Contrastive Adapters for Foundation Model Group Robustness

Abstract

While large pretrained foundation models (FMs) have shown remarkable zero-shot classification robustness to dataset-level distribution shifts, their robustness to subpopulation or group shifts is relatively underexplored. We study this problem, and find that foundation models such as CLIP may not be robust to various group shifts. Across 9 robustness benchmarks, zero-shot classification with their embeddings results in gaps of up to 80.7 percentage points (pp) between average and worst-group accuracy. Unfortunately, existing methods to improve robustness require retraining, which can be prohibitively expensive on large foundation models. We also find that efficient ways to improve model inference (*e.g.*, via adapters, lightweight networks that transform FM embeddings) do not consistently improve and can sometimes *hurt* group robustness compared to zero-shot. We therefore develop an adapter training strategy to effectively and efficiently improve FM group robustness. Our motivating observation is that while poor robustness results from groups in the same class being embedded far apart in the foundation model "embedding space," standard adapter training may not actually bring these points closer together. We thus propose contrastive adapting, which contrastively trains adapters to bring sample embeddings close to both their ground-truth class embeddings *and* same-class *sample* embeddings. Across the 9 robustness benchmarks, contrastive adapting consistently improves group robustness, raising worst-group accuracy by 8.5 to 56.0 pp over zero-shot. Our approach is also efficient, doing so without any FM finetuning and only a fixed set of FM embeddings. On popular benchmarks such as Waterbirds and CelebA, this leads to worst-group accuracy comparable to state-of-the-art methods, while only training $\leq 1\%$ of the model parameters.

1 Introduction

Foundation models (FMs)—large pretrained models trained on massive datasets—offer an exciting new paradigm for deep learning. Recent works have shown that without any finetuning, foundation models can generalize well to various datasets [6, 20, 41, 49] and exhibit impressive robustness to certain distribution shifts [26, 54]. Under this zero-shot paradigm, practitioners can avoid training task-specific models, and instead use FM embeddings for efficient and effective inference.

However, an underexplored question is how robust this zero-shot inference is to "group shifts," distribution shifts between subpopulations or meaningful groups in data. Prior works have established that *group robustness—i.e.* performing well on all groups—is a fundamental and real-world challenge for modern deep learning [4, 7, 24, 34, 37, 46, 50]. Yet most prior foundation model evaluations focus on overall or average performance [26, 41, 54]; few works consider their accuracy across groups.

In this work, we thus study foundation model group robustness. We motivate this problem by first showing that foundation models can have poor zero-shot group robustness. Evaluating 11 foundation

Figure 1: (a) Adapter classification with FM embeddings. Adapters learn transformations to align sample embeddings to ground-truth class embeddings. (b) Cross-entropy loss encourages alignment between class embeddings [14]. (c) Contrastive adapting adds alignment between sample embeddings.

models across 9 robustness benchmarks, we find they achieve up to an 80.7 percentage point (pp) gap between average and worst group accuracy, only classifying 6.0% of worst-group samples correctly.

We therefore aim to improve FM group robustness. This poses several challenges and open questions. First, while improving group robustness in machine learning is well-studied, existing robustness methods require retraining one (and often more than one) entire models [1, 10, 23, 30, 34, 45, 50, 51, 57]. This can be prohibitively expensive for foundation models due to their size and scale, raising the question of whether we can make these models more robust without any retraining or finetuning. Second, for zero-shot classification, many practitioners may also only access foundation model outputs or embeddings (*e.g.*, via APIs[1]). To improve robustness, ideal solutions should only require pretrained FM embeddings. However, these same embeddings lead to poor zero-shot robustness, raising the question of if they even encode the information needed to classify all groups correctly.

Motivated by these challenges and questions, we study effective *and* efficient solutions for better FM group robustness. As a baseline, we first find that while efficient methods to improve FM inference— such as training linear probes [26, 41] and adapters [14, 18] on top of FM embeddings—can improve group robustness over zero-shot (reducing the gap by up to 50.2 pp on representative benchmarks), they fail to do so consistently, and can *hurt* robustness. They reduce worst-group accuracy by up to 37.9 pp, and increase the accuracy gap by up to 74.9 pp. To reason about this inconsistency, we note that poor zero-shot robustness results when FMs embed same-class samples in different groups "far apart" in embedding space. While adapter training achieves higher robustness than linear probing, we find settings where it still fails to close this distance, *e.g.*, if training data is group-imbalanced.

To then handle these scenarios and consistently improve group robustness over zero-shot, we propose *contrastive adapting*, a simple adapter training method that places greater emphasis on bringing these initially "far apart" points together. For each task, we first use foundation models to compute embeddings for each training sample and class. We then train adapters—small bottleneck MLPs—on these embeddings. Like prior work [14], these adapters take sample embeddings as inputs, and output transformed embeddings with greater cosine similarity to their ground-truth class embeddings. However, the key difference is that contrastive adapting also applies a supervised contrastive loss over other *sample* embeddings. Specifically, we provide a way to "pull together" far apart sample embeddings in the same class, and "push apart" nearby sample embeddings in different classes.

In our experiments, we validate that contrastive adapting effectively and efficiently improves FM group robustness. First, across all 9 robustness benchmarks, we find contrastive adapting consistently improves worst-group accuracy over zero-shot (by 8.5 to 56.0 pp), using no training group labels and only training MLPs with 0.1% to 0.3% of the original FM parameters. Then, on a representative set of benchmarks with various group shifts and training data group sizes, we find contrastive adapting can substantially outperform prior adapter training strategies, and outperforms other approaches that only use fixed FM embeddings (achieving up to 12.4 pp higher worst-group accuracy than the next best method on average). Finally, beyond just improving FM robustness, we find contrastive adapting also achieves effective and efficient group robust classification in general. We achieve near state-of-the-art (SoTA) or SoTA worst-group accuracy on popular robustness benchmarks with only 1.0% of the trainable parameters (*e.g.*, improving 0.2 pp over the prior SoTA [35] on CelebA [31]).

---

[1]https://beta.openai.com/docs/introduction., https://studio.ai21.com/docs/, https://docs.cohere.ai/

In summary, we find that while FM zero-shot classification may not be group-robust, we can significantly improve robustness without any finetuning. This suggests the information to classify groups is frequently in their pretrained embeddings; we may just need proper methods to extract it.

2 Related Work

Our work builds on (i) methods to improve group robustness, and (ii) methods to improve foundation model inference without accessing or finetuning their original weights. We briefly describe these works here, and include an expanded discussion in Appendix **??**.

Improving group robustness. Many works aim to improve group robustness. If training group labels are known, prior methods often balance group sizes during training, via sample balancing [11, 17, 19, 23], importance weighting [8, 48], or robust optimization [2, 45]. We do not assume training group labels. With these assumptions, a common approach first trains a model with empirical risk minimization (ERM), before using this model's predictions to infer groups. Methods then train a second robust model with sample balancing [30, 34] or robust optimization [10, 35, 50] using inferred group labels, or representation learning to learn similar representations for groups in the same class [57]. While effective at improving group robustness, these solutions require training one (and often more than one) models. This can make applying them to foundation models prohibitively expensive.

Improving foundation model inference efficiently. Other prior works aim to improve foundation model downstream performance, without having to finetune or update original model weights. *Prompt tuning* optimizes the inputs of a FM while keeping the original model weights frozen. Optimizing either text [27, 28, 58, 59] or image [3, 55] inputs can improve a frozen foundation model's downstream task accuracy. However, doing so can require multiple passes through the foundation model, which may become expensive in certain situations (*e.g.*, interacting with a foundation model via a commercial API). Another paradigm adds small trainable parameters to the original model, either within its layers or on top of its embeddings. These include linear probes (linear classifiers) [41] and adapters (small bottleneck MLPs) [18, 39, 40, 42]. Recently, Kumar et al. [26], Wortsman et al. [54] propose methods that use linear probes to improve robustness to dataset-level out-of-distribution shifts. Gao et al. [14] propose to train single adapters on top of FM embeddings to improve average downstream task accuracy. We focus on *group shifts* that occur within a dataset. We also show that the latter can hurt group robustness, and propose alternatives to consistently improve group robustness.

3 Problem

In Section 3.1, we first describe the group robustness problem setting. In Section 3.2, we illustrate this problem with foundation models. We show that zero-shot classification with foundation models, and existing baseline approaches to improve downstream inference, can result in poor group robustness.

3.1 Preliminaries: group robustness and task setup

We emphasize robustness to distribution shifts between groups in this work. For setup, we follow prior works [24, 30, 45, 50] that alternatively describe the phenomenon as *hidden stratification* [50] or *subpopulation shift* [24]. For some task, we have N samples $\{(x_i, y_i, g_i)\}_{i=1}^N$, with sample features or inputs $x_i \in \mathcal{X}$, class labels $y_i \in \mathcal{Y}$, and group labels $g_i \in \mathcal{G}$. Let $C = |\mathcal{Y}|$ be the number of classes. We use g_i to indicate the group that each sample belongs in, but do not observe group labels during training. Distribution shifts may occur between samples in different groups but the same class.

Every sample (x_i, y_i, g_i) is drawn from some unknown joint distribution P. Let P_g be the specific distribution conditioned on g for any $g \in \mathcal{G}$. For classification loss $\ell : \mathcal{Y} \times \mathcal{Y} \mapsto \mathbb{R}$ and classifier $f_\theta : \mathcal{X} \mapsto \mathcal{Y}$, we want f_θ to be accurate, *i.e.* achieving low average error:

$$\mathcal{L}_{\text{avg}}(f_\theta) := \mathbb{E}_{(x,y,g)\sim P}[\ell(f_\theta(x), y)] \tag{1}$$

and *group robust*, *i.e.*, achieving a small gap between its average error and its worst-group error:

$$\mathcal{L}_{\text{wg}}(f_\theta) := \max_{g \in \mathcal{G}} \mathbb{E}_{(x,y,g)\sim P_g}[\ell(f_\theta(x), y)] \tag{2}$$

Different from domain generalization or out-of-distribution (OOD) evaluation, we observe each group in training, validation, and test splits. However, standard training via empirical risk minimization (ERM) can still lead to poor test set group robustness because training groups may be imbalanced [45, 50, 57]. Here, foundation models are *not trained* on the training data, but we show that zero-shot classification with foundation models can still result in poor group robustness.

| Waterbirds | BREEDS Living-17 | CIFAR-10.02 |

Figure 2: Samples of different group shifts for robust evaluation (2 classes, 2 groups per class shown).

3.2 Empirical findings of poor foundation model group robustness

To motivate the rest of this work, we now demonstrate the group robustness problem with foundation models. We first describe different natural group shifts for evaluation. We next detail primary baseline approaches. We finally summarize our findings after evaluating these baselines on 11 popular foundation models across 9 standard group robustness benchmarks used in prior work [24, 32, 43, 45, 47]. We present four representative scenarios based on training data assumptions and group robustness outcome. Critically, we find that zero-shot classification with foundation models may result in poor group robustness. We also find that baseline methods to improve downstream transfer do not consistently improve group robustness, and can make group robustness worse.

Dataset group shifts. We benchmark methods on the following sources of group shift (Figure 2):

- **Spurious confounders.** We evaluate across groups which may or may not carry spurious confounders—input features predictive for some, but not all groups in a class. For example, in Waterbirds [45, 53], a water background is a confounder for the `waterbirds` class.

- **Subclass variance.** We evaluate across groups which are different fine-grained subclasses. For example, in BREEDS Living-17 [47], the `ape` class includes images of gibbons and gorillas.

- **Data source variance.** We evaluate across groups which are the same class but sourced from different datasets. For example, we set up the CIFAR-10.02 dataset by combining CIFAR-10 [25] and CIFAR-10.2 [32]. The `airplanes` class contains samples from both datasets.

Baseline methods. To evaluate foundation model group robustness, we consider the following baseline methods. Following prior work [13, 20, 29, 33, 41], for all approaches we first compute N sample embeddings and C class embeddings using a foundation model. With foundation model embedding dimension D, let $u_n \in \mathbb{R}^D$ be a sample embedding and $c_n \in \mathbb{R}^D$ be a class embedding.

- **Zero-shot classification** [41]: We classify each sample via the nearest class embedding to its sample embedding u_n. Specifically, we compute the class-wise probabilities for each sample x_n as

$$f_\theta(x_n; \tau) = \text{softmax}(\hat{W}^\top \hat{u}_n / \tau) \tag{3}$$

where $\hat{u}_n = u_n / \|u_n\|$ is the (ℓ-2) normalized sample embedding of x_n, $\hat{W} \in \mathbb{R}^{D \times C}$ is a matrix whose columns are the normalized class embeddings $\{\hat{v}_c\}_{c=1}^C$, and τ is a temperature parameter. As standard, for class embeddings we convert each class name to a natural language prompt, *e.g.*, "photo of a [class name]", and feed the tokenized prompt to a foundation model's text encoder.

- **Linear Probe** [41, 54]: We train a linear classifier on top of training data sample embeddings. Specifically, with classifier $f_\theta(u) = W^\top u$, we update the weights $W \in \mathbb{R}^{D \times C}$ with a cross-entropy loss applied over training data sample embeddings $\{u_n\}_{n=1}^N$ and labels $\{y_n\}_{n=1}^N$.

- **Adapter** [14, 42]: We train a single 2-layer bottleneck multilayer perception (MLP) to output transformed sample embeddings, which we use instead of the original sample embeddings to classify with in the zero-shot procedure above. Specifically, with adapter hidden-layer dimension H, ReLU activation function σ, and adapter weights $\phi = [W_1, W_2]$—where $W_1 \in \mathbb{R}^{D \times H}$ is a linear down-projection and $W_2 \in \mathbb{R}^{H \times D}$ a linear up-projection—we compute "adapted" embeddings

$$f_\phi(u) = W_2^\top \sigma\left(W_1^\top u\right) \tag{4}$$

We classify samples with the zero-shot class matrix $\hat{W}$, temperature τ, and normalized adapted embeddings $\hat{f}_\phi(u) = f_\theta(u)/\|f_\phi(u)\|$. The final outputs are given by $f_\theta(u; \hat{W}, \tau) = \hat{W}^\top \hat{f}_\phi(u)/\tau$. Like with linear probes, we update ϕ with a cross-entropy loss using training data labels $\{y_n\}_{n=1}^N$.

For evaluation, we train both linear probes and adapters with standard empirical risk minimization (ERM), which aims to minimize the empirical risk: $\hat{\mathcal{L}}(f_\theta) = \frac{1}{N} \sum_{n=1}^N \ell(f_\theta(u_n), y_n)$.

Table 1: Baseline worst-group (WG) and average (Avg) accuracies with zero-shot classification, linear probes, and adapters. Best metric **in bold**. While training linear probes and adapters can improve group robustness (reducing the worst-group versus average accuracy gap by 57.4 pp on BREEDS Living-17), it can also result in poorer robustness (in red), increasing the gap by 74.9 pp on CelebA.

Method	Waterbirds			CelebA			BREEDS Living-17			CIFAR-10.02		
Accuracy (%)	WG	Avg	Gap	WG	Avg	Gap	WG	Avg	Gap	WG	Avg	Gap
Zero-shot	36.6	92.2	55.6	**74.0**	81.9	**7.9**	6.0	86.7	80.7	39.1	69.9	30.8
Linear Probe	7.9	93.5	85.6	11.9	94.7	82.8	53.3	90.8	37.5	51.3	77.7	26.4
Adapter	**60.8**	96.0	**35.2**	36.1	94.2	58.1	**70.7**	94.0	**23.3**	**68.8**	86.0	**17.2**

Table 2: Representative outcomes for improving group robustness.

Example Dataset	Group Shift	Class-wise Group Size			Improved Group Robustness?	
		Largest	Smallest	Balanced?	Linear Probe	Adapter
Waterbirds	Confounder	1057	56	✗	✗	✓
CelebA	Confounder	22880	1387	✗	✗	✗
BREEDS Living-17	Subclass	1076	1009	✓	✓	✓
CIFAR-10.02	Data source	4039	431	✗	✓	✓

Discussion and representative outcomes. In Table 1, we report worst-group and average accuracies along with their corresponding gaps on four representative group robustness datasets, using zero-shot classification, linear probes, and adapters on CLIP ResNet-50 embeddings. We select datasets to report based on training data setup and group robustness outcome, where we find that (i) the relative group size ratios, (ii) the type of group shift, and (iii) the choice of adapter or linear probe influences group robustness improvements. We note descriptive characteristics and outcomes in Table 2, and summarize three main takeaways below. Appendix **??** contains results for all datasets and models.

1 **Foundation model zero-shot classification may not be group robust**: Across datasets, we find that zero-shot classification with CLIP ResNet-50 embeddings can achieve 7.9 to 80.7 pp gaps between worst-group and average accuracy. Worryingly, poor group robustness is accompanied by high *average* error (from 69.9% to 92.9%), the usual metric for evaluating zero-shot classification. This further supports the importance of improving group robustness.

2 **Efficient baselines do not consistently improve robustness**: We find that while previously proposed linear probes and adapters are efficient ways to improve accuracy on downstream tasks, these benefits do not consistently carry over to improving group robustness.

- When training data is balanced, both linear probes and adapters can substantially improve group robustness and worst-group accuracy (reducing the robustness gap by 43.2 and 54.7 pp respectively on BREEDS Living-17). However, when minority groups are rare, in some instances, approaches can hurt group robustness. On CelebA, adapters and linear probes increase the gap by 50.2 and 74.9 pp, and reduce worst-group accuracy by 37.9 and 62.1 pp.

3 **We can improve group robustness with only foundation model embeddings**: Our positive results suggest that poor zero-shot classification may not be because sample embeddings lack the information required to classify groups correctly. Rather, we may just require the right training strategies to learn how to better classify by this information.

Altogether, takeaways 1 and 2 motivate the need for methods to effectively improve robustness in the foundation model setting. Takeaway 3 suggests we can make progress on this problem.

4 Method

Having established the group robustness problem in Section 3, we now propose a simple contrastive adapter training strategy to improve group robustness. In Section 4.1, we setup our approach by identifying possible sources of limitation with standard adapter training. In Section 4.2, we then use these insights to propose a simple yet effective approach that counteracts these limitations.

4.1 Understanding prior limitations via embedding metrics

To guide a first-step strategy for improving robustness, we first outline high-level reasoning for why zero-shot and ERM-trained adapters fail to classify groups correctly. Recall that a key property of group robust classification is that all sample embeddings belonging to the same class should embed closer to their ground-truth class embedding than any other class embedding. If zero-shot classification for a specific class is accurate on average but not group robust, then in the pretrained foundation model embedding space there exists groups that embed "close" to their ground-truth class embedding, and groups in the same class that embed "far away" (measured via cosine similarity). One way to interpret training adapters with FM embeddings is that it aims to bring these initially far apart sample embeddings closer to their ground-truth class embedding. Restating the sample cross-entropy loss with adapters makes this clear as an InfoNCE loss [9, 38]:

$$\ell(f_\theta(u), y) = -\log \frac{\exp(\hat{f}_\theta(u)^\top \hat{v}/\tau)}{\sum_{c=1}^{C} \exp(\hat{f}_\theta(u)^\top \hat{v}_c/\tau)} \tag{5}$$

with sample embedding u as an anchor, class embedding v of ground-truth y as a single positive, and the other $C - 1$ class embeddings as negatives. Ideally, via ERM adapters we thus learn transformations bringing zero-shot incorrect anchors closer to their class embedding positives.

However, in Section 3 we found this loss works in some scenarios but not others. Intuitively, Eq. 5 can fail to bring samples closer to their correct class embedding (*e.g.*, on CelebA). To find additional ways to bring points together, we hypothesize that poor robustness also accompanies poor similarity between *sample embeddings* from different groups but the same class. We verify this in Figure 3 by empirically measuring the average pairwise cosine similarity and group alignment loss $\mathcal{L}_{\text{align}}$ [57]—which measures the pairwise Euclidean distance—between sample embeddings in the same class but different groups. We compare these metrics with embeddings computed with trained adapters and the initial foundation model embeddings, and find that higher worst-group accuracy corresponds to higher cosine similarity and lower alignment loss between groups in the same class.

Figure 3: Across CLIP model architectures, cosine similarity and alignment loss between groups of the same class tracks worst-group error. Notably, training ERM adapters may fail to move these metrics in the desired direction, which corresponds with poorer robustness (*e.g.*, on CelebA).

4.2 Approach: Contrastive Adapting

To improve robustness, we therefore propose to more effectively bring far away samples together by introducing greater training signal via other *sample* embeddings. Instead of limiting ourselves to a single class embedding positive and a limited set of $C - 1$ negatives, we expand our positives by including *sample* embeddings for points in the same class far away from the anchors among pretrained embeddings (*e.g.*, likely in different groups). We expand our negatives with sample embeddings from different classes. Following prior work [15, 57] that finds sampling *hard negatives* beneficial for robust contrastive learning, we also use the computed foundation model sample embeddings to sample negatives from points nearest to the anchors but in different classes. As the number of training data points N is often much larger than the number of classes C, these choices are further supported by prior work suggesting more positives and negatives are beneficial for contrastive learning [22, 44]. In practice, contrastive adapting is simple to implement with three components:

- **Foundation model embedding and prediction**: We compute FM embeddings over labeled training data. To guide sampling, we collect zero-shot predictions over this data.

- **Contrastive sampling**: For each class, we identify an "anchor" sample embedding $u \in \mathcal{U}$ that zero-shot predicts incorrectly, and P "positive" sample embeddings $\mathcal{P}(u)$ that zero-shot classifies correctly. We do this as a heuristic for finding samples "far apart" in the FM embedding space, so pushing them together improves robustness over zero-shot. We also identify M hard "negative" sample embeddings $\mathcal{M}(u)$ by computing the nearest neighbors to the anchors in different classes, using cosine similarity between the sample embeddings.

- **Training objective**: We use a supervised contrastive loss [22] with the sample embeddings, *i.e.*

$$\ell_{\mathrm{con}}^{\sup}(f_\theta(u)) = \frac{-1}{P} \sum_{p \in \mathcal{P}(u)} \log \frac{\exp(\hat{f}_\theta(u)^\top \hat{f}_\theta(p)/\tau)}{\exp(\hat{f}_\theta(u)^\top \hat{f}_\theta(p)/\tau) + \sum_{m \in \mathcal{M}(u)} \exp(\hat{f}_\theta(u)^\top \hat{f}_\theta(m)/\tau)} \quad (6)$$

We also use a standard cross-entropy loss over minibatches of sample embeddings and their class embeddings. This aims to keep adapted embeddings close to their ground-truth class embeddings. To avoid undoing Eq. 6 and push "far away" points closer to their ground-truth class embeddings, we upsample the number of zero-shot incorrect samples to equal the number of zero-shot correct samples in each minibatch. We thus use contrastive supervision from class and sample embeddings.

Robust generalization with adapters. The contrastive loss in Equation 6 is also supported by recent results suggesting that minimizing the class-wise alignment loss $\mathcal{L}_{\mathrm{align}}$ helps bound the worst-group versus average error gap for that class (*cf*. Thm 3.1, Zhang et al. [57]). The bound however scales with the Lipschitz constant of the neural network, and upper bounds for estimating this constant can grow with the size of the network [12, 52]. However, as our adapters are small 2-layer MLPs, estimates of this constant suggest we can obtain better generalization with fewer training samples [16, 21, 36, 56]. In Section 5.2, we later show this corresponds to better data efficiency.

5 Experiments

We now validate that contrastive adapting enables effective and efficient group robustness. First, in Section 5.1, we evaluate the effectiveness of contrastive adapting against efficient methods to improve FM inference. We study whether the approach consistently improves worst-group accuracy and group robustness over zero-shot classification, how contrastive adapting compares against additional efficient methods that only require foundation model embeddings, and whether contrastive adapting scales to a variety of foundation model architectures. Next, in Section 5.2, we study the efficiency of contrastive adapting against effective group robustness approaches. We find that the prior robustness gains are not only relative to other efficient FM training methods; contrastive adapting also enables state-of-the-art robustness on popular benchmarks, but with greater parameter and data efficiency.

5.1 Robustness comparison for efficient foundation model methods

To first judge the effectiveness of contrastive adapting, we evaluate the method across the same set of initial robustness benchmarks and foundation model architectures discussed in Section 3. As in prior group robustness evaluation, we do not assume training groups labels, but do assume group labels in validation data for hyperparameter tuning and model selection [24]. We include experimental details for all models and hyperparameters in Appendix **??**.

As baselines, we compare against zero-shot classification [41], ERM linear probing [26, 41], and ERM adapter training [14]. We also compare against recent methods designed to improve downstream transfer in related settings, while similarly only requiring pretrained model embeddings:

- **Weight space ensembling (WiSE-FT)** [54], which first trains a linear classifier with standard ERM, and then ensembles the classifier outputs with the initial zero-shot predictions. While proposed for both training linear classifiers and finetuning the original weights of a foundation model, we focus on the linear classifier version for fair comparison in our setting.

- **Deep feature reweighting (DFR)** [23], which first trains a linear probe on embeddings computed from a pretrained model over group-balanced data. As we do not assume training group labels, we first infer groups using zero-shot classification with foundation model embeddings. As in prior work [30, 57], we treat the incorrect and correctly classified samples as proxies for different groups.

Table 3: Evaluation of methods for improving group robustness of CLIP models. Across representative benchmarks and CLIP models, contrastive adapters consistently improve worst-group accuracy over zero-shot classification (by 10.2 to 76.0 pp). **1st** / 2nd best worst-group (WG) and robustness gaps **bolded** / underlined.

	Method / Acc. (%)	Waterbirds			CelebA			BREEDS Living-17			CIFAR-10.02		
		WG	Avg	Gap	WG	Avg	Gap	WG	Avg	Gap	WG	Avg	Gap
CLIP ResNet-50	Zero-shot (ZS)	36.6	92.2	55.6	74.0	81.9	7.9	6.0	86.7	80.7	39.1	69.9	30.8
	Group Prompt ZS	55.9	87.8	31.9	70.8	82.6	11.8	30.0	90.6	60.6	N/A	N/A	N/A
	ERM Linear Probe	7.9	93.5	85.6	11.9	94.7	82.8	53.3	90.8	37.5	51.3	77.7	26.4
	ERM Adapter	60.8	96.0	35.2	36.1	94.2	58.1	70.7	94.0	**23.3**	68.8	86.0	**17.2**
	WiSE-FT	49.8	91.0	41.2	85.6	88.6	3.0	53.3	90.8	37.5	58.2	79.1	20.9
	DFR (Subsample)	63.9	91.8	27.9	76.9	92.5	15.6	46.7	89.4	42.7	45.0	75.0	30.0
	DFR (Upsample)	51.3	92.4	41.1	89.6	91.8	2.2	44.0	86.4	42.4	38.5	77.9	39.4
	Contrastive Adapter	**83.7**	89.4	**5.7**	**90.0**	90.7	**0.7**	62.0	90.9	28.9	60.7	80.9	20.2
CLIP ViT-L/14	Zero-shot (ZS)	25.7	87.3	61.6	62.1	71.9	9.8	4.0	86.6	82.6	72.0	93.2	21.2
	Group Prompt ZS	27.4	85.5	58.1	72.4	81.8	9.4	48.0	96.6	48.6	N/A	N/A	N/A
	ERM Linear Probe	65.9	97.6	31.7	28.3	94.7	66.4	**84.0**	98.6	14.6	**87.5**	96.1	**8.6**
	ERM Adapter	78.4	97.8	19.4	36.7	94.2	57.5	82.7	98.2	15.5	87.0	96.9	9.9
	WiSE-FT	65.9	97.6	31.7	80.0	87.4	7.4	**84.0**	98.6	14.6	**87.5**	97.0	9.5
	DFR (Subsample)	51.9	95.7	43.8	76.3	92.1	15.8	**84.0**	98.5	**14.5**	85.5	96.6	11.1
	DFR (Upsample)	65.9	96.1	30.2	83.7	91.2	7.5	78.7	97.3	18.6	72.5	93.8	21.3
	Contrastive Adapter	**86.9**	96.2	**9.3**	**84.6**	90.4	**5.8**	80.0	97.5	17.5	82.2	96.1	13.9

Table 4: On the Waterbirds dataset, contrastive adapters consistently improve group robustness across various vision-language foundation models (CLIP [41], CLOOB [13]) and backbones (ResNets and ViTs).

	CLOOB RN-50			CLOOB RN-50x4			CLIP RN-101			CLIP ViT-B/32			CLIP ViT-B/16		
Accuracy (%)	WG	Avg	Gap	WG	Avg	Gap	WG	Avg	Gap	WG	Avg	Gap	WG	Avg	Gap
Zero-shot	41.6	60.4	18.8	24.1	51.1	27	33.6	**90.0**	56.4	47.0	**88.8**	41.8	34.0	88.1	54.1
Contrastive Adapter	**83.0**	86.8	**3.8**	**85.8**	88.5	**2.7**	**82.0**	86.0	**4.0**	**80.7**	84.2	**3.5**	**83.1**	90.9	**7.8**

Finally, assuming we have validation group labels, we know what groups could plausibly be in our test data. We thus also compare against **group-informed prompting**, which performs zero-shot classification using prompts with group information (*e.g.*, "a waterbird on a land background").

Consistent robustness improvements over zero-shot. In Figure 4 we report contrastive adapting's relative gains in worst-group accuracy over zero-shot classification on all 9 robustness benchmarks. Unlike prior adapter training approaches, contrastive adapting consistently improves group robustness over zero-shot classification, achieving 8.5 to 56.0 pp higher worst-group accuracy.

Representative dataset evaluation. In Table 3 we evaluate how contrastive adapting compares against additional lightweight methods for improving robustness. We evaluate with group-imbalanced and group-balanced training data across spurious confounder, subclass, and data source group shifts, using embeddings from CLIP ResNet-50 (RN-50) and CLIP ViT-L/14. On average, contrastive adapters also improve worst-group accuracy by 12.4 and 4.1 pp over the next best methods on CLIP RN-50 and ViT-L/14 models.

Transfer across architectures. To further judge contrastive adapting's effectiveness, we evaluate how the prior improvements transfers to different foundation models. In Table 4, we find that contrastive adapters substantially improve group robustness for other foundation models such as CLOOB [13]. Contrastive adapting also scales across foundation model backbones, raising worst-group accuracy by 33.7 to 61.7 pp while only training models with 0.52% to 1.03% of the original FM parameter count.

Figure 4: Across 9 group robustness benchmarks, contrastive adapting consistently improves worst-group accuracy over foundation model zero-shot classification.

5.2 Measuring efficiency among effective group robustness solutions

In the previous section, we showed how contrastive adapters could significantly improve group robustness for foundation models. We now expand on contrastive adapting's efficiency. We find

Table 5: On popular Waterbirds and CelebA benchmarks, contrastive adapters achieve near state-of-the-art worst-group accuracy (WG Acc.) with ≤1% of the trainable parameters. ΔAcc. is percentage point gap with prior SoTA. **1st** / 2nd best metrics **bolded** / underlined. We report numbers from original works.

Model	# Trained Params	% Params	Method	Waterbirds WG Acc. (%)	Waterbirds ΔAcc.	CelebA WG Acc. (%)	CelebA ΔAcc.
ResNet-50	25557032	100	EIIL	78.7	-10.3	83.3	-6.5
			CIM	83.6	-5.4	83.6	-6.2
			JTT	86.7	-2.3	81.1	-8.7
			SUBY	82.4	-6.6	79.9	-9.9
			RWY	86.1	-2.9	82.9	-6.9
			CNC	88.5	-0.5	88.8	-1.0
			SSA	**89.0**	0.0	89.8	0.0
Adapter + CLIP RN-50	263424	1.03	Ours	83.7	-5.3	**90.0**	0.2
Adapter + CLIP ViT-L/14	197632	0.77	Ours	86.9	-2.1	84.6	-5.2

that for group robust classification in general, contrastive adapting can achieve state-of-the-art performance despite only training ≤1% of the usual model parameters. The lightweight nature of contrastive adapting also leads to better data efficiency than existing state-of-the-art approaches.

Robustness comparison to state-of-the-art methods. In Table 5, we evaluate how contrastive adapting with CLIP RN-50 and ViT-L/14 embeddings compares to current state-of-the-art robustness techniques. For evaluation, we use the popular Waterbirds and CelebA datasets. The existing methods train an ImageNet-pretrained ResNet-50. We find that on both datasets, contrastive adapting achieves comparable worst-group accuracy to recent group robustness methods, despite only training ≤1% of their parameters. Notably, contrastive adapting outperforms some of these approaches by up to 5.0 and 10.1 pp for Waterbirds and CelebA respectively. Contrastive adapting also falls short of the state-of-the-art Spread Spurious Attribute (SSA) method by 2.1 pp on Waterbirds, but achieves 0.2 higher worst-group accuracy on CelebA. These results suggest that contrastive adapters are not only effective at improving group robustness for foundation models, but also enable competitive robust classification in general at a fraction of prior approaches' trainable parameter counts.

Data efficiency evaluation. Beyond model parameter count, we also study if the lightweight nature of contrastive adapting transfers to better data efficiency. We compare contrastive adapting to the best performing SSA on subsampled versions of Waterbirds. To evaluate how well methods maintain group robustness with less training data available, we keep group ratios preserved (*i.e.*, 1% of all training samples belongs to the smallest Waterbirds group [45]).

In Figure 5, we show that contrastive adapting substantially outperforms SSA in lower data regimes. With only 100 and 250 training samples, contrastive adapting outperforms SSA-trained ResNet-50s by 42.6 and 25.9 pp. With 100 training samples, contrastive adapting still achieves 20.8 pp higher worst-group accuracy than zero-shot classification with only 1 training sample in the smallest Waterbirds group. In contrast, SSA's performance drops significantly, resulting in 17.6 pp lower worst-group accuracy than zero-shot classification. We also estimate the Lipschitz constant of the trained adapter to be 29.3 using prior methods, which is much lower than that of many more layered networks (*e.g.*, ResNet-50s) [12, 52].

Figure 5: In fewer data regimes, contrastive adapters maintain higher group robustness than zero-shot classification, and significantly outperform standard models trained with the state-of-the-art SSA method.

6 Conclusion

We study the group robustness of popular foundation models. We find their zero-shot classification may not be robust to various group shifts, establish that baseline linear probe and adapter strategies do not reliably improve robustness, and propose a simple adapter strategy to significantly and consistently improve FM robustness without finetuning. This suggests FM embeddings do contain group-relevant information, and we show that we can use FM embeddings to efficiently achieve state-of-the-art robust classification. We recognize the limitations of computational solutions to subgroup performance disparities, and the need to understand FMs in broader socio-technical systems [5].

References

[1] Faruk Ahmed, Yoshua Bengio, Harm van Seijen, and Aaron C. Courville. Systematic generalisation with group invariant predictions. In *ICLR*, 2021.

[2] Martin Arjovsky, Léon Bottou, Ishaan Gulrajani, and David Lopez-Paz. Invariant risk minimization. *arXiv preprint arXiv:1907.02893*, 2019.

[3] Hyojin Bahng, Ali Jahanian, Swami Sankaranarayanan, and Phillip Isola. Visual prompting: Modifying pixel space to adapt pre-trained models. *arXiv preprint arXiv:2203.17274*, 2022.

[4] Sara Beery, Grant Van Horn, and Pietro Perona. Recognition in terra incognita. In *Proceedings of the European Conference on Computer Vision (ECCV)*, pages 456–473, 2018.

[5] Rishi Bommasani, Drew A Hudson, Ehsan Adeli, Russ Altman, Simran Arora, Sydney von Arx, Michael S Bernstein, Jeannette Bohg, Antoine Bosselut, Emma Brunskill, et al. On the opportunities and risks of foundation models. *arXiv preprint arXiv:2108.07258*, 2021.

[6] Tom Brown, Benjamin Mann, Nick Ryder, Melanie Subbiah, Jared D Kaplan, Prafulla Dhariwal, Arvind Neelakantan, Pranav Shyam, Girish Sastry, Amanda Askell, et al. Language models are few-shot learners. *Advances in neural information processing systems*, 33:1877–1901, 2020.

[7] Joy Buolamwini and Timnit Gebru. Gender shades: Intersectional accuracy disparities in commercial gender classification. In *Conference on fairness, accountability and transparency*, pages 77–91. PMLR, 2018.

[8] Jonathon Byrd and Zachary Lipton. What is the effect of importance weighting in deep learning? In *International Conference on Machine Learning*, pages 872–881. PMLR, 2019.

[9] Ting Chen, Simon Kornblith, Mohammad Norouzi, and Geoffrey Hinton. A simple framework for contrastive learning of visual representations. In *International conference on machine learning*, pages 1597–1607. PMLR, 2020.

[10] Elliot Creager, Jörn-Henrik Jacobsen, and Richard Zemel. Environment inference for invariant learning. In *International Conference on Machine Learning*, pages 2189–2200. PMLR, 2021.

[11] Yin Cui, Menglin Jia, Tsung-Yi Lin, Yang Song, and Serge Belongie. Class-balanced loss based on effective number of samples. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 9268–9277, 2019.

[12] Mahyar Fazlyab, Alexander Robey, Hamed Hassani, Manfred Morari, and George Pappas. Efficient and accurate estimation of lipschitz constants for deep neural networks. *Advances in Neural Information Processing Systems*, 32, 2019.

[13] Andreas Fürst, Elisabeth Rumetshofer, Viet Tran, Hubert Ramsauer, Fei Tang, Johannes Lehner, David Kreil, Michael Kopp, Günter Klambauer, Angela Bitto-Nemling, et al. Cloob: Modern hopfield networks with infoloob outperform clip. *arXiv preprint arXiv:2110.11316*, 2021.

[14] Peng Gao, Shijie Geng, Renrui Zhang, Teli Ma, Rongyao Fang, Yongfeng Zhang, Hongsheng Li, and Yu Qiao. Clip-adapter: Better vision-language models with feature adapters. *arXiv preprint arXiv:2110.04544*, 2021.

[15] Songwei Ge, Shlok Mishra, Chun-Liang Li, Haohan Wang, and David Jacobs. Robust contrastive learning using negative samples with diminished semantics. *Advances in Neural Information Processing Systems*, 34, 2021.

[16] Henry Gouk, Eibe Frank, Bernhard Pfahringer, and Michael J Cree. Regularisation of neural networks by enforcing lipschitz continuity. *Machine Learning*, 110(2):393–416, 2021.

[17] Haibo He and Edwardo A Garcia. Learning from imbalanced data. *IEEE Transactions on knowledge and data engineering*, 21(9):1263–1284, 2009.

[18] Neil Houlsby, Andrei Giurgiu, Stanislaw Jastrzebski, Bruna Morrone, Quentin De Laroussilhe, Andrea Gesmundo, Mona Attariyan, and Sylvain Gelly. Parameter-efficient transfer learning for NLP. In Kamalika Chaudhuri and Ruslan Salakhutdinov, editors, *Proceedings of the 36th International Conference on Machine Learning*, volume 97 of *Proceedings of Machine Learning Research*, pages 2790–2799. PMLR, 09–15 Jun 2019. URL `https://proceedings.mlr.press/v97/houlsby19a.html`.

[19] Badr Youbi Idrissi, Martin Arjovsky, Mohammad Pezeshki, and David Lopez-Paz. Simple data balancing achieves competitive worst-group-accuracy. *arXiv preprint arXiv:2110.14503*, 2021.

[20] Chao Jia, Yinfei Yang, Ye Xia, Yi-Ting Chen, Zarana Parekh, Hieu Pham, Quoc Le, Yun-Hsuan Sung, Zhen Li, and Tom Duerig. Scaling up visual and vision-language representation learning with noisy text supervision. In *International Conference on Machine Learning*, pages 4904–4916. PMLR, 2021.

[21] Matt Jordan and Alexandros G Dimakis. Exactly computing the local lipschitz constant of relu networks. *Advances in Neural Information Processing Systems*, 33:7344–7353, 2020.

[22] Prannay Khosla, Piotr Teterwak, Chen Wang, Aaron Sarna, Yonglong Tian, Phillip Isola, Aaron Maschinot, Ce Liu, and Dilip Krishnan. Supervised contrastive learning. In *Advances in Neural Information Processing Systems*, volume 33, pages 18661–18673, 2020.

[23] Polina Kirichenko, Pavel Izmailov, and Andrew Gordon Wilson. Last layer re-training is sufficient for robustness to spurious correlations. *arXiv preprint arXiv:2204.02937*, 2022.

[24] Pang Wei Koh, Shiori Sagawa, Sang Michael Xie, Marvin Zhang, Akshay Balsubramani, Weihua Hu, Michihiro Yasunaga, Richard Lanas Phillips, Irena Gao, Tony Lee, et al. Wilds: A benchmark of in-the-wild distribution shifts. In *International Conference on Machine Learning*, pages 5637–5664. PMLR, 2021.

[25] Alex Krizhevsky. Learning multiple layers of features from tiny images. 2009.

[26] Ananya Kumar, Aditi Raghunathan, Robbie Jones, Tengyu Ma, and Percy Liang. Fine-tuning can distort pretrained features and underperform out-of-distribution. *arXiv preprint arXiv:2202.10054*, 2022.

[27] Yoav Levine, Itay Dalmedigos, Ori Ram, Yoel Zeldes, Daniel Jannai, Dor Muhlgay, Yoni Osin, Opher Lieber, Barak Lenz, Shai Shalev-Shwartz, et al. Standing on the shoulders of giant frozen language models. *arXiv preprint arXiv:2204.10019*, 2022.

[28] Xiang Lisa Li and Percy Liang. Prefix-tuning: Optimizing continuous prompts for generation. *arXiv preprint arXiv:2101.00190*, 2021.

[29] Yangguang Li, Feng Liang, Lichen Zhao, Yufeng Cui, Wanli Ouyang, Jing Shao, Fengwei Yu, and Junjie Yan. Supervision exists everywhere: A data efficient contrastive language-image pre-training paradigm. *arXiv preprint arXiv:2110.05208*, 2021.

[30] Evan Z Liu, Behzad Haghgoo, Annie S Chen, Aditi Raghunathan, Pang Wei Koh, Shiori Sagawa, Percy Liang, and Chelsea Finn. Just train twice: Improving group robustness without training group information. In *International Conference on Machine Learning*, pages 6781–6792. PMLR, 2021.

[31] Ziwei Liu, Ping Luo, Xiaogang Wang, and Xiaoou Tang. Deep learning face attributes in the wild. In *Proceedings of the IEEE international conference on computer vision*, pages 3730–3738, 2015.

[32] Shangyun Lu, Bradley Nott, Aaron Olson, Alberto Todeschini, Hossein Vahabi, Yair Carmon, and Ludwig Schmidt. Harder or different? a closer look at distribution shift in dataset reproduction. In *ICML Workshop on Uncertainty and Robustness in Deep Learning*, 2020.

[33] Norman Mu, Alexander Kirillov, David Wagner, and Saining Xie. Slip: Self-supervision meets language-image pre-training. *arXiv preprint arXiv:2112.12750*, 2021.

[34] Junhyun Nam, Hyuntak Cha, Sungsoo Ahn, Jaeho Lee, and Jinwoo Shin. Learning from failure: De-biasing classifier from biased classifier. In *Advances in Neural Information Processing Systems*, volume 33, pages 20673–20684, 2020.

[35] Junhyun Nam, Jaehyung Kim, Jaeho Lee, and Jinwoo Shin. Spread spurious attribute: Improving worst-group accuracy with spurious attribute estimation. *arXiv preprint arXiv:2204.02070*, 2022.

[36] Behnam Neyshabur, Srinadh Bhojanapalli, and Nathan Srebro. A pac-bayesian approach to spectrally-normalized margin bounds for neural networks. *arXiv preprint arXiv:1707.09564*, 2017.

[37] Luke Oakden-Rayner, Jared Dunnmon, Gustavo Carneiro, and Christopher Ré. Hidden stratification causes clinically meaningful failures in machine learning for medical imaging. In *Proceedings of the ACM conference on health, inference, and learning*, pages 151–159, 2020.

[38] Aaron van den Oord, Yazhe Li, and Oriol Vinyals. Representation learning with contrastive predictive coding. *arXiv preprint arXiv:1807.03748*, 2018.

[39] Jonas Pfeiffer, Andreas Rücklé, Clifton Poth, Aishwarya Kamath, Ivan Vulić, Sebastian Ruder, Kyunghyun Cho, and Iryna Gurevych. AdapterHub: A framework for adapting transformers. In *Proceedings of the 2020 Conference on Empirical Methods in Natural Language Processing: System Demonstrations*, pages 46–54, Online, October 2020. Association for Computational Linguistics. doi: 10.18653/v1/2020.emnlp-demos.7. URL https://aclanthology.org/2020.emnlp-demos.7.

[40] Jonas Pfeiffer, Aishwarya Kamath, Andreas Rücklé, Kyunghyun Cho, and Iryna Gurevych. AdapterFusion: Non-destructive task composition for transfer learning. In *Proceedings of the 16th Conference of the European Chapter of the Association for Computational Linguistics: Main Volume*, pages 487–503, Online, April 2021. Association for Computational Linguistics. doi: 10.18653/v1/2021.eacl-main.39. URL https://aclanthology.org/2021.eacl-main.39.

[41] Alec Radford, Jong Wook Kim, Chris Hallacy, Aditya Ramesh, Gabriel Goh, Sandhini Agarwal, Girish Sastry, Amanda Askell, Pamela Mishkin, Jack Clark, et al. Learning transferable visual models from natural language supervision. In *International Conference on Machine Learning*, pages 8748–8763. PMLR, 2021.

[42] S-A Rebuffi, H. Bilen, and A. Vedaldi. Learning multiple visual domains with residual adapters. In *Advances in Neural Information Processing Systems*, 2017.

[43] Benjamin Recht, Rebecca Roelofs, Ludwig Schmidt, and Vaishaal Shankar. Do cifar-10 classifiers generalize to cifar-10? *arXiv preprint arXiv:1806.00451*, 2018.

[44] J. Robinson, Ching-Yao Chuang, S. Sra, and S. Jegelka. Contrastive learning with hard negative samples. In *International Conference on Learning Representations*, 2021.

[45] Shiori Sagawa, Pang Wei Koh, Tatsunori B Hashimoto, and Percy Liang. Distributionally robust neural networks for group shifts: On the importance of regularization for worst-case generalization. In *International Conference on Learning Representations*, 2019.

[46] Shiori Sagawa, Aditi Raghunathan, Pang Wei Koh, and Percy Liang. An investigation of why overparameterization exacerbates spurious correlations. In *International Conference on Machine Learning*, pages 8346–8356. PMLR, 2020.

[47] Shibani Santurkar, Dimitris Tsipras, and Aleksander Madry. Breeds: Benchmarks for subpopulation shift. *arXiv preprint arXiv:2008.04859*, 2020.

[48] Hidetoshi Shimodaira. Improving predictive inference under covariate shift by weighting the log-likelihood function. *Journal of statistical planning and inference*, 90(2):227–244, 2000.

[49] Amanpreet Singh, Ronghang Hu, Vedanuj Goswami, Guillaume Couairon, Wojciech Galuba, Marcus Rohrbach, and Douwe Kiela. Flava: A foundational language and vision alignment model. *arXiv preprint arXiv:2112.04482*, 2021.

[50] Nimit Sohoni, Jared Dunnmon, Geoffrey Angus, Albert Gu, and Christopher Ré. No subclass left behind: Fine-grained robustness in coarse-grained classification problems. In *Advances in Neural Information Processing Systems*, volume 33, pages 19339–19352, 2020.

[51] Saeid Asgari Taghanaki, Kristy Choi, Amir Khasahmadi, and Anirudh Goyal. Robust representation learning via perceptual similarity metrics. *arXiv preprint arXiv:2106.06620*, 2021.

[52] Aladin Virmaux and Kevin Scaman. Lipschitz regularity of deep neural networks: analysis and efficient estimation. *Advances in Neural Information Processing Systems*, 31, 2018.

[53] P. Welinder, S. Branson, T. Mita, C. Wah, F. Schroff, S. Belongie, and P. Perona. Caltech-UCSD Birds 200. Technical Report CNS-TR-2010-001, California Institute of Technology, 2010.

[54] Mitchell Wortsman, Gabriel Ilharco, Mike Li, Jong Wook Kim, Hannaneh Hajishirzi, Ali Farhadi, Hongseok Namkoong, and Ludwig Schmidt. Robust fine-tuning of zero-shot models. *arXiv preprint arXiv:2109.01903*, 2021.

[55] Yuan Yao, Ao Zhang, Zhengyan Zhang, Zhiyuan Liu, Tat-Seng Chua, and Maosong Sun. Cpt: Colorful prompt tuning for pre-trained vision-language models. *arXiv preprint arXiv:2109.11797*, 2021.

[56] Yuichi Yoshida and Takeru Miyato. Spectral norm regularization for improving the generalizability of deep learning. *arXiv preprint arXiv:1705.10941*, 2017.

[57] Michael Zhang, Nimit S Sohoni, Hongyang R Zhang, Chelsea Finn, and Christopher Ré. Correct-n-contrast: A contrastive approach for improving robustness to spurious correlations. *arXiv preprint arXiv:2203.01517*, 2022.

[58] Kaiyang Zhou, Jingkang Yang, Chen Change Loy, and Ziwei Liu. Learning to prompt for vision-language models. *arXiv preprint arXiv:2109.01134*, 2021.

[59] Kaiyang Zhou, Jingkang Yang, Chen Change Loy, and Ziwei Liu. Conditional prompt learning for vision-language models. *arXiv preprint arXiv:2203.05557*, 2022.