LASSIE: Learning Articulated Shapes from Sparse Image Ensemble via 3D Part Discovery

Abstract

Creating high-quality articulated 3D models of animals is challenging either via manual creation or using 3D scanning tools. Therefore, techniques to reconstruct articulated 3D objects from 2D images are crucial and highly useful. In this work, we propose a practical problem setting of estimating 3D shape and pose of animals given only a few ($\approx$30) in-the-wild images of a particular animal species (say, horse). Contrary to existing works that rely on pre-defined template shapes, we do not assume any form of 2D or 3D ground-truth annotations, nor do we assume any multi-view or temporal information. Our input image ensemble can have animal instances with varying poses, backgrounds, illuminations and also textures. Our key insight is that 3D parts have much more simplistic shapes compared to the overall animal and that the part shapes are robust w.r.t. animal pose articulations. Using these insights, We propose LASSIE, a novel optimization framework that discovers 3D parts in a self-supervised manner using minimal user intervention. A key driving force behind LASSIE is the enforcing of 2D-3D part consistency using self-supervisory deep features. Experiments on Pascal Part and self-collected in-the-wild animal datasets demonstrate considerably better 3D reconstructions as well as both 2D and 3D part discovery compared to prior art.

1 Introduction

The last decade has witnessed significant advances in estimating human body pose and shape from images [21, 2, 12, 16, 15, 29, 14]. Much progress is fueled by the availability of rich datasets [11, 24, 33] with 3D human scans in a variety of shapes and poses. In contrast, 3D scanning wild animals is quite challenging and existing animal datasets such as SMALR [40] rely on man-made animal shapes. Manually creating realistic animal models for a wide diversity of animals (e.g. mammals and birds) is also quite challenging and time-consuming. In this work, we propose to automatically estimate 3D shape and articulation (pose) of animals from only a sparse set of image ensemble (collection) without using any 2D or 3D ground-truth annotations. Our problem setting is highly practical as each image ensemble consists of only a few (10-30) in-the-wild images of a specific animal species. Fig. 1 shows sample zebra images which forms our input. In addition, we assume a human-specified 3D skeleton (Fig. 1(left)) that can be quite rough with incorrect bone lengths and this mainly provides the connectivity of animal parts. For instance, all the quadruped animals share a same 3D skeleton despite considerable shape variations across species (e.g., giraffe vs. zebra vs. elephant). Manually specifying a rough skeleton is a trivial task which only takes a few minutes.

Estimating articulated 3D shapes from in-the-wild image ensemble is a highly ambiguous and challenging problem. There are several varying factors across images: backgrounds; lighting; camera viewpoints; animal shape, pose and texture, etc. In addition, our highly practical problem setting does not allow access to any 3D animal models, per-image annotations such as keypoints and silhouettes, or multi-view images.

Submitted to 36th Conference on Neural Information Processing Systems (NeurIPS 2022). Do not distribute.

Generic 3D
skeleton

Optimized and
re-posed skeleton

Neural part surfaces

Image ensemble

Part and textured outputs

Additional examples

Figure 1: **Articulated shape optimization from sparse images in-the-wild.** Given 10-30 images of an articulated class and a generic 3D skeleton, we optimize the shared skeleton and neural parts as well as the instance-specific camera viewpoint and bone transformations. Our method is able to produce high-quality outputs without any pre-defined shape model or instance-specific annotations. The part-based representation also allows applications like texture and pose transfer, animation, etc.

In this work, we present LASSIE, an optimization technique to Learn Articulated Shapes from Sparse Image Ensemble. Our key observation is that shapes are composed of 3D parts with the following characteristics: 1. 3D parts are geometrically and semantically consistent across different instances. 2. Shapes of 3D parts remain relatively constant w.r.t. changes in animal poses. 3. Despite complex overall animal shape, 3D parts are usually made of simple (mostly) convex geometric shapes. Following these observations, LASSIE optimizes 3D parts and their articulation instead of directly optimizing the overall animal shape. Specifically, LASSIE optimizes a 3D skeleton and part shapes that are shared across instances; while also optimizing instance-specific camera viewpoint, pose articulation and surface texture. To enforce semantic part consistency across different images, we leverage deep features from a vision transformer [8] (DINO-ViT [5]) that is trained in a self-supervised fashion. Recent works [1] demonstrate good 2D feature correspondences in DINO-ViT features and we make use of these correspondences for 3D part discovery. To regularize part shapes, we constrain the optimized parts to a latent shape manifold that is learned using 3D geometric primitives (spheres, cylinders, cones etc.). Being completely self-supervised, LASSIE can easily generalize to a wide range of animal species with minimal user intervention.

We conduct extensive experiments on image ensembles from Pascal-part dataset [6] with quantitative evaluations using 2D ground-truth part segmentations and keypoints. We also collect in-the-wild web image ensembles with more animal species and annotate 2D keypoints for evaluations. Both qualitative and quantitative results demonstrate considerably better 3D reconstructions compared to the prior art that use even more supervision. In addition, estimation of explicit 3D parts enables easy editing and manipulation of animal parts. Fig. 1 shows sample 3D reconstructions with discovered parts from LASSIE. The main contributions of this work are:

- To the best of our knowledge, this is the first work that recovers 3D articulated shapes from in-the-wild image ensembles without using any pre-defined animal shape models or instance-specific annotations like keypoints or silhouettes.
- We propose a novel optimization framework called LASSIE, where we incorporate several useful properties of mid-level 3D part representation. LASSIE is category-agnostic and can easily generalize to wide range of animal species.
- LASSIE can produce high-quality 3D articulated shapes with state-of-the-art results on existing benchmarks as well as self-collected in-the-wild web image ensembles.

2 Related Work

Animal shape and pose estimation. Estimating 3D pose and shape of animal bodies from in-the-wild images is highly ill-posed and challenging due to large variations across different classes, instances, viewpoints, articulations, etc. Most prior methods deal with a simplified scenario by assuming a pre-defined class-level statistical model, instance-specific images, or accessible human annotations. For instance, Zuffi *et al.* [41] build a statistical shape model, SMAL, for common quadrupedal

animals, similar to the SMPL [21] model for human bodies. Follow-up works either optimize the SMAL parameters based on human annotated images [40] or train neural network on large-scale image datasets to directly regress the parameters [39, 30]. However, the output shapes are limited by the SMAL shape space or training images which contain one or few animal classes. Kulkarni *et al.* [17] propose A-CSM technique that align a known template mesh with skinning weights to input 2D images. Other recent works [35, 34, 36] exploit the dense temporal correspondence in video frames to reconstruct articulated shapes. In contrasted to existing methods, we deal with a novel and practical problem setting without any pre-defined shape model, instance-level human annotations, or temporal information to leverage.

Part discovery from image collections. Deep feature factorization (DFF) [7] shows that one could automatically obtain consistent part segments by clustering intermediate deep features of a classification network trained on ImageNet. Inspired by DFF, SCOPS [10] learn a 2D part segmentation network from image collections, which can be used as semantic supervision for 3D reconstruction [19]. Lathuilière *et al.* [18] exploit motion cues in videos for part discovery. Recently, Amir*et al.*[1] demonstrate that clustering self-supervisedly learned vision transformers (ViT) such as DINO [5] features can provide good 2D part segmentations. In this work, we make use of DINO features for 3D part discovery instead of 2D segmentation. In the 3D domain, Tulsiani *et al.* [31] use volumetric cuboids as part abstractions to learn 3D reconstruction. Mandikal *et al.* [23] predict part-segmented 3D reconstructions from a single image. In addition, Luo *et al.* [22] and Paschalidou *et al.* [26, 27] learn to form object parts by clustering 3D points. Considering that most 3D approaches require ground-truth 3D shape of a whole object or its parts as supervision, Yao *et al.* [37] propose to discover and reconstruct 3D parts automatically by learning a primitive shape prior. Most of these works assume some form of supervision in terms of 3D shape or camera viewpoint. In this paper, we aim to discover 3D parts of articulated animals from image ensembles without any 2D or 3D annotations, which, to the best of our knowledge, is unexplored in the literature.

3D reconstruction from image collections. Optimizing a 3D scene or object from multi-view images is one of the widely-studied problems in computer vision. The majority of recent breakthroughs are based on the powerful Neural Radiance Field (NeRF) [25] representation. Given a set of multi-view images, NeRF can learn a neural volume from which one can render high-quality novel views. Closely related to our work is NeRS [38], which optimizes a neural surface representation from a sparse set of image collections and also only requires rough camera initialization. In this work, we use neural surface representations to represent animal parts. Existing methods assume multi-view images captured in the same illumination setting and also the object appearance (texture) to be same across images. Another set of works [3, 4] propose neural reflectance decomposition on image collections captured in varying illuminations. But they work on rigid objects with ground-truth segmentation and known camera poses. In contrast, the input for our method consists of in-the-wild animal images with varying textures, viewpoint and pose articulations and captured in different environments.

3 Approach

Given a generic 3D skeleton and few images of an articulated animal species, LASSIE optimizes the camera viewpoint and articulation for each instance as well as the resting canonical skeleton and part shapes that are shared across all instances. We first introduce our neural part representation in Section 3.1 and the LASSIE optimization framework in Section 3.2. An overview of our method is illustrated in Fig. 2.

3.1 Articulated shapes with neural part surfaces

3D skeleton. Constructing a template mesh or statistical shape model for specific animal classes requires either the ground-truth 3D shapes or extensive human annotations, which are hard to obtain in real-world scenarios. A 3D skeleton, on the other hand, is easy to annotate since it only contains a set of sparse joints connected by bones. Furthermore, it generalizes well across classes, and one can effortlessly modify certain joints or bones to adapt to a distinct animal types (e.g., mammals vs. birds). Assuming a simple and generic 3D skeleton is given, we propose a part-based representation for articulated shapes. A skeleton can be defined by a set of 3D joints $P \in \mathbb{R}^{p \times 3}$ and bones $B = \{(P_i, P_j)\}^b$ in a tree structure, where p and $b = p - 1$ are numbers of joints and bones/parts, respectively. For instance, we use the same base skeleton for all four-legged animals in our experiments, which specifies the connection of 16 joints and the initial joint coordinates in the

Figure 2: **Neural part surface Representation.** Based on an optimized 3D skeleton, we reconstruct the articulated shape by optimizing the primitive latent codes and part deformation decoders. The final output is the composition of neural part surfaces with texture sampled from the input image.

root-relative 3D space. The skeleton is shared for all instances in the same class and optimizable by scaling the bone lengths and rotating the bones with respect to the parent joints. Unlike the linear or neural blend skinning models [34, 36] where bones are unconstrained Gaussian components, our skeleton-based representation allows us to regularize bone transformations, discover meaningful and connected parts, and produce realistic shape animations.

Neural part surfaces. Given a skeleton which specifies the 3D joints and bones, we represent the articulated shape as a composition of several neural parts. Specifically, each part is defined as a neural surface wrapped around a skeleton bone. Motivated by object representation in NeRS [38], we represent part surface as a multi-layer perceptron (MLP) that predicts the 3D deformation of a given continuous UV coordinate on the unit sphere. One of the key advantages of modelling parts instead of whole animal is that part shapes are usually simple convex shapes and can be represented well with a deformed sphere. Compared to explicit mesh representation, the neural representation enables efficient mesh regularization on the output shapes while producing high resolution surfaces as MLPs can work with meshes of arbitrary vertex resolution. Each part surface is first reconstructed in the canonical space, then scaled by the corresponding bone length, rotated by the bone orientation, and centered at the bone center. This ensures that the parts are connected under various bone transformations and also easy to repose. Formally, let $X \in \mathbb{R}^{3 \times m}$ denotes the m uniformly distributed 3D vertices on a unit sphere. Further let $R_i \in \mathbb{R}^{3 \times 3}$, $\mathbf{t}_i \in \mathbb{R}^3$ and $s_i \in \mathbb{R}$ denote the global rotation, translation and scaling of the ith part ($i \in \{0, \cdots, b\}$), where k denotes the number of parts. We first deform the sphere to obtain part shape using the part MLP, $X \rightarrow \mathcal{F}_i(X)$; followed by global transformation to obtain part vertices $V_i \in \mathbb{R}^{3 \times m}$ in the global coordinate frame:

$$V_i = s_i R_i \mathcal{F}_i(X) + \mathbf{t}_i. \tag{1}$$

Latent part prior. Although fitting neural part surfaces on sparse images can produce reasonable outputs that are faithful to the input view, we observe that part shapes tend to be non-uniform or unrealistic from novel views. To further regularize the part shapes, we decompose the part MLP $\mathcal{F}_i$ into a prior MLP, $\mathcal{F}^p$ and part deformation MLP, $\mathcal{F}_i^{\Delta}$. The prior MLP is trained to produce the base shapes that are close to geometric primitives such as spheres, cylinders etc. The deformation MLP is then used to provide additional deformations on top of the base shapes. Fig. 2 illustrates these two MLPs. As shown in the figure, the prior MLP also takes a d-dimensional latent shape code $\mathbf{e}_i \in \mathbb{R}^d$ as input in addition to the input coordinates. Both the latent space and the primitive MLP are trained using geometric primitive shapes. Concretely, we train a Variational Auto-Encoder (VAE) which takes a primitive mesh as input, predicts the latent shape encodings, and reconstructs the primitives through a conditional neural surface decoder which forms our primitive MLP. The primitive meshes are the randomly sampled geometric primitives (spheres, ellipsoids, cylinders and cones). With the use of prior and deformation MLPs, Eq. 1 now becomes:

$$V_i = s_i R_i(\mathcal{F}^p(X, \mathbf{e}_i) + \mathcal{F}_i^{\Delta}(X)) + \mathbf{t}_i, \tag{2}$$

where $\mathbf{e}_i$ denotes the latent shape encodings of part i.

3.2 Discovering 3D Neural Parts from Image Ensemble

Optimization setting. The input to our optimization is a sparse set (typically 20-30) of n in-the-wild images $\{I_j\}_{j=1}^n$ along with a generic/rough 3D skeleton $P \in \mathbb{R}^{p \times 3}$ that has p joints and b bones/parts. No other form of 2D or 3D annotations are available for optimization. All the instances in the input image ensemble are of same species, but could have varying texture (appearance) due to pose, camera angle, and lighting. We also assume that the entire animal is visible in each image without truncated or occluded by another object although some self-occlusion is allowed. Let j denote the index over images $j \in \{1,.,n\}$ and i denote the index over parts $i \in \{1,.,b\}$. For each image, LASSIE optimizes the camera viewpoint $\pi^j = (R_0, t_0)$, part rotations $R^j \in \mathbb{R}^{b \times 3 \times 3}$ and translations. In addition, LASSIE optimizes these variables for each of the ith part that are shared across all the animal instances: bone length scaling $s_i \in \mathbb{R}$, latent shape encodings $\mathbf{e}_i \in \mathbb{R}^d$ and part deformation MLPs $\mathcal{F}_i^\Delta$. In other words, we assume that part shapes are shared across all instances whereas their articulation (pose transformation) is instance dependent. Although this may not be strictly valid in practice, this provides an important constraint for our highly ill-posed optimization problem.

Analysis by synthesis. Since we do not have access to any form of 3D supervision, we use analysis-by-synthesis to drive the optimization. That is, we use differentiable rendering to render 2D features from the optimized 3D articulated shape and define loss functions w.r.t. input images. Using Eq. 2, we first obtain the complete articulated shape for each image as a combination of different part meshes. We then use differentiable mesh rendering [20] to project the 3D points onto 2D image space using the learnable camera viewpoints. A key challenge is that we do not even have access to any from of 2D annotations such as keypoints or part segmentations.

Self-supervisory deep features to the rescue. Since different instances in the ensemble can have different texture, we do not model and render image pixel values. Instead, we rely on learned deep features for our self-supervisory analysis-by-synthesis framework. Recent works [1, 9] demonstrate that deep features from DINO [5] vision transformer are semantically descriptive, robust to appearance variations, and higher-resolution compared to CNN features [1, 32]. In this work, we use the *key* features from the last layer of the DINO network as semantic visual features for each image. We assume that these DINO features are relatively similar for same parts across different instance. In addition to using DINO features as providing consistent semantic features across images, we also compute 2D parts and foreground animal mask following similar steps as in [1]. Concretely, we take the class tokens from the last layer, compute the mean attention of class tokens as saliency maps, and sample the keys of image patches with high saliency scores. We then collect the salient keys from all images and apply an off-the-shelf K-means clustering algorithm to form c semantic part clusters. We then obtain foreground silhouettes by simply thresholding the pixels with minimum distance to cluster centroids. Fig. 3 shows the DINO part clusters on sample images from different image ensembles. We observe that using 4 clusters works well in practice. The use of self-supervised features (keys) and rough silhouettes, we alleviate the dependency of ground-truth segmentation mask and keypoint annotations in our optimization framework. It is still non-trivial to use these 2D features for 3D part discovery. Next, we explain their use in our silhouette and semantic consistency losses.

Silhouette Loss. We compute the silhouette loss $\mathcal{L}_{mask}$ by rendering all part surfaces with a differentiable renderer [20] and comparing with the pseudo ground-truth foreground masks obtained via clustering DINO features: $\mathcal{L}_{mask} = \sum_j \|M^j - \hat{M}^j\|^2$, where M^j and $\hat{M}^j$ are respectively the rendered and pseudo ground-truth silhouettes of instance j. Although these silhouette based losses encourage the overall shape to match the 2D silhouettes, the supervisory signal is often too coarse to resolve the ambiguities caused by different camera viewpoints and pose articulations. Therefore, we design a novel semantic consistency loss to more densely supervise the reconstruction.

2D-3D Semantic Consistency. We propose a novel strategy to make use of the semantically consistent DINO features in 2D for 3D part discovery. At a high-level, we impose the 2D feature consistency across the images via learned 3D parts. For this, we propose an Expectation-Maximization (EM) like optimization strategy where we alternatively estimate the 3D part features (E-step) from image ensemble features and then use these estimated 3D part features to update the parts (M-step). More formally, let $K^j \in \mathbb{R}^{h \times w \times f}$ denotes the f-dimensional DINO key features from j^{th} image and $Q \in \mathbb{R}^{m \times f}$ denotes the corresponding features on the 3D shape with total m vertices. In the E-step, we update Q by projecting the 3D coordinates onto all the 2D image spaces via differentiable rendering under the current estimated shape and camera viewpoints. We aggregate the 2D image features from the image ensemble corresponding to each 3D vertex to estimate Q. In the M-step, we

optimize the 3D parts and camera viewpoints using a 2D-3D semantic consistency loss $\mathcal{L}_{sem}$. To
define $\mathcal{L}_{sem}$, we discretize the foreground 2D coordinates in each image $\{p|\hat{M}^j(p) = 1\}$. Likewise,
we sample a set of points $\{v \in V^j\}$ on the 3D part surfaces and obtain their 2D projected coordinates
$\pi^j(v)$. $\mathcal{L}_{sem}$ is then defined as the Chamfer distance in a high-dimensional space:

$$\mathcal{L}_{sem} = \sum_j \Big(\sum_{p|\hat{M}^j(p)=1} \min_{v \in V^j} \mathcal{D}(p,v) + \sum_{v \in V^j} \min_{p|\hat{M}^j(p)=1} \mathcal{D}(p,v) \Big). \tag{3}$$

For each instance j, the distance $\mathcal{D}$ between a image point p and 3D surface point v is defined as:

$$\mathcal{D}(p,v) = \underbrace{\|\pi^j(v) - p\|^2}_{\text{Geometric distance}} + \alpha \underbrace{\|Q(v) - K^j(p)\|^2}_{\text{Semantic distance}}, \tag{4}$$

where α is a scalar weighting for semantic distance. In effect, $\mathcal{L}_{sem}$ optimizes the 3D part shapes
such that the aggregated 3D points features in the E-step would project closer to the similar pixel
features in the image ensemble. We alternate between E and M steps every other iteration in the
optimization process. In Eq. 4, the image coordinates p and semantic features K, Q are fixed in each
optimization iteration, hence $\mathcal{L}_{sem}$ can effectively push the surface points towards their corresponding
2D coordinates by minimizing the overall distance. Since this EM-style optimization is prone to
local-minima as we jointly optimize camera viewpoints, shapes and pose articulations, we find that
good initialization of 3D features is important. For this, we manually map each part index i to
one of the DINO clusters (4 in our experiments) and then initialize the 3D features Q by assigning
the average 2D cluster features to the corresponding 3D part vertices. This manual 3D part to 2D
cluster assignment takes minimal effort since it is category-level (all instances share the same 3D
parts). Alternatively, one could roughly initialize the camera viewpoints like in recent works such as
NeRS [38] which allows the computation of initial Q features from 2D features. Nonetheless, 2D-3D
assignment is easier and faster compared to camera viewpoint initialization as 2D-3D assignment
needs to be done once per image ensemble whereas camera initialization needs to done for each
instance in the ensemble.

Regularizations. Our skeleton-based representation allows us to conveniently impose pose prior
or regularization. Specifically, we calculate a pose prior loss $\mathcal{L}_{pose}$ to minimize the bone rotation
deviations from the resting pose as: $\mathcal{L}_{pose} = \sum_j \|R^j - \bar{R}\|^2$, where R^j is the bone rotations of
instance j and $\bar{R}$ denotes the bone rotations of shared resting pose. We also impose a regularization
$\mathcal{L}_{ang}$ on joint angles on the animal legs to limit their sideway rotations:

$$\mathcal{L}_{ang} = \sum_j \sum_{i \in \text{leg bones}} \|R_{i,y}{}^j\|^2 + \|R_{i,z}{}^j\|^2, \tag{5}$$

where $R_{i,y}$ and $R_{i,z}$ are the rotations of bone i with respect to y and z axes respectively. Since the
skeleton faces the $+z$ direction in the canonical space ($+x$ right, $+y$ up, $+z$ out), minimizing the
y and z-axis rotations essentially constrain the sideway movements of the bones. Finally, we apply
common mesh regularization terms to encourage smooth surfaces, including the Laplacian loss $\mathcal{L}_{lap}$
and surface normal loss $\mathcal{L}_{norm}$. $\mathcal{L}_{lap}$ regularizes 3D surfaces by pushing each vertex to the center of
its neighbors, and $\mathcal{L}_{norm}$ encourages neighboring mesh faces to have similar normal vectors. Note
that we apply regularization losses to each part surface individually since the part shapes should be
primitive-like and usually do not have sharp or pointy surfaces.

Optimization and textured outputs. The overall optimization objective is:

$$\mathcal{L}_{mask} + \lambda_1 \mathcal{L}_{sem} + \lambda_2 \mathcal{L}_{pose} + \lambda_3 \mathcal{L}_{ang} + \lambda_4 \mathcal{L}_{lap} + \lambda_5 \mathcal{L}_{norm}, \tag{6}$$

where $\{\lambda_i\}$ are weighting hyper-parameters. We first pre-train the part prior MLP $\mathcal{F}^p$ with 3D
geometric primitives and freeze it during the optimization on a given image ensemble. For each
image ensemble of an animal species, we perform alternative optimization on the camera, pose, and
shape parameters until convergence. That is, we update the camera viewpoints and fix the rest first,
then optimize the bone transformations, and finally the latent part codes as well as part deformation
MLPs. All the optimizable parameters are updated by an Adam optimizer [13] implemented in
PyTorch [28]. To obtain the final textured outputs, we densely sample vertices from the optimized
neural surfaces and directly sample the colors of visible vertices from individual images via 2D
projection, where the visibility information is obtained from naive rasterization. For the invisible
(self-occluded) vertices, we assign the color by finding their left-right symmetries or nearest visible
neighbors. More implementation details can be found in the supplemental material.

| Input | DINO [1] | 3D Safari [39] | A-CSM [17] | LASSIE (part) | LASSIE (texture) |

Figure 3: **Qualitative results on the in-the-wild image collections.** We show example results of the baselines as well as the part and texture reconstruction by LASSIE on the self-collected animal image collections. The results demonstrate the semantic consistency of discovered parts across diverse classes and the high-quality shape reconstruction that allows dense texture sampling.

4 Experiments

Datasets. Considering the novel problem setting of sparse-image optimization, we select a subset of the Pascal-part dataset [6] and collect web images of additional animal classes to evaluate LASSIE and related prior art. The Pascal-part dataset contains diverse images of several animal classes which are annotated with 2D part segmentation masks. We automatically select images of horse, cow, or sheep with only one object covering 1-50% area of the entire image. In addition, for analysis on more diverse animal categories, we collect sparse image ensembles (with CC-licensed images) of some other animals from the internet and annotate the 2D keypoints for evaluation. The classes include quadrupeds like zebra, tiger, giraffe, elephant, as well as bipeds like kangaroo and penguin. We filter the examples where objects are heavily occluded or truncated, resulting in about 30 images per category. The LASSIE optimization and evaluation are performed on each image ensemble separately.

Baselines. We mainly compare our results with 3D Safari [39] and A-CSM [17] as they also learn 3D articulated shapes from animal images and there exists no closer framework to our novel scenario. We note that both 3D Safari and A-CSM are trained on large-scale image sets while LASSIE optimizes on a sparse image ensemble. To evaluate their methods on our dataset, we use the models trained on the closest animal classes. For instance, the zebra models of 3D Safari and the horse model of A-CSM are used to evaluate on similar quadrupeds.

Visual Comparisons. Fig. 3 shows the qualitative results of LASSIE against 3D Safari and A-CSM on the self-collected animal images. The 3D Safari [39] model is trained on zebra images and does not generalize well to other animal classes. A-CSM [17] assume high-quality skinned model of an object category is able to produce detailed shapes of animal bodies which. However, they do not align well the given 2D images. Our results demonstrate that LASSIE can effectively learn from sparse image ensemble to discover 3D articulated parts that are high-quality, faithful to input images, and semantically consistent across instances. Note that our 3D reconstructions also improve the 2D part segmentation from DINO-ViT feature clustering [1].

Keypoint transfer metrics. As there exist no ground-truth 3D annotations in our datasets, we quantitatively evaluate using 2D keypoint transfer between each pair of images which is a standard practice [39, 17]. We map a given set of 2D keypoint on a source image onto the 3D part surfaces, and then project them to a target image using the optimized camera viewpoints, shapes and pose articulations. Since this keypoint transfer goes through the 2D-to-3D and 3D-to-2D mappings, a successful keypoint transfer requires accurate 3D reconstruction on both the source and target

Table 1: **Keypoint transfer evaluations.** We evaluate on all the source-target image pairs and report the percentage of correct keypoints under two different thresholds (PCK@0.1/ PCK@0.05).

Method	Pascal-Part dataset			Our dataset					
	Horse	Cow	Sheep	Zebra	Tiger	Giraffe	Elephant	Kangaroo	Penguin
3D Safari [39]	71.8/ 57.1	63.4/ 50.3	62.6/ 50.5	**80.8**/ 62.1	63.4/ 50.3	57.6/ 32.5	55.4/ 29.9	35.5/ 20.7	49.3/ 28.9
A-CSM [17]	69.3/ 55.3	68.8/ 60.5	67.4/ 54.7	78.5/ 60.3	69.1/ 55.7	71.2/ 52.2	67.3/ 39.5	42.1/ 26.9	53.7/ 33.0
LASSIE w/o $\mathcal{L}_{sem}$	60.4/ 45.6	58.9/ 43.1	55.3/ 42.3	62.7/ 47.5	53.6/ 40.0	54.7/ 28.9	52.0/ 25.6	33.8/ 19.8	50.6/ 25.5
LASSIE w/o $\mathcal{F}^p$	71.1/ 56.3	69.0/ 59.5	68.9/ 52.2	77.0/ 60.2	71.5/ 59.2	79.3/ 57.8	66.6/ 37.1	44.3/ 30.1	63.3/ 38.2
LASSIE	**73.0/ 58.0**	**71.3/ 62.4**	**70.8/ 55.5**	79.9/ **63.3**	**73.3/ 62.4**	**80.8/ 60.5**	**68.7/ 40.3**	**47.0/ 31.5**	**65.5/ 40.6**

Input   A-CSM [17]   DINO [1]   LASSIE   GT [6]

Figure 4: **2D IOU results.** We show the overall (A-CSM) and part masks (DINO clusters, LASSIE (ours) results, and Pascal-part GT) overlaid on the sample input images.

Source   Target   Transferred

Figure 5: **Keypoint transfer results** using LASSIE from source to target images.

images. We calculate the percentage of correct keypoints (PCK) under two different thresholds: $0.1 \times \max(h, w)$ and $0.05 \times \max(h, w)$, where h and w are image height and width respectively. Table 1 shows that LASSIE achieves higher PCK on the Pascal-part [6] images and most other classes in our in-the-wild image collections. We also show ablative results of LASSIE without using the semantic feature consistency loss $\mathcal{L}_{sem}$ or part prior MLP $\mathcal{F}^p$. Note that $\mathcal{L}_{sem}$ is essential to fit the skeleton and part surfaces faithfully to the input images, and $\mathcal{F}^p$ provides effective regularization on part surfaces to generate realistic shapes from various viewpoints. Example visual results of keypoint transfer are shown in Fig. 5.

2D overall/part IOU metrics. Our part-based representation can generate realistic 3D shapes and can even improve 2D part discovery compared to prior art. In Table 2 and Figure 4, we show the qualitative and quantitative comparisons against prior 3D works as well as 2D co-part discovery methods of SCOPS [10] and DINO clustering [1]. For SCOPS [10] and DINO clustering [1], we set the number of parts $N_p = 4$ (which we find to be optimal for these techniques) and manually assign each discovered part to the best matched part in the Pascal-part annotations. Note that higher part IOU against Pascal-part annotations may not strictly indicate better part segmentation since the self-discovered parts need not correspond to human annotations. Compared to prior arts on articulated shape reconstruction, LASSIE results match the Pascal-part segmentation mask better and achieves higher overall IOU. On co-part segmentation, our 3D reconstruction captures the semantic parts in 2D while being more geometrically refined than DINO clustering. Moreover, our results can separate parts with similar semantic features, *e.g.*, 4 animal legs, and thus resulting in much higher part IOU.

Part transfer. While keypoint transfer and part IOU are commonly used in the literature, we observe that they are either sparse, biased towards certain body parts (*e.g.*, animal faces), or not directly comparable due to part mismatch. To address this, we propose a part transfer metric for better evaluation of 3D reconstruction consistency across image ensemble. This part transfer metric is similar to keypoint transfer but uses part segmentations. That is, we densely transfer the part segmentation in a source image to a target image through forward and backward mapping between

Table 2: **Quantitative evaluations on the Pascal-part images.** We report the overall foreground IOU, part mask IOU, and percentage of correct pixels (PCP) under dense part segmentation transfer between all pairs of source-target images.

Method	Overall IOU			Part IOU			Part transfer (PCP)		
	Horse	Cow	Sheep	Horse	Cow	Sheep	Horse	Cow	Sheep
SCOPS [10]	62.9	67.7	63.2	23.0	19.1	26.8	-	-	-
DINO clustering [1]	81.3	85.1	83.9	26.3	21.8	30.8	-	-	-
3D Safari [39]	72.2	71.3	70.8	-	-	-	71.7	69.0	69.3
A-CSM [17]	72.5	73.4	71.9	-	-	-	73.8	71.1	72.5
LASSIE w/o $\mathcal{L}_{sem}$	65.3	67.5	60.0	29.7	23.2	31.5	62.0	60.3	59.7
LASSIE w/o $\mathcal{F}^p$	81.0	86.5	85.0	37.1	33.7	41.9	76.1	75.6	72.4
LASSIE	**81.9**	**87.1**	**85.5**	**38.2**	**35.1**	**43.7**	**78.5**	**77.0**	**74.3**

Pose transfer / motion re-targeting
(top: target pose, bottom: re-posed output)

Texture transfer
(top: target texture, bottom: re-textured output)

Figure 6: **Applications of neural part surfaces.** We use the LASSIE results of zebra images (top) as target and apply pose transfer (bottom left) and texture transfer (bottom right) to the giraffe shapes. Such applications show the high-quality and realistic part surfaces discovered by LASSIE.

the 2D pixels and the canonical 3D surfaces. A pixel is considered transferred correctly if and only if it is mapped to the same 2D part in the target image as where it belongs in the source image. Similar to PCK in keypoint transfer evaluation, we calculate the percentage of correct pixels (PCP) for each source-target pair. Since the part segmentation only covers the visible surfaces and not the occluded regions, we ignore the pixels mapped to a self-occluded surface when calculating the PCP metric. The quantitative results are shown in Table 2, which demonstrate the favorable performance of LASSIE against prior arts.

Applications. Our 3D neural part representation not only produces more faithful and realistic shapes but also enables various applications like part manipulation, texture transfer, animation (re-posing), etc. Specifically, we can generate a new shape by swapping or interpolating certain parts, transfer the sampled surface texture from one object class to another using the same base skeleton, or specify the bone rotations to produce desirable re-posed shape or animation. We show some example results of pose transfer and texture transfer between different animal classes in Figure 6.

Limitations. LASSIE can not handle image collections with heavy occlusions, truncations, or extreme pose variations since we leverage self-supervised DINO-ViT features on sparse image ensemble as our main supervision. Moreover, we require category-level annotations of 3D skeleton and 2D-3D part mapping for semantic feature initialization, which forms important future work.

5 Conclusion

In this paper, we study a novel and practical problem of articulated shape optimization of animals from sparse image collections in-the-wild. Instead of relying on pre-defined shape models or human annotations like keypoints or segmentation masks, we propose a neural part representation based on a generic 3D skeleton, which is robust to appearance variations and generalizes well across different animal classes. In LASSIE, our key insight is to reason about animal parts instead of whole shape as parts allow imposing several constraints. We leverage self-supervisory dense ViT features to provide both silhouette and semantic part consistency for supervision. Both quantitative and qualitative results on Pascal-Part and our own in-the-wild image ensembles show that LASSIE can effectively learn from few in-the-wild images and produce high-quality results. Our part-based representation also allows various applications such as pose interpolation, texture transfer, and animation.

References

[1] Shir Amir, Yossi Gandelsman, Shai Bagon, and Tali Dekel. Deep vit features as dense visual descriptors. *arXiv preprint arXiv:2112.05814*, 2021. 2, 3, 5, 7, 8, 9

[2] Federica Bogo, Angjoo Kanazawa, Christoph Lassner, Peter Gehler, Javier Romero, and Michael J Black. Keep it smpl: Automatic estimation of 3d human pose and shape from a single image. In *ECCV*, pages 561–578, 2016. 1

[3] Mark Boss, Raphael Braun, Varun Jampani, Jonathan T Barron, Ce Liu, and Hendrik Lensch. Nerd: Neural reflectance decomposition from image collections. In *CVPR*, pages 12684–12694, 2021. 3

[4] Mark Boss, Varun Jampani, Raphael Braun, Ce Liu, Jonathan Barron, and Hendrik Lensch. Neural-pil: Neural pre-integrated lighting for reflectance decomposition. *NeurIPS*, 34, 2021. 3

[5] Mathilde Caron, Hugo Touvron, Ishan Misra, Hervé Jégou, Julien Mairal, Piotr Bojanowski, and Armand Joulin. Emerging properties in self-supervised vision transformers. In *ICCV*, pages 9650–9660, 2021. 2, 3, 5

[6] Xianjie Chen, Roozbeh Mottaghi, Xiaobai Liu, Sanja Fidler, Raquel Urtasun, and Alan Yuille. Detect what you can: Detecting and representing objects using holistic models and body parts. In *CVPR*, pages 1971–1978, 2014. 2, 7, 8

[7] Edo Collins, Radhakrishna Achanta, and Sabine Susstrunk. Deep feature factorization for concept discovery. In *ECCV*, pages 336–352, 2018. 3

[8] Alexey Dosovitskiy, Lucas Beyer, Alexander Kolesnikov, Dirk Weissenborn, Xiaohua Zhai, Thomas Unterthiner, Mostafa Dehghani, Matthias Minderer, Georg Heigold, Sylvain Gelly, et al. An image is worth 16x16 words: Transformers for image recognition at scale. *arXiv preprint arXiv:2010.11929*, 2020. 2

[9] Mark Hamilton, Zhoutong Zhang, Bharath Hariharan, Noah Snavely, and William T Freeman. Unsupervised semantic segmentation by distilling feature correspondences. In *ICLR*, 2022. 5

[10] Wei-Chih Hung, Varun Jampani, Sifei Liu, Pavlo Molchanov, Ming-Hsuan Yang, and Jan Kautz. Scops: Self-supervised co-part segmentation. In *CVPR*, pages 869–878, 2019. 3, 8, 9

[11] Catalin Ionescu, Dragos Papava, Vlad Olaru, and Cristian Sminchisescu. Human3. 6m: Large scale datasets and predictive methods for 3d human sensing in natural environments. *PAMI*, 36(7):1325–1339, 2013. 1

[12] Angjoo Kanazawa, Michael J Black, David W Jacobs, and Jitendra Malik. End-to-end recovery of human shape and pose. In *CVPR*, pages 7122–7131, 2018. 1

[13] Diederik P Kingma and Jimmy Ba. Adam: A method for stochastic optimization. *arXiv preprint arXiv:1412.6980*, 2014. 6

[14] Muhammed Kocabas, Nikos Athanasiou, and Michael J Black. Vibe: Video inference for human body pose and shape estimation. In *CVPR*, pages 5253–5263, 2020. 1

[15] Nikos Kolotouros, Georgios Pavlakos, Michael J Black, and Kostas Daniilidis. Learning to reconstruct 3d human pose and shape via model-fitting in the loop. In *ICCV*, pages 2252–2261, 2019. 1

[16] Nikos Kolotouros, Georgios Pavlakos, and Kostas Daniilidis. Convolutional mesh regression for single-image human shape reconstruction. In *CVPR*, pages 4501–4510, 2019. 1

[17] Nilesh Kulkarni, Abhinav Gupta, David F Fouhey, and Shubham Tulsiani. Articulation-aware canonical surface mapping. In *CVPR*, pages 452–461, 2020. 3, 7, 8, 9

[18] Stéphane Lathuilière, Sergey Tulyakov, Elisa Ricci, Nicu Sebe, et al. Motion-supervised co-part segmentation. *arXiv preprint arXiv:2004.03234*, 2020. 3

[19] Xueting Li, Sifei Liu, Kihwan Kim, Shalini De Mello, Varun Jampani, Ming-Hsuan Yang, and Jan Kautz. Self-supervised single-view 3d reconstruction via semantic consistency. In *ECCV*, pages 677–693, 2020. 3

[20] Shichen Liu, Tianye Li, Weikai Chen, and Hao Li. Soft rasterizer: A differentiable renderer for image-based 3d reasoning. In *CVPR*, pages 7708–7717, 2019. 5

[21] Matthew Loper, Naureen Mahmood, Javier Romero, Gerard Pons-Moll, and Michael J Black. Smpl: A skinned multi-person linear model. *TOG*, 34(6):1–16, 2015. 1, 3

[22] Tiange Luo, Kaichun Mo, Zhiao Huang, Jiarui Xu, Siyu Hu, Liwei Wang, and Hao Su. Learning to group: A bottom-up framework for 3d part discovery in unseen categories. *arXiv preprint arXiv:2002.06478*, 2020. 3

[23] Priyanka Mandikal, Navaneet KL, and R Venkatesh Babu. 3d-psrnet: Part segmented 3d point cloud reconstruction from a single image. In *ECCV*, pages 0–0, 2018. 3

[24] Dushyant Mehta, Oleksandr Sotnychenko, Franziska Mueller, Weipeng Xu, Srinath Sridhar, Gerard Pons-Moll, and Christian Theobalt. Single-shot multi-person 3d pose estimation from monocular rgb. In *3DV*, pages 120–130, 2018. 1

[25] Ben Mildenhall, Pratul P Srinivasan, Matthew Tancik, Jonathan T Barron, Ravi Ramamoorthi, and Ren Ng. Nerf: Representing scenes as neural radiance fields for view synthesis. In *ECCV*, pages 405–421, 2020. 3

[26] Despoina Paschalidou, Luc Van Gool, and Andreas Geiger. Learning unsupervised hierarchical part decomposition of 3d objects from a single rgb image. In *CVPR*, pages 1060–1070, 2020. 3

[27] Despoina Paschalidou, Angelos Katharopoulos, Andreas Geiger, and Sanja Fidler. Neural parts: Learning expressive 3d shape abstractions with invertible neural networks. In *CVPR*, pages 3204–3215, 2021. 3

[28] Adam Paszke, Sam Gross, Francisco Massa, Adam Lerer, James Bradbury, Gregory Chanan, Trevor Killeen, Zeming Lin, Natalia Gimelshein, Luca Antiga, et al. Pytorch: An imperative style, high-performance deep learning library. In *NeurIPS*, pages 8024–8035, 2019. 6

[29] Georgios Pavlakos, Vasileios Choutas, Nima Ghorbani, Timo Bolkart, Ahmed AA Osman, Dimitrios Tzionas, and Michael J Black. Expressive body capture: 3d hands, face, and body from a single image. In *CVPR*, pages 10975–10985, 2019. 1

[30] Nadine Rueegg, Silvia Zuffi, Konrad Schindler, and Michael J Black. Barc: Learning to regress 3d dog shape from images by exploiting breed information. *arXiv preprint arXiv:2203.15536*, 2022. 3

[31] Shubham Tulsiani, Hao Su, Leonidas J Guibas, Alexei A Efros, and Jitendra Malik. Learning shape abstractions by assembling volumetric primitives. In *CVPR*, pages 2635–2643, 2017. 3

[32] Narek Tumanyan, Omer Bar-Tal, Shai Bagon, and Tali Dekel. Splicing vit features for semantic appearance transfer. *arXiv preprint arXiv:2201.00424*, 2022. 5

[33] Timo von Marcard, Roberto Henschel, Michael J Black, Bodo Rosenhahn, and Gerard Pons-Moll. Recovering accurate 3d human pose in the wild using imus and a moving camera. In *ECCV*, pages 601–617, 2018. 1

[34] Gengshan Yang, Deqing Sun, Varun Jampani, Daniel Vlasic, Forrester Cole, Huiwen Chang, Deva Ramanan, William T Freeman, and Ce Liu. Lasr: Learning articulated shape reconstruction from a monocular video. In *CVPR*, pages 15980–15989, 2021. 3, 4

[35] Gengshan Yang, Deqing Sun, Varun Jampani, Daniel Vlasic, Forrester Cole, Ce Liu, and Deva Ramanan. Viser: Video-specific surface embeddings for articulated 3d shape reconstruction. *NeurIPS*, 34, 2021. 3

[36] Gengshan Yang, Minh Vo, Natalia Neverova, Deva Ramanan, Andrea Vedaldi, and Hanbyul Joo. Banmo: Building animatable 3d neural models from many casual videos. *arXiv preprint arXiv:2112.12761*, 2021. 3, 4

[37] Chun-Han Yao, Wei-Chih Hung, Varun Jampani, and Ming-Hsuan Yang. Discovering 3d parts from image collections. In *ICCV*, pages 12981–12990, 2021. 3

[38] Jason Zhang, Gengshan Yang, Shubham Tulsiani, and Deva Ramanan. Ners: Neural reflectance surfaces for sparse-view 3d reconstruction in the wild. *NeurIPS*, 34, 2021. 3, 4, 6

[39] Silvia Zuffi, Angjoo Kanazawa, Tanya Berger-Wolf, and Michael J Black. Three-d safari: Learning to estimate zebra pose, shape, and texture from images" in the wild". In *ICCV*, pages 5359–5368, 2019. 3, 7, 8, 9

[40] Silvia Zuffi, Angjoo Kanazawa, and Michael J Black. Lions and tigers and bears: Capturing non-rigid, 3d, articulated shape from images. In *CVPR*, pages 3955–3963, 2018. 1, 3

[41] Silvia Zuffi, Angjoo Kanazawa, David W Jacobs, and Michael J Black. 3d menagerie: Modeling the 3d shape and pose of animals. In *CVPR*, pages 6365–6373, 2017. 2