Exploiting the Intrinsic Neighborhood Structure for Source-free Domain Adaptation

Abstract

Domain adaptation (DA) aims to alleviate the domain shift between source domain and target domain. Most DA methods require access to the source data, but often that is not possible (e.g. due to data privacy or intellectual property). In this paper, we address the challenging source-free domain adaptation (SFDA) problem, where the source pretrained model is adapted to the target domain in the absence of source data. Our method is based on the observation that target data, which might no longer align with the source domain classifier, still forms clear clusters. We capture this intrinsic structure by defining local affinity of the target data, and encourage label consistency among data with high local affinity. We observe that higher affinity should be assigned to reciprocal neighbors, and propose a self regularization loss to decrease the negative impact of noisy neighbors. Furthermore, to aggregate information with more context, we consider expanded neighborhoods with small affinity values. In the experimental results we verify that the inherent structure of the target features is an important source of information for domain adaptation. We demonstrate that this local structure can be efficiently captured by considering the local neighbors, the reciprocal neighbors, and the expanded neighborhood. Finally, we achieve state-of-the-art performance on several 2D image and 3D point cloud recognition datasets.

1 Introduction

Most deep learning methods rely on training on large amount of labeled data, while they cannot generalize well to a related yet different domain. One research direction to address this issue is Domain Adaptation (DA), which aims to transfer learned knowledge from a source to a target domain. Most existing DA methods demand labeled source data during the adaptation period, however, it is often not practical that source data are always accessible, such as when applied on data with privacy or property restrictions. Therefore, recently, there have emerged a few works [16, 17, 20, 21] tackling a new challenging DA scenario where instead of source data only the source pretrained model is available for adapting, *i.e.*, source-free domain adaptation (SFDA). Among these methods, USFDA [16] addresses universal DA [54] and SF [17] addresses open-set DA [34]. In both universal and open-set DA the label set is different for source and target domains. SHOT [21] and Model Adaptation [20] are for closed-set DA where source and target domains have the same categories. Model Adaptation [20] is based on target-style image generation with a conditional GAN, and SHOT [21] is based on mutual information maximization and pseudo labeling. However, these methods ignore the intrinsic neighborhood structure of the target data in feature space which can be vary valuable to tackle SFDA.

In this paper, we focus on closed-set source-free domain adaptation. Our main observation is that current DA methods do not exploit the intrinsic neighborhood structure of the target data. We use

Figure 1: (**a**) t-SNE visualization of target features by source model. (**b**) Ratio of different type of nearest neighbor features of which: the *predicted* label is the same as the feature, K is the number of nearest neighbors. The features in (a) and (b) are on task Ar→Rw of Office-Home. (**c**) Illustration of our method. In the left shows we distinguish reciprocal and non-reciprocal neighbors. The adaptation is achieved by pushed the features towards reciprocal neighbors heavily.

this term to refer to the fact that, even though the target data might have shifted in the feature space (due to the covariance shift), target data of the same class is still expected to form a cluster in the embedding space. This can be implied to some degree from the t-SNE visualization of target features on the source model which suggests that significant cluster structure is preserved (see Fig. 1 (a)). This assumption is implicitly adopted by most DA methods, as instantiated by a recent DA work [40]. A well-established way to assess the structure of points in high-dimensional spaces is by considering the nearest neighbors of points, which are expected to belong to the same class. However, this assumption is not true for all points; the blue curve in Figure 1(b) shows that around 75% of the nearest neighbors has the correct label. In this paper, we observe that this problem can be mitigated by considering reciprocal nearest neighbors (RNN); the reciprocal neighbors of a point have the point as their neighbor. Reciprocal neighbors have been studied before in different contexts [14, 29, 57]. The reason why reciprocal neighbors are more trustworthy is illustrated in Fig. 1(c). We show it also in Fig. 1(b), showing the ratio of neighbors which have the *correct prediction* for different kinds of nearest neighbors. The curves show that reciprocal neighbors indeed have more chances to predict the *true* label than non-reciprocal nearest neighbors (nRNN).

The above observation and analysis motivate us to assign different weights to the supervision from nearest neighbors. Then source-free domain adaptation can be achieved by encouraging reciprocal neighbors to concord in their label prediction. In addition, we will also consider a weaker connection to the non-reciprocal neighbors. We define affinity values to describe the degree of connectivity between each data point and its neighbors, which is also utilized to encourage class-consistency between neighbors, and we propose to use a self-regularization to decrease the negative impact of potential noisy neighbors. Furthermore, inspired by recent graph based methods [1, 4, 58] which show that the higher order neighbors can provide relevant context, and also considering neighbors of neighbors is more likely to provide datapoints that are close on the data manifold [41]. Thus, to aggregate wider local information, we further retrieve the expanded neighbors, *i.e*, neighbor of the nearest neighbors, for auxiliary supervision.

Our contributions could be summarized as follows, to achieve source-free domain adaptation: (i) we explicitly exploit the fact that same-class data forms cluster in the target embedding space, we do this by considering the predictions of neighbors, reciprocal neighbors, (ii) we further show that considering an extended neighborhood of data points further improves results (iii) the experiments

67 results on three 2D image datasets and one 3D point cloud dataset show that our method achieves
68 state-of-the-art performance compared with related methods.

2 Related Work

70 **Domain Adaptation.** Most DA methods tackle domain shift by aligning the feature distributions.
71 Early DA methods such as [22, 39, 43] adopt moment matching to align feature distributions.
72 And in recent years, plenty of works have emerged that achieve alignment by adversarial training.
73 DANN [7] formulates domain adaptation as an adversarial two-player game. The adversarial training
74 of CDAN [23] is conditioned on several sources of information. DIRT-T [38] performs domain
75 adversarial training with an added term that penalizes violations of the cluster assumption. Domain
76 adaptation has also been tackled from other perspectives. [18, 25, 33] adopts prediction diversity
77 between multiple learnable classifiers to achieve local or category-level feature alignment between
78 source and target domains. DAMN [2] introduces a framework where each domain undergoes a
79 different sequence of operations. AFN [50] shows that the erratic discrimination of target features
80 stems from much smaller norms than those found in the source features. SRDC [40] proposes to
81 directly uncover the intrinsic target discrimination via discriminative clustering to achieve adaptation.

82 **Source-free Domain Adaptation.** Source-present methods need supervision from the source domain
83 during adaptation. Recently, there are several methods investigating source-free domain adaptation.
84 USFDA [16] and FS [17] explore source-free universal DA [54] and open-set DA [34], and they
85 propose to synthesize extra training samples to make the decision boundary compact, thereby allowing
86 to recognise the open classes. SHOT [21] and Model Adaptation [20] are specific for closed-set
87 DA setting. SHOT proposes to fix the source classifier and match the target features to the fixed
88 classifier by maximizing mutual information and a proposed pseudo label strategy. Model Adaptation
89 synthesizes labeled target-style training images based on the conditional GAN to provide supervision
90 for adaptation.

91 **Graph Clustering.** Our method shares some similarities with graph clustering work such as [36, 46,
92 52, 53] by utilizing neighborhood information. However, our methods are fundamentally different.
93 Unlike those works which require labeled data to train the graph network for estimating the affinity,
94 we instead adopt reciprocity to assign affinity.

3 Method

96 **Notation.** We denote the labeled source domain data with n_s samples as $\mathcal{D}_s = \{(x_i^s, y_i^s)\}_{i=1}^{n_s}$, where
97 the y_i^s is the corresponding label of x_i^s, and the unlabeled target domain data with n_t samples as
98 $\mathcal{D}_t = \{x_j^t\}_{j=1}^{n_t}$. Both domains have the same C classes (closed-set setting). Under the SFDA setting
99 $\mathcal{D}_s$ is only available for model pretraining. Our method is based on a neural network, which we split
100 into two parts: a feature extractor f, and a classifier g. The feature output by the feature extractor is
101 denoted as $\boldsymbol{z}(x) = f(x)$, the output of network is denoted as $p(x) = \delta(g(z)) \in \mathcal{R}^C$ where δ is the
102 softmax function, for readability we will abandon the input and use $\boldsymbol{z}, p$ in the following sections.

103 **Overview.** We assume that the source pretrained model has already been trained. As discusses in the
104 introduction, the target features output by the source model form clusters. We exploit this intrinsic
105 structure of the target data for SFDA by considering the neighborhood information, and the adaptation
106 is achieved with the following objective:

$$\mathcal{L} = -\frac{1}{n_t} \sum_{x_i \in \mathcal{D}_t} \sum_{x_j \in \text{Neigh}(x_i)} \frac{D_{sim}(p_i, p_j)}{D_{dis}(x_i, x_j)} \tag{1}$$

107 where the $\text{Neigh}(x_i)$ means the nearest neighbors of x_i, D_{sim} computes the similarity between
108 predictions, and D_{dis} is a constant measuring the semantic distance (dissimilarity) between data.
109 The principle behind the objective is to push the data towards their semantically close neighbors by
110 encouraging similar predictions. In the next sections, we will define D_{sim} and D_{dis}.

3.1 Encouraging Class-Consistency with Neighborhood Affinity

112 To achieve adaptation without source data, we use the prediction of the nearest neighbor to encourage
113 prediction consistency. While the target features from the source model are not necessarily totally

intrinsic discriminative, meaning some neighbors belong to different class and will provide the wrong supervision. To decrease the potentially negative impact of those neighbors, we propose to weight the supervision from neighbors according to the connectivity (semantic similarity). We define *affinity* values to signify the connectivity between the neighbor and the feature, which corresponds to the $\frac{1}{D_{dis}}$ in Eq. 1 indicating the semantic similarity.

To retrieve the nearest neighbors for batch training, similar to [31, 48, 59], we build two memory banks: $\mathcal{F}$ stores all target features, and $\mathcal{S}$ stores corresponding prediction scores:

$$\mathcal{F} = [z_1, z_2, \ldots, z_{n_t}] \text{and } \mathcal{S} = [p_1, p_2, \ldots, p_{n_t}] \tag{2}$$

We use the cosine similarity for nearest neighbors retrieving. The difference between ours and [31, 48] lies in the fact that we utilize the memory bank to retrieve nearest neighbors while [31, 48] adopts the memory bank to compute the instance discrimination loss. Before every mini-batch training, we simply update the old items in the memory banks corresponding to current mini-batch. Note that updating the memory bank is only done to replace the old low-dimension vectors with new ones computed by the model, and does not require any additional computation.

We then use the prediction of the neighbors to supervise the training weighted by the affinity values, with the following objective adapted from Eq. 1:

$$\mathcal{L}_{\mathcal{N}} = -\frac{1}{n_t} \sum_i \sum_{k \in \mathcal{N}_K^i} A_{ik} \mathcal{S}_k^\top p_i \tag{3}$$

where we use the dot product to compute the similarity between predictions, corresponding to D_{sim} in Eq.1, the k is the index of the k-th nearest neighbors of z_i, $\mathcal{S}_k$ is the k-th item in memory bank $\mathcal{S}$, A_{ik} is the affinity value of k-th nearest neighbors of feature z_i. Here the $\mathcal{N}_K^i$ is the index set[1] of the K-nearest neighbors of feature z_i. Note that all neighbors are retrieved from the feature bank $\mathcal{F}$. With the affinity value as weight, this objective pushes the features to their neighbors with strong connectivity and to a lesser degree to those with weak connectivity.

To assign larger affinity values to semantic similar neighbors, we divide the nearest neighbors retrieved into two groups: reciprocal neighbors neighbors (RNN) and non-reciprocal neighbors neighbors (nRNN). The feature z_j is regarded as the RNN of the feature z_i if it meets the following condition:

$$j \in \mathcal{N}_K^i \wedge i \in \mathcal{N}_M^j \tag{4}$$

Other neighbors which do not meet the above condition are nRNN. Note that the normal definition of reciprocal nearest neighbors [29] applies $K = M$, while in this paper K and M can be different. We find that reciprocal neighbors have a higher potential to belong to the same cluster as the feature (Fig. 1(b)). Thus, we assign a high affinity value to the RNN features. Specifically for feature z_i, the affinity value of its j-th K-nearest neighbor is defined as:

$$A_{i,j} = \begin{cases} 1 & \text{if } j \in \mathcal{N}_K^i \wedge i \in \mathcal{N}_M^j \\ r & \text{otherwise.} \end{cases} \tag{5}$$

where r is a hyperparameter. If not specified otherwise r is set to 0.1.

To further reduce the potential impact of noisy neighbors in $\mathcal{N}_K$, which belong to the different class but still are RNN, we propose a simply yet effective way dubbed *self-regularization*, that is, to not ignore the current prediction of ego feature:

$$\mathcal{L}_{self} = -\frac{1}{n_t} \sum_i^{n_t} \mathcal{S}_i^\top p_i \tag{6}$$

where $\mathcal{S}_i$ means the stored prediction in the memory bank of current data, note this term is a scalar and is identical to the p_i since we update the memory banks before the training, the Eq. 6 is only updating p_i.

To avoid the degenerated solution [8, 37] where the model predicts all data as some specific classes (and does not predict other classes for any of the target data), we encourage the prediction to be

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[1]All indexes are in the same order for the dataset and memory banks.

Algorithm 1 Source-free Domain Adaptation

Require: $\mathcal{D}_s$ (only for source model training), $\mathcal{D}_t$
1: Pre-train model on $\mathcal{D}_s$
2: Build feature bank $\mathcal{F}$ and score bank $\mathcal{S}$ for $\mathcal{D}_t$
3: **while** Adaptation **do**
4:     Sample batch $\mathcal{T}$ from $\mathcal{D}_t$
5:     Update $\mathcal{F}$ and $\mathcal{S}$ corresponding to current batch $\mathcal{T}$
6:     Retrieve nearest neighbors $\mathcal{N}$ for each of $\mathcal{T}$
7:     Compute affinity value A ▷ Eq.5
8:     Retrieve expanded neighborhoods E for each of $\mathcal{N}$
9:     Compute loss and update the model   ▷ Eq. 9
10: **end while**

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balanced. We adopt the prediction diversity loss which is widely used in clustering [8, 9, 13] and also in several domain adaptation works [21, 37, 40]:

$$\mathcal{L}_{div} = \sum_{c=1}^{C} \mathrm{KL}(\bar{p}_c \| q_c), \text{with } \bar{p}_c = \frac{1}{n_t} \sum_i p_i^{(c)} \text{ , and } q_{\{c=1,..,C\}} = \frac{1}{C} \tag{7}$$

where the $p_i^{(c)}$ is the score of the c-th class and $\bar{p}_c$ is the empirical label distribution, it represents the predicted possibility of class c and q is a uniform distribution.

3.2 Expanded Neighborhood Affinity

As mentioned in Sec. 1, a simple way to achieve the aggregation of more information is by considering more nearest neighbors. However, a drawback is that larger neighborhoods are expected to contain more datapoint from multiple classes, defying the purpose of class consistency. A better way to include more target features is by considering the M-nearest neighbor of each neighbor in $\mathcal{N}_K$ of z_i in Eq. 4, *i.e.*, the expanded neighbors. These target features are expected to be closer on the target data manifold than the features that are included by considering a larger number of nearest neighbors [41]. The expanded neighbors of feature z_i are defined as $E_M(z_i) = \mathcal{N}_M(z_j) \forall j \in \mathcal{N}_K(z_i)$, *note that $E_M(z_i)$ is still a index set and i (ego feature) $\notin E_M(z_i)$*. We directly assign a small affinity value r to those expanded neighbors, since they are further than nearest neighbors and may contain noise. We utilize the prediction of those expanded neighborhoods for training:

$$\mathcal{L}_E = -\frac{1}{n_t} \sum_i \sum_{k \in \mathcal{N}_K^i} \sum_{m \in E_M^k} r\mathcal{S}_m^\top p_i \tag{8}$$

where E_M^k contain the M-nearest neighbors of neighbor k in $\mathcal{N}_K$.

Although the affinity values of all expanded neighbors are the same, it does not necessarily mean that they have equal importance. Taking a closer look at the expanded neighbors $E_M(z_i)$, some neighbors will show up more than once, for example z_m can be the nearest neighbor of both z_h and z_j where $h, j \in \mathcal{N}_K(z_i)$, and the nearest neighbors can also serve as expanded neighbor. It implies that those neighbors form compact cluster, and we posit that those duplicated expanded neighbors have potential to be semantically closer to the ego-feature z_i. Thus, we do not remove duplicated features in $E_M(z_i)$, as those can lead to actually larger affinity value for those expanded neighbors. This is one advantage of utilizing expanded neighbors instead of more nearest neighbors, we will verify the importance of maintaining the duplicated features in the experimental section.

Final objective. Our method is illustrated in Algorithm. 1. During the adaptation, the final objective is a combination of four sub objectives:

$$\mathcal{L} = \mathcal{L}_{div} + \mathcal{L}_\mathcal{N} + \mathcal{L}_E + \mathcal{L}_{self} \tag{9}$$

Note all losses in Eq. 9 are updated only by the data of the current mini-batch.

4   Experiments

Datasets. We use three 2D image benchmark datasets and a 3D point cloud recognition dataset.
Office-31 [30] contains 3 domains (Amazon, Webcam, DSLR) with 31 classes and 4,652 images.

Table 1: Accuracies (%) on Office-31 for ResNet50-based methods.

Method	SF	A→D	A→W	D→W	W→D	D→A	W→A	Avg
MCD [33]	✗	92.2	88.6	98.5	**100.0**	69.5	69.7	86.5
CDAN [23]	✗	92.9	94.1	98.6	**100.0**	71.0	69.3	87.7
MDD [56]	✗	90.4	90.4	98.7	99.9	75.0	73.7	88.0
BNM [5]	✗	90.3	91.5	98.5	**100.0**	70.9	71.6	87.1
DMRL [47]	✗	93.4	90.8	99.0	**100.0**	73.0	71.2	87.9
BDG [51]	✗	93.6	93.6	99.0	**100.0**	73.2	72.0	88.5
MCC [15]	✗	95.6	95.4	98.6	100.0	72.6	73.9	89.4
SRDC [40]	✗	95.8	95.7	99.2	100.0	76.7	77.1	90.8
RWOT [49]	✗	94.5	95.1	**99.5**	100.0	**77.5**	77.9	90.8
RSDA-MSTN [10]	✗	95.8	**96.1**	99.3	**100.0**	77.4	**78.9**	**91.1**
SHOT [21]	✓	94.0	90.1	98.4	99.9	74.7	74.3	88.6
ModelAdaptation [20]	✓	92.7	93.7	98.5	99.8	75.3	77.8	89.6
Ours	✓	**96.0**	90.8	99.0	**100.0**	75.3	75.0	89.4

Table 2: Accuracies (%) on Office-Home for ResNet50-based methods.

Method	SF	Ar→Cl	Ar→Pr	Ar→Rw	Cl→Ar	Cl→Pr	Cl→Rw	Pr→Ar	Pr→Cl	Pr→Rw	Rw→Ar	Rw→Cl	Rw→Pr	Avg
MCD [33]	✗	48.9	68.3	74.6	61.3	67.6	68.8	57.0	47.1	75.1	69.1	52.2	79.6	64.1
CDAN [23]	✗	50.7	70.6	76.0	57.6	70.0	70.0	57.4	50.9	77.3	70.9	56.7	81.6	65.8
SAFN [50]	✗	52.0	71.7	76.3	64.2	69.9	71.9	63.7	51.4	77.1	70.9	57.1	81.5	67.3
Symnets [55]	✗	47.7	72.9	78.5	64.2	71.3	74.2	64.2	48.8	79.5	74.5	52.6	82.7	67.6
MDD [56]	✗	54.9	73.7	77.8	60.0	71.4	71.8	61.2	53.6	78.1	72.5	**60.2**	82.3	68.1
TADA [45]	✗	53.1	72.3	77.2	59.1	71.2	72.1	59.7	53.1	78.4	72.4	60.0	82.9	67.6
BNM [5]	✗	52.3	73.9	80.0	63.3	72.9	74.9	61.7	49.5	79.7	70.5	53.6	82.2	67.9
BDG [51]	✗	51.5	73.4	78.7	65.3	71.5	73.7	65.1	49.7	81.1	74.6	55.1	84.8	68.7
SRDC [40]	✗	52.3	76.3	81.0	**69.5**	76.2	78.0	**68.7**	53.8	81.7	**76.3**	57.1	85.0	71.3
RSDA-MSTN [10]	✗	53.2	77.7	81.3	66.4	74.0	76.5	67.9	53.0	82.0	75.8	57.8	85.4	70.9
SHOT [21]	✓	57.1	78.1	81.5	68.0	78.2	78.1	67.4	54.9	82.2	73.3	58.8	84.3	71.8
Ours	✓	**57.7**	**80.3**	**82.0**	68.1	**79.8**	**78.6**	65.3	**56.4**	**83.0**	71.0	58.6	**85.6**	**72.2**

Office-Home [44] contains 4 domains (Real, Clipart, Art, Product) with 65 classes and a total of 15,500 images. **VisDA** [26] is a more challenging dataset, with 12-class synthetic-to-real object recognition tasks, its source domain contains of 152k synthetic images while the target domain has 55k real object images. **PointDA-10** [28] is the first 3D point cloud benchmark specifically designed for domain adaptation, it has 3 domains with 10 classes, denoted as ModelNet-10, ShapeNet-10 and ScanNet-10, containing approximately 27.7k training and 5.1k testing images together.

Evaluation. We compare with existing source-present and source-free DA methods. *All results are the average on three random runs.* **SF** in the tables denotes source-free.

Model details. For fair comparison with related methods, we also adopt the backbone of ResNet-50 [11] for Office-Home and ResNet-101 for VisDA, and PointNet [27] for PointDA-10. Specifically, for 2D images datasets, we use the same network architecture as SHOT [21], *i.e.*, the final part of the network is: fully connected layer − Batch Normalization [12] − fully connected layer with weight normalization [35]. And for PointDA-10 [27], we use the code released by the authors for fair comparison with PointDAN [27], and only use the backbone without any of their proposed modules. To train the source model, we also adopt label smoothing as SHOT does. We adopt SGD with momentum 0.9 and batch size of 64 for all 2D datasets, and Adam for PointDA-10. The learning rate for Office-31 and Office-Home is set to 1e-3 for all layers, except for the last two newly added fc layers, where we apply 1e-2. Learning rates are set 10 times smaller for VisDA. Learning rate for PointDA-10 is set to 1e-6. We train 30 epochs for Office-31 and Office-Home while 15 epochs for VisDA, and 100 for PointDA-10. For the number of nearest neighbors (K) and expanded neighborhoods (M), we use 3,2 for Office-31, Office-Home and PointDA-10, since VisDA is much larger we set K, M to 5. Experiments are conducted on a TITAN Xp.

4.1 Results

2D image datasets. We first evaluate the target performance of our method compared with existing DA and SFDA methods on three 2D image datasets. As shown in Table 1-3, the top part shows results for the source-present methods *with access to source data during adaptation*. The bottom shows results for the source-free DA methods. On Office-31, our method gets similar results compared with

Table 3: Accuracies (%) on VisDA-C (Synthesis → Real) for ResNet101-based methods.

Method	SF	plane	bcycl	bus	car	horse	knife	mcycl	person	plant	sktbrd	train	truck	Per-class
ADR [32]	✗	94.2	48.5	84.0	72.9	90.1	74.2	92.6	72.5	80.8	61.8	82.2	28.8	73.5
CDAN [23]	✗	85.2	66.9	83.0	50.8	84.2	74.9	88.1	74.5	83.4	76.0	81.9	38.0	73.9
CDAN+BSP [3]	✗	92.4	61.0	81.0	57.5	89.0	80.6	90.1	77.0	84.2	77.9	82.1	38.4	75.9
SAFN [50]	✗	93.6	61.3	84.1	70.6	94.1	79.0	91.8	79.6	89.9	55.6	89.0	24.4	76.1
SWD [19]	✗	90.8	82.5	81.7	70.5	91.7	69.5	86.3	77.5	87.4	63.6	85.6	29.2	76.4
MDD [56]	✗	-	-	-	-	-	-	-	-	-	-	-	-	74.6
DMRL [47]	✗	-	-	-	-	-	-	-	-	-	-	-	-	75.5
MCC [15]	✗	88.7	80.3	80.5	71.5	90.1	93.2	85.0	71.6	89.4	73.8	85.0	36.9	78.8
STAR [25]	✗	95.0	84.0	**84.6**	73.0	91.6	91.8	85.9	78.4	94.4	84.7	87.0	42.2	82.7
RWOT [49]	✗	95.1	80.3	83.7	**90.0**	92.4	68.0	**92.5**	82.2	87.9	78.4	**90.4**	**68.2**	84.0
ModelAdaptation [20]	✓	94.8	73.4	68.8	74.8	93.1	95.4	88.6	**84.7**	89.1	84.7	83.5	48.1	81.6
SHOT [21]	✓	94.3	88.5	80.1	57.3	93.1	94.9	80.7	80.3	91.5	89.1	86.3	58.2	82.9
Ours	✓	**96.8**	**91.3**	82.4	62.4	**96.2**	**95.9**	86.1	80.6	**94.8**	**94.1**	90.4	59.7	**85.9**

Table 4: Accuracies (%) on PointDA-10. *The results except ours are from PointDAN [28].*

	SF	Model→Shape	Model→Scan	Shape→Model	Shape→Scan	Scan→Model	Scan→Shape	Avg
MMD [24]	✗	57.5	27.9	40.7	26.7	47.3	54.8	42.5
DANN [6]	✗	58.7	29.4	42.3	30.5	48.1	56.7	44.2
ADDA [42]	✗	61.0	30.5	40.4	29.3	48.9	51.1	43.5
MCD [33]	✗	62.0	31.0	41.4	31.3	46.8	59.3	45.3
PointDAN [28]	✗	64.2	**33.0**	47.6	**33.9**	49.1	64.1	48.7
Source-only		43.1	17.3	40.0	15.0	33.9	47.1	32.7
Ours	✓	**64.8**	25.8	**59.8**	26.9	**70.1**	**68.1**	**52.6**

source-free method ModelAdaptation and lower than source-present method RSDA-MSTN. And our method achieves state-of-the-art performance on Office-Home and VisDA, especially on VisDA our method surpasses the source-free method SHOT and source-present method RWOT by a wide margin (3% and 1.9% respectively). The reported results clearly demonstrate the efficiency of the proposed method for source-free domain adaptation. Interestingly, like already observed in the SHOT paper, source-free methods outperform methods that have access to source data during adaptation.

3D point cloud dataset. We also report the result for the 3D point cloud dataset. As shown in Table 4, our method outperforms PointDA [28], which demands source date for adaptation and is specifically tailored for point cloud data with extra attention modules, by a large margin (4%), where especially our method surpasses PointDA by 12.2% and 21.0% on the tasks Shape→Model and Scan→Model respectively.

4.2 Analysis

Ablation study on neighbors $\mathcal{N}$, E and affinity A. In the first two tables of Table 5, we conduct the ablation study on Office-Home and VisDA. The 1-st row contains results from the source model and the 2-nd row from only training with the diversity loss $\mathcal{L}_{div}$. From the remaining rows, several conclusions can be drawn.

First, the original supervision, which considers all neighbors equally can lead to a decent performance (67.1 on Office-Home). Second, the considering higher affinity values for reciprocal neighbors

Table 5: Ablation study of different modules on Office-Home (**left**) and VisDA (**middle**), comparison between using expanded neighbors and larger nearest neighbors (**right**).

$\mathcal{L}_{div}$	$\mathcal{L}_{\mathcal{N}}$	$\mathcal{L}_E$	$\mathcal{L}_{\hat{E}}$	A	Avg
					59.5
✓					62.1
✓	✓				67.1
✓	✓			✓	69.1
✓	✓	✓			65.2
✓	✓	✓		✓	**72.2**
✓	✓		✓	✓	69.1

$\mathcal{L}_{div}$	$\mathcal{L}_{\mathcal{N}}$	$\mathcal{L}_E$	$\mathcal{L}_{\hat{E}}$	A	Acc
					44.6
✓					47.8
✓	✓				74.6
✓	✓			✓	81.5
✓	✓	✓			61.2
✓	✓	✓		✓	**85.9**
✓	✓		✓	✓	82.0

Method&Dataset	Acc
VisDA ($K=M=5$)	**85.9**
VisDA w/o E ($K=30$)	84.0
OH ($K=3,M=2$)	**72.2**
OH w/o E ($K=9$)	69.5

Figure 2: Confusion matrix on VisDA *w/i* (**Left**) and *w/o* (**right**) affinity value.

Figure 3: (**Left and middle**) Ablation study of $\mathcal{L}_{self}$ on Office-Home and VisDA respectively. (**Right**) Performance with different r on VisDA.

leads to a large performance gain (69.1 on Office-Home). Last but not the least, the expanded neighborhoods can also be helpful, but only when combined with the affinity values A (72.2 on Office-Home). Using expanded neighborhoods without affinity obtains bad performance (65,2 on Office-Home). We conjecture that those expanded neighborhoods, especially those neighbors of nRNN, may be noisy as discusses in Sec. 3.2. Removing the affinity A means we treat all those neighbors equally, which is not reasonable. To better understand what happens if removing affinity, we plot the confusion matrix on VisDA *with* and *without* affinity in Fig. 2, the accuracy of class 1, 5 and 11 will degrade significantly after removing A, implying that affinity is necessary to weight supervision from different kind of neighbors.

We also show that duplication in the expanded neighbors is important in the last row of Table 5, where the $\mathcal{L}_{\hat{E}}$ means we remove duplication in Eq. 8. The results show that the performance will degrade significantly when removing them, implying that the duplicated expanded neighbors are indeed more important than others.

Next we ablate the importance of the expanded neighborhood in the right of Table5. We show that if we increase the number of datapoints considered for class-consistency by simply considering a larger K, we obtain significantly lower scores. We have chosen K so that the total number of points considered is equal to our method (i.e. 5+5*5=30 and 3+3*2=9). Considering neighbors of neighbors is more likely to provide datapoints that are close on the data manifold [41], and are therefore more likely to share the class label with the ego feature.

Ablation study on self-regularization. In the left and middle of Fig 3, we show the results with and without self-regularization $\mathcal{L}_{self}$. The $\mathcal{L}_{self}$ can improve the performance when adopting only nearest neighbors $\mathcal{N}$ or all neighbors $\mathcal{N} + E$. The results imply that self-regularization can effectively reduce the negative impact of the potential noisy neighbors, especially on the Office-Home dataset.

Sensitivity to hyperparameter. There are three hyperparameters in our method: K and M which are the number of nearest neighbors and expanded neighbors, r which is the affinity value assigned to nRNN. We show the results with different r in the right of Fig. 3. *Note we keep the affinity of expanded neighbors as 0.1.* $r = 1$ means no affinity. $r = -1$ means treating supervision of nRNN feature as totally wrong, which is not always the case and will lead to quite lower result.

Figure 4: (**Left**) The three curves are (on VisDA): target accuracy (*Blue*), raio of features which have 5-nearest neighbors all sharing the same predicted label (*dashed Red*), and ratio of features which have 5-nearest neighbors all sharing the same and *correct* predicted label (*dashed Black*). (**Right**) Ablation study on choice of K and M on VisDA.

Figure 5: (**Left**) Ratio of different type of nearest neighbor features which have the correct predicted label, before and after adaptation. (**Right**) Visualization of target features after adaptation.

$r = 0$ can also achieve good performance, signifying RNN can already work well. Results with $r = 0.1/0.15/0.2$ show that our method is not sensitive to the choice of a reasonable r. We show the results varying the number of neighbors in the right of Tab. 4, signifying the robustness.

Training curve. We show the evolution of several statistics during adaptation on VisDA in the left of Tab. 4. The blue curve is the target accuracy. The dashed red and black curves are the ratio of features which have 5-nearest neighbors all sharing the same (*dashed Red*), or the same and also **correct** (*dashed Black*) predicted label, it signifies that the target features are clustering during the training.

Accuracy of supervision from neighbors. We also show the accuracy of supervision from neighbors on task Ar→Rw of Office-Home, *i.e.*, ratio of neighbor features having the correct *predicted* label, of different types of the nearest neighbors before and after adaptation in Fig. 5(left). It shows that after adaptation, the ratio of all types of neighbors having more correct predicted label, proving the effectiveness of the method.

t-SNE visualization. We show the t-SNE feature visualization on task Ar→Rw of Office-Home of target features before (Fig. 1(a)) and after (Fig. 5(right)) adaptation. After adaptation, the features are more compactly clustered.

5   Conclusions

We introduce a source-free domain adaptation (SFDA) method by uncovering the intrinsic target data structure. We propose to achieve the adaptation by encouraging label consistence among local target features. We differentiate between nearest neighbors, reciprocal neighbors and expanded neighborhood. Experimental results verify the importance of considering the local structure of the target features. To the best of our knowledge, existing works on DA do not explicitly exploit this source of information, and they could be combined with our method. Finally, our experimental results on both 2D image and 3D point cloud datasets testify the efficacy of our method.

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