Online Meta-Learning via Learning with Layer-Distributed Memory

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Abstract

We demonstrate that efficient meta-learning can be achieved via end-to-end training of deep neural networks with memory distributed across layers. The persistent state of this memory assumes the entire burden of guiding task adaptation. Moreover, its distributed nature is instrumental in orchestrating adaptation. Ablation experiments demonstrate that providing relevant feedback to memory units distributed across the depth of the network enables them to guide adaptation throughout the entire network. Our results show that this is a successful strategy for simplifying meta-learning – often cast as a bi-level optimization problem – to standard end-to-end training, while outperforming gradient-based, prototype-based, and other memory-based meta-learning strategies. Additionally, our adaptation strategy naturally handles online learning scenarios with a significant delay between observing a sample and its corresponding label – a setting in which other approaches struggle. Adaptation via distributed memory is effective across a wide range of learning tasks, ranging from classification to online few-shot semantic segmentation.

1 Introduction

Meta-learning or learning-to-learn is a paradigm that enables models to generalize to a distribution of tasks rather than specialize to just one task [1, 2]. When encountering examples from a new task, we would like the model to adapt to the new task after seeing just a few samples. This is commonly achieved via episodic training of deep neural networks, where, in each episode, the network is exposed to a variety of inputs from the same distribution [3, 4], and the distribution shifts over episodes. The ability of deep networks to adapt to a new task within just a few samples or iterations is central to the application of meta-learning methods in few-shot and online learning scenarios [5, 6].

A recent surge of interest directed towards meta-learning using neural networks has spurred development of a variety of methods [7–9]. In a standard episodic training framework, a network must adapt to a sampled task (or collection of tasks) and incurs a generalization loss for that task (or collection); this generalization loss is backpropagated to update the network weights. Methods differ in the underlying architecture and mechanisms they use to support adaptation. Strategies include using gradient descent in an inner loop, storing and updating prototypes, parameterizing update rules by another neural network, and employing neural memory [3, 10–12]. Section 2 provides an overview.

We focus on memory-based meta-learning, and specifically investigate the organization of neural memory for meta-learning. Motivating this focus is the generality and flexibility of memory-based approaches. Relying on memory for adaptation allows one to cast meta-learning as merely a learning problem using a straightforward loss formulation (viewing entire episodes as examples) and standard optimization techniques. The actual burden of adaptation becomes an implicit responsibility of the memory subsystem: the network must learn to use its persistent memory in a manner that facilitates task adaptation. This contrasts with explicit adaptation mechanisms such as stored prototypes.

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$$u_i = F^*(x_i^{(1)}, h_i^{(1)})$$
$$z_i = F^*(x_i^{(2)}, h_i^{(2)})$$

Figure 1: **Adaptation in activation space.** A trained memory-based model F^* adapting to two different tasks (red and blue path) using the corresponding persistent states h_i^1 and h_i^2 at the ith time step of both tasks. $x_i^{(1)}$ and $x_i^{(2)}$ are samples of task 1 (red) and 2 (blue) at time step i.

In this implicit adaptation setting, memory architecture plays a crucial role in determining what kind of adaptation can be learned. We experimentally evaluate the effectiveness of alternative neural memory architectures for meta-learning and observe particular advantages to distributing memory throughout a network. More specifically, we view the generic LSTM equations, $Wx + Wh_{-1}$, as adaptation induced by hidden states in activation space (see Figure 1). By distributing LSTM memory cells across the depth of the network, each layer is tasked with generating hidden states that are useful for adaptation. Such a memory organization is compatible with many standard networks, including CNNs, and can be achieved by merely swapping LSTM memory cells in place of existing filters.

Our simple approach also contrasts with several existing memory-based meta-learning methods used in both generative and classification tasks [13–17]. These methods view memory as a means to store and retrieve useful inductive biases for task adaptation, and hence focus on designing better read and write protocols. They typically have a feature extractor that feeds into a memory network that performs adaptation, whereas our architecture makes no such distinction between stages.

We test the efficacy of network architectures with distributed memory cells on online few-shot and continual learning tasks as in Santoro et al. [13], Ren et al. [18] and Javed and White [6]. The online setting is challenging for two reasons: 1) It is empirically observed that networks are not well suited for training/adaptation with a batch size of one [19]; 2) In this setting the model has to adapt to one image at a time step, thus having to deal with a prolonged adaptation phase. For these reasons, we see these tasks as suitable for evaluating the adaptation capabilities of the hidden states generated by the network.

We empirically observe that our method outperforms strong gradient-based and prototypical baselines, delineating the efficacy of the local adaptation rule learnt by each layer. Particularly important is the distributed nature of our memory, which allows every network layer to adapt when provided with label information; in comparison, restricting adaptability to only later network layers delivers far less compelling performance. These results suggest that co-design of memory architecture and meta-training strategies should be a primary consideration in the ongoing development of memory-based meta-learning. We further test our model in a harder online few-shot learning scenario, wherein the corresponding label to a sample arrives after a long delay [20]. Our method adapts seamlessly, without requiring any changes to the model, while, in this setting, other adaptation strategies struggle. These results highlight promising directions for advancing and simplifying meta-learning by relying upon distributed memory for adaptation.

2   Related Work

Early work on meta-learning introduces many relevant concepts. Schmidhuber [21] proposes using task specific weights, called fast weights, and weights that are adapted across tasks, called slow weights. Bengio et al. [2] updates the network via a learning rule which is parameterized by another neural network. Thrun [22] presents meta-learning in a life-long scenario, where the algorithm accrues information from the past experiences to adapt effectively for the task at hand. Hochreiter et al. [23] train a memory network to learn its own adaptation rule via just its recurrent states. These high level concepts can be seen in more recent methods. We group current meta-learning methods based on the nature of adaptation strategy and discuss them below.

Gradient-based Adaptation Methods. Methods that adapt via gradients constitute a prominent class of meta-learning algorithms [9]. Model-agnostic meta-learning (MAML) [4] learns an initialization that can efficiently be adapted by gradient descent for a new task. Finn et al. [24] focus on learning a network that can use experience from previously seen tasks for current task adaptation. They adapt to the current task by using a network that is MAML pre-trained on the samples from the previous task. Nagabandi et al. [25], Caccia et al. [26] perform online adaptation under non-stationary distributions, either by using a mixture model or by spawning a MAML pre-trained network when the

input distribution changes. Javed and White [6], Beaulieu et al. [27] employ a bi-level optimization routine similar to MAML, except the outer loop loss is catastrophic forgetting. They thereby learn representations that are robust to forgetting and accelerate future learning under online updates.

Memory and Gradient-based Adaptation. Andrychowicz et al. [28], Ravi and Larochelle [10] learn an update rule for network weights by transforming gradients via a LSTM, which outperforms human-designed and fixed SGD update rules. Munkhdalai and Yu [29] learn a transform that maps gradients to fast (task specific) weights, which are stored and retrieved via attention during evaluation. They update slow weights (across task weights) at the end of each task.

Prototypical Methods. These methods learn an encoder which projects training data to a metric space, and obtain class-wise prototypes via averaging representations within the same class. Following this, test data is mapped to the same metric space, wherein classification is achieved via a simple rule (*e.g.,* nearest neighbor prototype based on either euclidean distance or cosine similarity) [5, 30, 31]. These methods are naturally amenable for online learning as class-wise prototypes can be updated in an online manner as shown by Ren et al. [18].

Memory-based Adaptation. Santoro et al. [13] design efficient read and write protocols for a Neural Turning Machine [32] for the purposes of online few-shot learning. Rae et al. [33] design sparse read and write operations, thereby making them scalable in both time and space. Ramalho and Garnelo [11] use logits generated by the model to decide if a certain sample is written to neural memory. Mishra et al. [7] employ an attention-based mechanism to perform adaptation, and use a CNN to generate features for the attention mechanism. Their model requires storing samples across all time steps explicitly, thereby violating the online learning assumption of being able to access each sample only once. All of these methods mainly focus on designing better memory modules either via using more recent attention mechanisms or by designing better read and write rules to neural memory. These methods typically use a CNN which is not adapted for the current task. Our approach differs from these methods, in that we study efficient organization of memory for both online few-shot learning and meta-learning more generally, and show that as a consequence of our distributed memory organization, the entire network is capable of effective adaptation when provided with relevant feedback.

Kirsch and Schmidhuber [34] introduce an interesting form of weight sharing wherein LSTM cells (with tied weights) are distributed throughout the width and depth of the network, however each position has its own hidden state. Further, they have backward connections from the later layers to the earlier layers, enabling the network to implement its own learning algorithm or clone a human-designed learning algorithm such as backprop. Both our model and theirs implement an adaptation strategy purely using the recurrent states. The difference, however, is in the nature of the adaptation strategy implemented in the recurrent states. Similar to conventional learning algorithms, their backward connections help propagate error from the last layer to the earlier layers. In our architecture, the feedback signal is presented as another input, propagated from the first layer to the last layer.

In addition to being used in classification settings, Guez et al. [35] employ memory-based meta-learning approach to perform adaptation for reinforcement learning tasks indicating the generality of using memory as a means for adaptation.

Few-shot Semantic Segmentation. Few-shot segmentation methods commonly rely on using prototypes [36, 37], though recent approaches include gradient-based methods analogous to MAML [38]. The methods that use neural memory typically employ it in final network stages to fuse features of different formats for efficient segmentation: Li et al. [39] use ConvLSTMs [40] to fuse features from different stages of the network; Valipour et al. [41] to fuse spatio-temporal features while segmenting videos; Hu et al. [42] use a ConvLSTM to fuse features of query with the features of support set; Azad et al. [43] use a bidirectional ConvLSTM to fuse segmentation derived from multiple scale space representations. We differ from these works in organization, use of, and information provided to memory module: 1) Memory is distributed across the network as the sole driver of adaptation; 2) Label information is provided to assist with adaptation.

Meta-learning Benchmarks. Caccia et al. [26] present benchmarks that measure the ability of a model to adapt to a new task, using the inductive biases that it has acquired over solving previously seen tasks. More specifically, the benchmark presents an online non-stationary stream of tasks, and the model's ability to adapt to a new task at each time step is evaluated. Note that they do not measure

the model's ability to remember earlier tasks; they only want the model to adapt well on a newly presented task.

Antoniou et al. [44] present benchmarks for continual few-shot learning. The network is presented a number of few-shot tasks, one after the other, and then is expected to generalize even to the previously seen tasks. This is a challenging and interesting setup, in that, the network has to show robustness to catastrophic forgetting while learning from limited data. However, we are interested in evaluating the online adaptation ability of models, while Antoniou et al. [44] feed data in a batch setting. We follow experimental setup as in Javed and White [6], where in, the model is required to remember inductive biases acquired over a longer time frame when compared to the experimental setup used by Antoniou et al. [44].

3 Methodology

3.1 Problem: Online Few-shot Learning

This setting combines facets of online and few-shot learning: the model is expected to make predictions on a stream of input samples, while it sees only a few samples per class in the given input stream. In particular, we use a task protocol similar to Santoro et al. [13]. At time step i, an image x_i is presented to the model and it makes a prediction for x_i. In the following time step, the correct label y_i is revealed to the model. The model's performance depends on the correctness of its prediction at each time step. The following ordered set constitutes a task: $\mathcal{T} = ((x_1, null), (x_2, y_1), \cdots (x_t, y_{t-1}))$. Here $null$ indicates that no label is passed at the first time step, and t is the total number of time steps (length) of the task. For a k-way N-shot task $t = k \times N$. The entire duration of the task is considered as the adaptation phase, as with every time step the model gets a new sample and must adapt on it to improve its understanding of class concepts.

3.2 Memory as Adaptation in Activation Space

Consider modulating the output of a network F for input x with a persistent state h: $u = F(x, h)$. Now, if adding h aids in realizing a better representation u than otherwise ($F(x)$), we could view this as adaptation in activation space. In Figure 1, model F^* adapts to tasks using its persistent states h. Specifically let us consider the generic LSTM equations $Wx + W'h_{-1}$, we could view Wx as the original response and $W'h_{-1}$ as modulation by a persistent state (memory) in the activation space. So, for the online learning task at hand, we seek to train a LSTM which learns to generate hidden state h_i at each time step i, such that it could enable better adaptation in ensuing time steps. We note that adaptation in activation space has been discussed in earlier works. We use this perspective to organize memory better and to enable effective layer-wise adaptation across the network.

3.3 Model

Architecture. We distribute memory across the layers of the network, in order to enable the layers to learn local layer-wise adaptation rules. In particular, we use a model in which each layer of the feature extractor is a convolutional LSTM (CL) [40] followed by a LSTM [45] and a classifier, as shown in Figure 2.

Similar to the LSTM, each convolutional LSTM (CL) layer consists of its own input, forget, and output gates. The key difference is that convolution operations (denoted by $*$) replace matrix-vector multiplication. In this setup, we view the addition by $W_{hi} * h_{t-1}$ as adaptation in the i_{th} time step within the input gate. The same view could be extended to other gates as well. The cell and hidden state generation are likewise similar to LSTM, but use convolution operations:

$$i_t = \sigma(W_{ii} * x_t + W_{hi} * h_{t-1}) \quad (1) \qquad c_t = f_t \odot c_{t-1} + i_t \odot \tanh(W_{ig} * x_t + W_{hg} * h_{t-1})$$
$$f_t = \sigma(W_{if} * x_t + W_{hf} * h_{t-1}) \quad (2) \tag{4}$$
$$o_t = \sigma(W_{io} * x_t + W_{ho} * h_{t-1}) \quad (3) \qquad h_t = o_t \odot \tanh(c_t) \tag{5}$$

In initial experiments, we observe that for tasks with 50 time steps these models did not train well. We hypothesize that this could be due to the same network being repeated 50 times, thereby inducing

Figure 2: **Methodology.** An example distributed memory architecture consists of four layers of convolutional LSTMs (gray), followed by an LSTM (gray), and a classifier (gray). At the i_{th} time step, the sample x_i (green) and the previous sample's label y_{-1} are presented to network. Three different label injection modes are shown. Pink: label is fed to the first CL layer only; Violet: label is fed to each CL layer; Red: label is fed to the LSTM layer. Label information is provided at every time step; for sake of clarity we avoid showing it at time $i+1$ here. $h_i^{(j)}$, $c_i^{(j)}$ are the hidden and cell state of the j_{th} layer at the i_{th} time step. We use cyan, gray, orange, and green to denote persistent states, network parameters, label information, and input sample, respectively. Best viewed in color.

an effectively very deep network. We resolve this issue by adding skip connections between the second layer and the fourth layer (omitted in Figure 2). Further discussion on this is in Appendix B.

Label Encoding. As label information is essential for learning an adaptation rule, we inject labels offset by one time step to the ConvLSTM feature extractor and the LSTM. This provides the opportunity for each layer to learn an adaptation rule. For a k-way classification problem involving images of spatial resolution s, we feed the label information as a $k \times s^2$ matrix with all ones in the cth row if c is indeed the true label. We reshape this matrix as a $k \times s \times s$ tensor and concatenate it along the channel dimension of image at the next time step. To the LSTM layer, we feed the label in its one-hot form by concatenating it with the flattened activations from the previous layer.

3.4 Training and Evaluation

Following Santoro et al. [13], we perform episodic training by exposing the model to a variety of tasks from the training distribution $\mathcal{P}(\mathcal{T}_{train})$. For a given task, the model incurs a loss $\mathcal{L}_i$ at every time step of the task; we sum these losses and backpropagate through the sum at the end of the task. This is detailed in Algorithm 1 in Appendix A. We evaluate the model using a partition of the dataset that is class-wise disjoint from the training partition. The model makes a prediction at every time step and adapts to the sequence by using its own hidden states, thereby not requiring any gradient information for adaptation. Algorithm 2 in Appendix A provides details.

4 Experiments

4.1 Online Few-Shot Learning

We use CIFAR-FS [46] and Omniglot [47] datasets for our few-shot learning tasks; see Appendix A for details. We adopt the following methods to serve as baselines for comparison.

LSTM and NTM. Santoro et al. [13] use a LSTM and a NTM [32] with read and write protocols for the task of online few shot learning. Both aim to meta-learn tasks by employing a neural memory.

Adaptive Posterior Learning (APL). Ramalho and Garnelo [11] propose a memory-augmented model that stores data point embeddings based on a measure of *surprise*, which is computed by the loss incurred by each sample. During inference, they retrieve a fixed number of nearest-neighbor data embeddings, which are then fed to a classifier alongside the current sample.

Online Prototypical Networks (OPN). Ren et al. [18] extend prototypical networks to the online case, where they sequentially update the current class-wise prototypes using weighted averaging.

Contextual Prototypical Memory (CPM). Ren et al. [18] improve on OPN by learning a representation space that is conditioned on the current task. Furthermore, weights used to update prototypes are determined by a newly-introduced gating mechanism.

Table 1 shows that our model outperforms the baselines in most settings. These results suggest that the adaptation rules emergent from our design are more efficient than adaptation via prototypes, and adaptation via other memory-based architectures. In the CIFAR-FS experiments, the prototypical methods outperform our method only in the 1-shot scenario. As the 5-shot and 8-shot scenarios have a longer fine-tuning or adaptation phase, this shows that our method is more adept at handling tasks with longer adaptation phases. One reason could be that the stored prototypes which form the persistent state of OPN and CPM are more rigid than the persistent state of our method. The rigidity stems from the predetermined representation size of each prototype, which thereby prevents allocation of representation size depending upon classification difficulty. In our architecture, the network has the freedom to allocate representation size for each class as it deems fit. Consequently, this may help the network learn more efficient adaptation strategies that improve with time.

We examine the importance of distributed adaptation through ablation experiments that vary the layer into which we inject label information. Table 2 shows that models with feature extractors that do not receive label information are outperformed by the model whose earlier layers do receive label information (injecting into CL-1); the latter is even better than pre-trained models. By distributing memory across each layer and allowing label information to flow to each memory module, we enable every layer to learn its own adaptation rule. Here, the CNN baselines are pre-trained with MAML; these pre-trained networks replace the ConvLSTM part and are jointly trained with the LSTM (which receives the labels) and classifier. In these cases, we just replace the ConvLSTM in Figure 2 with a CNN. During the meta-testing phase, the CNN is a just feature extractor and the burden of adaptation falls entirely on the LSTM. In CNN-F, we freeze the weights during meta-training. Our CL+LSTM, restricted to adapt only in the final layer (3rd row; label injection into final LSTM layer only) performs comparably to the CNN baselines. The same model, with full adaptivity (last row) outperforms.

4.2 Delayed Feedback

We consider a task similar to online few-shot classification (Section 3.1), except instead of offset by one timestep, labels are offset by a delay parameter. Supposing the label delay is 3, then the task $\mathcal{T}$ is presented to the model as the sequence: $\mathcal{T} = \big((x_1, null), (x_2, null), (x_3, null), (x_4, y_1), \cdots (x_t, y_{t-3})\big)$, where t is the sequence length. The model must discern and account for the time delay.

Table 3 shows that our network can learn under these conditions, though performance decreases with increase in delay. This could be imputed to difficulty in associating the hidden representation of a sample with the correct label, consequently creating a noisy environment for learning adaptation rules. We see that pre-training helps: we take our network pre-trained for label delay of 1 and meta-train for tasks with label delay of 5. This improves the model accuracy to outperform the model directly trained with label delay of 4. This could be because the necessary adaptation rules are already learnt by the pre-trained model, and it only has to learn the quantum of delay. Furthermore, from Tables 1 and 3, even with a delay of 2 our method outperforms CPM with no delay.

Model	Omniglot			CIFAR-FS		
	1-shot	5-shot	8-shot	1-shot	5-shot	8-shot
LSTM[†]	85.3 (0.2)	94.4 (0.1)	95.8 (0.6)	-	-	-
NTM[†]	88.7 (0.5)	96.8 (0.1)	97.3 (0.1)	-	-	-
APL	89.1 (0.0)	94.9 (0.0)	95.7 (0.1)	37.6 (0.6)	45.8 (0.4)	46.9 (0.7)
OPN	91.2 (1.1)	94.6 (1.1)	95.8 (0.5)	49.9 (0.2)	54.9 (0.4)	56.8 (0.1)
CPM	94.5 (0.1)	97.0 (0.1)	97.4 (0.4)	**50.2** (0.2)	55.8 (0.4)	57.8 (0.4)
CL+LSTM	**96.8** (0.5)	**99.4** (0.2)	**99.7** (0.2)	47.6 (1.0)	**56.7** (1.6)	**61.0** (1.3)

Table 1: **Omniglot and CIFAR-FS results for 5-way online few-shot learning**. Shown are average and standard deviation across 3 runs. Methods with hand-designed memory mechanisms, like CPM and APL, benefit less from increased number of samples. Distributed memory in CL+LSTM comfortably outperforms other adaptation methods. [†] These methods fail to train on CIFAR-FS.

Model	Pre-training	Label Injection Layer	1-shot	5-shot	8-shot
CNN-F + LSTM	✓	LSTM	89.1 (0.2)	96.4 (0.0)	97.0 (0.2)
CNN + LSTM	✓	LSTM	93.9 (0.1)	97.9 (0.2)	98.2 (0.4)
CL+LSTM	✗	LSTM	94.7 (0.6)	97.3 (0.7)	97.9 (0.6)
CL+LSTM	✗	CL-1, LSTM	**96.8** (0.5)	**99.4** (0.2)	**99.7** (0.2)

Table 2: **Ablation experiments on Omniglot 5-way online few-shot learning**. Results in (%) (average and deviation across 3 runs), comparing different feature extractors (pre-trained or not) while providing labels offset by 1 time step. Outputs of feature extractors are given to a LSTM (Figure 2). Our distributed memory model (CL+LSTM), with offset labels provided at the first layer, outperforms other models: since memory is distributed across layers, and since label information is provided to the entire network, each layer has sufficient information to learn its own adaptation rule.

In this setting, our model can be used in a seamless manner, without having to make any adjustments. Gradient-based and prototypical methods cannot be used as is, and would require storing the samples (violating online assumption) for the time period of delay, causing memory usage to grow linearly with delay; in contrast, it is constant for our method. Further, to use prototypical or gradient-based methods, we would have to know the delay parameter in advance; our network learns the delay.

4.3 Online Continual Learning

We address the problem of continual learning in the online setting. In this setup, the model sees a stream of samples from a non-stationary task distribution, and the model is expected to generalize well even while encountering samples from a previously seen task distribution. Concretely, for a single continual learning task we construct n subtasks from an underlying dataset and first present to the model samples from the first subtask, then the second subtask, so on until the nth subtask in that order. Once the model is trained on all n subtasks sequentially, it is expected to classify images from any of the subtasks, thereby demonstrating robustness catastrophic forgetting [48].

Task Details. We use the Omniglot dataset for our experiments. Following [6], we define each subtask as learning a single class concept. So in this protocol a single online 5-way 5-shot continual learning task is defined as the following ordered set: $\mathcal{T} = (\mathcal{T}_1, \mathcal{T}_2, \mathcal{T}_3, \mathcal{T}_4, \mathcal{T}_5)$. Here, subtask $\mathcal{T}_i$ contains 5 samples from 1 particular Omniglot class. After adaptation is done on these 5 subtasks (25 samples) we expect the model to classify samples from a query set consisting of samples from all of the subtasks. The performance of the model is the prediction accuracy on the query set. We experiment by varying the total number of subtasks from 5 to 20 as in Figure 3.

Training Details. We perform episodic training by exposing our model to a variety of continual learning tasks from the training partition. At the end of each continual learning task, the model incurs a loss on the query set. We update our model by backpropagating through this query set loss. Note that during evaluation on the query set, we freeze the persistent states of our model in order to prevent any information leak across the query set. Since propagating gradients across long time steps renders training difficult, we train our model using a simple curriculum of increasing task length every 5K episodes. This improves generalization and convergence. Appendix C presents more details. Further, we shuffle the labels across tasks in order to prevent the model from memorizing the training classes. During evaluation, we sample tasks from classes the model has not encountered. The model adapts to the subtasks using just the hidden states and then acquires the ability to predict on the query set, which contains samples from all of the subtasks. We use the same class wise disjoint train/test split as in Lake [47].

Delay	Pre-training	6-shot	7-shot	8-shot
2	✗	56.8(0.1)	58.4(0.2)	60.0(0.0)
4	✗	52.2(0.4)	53.1(0.3)	54.1(0.4)
4	✓	56.1(0.6)	57.6(0.3)	59.0(0.1)
5	✗	51.1(0.8)	51.7(0.7)	52.7(0.3)
5	✓	55.2(0.3)	56.4(0.0)	57.4(0.4)

Table 3: CIFAR-FS results (%) for 5-way online few-shot learning with delayed labels (average and deviation, in parentheses, across 2 runs). As expected, longer delays degrade the model's performance. Further, we observe that pre-training a model with 1-step delay improves the performance in tasks with 5-step and 4-step delays.

Figure 3: **Online few-shot continual learning.** Accuracy vs task length on Omniglot. CL+LSTM model all outperforms the baselines across tasks lengths, strongly suggesting that the CL+LSTM model is adept at storing inductive biases required to solve the subtasks within a given continual learning task.

Figure 4: **Accuracy of subtasks within a 20 task continual learning task.** Typically in earlier tasks (first 10), CL+LSTM seems to have a higher accuracy than ANML and OML, suggesting that it is more immune to forgetting. ANML performs poorly in the 20th task, about 56 % we impute that to momentum issues in training. Note: Excluding the 20th task, the average ANML performance in the first 19 tasks is 91.78, while CL+LSTM averages 93.15 in the first 19 tasks.

Baseline: Online Meta Learning (OML). Javed and White [6] adopt a meta-training strategy similar to MAML. They adapt deeper layers in the inner loop for the current task, while updating the entire network in the outer loop, based on a loss measuring forgetting. For our OML experiments we use a 4-layer CNN followed by two fully connected layers. Appendix C provides implementation details.

Baseline: A Neuromodulated Meta-Learning Algorithm (ANML). Beaulieu et al. [27] use a hypernetwork to modulate the output of the trunk network. In the inner loop, the trunk network is adapted via gradient descent. In the outer loop, they update both the hypernetwork and the trunk network on a loss measuring forgetting. For our ANML experiments, we use a 4-layer CNN followed by a linear layer as the trunk network, with a 3-layer hypernetwork modulating the activations of the CNN. They use 3 times as many parameters as our CL+LSTM model. Appendix C provides details.

Results. Figure 3 plots average accuracy on increasing the length of the continual learning task. Task length is the number of subtasks within each continual learning task, which ranges from 5 to 20 subtasks in our experiments. As expected, we observe that the average accuracy generally decreases with increased task length for all models. However, the CL+LSTM model's performance degrades slower than the baselines, suggesting that the model has learnt an efficient way of storing inductive biases required to solve each of the subtasks effectively.

From Figure 4, we see that CL+LSTM is robust against forgetting, as the variance on performance across subtasks is low. This suggests that the CL+LSTM model learns adaptation rules that minimally interfere with other tasks.

Analysis of Computational Cost. During inference, our model does not require any gradient computation and fully relies on hidden states to perform adaptation. Consequently, it has lower computational requirements compared to gradient-based models – assuming adaptation is required at every time step. For a comparative case study, let us consider three models and their corresponding GFLOPs per forward pass: OML baseline (1.46 GFLOPs); CL+LSTM (0.40 GFLOPs); 4-layer CNN (0.30 GFLOPs) with parameter count similar to CL+LSTM. Here, we employ standard methodology for estimating of compute cost [49], with a forward and backward pass together incurring three times the operations in a forward pass alone.

We can extend these estimates to compute GFLOPs for the entire adaptation phase. Suppose we are adapting/updating our network on a task of length t iterations. The OML baseline and the 4-layer CNN (adapting on gradient descent) would consume $4.38t$ GFLOPs and $0.9t$ GFLOPs, respectively. Our CL+LSTM model would consume only $0.40t$ GFLOPs; here, we drop the factor of three while computing GFLOPs for the CL+LSTM model, since we do not require any gradient computation for adaptation. During training, we lose this advantage since we perform backpropagation through time, making the computational cost similar to computing meta-gradients.

Figure 5: **Sample online few-shot segmentation task with distractors.** At each time step, the model gets one image, and its corresponding ground truth in the subsequent time step. The model is tasked with either segmenting or masking, depending on whether or not the image is a distractor. Here, the fish are distractors and the ducks are objects we want to segment. The portion highlighted in green is the predicted segmentation, and the red portion is the predicted mask. These are results from our 10-ConvLSTM model with label injection at the first layer.

4.4 Online few-shot Semantic Segmentation

These experiments investigate the efficacy and applicability of adaptation via persistent states to a challenging segmentation task and analyze the effectiveness of label injection for segmentation.

Task Details. We consider a binary segmentation task: we present the model a sequence of images, one at each time step (as in Figure 5), and the model must either segment or mask out the image based on whether it is a distractor. Similar to the classification tasks, we augment the ground truth segmentation information along the channel dimension. The ground truth is offset by 1 time step, so at the first time step we concatenate to the channel dimension an all -1 matrix as a null label, at the next time step we concatenate to the channel dimension the actual ground truth of the image at time step 1. If it is an image to be segmented, we concatenate the ground truth binary mask of the object and the background in the form of a binary matrix. If it is a distractor image, we concatenate to the channel dimension an all zeros matrix indicating that the entire image should be masked out. k-shot scores for segmentation is the IoU of the predicted segmentation on the $k + 1^{th}$ time the model sees the object we want to segment out. For k-shot masking scores, we compute the fraction of the object that has been masked, when model sees the distractor image for the $k + 1^{th}$ time step. We sample our episodes from the dataset FSS1000 [50]; more dataset details are in Appendix D.

The construction of this task avoids zero-shot transfer of inductive biases required for segmentation and forces the model to rely on the task data to learn which objects are to be segmented.

Training Details. We augment a 10 layer U-Net [51] like CNN with memory cells in each layer, by converting each convolution into a convolutional LSTM–referred to as CL U-Net (architecture details in Appendix D. We utilize episodic training, where each episode is an online few-shot segmentation task, as in Figure 5 with 18 time steps in total (9 segmentation images and 9 distractors). We follow a simple training curriculum to train: the first 100k episodes we train without any distractors; in the next 100k episodes we train with distractors as in Figure 5. Further training details are in Appendix D. The episodes presented during evaluation contain novel classes.

Baselines. We use a 10 layer U-Net like CNN pre-trained with MAML for segmentation without any distractors (architecture details in Appendix D). We use this model as our fine-tuning CNN baseline, in that we fine-tune the model on the online stream of images using gradient descent at each time step. From Table 4, we see that the model fails to mask out the distractors, indicating its inability to ability to adapt to the online feed.

From Table 4, we see that CL U-Net variants are capable of effective online adaptation; both models are capable of segmenting and masking images. However we observe that providing label information at the first layer significantly boosts our performance, thereby bolstering our claim that effective task adaptation can be achieved by providing relevant feedback to a network containing distributed memory.

4.5 Standard Supervised Learning

Finally, we assess whether our proposed model can be *directly* employed in a classic supervised learning setting *i.e.,* without requiring modifications in terms of architecture design. The central

Model	Label Injection	Segmentation		Masking	
		1-shot	6-shot	1-shot	6-shot
Fine-tuned CNN	No	65.3	64.0	23.1	23.6
CL U-Net	9th layer	38.7	45.7	73.8	77.8
CL U-Net	1st layer	49.2	56.0	84.6	91.7

Table 4: **Segmentation and Masking results on CL U-Net.** Fine-tuning a CNN fails to adapt to distractors, while CL U-Net variants demonstrate adept capacity for adaptation. Further label injection at the first layer outperforms label injection at the 9th layer, suggesting that label injection enables network wide adaptation.

Model	Params (M)	C10	C100
VGG-11	9.2	91.5	66.9
CL-VGG-11 ($0.5\times$)	20.0	91.5	67.3
CL-VGG-11 ($0.35\times$)	9.5	90.7	64.3
ResNet-20	0.3	91.9	68.1
CL-ResNet-20 ($0.5\times$)	0.6	90.9	63.2
CL-ResNet-20 ($0.35\times$)	0.3	89.5	58.8

Table 5: **Test accuracy (%) of supervised learning on CIFAR.** Shown are averages across 3 runs. Parentheses following model names indicate shrinkage factor of filter sets. Variants perform comparably to original models, showing that they can be employed off-the-shelf in both meta and supervised learning settings.

motivation behind these experiments is to see if meta-learning methods can be applied to standard supervised learning tasks without requiring any change in methodology. Hence, in a setting when a priori knowledge of whether the task at hand is a standard supervised learning task or meta-learning task is unavailable, we could use ConvLSTM models. This is similar to the experiments done in [11], where they try to close the gap between standard supervised learning approaches and their meta-learning method applied to standard supervised learning tasks.

We use CIFAR data as our standard supervised learning benchmark [52]; further dataset details are in Appendix E. We use standard networks such as VGG [53] and ResNet [54] as our baselines. In Table 5, we observe that CL variants perform comparably in most cases. This affirms that the ConvLSTM model is capable of handling a conventional supervised learning scenario without any change in training procedure. Even in the absence of temporal signal, ConvLSTMs can still operate well. This is interesting since direct application of gradient-based meta-learners to the conventional supervised learning setting would require optimizing through a prohibitively long inner loop.

5 Conclusion

Our results highlight distributed memory architectures as a promising technical approach to recasting the problem of meta-learning as simply learning with memory-augmented models. This view has potential to eliminate the need for ad-hoc design of mechanisms or optimization procedures for task adaptation, replacing them with generic and general-purpose memory modules. Our ablation studies show the effectiveness of distributing memory throughout a deep neural network (resulting in an increased capacity for adaptation), rather than limiting it to a single layer or final classification stage.

We demonstrate that standard LSTM cells, when provided with relevant feedback, can act as a basic building block of a network designed for meta-learning. On a wide variety of tasks, a distributed memory architecture can learn adaptation strategies that outperform existing methods. The applicability of a purely memory-based network to online semantic segmentation points to the untapped versatility and efficacy of adaptation enabled by distributed persistent states.

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References

[1] Jürgen Schmidhuber. *Evolutionary principles in self-referential learning, or on learning how to learn: the meta-meta-... hook*. PhD thesis, Technische Universität München, 1987.

[2] Samy Bengio, Yoshua Bengio, Jocelyn Cloutier, and Jan Gecsei. On the optimization of a synaptic learning rule. In *Preprints Conf. Optimality in Artificial and Biological Neural Networks*, volume 2, 1992.

[3] Oriol Vinyals, Charles Blundell, Timothy Lillicrap, and Daan Wierstra. Matching networks for one shot learning. *Advances in neural information processing systems*, 29:3630–3638, 2016.

[4] Chelsea Finn, Pieter Abbeel, and Sergey Levine. Model-agnostic meta-learning for fast adaptation of deep networks. In *International Conference on Machine Learning*, pages 1126–1135. PMLR, 2017.

[5] Jake Snell, Kevin Swersky, and Richard Zemel. Prototypical networks for few-shot learning. In I. Guyon, U. V. Luxburg, S. Bengio, H. Wallach, R. Fergus, S. Vishwanathan, and R. Garnett, editors, *Advances in Neural Information Processing Systems*, volume 30. Curran Associates, Inc., 2017.

[6] Khurram Javed and Martha White. Meta-learning representations for continual learning. In H. Wallach, H. Larochelle, A. Beygelzimer, F. d'Alché-Buc, E. Fox, and R. Garnett, editors, *Advances in Neural Information Processing Systems*, volume 32. Curran Associates, Inc., 2019.

[7] Nikhil Mishra, Mostafa Rohaninejad, Xi Chen, and Pieter Abbeel. A simple neural attentive meta-learner. In *6th International Conference on Learning Representations, ICLR 2018, Vancouver, BC, Canada, April 30 - May 3, 2018, Conference Track Proceedings*. OpenReview.net, 2018.

[8] Joaquin Vanschoren. Meta-learning: A survey. *arXiv preprint arXiv:1810.03548*, 2018.

[9] Timothy Hospedales, Antreas Antoniou, Paul Micaelli, and Amos Storkey. Meta-learning in neural networks: A survey. *arXiv preprint arXiv:2004.05439*, 2020.

[10] Sachin Ravi and Hugo Larochelle. Optimization as a model for few-shot learning. In *5th International Conference on Learning Representations, ICLR 2017, Toulon, France, April 24-26, 2017, Conference Track Proceedings*. OpenReview.net, 2017.

[11] Tiago Ramalho and Marta Garnelo. Adaptive posterior learning: few-shot learning with a surprise-based memory module. In *7th International Conference on Learning Representations, ICLR 2019, New Orleans, LA, USA, May 6-9, 2019*. OpenReview.net, 2019.

[12] Sebastian Flennerhag, Andrei A. Rusu, Razvan Pascanu, Francesco Visin, Hujun Yin, and Raia Hadsell. Meta-learning with warped gradient descent. In *8th International Conference on Learning Representations, ICLR 2020, Addis Ababa, Ethiopia, April 26-30, 2020*. OpenReview.net, 2020.

[13] Adam Santoro, Sergey Bartunov, Matthew Botvinick, Daan Wierstra, and Timothy Lillicrap. Meta-learning with memory-augmented neural networks. In *Proceedings of The 33rd International Conference on Machine Learning*, volume 48 of *Proceedings of Machine Learning Research*, pages 1842–1850. PMLR, 20–22 Jun 2016.

[14] Sergey Bartunov, Jack W. Rae, Simon Osindero, and Timothy P. Lillicrap. Meta-learning deep energy-based memory models. In *8th International Conference on Learning Representations, ICLR 2020, Addis Ababa, Ethiopia, April 26-30, 2020*. OpenReview.net, 2020.

[15] Yan Wu, Greg Wayne, Alex Graves, and Timothy P. Lillicrap. The kanerva machine: A generative distributed memory. In *6th International Conference on Learning Representations, ICLR 2018, Vancouver, BC, Canada, April 30 - May 3, 2018, Conference Track Proceedings*. OpenReview.net, 2018.

[16] Yan Wu, Gregory Wayne, Karol Gregor, and Timothy P. Lillicrap. Learning attractor dynamics for generative memory. In *Advances in Neural Information Processing Systems 31: Annual Conference on Neural Information Processing Systems 2018, NeurIPS 2018, December 3-8, 2018, Montréal, Canada*, pages 9401–9410, 2018.

[17] Alexander Pritzel, Benigno Uria, Sriram Srinivasan, Adria Puigdomenech Badia, Oriol Vinyals, Demis Hassabis, Daan Wierstra, and Charles Blundell. Neural episodic control. In *International Conference on Machine Learning*, pages 2827–2836. PMLR, 2017.

[18] Mengye Ren, Michael Louis Iuzzolino, Michael Curtis Mozer, and Richard S. Zemel. Wandering within a world: Online contextualized few-shot learning. In *9th International Conference on Learning Representations, ICLR 2021, Virtual Event, Austria, May 3-7, 2021*. OpenReview.net, 2021.

[19] Yoshua Bengio. Practical recommendations for gradient-based training of deep architectures. In *Neural networks: Tricks of the trade*, pages 437–478. Springer, 2012.

[20] Chris Mesterharm. On-line learning with delayed label feedback. In *International Conference on Algorithmic Learning Theory*, pages 399–413. Springer, 2005.

[21] Jürgen Schmidhuber. Learning to control fast-weight memories: An alternative to dynamic recurrent networks. *Neural Computation*, 4(1):131–139, 1992.

[22] Sebastian Thrun. Lifelong learning algorithms. In *Learning to learn*, pages 181–209. Springer, 1998.

[23] Sepp Hochreiter, A Steven Younger, and Peter R Conwell. Learning to learn using gradient descent. In *International Conference on Artificial Neural Networks*, pages 87–94. Springer, 2001.

[24] Chelsea Finn, Aravind Rajeswaran, Sham M. Kakade, and Sergey Levine. Online meta-learning. In *Proceedings of the 36th International Conference on Machine Learning, ICML 2019, 9-15 June 2019, Long Beach, California, USA*, volume 97 of *Proceedings of Machine Learning Research*, pages 1920–1930. PMLR, 2019.

[25] Anusha Nagabandi, Chelsea Finn, and Sergey Levine. Deep online learning via meta-learning: Continual adaptation for model-based RL. In *7th International Conference on Learning Representations, ICLR 2019, New Orleans, LA, USA, May 6-9, 2019*. OpenReview.net, 2019.

[26] Massimo Caccia, Pau Rodriguez, Oleksiy Ostapenko, Fabrice Normandin, Min Lin, Lucas Caccia, Issam Laradji, Irina Rish, Alexande Lacoste, David Vazquez, et al. Online fast adaptation and knowledge accumulation: a new approach to continual learning. *arXiv preprint arXiv:2003.05856*, 2020.

[27] Shawn Beaulieu, Lapo Frati, Thomas Miconi, Joel Lehman, Kenneth O. Stanley, Jeff Clune, and Nick Cheney. Learning to continually learn. In *ECAI 2020 - 24th European Conference on Artificial Intelligence, 29 August-8 September 2020, Santiago de Compostela, Spain, August 29 - September 8, 2020 - Including 10th Conference on Prestigious Applications of Artificial Intelligence (PAIS 2020)*, volume 325 of *Frontiers in Artificial Intelligence and Applications*, pages 992–1001. IOS Press, 2020.

[28] Marcin Andrychowicz, Misha Denil, Sergio Gomez Colmenarejo, Matthew W. Hoffman, David Pfau, Tom Schaul, and Nando de Freitas. Learning to learn by gradient descent by gradient descent. In *Advances in Neural Information Processing Systems 29: Annual Conference on Neural Information Processing Systems 2016, December 5-10, 2016, Barcelona, Spain*, pages 3981–3989, 2016.

[29] Tsendsuren Munkhdalai and Hong Yu. Meta networks. In *International Conference on Machine Learning*, pages 2554–2563. PMLR, 2017.

[30] Boris N. Oreshkin, Pau Rodríguez López, and Alexandre Lacoste. TADAM: task dependent adaptive metric for improved few-shot learning. In *Advances in Neural Information Processing Systems 31: Annual Conference on Neural Information Processing Systems 2018, NeurIPS 2018, December 3-8, 2018, Montréal, Canada*, pages 719–729, 2018.

[31] Yingwei Pan, Ting Yao, Yehao Li, Yu Wang, Chong-Wah Ngo, and Tao Mei. Transferrable prototypical networks for unsupervised domain adaptation. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 2239–2247, 2019.

[32] Alex Graves, Greg Wayne, and Ivo Danihelka. Neural turing machines. *arXiv:1410.5401*, 2014.

[33] Jack W Rae, Jonathan J Hunt, Tim Harley, Ivo Danihelka, Andrew Senior, Greg Wayne, Alex Graves, and Timothy P Lillicrap. Scaling memory-augmented neural networks with sparse reads and writes. *arXiv preprint arXiv:1610.09027*, 2016.

[34] Louis Kirsch and Jürgen Schmidhuber. Meta learning backpropagation and improving it. *arXiv preprint arXiv:2012.14905*, 2020.

[35] Arthur Guez, Mehdi Mirza, Karol Gregor, Rishabh Kabra, Sébastien Racanière, Théophane Weber, David Raposo, Adam Santoro, Laurent Orseau, Tom Eccles, et al. An investigation of model-free planning. In *International Conference on Machine Learning*, pages 2464–2473. PMLR, 2019.

[36] Amirreza Shaban, Shray Bansal, Zhen Liu, Irfan Essa, and Byron Boots. One-shot learning for semantic segmentation. In *British Machine Vision Conference 2017, BMVC 2017, London, UK, September 4-7, 2017*. BMVA Press, 2017.

[37] Kate Rakelly, Evan Shelhamer, Trevor Darrell, Alyosha A. Efros, and Sergey Levine. Conditional networks for few-shot semantic segmentation. In *6th International Conference on Learning Representations, ICLR 2018, Vancouver, BC, Canada, April 30 - May 3, 2018, Workshop Track Proceedings*. OpenReview.net, 2018.

[38] Atmadeep Banerjee. Meta-drn: Meta-learning for 1-shot image segmentation. *arXiv preprint arXiv:2008.00247*, 2020.

[39] Ruiyu Li, Kaican Li, Yi-Chun Kuo, Michelle Shu, Xiaojuan Qi, Xiaoyong Shen, and Jiaya Jia. Referring image segmentation via recurrent refinement networks. In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition*, pages 5745–5753, 2018.

[40] Xingjian Shi, Zhourong Chen, Hao Wang, Dit-Yan Yeung, Wai-Kin Wong, and Wang-chun Woo. Convolutional LSTM network: A machine learning approach for precipitation nowcasting. In Corinna Cortes, Neil D. Lawrence, Daniel D. Lee, Masashi Sugiyama, and Roman Garnett, editors, *Advances in Neural Information Processing Systems 28: Annual Conference on Neural Information Processing Systems 2015, December 7-12, 2015, Montreal, Quebec, Canada*, pages 802–810, 2015.

[41] Sepehr Valipour, Mennatullah Siam, Martin Jagersand, and Nilanjan Ray. Recurrent fully convolutional networks for video segmentation. In *2017 IEEE Winter Conference on Applications of Computer Vision (WACV)*, pages 29–36. IEEE, 2017.

[42] Tao Hu, Pengwan Yang, Chiliang Zhang, Gang Yu, Yadong Mu, and Cees GM Snoek. Attention-based multi-context guiding for few-shot semantic segmentation. In *Proceedings of the AAAI conference on artificial intelligence*, volume 33, pages 8441–8448, 2019.

[43] Reza Azad, Abdur R Fayjie, Claude Kauffmann, Ismail Ben Ayed, Marco Pedersoli, and Jose Dolz. On the texture bias for few-shot cnn segmentation. In *Proceedings of the IEEE/CVF Winter Conference on Applications of Computer Vision*, pages 2674–2683, 2021.

[44] Antreas Antoniou, Massimiliano Patacchiola, Mateusz Ochal, and Amos Storkey. Defining benchmarks for continual few-shot learning. *arXiv preprint arXiv:2004.11967*, 2020.

[45] Sepp Hochreiter and Jürgen Schmidhuber. Long short-term memory. *Neural computation*, 9(8): 1735–1780, 1997.

[46] Luca Bertinetto, João F. Henriques, Philip H. S. Torr, and Andrea Vedaldi. Meta-learning with differentiable closed-form solvers. In *7th International Conference on Learning Representations, ICLR 2019, New Orleans, LA, USA, May 6-9, 2019*. OpenReview.net, 2019.

[47] Brenden Lake. Omniglot git repo, 2015. URL https://github.com/brendenlake/omniglot/raw/master/python.

[48] James Kirkpatrick, Razvan Pascanu, Neil Rabinowitz, Joel Veness, Guillaume Desjardins, Andrei A Rusu, Kieran Milan, John Quan, Tiago Ramalho, Agnieszka Grabska-Barwinska, et al. Overcoming catastrophic forgetting in neural networks. *Proceedings of the national academy of sciences*, 114(13):3521–3526, 2017.

[49] OpenAi. Ai and compute, 2018. URL https://openai.com/blog/ai-and-compute/.

[50] Xiang Li, Tianhan Wei, Yau Pun Chen, Yu-Wing Tai, and Chi-Keung Tang. Fss-1000: A 1000-class dataset for few-shot segmentation. In *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*, pages 2869–2878, 2020.

[51] Olaf Ronneberger, Philipp Fischer, and Thomas Brox. U-net: Convolutional networks for biomedical image segmentation. In *International Conference on Medical image computing and computer-assisted intervention*, pages 234–241. Springer, 2015.

[52] Alex Krizhevsky. Learning multiple layers of features from tiny images. Technical report, 2009.

[53] Karen Simonyan and Andrew Zisserman. Very deep convolutional networks for large-scale image recognition. In *ICLR*, 2015.

[54] Kaiming He, Xiangyu Zhang, Shaoqing Ren, and Jian Sun. Deep residual learning for image recognition. In *2016 IEEE Conference on Computer Vision and Pattern Recognition, CVPR 2016, Las Vegas, NV, USA, June 27-30, 2016*, pages 770–778. IEEE Computer Society, 2016.

[55] Brenden M Lake, Ruslan Salakhutdinov, and Joshua B Tenenbaum. Human-level concept learning through probabilistic program induction. *Science*, 350(6266):1332–1338, 2015.

[56] Jake Snell. Github implementation of prototypical-networks, 2017. URL https://github.com/jakesnell/prototypical-networks/tree/master/data/omniglot/splits/vinyals.

[57] Diederik P. Kingma and Jimmy Ba. Adam: A method for stochastic optimization. In Yoshua Bengio and Yann LeCun, editors, *3rd International Conference on Learning Representations, ICLR 2015, San Diego, CA, USA, May 7-9, 2015, Conference Track Proceedings*, 2015.

[58] Sergey Ioffe and Christian Szegedy. Batch normalization: Accelerating deep network training by reducing internal covariate shift. *ICML*, 2015.

[59] Tim Cooijmans, Nicolas Ballas, César Laurent, Çağlar Gülçehre, and Aaron Courville. Recurrent Batch Normalization. *ICLR*, 2017.

[60] R. J. Williams and J. Peng. An efficient gradient-based algorithm for on-line training of recurrent network trajectories. *Neural Computation*, 1990.

Appendices

A Details of Online Few-Shot Learning Experiments

A.1 Datasets

CIFAR-FS: Bertinetto et al. [46] adapt the CIFAR-100 dataset for few-shot learning by performing a class-wise partition, yielding a training, validation, and testing set composed of 60, 16, and 20 classes, respectively. We sample 10-shot 5-way online few-shot tasks by sampling 5 classes and 10 samples per class (a total of 50 images), which are fed to the model at a rate of one image per time step. We report validation performance for all models.

Omniglot: This dataset has 1623 characters from 50 different alphabets, with 20 images per character [55]. Following Vinyals et al. [3], we resize images to 28×28 and augment the dataset by rotating each character by multiples of 90 degrees. We use the same split as Snell [56]. We report validation performance for all models.

A.2 Task Details :

Figure 6 shows a sample online 10-shot 5-way task. As mentioned in Section 3.1, at time step i, we pass the i_{th} sample and the label associated with the sample at the previous time step $i-1$. Further, at each time step the model predicts the label for the given sample; the model's efficacy is the accuracy of the predicted labels. Subsequently, in the next time step when the correct label is presented, we expect the model to update itself in order to achieve better generalization for future examples of the given task.

Figure 6: **A sample Omniglot-based online 10-shot 5-way task.** Each class consists of 10 examples and there are 5 classes in total. The red number at the bottom right of each character is the time-step at which that character is presented to the model.

A.3 Training and Evaluation

Algorithm 1: Training model θ for online few shot learning

TrainOnlineFewShot $(\mathcal{P}(\mathcal{T}_{train}), \theta)$
   inputs : Task Distribution $\mathcal{P}(\mathcal{T}_{train})$;
         Parameter set θ
   while *not converged* **do**
      Sample $\mathcal{T} \sim \mathcal{P}(\mathcal{T}_{train})$
      foreach $(x_i, y_{i-1}) \in \mathcal{T}$ **do**
         $\hat{y}_i = f_\theta(x_i, y_{i-1})$
         $\mathcal{L}_i = \mathcal{L}(\hat{y}_i, y_i)$;   // y_i is true label
      $\theta \leftarrow \theta - \nabla_\theta \sum_{i=1} \mathcal{L}_i$
   return θ;

Algorithm 2: Evaluating model θ^* for online few shot learning

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TestOnlineFewShot $(\mathcal{P}(\mathcal{T}_{test}), \theta^*)$
   inputs : Task Distribution $\mathcal{P}(\mathcal{T}_{test})$;
         Trained Parameter θ^*
   while *not converged* **do**
      Sample $\mathcal{T} \sim \mathcal{P}(\mathcal{T}_{test})$
      foreach $(x_i, y_{i-1}) \in \mathcal{T}$ **do**
         $\hat{y}_i = f_\theta(x_i, y_{i-1})$
   return $\hat{y}_i$ $\forall i$;

A.4 Computing k-shot 5-way accuracy:

We follow the same protocol as in Santoro et al. [13]. k-shot results are calculated based on the prediction accuracy of $k^{th} + 1^{th}$ instance of the class– that is, when the model sees an image of the class for the k times.

A.5 Architecture Details

The LSTM baseline and the controller in NTM have a hidden size of 400, followed by a 5-way classifier. The non-parametric memory in NTM is a matrix in $\mathbb{R}^{120 \times 40}$, with 0.95 as the decay rate. In order to make comparisons fair, we use a 4-layer Convolutional LSTM with a 64 channels in each layer, followed by a LSTM of hidden size 400 and a 5-way classifier.

For both OPN and CPM, we use the same features extractor as in Ren et al. [18]: a 4-layer CNN with 64 channels in each layer. The CPM has, in addition to the feature extractor, an LSTM of hidden size 400, followed by a gating a mechanism for updating prototypes. We adopt the same feature extractor when training APL, along with a LSTM decoder with hidden size 400 and a total of 5 neighbors read from the memory for each sample. Note: In the APL paper they use a ResNet as the feature extractor.

All models are trained with a learning rate of 10^{-3} using Adam [57] for 100k iterations with a meta batch size of 16.

B Task Length Dependent Optimization Issues

In initial experiments, we observe that for tasks with 50 time steps these models did not train well. We hypothesize that this could be due to the same network being repeated 50 times, thereby inducing an effective depth of the network to be 6×50 (since our model has 6 layers). We resolve training difficulties by adding a skip connection, in the style of residual networks [54], between the second layer and the fourth layer (omitted in Figure 2). This makes a significant impact in convergence and generalization.

From Table 6, we see that regardless of actual depth, effective depth seems to be critical in determining if the model can learn an efficient task adaptation strategy. In these experiments, we use a task protocol that is slightly different from the protocol in Section 3.1. Here, we have a separate support and query set, and the model is evaluated only on its performance on the query set. The support set is presented to the model in an online manner, one character at a time step. For models with depth 4, we have the following architecture: 2 ConvLSTM layers followed by a LSTM and a classifier. For models with depth 6, we use 4 ConvLSTM layers followed by a LSTM and a classifier. As mentioned in the paper, we ameliorate training issues by adding a skip connection to these models.

Network Depth	Task	Task Length	Effective Depth	Efficient Task Adaptation
4	5-shot 6-way	30	120	✓
4	5-shot 7-way	35	140	✗
6	5-shot 4-way	20	120	✓
6	5-shot 5-way	25	150	✗

Table 6: **Effect of task length on learning efficient task adaptation strategies.** Effective depth = network depth × task length, seems to determine if the network can learn efficient adaptation rules. If effective depth is greater than 140, the model fails to adapt efficiently to a given task.

C Details of Continual Learning Experiments

C.1 Training

We always start by exposing the model to a 5-way continual learning problem, after which for every 5K updates we increase the length of the tasks exposed to the model by 1 till the exposed task length is equal to the desired task length. Example: Suppose 7-way 5-shot is the desired task we want our model to solve, we start with a 5-way task for the first 5K updates, then 6-way for the next 5K

Figure 7: **A sample online segmentation task with distractors:** A sequence of parchment and eagle images are presented to the model (one image at a time step). Here parchments are the distractor images and the eagles are the images to be segmented.

Figure 8: **Ground truth segmentation labels for the above task.** The first time step we present a offset null label as mentioned in the Section 4.4. In the subsequent time steps, we provide the model with ground truth label for the previous time step's input image. The ground truth corresponding to the parchment image is the all zero tensor since it has to be masked out.

updates, and then finally we train the model on 7-way tasks until convergence. We train CL+LSTM with a meta-batch of 16 using Adam and a learning rate of 10^{-3}.

C.2 Details of OML Experiments

We use publicly released code[1] with the suggested hyperparameters (Adam/SGD with learning rates 10^{-4}/0.03 for meta-training/adaptation), while adopting a 4-layer CNN with a parameter count comparable to ours. Unlike Javed and White [6], we use 28×28 images instead of 84×84 and train for a total of 150k episodes. We use SGD for adaptation instead of Adam in meta-testing, which resulted in significantly better results for our setting where trajectories are short, likely due to the lack of momentum.

C.3 Details of ANML Experiments

We use publicly released code[2] with the suggested the hyperparameters: meta-learning rate 10^{-3}, Adam outer loop optimizer, and gradient descent as the inner loop optimizer. We use a 4-layer CNN with a 256 filters and a 3-layer hypernetwork yielding a model with parameter count 3 times that of our CL+LSTM model. Similar to OML, ANML suffered in generalizing to the last subtask due to momentum issues and using SGD as in the case of OML did not help alleviate the issue. Hence, we used Adam for adaptation as in the original paper.

D Segmentation Experiments

D.1 Dataset

In our segmentation experiments we use the FSS1000 dataset [50], which contains 1000 semantic labels and each label containing 10 images. The dataset is split into 700 training, 60 validation, and 240 test classes. We resize these images into 56×56 spatial resolution.

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[1] https://github.com/khurramjaved96/mrcl
[2] https://github.com/uvm-neurobotics-lab/ANML

D.2 Task Details

A sample online few-shot segmentation task is presented in Figure 7 and its corresponding ground truth is presented in Figure 8. In this task adaptation on the input images is essential as the model has to (on the fly) learn the distractor concept and mask it out, while segmenting the other images.

D.3 Training Details

Both the CL U-Net models are trained with a learning rate of 10^{-3} using Adam optimizer and a batch size of 4 throughout the entire curriculum mentioned in Section 4.4. Further following [50] we train our models with mean squared error loss.

The fine tuning baseline is MAML pre-trained on online few-shot segmentation with no distractors similar to [38]. We train the model with an outer loop learning rate of 10^{-3} using Adam and an inner loop learning rate of 10^{-2} using gradient descent. The results in Table 4 for the fine tuning baseline is obtained by taking such a MAML pre-trained model and fine tuning it on online few-shot segmentation tasks with distractors. When we tried meta-training this model on few-shot segmentation with distractors, the model converged to a trivial solution of masking out both the distractor images and the images that were to be segmented. Hence we only present the fine tuning results.

D.4 Model Details

Figure 9: **CL U-Net: Augmenting memory cells to layers of a U-Net variant.** The cyan layers are ConvLSTM layers, and the reduction in spatial resolution is brought about via pooling layers (not in figure). The dark blue layers (TConvLSTM) are transpose convolutional LSTM layers and are used to upsample along the spatial dimension. Finally, a 1×1 conv layer is used to generate logits at a pixel level. The spatial resolution of the activation at each layer is denoted at the top of each layer. We have two modes of label injection: 1) the ground truth label y_{i-1} corresponding to the image at the previous time step is fed to the first layer (purple line); 2) the ground truth label of previous time step image y_{i-1} is presented to the 10th layer (red line). We observe that the first mode (purple) is more effective than the second mode (red). Skip connections are not shown for sake of clarity: skip connections exist between layers 2 and 4; layers 4 and 6; layers 6 and 8.

In Figure 9, we use a variant of U-Net wherein each layer is augmented with memory cells. Unlike U-Nets, we do not have skip connections from the first layer to the last layer; we employ skip connections similar to ResNets–once every two layers between the 2nd layer and the 8th. In U-Nets, it is conceivable that label information propagation is easier even to the last layer of the network, since there is a direct connection between the first and the last layer. However, the effectiveness of label injection in a CL U-Net (as evidenced by Table 4) demonstrates that effective label information propagation can take place in standard networks like ResNets as is, without having to employ any additional pathways or tricks. This underlines that label injection can be used for a vast variety of standard networks.

We replace the ConvLSTM cells with standard CNN layers and use ReLUs as nonlinearities to get the architecture for the CNN based finetuning baseline.

E Supervised Learning Experiments

E.1 Datasets: CIFAR10 (C10) and CIFAR100 (C100)

C10 and C100 consist of 60000 RGB images of size 32×32 sampled from 10 and 100 classes, respectively. We adopt the standard split where 50000 images are used for training and 10000 for testing. Following He et al. [54], we perform horizontal flips with 50% probability and adopt random translations by padding 4 pixels to each image and then selecting a randomly-chosen 32×32 crop.

E.2 Architecture Details

To evaluate how ConvLSTM layers impact the performance of models typically adopted for this task, we use VGG-11 [53] and ResNet-20 [54] as base networks and replace each convolutional layer, along with the following batch norm [58] and ReLU operations, by a ConvLSTM with recurrent batch norm [59]. We refer to the produced models as 'CL-VGG-11' and 'CL-ResNet-20'. Further, we shrink the filter set and it is denoted as the following: CL-VGG-11 $(0.5\times)$ has half as many filters per layer as CL-VGG-11, and produces activation tensors with 32 channels instead of the 64 in VGG-11.

Although ConvLSTM variants differ from their original counterparts (*e.g.,* ReLU is replaced by the tanh activation, which is known yield harder optimization due to saturation), our chosen hyperparameters and training setup were adopted from He et al. [54] and designed for the base networks, hence the performance of CL-VGG-11 and CL-ResNet-20 can likely be further improved by hyperparameter tuning.

E.3 Training Details

Each network is trained for a total of 200 epochs with SGD and an initial learning rate of 0.1, which is decayed by a factor of 10 at epochs 100 and 150, following He et al. [54]. We also employ Nesterov momentum of 0.9 and a weight decay of 10^{-4}. For the ConvLSTM variants, we only backpropagate errors up to 5 previous mini-batches, akin to truncated backpropagation through time [60] with a time window of 5 steps. Cell states are frozen prior to inference to avoid information leakage across test samples.