational information from the teacher and gives more freedom to the student feature's magnitude. Moreover, PCC eliminates the negative impacts of the dominant FPN stages and channels, leading to better performance. In addition, the normalization mechanism bridge the gap between the activation patterns of the student and the teacher (see Figure 2). Hence, feature imitation with PCC works for heterogeneous detector pairs. We train the student detector with the total loss as follows:

$$\mathcal{L} = \mathcal{L}_{GT} + \alpha \mathcal{L}_{FPN}, \tag{6}$$

where $\mathcal{L}_{GT}$ is the detection training loss, α is the hyper-parameter to balance the detection training loss and distillation loss.

3.4 Connection of PCC and KL divergence

As discussed in Section 3.3, the normalization mechanism is the key to addressing the three issues mentioned above. At the same time, KL divergence has been widely used in distillation. They first convert activations into a probability distribution with softmax function and then minimize the asymmetry KL divergence of the normalized activation maps:

$$\mathcal{L}_{KL} = T^2 \sum_{i=1}^{m} \phi(t_i) \cdot log[\frac{\phi(t_i)}{\phi(s_i)}], \tag{7}$$

where T is a hyper-parameter to control the degree of softness of the targets, and ϕ is the softmax function:

$$\phi(t) = \frac{exp(t_i/T)}{\sum_{j=1}^{m} exp(t_j/T)}, \tag{8}$$

Here, we show that minimizing KL divergence between post-normalized features in the high-temperature limit is equivalent to minimizing MSE between post-normalized ones and hence equivalent to maximizing PCC between pre-normalized ones.

Let $p_i = \phi(\hat{t}_i)$ and $q_i = \phi(\hat{s}_i)$ denote the probabilities from the teacher and the student, respectively. The KL divergence gradient, $\partial \mathcal{L}_{KL}/\partial \hat{s}_i$, with respect to each normalized activation $\hat{s}_i$ of the student is given by:

$$\frac{\partial \mathcal{L}_{KL}}{\partial \hat{s}_i} = T(q_i - p_i) = T\left(\frac{e^{\hat{s}_i/T}}{\sum_j e^{\hat{s}_j/T}} - \frac{e^{\hat{t}_i/T}}{\sum_j e^{\hat{t}_j/T}}\right), \tag{9}$$

If T is high compared with the magnitude of the normalized activations, we can approximate:

$$\frac{\partial \mathcal{L}_{KL}}{\partial \hat{s}_i} \approx T\left(\frac{1 + \hat{s}_i/T}{N + \sum_j \hat{s}_j/T} - \frac{1 + \hat{t}_i/T}{N + \sum_j \hat{t}_j/T}\right), \tag{10}$$

As $\hat{s}_i$ and $\hat{t}_i$ have been zero-meaned, Eq. 10 simplifies to:

$$\frac{\partial \mathcal{L}_{KL}}{\partial \hat{s}_i} \approx \frac{1}{N}\left(\hat{s}_i - \hat{t}_i\right), \tag{11}$$

Exploiting the relation between MSE and PCC shown in Eq. 4 gives the desired result. Experimental results are provided in the Appendix.

4 Experiments

In order to verify the effectiveness and robustness of our method, we conduct experiments on different detection frameworks on the COCO [22] dataset. We choose the default 120k train images split for training and 5k val images split for the test. We use the standard training settings following [34] and report mean Average Precision (AP) as an evaluation metric, together with AP under different thresholds and scales, $i.e.$, AP_{50}, AP_{75}, AP_S, AP_M and AP_L.

Table 2: Results of the proposed method with different detection frameworks on the COCO dataset. T and S mean the teacher and student detector, respectively. †means using inheriting strategy proposed by [16]. * indicates the results reproduced by us.

Method	schedule	mAP	AP_{50}	AP_{75}	AP_S	AP_M	AP_L
Retina-Res101 (T)	2x	38.9	58.0	41.5	21.0	42.8	52.4
Retina-Res50 (S)	2x	37.4	56.7	39.6	20.0	40.7	49.7
GID [9]	2x	39.1 (+1.7)	**59.0**	42.3	22.8	43.1	52.3
FRS [39]	2x	39.7 (+2.3)	58.6	42.4	21.8	43.5	52.4
Rank Mimicking [17]	2x	39.6 (+2.2)			21.4	**44.0**	52.5
FGD [34]	2x	39.6 (+2.2)	58.5	42.5	**22.9**	43.7	53.6
PKD (Ours)	2x	39.6 (+2.2)	58.7	42.5	21.9	43.6	53.2
PKD (Ours) †	2x	**39.9 (+2.5)**	58.9	**42.7**	22.1	43.9	**54.0**
Retina-ResX101 (T)	2x	40.8	60.5	43.7	22.9	44.5	54.6
Retina-Res50 (S)	2x	37.4	56.7	39.6	20.0	40.7	49.7
FKD [37]	2x	39.6 (+2.2)	58.8	42.1	22.7	43.3	52.5
FRS [39]	2x	40.1 (+2.7)	59.5	42.5	21.9	43.7	54.3
FGD [34]	2x	40.4 (+3.0)	59.9	43.3	**23.4**	44.7	54.1
PKD (Ours)	2x	40.8 (+3.4)	60.3	43.4	23.0	45.1	54.7
PKD (Ours) †	2x	**41.0 (+3.6)**	**60.5**	**43.9**	22.6	**45.4**	**55.4**
GFL-Res101 (T)	2x+ms	44.9	63.1	49.0	28.0	49.1	57.2
GFL-Res50 (S)	1x	40.2	58.4	43.3	23.3	44.0	52.2
FRS [39]	1x	43.6 (+3.4)	61.9	47.5	25.9	47.7	56.4
FGD [34] *	1x	41.3 (+1.1)	58.8	44.8	24.5	45.6	53.0
PKD (Ours)	1x	43.3 (+3.1)	61.3	46.9	25.2	47.9	56.2
PKD (Ours) †	1x	**44.2 (+4.0)**	**62.4**	**48.0**	**26.1**	**48.6**	**57.6**
FasterRCNN-Res101 (T)	2x	39.8	60.1	43.3	22.5	43.6	52.8
FasterRCNN-Res50 (S)	2x	38.4	59.0	42.0	21.5	42.1	50.3
GID [9]	2x	40.2 (+1.8)	60.7	43.8	22.7	44.0	53.2
FRS [39]	2x	40.4 (+2.0)	60.8	44.0	**23.2**	44.4	53.1
FGD [34]	2x	40.4 (+2.0)	60.7	44.3	22.8	44.5	53.5
PKD (Ours)	2x	40.5 (+2.1)	60.9	**44.4**	22.6	**44.8**	53.1
PKD (Ours) †	2x	**40.8 (+2.4)**	**61.1**	**44.4**	23.2	**44.8**	**54.0**
FCOS-Res101 (T)	2x+ms	41.2	60.4	44.2	24.7	45.3	52.7
FCOS-Res50 (S)	2x+ms	39.1	58.4	41.6	24.0	42.7	48.7
FRS [39] *	2x+ms	42.2 (+3.1)	60.6	45.6	**27.1**	46.5	53.0
FGD [34] *	2x+ms	42.3 (+3.2)	60.8	45.8	26.1	46.7	53.3
PKD (Ours)	2x+ms	42.8 (+3.7)	61.4	46.2	25.9	47.2	54.6
PKD (Ours) †	2x+ms	**43.2 (+4.1)**	**61.6**	**46.7**	26.7	**47.3**	**55.5**
TOOD-Res101 (T)	2x+ms	46.1	63.8	50.2	30.2	49.7	58.8
TOOD-Res50 (S)	1x	42.4	59.7	46.2	25.4	45.5	55.7
PKD (Ours)	1x	44.7 (+2.3)	62.1	48.6	27.1	48.5	58.0
PKD (Ours) †	1x	45.8 (+3.4)	63.3	49.6	28.9	49.5	59.5

For distillation, the hyper-parameter α is set to 6 when using a two-stage detector as the teacher and 10 when using a one-stage one as the teacher. Feature levels of heterogeneous detector pairs may not be strictly aligned, *e.g.*, FasterRCNN constructs the feature pyramid from $P2$ to $P6$, while RetinaNet uses $P3$ to $P7$. To address the above issue, we upsample the low-resolution feature maps to have the same spatial size as the high-resolution ones.

All experiments are performed on 8 Tesla A100 GPUs with two images in each. Our implementation is based on mmdetection [6] and mmrazor [7] with Pytorch framework [26]. '1x' (namely 12epochs), '2x' (namely 24 epochs) and '2x+ms' (namely 24epochs with multi-scale training) training schedules are used. More details are given in the Appendix.

4.1 Main Results

Our method can be applied to different detection frameworks easily, so we first conduct experiments on five popular detectors, including a two-stage detector (Faster RCNN[27]), three anchor-based one-stage detector (RetinaNet [21], GFL [19] and TOOD [10]) and an anchor-free detector (FCOS [31]). Table 2 shows the comparison of the results of state-of-the-art distillation methods on the COCO. Our distillation method surpasses other state-of-the-art methods. All the student detectors gain significant improvements in AP with the knowledge transferred from teacher detectors, *e.g.*, TOOD with ResNet-50 gets a 3.4% mAP improvement on the COCO dataset. These results indicate the effectiveness and generality of our method in both one-stage and two-stage detectors.

4.2 Distilling More Student Detectors with Stronger Heterogeneous Teachers

Most of the current methods are designed for homogeneous detector pairs. PKD is general enough to distill knowledge between both homogeneous and heterogeneous detector pairs. Here we conduct experiments on more detectors and use stronger heterogeneous teacher detectors, as shown in Table 3. Comparing with Table 2, we find that student detectors perform better with stronger teacher detectors, *e.g.*, Retina-Res50 model achieves 41.5% and 39.9% mAP with Mask RCNN-Swin [24] and Retina-Res 101, respectively. In addition, our method also generalizes well for large detectors like CascadeRCNN with ResNeXt101-DCN [8] as the backbone: boosting its mAP from 47.3% to 49.0% with help of Hybrid Task Cascade (HTC) [5]. Results show that student detectors get better features by mimicking the feature maps of stronger heterogeneous teacher detectors.

Table 3: Results of more detectors with stronger heterogeneous teacher detectors on the COCO dataset.

Method	schedule	mAP	AP_{50}	AP_{75}	AP_S	AP_M	AP_L
Mask RCNN-Swin (T)	3x+ms	48.2	69.8	52.8	32.1	51.8	62.7
Retina-Res50 (S)	2x	37.4	56.7	39.6	20.0	40.7	49.7
PKD (Ours)	2x	41.5 (+4.1)	60.6	44.1	22.9	45.2	56.4
Mask RCNN-Swin (T)	3x+ms	48.2	69.8	52.8	32.1	51.8	62.7
FasterRCNN-Res50 (S)	2x	38.4	59.0	42.0	21.5	42.1	50.3
PKD (Ours)	2x	42.2 (+3.8)	62.6	46.1	23.5	46.3	55.8
GFL-Res101 (T)	2x+ms	44.9	63.1	49.0	28.0	49.1	57.2
FCOS-Res50 (S)	2x+ms	39.1	58.4	41.6	24.0	42.7	48.7
PKD (Ours)	2x+ms	43.5 (+4.4)	61.9	47.1	26.5	47.7	55.7
Mask RCNN-Swin (T)	3x+ms	48.2	69.8	52.8	32.1	51.8	62.7
FCOS-Res50 (S)	2x+ms	39.1	58.4	41.6	24.0	42.7	48.7
PKD (Ours)	2x+ms	43.9 (+4.8)	62.3	47.5	27.2	48.0	57.1
HTC - ResX101 (T)	20e	50.6	69.8	54.8	32.1	55.2	66.7
Cascade Mask RCNN - ResX101 (S)	1x	47.3	66.3	51.7	28.2	51.7	62.7
PKD (Ours)	1x	49.0 (+1.7)	67.8	53.6	30.1	53.1	64.8

4.3 Analysis

4.3.1 Effectiveness of Pearson Correlation Coefficient

Among most previous works, feature-based distillation over multi-scale features is adopted for distillation. In this study, we argue that the magnitude difference, dominant FPN stages and channels can negatively interfere with the training phase of the student and lead to sub-optimal results. To study this empirically, we conduct the following three experiments to explore the effects of MSE loss which is a widely-used loss function and suffers from the above three issues simultaneously. We tune the loss weight of MSE for all experiments. More details are listed in the Appendix.

In the first pair, we use FCOS-ResX101 as the teacher whose feature magnitude is significantly different from that of the student Retina-Res50. In this case, what constitutes the knowledge is

better presented by relational information from the teacher's features than the absolute values. In the second pair, GFL-Res101 is the teacher and FCOS-Res50 is the student. For both teacher and student, features in FPN stage 'P6' are less activated than those in stage 'P3' . Hence, features in stage 'P3' could dominate the gradient of the distillation loss, which will overwhelm the effects of other features (see AP_S and AP_L of MSE and Ours in Table 4). In the last pair, Retina-ResX101 is the teacher and Retina-Res50 is the student. There are always a few channels with greater values, so directly imitating the feature maps may introduce much noise in dominant channels.

By comparing the results in Table 4, we find that our proposed PKD addresses the above three issues and achieves better performance. Hence, an effective distillation loss function should have the ability to handle the above three problems. We hope PKD could serve as a solid baseline and help ease future research in knowledge distillation community.

Table 4: Results of feature imitation with MSE.

Detector Pairs	Methods	mAP	AP_S	AP_L
FCOS-ResX101	MSE	36.3	20.0	47.1
Retina-Res50	Ours	41.3	24.2	55.4
GFL-Res101	MSE	43.0	27.1	54.3
FCOS-Res50	Ours	43.5	26.5	55.7
Retina-ResX101	MSE	40.4	22.2	54.4
Retina-Res50	Ours	40.8	23.0	54.7

Table 5: Comparison between previous methods under 2x schedule and our PKD under 1x schedule. The student detector is Retina-Res50.

Teacher		schedule	mAP
Retina-Res101	FGFI [33]	2x	38.6
	GID [9]		39.1
	FRS [39]		39.7
	[17]		39.6
	FGD [34]		39.6
FCOS-ResX101	Ours	1x	40.3

4.3.2 Sensitivity study of loss weight α

In Eq. 6, we use the loss weight hyper-parameter α to balance the detection training loss and distillation loss. Here, we conduct several experiments to investigate the influence of α. As shown in Table 6, the worst result is just a 0.3 mAP drop compared with the best result, indicating our method is not sensitive to the hyper-parameter α. In addition, since only one hyper-parameter is introduced in PKD, it can be applied to other datasets easily. Moving forward, as the normalization mechanism has a beneficial effect on the gradient flow through student detectors, by reducing the dependence of gradients on the feature value magnitude, a same loss weight α can be used across various detectors.

Table 6: Ablation study of loss weight hyper-parameter α on FCOS ResX101 - RetinaNet Res50.

α	3	5	8	10	13
mAP	41.0	41.1	41.1	41.3	41.1

4.3.3 Convergence Speed

In this subsection, we conduct experiments with RetinaNet to compare the convergence speed of our method with other state-of-the-art distillation methods on the COCO benchmark. As shown in Table 5, Retina-Res50 with our PKD achieves 40.3% mAP under 1x schedule and outperforms previous methods under 2x schedule by a large margin. In addition, there is no need to forward the detection head of the teacher, which reduces the training time significantly, especially for those models with cascaded heads.

5 Conclusion

This paper empirically finds that FPN feature imitation is applicable for heterogeneous detector pairs although their detection heads and label assignments are different. Then we propose feature imitation with Pearson Correlation Coefficient to focus on the relational information from the teacher and give more freedom to the student's feature value magnitude. Furthermore, a general KD framework is proposed, capable of distilling knowledge for both homogeneous and heterogeneous detector pairs. It converges faster and only introduces one hyper-parameter, which can easily be applied to other datasets. However, our understanding of whether our proposed PKD is capable of other tasks such as text recognition is preliminary and left as future works.

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